

Impact of the galactic magnetic field on cosmic ray arrival

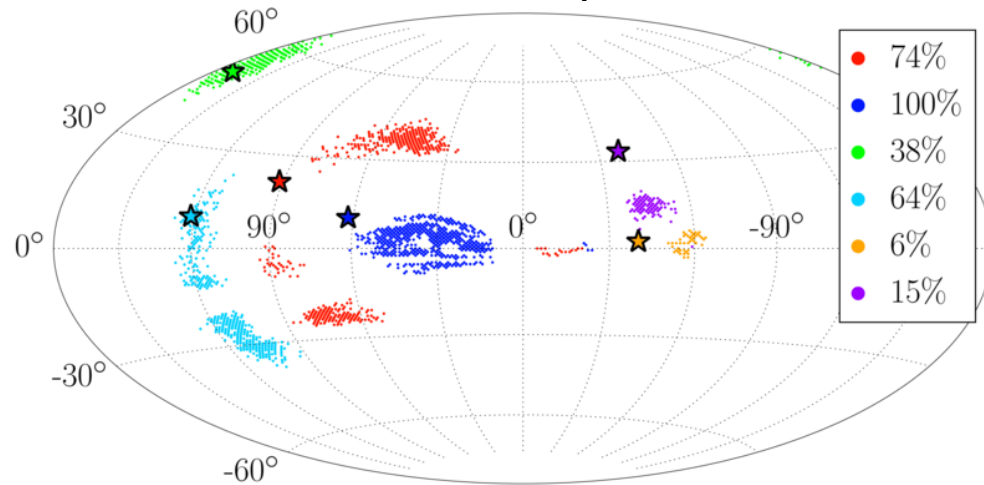
The nuclear window to the extragalactic universe

→ arXiv:1607.01645 (submitted to ApJ)

Search for patterns by combining cosmic ray energy and arrival directions at the Pierre Auger Observatory

→ Eur. Phys. J. C (2015) 75: 269

Arrival scenario for point sources



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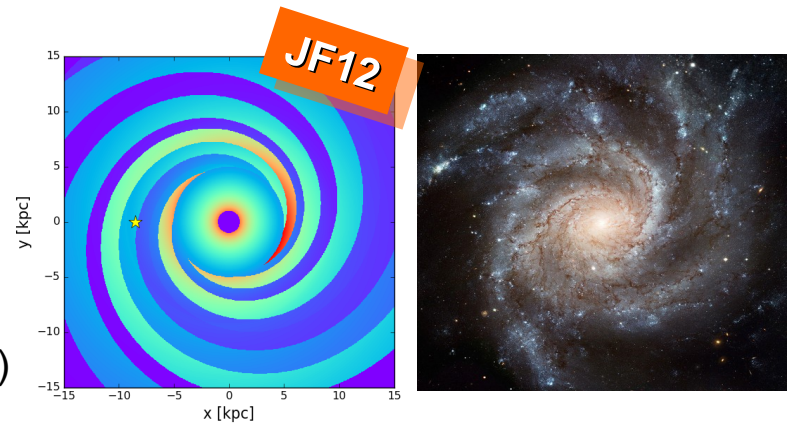
Alliance for Astroparticle Physics

Marcus Wirtz, Martin Erdmann,
Gero Müller, Martin Urban

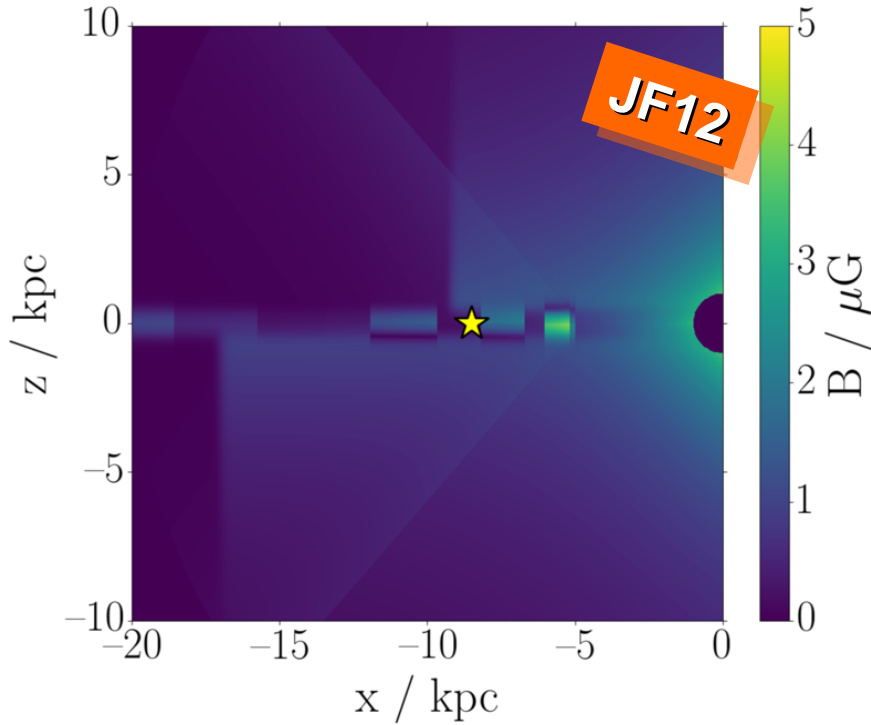
RWTH Aachen – III. Physikalisches Institut A
22th Sep. 2016

Galactic magnetic field - parametrizations

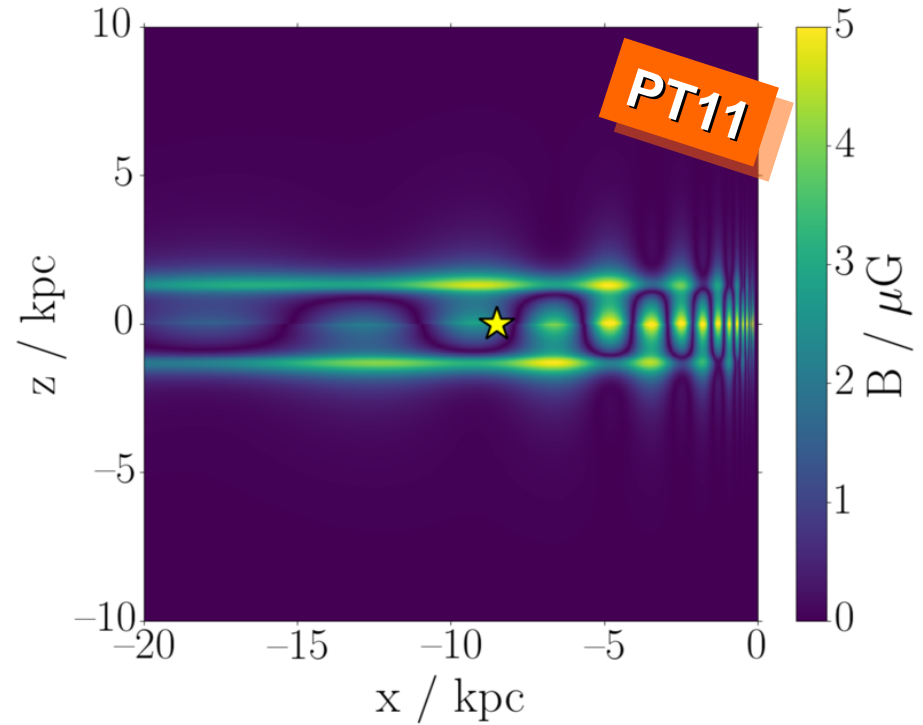
✗ Models tuned to measurements (e.g. rotation measurements, synchrotron radiation)



Jansson & Farrar (ApJ, 757, 14: 2012)

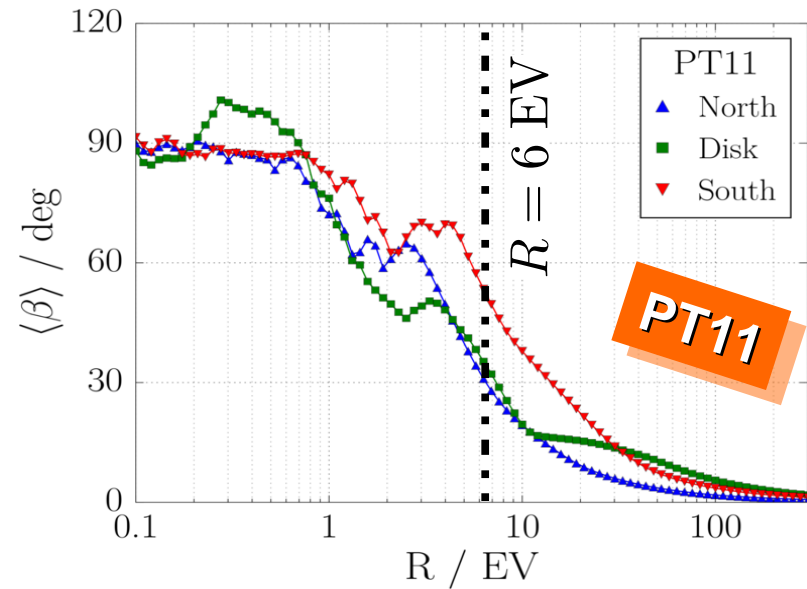
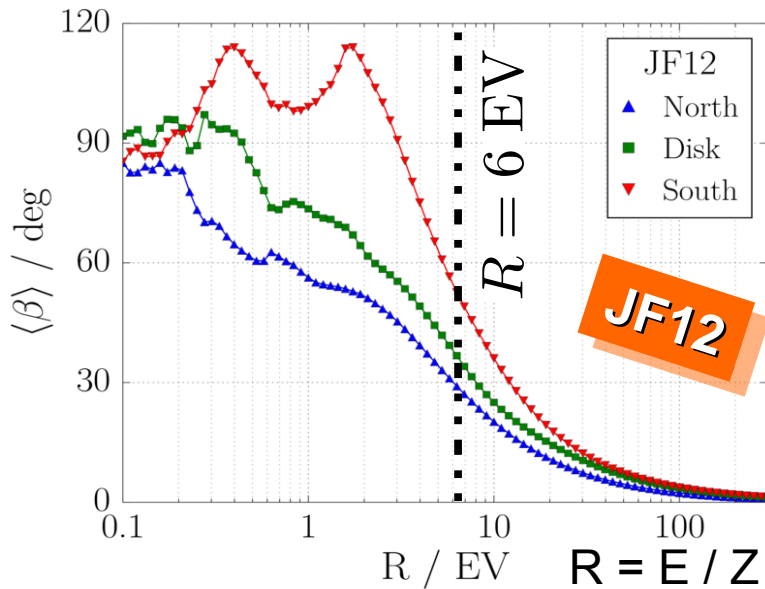
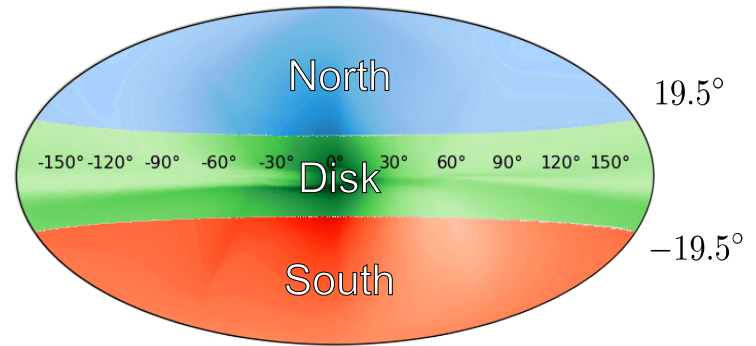
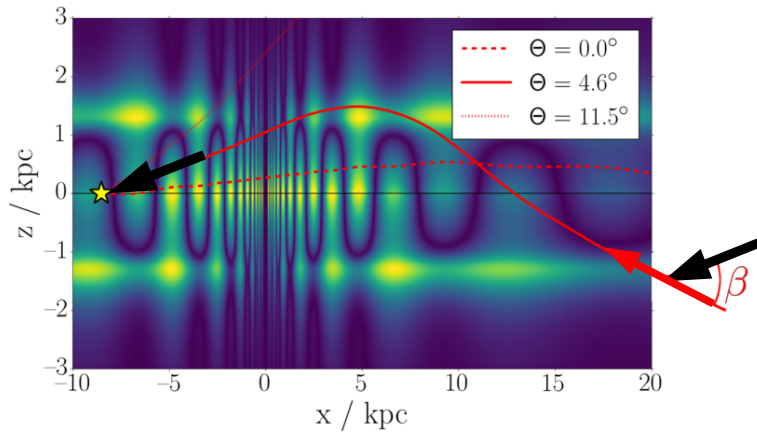


