



UNIVERSITÄT  
HEIDELBERG  
ZUKUNFT  
SEIT 1386



# Direct Dark Matter Searches: Part II

## Principles of direct detection: electron recoil

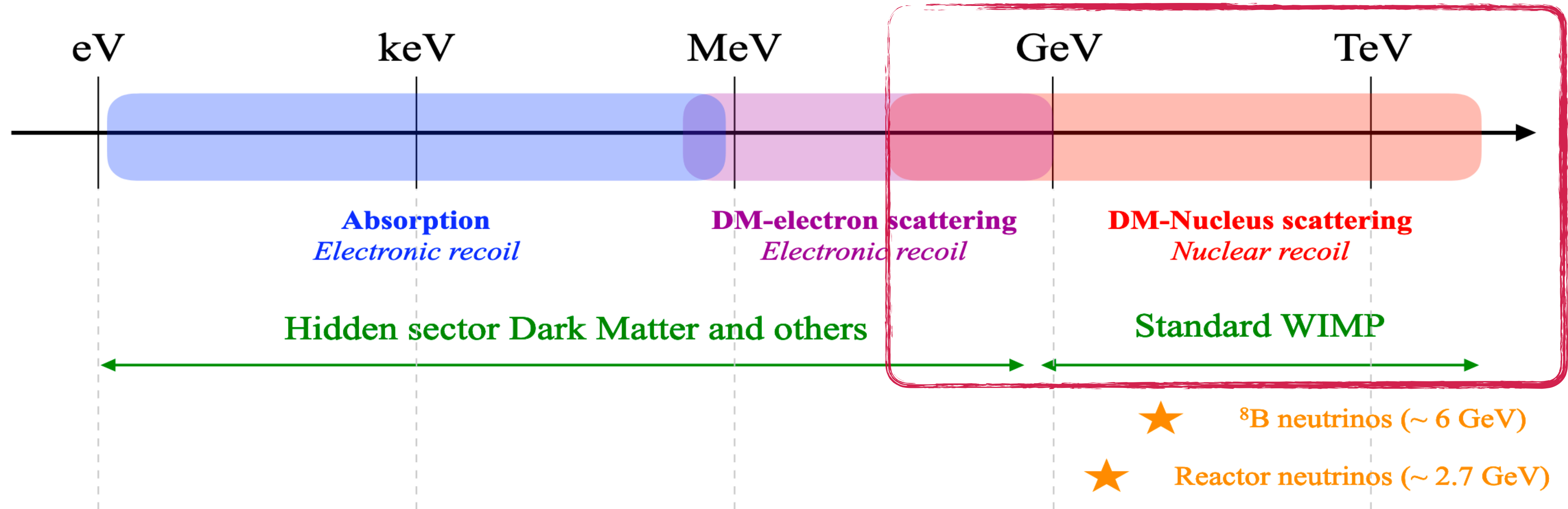
ISAPP School „Neutrinos and Dark Matter – in the lab and in the Universe“, 25.09.2024

Belina VON KROSIGK (bkrosigk@kip.uni-heidelberg.de)



# Reminder

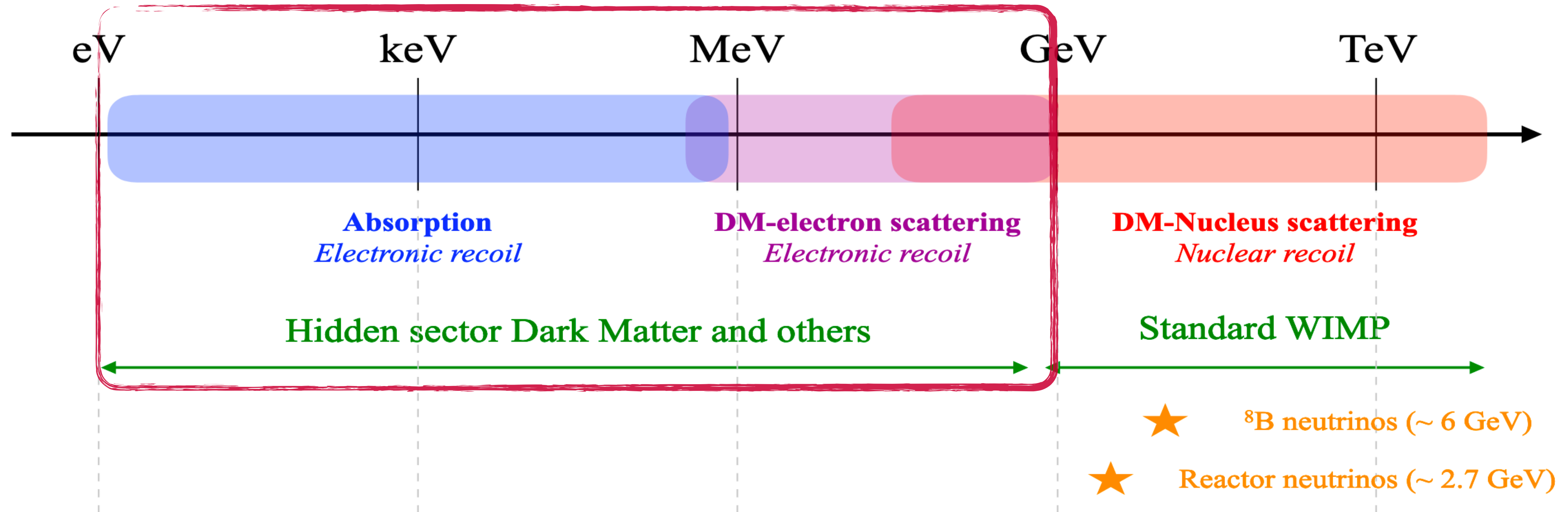
- Expected candidates, interactions, and rates



See Marco Cirelli's  
lectures

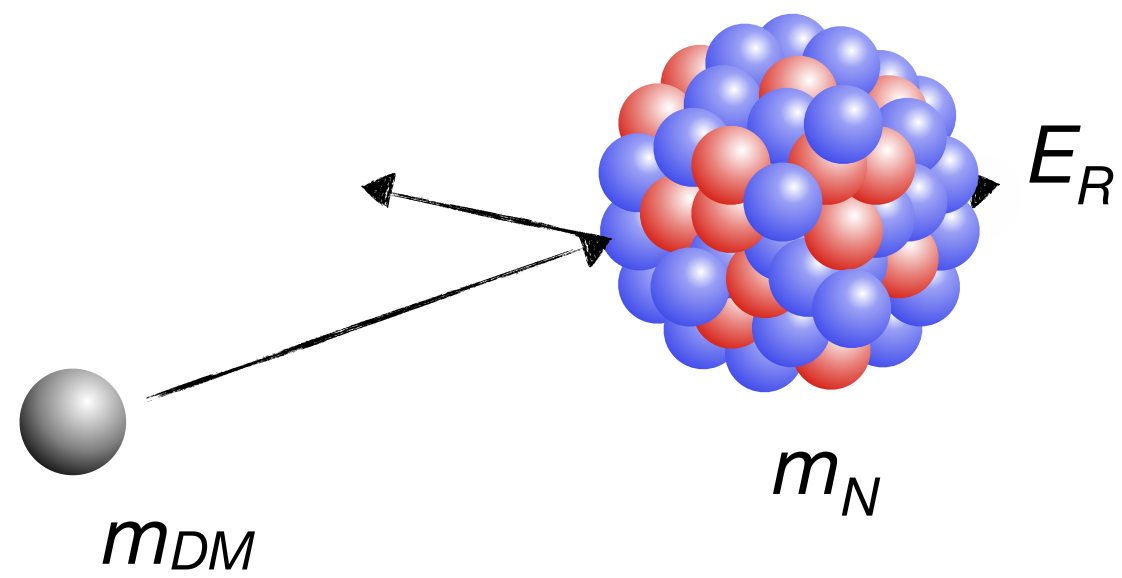
# Today

## Expected candidates, interactions, and rates



See Marco Cirelli's  
lectures

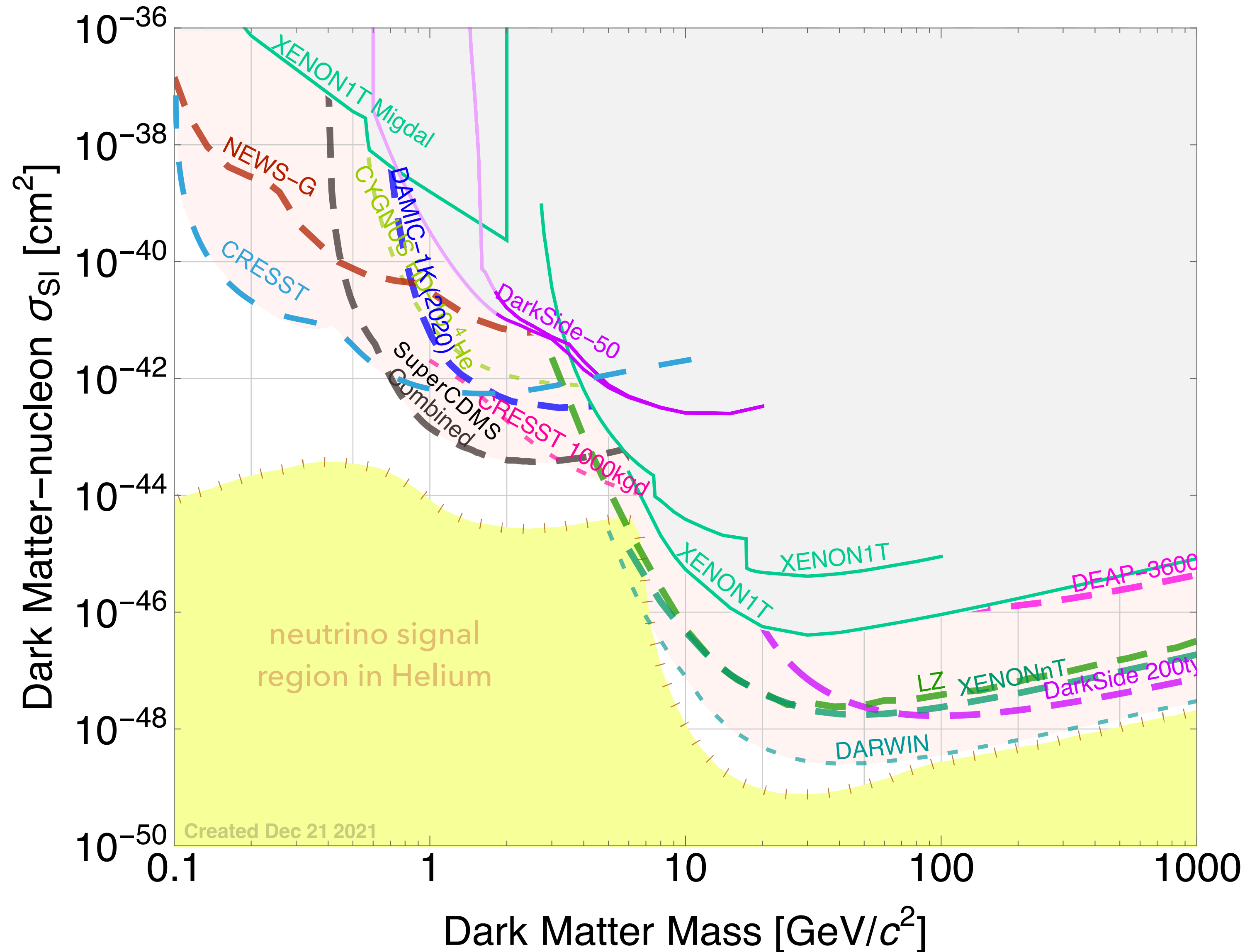
# DM-nucleus scattering: reminder



Observable recoil energy:

$$E_R = \frac{1}{2} \frac{\Delta p^2}{m_N} \simeq \frac{2 m_{DM}^2 v_{DM}^2}{m_N}$$

$$\left( \frac{dR}{dE_R} \right)_{\chi N}^{SI} = \frac{\sigma_0^{SI}}{m_\chi} \cdot \frac{\rho_0 T(\vec{v})}{v \sqrt{\pi}} \cdot \frac{F_{SI}^2(E_R)}{\mu^2}$$





