

# Exotic low-yield nuclear recoil?

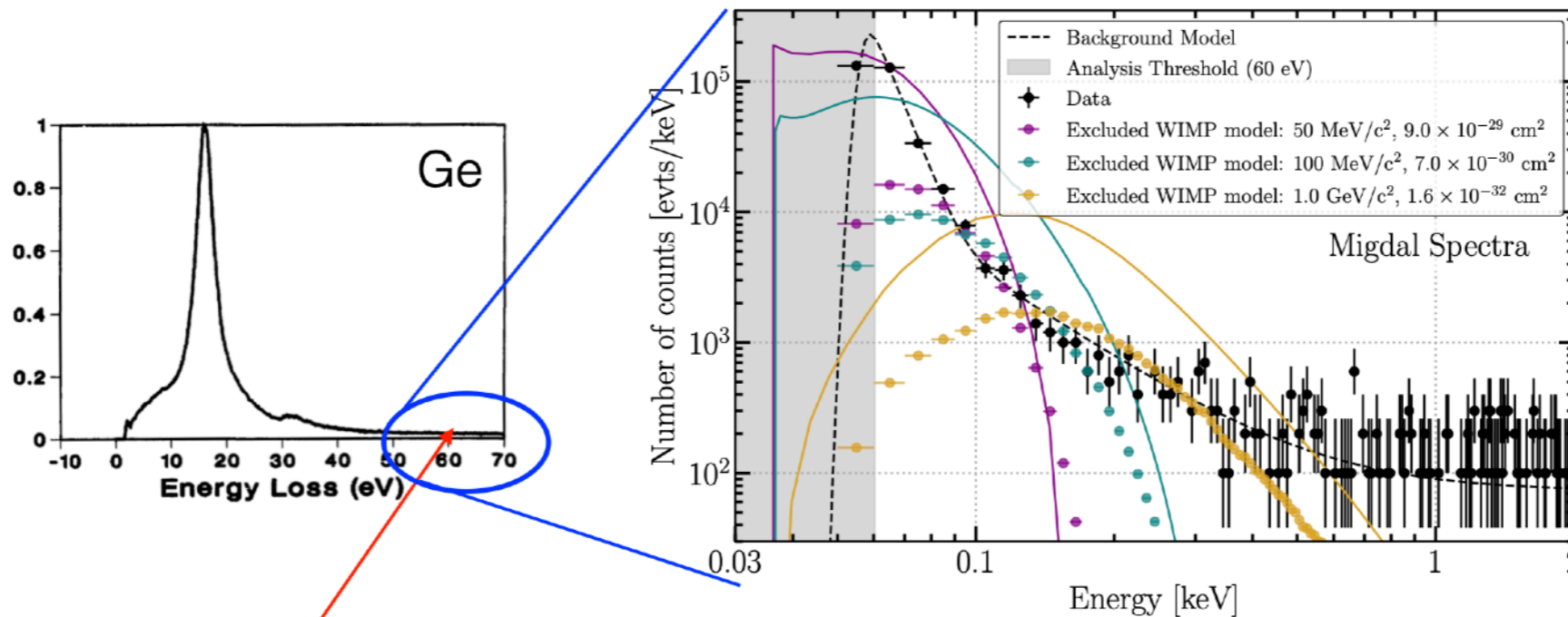
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EXCESS Workshop, 2/16/21



# 2 years ago...

A plasmon might look like this...



note the huge tail  
on a **linear** scale!

EDELWEISS surface (2019)  
Germanium detector

[Aspen, 2/19/20, shortly before the end of the world...]

# 2 years ago...

## Something is making a plasmon at the same rate everywhere in semiconductor detectors

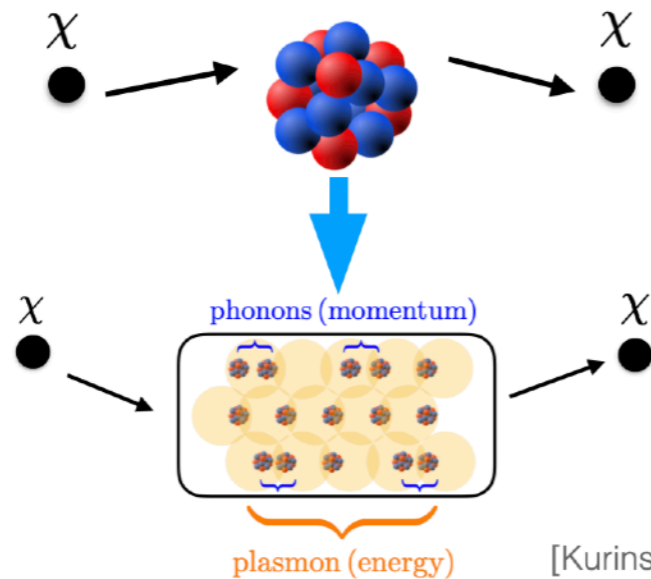
Can it be dark matter?