Pshirkov & Tinyakov (ApJ, 738, 192: 2011)



How do they effect cosmic ray propagation?

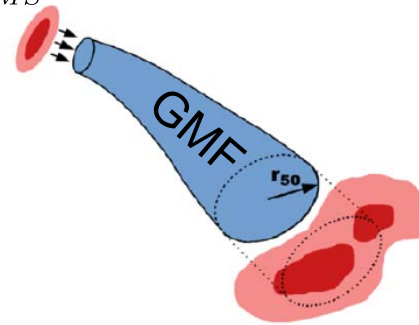
Angular deflections



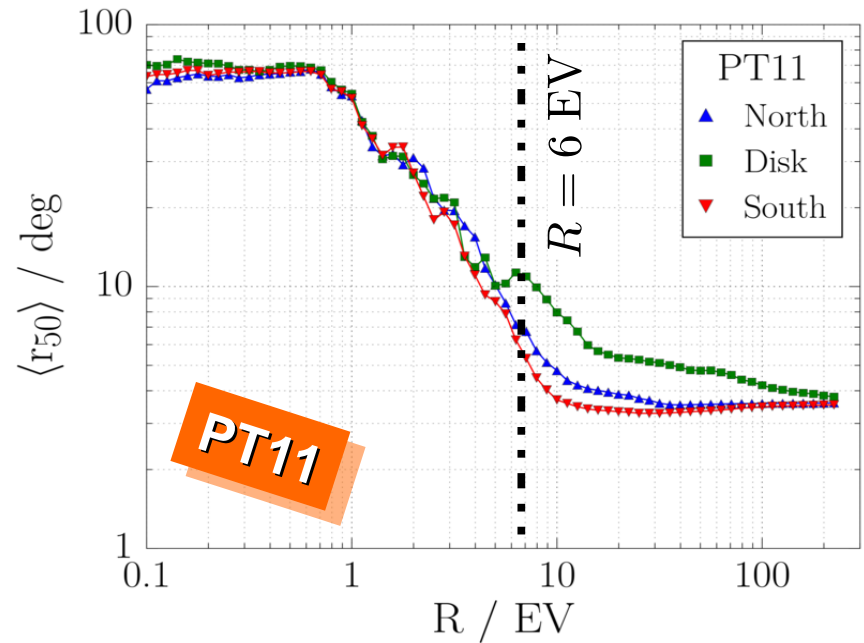
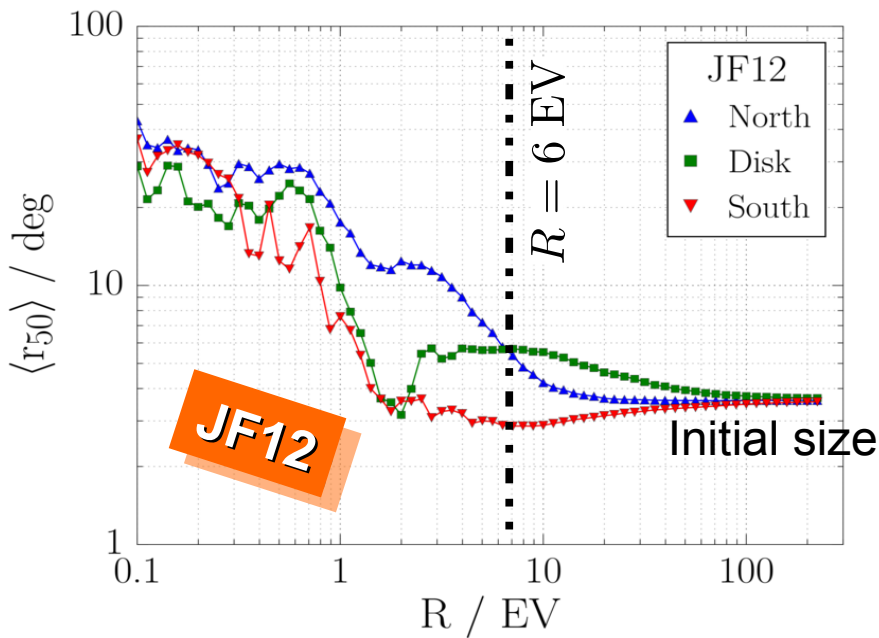
X Moderate deflections for rigidities $E / Z > 6 \text{ EV}$

Dispersion by field

$$\delta_{RMS} = 3^\circ$$



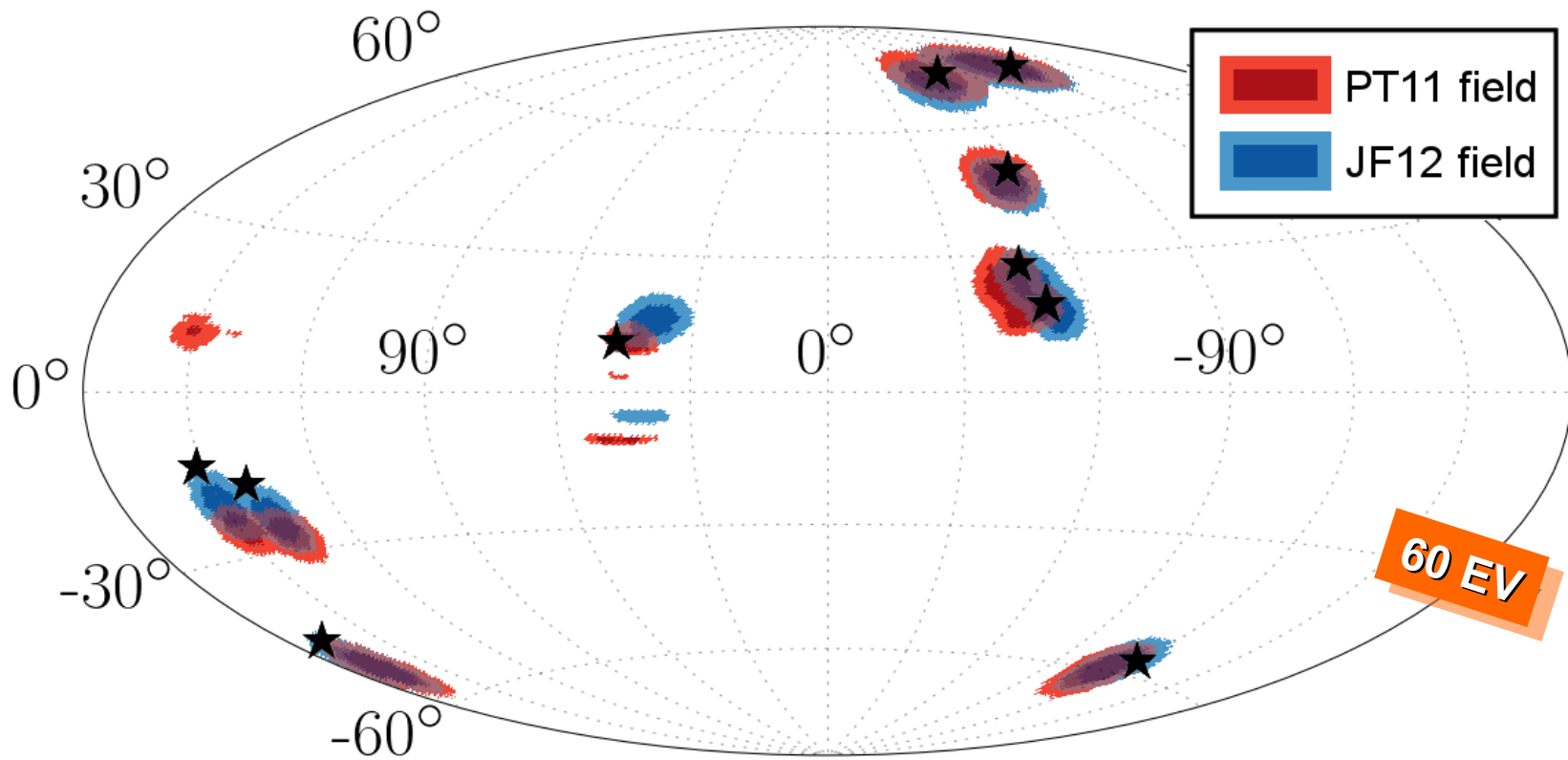
r50=smallest radius containing 50% of arrival probability



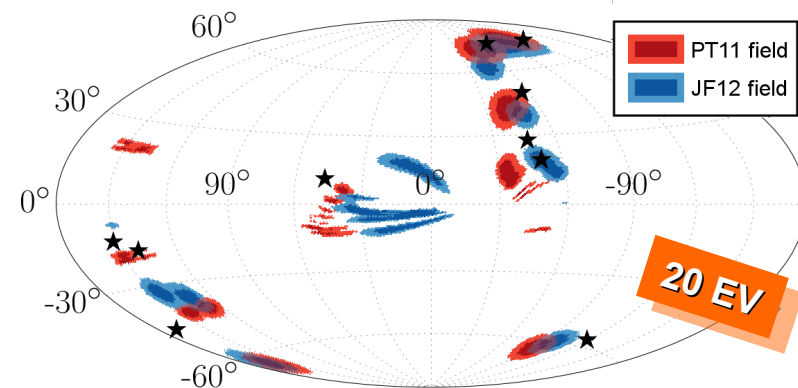
✗ Defocusing and focusing effects depending on energy and direction

✗ Size for $R > 6$ EV is mostly conserved !