# DM-nucleus scattering: experimental status

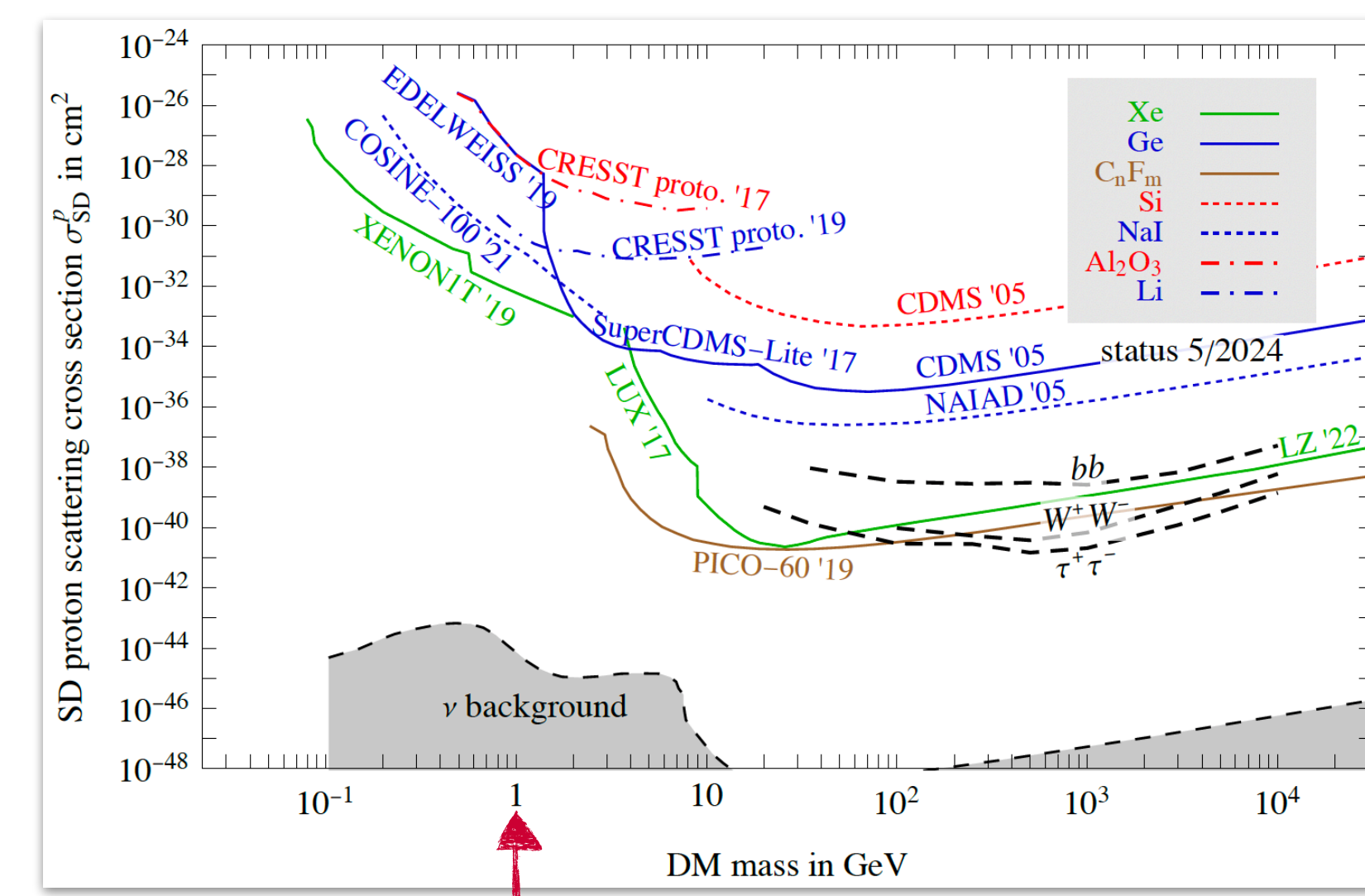
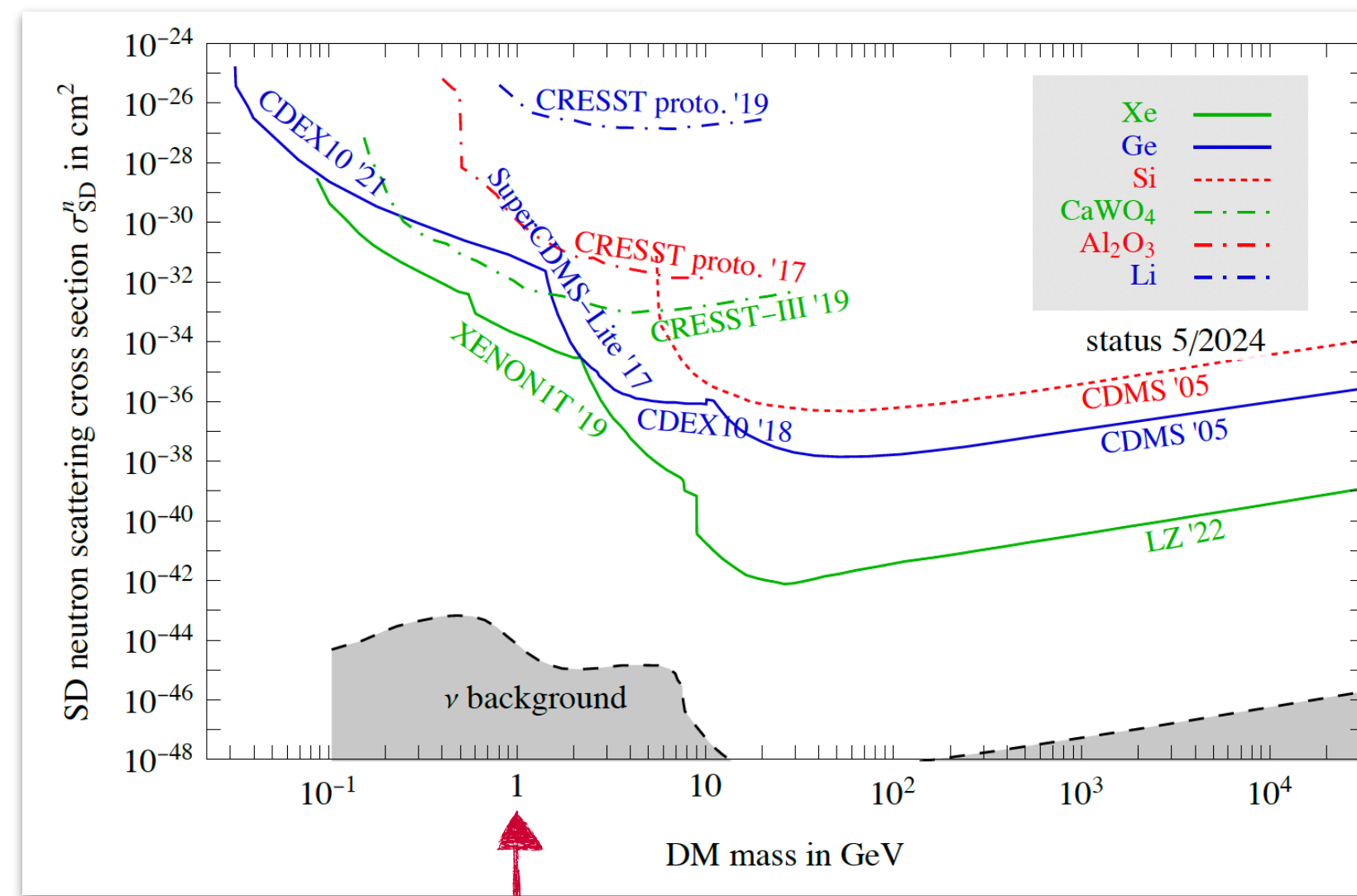
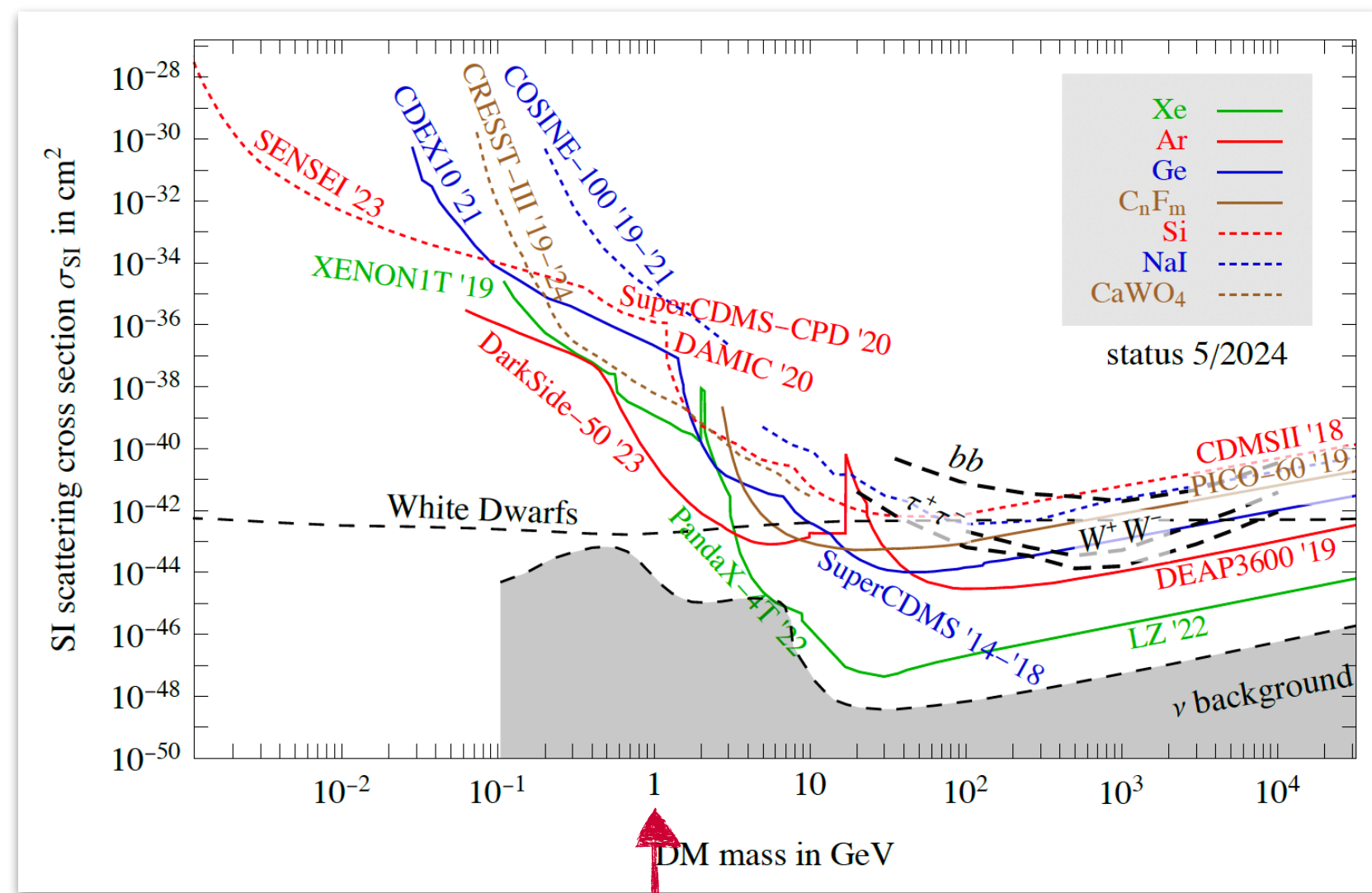
Many thanks to Marco Cirelli, Alessandro Strumia, Jure Zupan for a great, latest DM compilation!