To excite plasmon, need small  $q$  for fixed  $\omega \implies v \gtrsim 10^{-2}$

Faster than escape velocity! Either need fast DM, or indirect excitation

Two scenarios consistent with data so far:

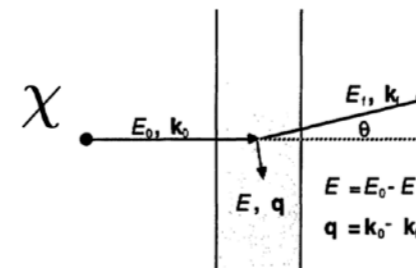
Indirect plasmon excitation



[Kurinsky, Baxter, YK, Krnjaic, 2002.06937]

Fast and millicharged

DM is like an electron, with a long-range force. Identical dynamics to EELS: not a 2-body scattering process!



[Aspen, 2/19/20, shortly before the end of the world...]

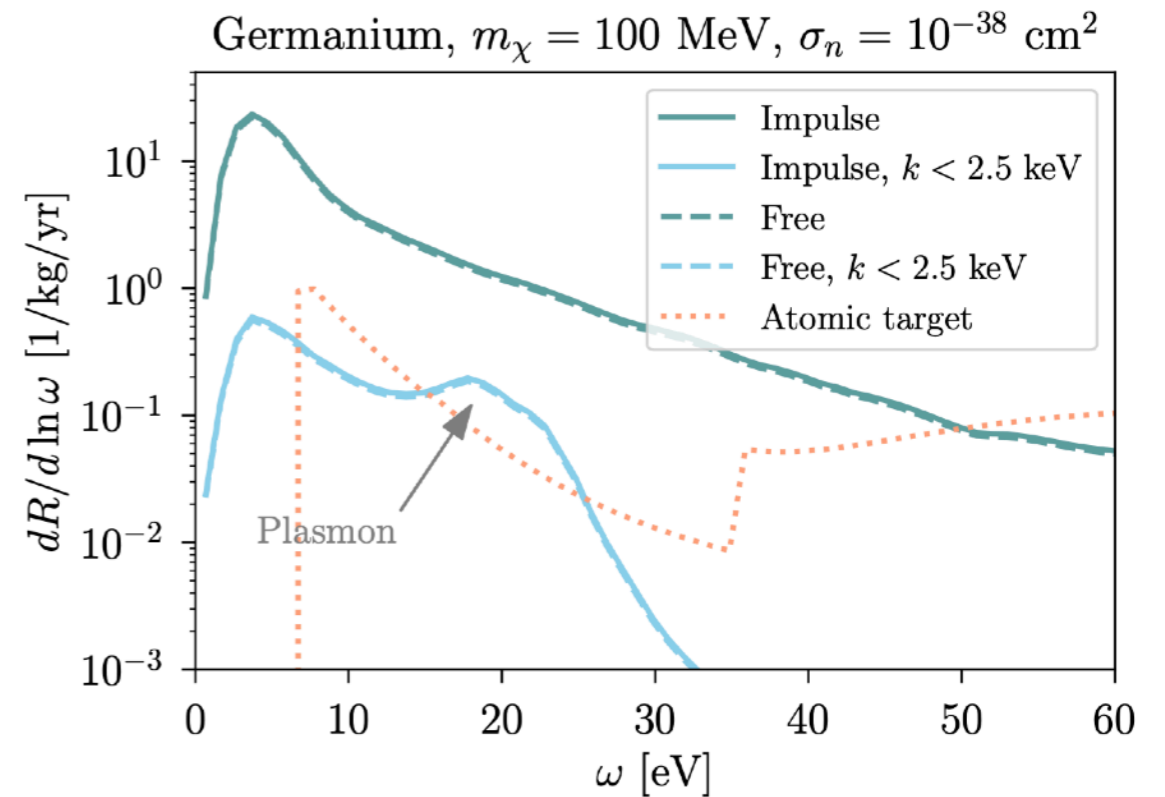
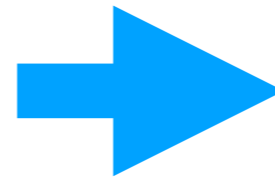
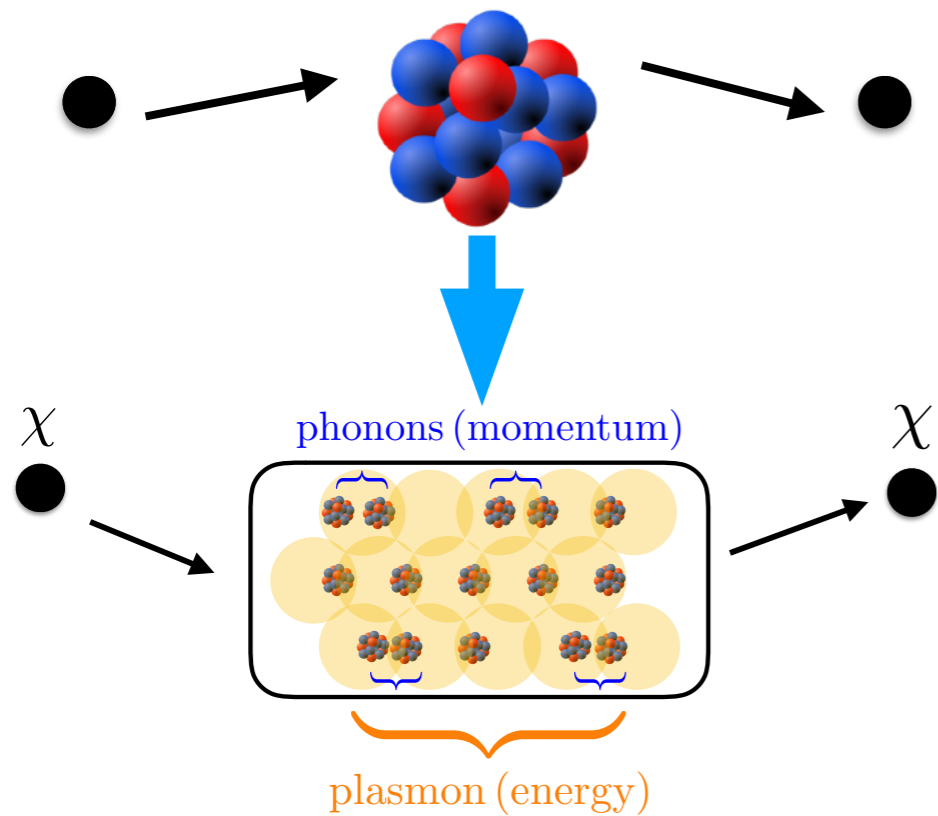
# 2 years ago...