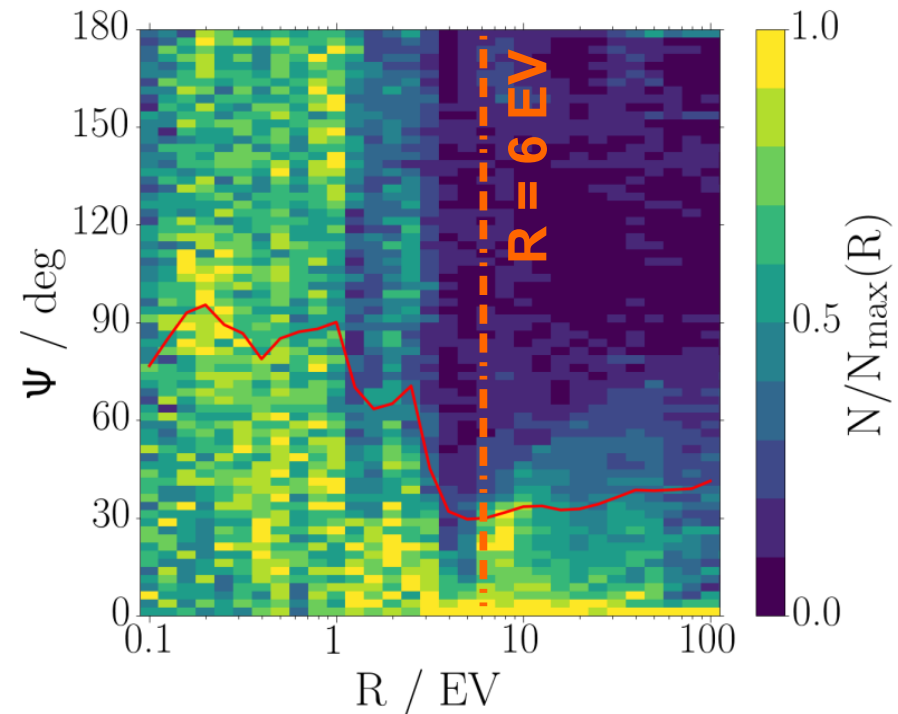
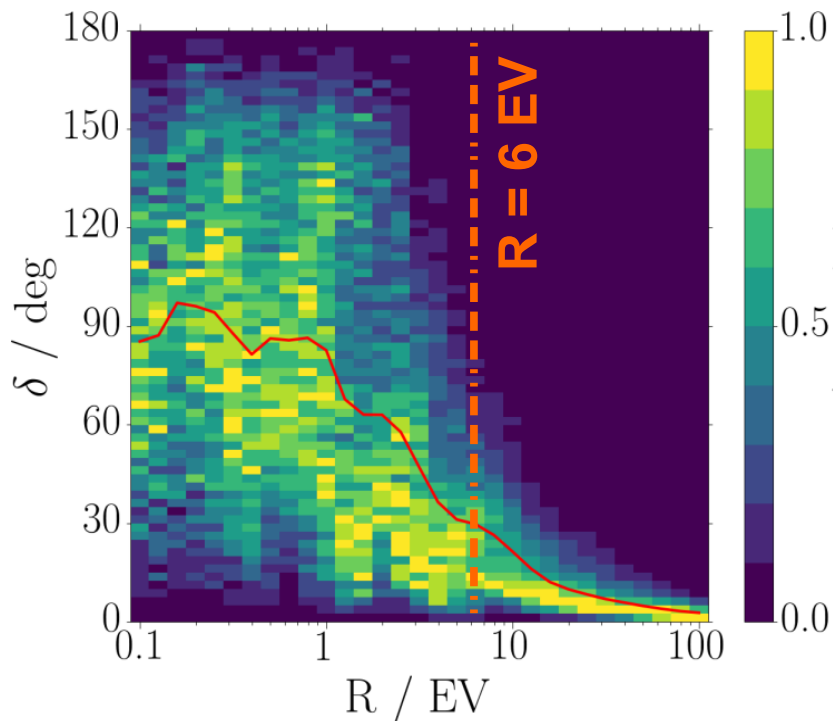
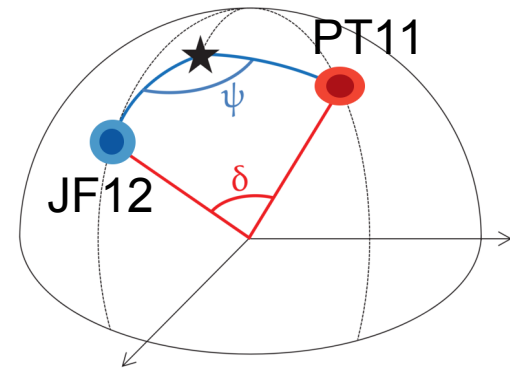
Example arrival distributions



- ✗ Displacements of JF12 and PT11 match mostly
- ✗ Large deflections → point into same directions

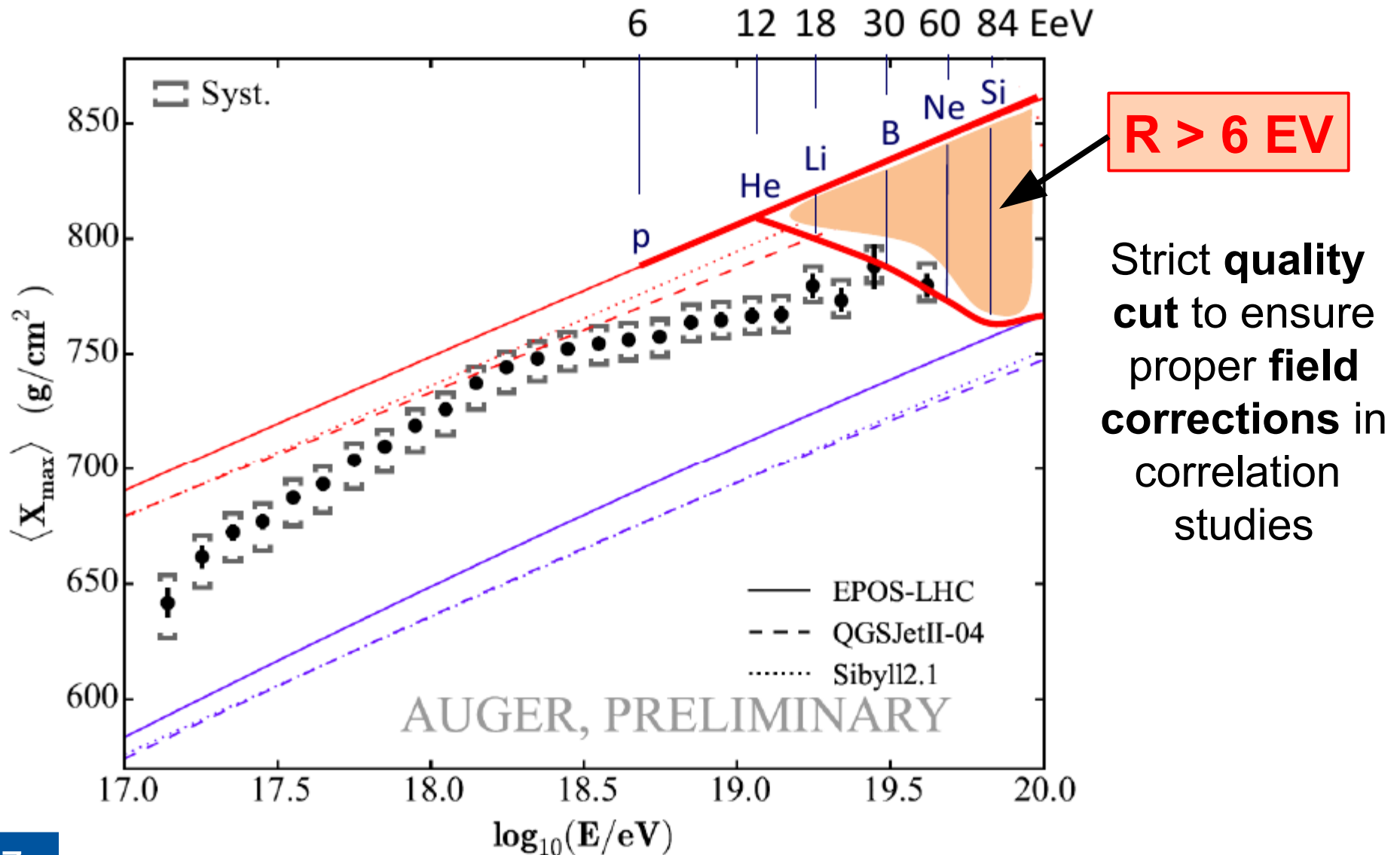


Reliability of magnetic field corrections



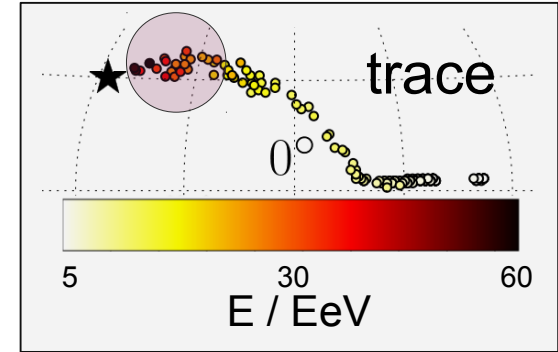
✗ Above 6 EV the differences in the magnetic field deflections are acceptable