arXiv:2406.01705

Spin-independent

Spin-dependent, neutron

Spin-dependent, proton



Quite some activity below 1 GeV!



# DM-nucleus scattering: experimental status

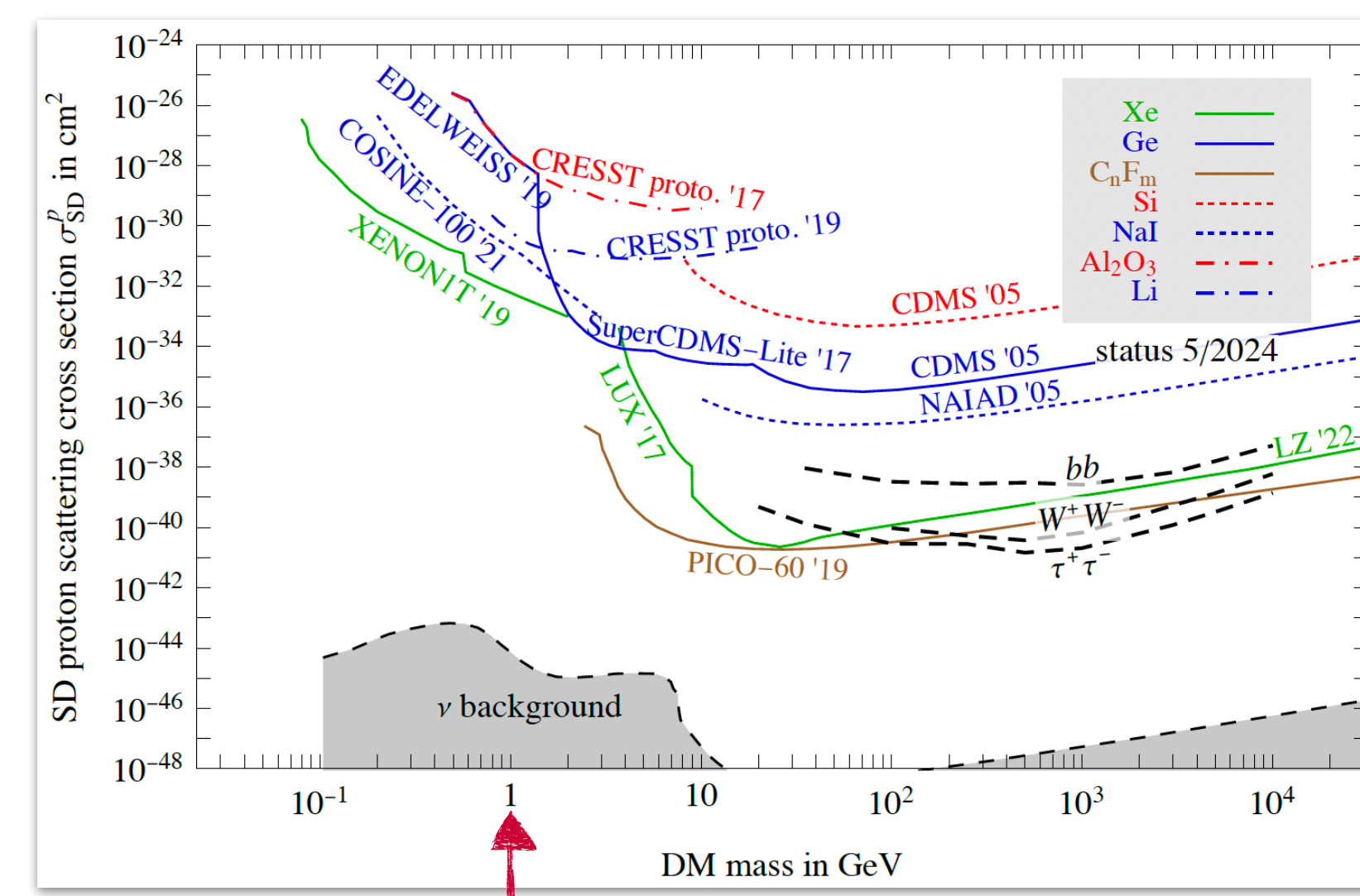
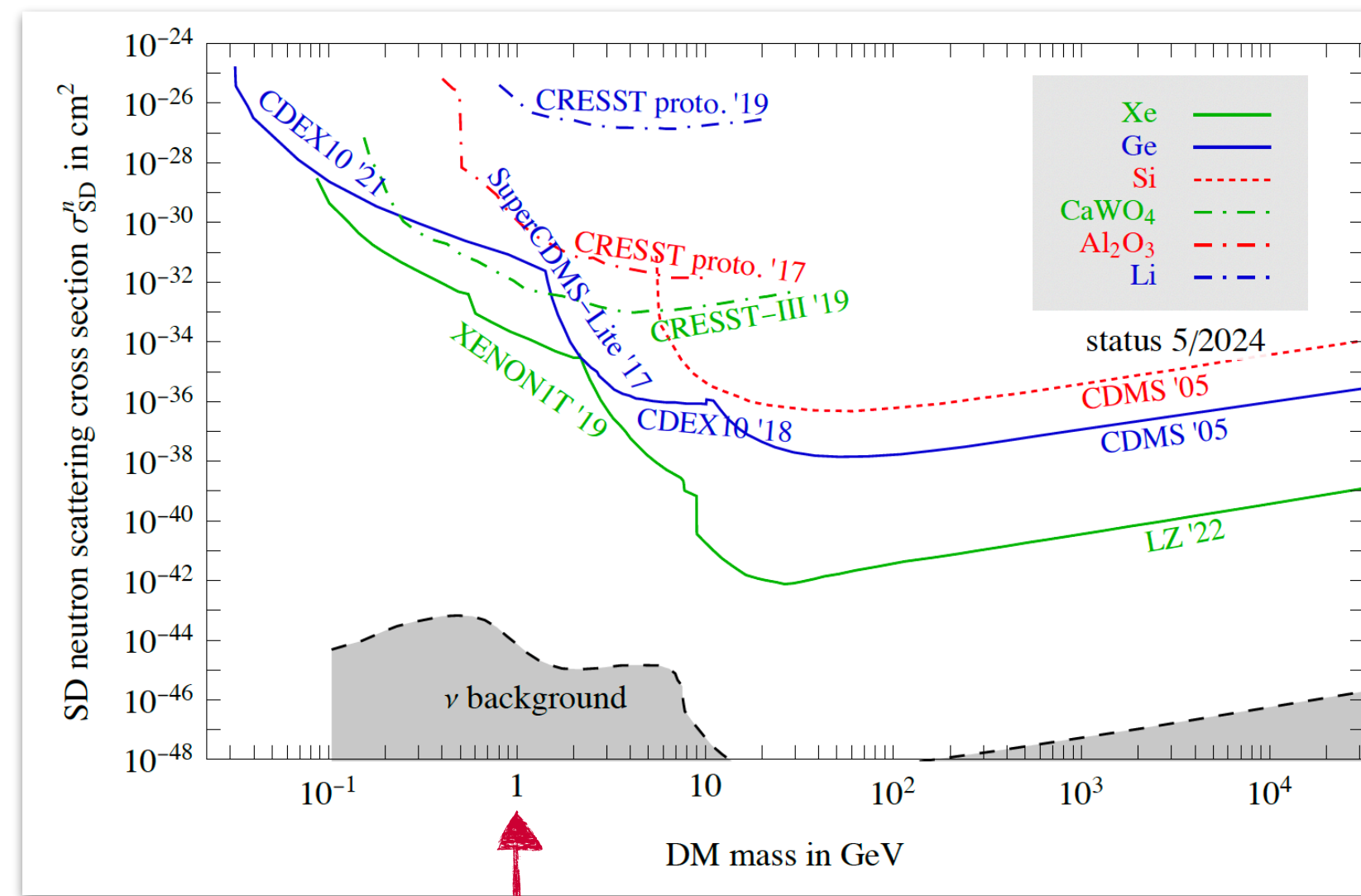
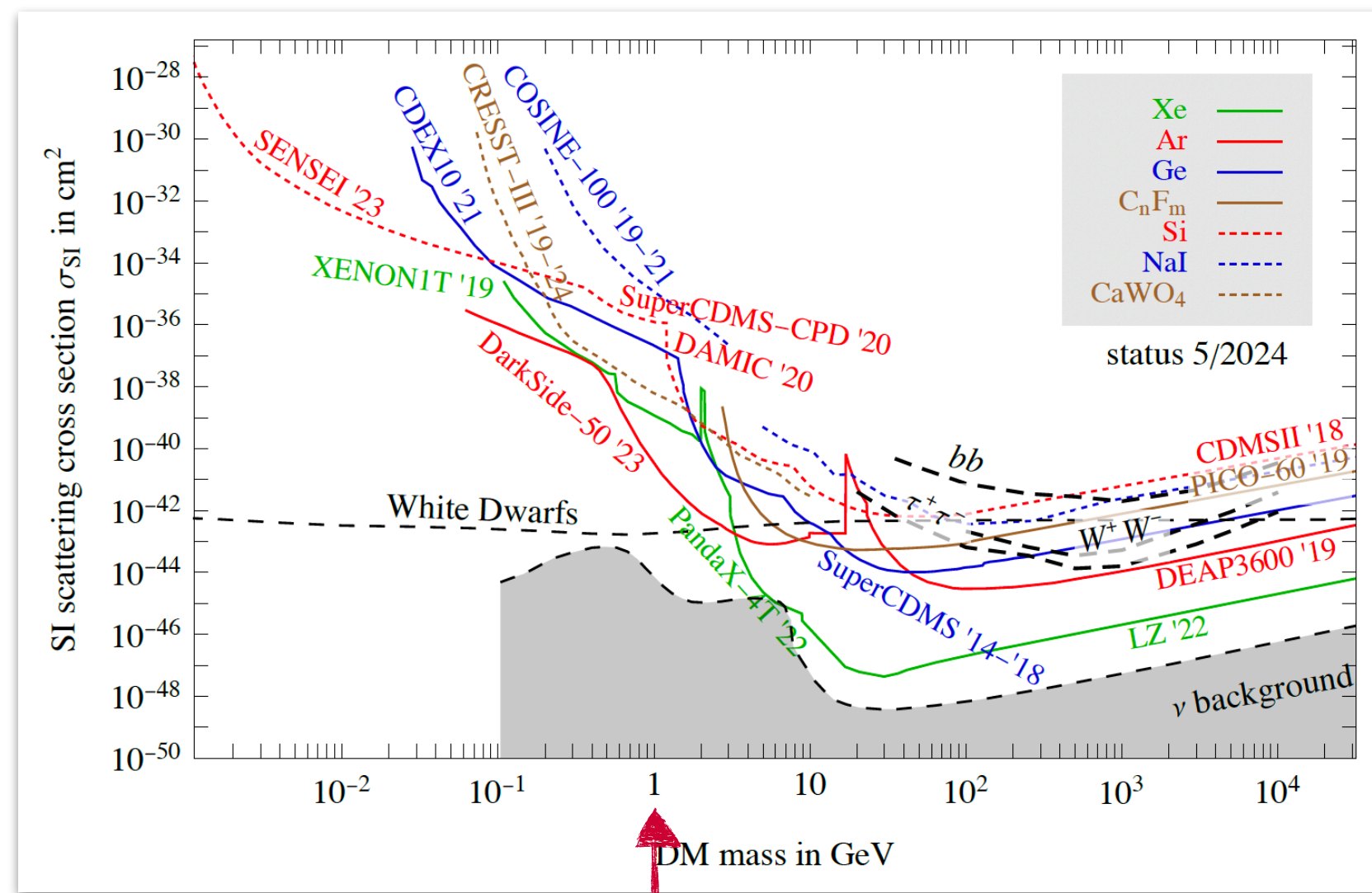
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Spin-independent