- **There are lots of low-energy excesses**
- **The semiconductor rates are similar everywhere, regardless of overburden, exposure, or detector**
- Semiconductor events are a mix of heat and charge which does not match traditional ER or NR yields
- Every semiconductor event is a plasmon excitation
- Dark matter is exciting a plasmon in semiconductors and possibly a combination of electron recoil and Migdal ionization (at lower rates) in noble liquids
- We've been seeing dark matter for the past 10 years?



[Aspen, 2/19/20, shortly before the end of the world...]

# Probably not plasmons

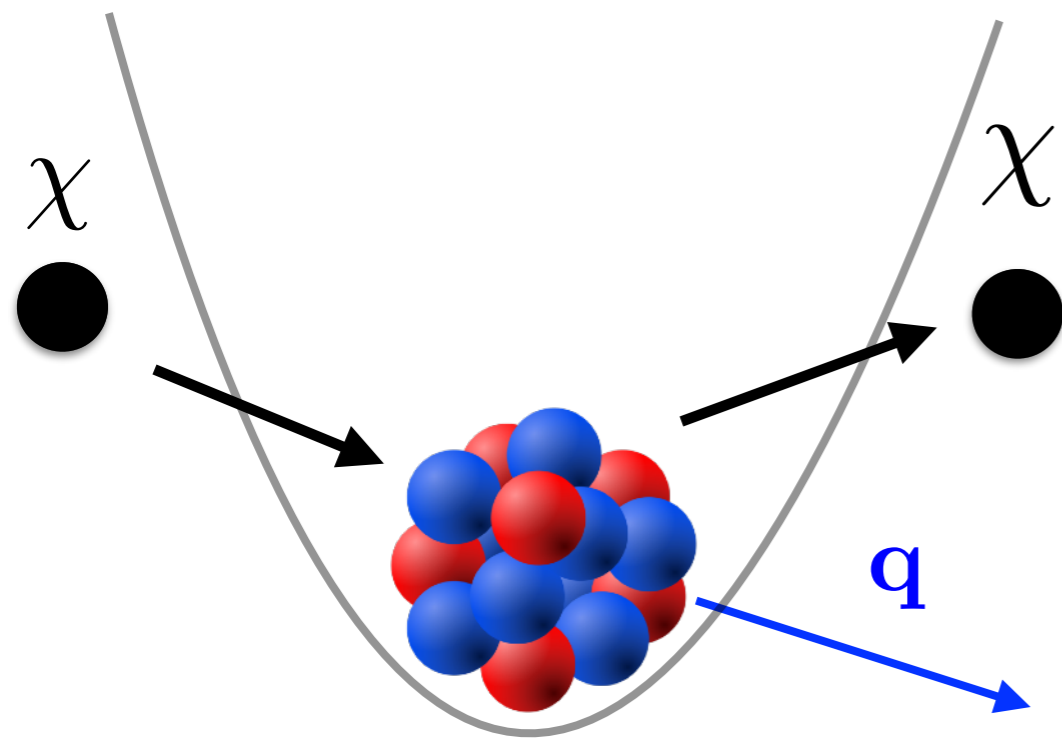


[Kurinsky, Baxter, Kahn, Krnjaic, PRD 2020]

[Knapen, Kozaczuk, Lin, PRL 2021]

Plasmon is just a very subdominant piece of the Migdal effect: spectrum has the wrong shape! (More on this in Yutaro's talk)