The nuclear window to the extragalactic universe



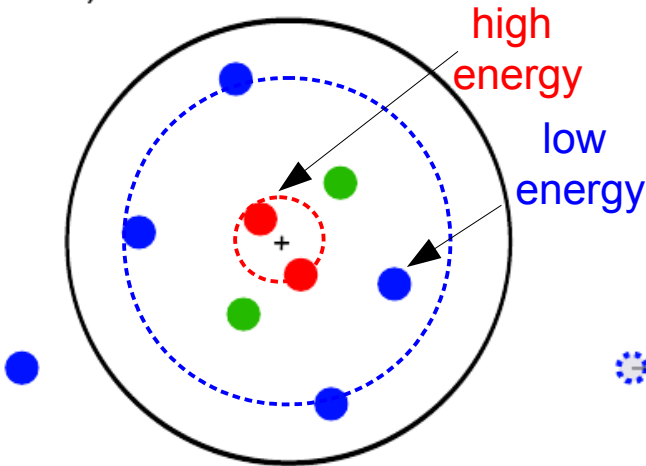
Search for patterns in CR arrival - mockup data

Analysis done by Tobias Winchen
 Eur. Phys. J. C (2015) 75: 269



$$\delta_{RMS} = C_T / E$$

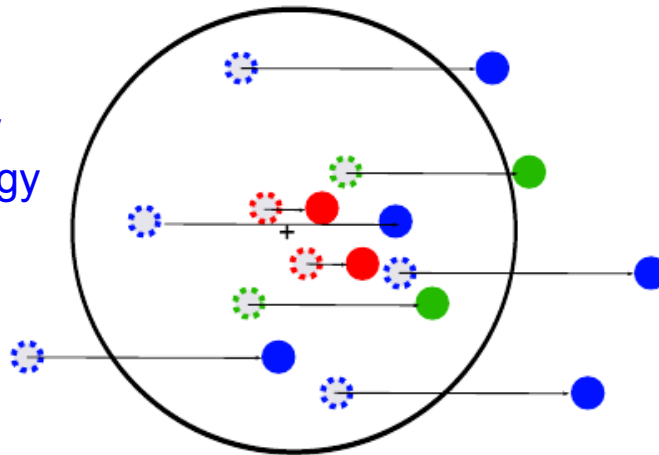
a)



✗ Turbulent deflections
 → Fisher smearing

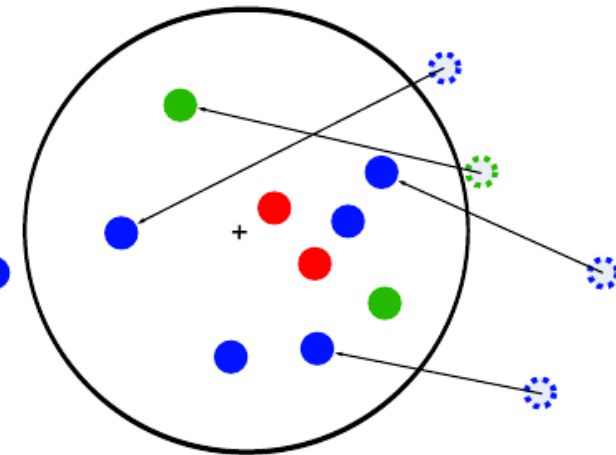
$$\alpha = C_C / E$$

b)



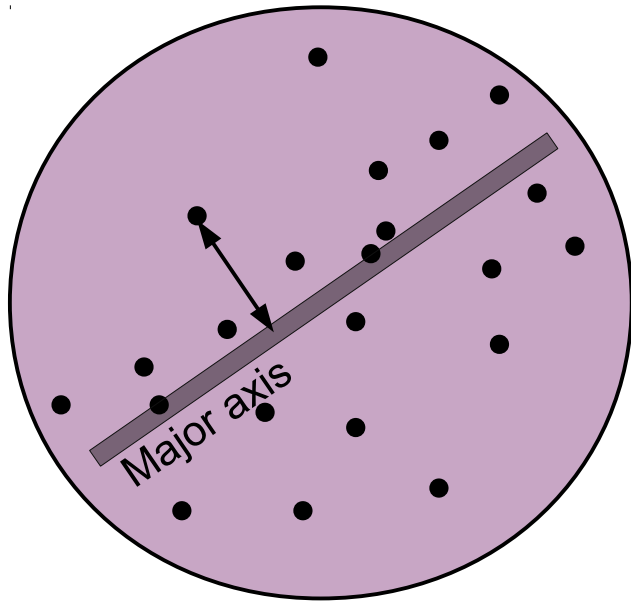
✗ Coherent deflection
 → angular shift

c)



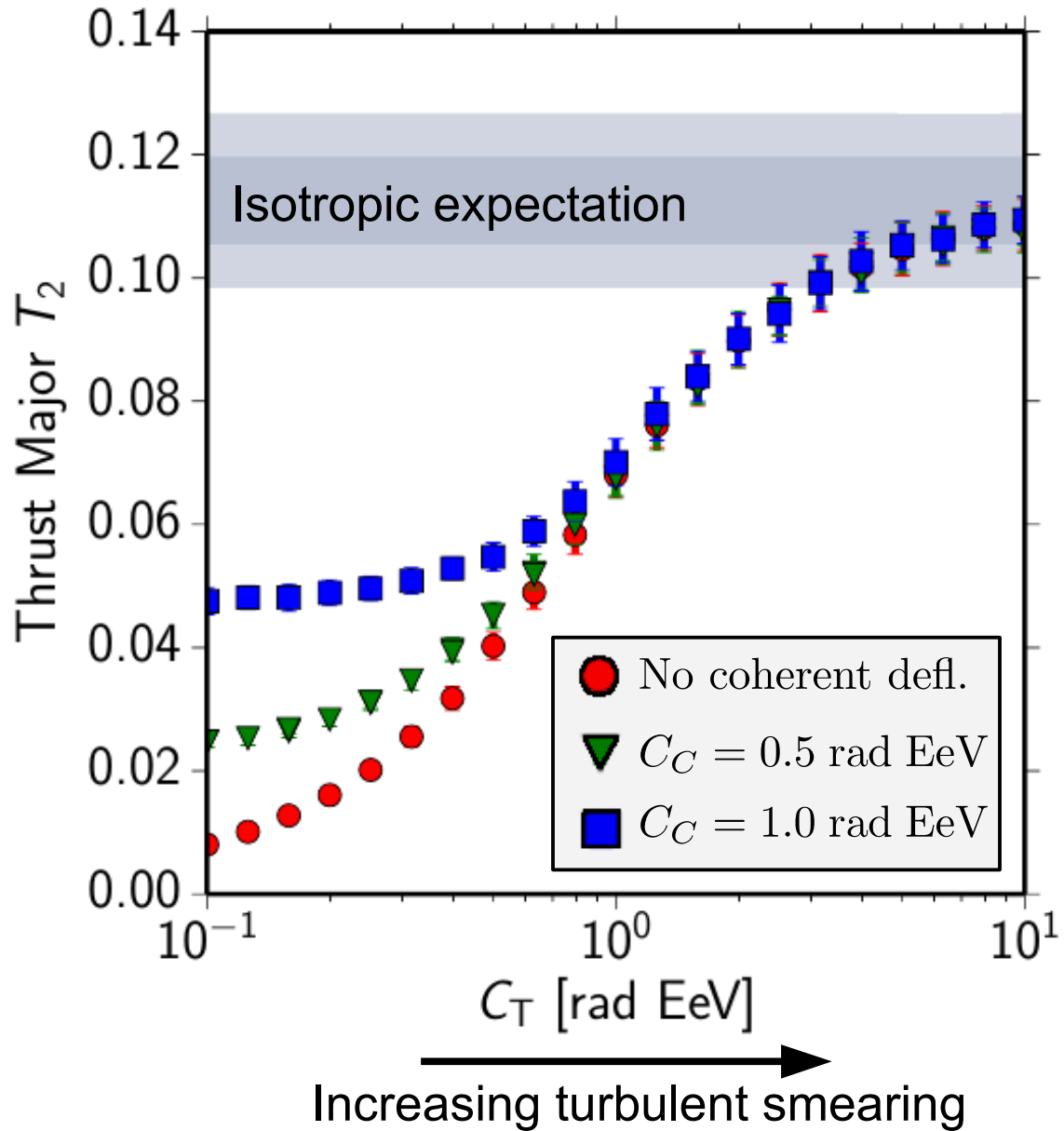
✗ Outlier added as random
 background

Thrust major axis - Expectations



Region of interest (ROI)

- ✗ Turbulent components diminishes observability
- ✗ Strength T_2 of thrust major axis increases with coherent deflections



Observations

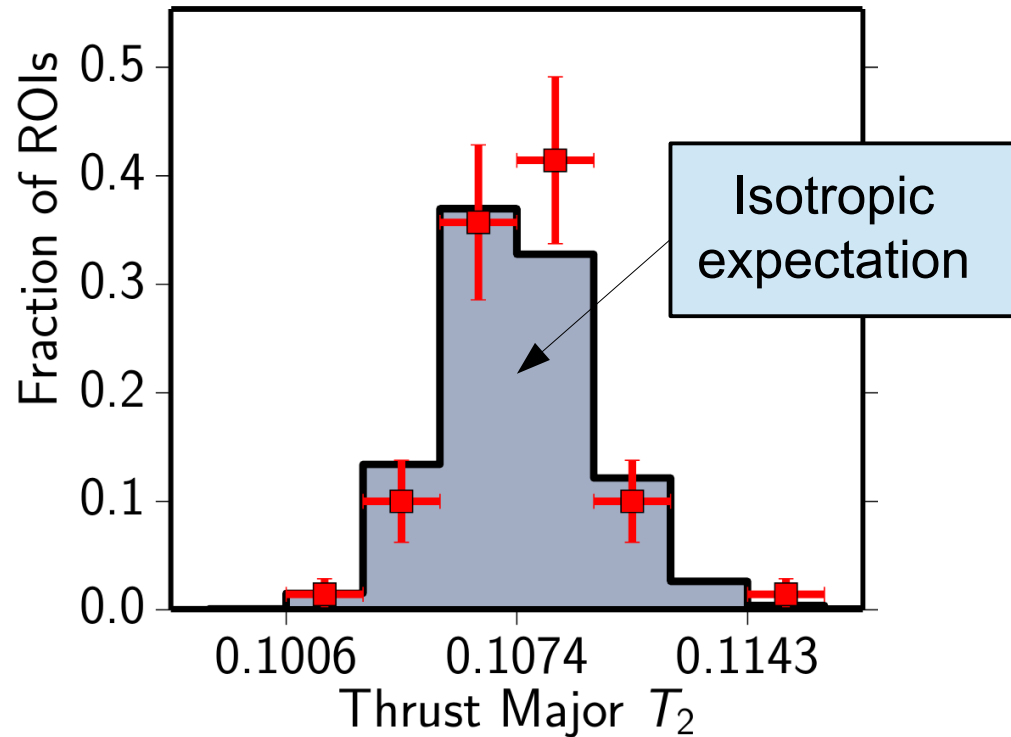
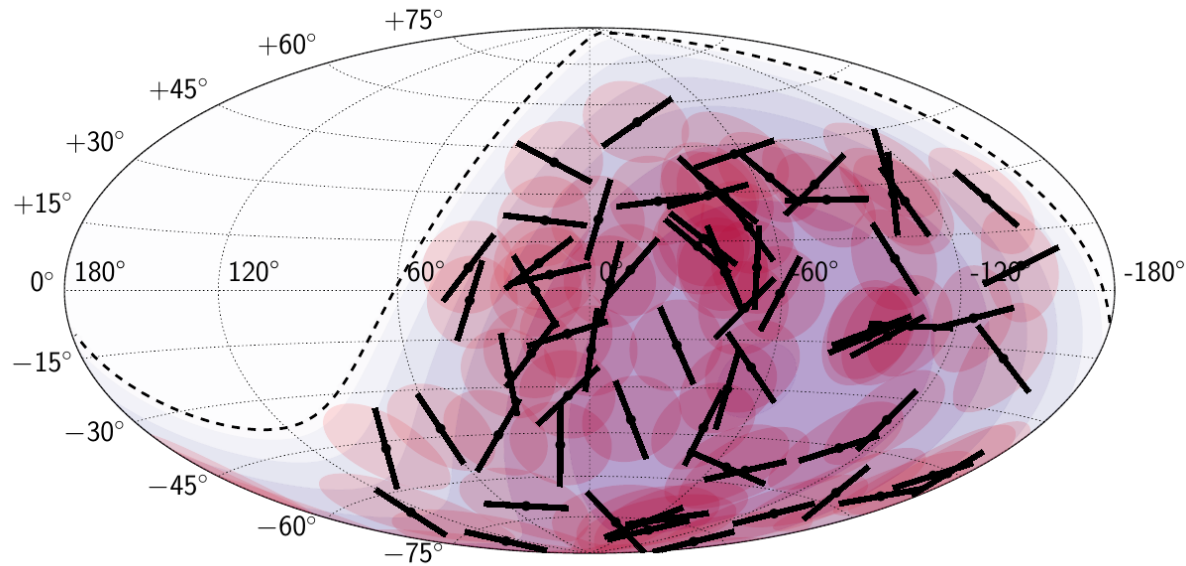
- ✗ Cut $E > 5$ EeV ensures extragalactic origin
- ✗ ROIs ($\sim 14^\circ$) defined by high energy events $E > 60$ EeV
→ seeds 70 ROIs



