



Latest results from the CUORE experiment

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Physics focus: double beta decay

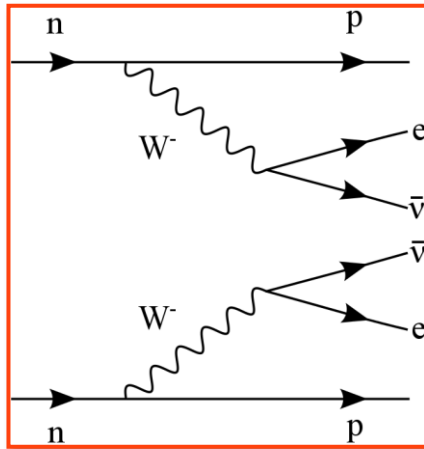
Second order weak process: $(A,Z) \rightarrow (A,Z+2)$

$2\nu\beta\beta$

$$(A,Z) \rightarrow (A,Z+2) + 2e^- + 2\bar{\nu}$$

Predicted and measured

$$T_{1/2}^{2\nu}: 10^{18} - 10^{21} \text{ y}$$

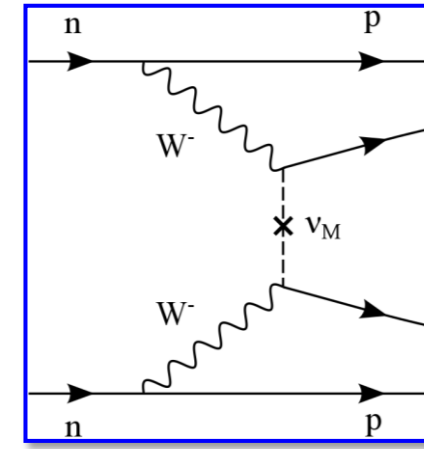


$0\nu\beta\beta$

$$(A,Z) \rightarrow (A,Z+2) + 2e^-$$

Prohibited in SM ($\Delta L = 2$)

$$\text{Limits: } T_{1/2}^{2\nu} > 10^{24} - 10^{26} \text{ y}$$



$$m_\nu \neq 0$$
$$\nu \equiv \bar{\nu}$$

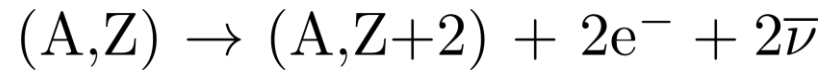
Main goal for the CUORE experiment

Physics focus: double beta decay

Second order weak process: $(A,Z) \rightarrow (A,Z+2)$

Searched in double electron spectra

2νββ:



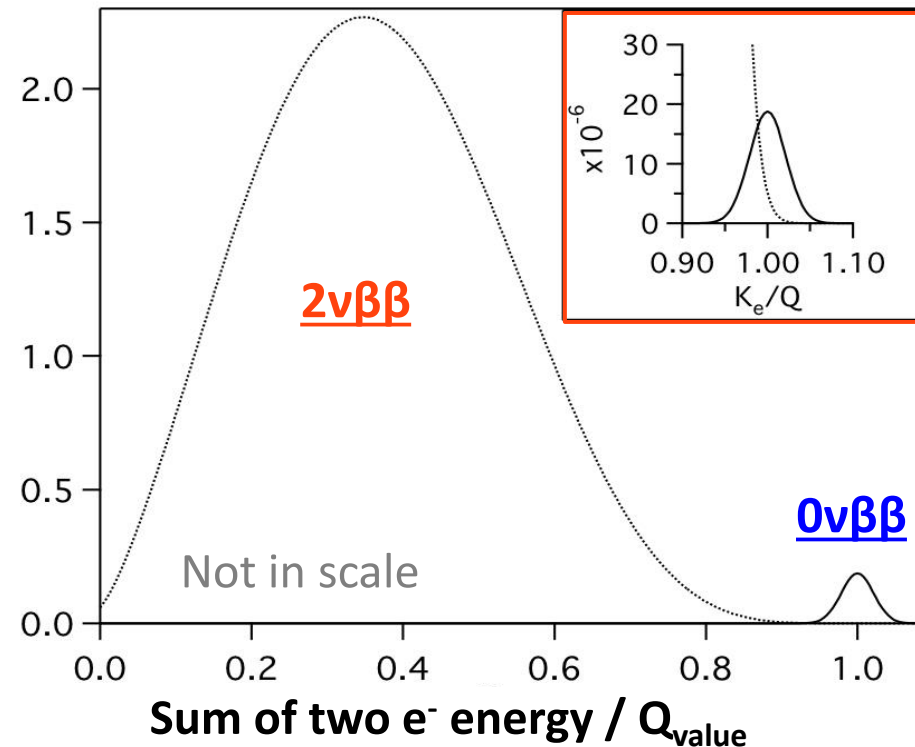
0νββ:



Energy resolution

At the Q_{value}

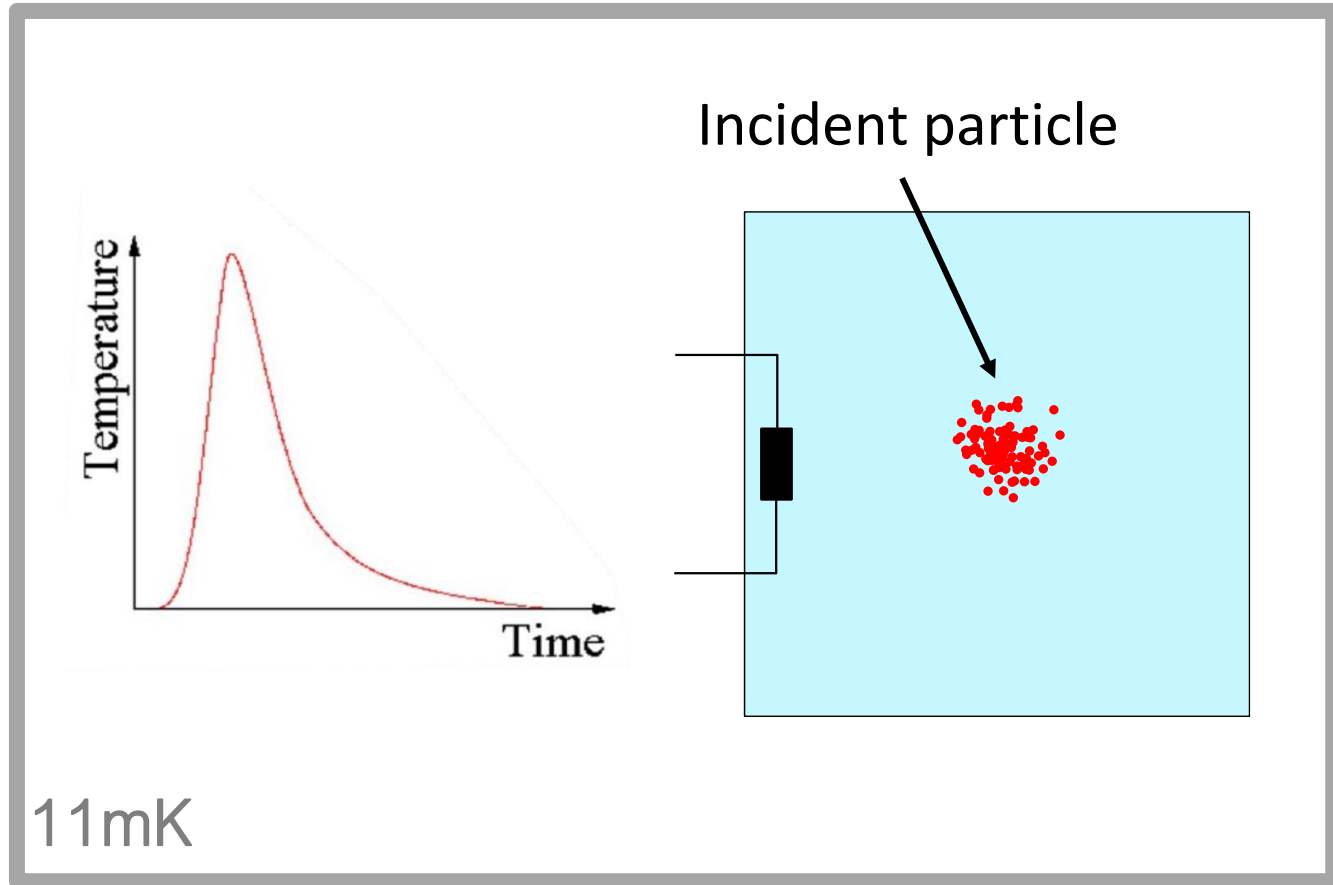
Total energy of the transition



Low Background
Few counts expected

Cryogenic calorimeters: detector concept

Detecting energy as temperature increase



Thermometer is made of neutron transmutation doped germanium

Crystal (TeO_2) containing $0\nu\beta\beta$ candidate (^{130}Te)

Kept at $\sim 10\text{mK}$

Energy deposition
increases temperature

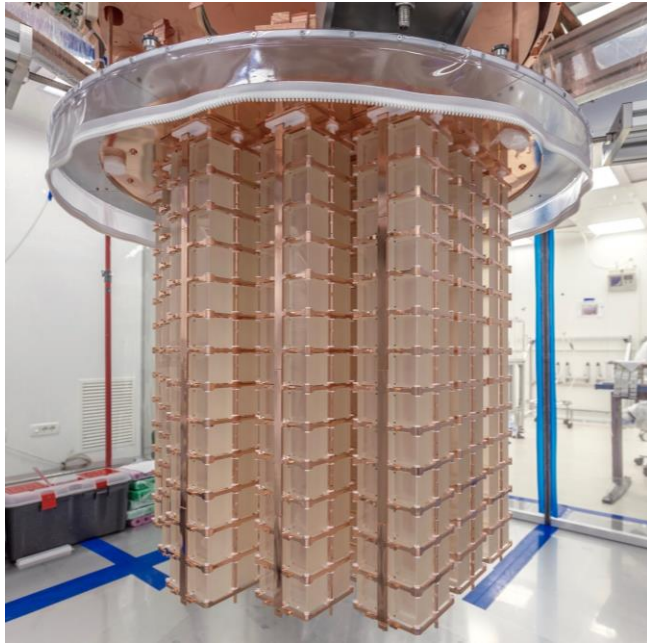
Detected with resistive
thermometer
 μK sensitivity

CUORE detector: 988 crystals simultaneously operated

Cryogenic **U**nderground **O**bservatory for **R**are **E**vents

The first tonne-scale operating cryogenic $0\nu\beta\beta$ decay experiment

Cryogenics 102, 9-21 (2019)