# Probably not NR below displacement energy



$$\phi_0(\mathbf{p}) = (\pi m_N \omega_0)^{-1/4} e^{-\mathbf{p}^2 / q_0^2}$$

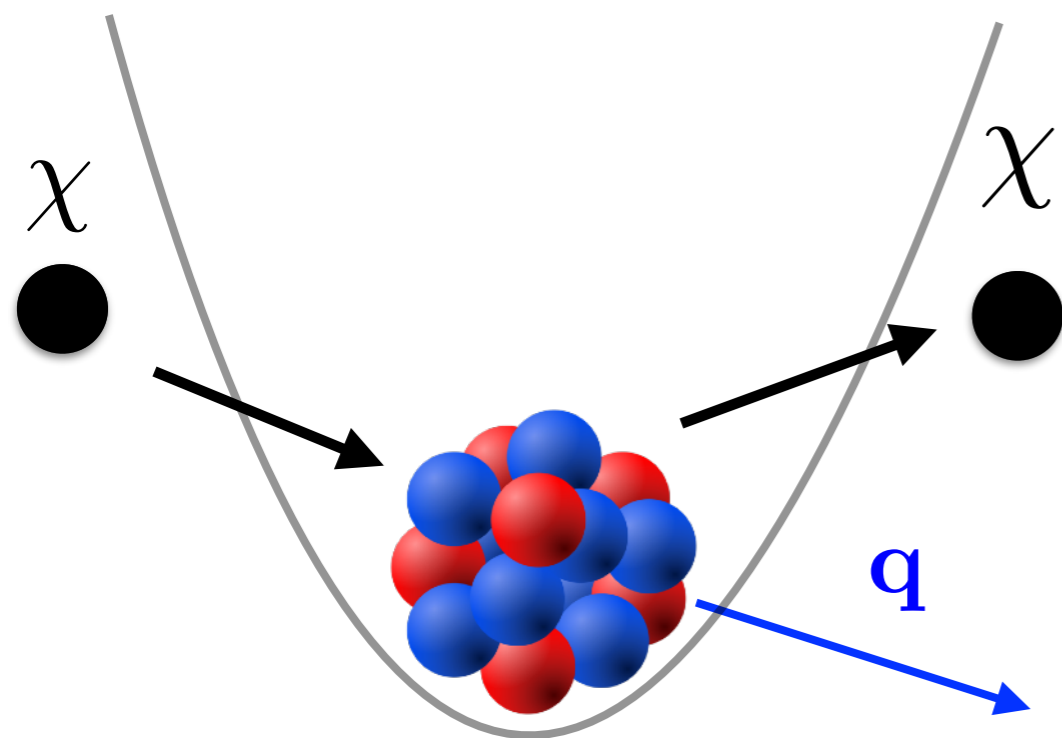
$$q_0 = \sqrt{2m_N \omega_0}$$

(56 keV for Si)

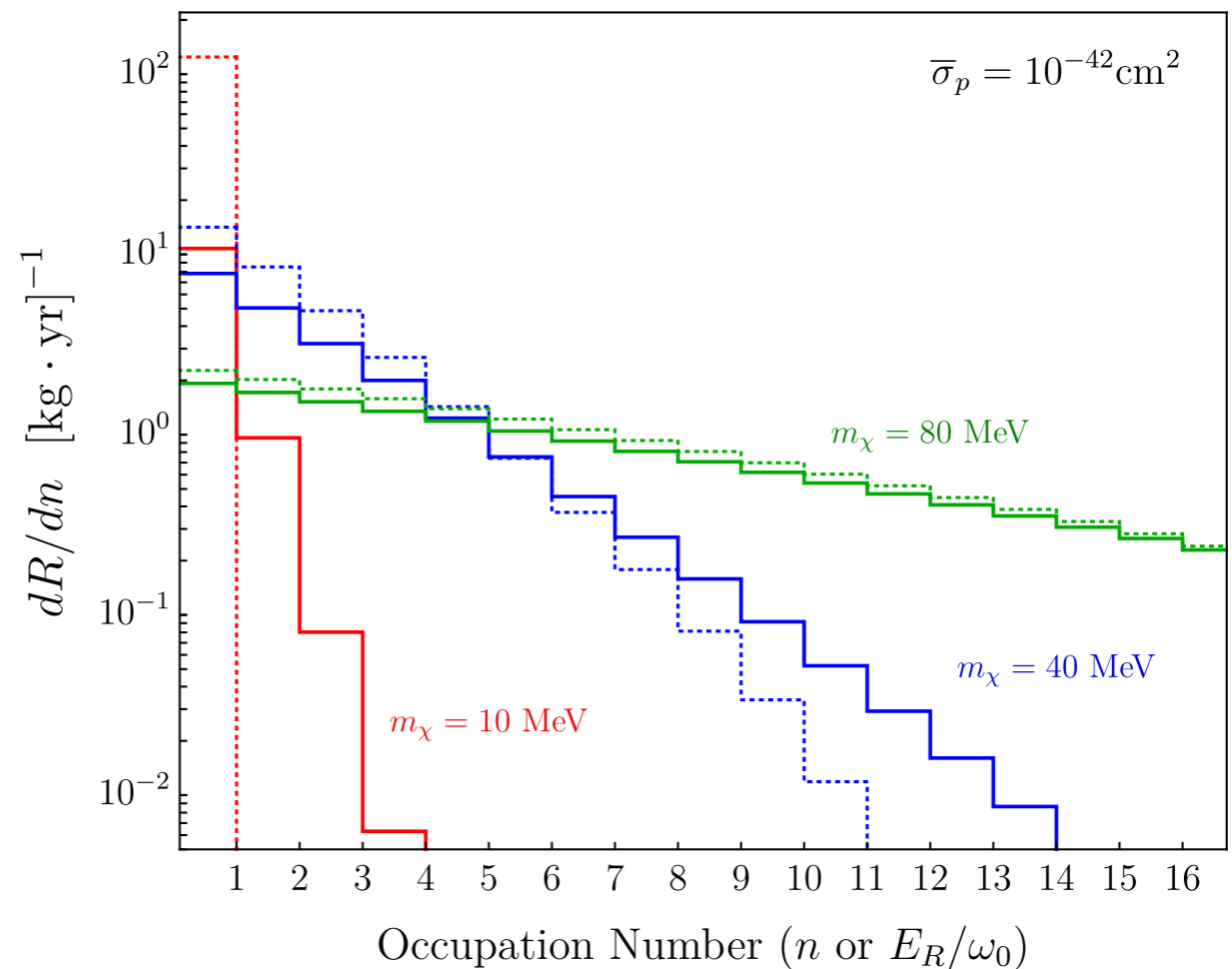
$$V(r) \approx \frac{1}{2} m_N \omega_0^2 r^2,$$

