

Neutrinos and the Gravitational θ -Term

A Low-Energy Solution to the Neutrino Mass Problem

Lena Funcke

In collaboration with Gia Dvali

Invisibles18 Workshop, KIT

Question: Origin of Small Neutrino Masses?

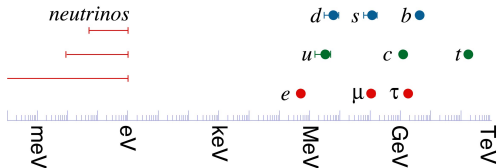


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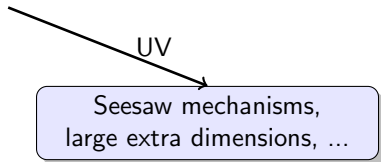
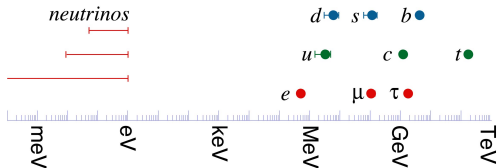


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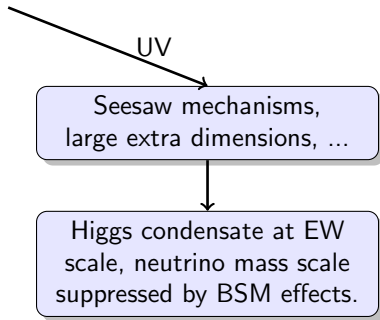
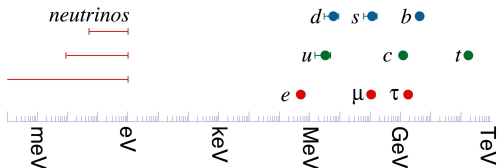


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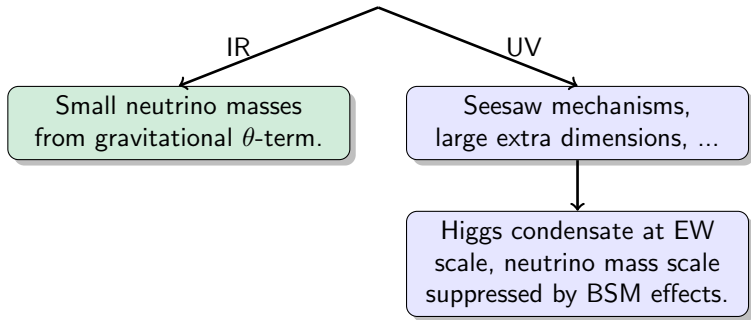
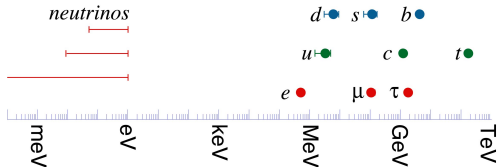


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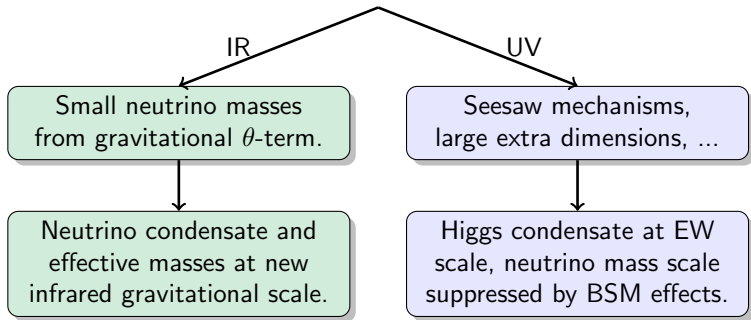
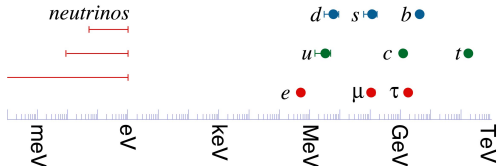


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Analogy: Non-Perturbative QCD Vacuum



- ▶ QCD: θ -term $\mathcal{L}_{\text{QCD}} \supset \theta G \tilde{G}$ is made physical by non-perturbative effects [1].

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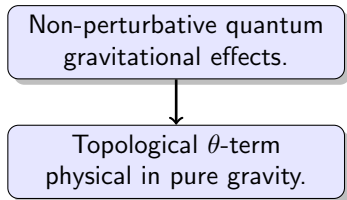
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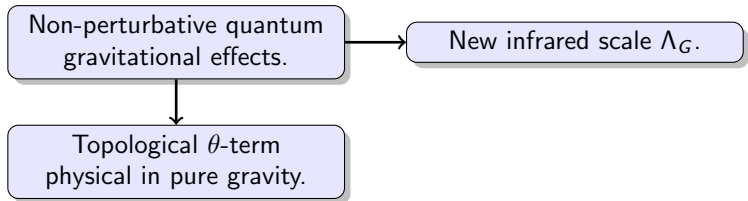
The Model: Neutrino Condensation

Non-perturbative quantum
gravitational effects.