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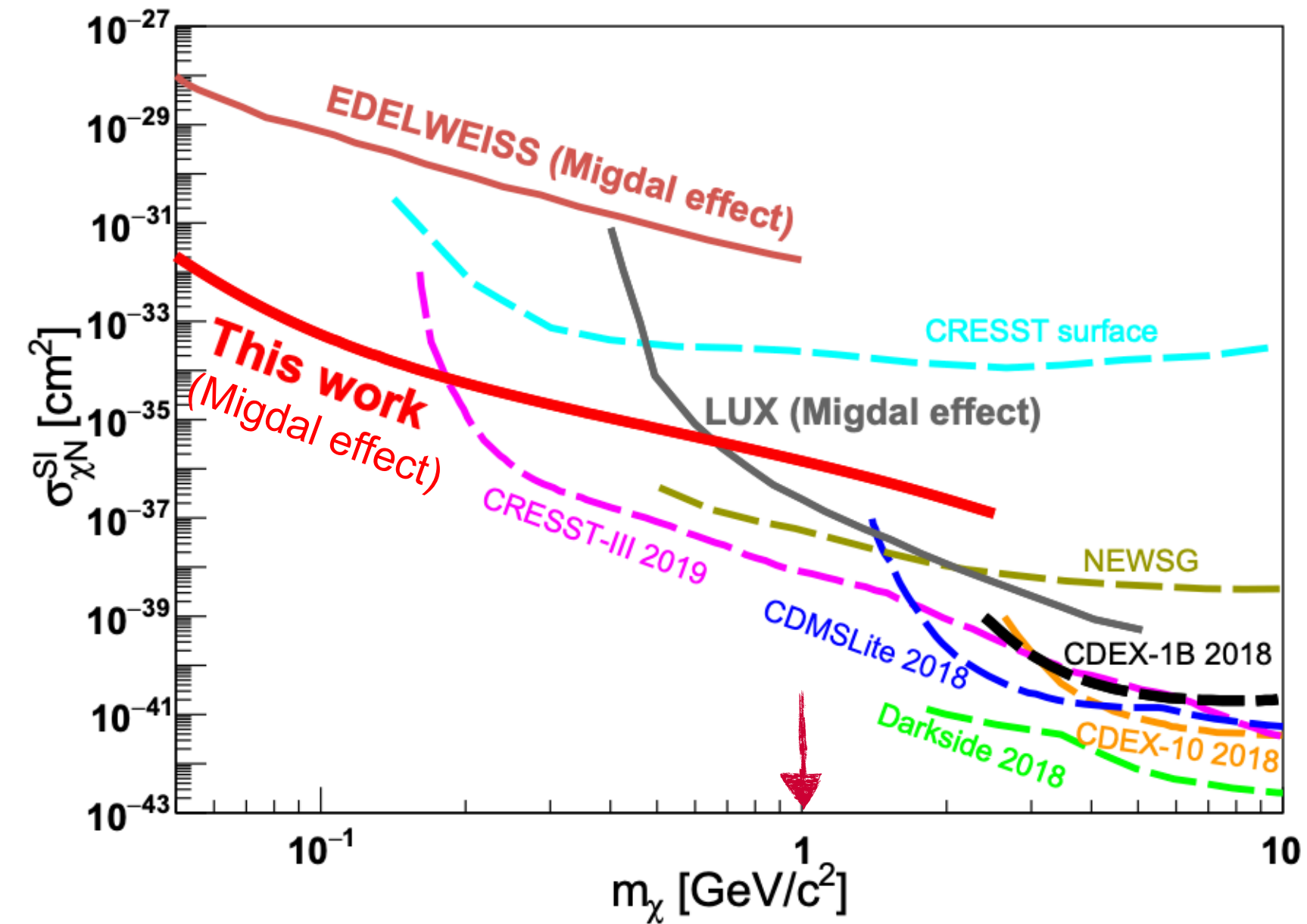
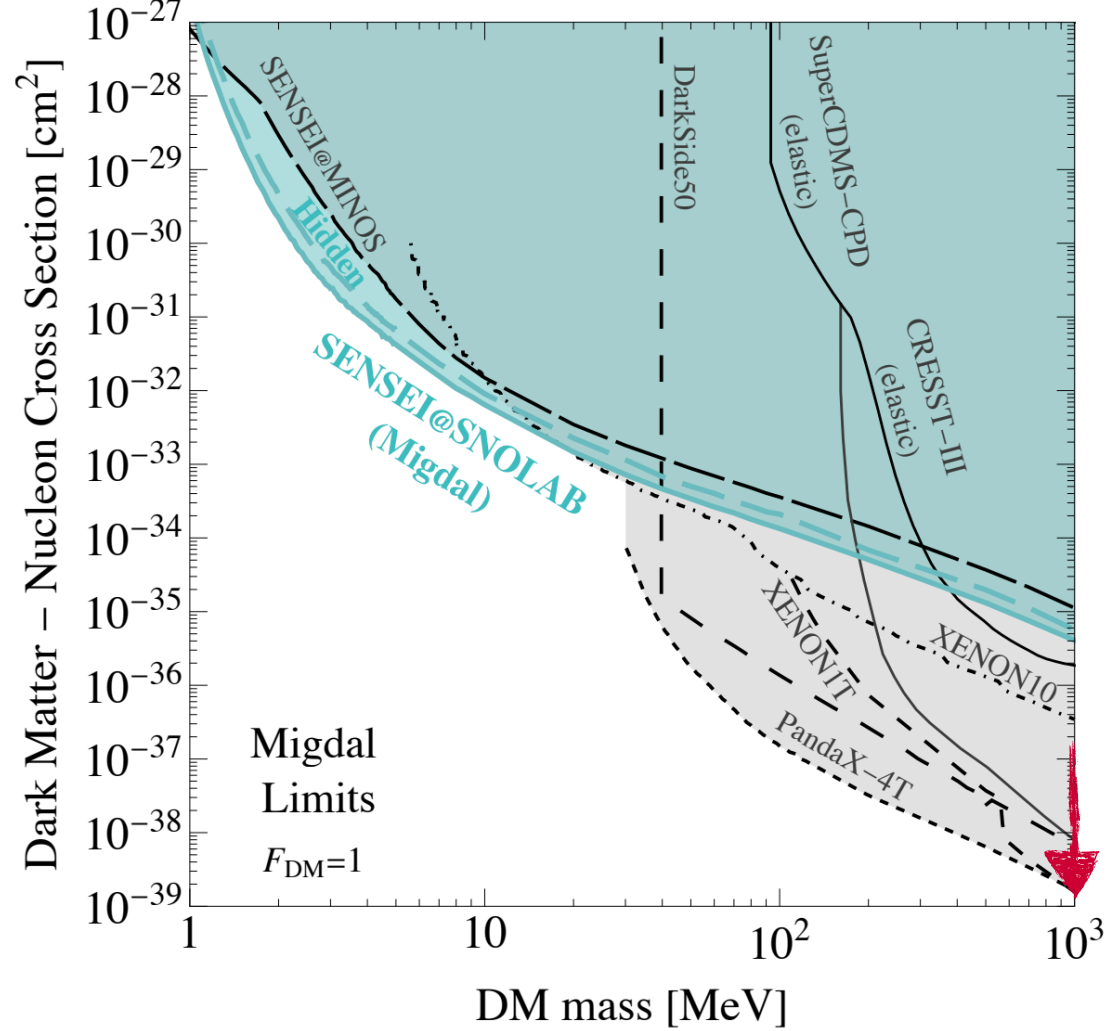
Spin-dependent, proton



Quite some activity below 1 GeV!

However, not all of it is **elastic** DM-nucleon scattering.