Strength T_2 of major axis not significant / Also found axis are not stable



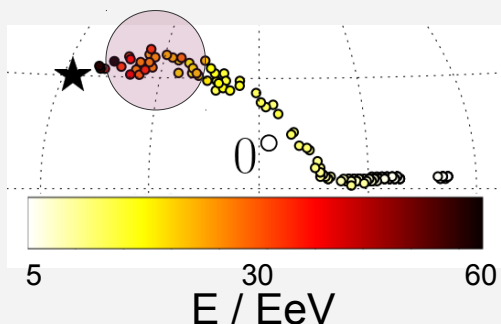
Limits on extragalactic scenarios (source density, turb defl. C_T)



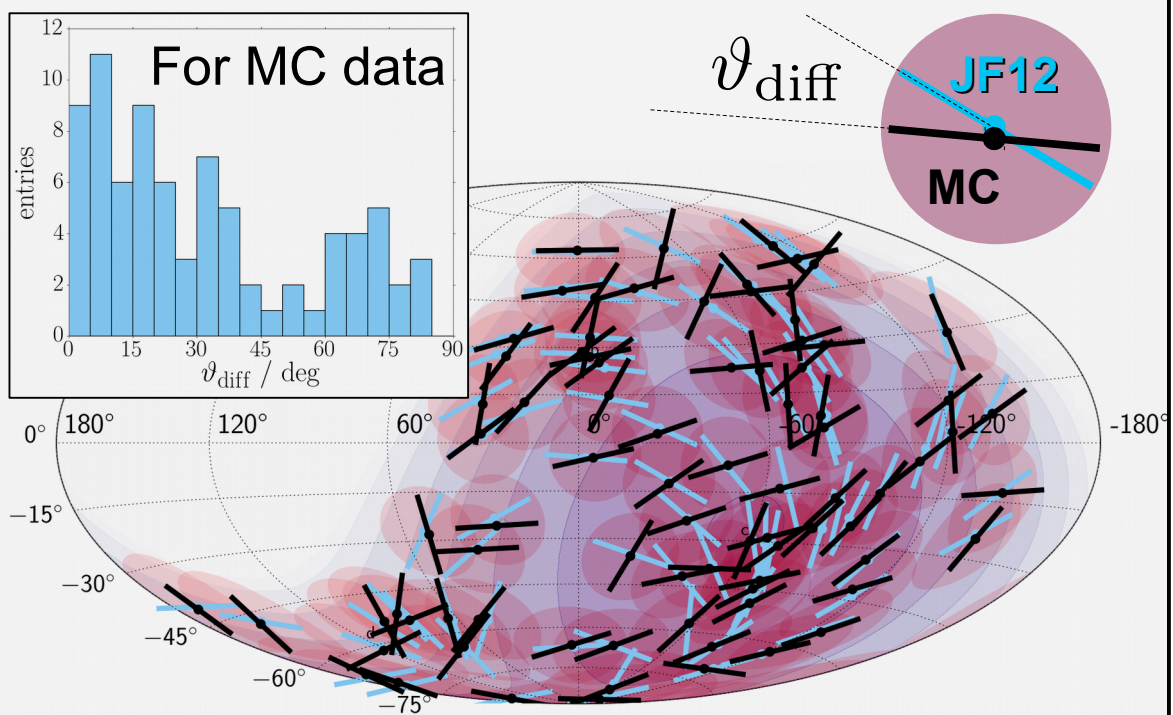
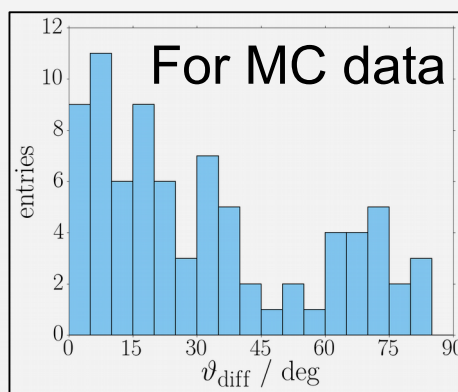
Outlook

1) Choose of threshold and ROIs

- ✗ Rigidity threshold at 6 EV instead of $E > 5$ EeV
- ✗ Patterns typically arise strongest $\sim 20^\circ$ away from the source position

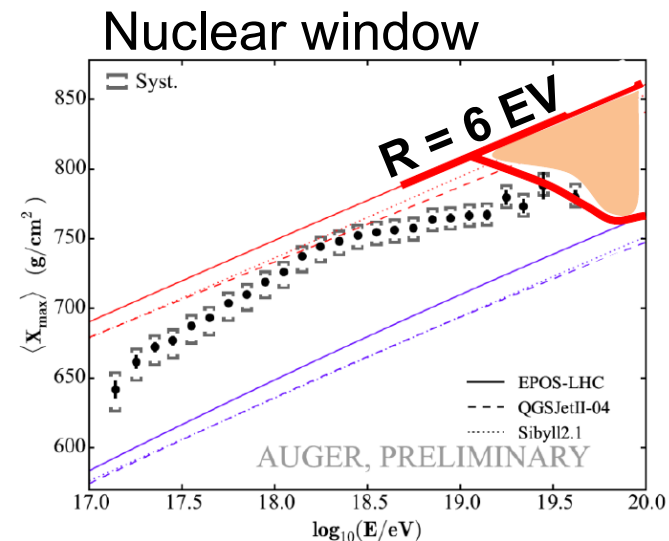


2) Compare patterns with GMF model expectations



Conclusion

- ✗ Current galactic magnetic field parameterizations are adopted to numerous measurements (rotation measures, synchrotron radiation)
- ✗ Reliable galactic field correction can be achieved above $E/Z \approx 6 \text{ EeV}$
 - deflections, dispersions, multiple images ...
 - models JF12 and PT11 as measure for our knowledge
- ✗ Patterns caused by coherent deflections are expected
 - no evidence in thrust auto correlation measurements
 - limits on extragalactic scenarios
 - Outlook: compare to galactic field parametrization



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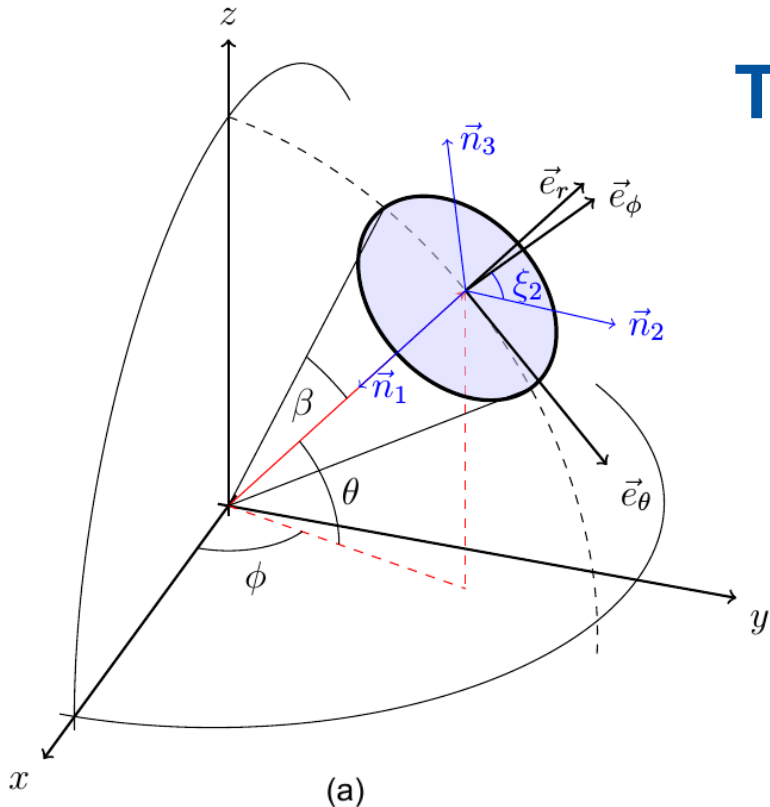
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Alliance for Astroparticle Physics

Backup

Thrust axis



$$T_k = \max_{\vec{n}_k} \left(\frac{\sum_i |E_i \vec{n}_k|}{\sum_i |E_i|} \right)$$

(a)

(b)

(c)