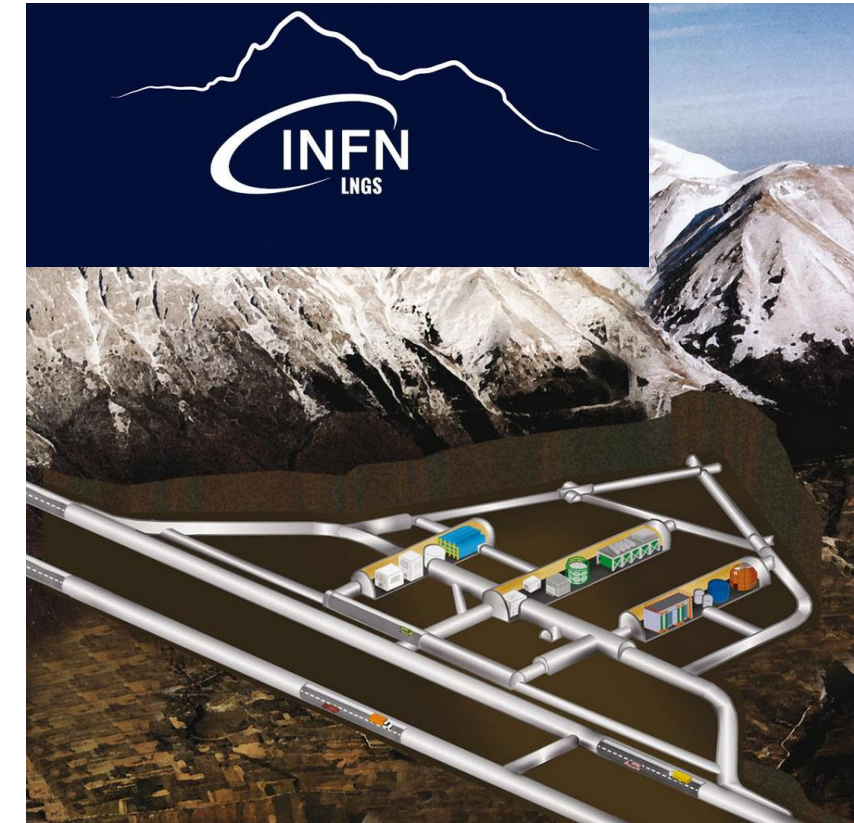


19 towers
→ 13 floors
→ 4 crystals

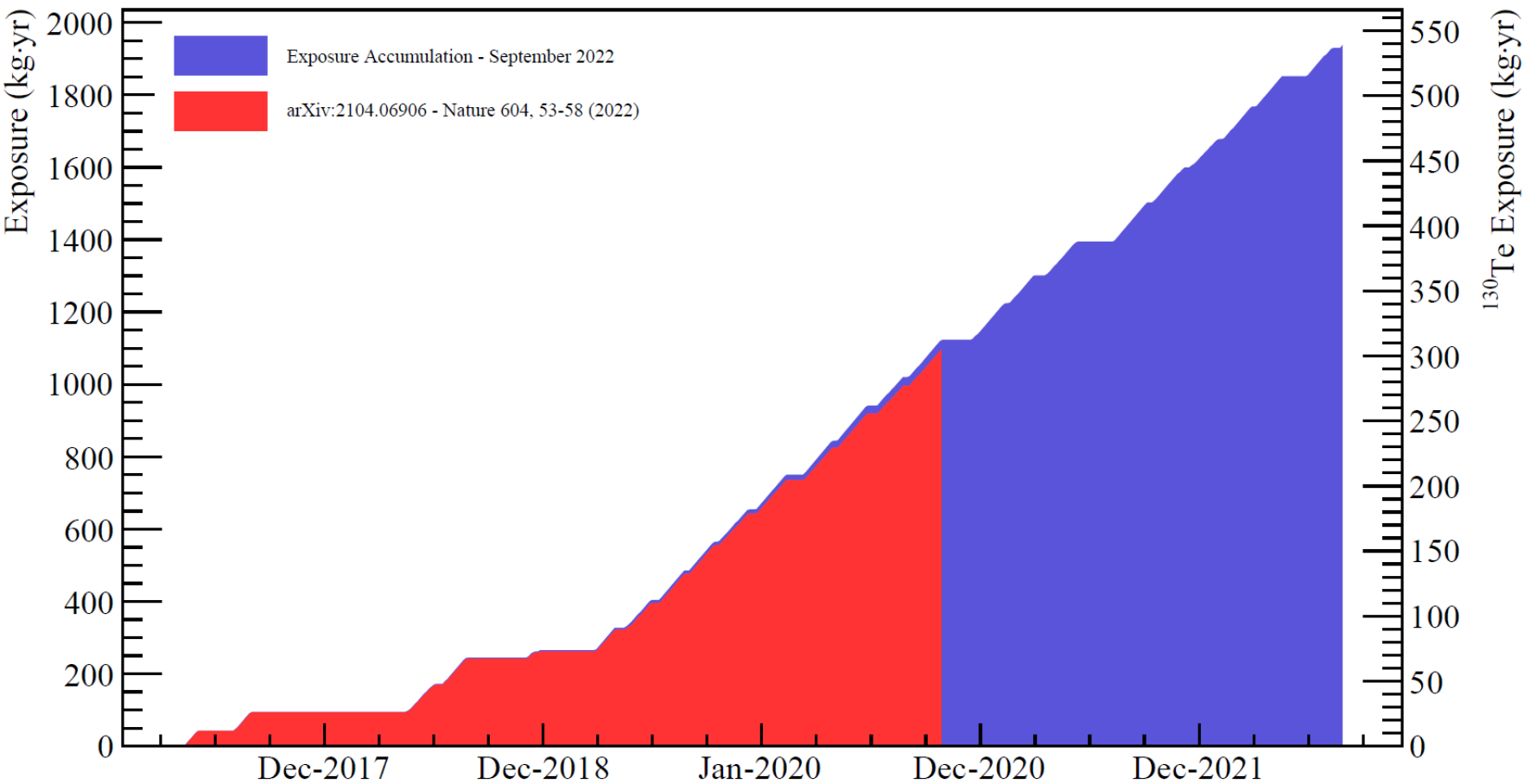
Controlled materials
Clean environment



Custom cryostat for
cryogenic operation



Hosted in Gran Sasso
underground laboratory
Shielding from cosmic rays

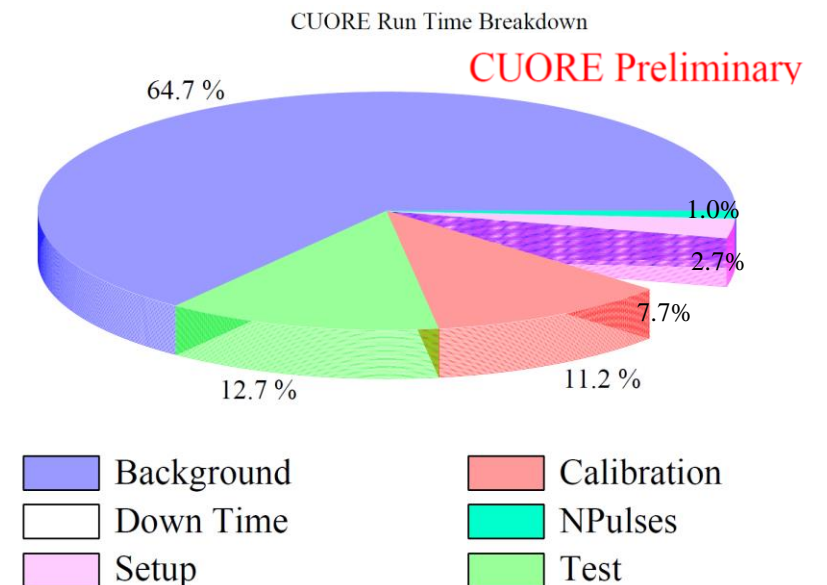


CUORE is taking data stably

Aim: 5 yr of livetime

CUORE has analyzed **1 ton.yr of data**

best limit on $0\nu\beta\beta$ of ¹³⁰Te



The cryogenic system is controlled and functioning

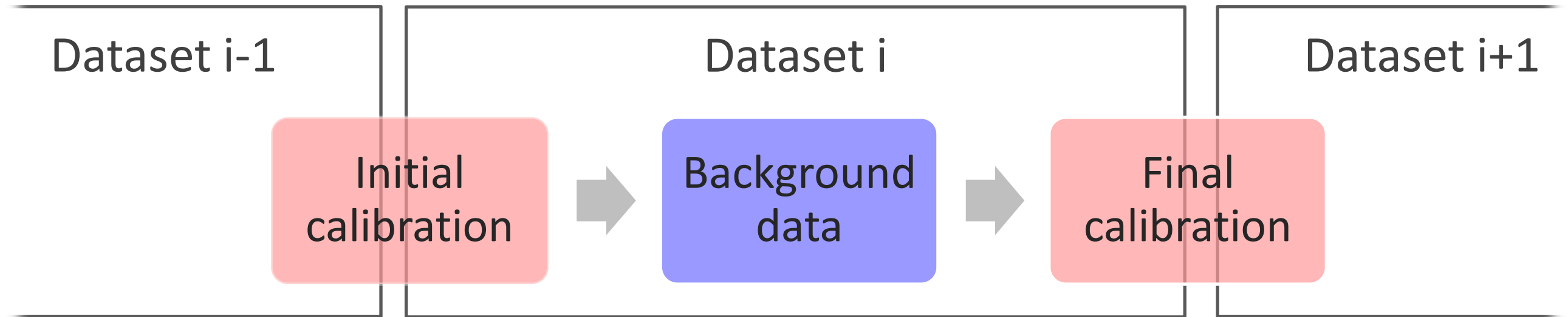
Only 7.7% down time (mostly before 2019) → 92.3% live time

64.7% of total time is **live physics time**

Not including calibration and periodic tests

Data organized in subsequent datasets - O(month)

Delimited by **calibrations** with $^{232}\text{Th}+^{60}\text{Co}$



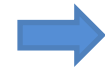
15 datasets included in the analysis
934/988 (94.5%) channels included
on average in the analysis

TeO_2 exposure = 1038.4 kg·y
 ^{130}Te exposure = 288 kg·y

Continuous data



Derivative triggering

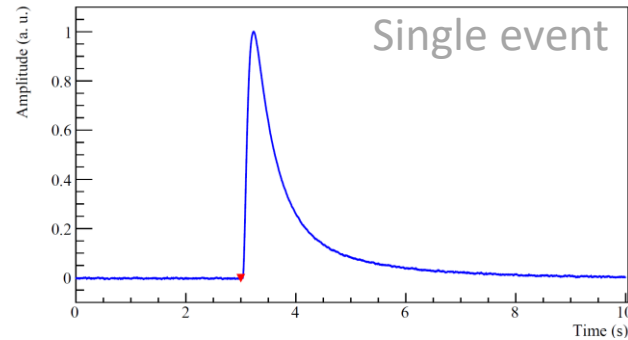


Optimum filter



Digital filter deconvolving the noise

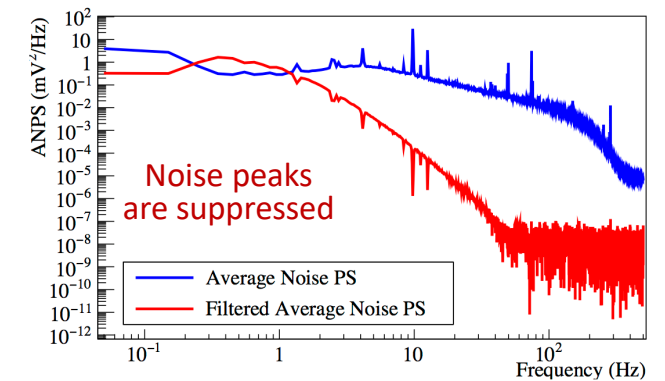
First processing



$$H(\omega) \sim \frac{S(\omega)}{N(\omega)}$$

Average signal
Average noise

Higher weight to signal frequencies



Lower threshold
Better efficiency

Re-trigger with optimum filter



Re - processing

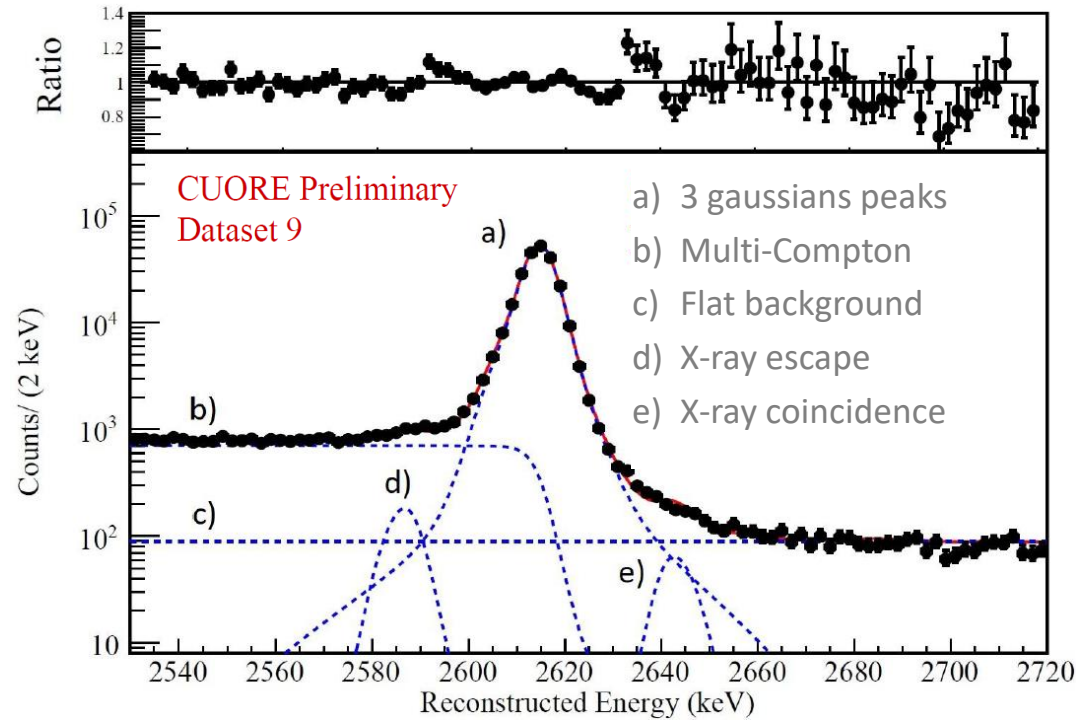
New Optimum filter



Variables used for the physics analyses

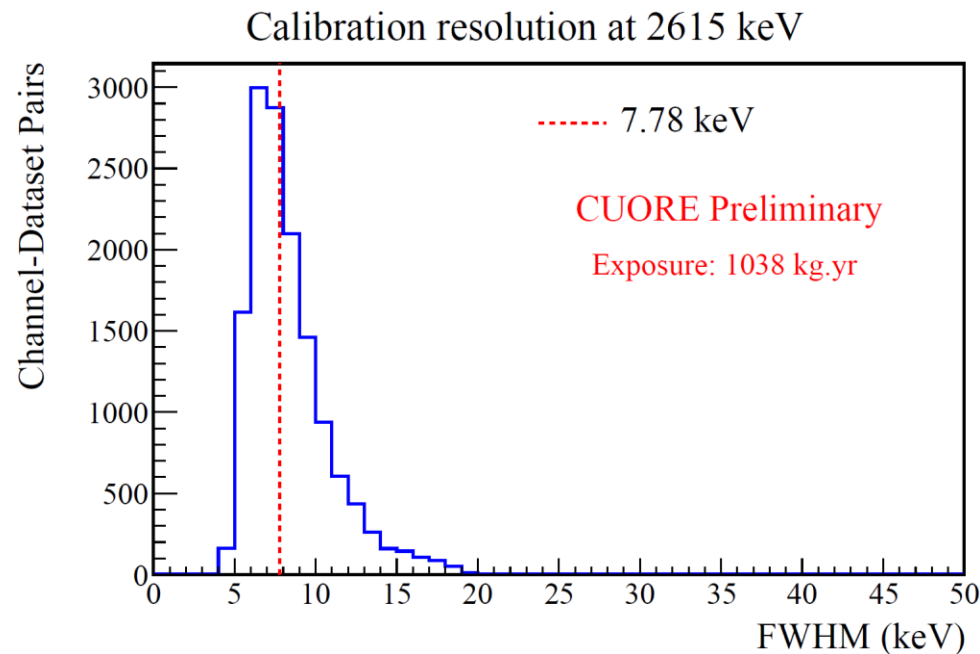
Energy, shape variables, timing ...

Base cut Efficiency = 96.4%



Response modelled on the 2615 keV line from ^{232}Th chain

Accounts for non idealities



Calibration FWHM resolution:

(7.78 ± 0.03) keV at 2615 keV

Background resolution rescaled to the Q_{value} :

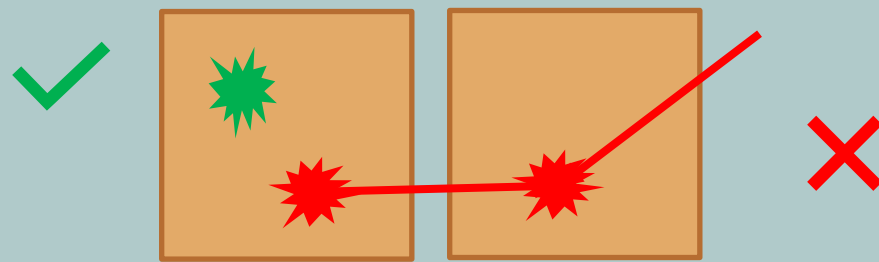
(7.8 ± 0.5) keV at 2527 keV

Preserve only $0\nu\beta\beta$ candidate events with best possible efficiency

Anticoincidence cut (AC)