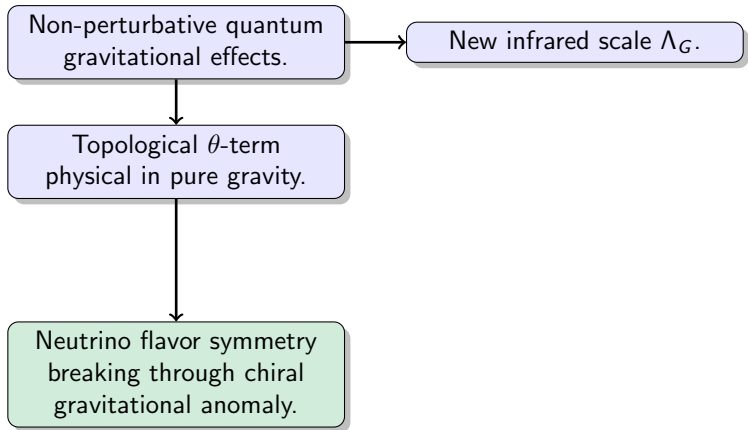
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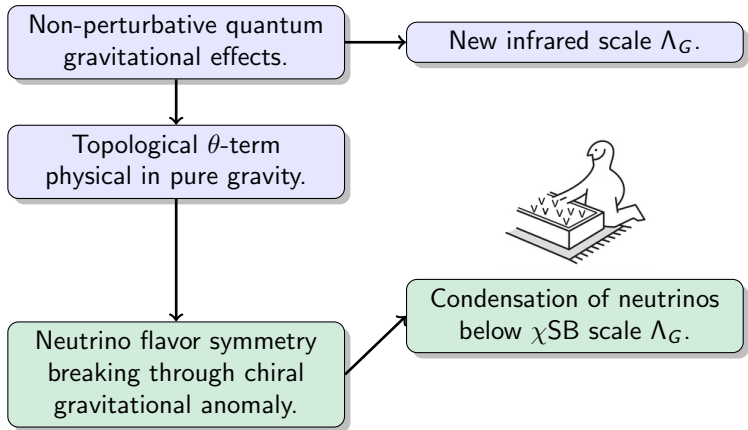
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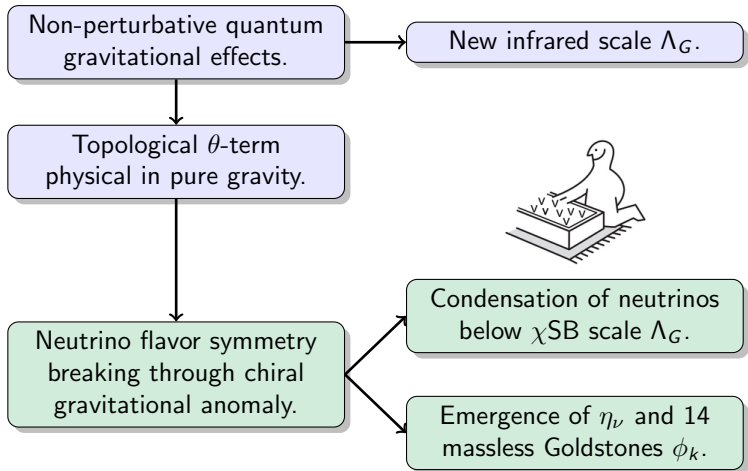
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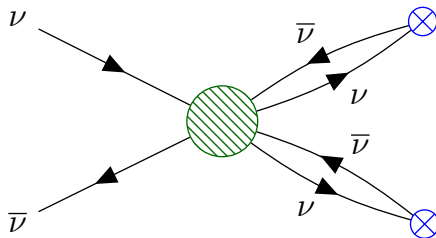


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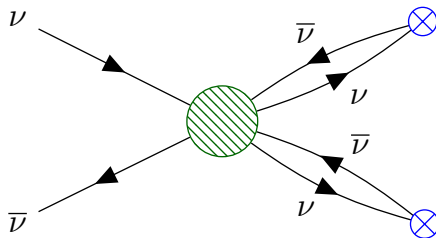
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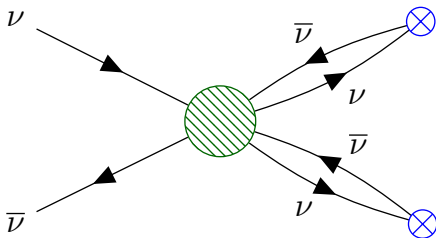
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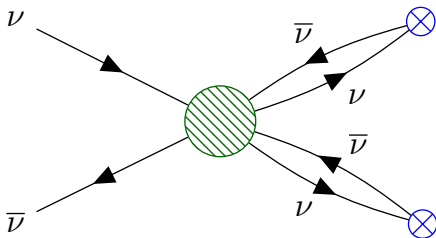
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Assumption: condensate $|\langle \bar{\nu}\nu \rangle| = \text{scale } \Lambda_G^3 = \text{temperature } T_{\chi\text{SB}}^3$.