# DM-nucleus scattering

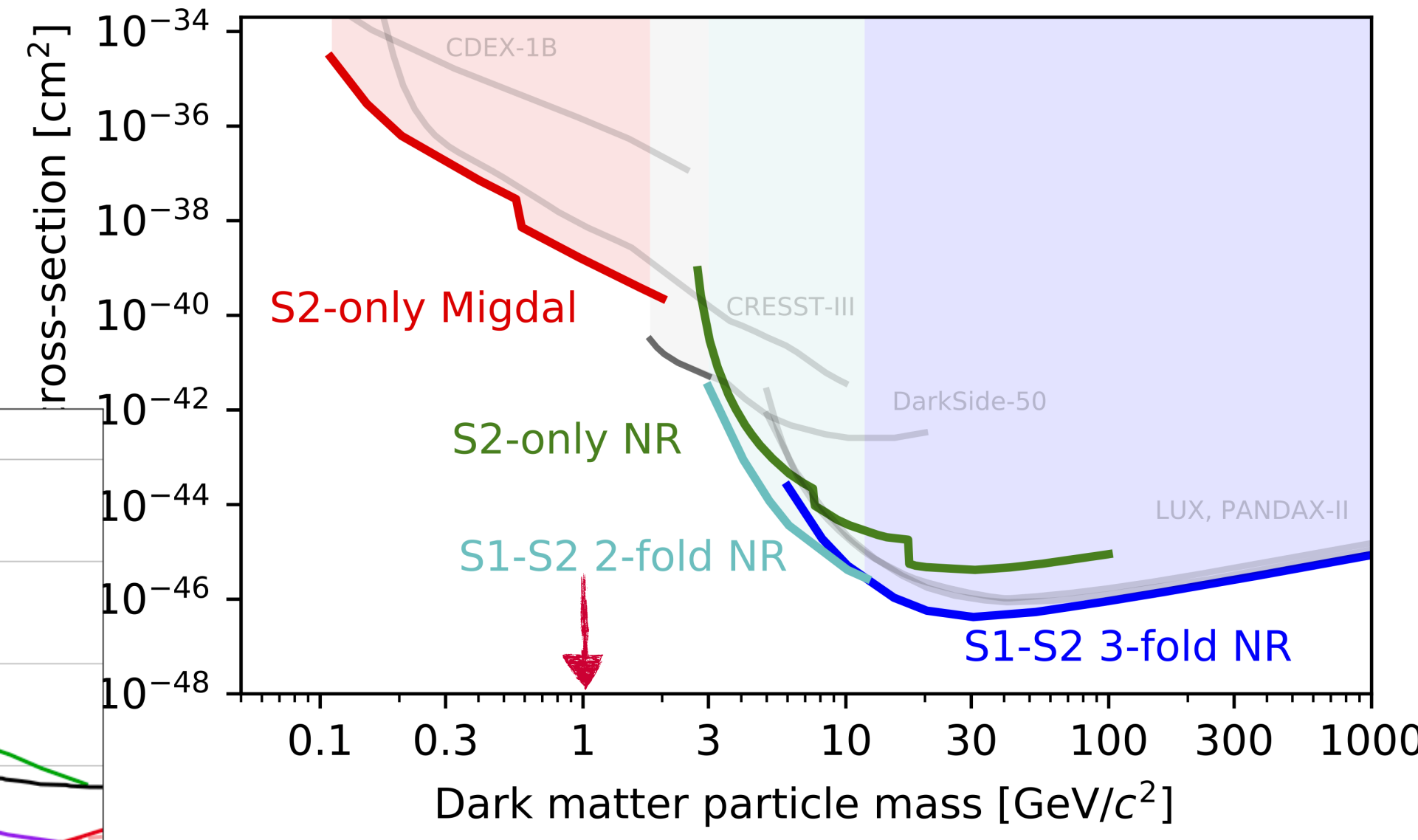
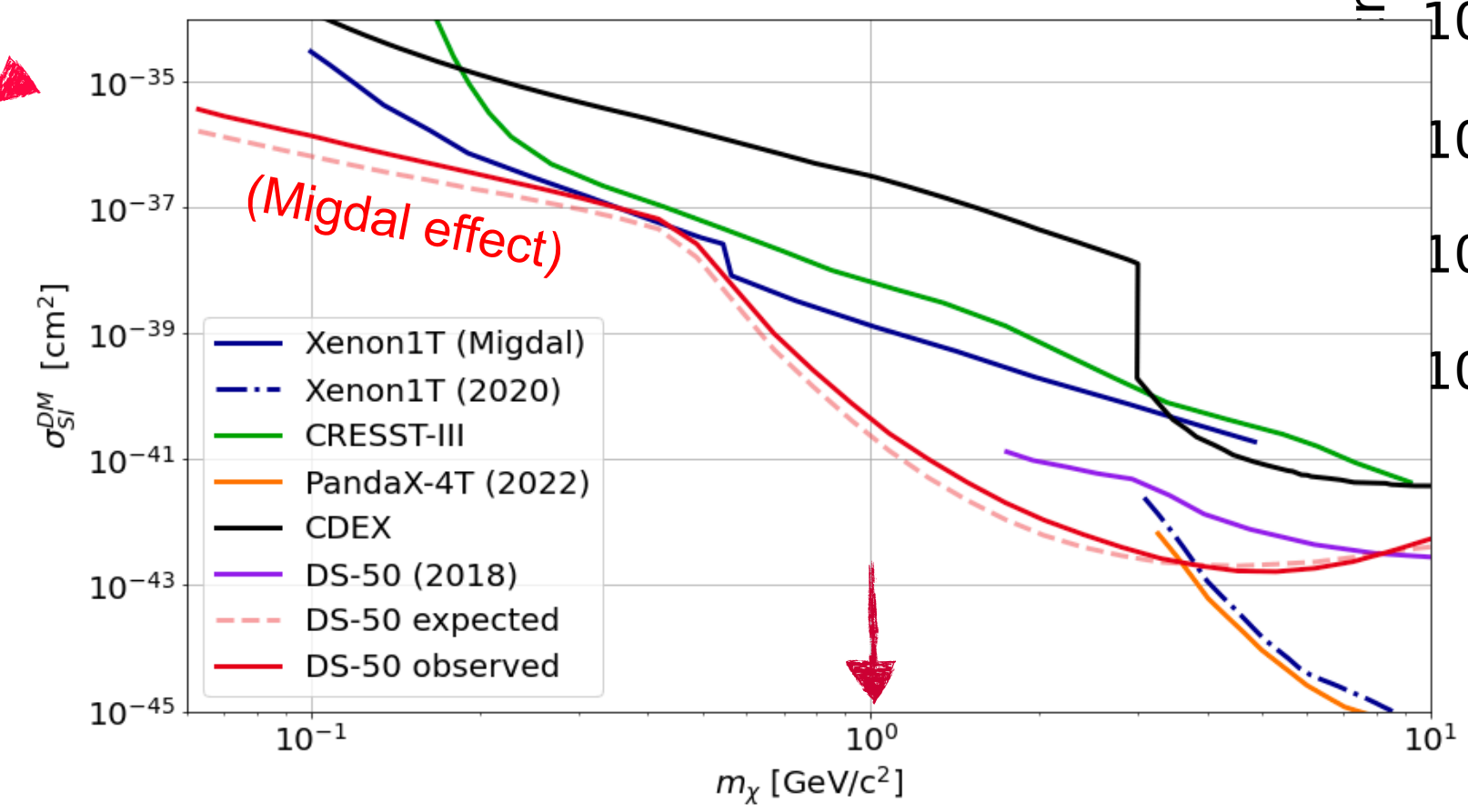
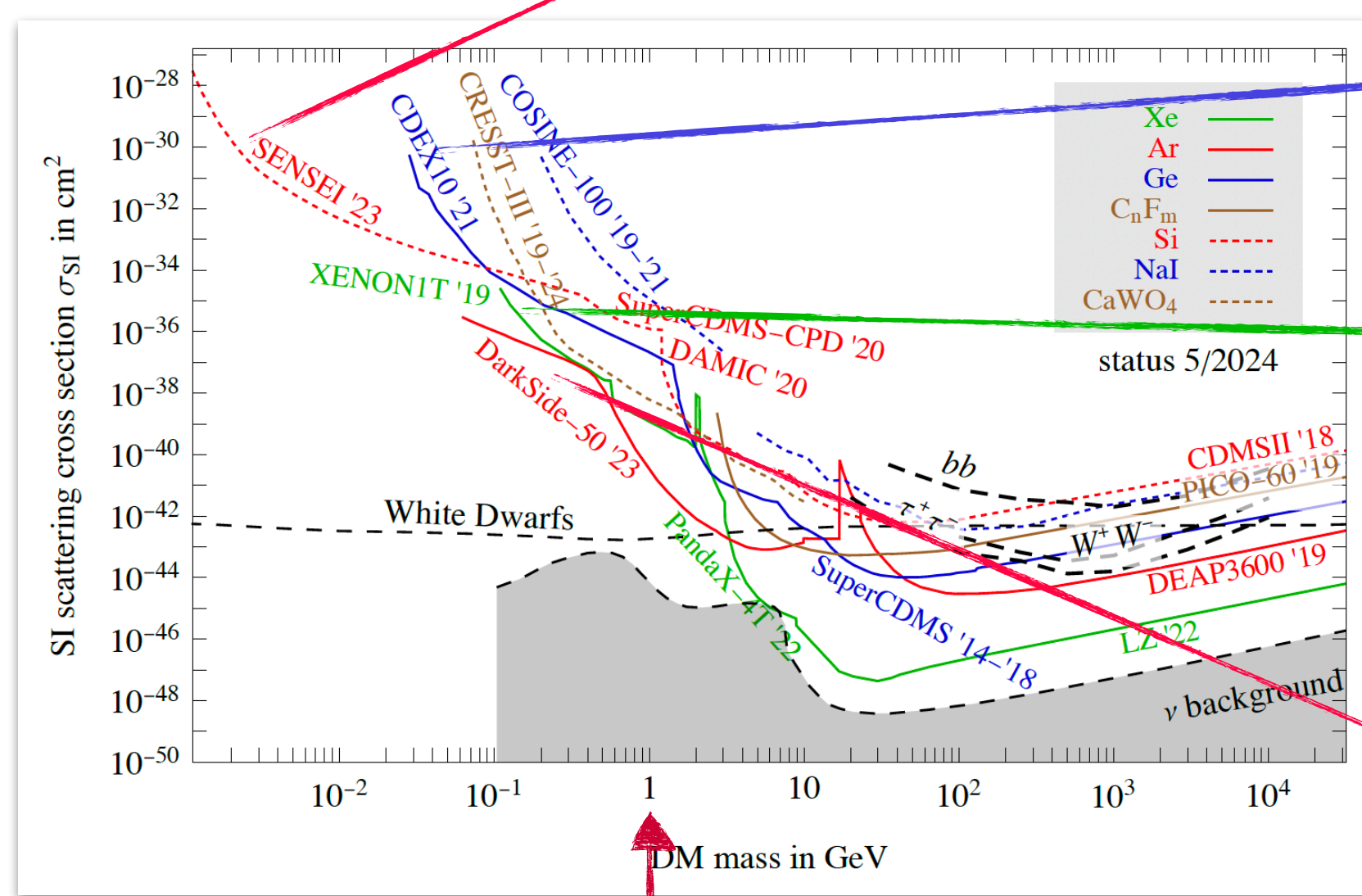