$0\nu\beta\beta$ leaves all energy in a crystal

Select events accordingly



Time resolution is $\pm 5\text{ms}$

Efficiency = 99.3%

Combined with the probability of a $0\nu\beta\beta$ event in a single crystal

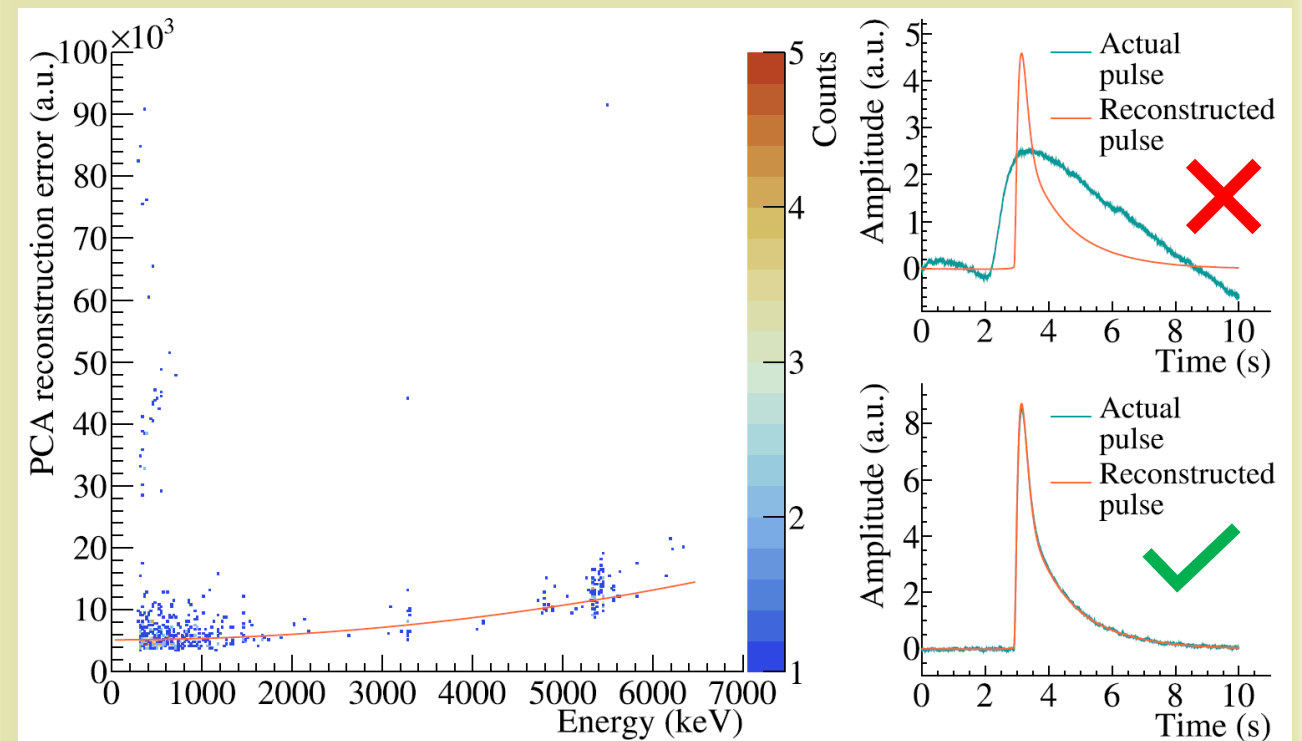
Containment probability = 88.3%

from MonteCarlo simulations

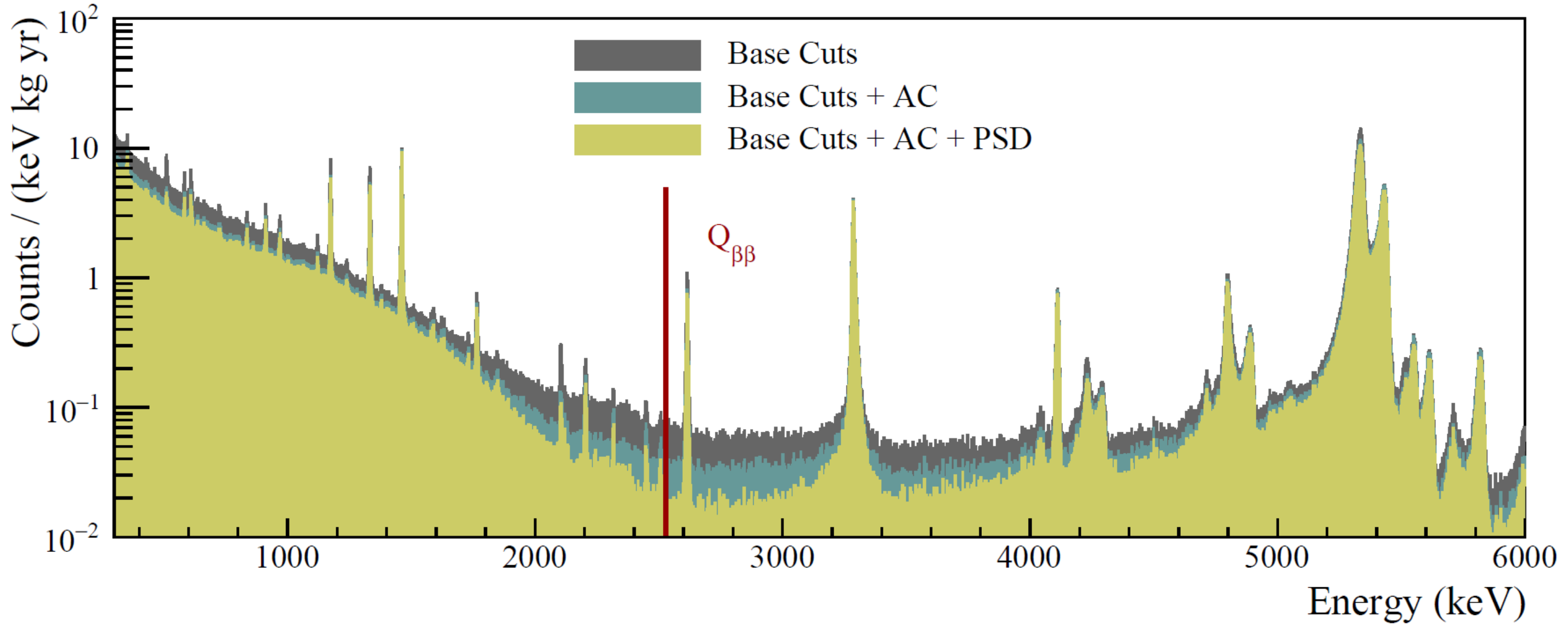
Pulse shape discrimination (PSD)

Reconstruct the pulse with single PCA component

Difference is discrimination metric

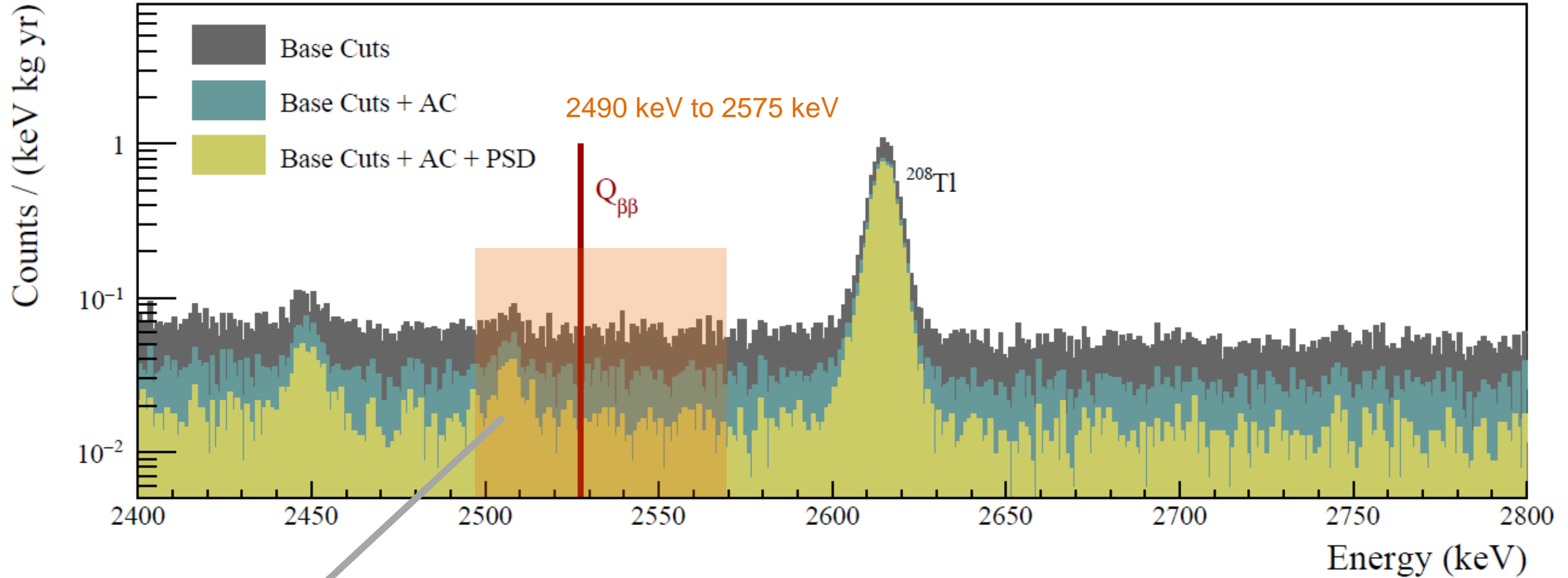


Efficiency = 96.4%



β/γ due to radioactive contaminations and ^{130}Te $2\nu\beta\beta$

α events due to close contaminations



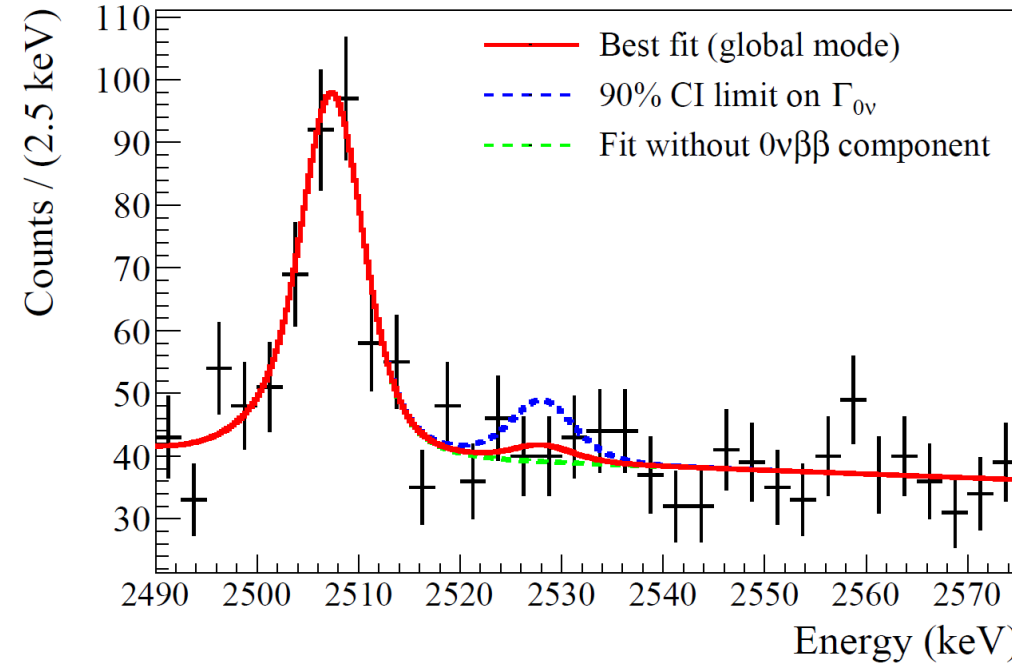
^{60}Co sum line

1173 keV+1333 keV

Fit model for the ROI:

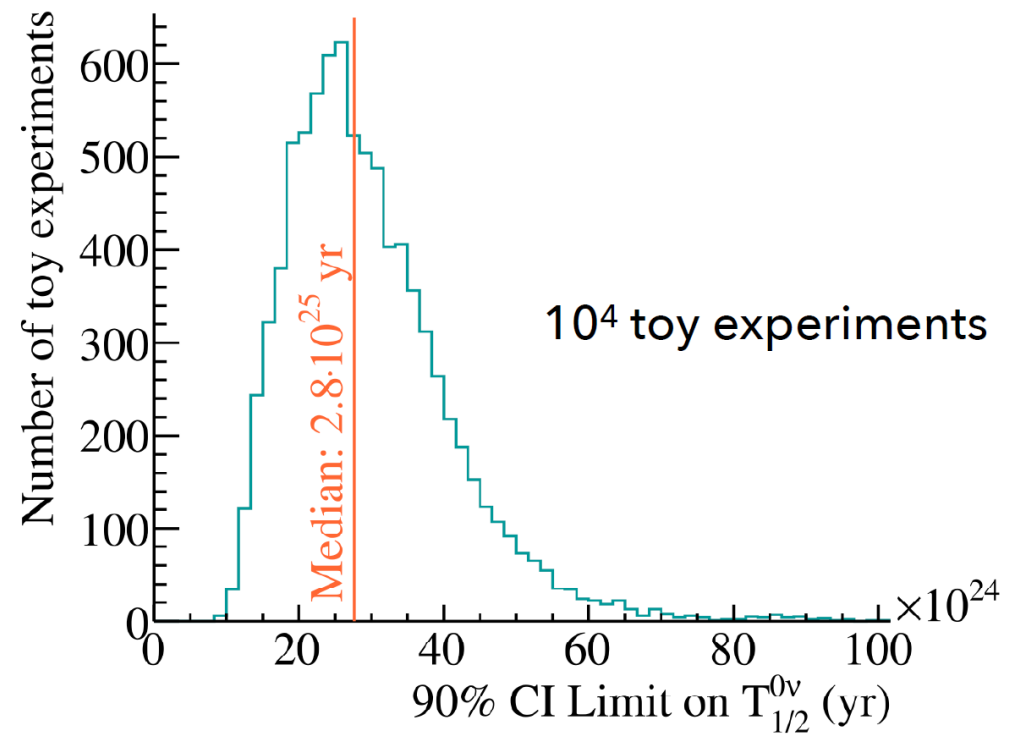
$$\Gamma^{0\nu} + {}^{60}\text{Co rate} + \text{linear background}$$

- Unbinned Bayesian fit
- Simultaneous on all datasets
- Nuisance parameters as systematics
- Includes uncertainties on efficiencies

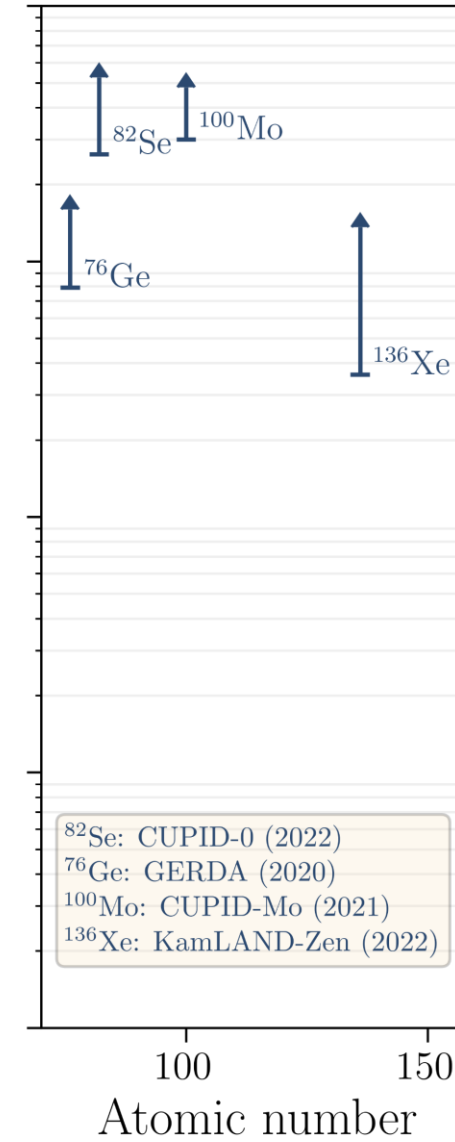
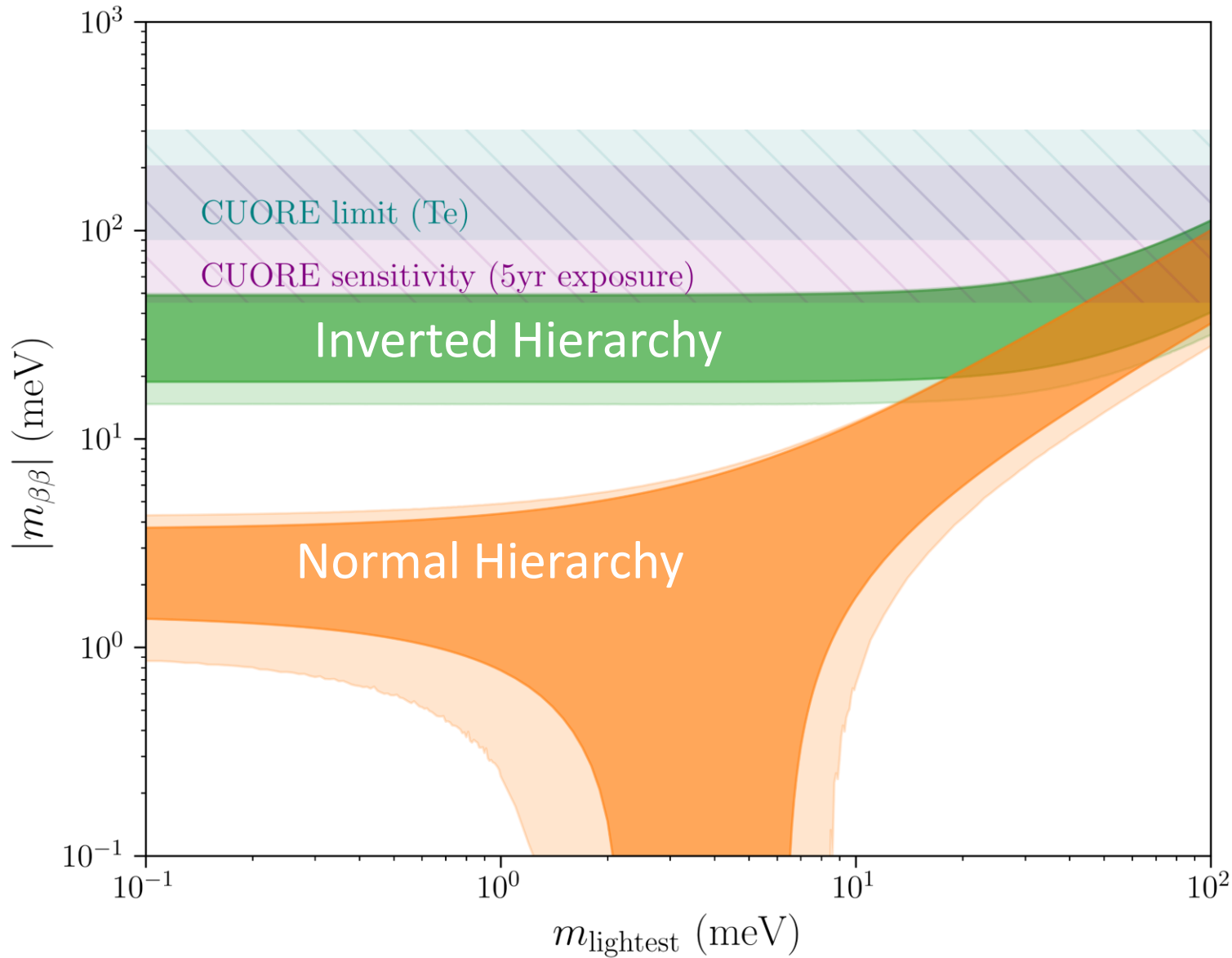