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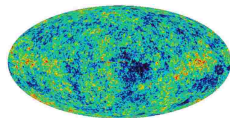
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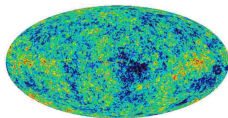
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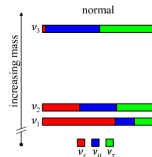
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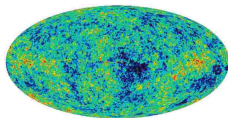
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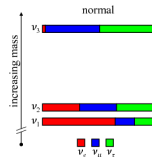
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→ Neutrino vacuum condensate $\langle \bar{\nu}\nu \rangle$ on dark energy scale.

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Image credit: KATRIN [<http://www.ikp.kit.edu/>].

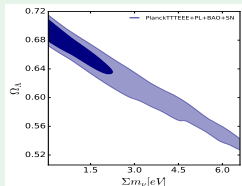
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Other cosmological parameters? Ongoing numerical studies.



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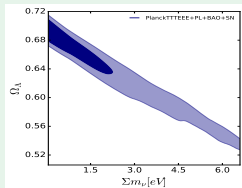
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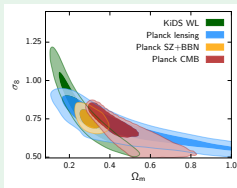
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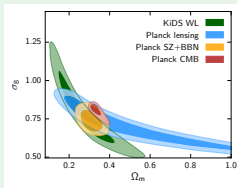
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$\sigma_8(\Omega_m)$ for late m_ν



vs. $\sigma_8(\Omega_m)$ for ΛCDM

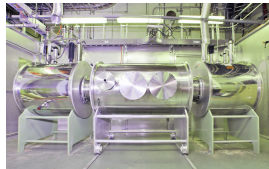
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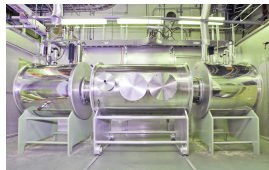
[13] LF, Mirzhagoli (2018), in progress.

Image credits: Betts *et al.* (2013).

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- ▶ Cosmic topological defects: neutrino skyrmions, strings, domain walls [14].



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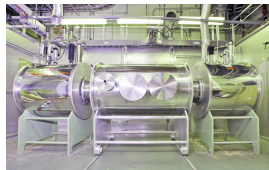
[13] LF, Mirzhagoli (2018), in progress. [14] LF, Vilenkin (2018), in progress.

Image credits: Betts *et al.* (2013).

Phenomenological Implications

Relic(s) and sterile neutrinos:

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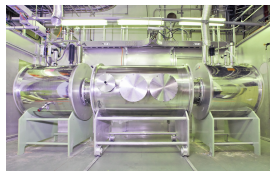
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- ▶ Enhanced neutrino decays: Majorana vs. Dirac in future IceCube data [15]?



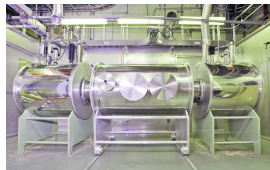
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Image credits: Betts *et al.* (2013). Beiser, IceCube/NSF [<http://gallery.icecube.wisc.edu/>]

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Frontiers of gravity measurements:

- ▶ Different polarization intensities of gravitational waves [16].



[16] Jackiw, Pi (2003).

Image credits: The SXS Project [<https://www.ligo.caltech.edu/>]

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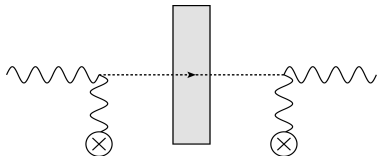


[16] Jackiw, Pi (2003). [17] Dvali, LF (2016b), “Domestic Axion” solution to strong CP problem.
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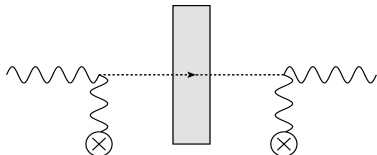
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Image credits: The SXS Project [<https://www.ligo.caltech.edu/>] and Redondo, Ringwald (2010).

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- ▶ Flavor-violating processes within reach of LHC, Mu2e, etc.?

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Do you have any questions?