SENSEI, arXiv:2312.13342

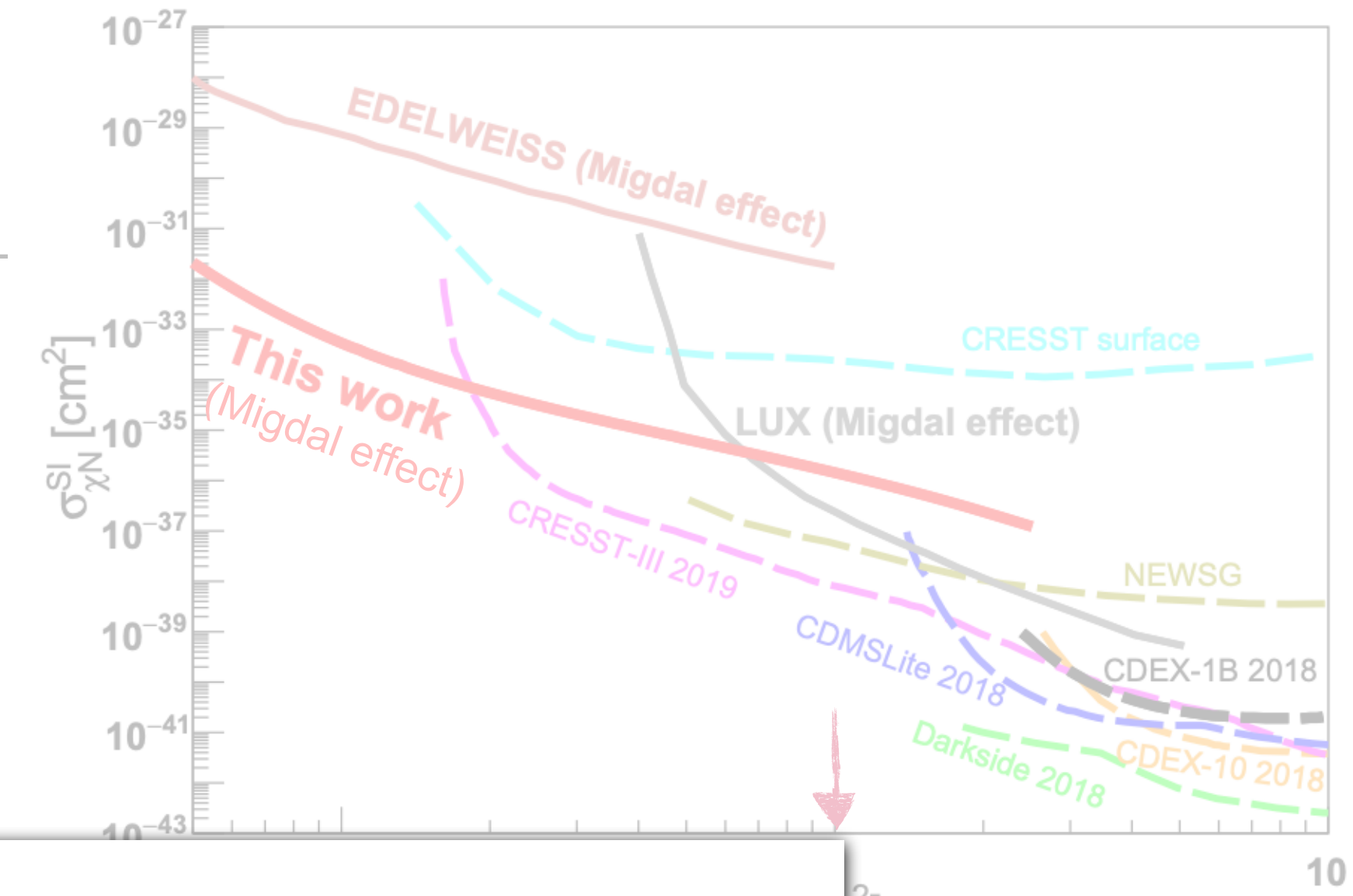
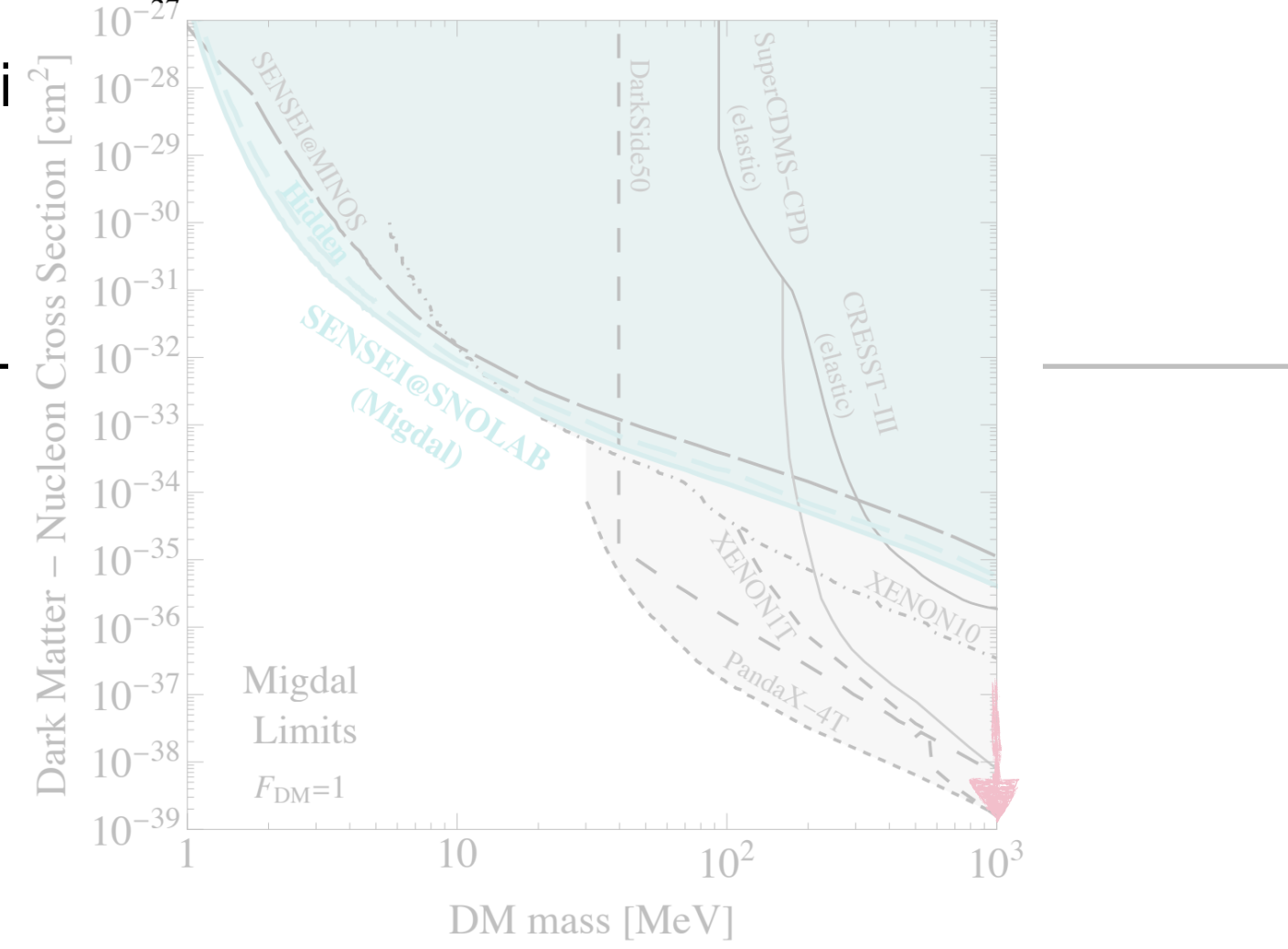
CDEX, Phys. Rev. Lett. 123, 161301