optical phonon  
energy  $\sim 60$  meV

# Probably not NR below displacement energy



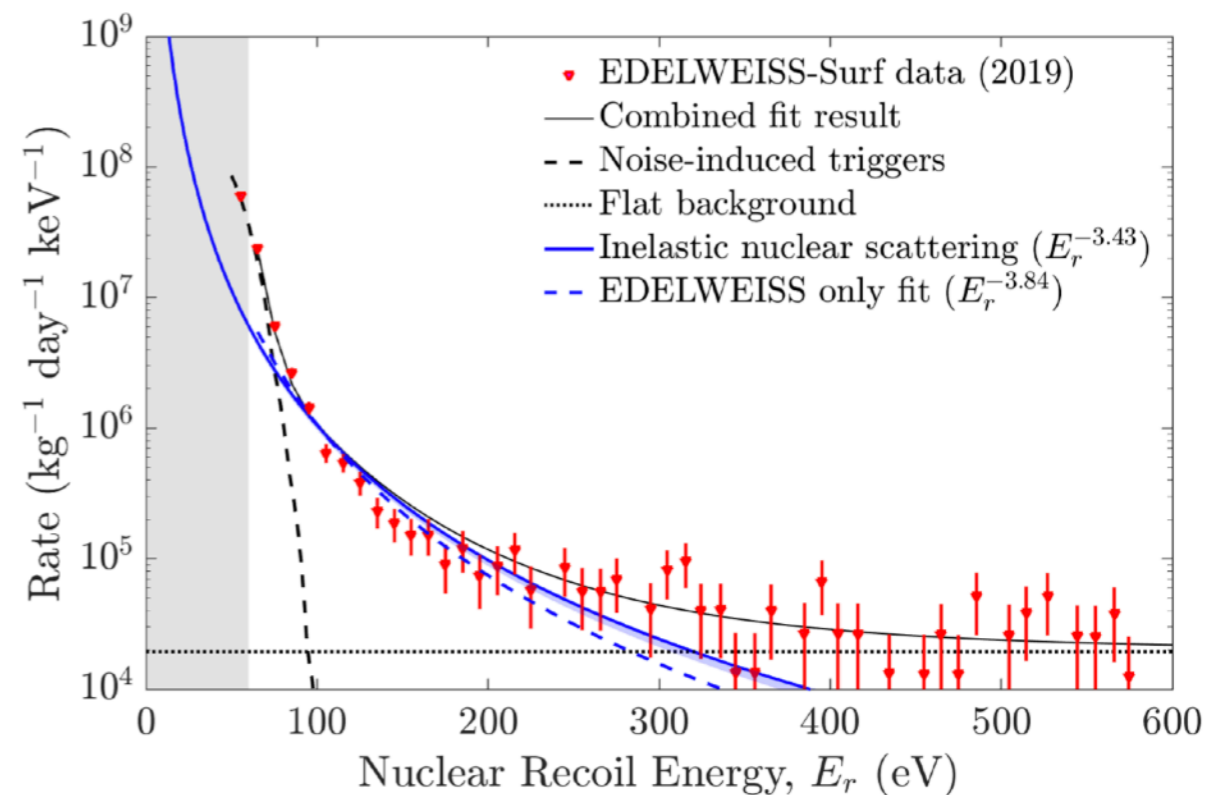
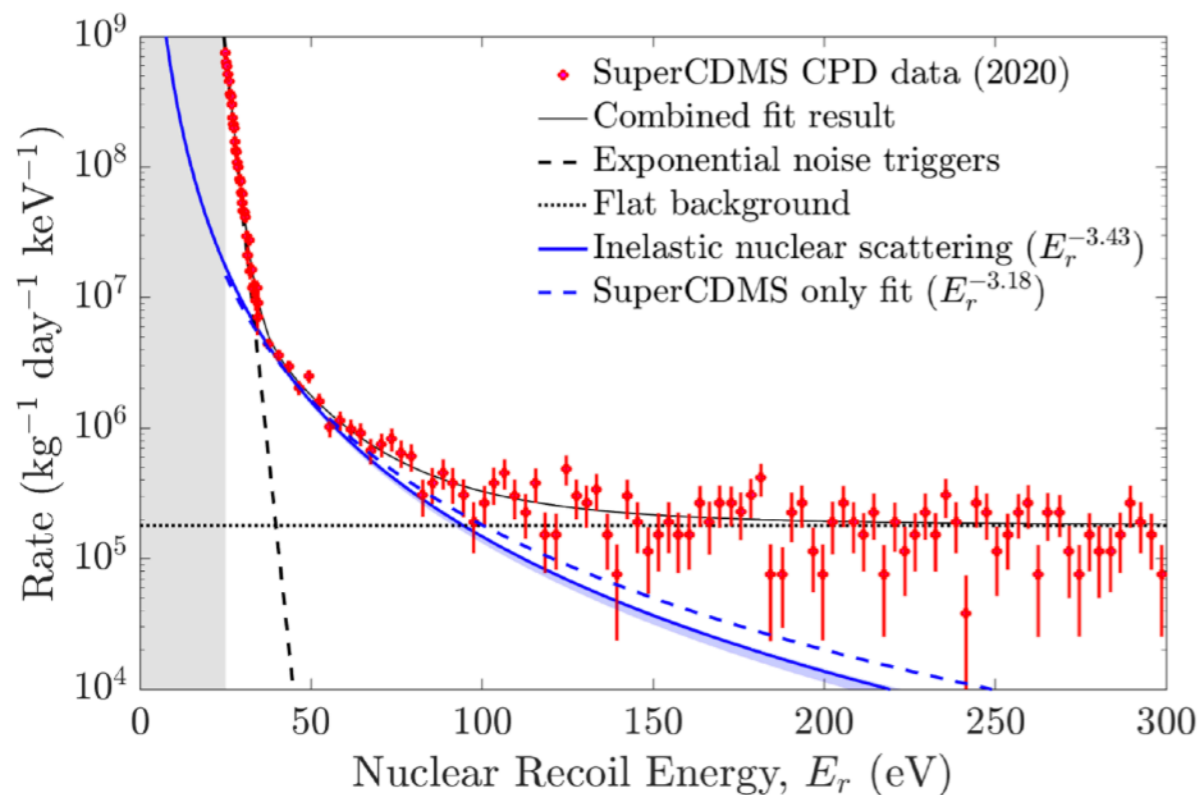
$$V(r) \approx \frac{1}{2} m_N \omega_0^2 r^2,$$



Displacement energy in Si is  $\sim 30$  eV; below this spectrum is just the usual exponential spectrum of elastic NR, with a longer tail



# That said, we were right about the power law!



	$C\kappa_{\text{Si}}^2$ [(kg day) $^{-1}$ keV $^{\alpha-1}$ ]	$C\kappa_{\text{Ge}}^2$ [(kg day) $^{-1}$ keV $^{\alpha-1}$ ]	$\alpha$	$\kappa_{\text{Ge}}^2/\kappa_{\text{Si}}^2$	$\chi^2/d.o.f.$	$p$ -value
Combined fit (Fig. 1)	$10.8_{-2.6}^{+5.6} \times 10^{11}$	$7.9_{-2.3}^{+5.0} \times 10^{12}$	$3.43_{-0.06}^{+0.11}$	$7.2_{-0.6}^{+0.7}$	227.2/174	0.004
SuperCDMS CPD [7] only	$4.1 \pm 1.5 \times 10^{11}$	n/a	$3.18_{-0.09}^{+0.10}$	n/a	121.5/121	0.471
EDELWEISS-Surf [8] only	n/a	$51.4_{-25.9}^{+44.2} \times 10^{12}$	$3.84_{-0.15}^{+0.13}$	n/a	101.3/52	$5 \times 10^{-5}$

about as perfect a fit as you'll ever find in the real world...