Best fit value:
 $\Gamma^{0\nu} = (0.9 \pm 1.4) \cdot 10^{-26} \text{ yr}^{-1}$
No evidence of the decay

Bayesian limit (90% C.I.):
 $T_{1/2}^{0\nu} > 2.2 \cdot 10^{25} \text{ yr}$
Corresponding half-life limit



Median sensitivity:
 $T_{1/2}^{0\nu} > 2.8 \cdot 10^{25} \text{ yr}$
Evaluated from toy Monte Carlo
We had a background over fluctuation



Bayesian limit
(90% C.L.):

$$T_{1/2}^{0\nu} > 2.2 \cdot 10^{25} \text{ yr}$$

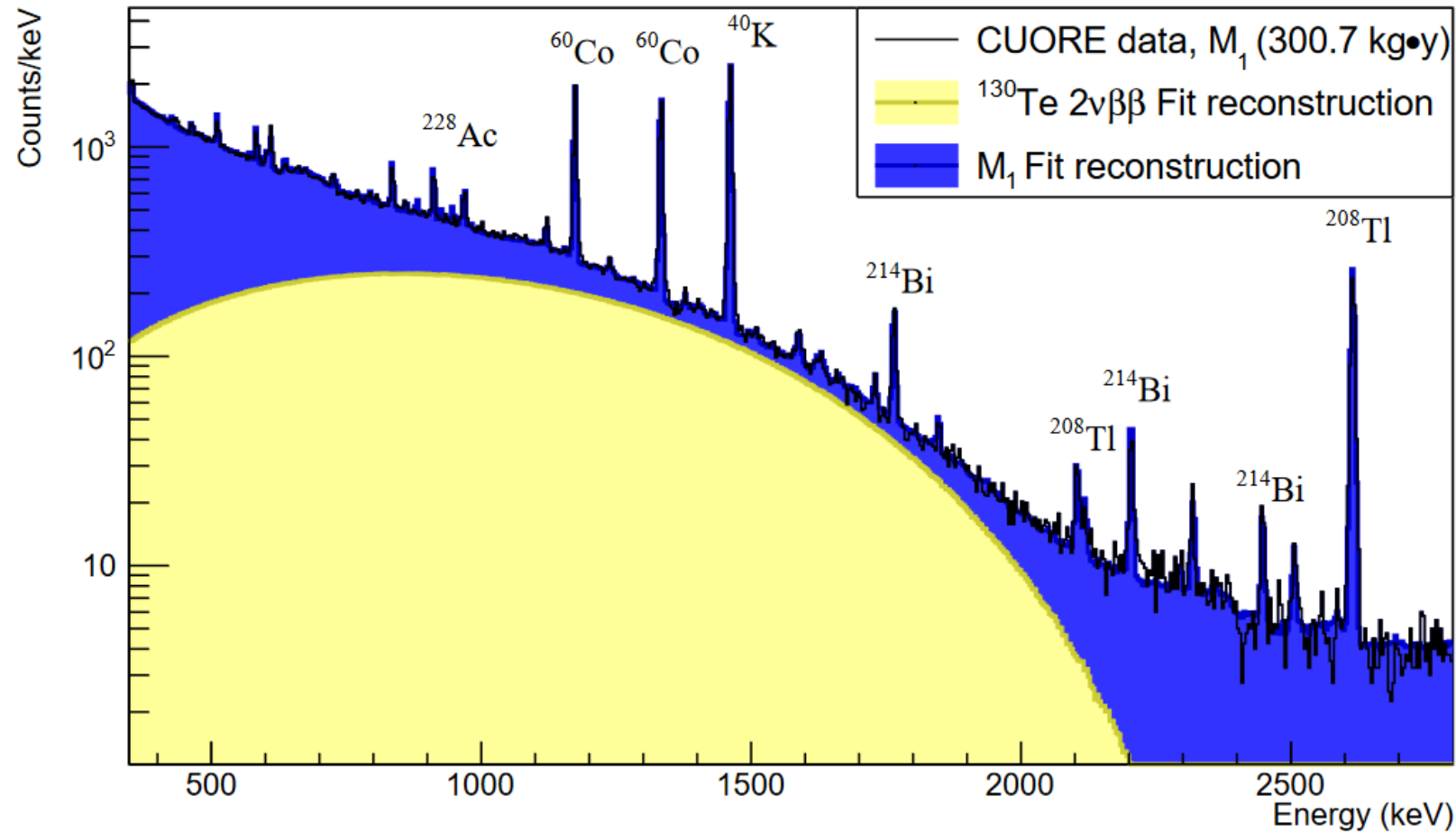
+

Most recent NME



$$m_{\beta\beta} < (90-305) \text{ meV}$$

Oscillation parameters from NUFIT 2020 are used. All limits are at 90% C.L. and 3σ uncertainty is shown on the inverted and normal hierarchy bands.

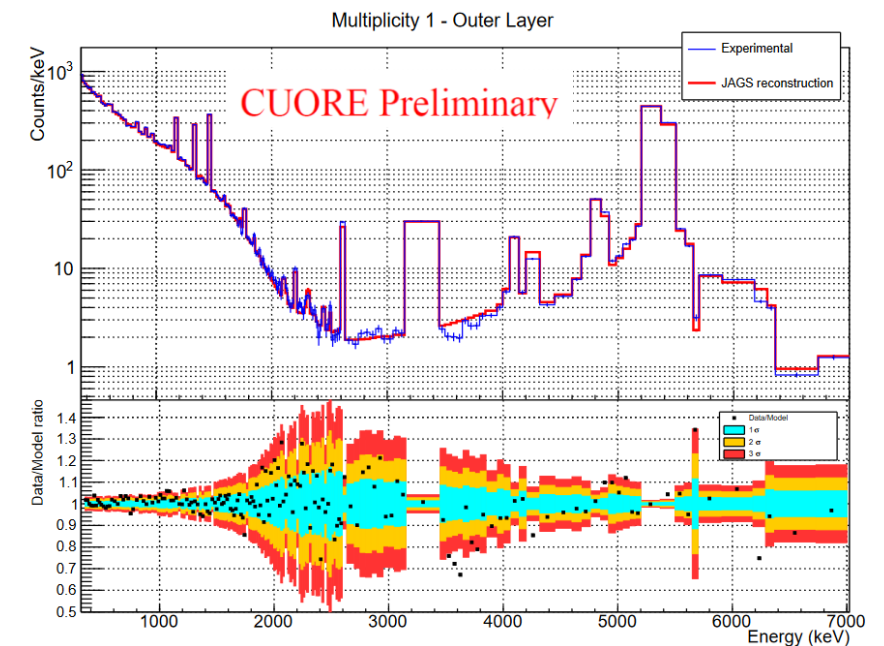


$$T_{1/2}^{2\nu} = (7.71_{-0.06}^{+0.08}(\text{stat})_{-0.15}^{+0.12}(\text{syst})) \cdot 10^{20} \text{ yr}$$

Best measurement for ^{130}Te $2\nu\beta\beta$

Fit of Monte Carlo simulations to the background spectrum

Reconstruct and disentangle the contributions



Summary

CUORE is the first tonne-scale operating cryogenic $0\nu\beta\beta$ decay experiment

Stable data taking increasing towards 5 yr

CUORE has analyzed 1 ton·yr of data

Best limit on ^{130}Te $0\nu\beta\beta$

Initial background model defined

Best measurement of ^{130}Te $2\nu\beta\beta$

Next steps

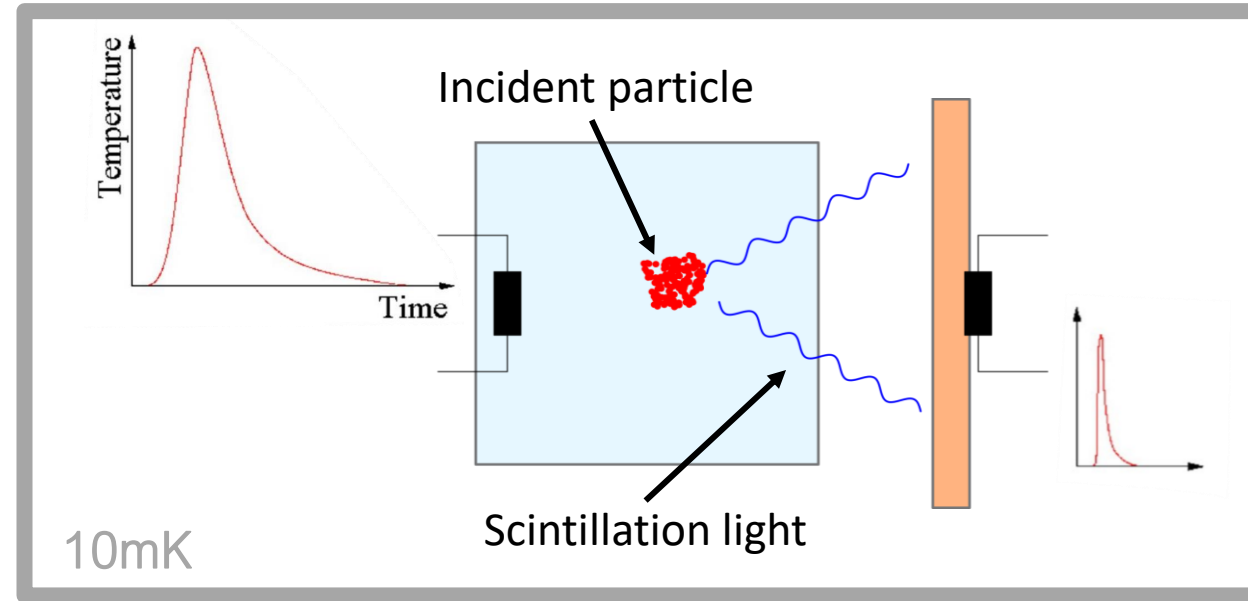
Background model on the full statistics, update of 0ν results with increased statistics

Other physics analyses

... while working on the [next generation \$0\nu\beta\beta\$ experiment](#)

Scintillating crystal
(Li_2MoO_4) enriched in
 $0\nu\beta\beta$ candidate (^{100}Mo)

↓
Operated as a cryogenic
calorimeter



Cryogenic calorimeter
used as **light detector**

↓
Particle identification
with pulse shape and
light output

Main residual background in CUORE

Discrimination of
degraded α particles

Physics goal: $T_{1/2}^{0\nu} > 10^{27}$ yr

CUORE experience: ton scale cryogenic
bolometer

CUPID-Mo and CUPID-0 experience
with cryogenic scintillators

Thank you for your attention from all the CUORE collaboration



>110 scientists from 27 institutions in 4 countries

Constantly improving towards the next generation experiments

Backup slides

Necessary qualities of a $0\nu\beta\beta$ detector

Experimental sensitivity

Maximum measurable half-life at a given C.L.