XENON1T, Phys. Rev. D 102, 072004

DarkSide-50, Eur. Phys. J. C 83, 322



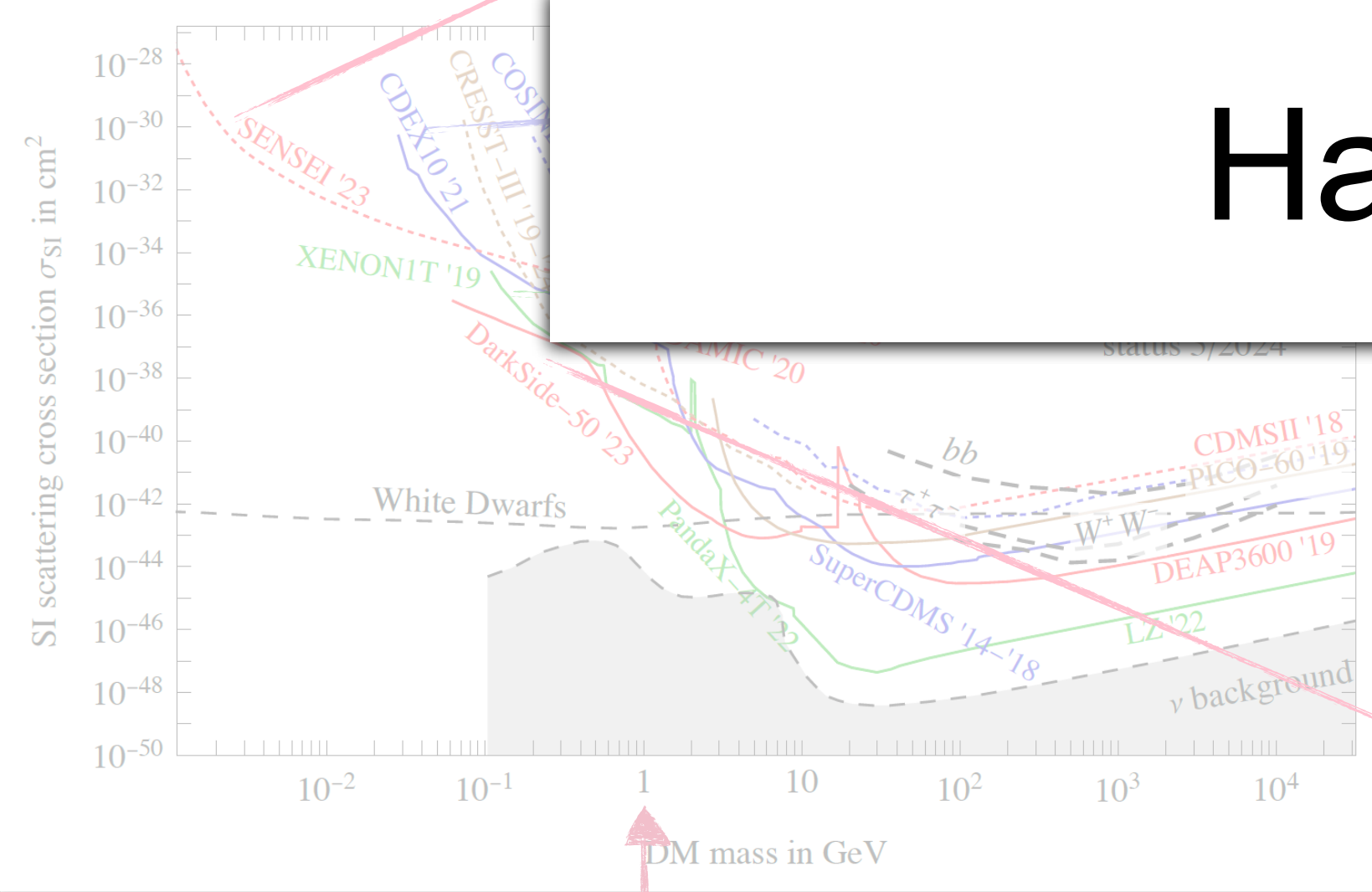
# DM-nucleus scattering



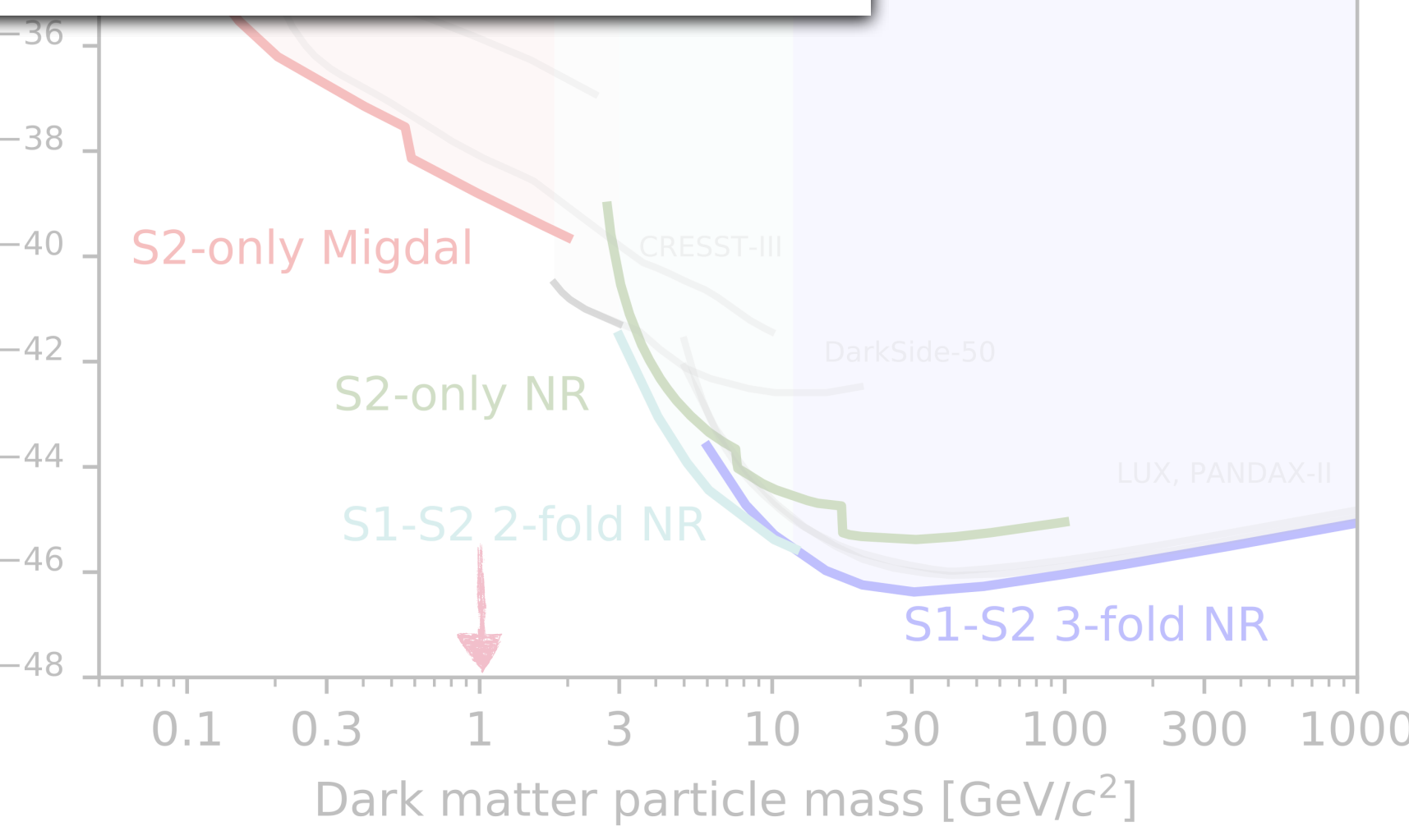
SENSEI, arXiv:2312.13342

CDEX, Phys. Rev. Lett. 123, 161301

Have to read the fine print!