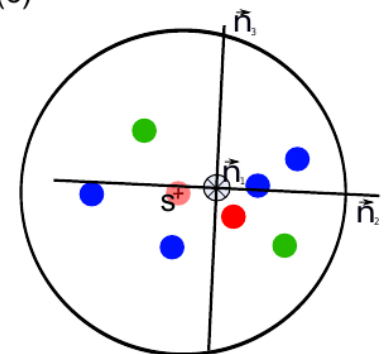
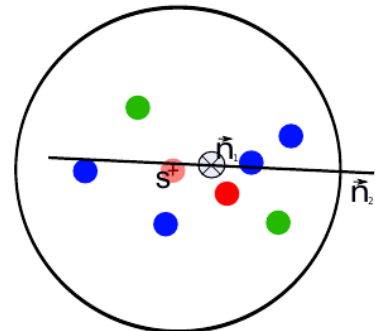
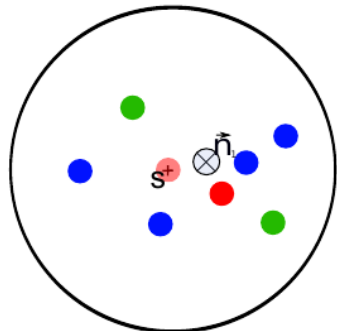
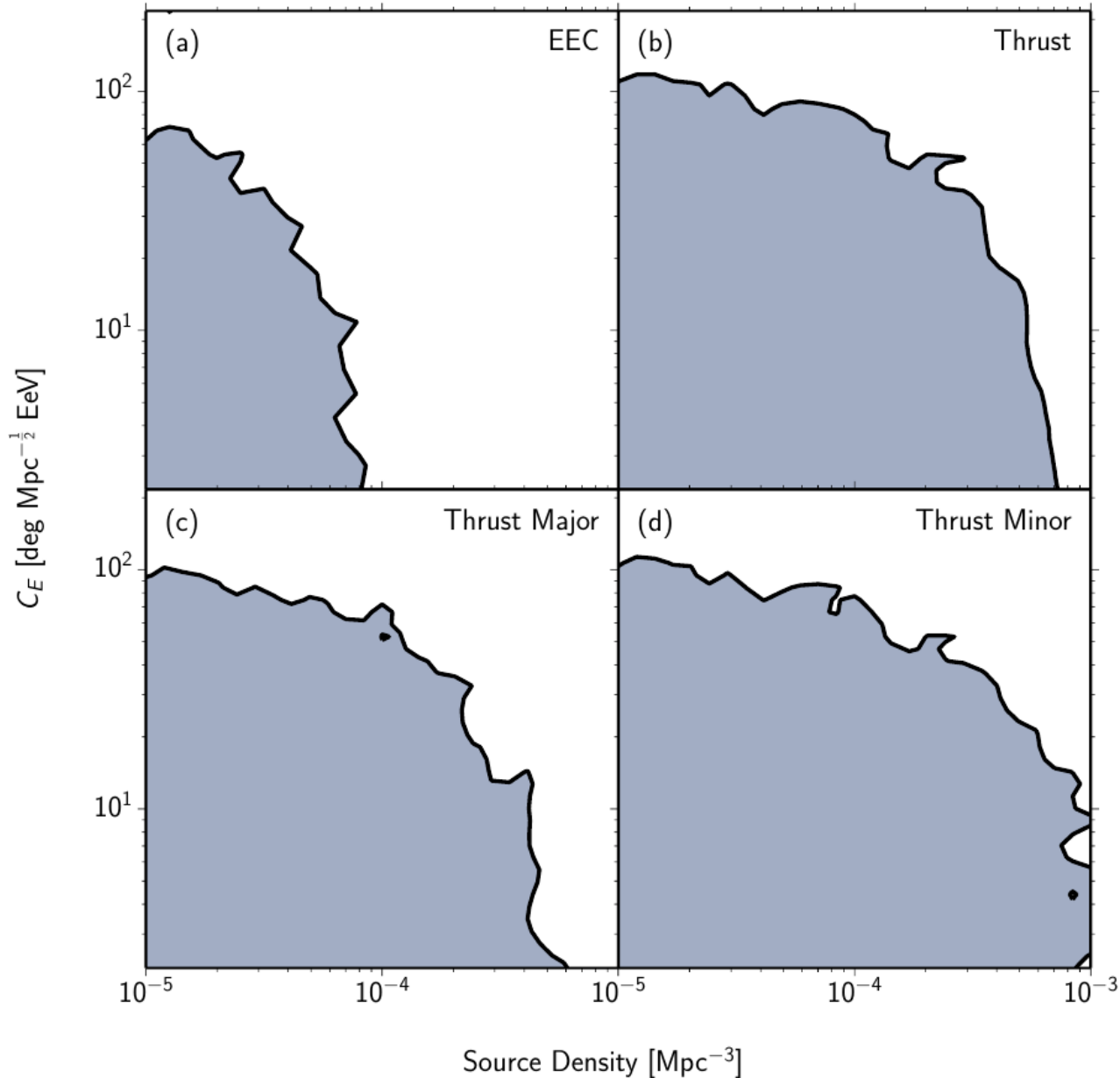


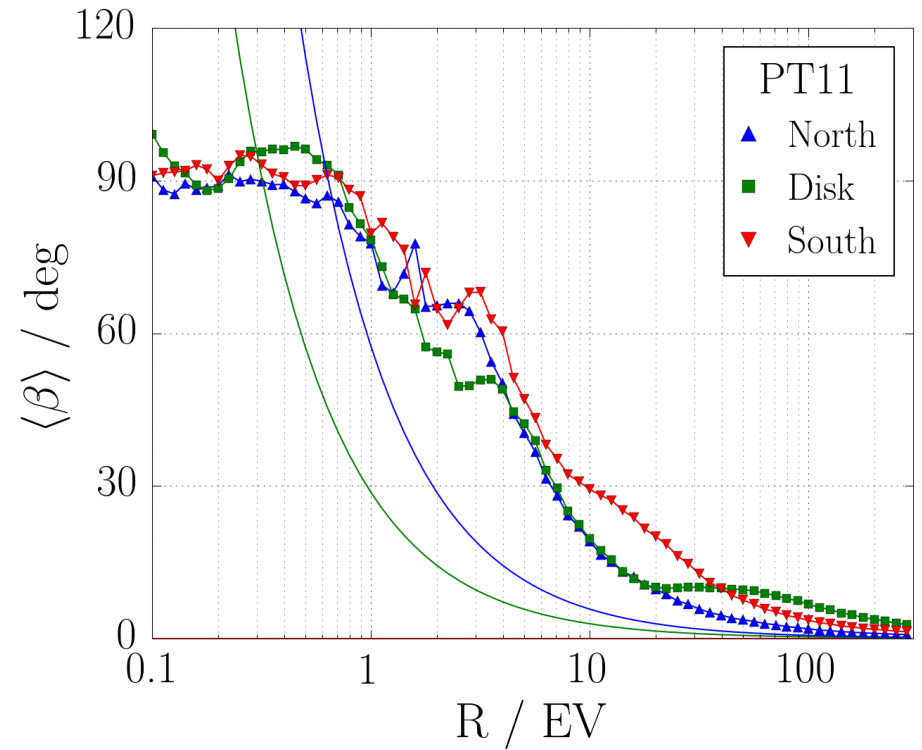
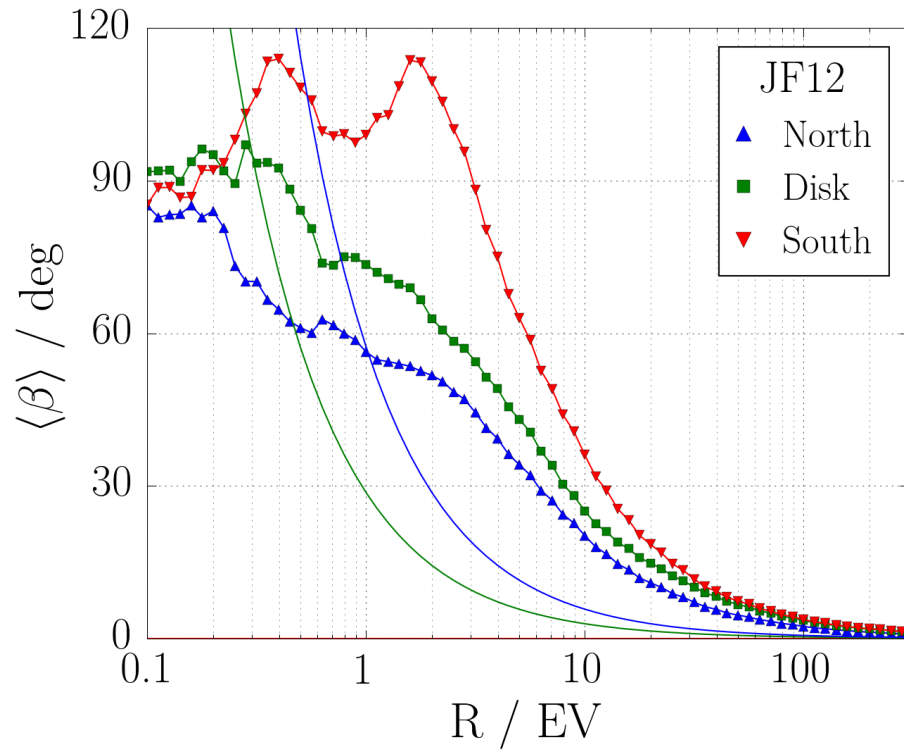
Figure 4.2: Successive calculation of the thrust observables $T_{1,2,3}$ and axes $\vec{n}_{1,2,3}$ in three steps (a–c). Dots mark arrival directions of UHECR with energy denoted by the color.