$$S_{0\nu} \propto \sqrt{\frac{M \cdot T}{B \cdot \Delta}}$$

Isotope Mass

Mass scalability

High isotopic abundance

Energy resolution

$\Delta \sim \text{‰}$ at Q_{value}



$2\nu\beta\beta$ induced background

Background

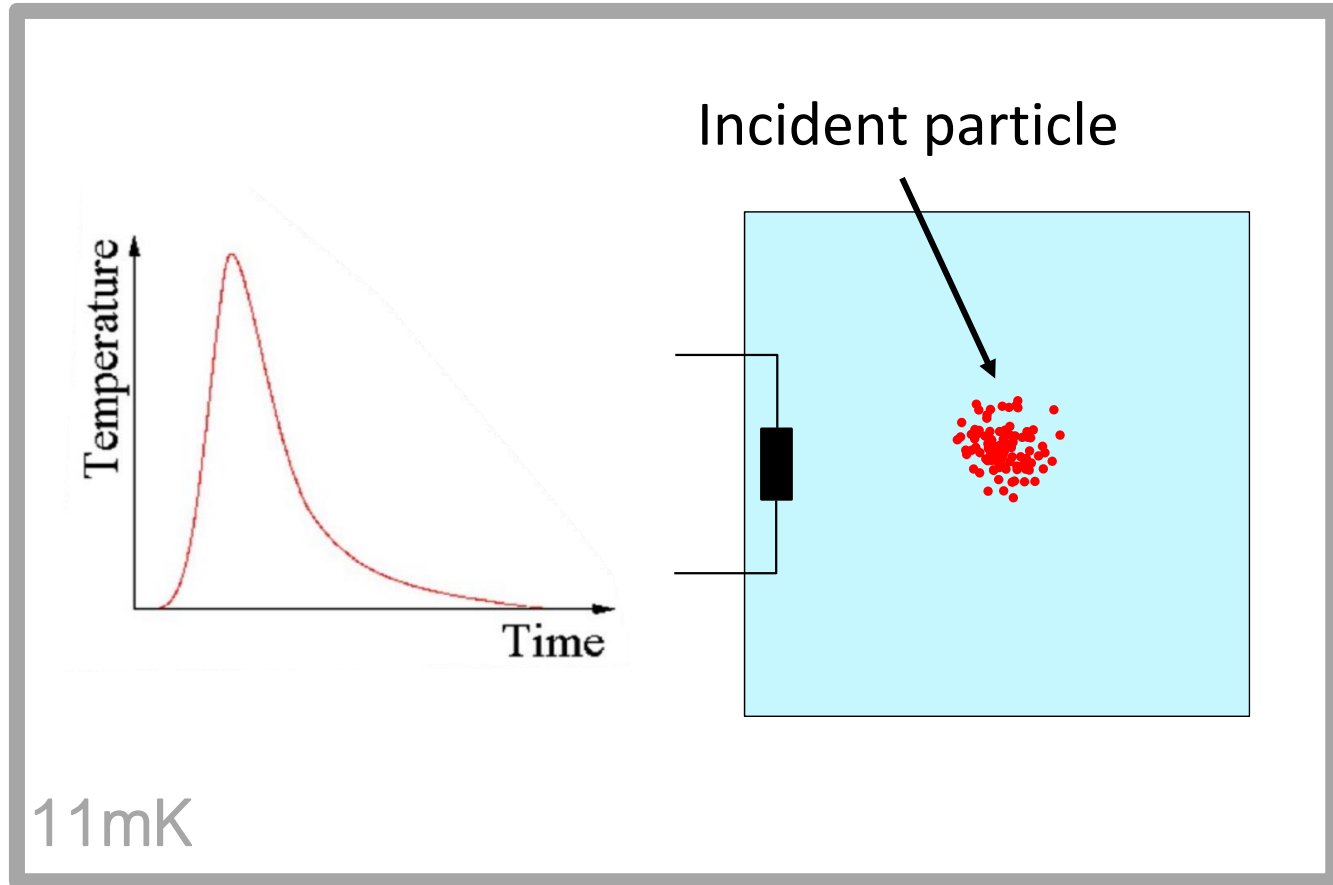
High purity materials

Rejection techniques

Maximized through cryogenic calorimeters

Cryogenic calorimeters: detector concept

Detecting energy as temperature increase



Thermometer is made of neutron transmutation doped germanium

Energy resolution

Provided by the technique

Background

Control of materials

Isotope Mass

^{130}Te has ~30% natural isotopic abundance
Multiple modules

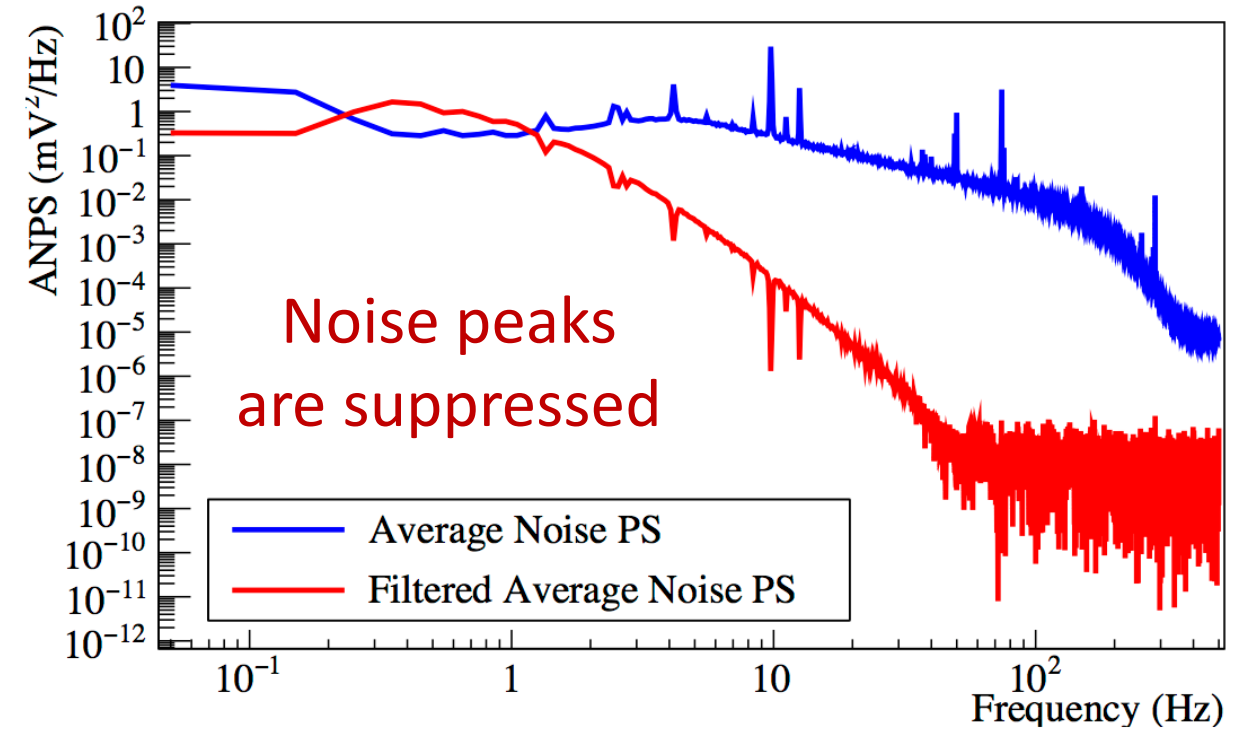
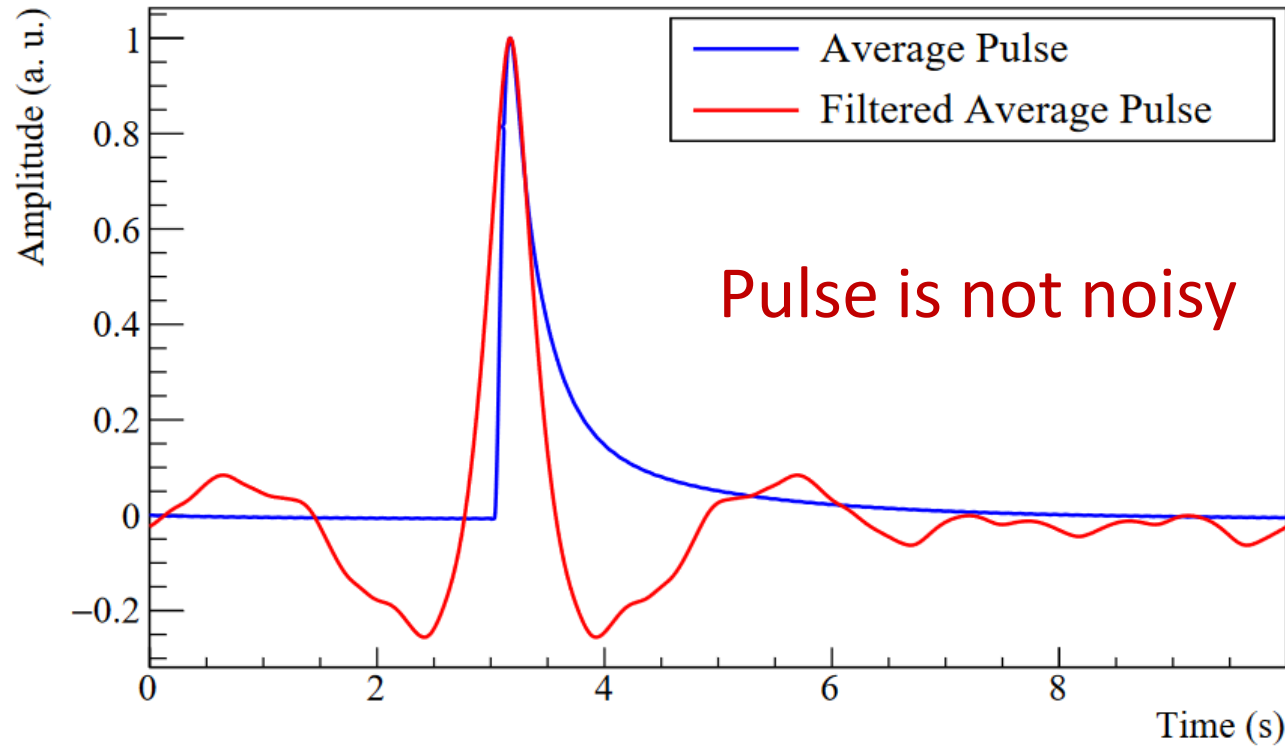
Optimum filter – more in depth

Digital filter deconvolving the noise

Transfer function that maximizes SNR

$$H(\omega) \sim \frac{S(\omega)}{N(\omega)}$$

Template signal
Modelled with average signal
Noise of the system
Modelled with average noise power spectrum



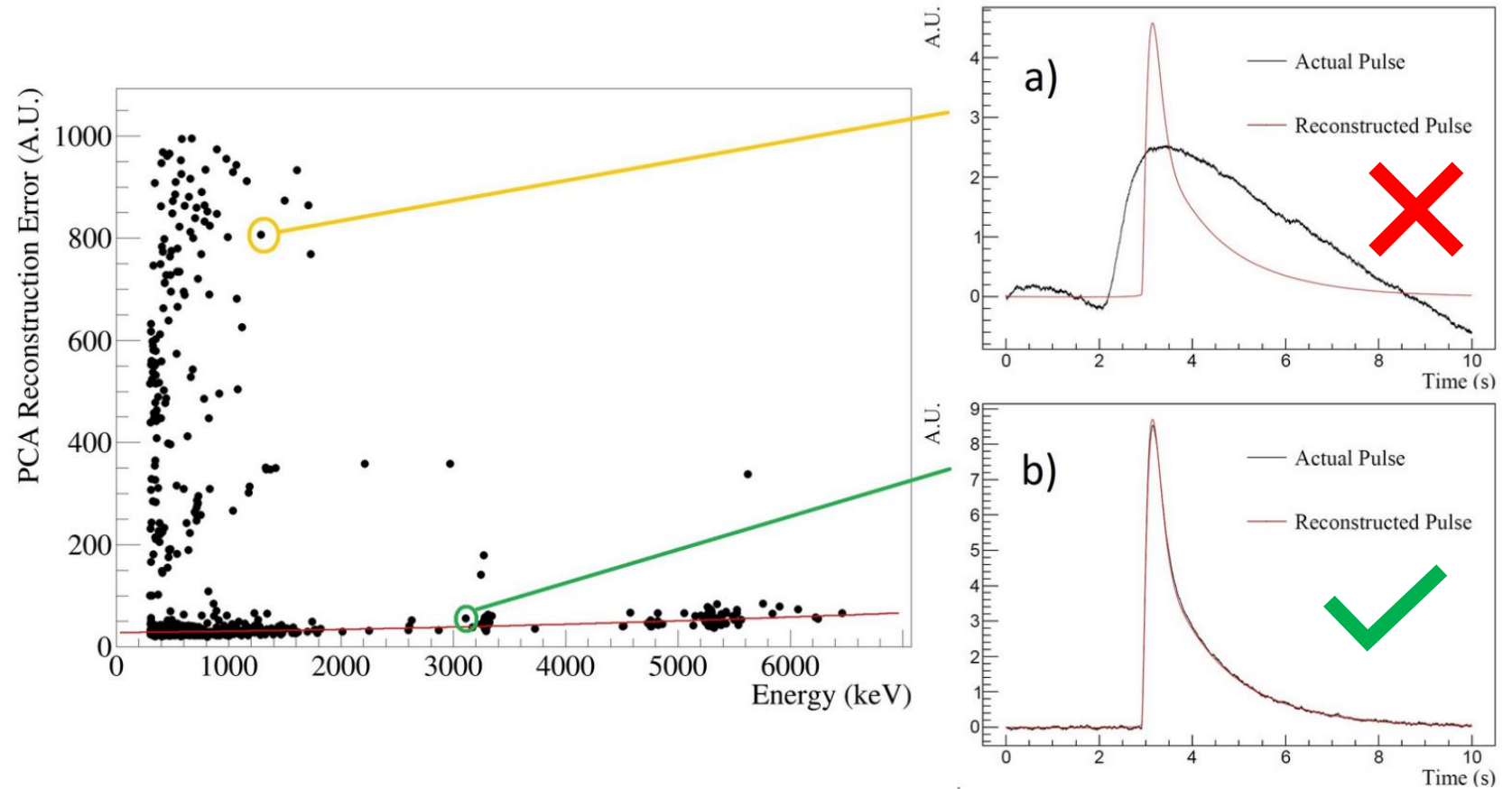
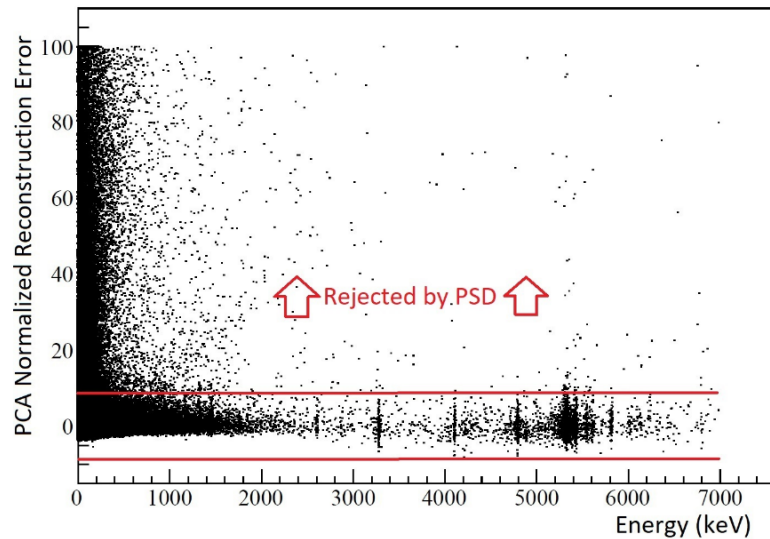
PSD trough PCA