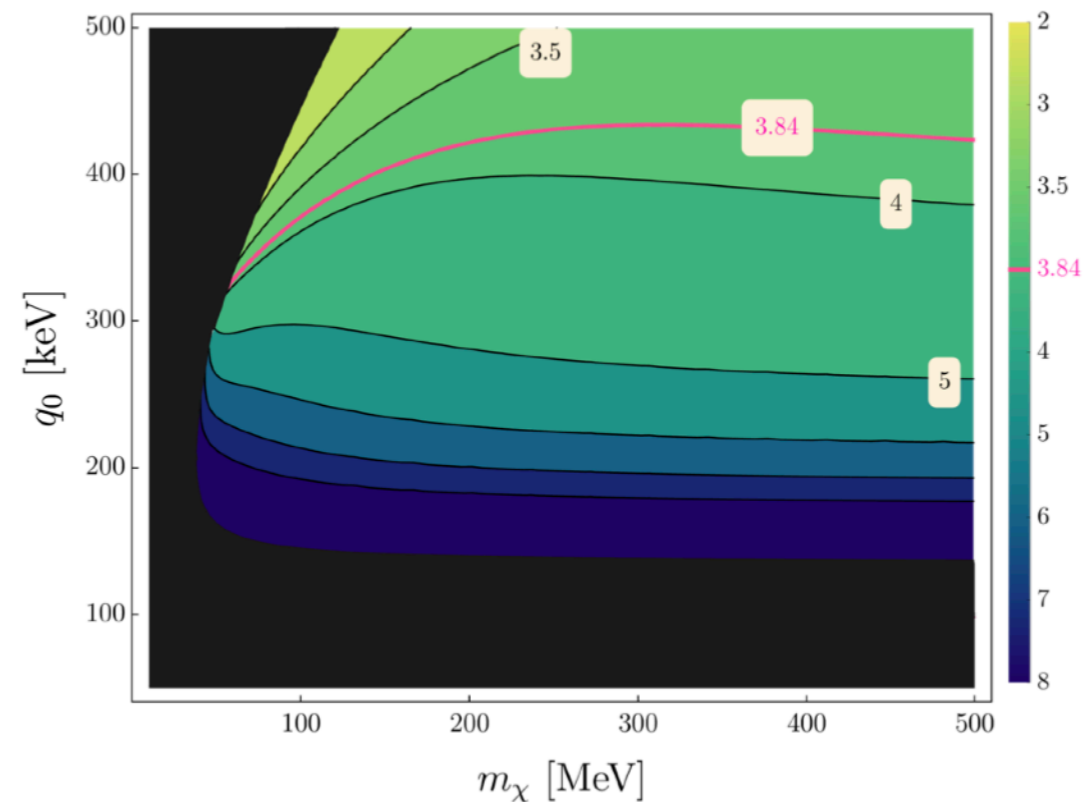
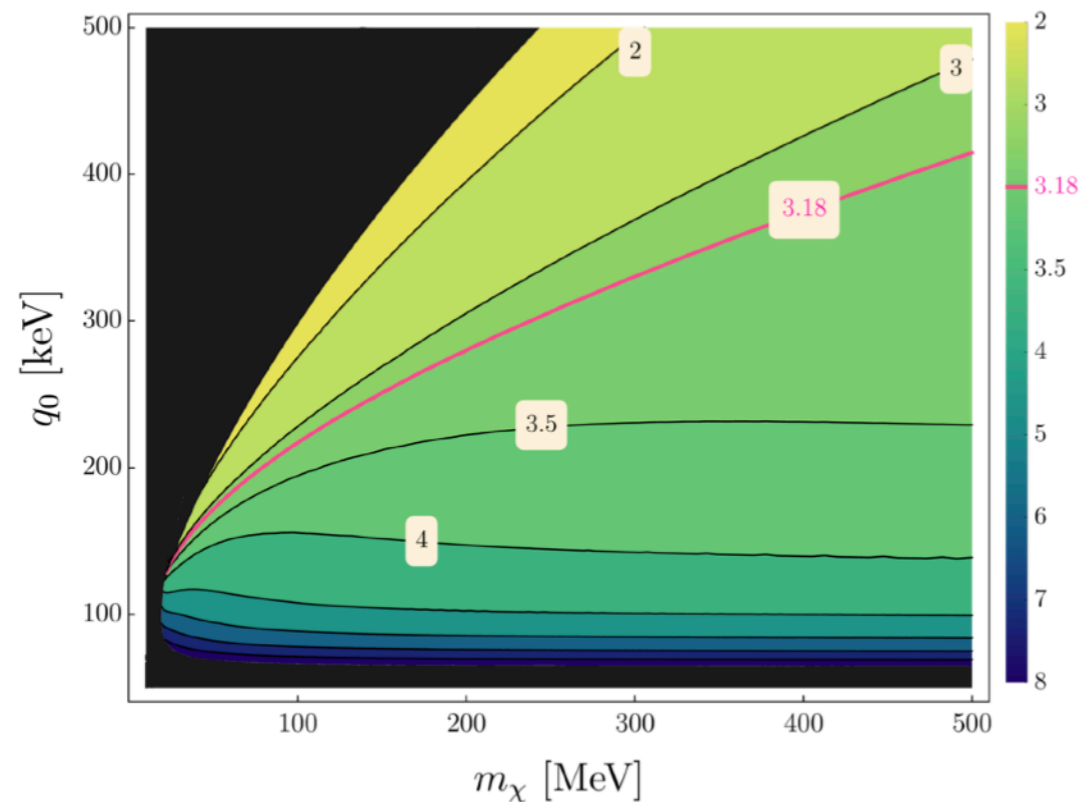
# Even so, probably not exotic NR