Limits on extragalactic scenarios

$$C_T = C_E \cdot \sqrt{D}$$



Coherent deflection parameter



$C_C = 0.5 \text{ rad EeV}$

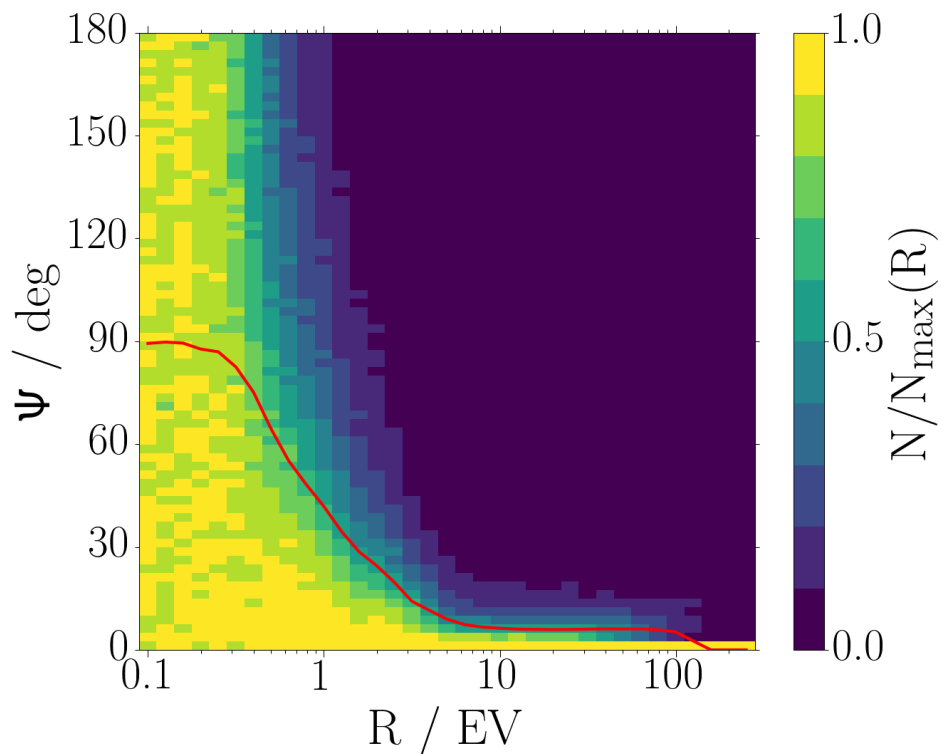
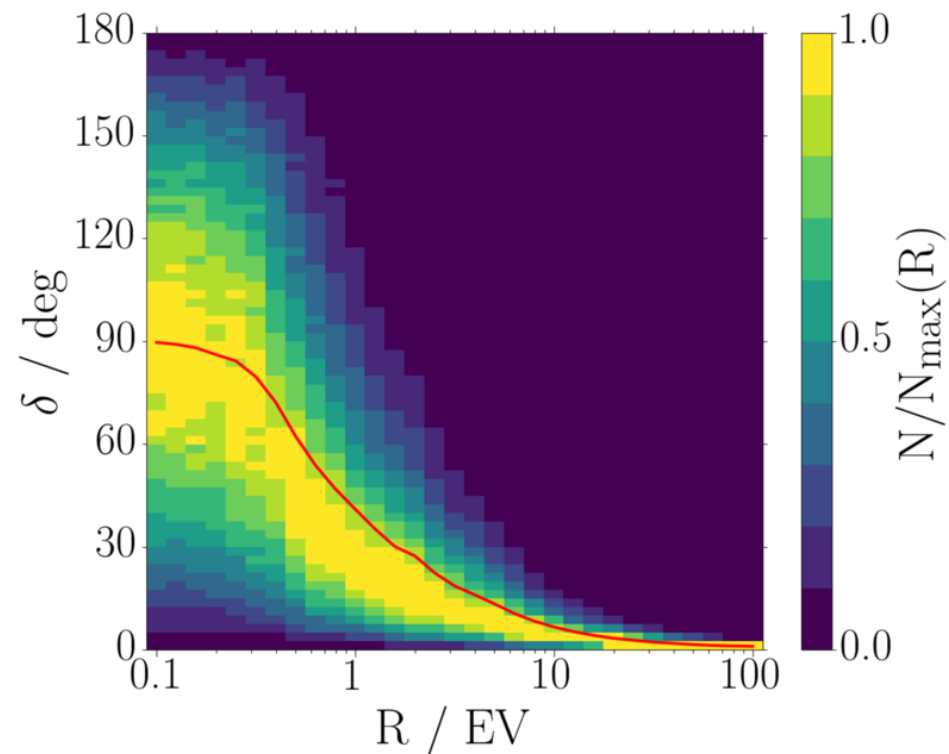
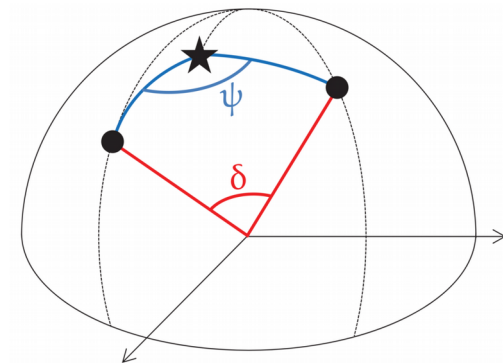
$C_C = 1.0 \text{ rad EeV}$

Turbulent deflection parameter

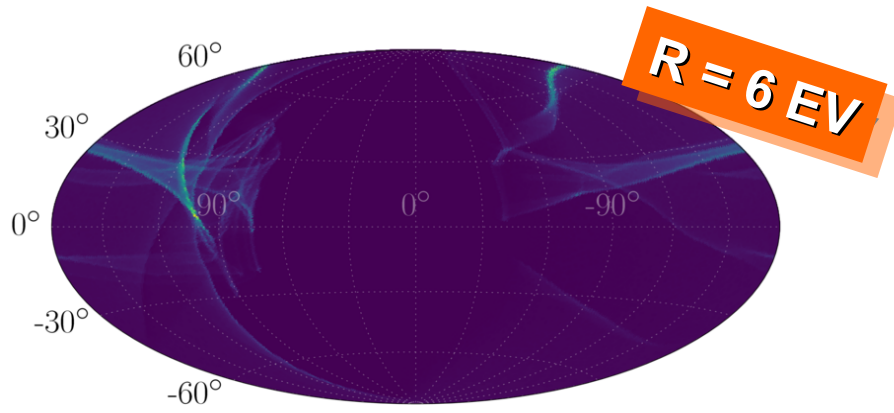
$$\delta_{\text{RMS}} \simeq \frac{C_{\text{T}}}{E}. \quad (7)$$

A value of $C_{\text{T}} = 1 \text{ rad EeV}$ is equivalent to an RMS of the deflection angle $\delta_{\text{RMS}} = 5.7^\circ$ for 10 EeV particles. For example, using the usual parametrization for deflections in turbulent magnetic fields [26, 27] this corresponds to the expected deflection of 10 EeV protons from a source at a distance $D \approx 16 \text{ Mpc}$ propagating through a turbulent magnetic field with coherence length $\Lambda \approx 1 \text{ Mpc}$ and strength $B \approx 4 \text{ nG}$.

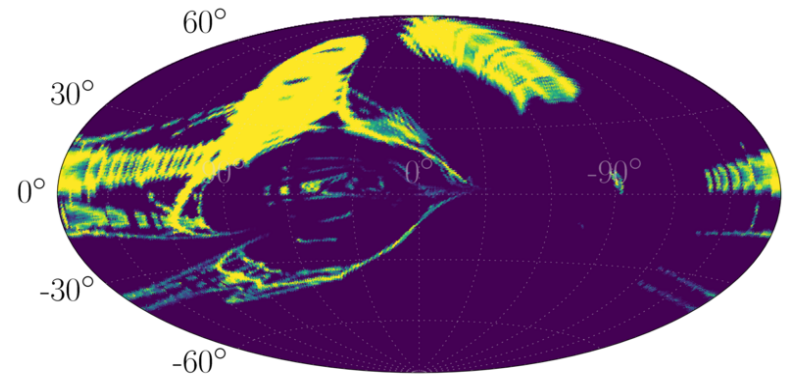
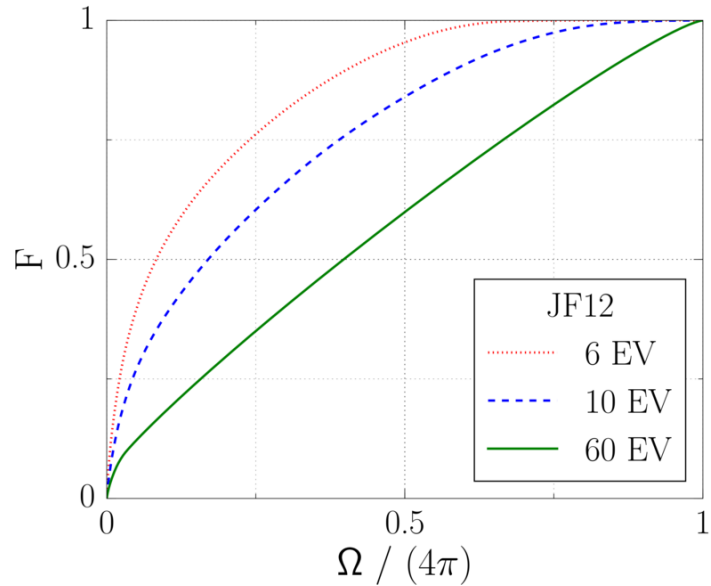
Two realizations of random fields - striated and turbulent (JF12)