PCA says that the average pulse is the main component

Using a single component to reconstruct the pulse

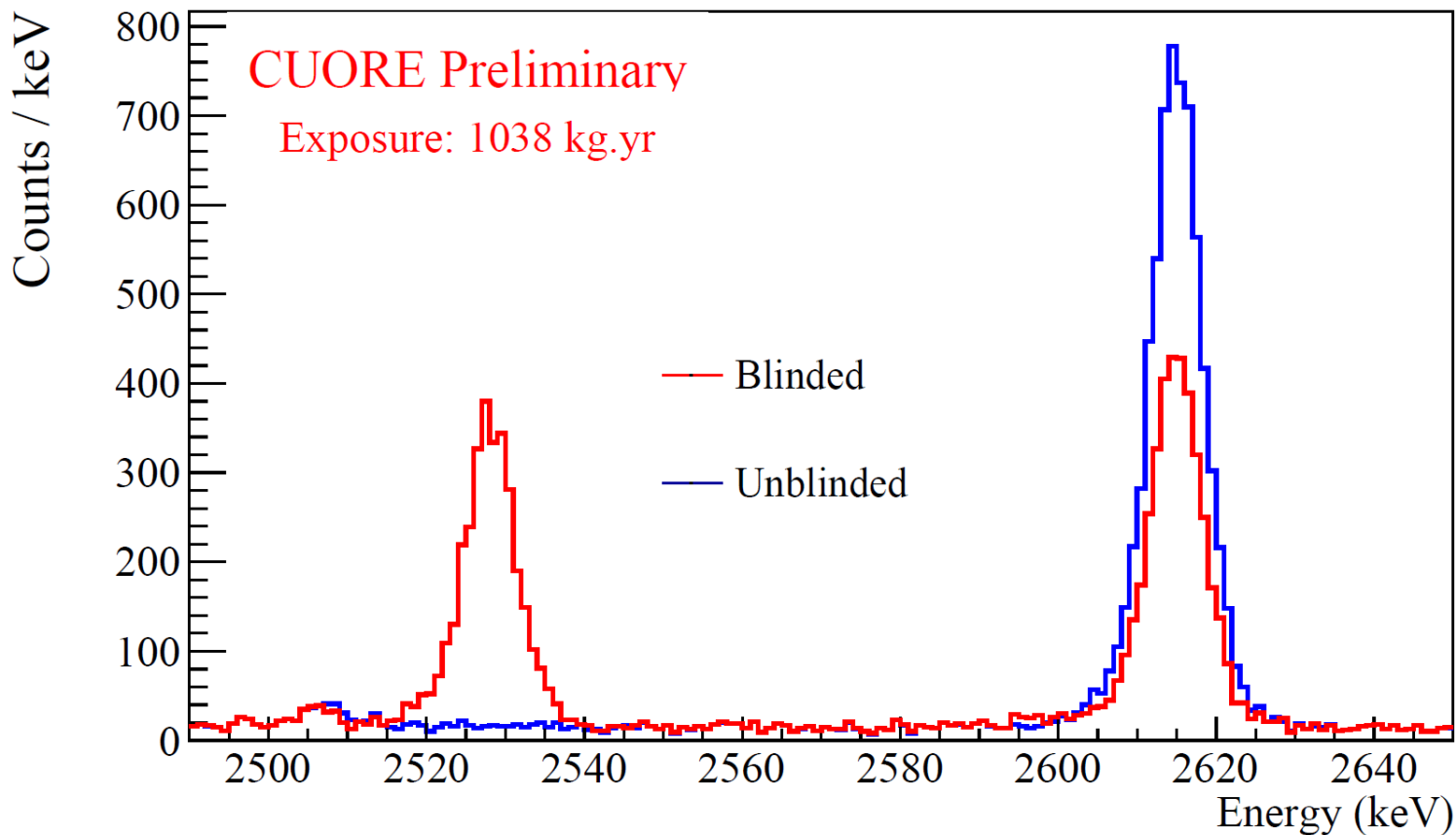
Error given by the difference with rescaling

$$RE = \sqrt{\sum_{i=1}^n (\mathbf{x}_i - (\mathbf{x} \cdot \mathbf{w}) \mathbf{w}_i)^2}$$



Error is normalized with respect to energy

Goal: cover the region where $0\nu\beta\beta$ is expected



Random fraction of 2615keV events moved around the Qvalue

Encryption of the original event energies

Events are decrypted after the analysis is fixed

How $0\nu\beta\beta$ fit is performed

Fit model parameters:

$\Gamma^{0\nu} + {}^{60}\text{Co rate} + \text{linear background}$

Common to all
datasets

Common and
rescaled for decay

Rate is dataset
dependent, slope is
constant



Bayesian fit with BAT software

Using non-negative uninformative priors for
the rates

How $0\nu\beta\beta$ systematics are treated

Systematic uncertainties due to the variation of nuisance parameters

Included one by one in the fit, checking effects on the outcome

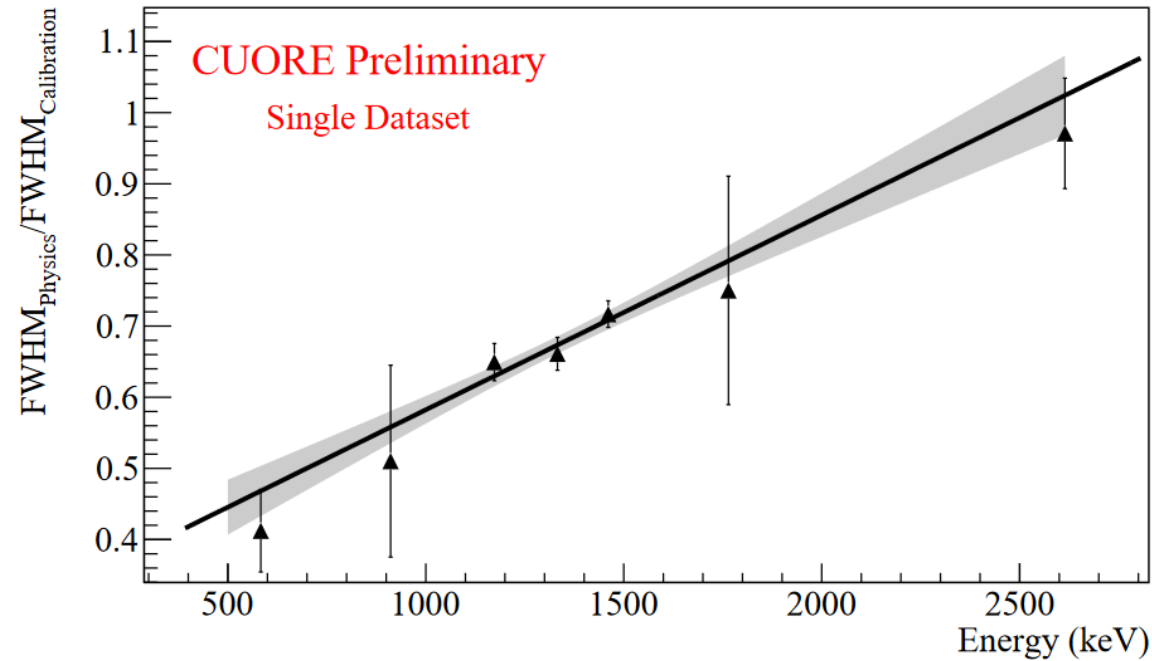
Discrepancies of the PSD efficiency between single calorimeters

Systematic	Prior
Total analysis efficiency I	Gaussian
<u>Analysis efficiency II</u>	Gaussian
Containment efficiency	Gaussian
Isotopic abundance	Gaussian
$Q_{\beta\beta}$	Gaussian
Energy bias and Resolution scaling	Multivariate

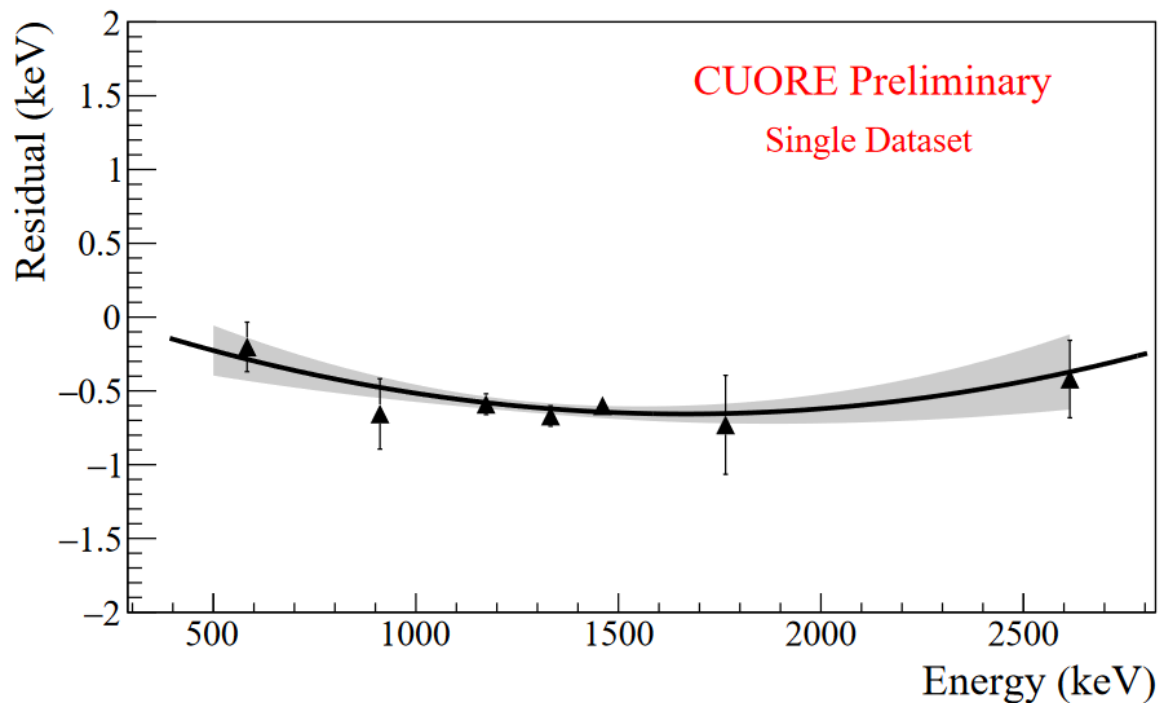
Efficiencies in the analysis and relative uncertainties

Total analysis efficiency	92.4(2)%
Reconstruction efficiency	96.418(2)%
Anticoincidence efficiency	99.3(1)%
PSD efficiency	96.4(2)%
Containment efficiency	88.35(9)% [36]

Resolution scaling and energy bias → included as nuisances in the $0\nu\beta\beta$ fit



Energy resolution scales with energy
Used to get the resolution at QValue

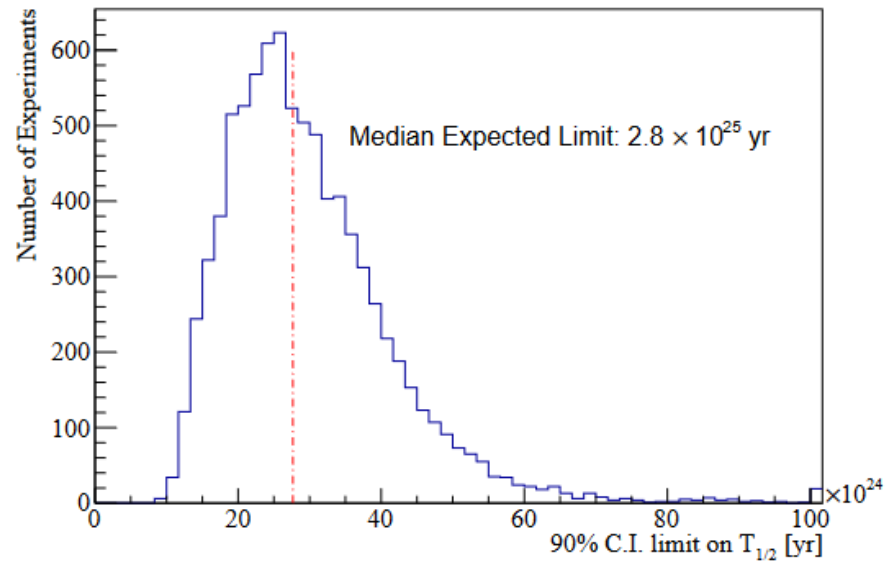


Energy bias due to imperfect calibration
Fed to the fit as nuisance parameter

Both dataset dependent

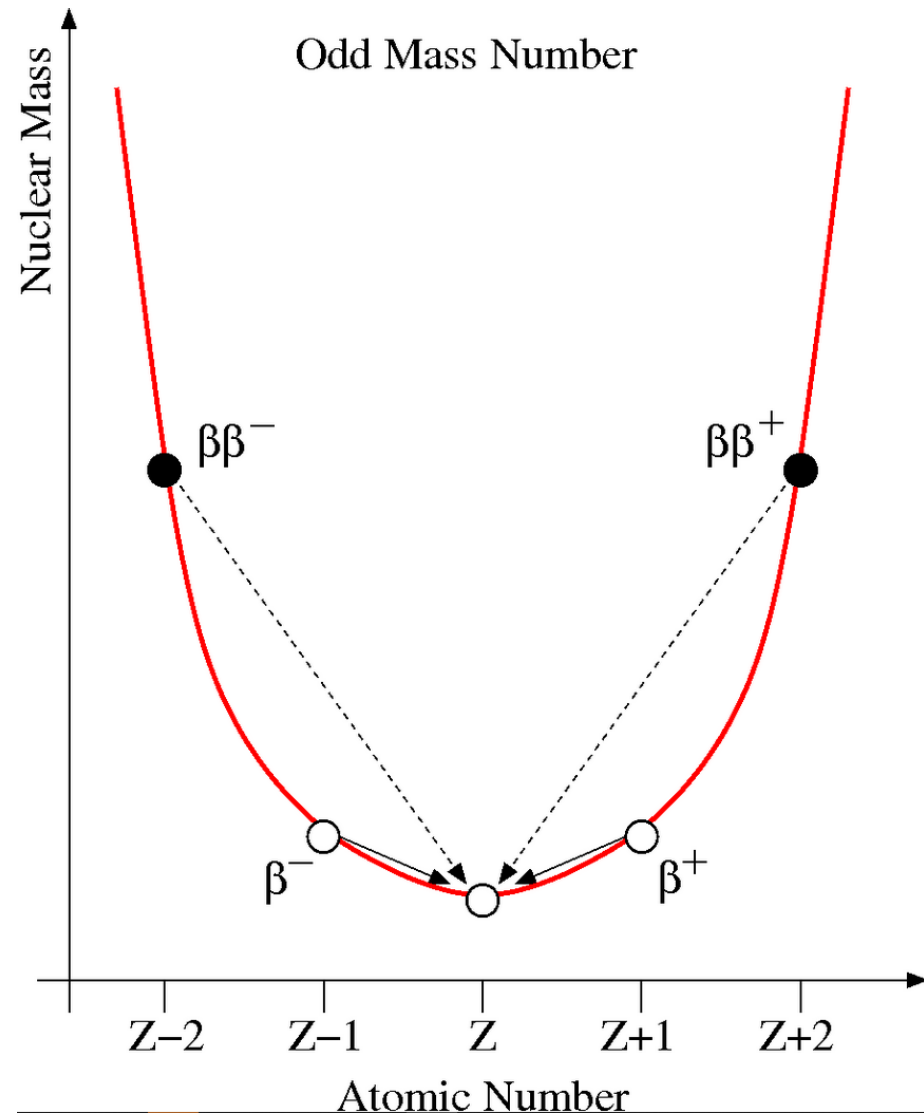
Systematic uncertainties effect on the $0\nu\beta\beta$ result

Fit parameter systematics			
Systematic	Prior	Effect on the Marginalized $\Gamma_{0\nu}$ Limit	Effect on $\hat{\Gamma}_{0\nu}$
Total analysis efficiency I	Gaussian	0.2%	< 0.1%
Analysis efficiency II	Gaussian	0.3%	< 0.1%
Containment efficiency	Gaussian	0.2%	< 0.1%
Isotopic abundance	Gaussian	0.2%	< 0.1%
$Q_{\beta\beta}$	Gaussian	$< 0.1 \cdot 10^{-27} \text{ yr}^{-1}$	$< 0.1 \cdot 10^{-27} \text{ yr}^{-1}$
Energy bias and Resolution scaling	Multivariate	$0.2 \cdot 10^{-27} \text{ yr}^{-1}$	$0.1 \cdot 10^{-27} \text{ yr}^{-1}$