For an isotropic material, but otherwise fully general:

$$\frac{dR}{d\omega} = \frac{\rho_\chi}{m_\chi} \frac{\kappa^2 \bar{\sigma}_n}{2\mu_{\chi n}^2} \frac{1}{2\pi\rho_T} \int dq q S(q, \omega) \eta(v_{\min})$$

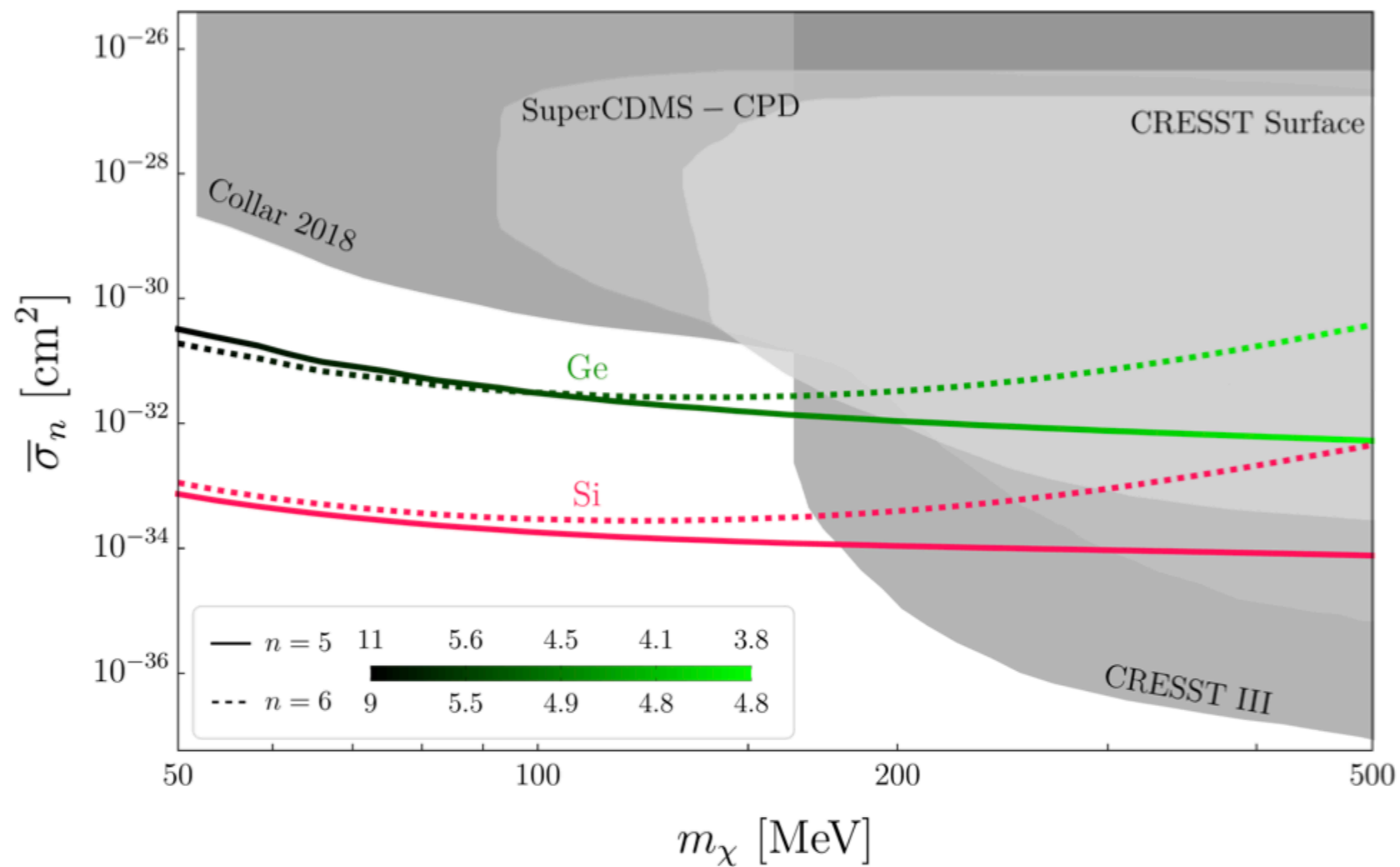
$$S(\mathbf{q}, \omega) = 2\pi n_0 S(\mathbf{q}) \delta\left(\omega - \frac{q^2}{2m_N S(\mathbf{q})}\right)$$

$$S(q) = A_q (q/q_0)^n \implies \frac{dR}{d\omega} \propto \omega^{-\frac{2n}{n-2}}$$



# Even so, probably not exotic NR

Works fine for Si, but **no way to make this consistent with Ge.**



Same kinds of arguments rule out CR neutrons, solar neutrinos, photons,  
**even with exotic structure factors**