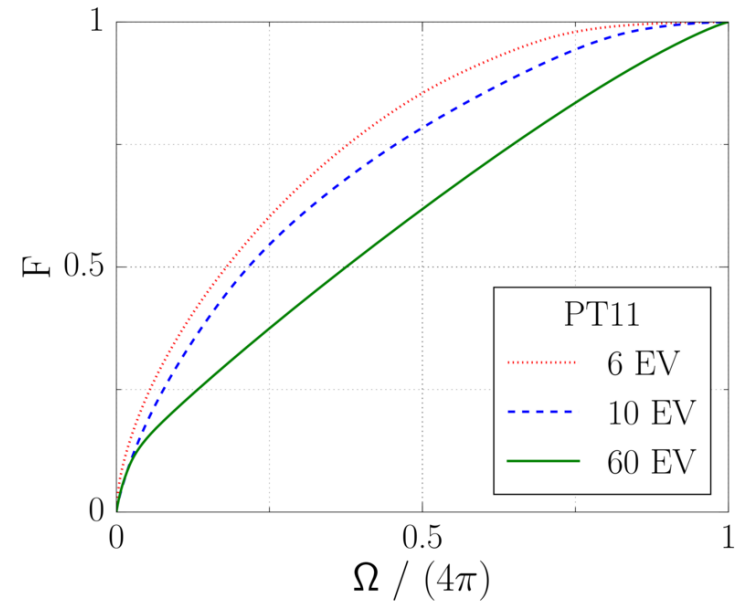
Field transparency



p

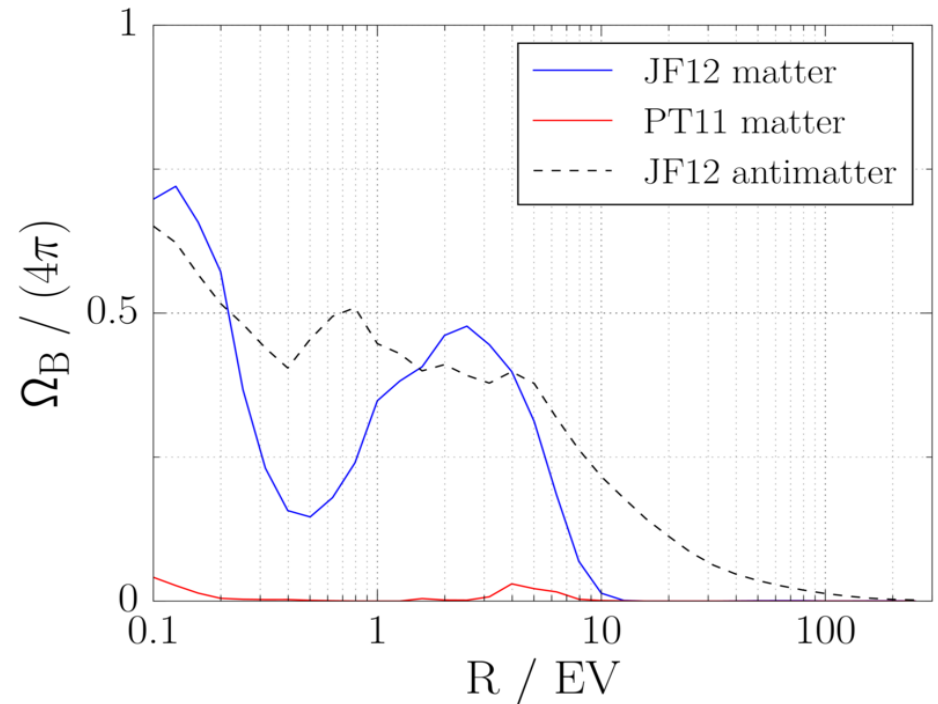
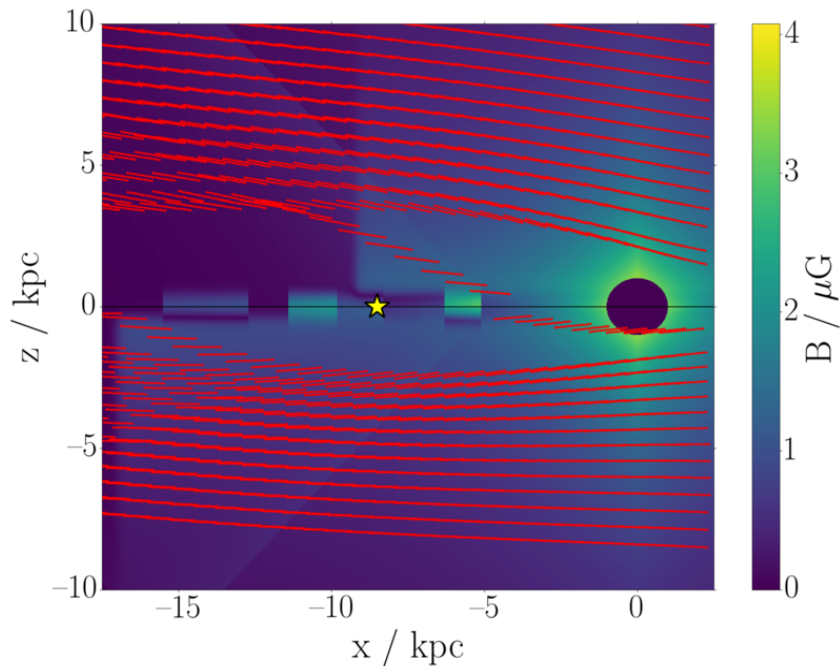


f



Blind regions

- ✗ Blind spot for antimatter in JF12 field even at high energies
- ✗ For energies below $E \approx 10$ EeV: blind regions also for matter



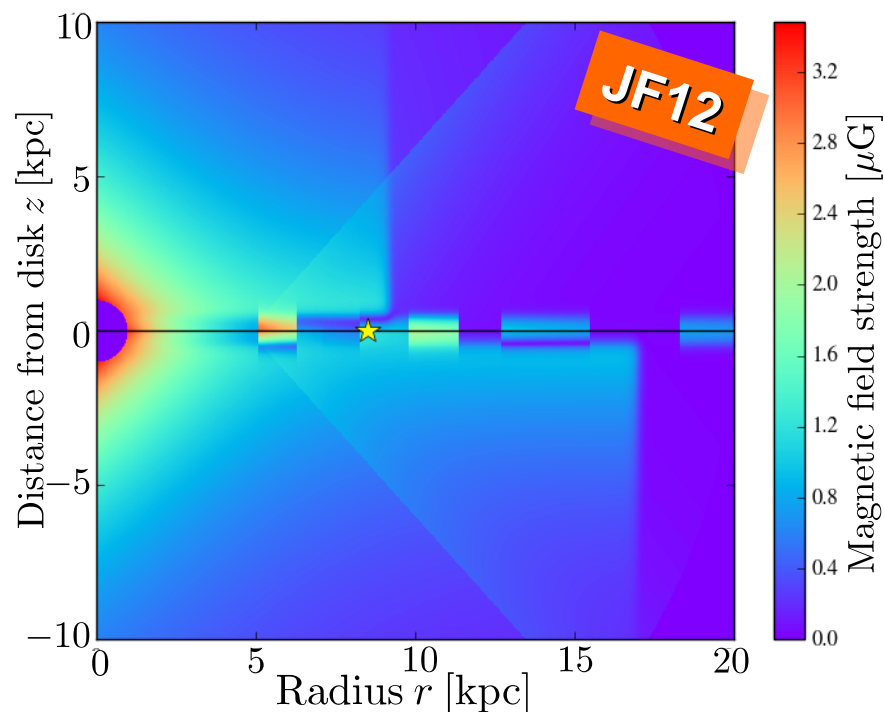
Gyro-radius

High energy gyro-radius:

$$R_{gyro} \approx \frac{1.1}{Z} \cdot \frac{E[EeV]}{B[\mu G]}$$

Example: 6 EeV proton
and $B = 2 \mu G$:

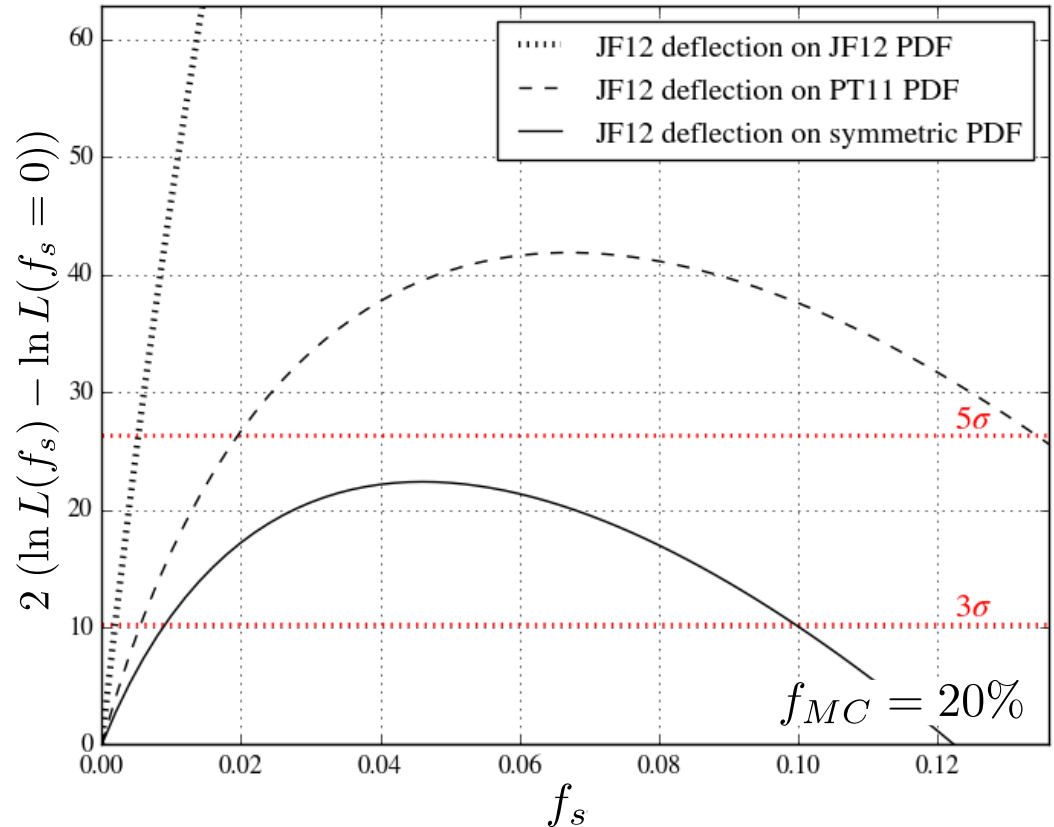
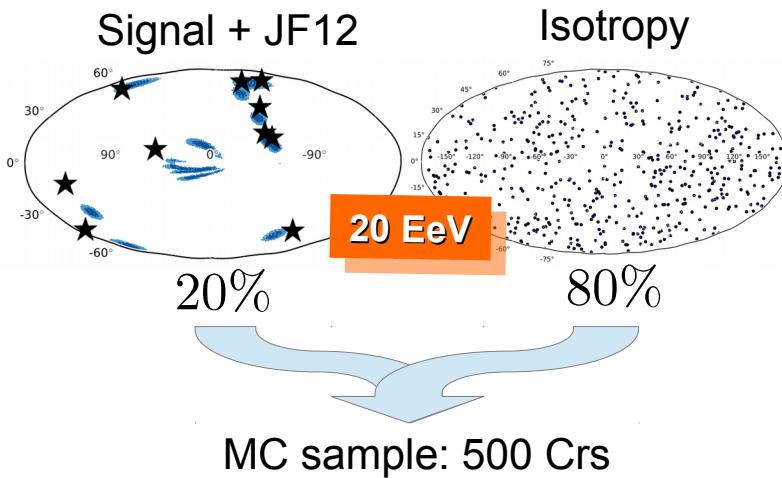
$$R_{gyro} \approx 3 \text{ kpc}$$



Search for cosmic ray origin

Plug in assumed probability density function (PDF)

$$\ln L(f_s) = \sum_{i=1}^N \ln [f_s P(R, l_i, b_i, l'_i, b'_i) + (1 - f_s) B]$$



✗ Testing for $P(R, l_i, b_i, l'_i, b'_i)$ different probability density functions (PDF)

➡ PT11 instead of symmetric PDF improves sensitivity!

Significances

Plug in assumed probability density function (PDF)

$$\ln L(f_s) = \sum_{i=1}^N \ln [f_s P(R, l_i, b_i, l'_i, b'_i) + (1 - f_s) B]$$