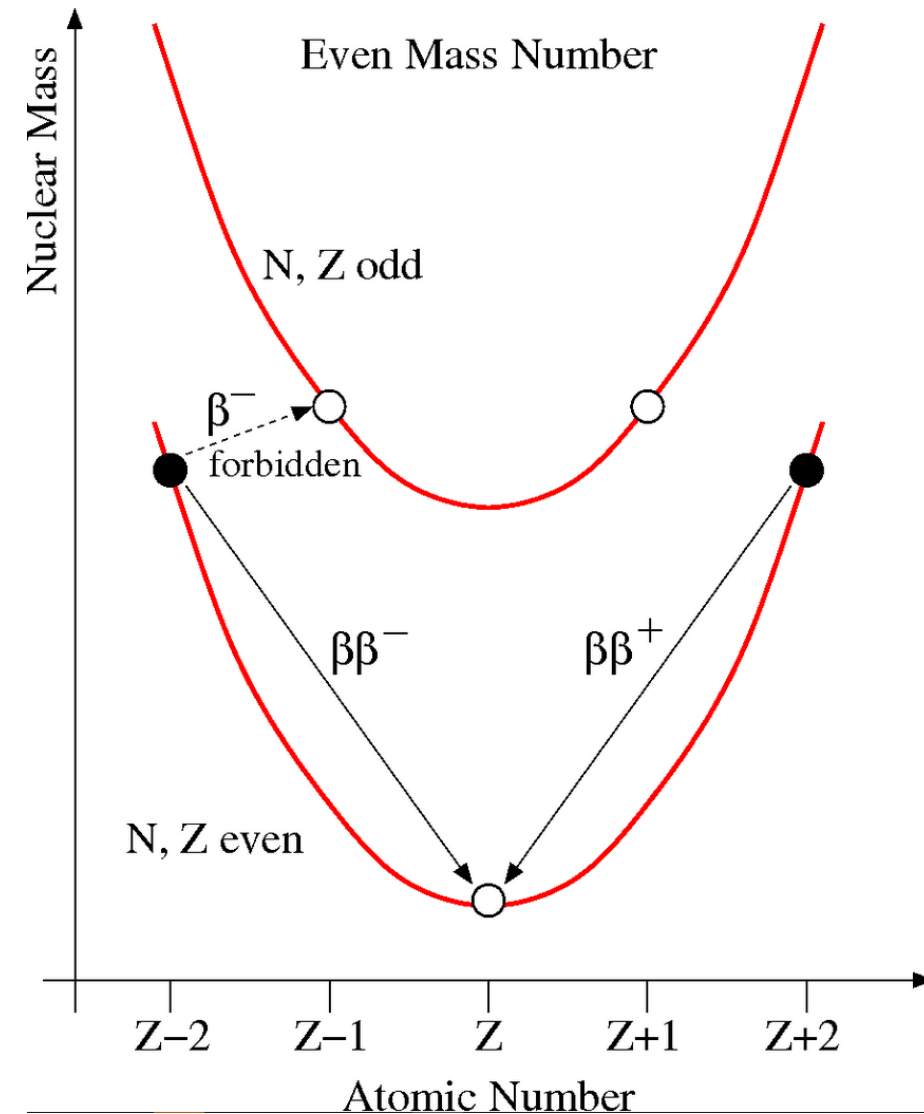


Effects evaluated with toy experiments

Double beta decay and nuclear structure



$\beta\beta$ decay is suppressed with respect to β decay, and it is therefore difficult or impossible to observe

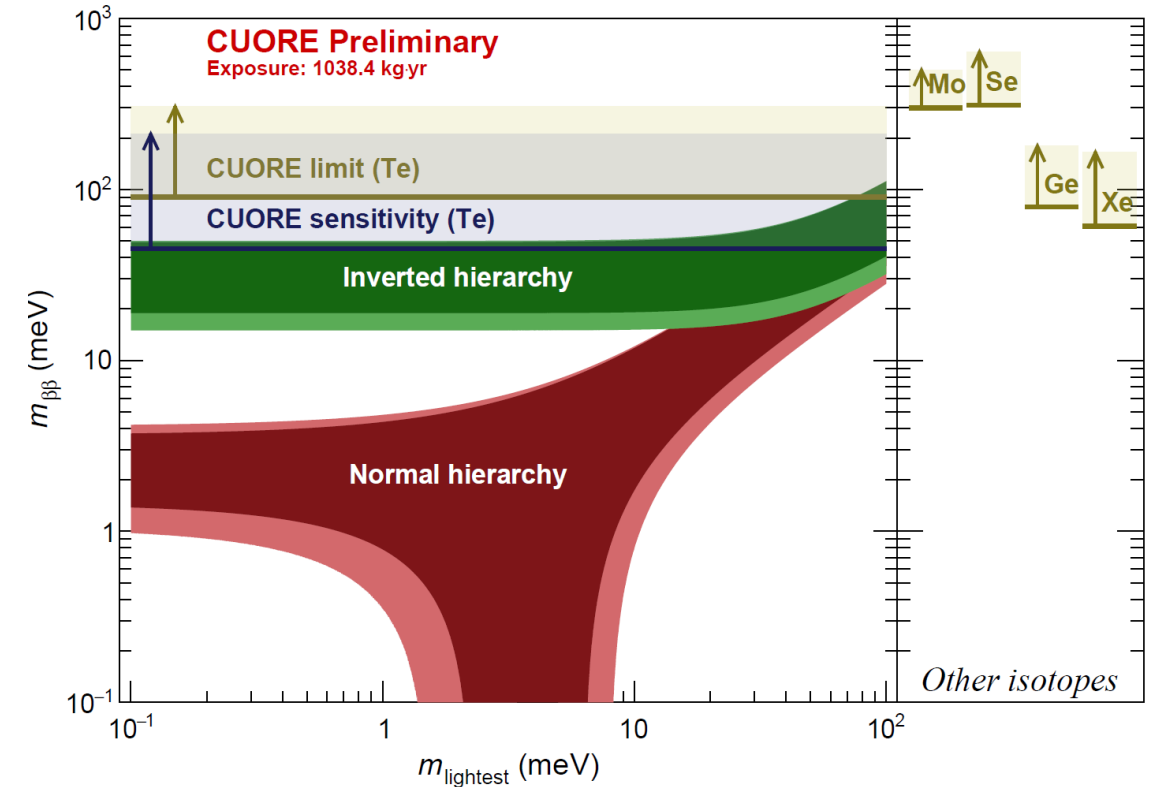
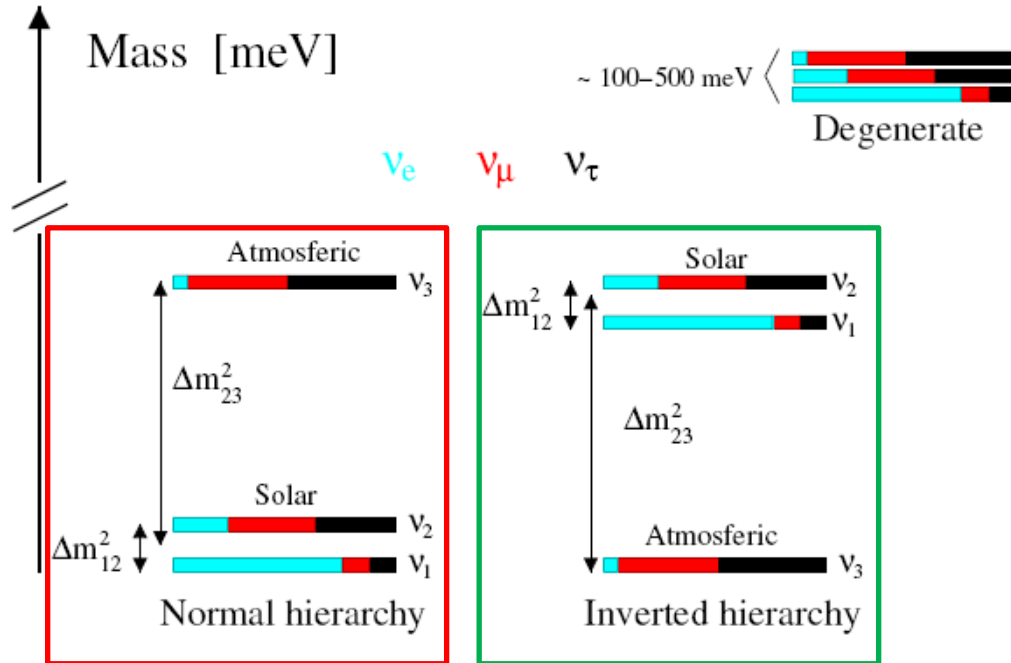


β decay is forbidden for certain even-even nuclei, so $\beta\beta$ decay may be seen

$0\nu\beta\beta$ formulas and theoretical references

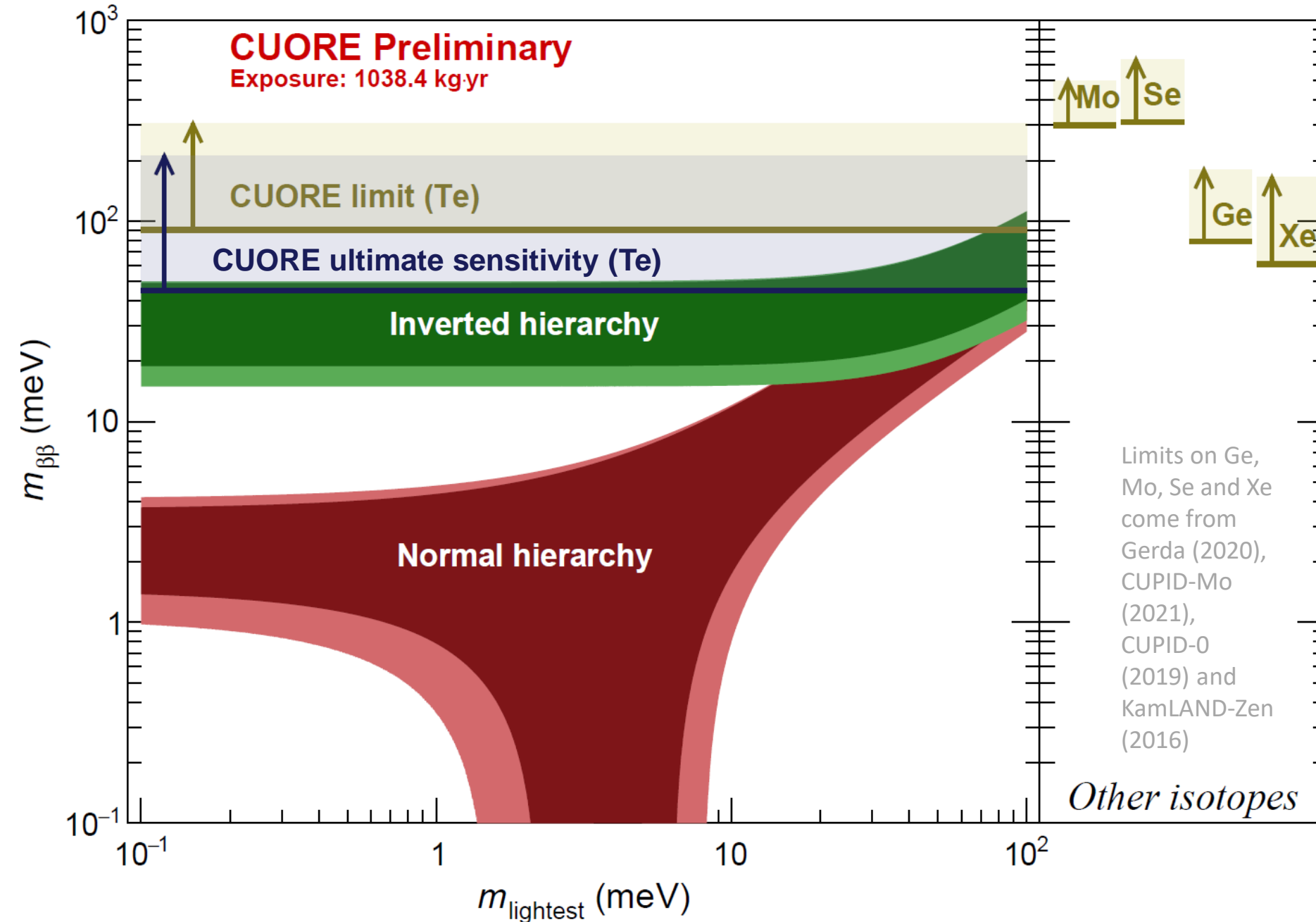
$$\Gamma^{0\nu} \propto G^{0\nu}(Q, Z) |M^{0\nu}|^2 |\langle m_{\beta\beta} \rangle|^2$$

Phase space factor
Nuclear matrix element
Majorana mass



$$N_{E\nu} = M \frac{\chi \cdot N_{Av}}{M_{mol}} \eta \frac{T}{\tau^{0\nu}}$$

χ = stoichiometric coeff.
 η = isotopic abundance

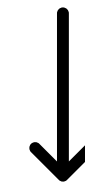


Bayesian limit (90% C.L.):

$$T_{1/2}^{0\nu} > 2.2 \cdot 10^{25} \text{ yr}$$

+

Most recent NME



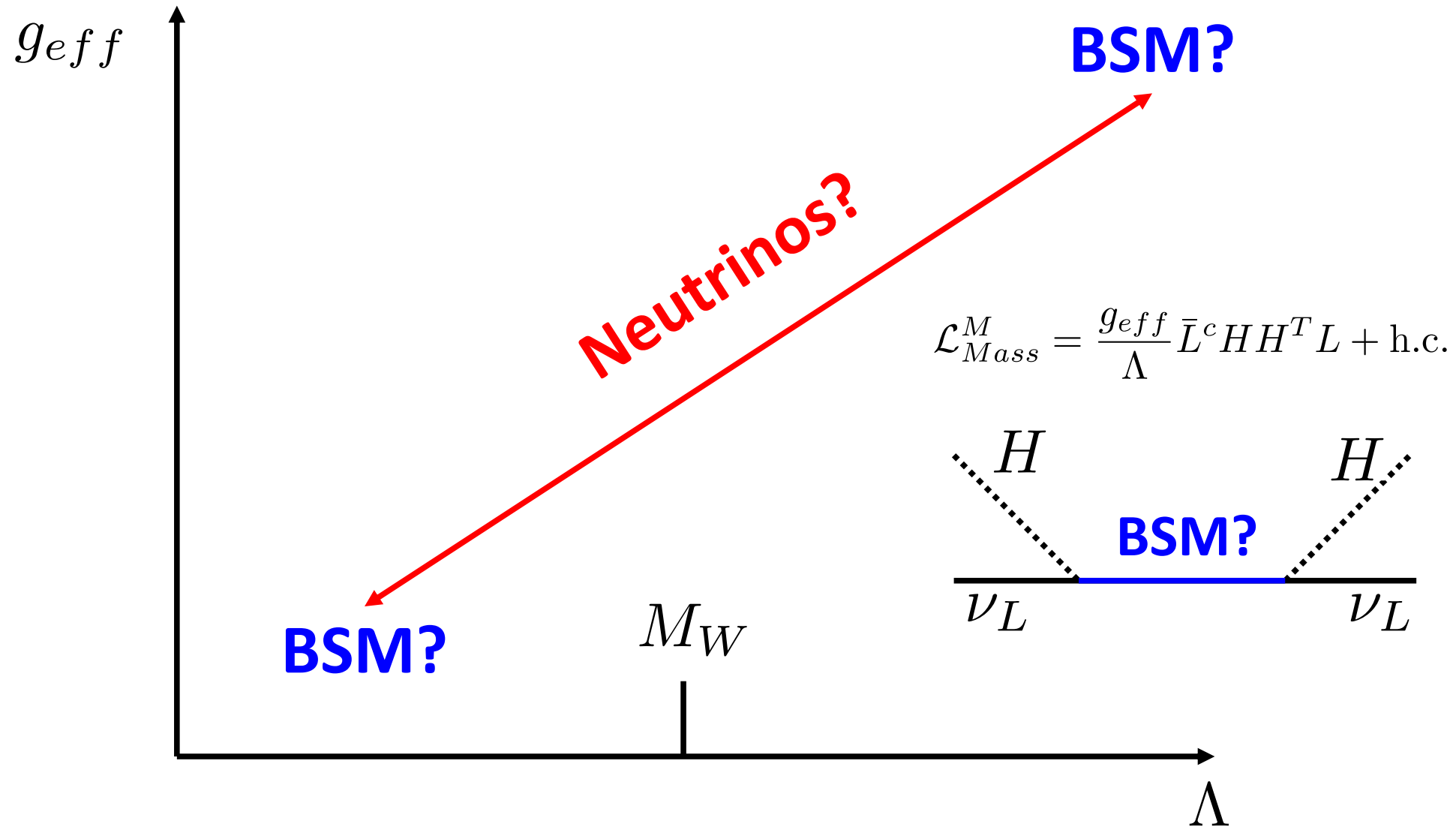
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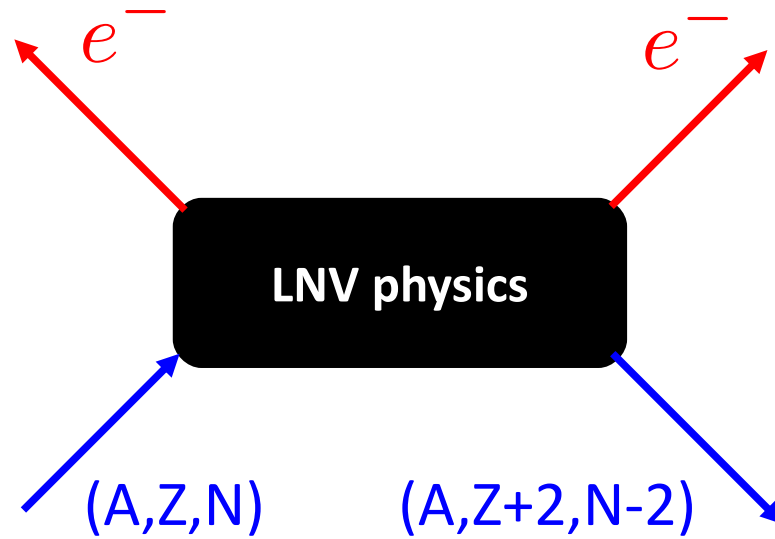
Theoretical importance of $0\nu\beta\beta$ searches

Different possible generator masses and couplings to neutrinos

- All BSM features \rightarrow **new phenomenologies**



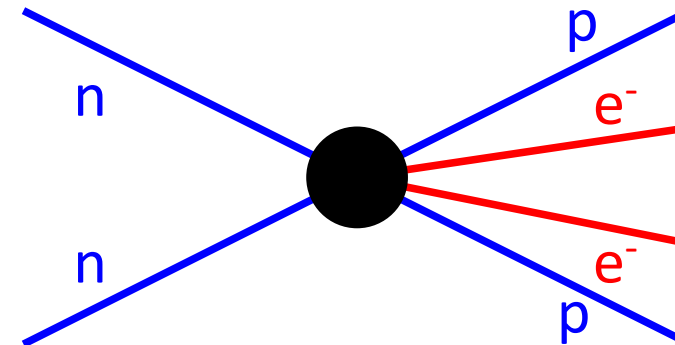
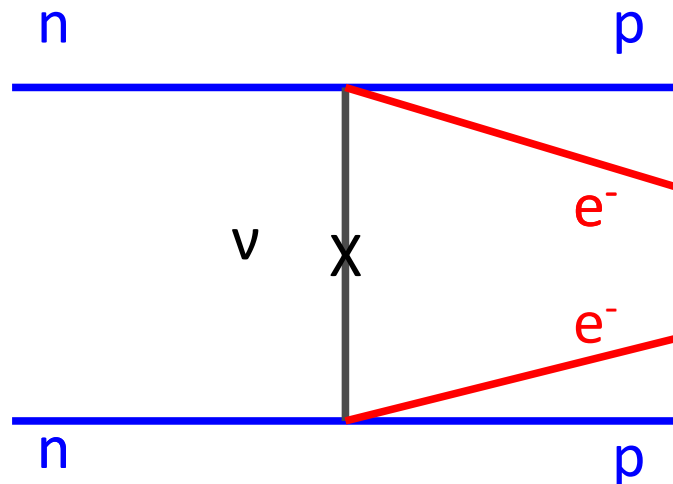
Theoretical importance of $0\nu\beta\beta$ searches



Black Box

- Unpacked differently by different mass models
- Independent by the model chosen

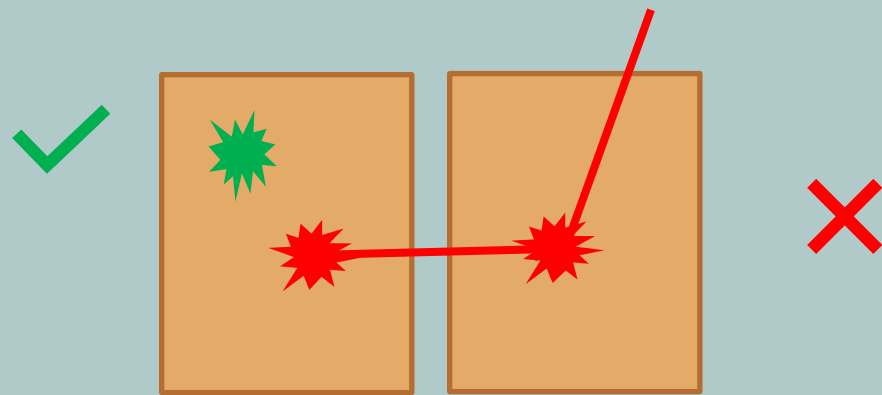
- Each model leads to **different predictions** with respect to the physics of $0\nu\beta\beta$
- Two different main scenarios:



Preserve only $0\nu\beta\beta$ candidate events with best possible efficiency

Anticoincidence cut (AC)

$0\nu\beta\beta$ leaves all energy in a crystal
Select events accordingly



Time resolution is $\pm 5\text{ms}$

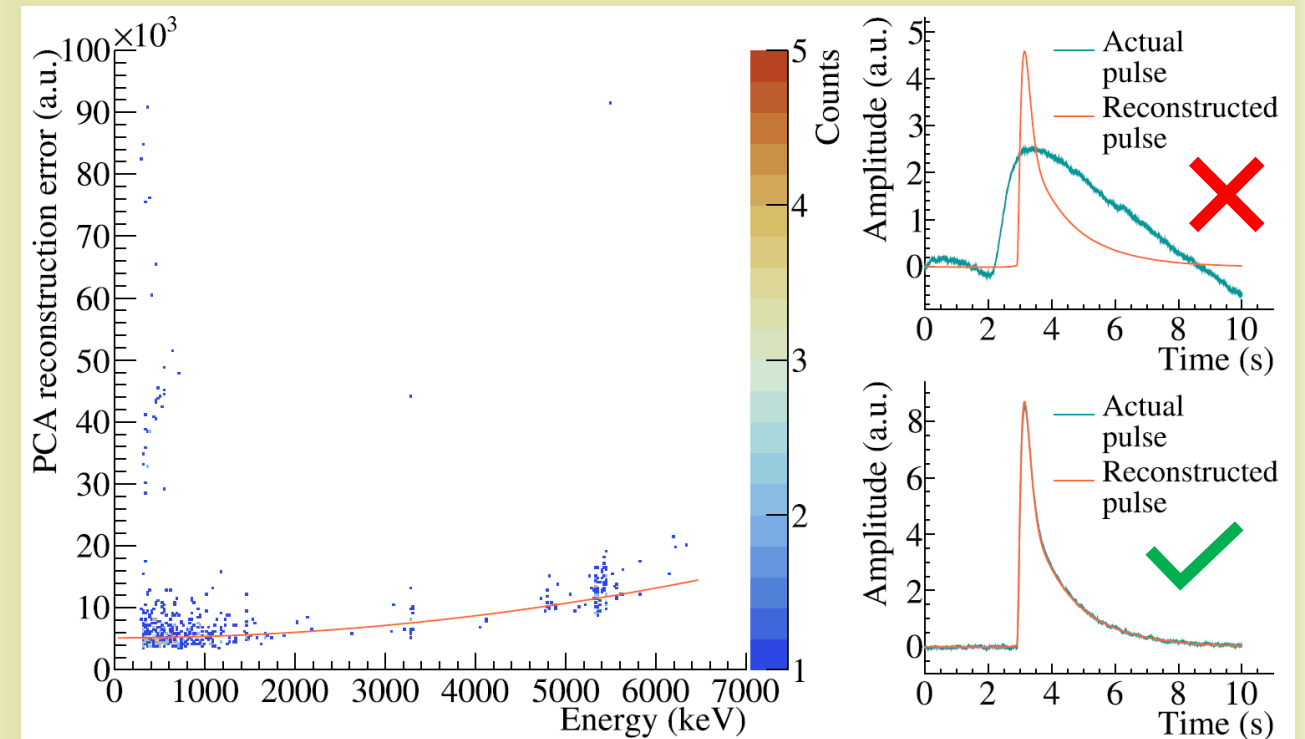
$$\text{Efficiency} = 99.3\%_{\text{Anticoincidence}} \cdot 88.3\%_{\text{containment}}$$

Efficiency uncertainties included in the final fit

Pulse shape discrimination (PSD)

Reconstruct the pulse with single PCA component

Difference is discrimination metric

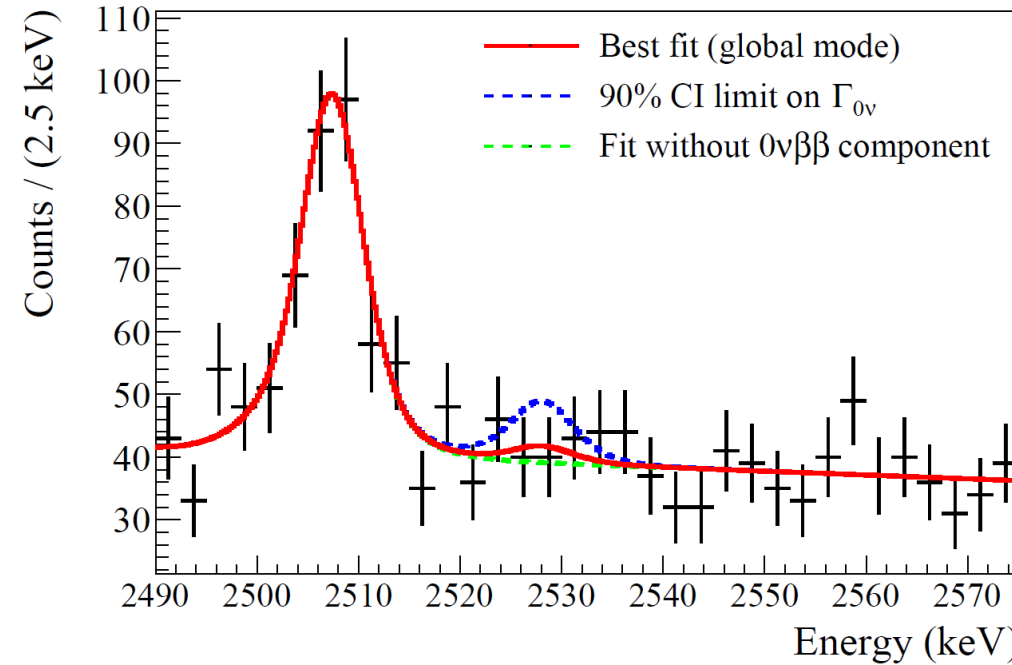


Efficiency = 96.4%

Unbinned Bayesian fit

Simultaneous on all datasets

Nuisance parameters as systematics



Best fit value:

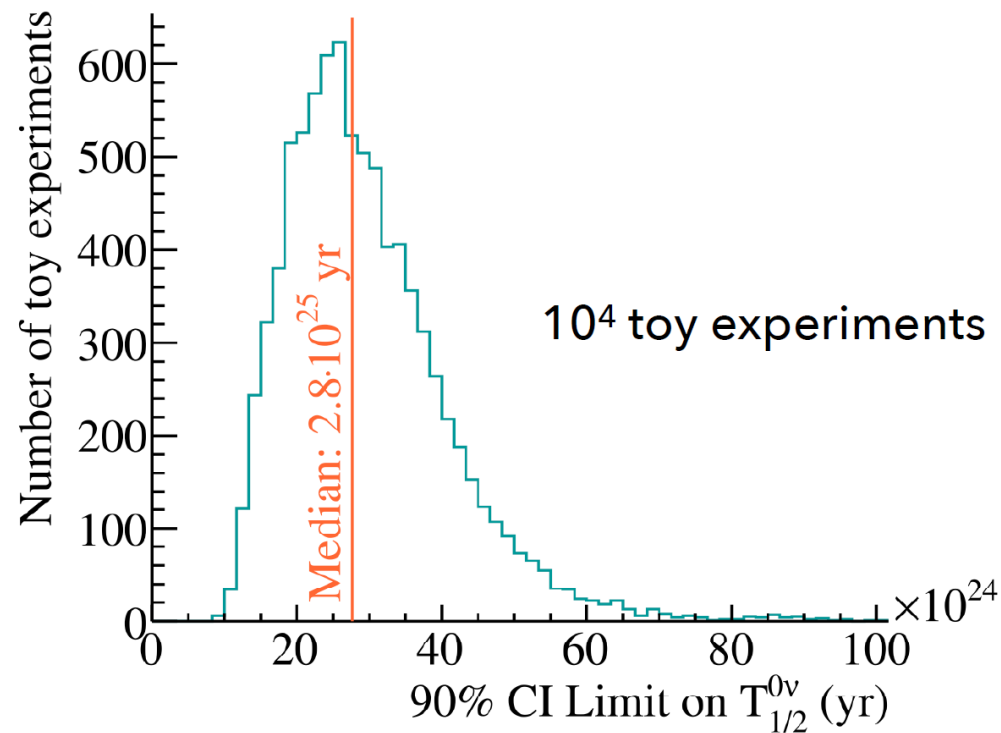
$$\Gamma^{0\nu} = (0.9 \pm 1.4) \cdot 10^{-26} \text{ yr}^{-1}$$

No evidence of the decay

Bayesian limit (90% C.I.):

$$T_{1/2}^{0\nu} > 2.2 \cdot 10^{25} \text{ yr}$$

Corresponding half-life limit



Median sensitivity:

$$T_{1/2}^{0\nu} > 2.8 \cdot 10^{25} \text{ yr}$$

Evaluated from toy Monte Carlo

We had a background over fluctuation