DarkSide-50, Eur. Phys. J. C 83, 322





What's the Migdal effect



Why not using the regular elastic scattering interaction



And why the effort in the first place



What's the Migdal effect



Why not using the regular elastic scattering interaction

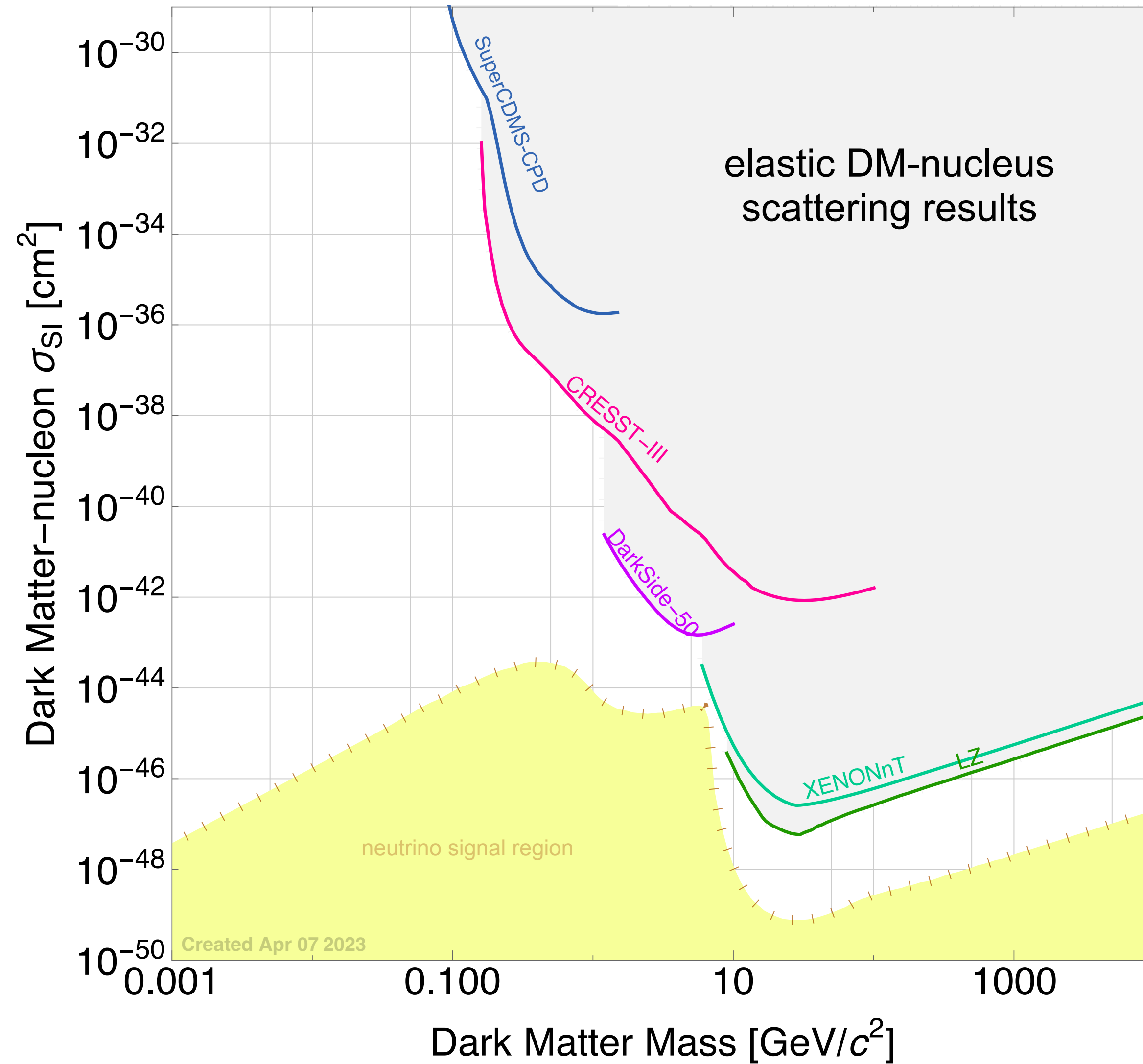


And why the effort in the first place





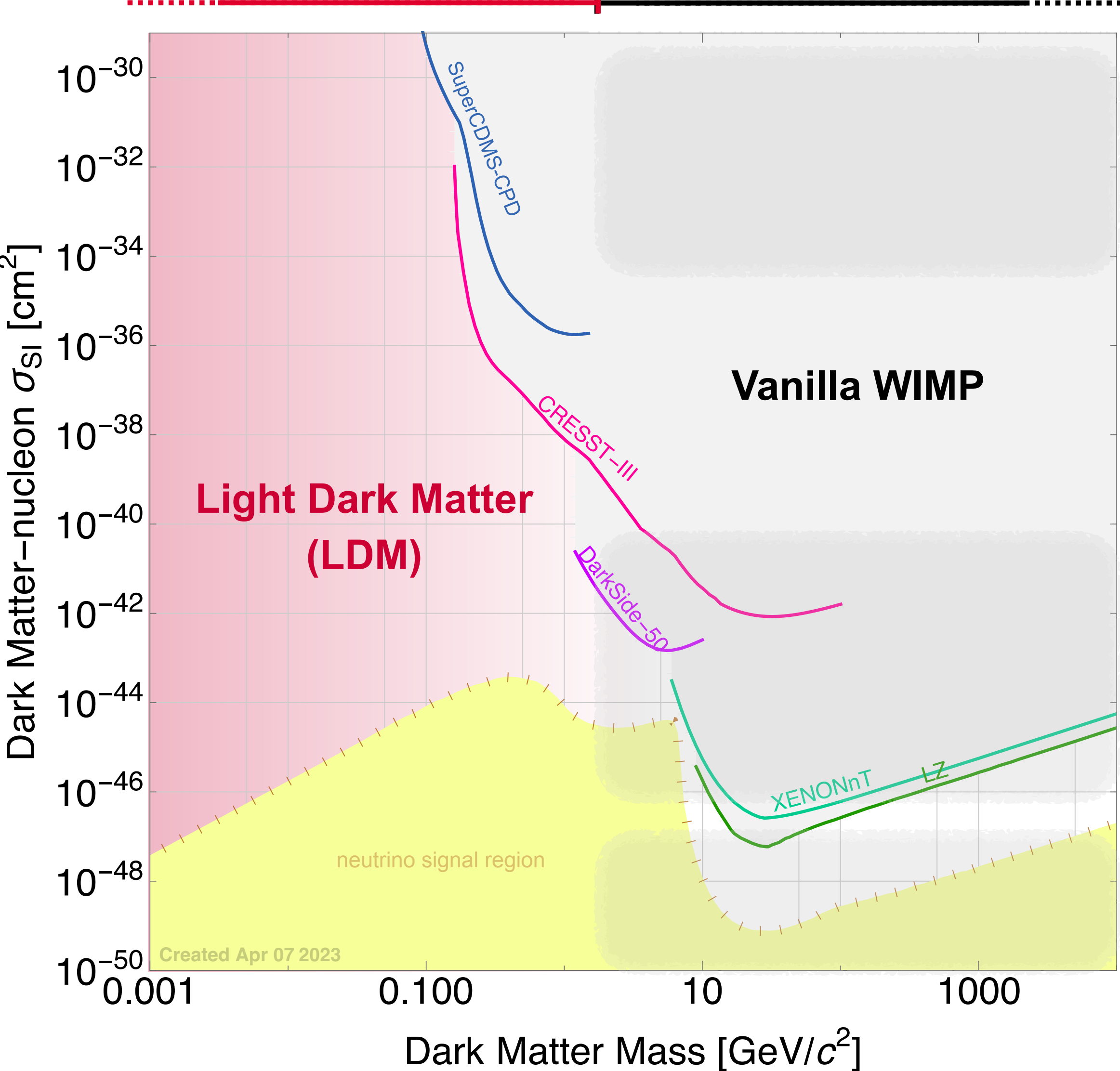
# The sub-GeV parameter space



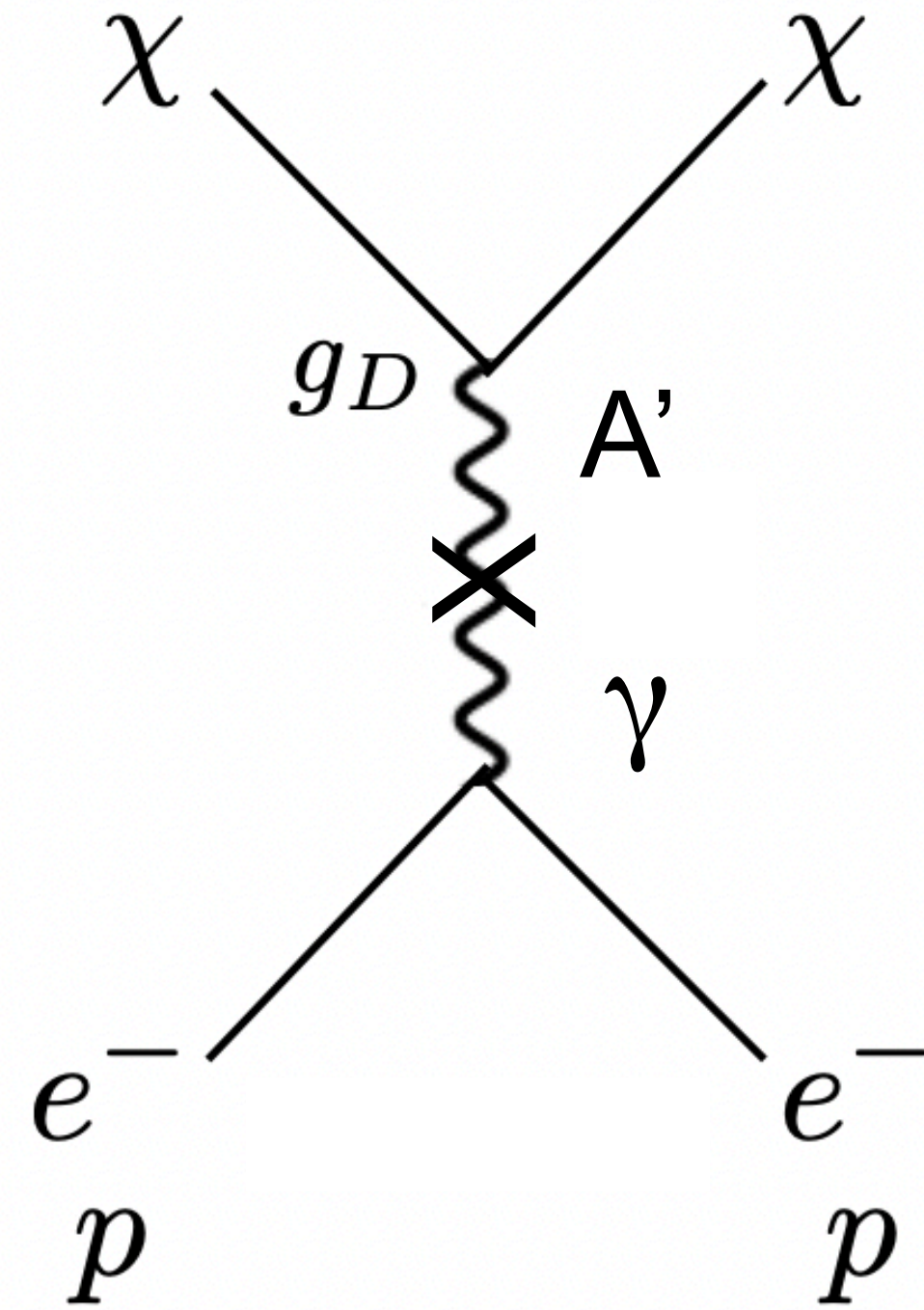


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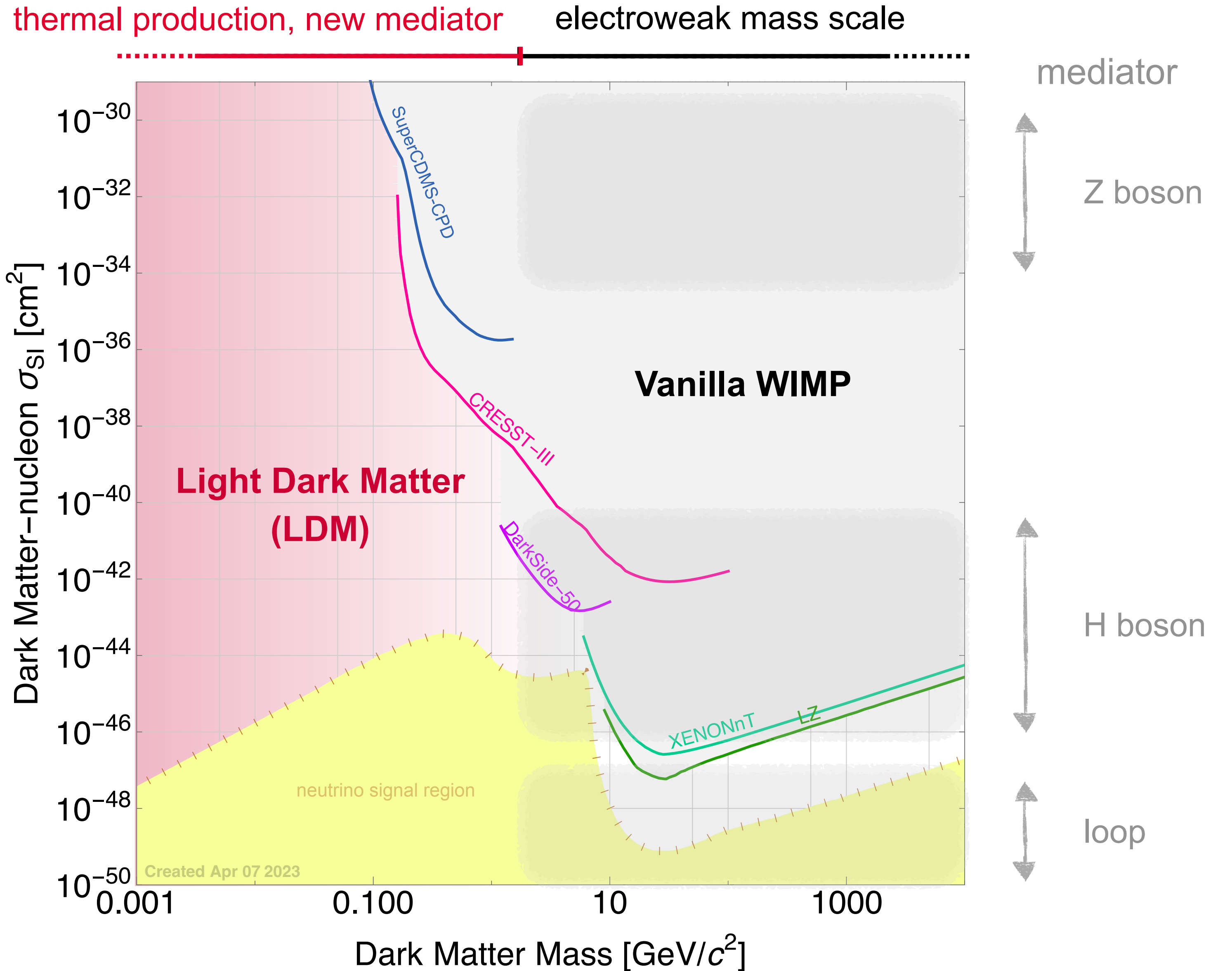
thermal production, new mediator      electroweak mass scale



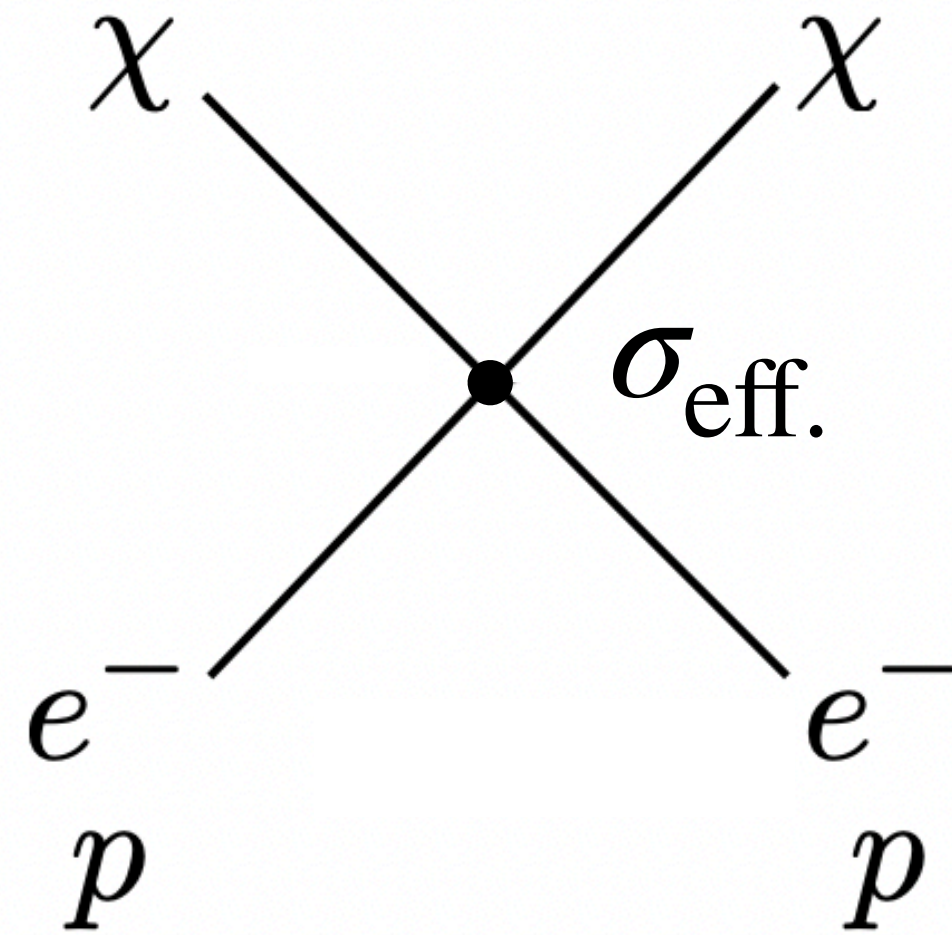
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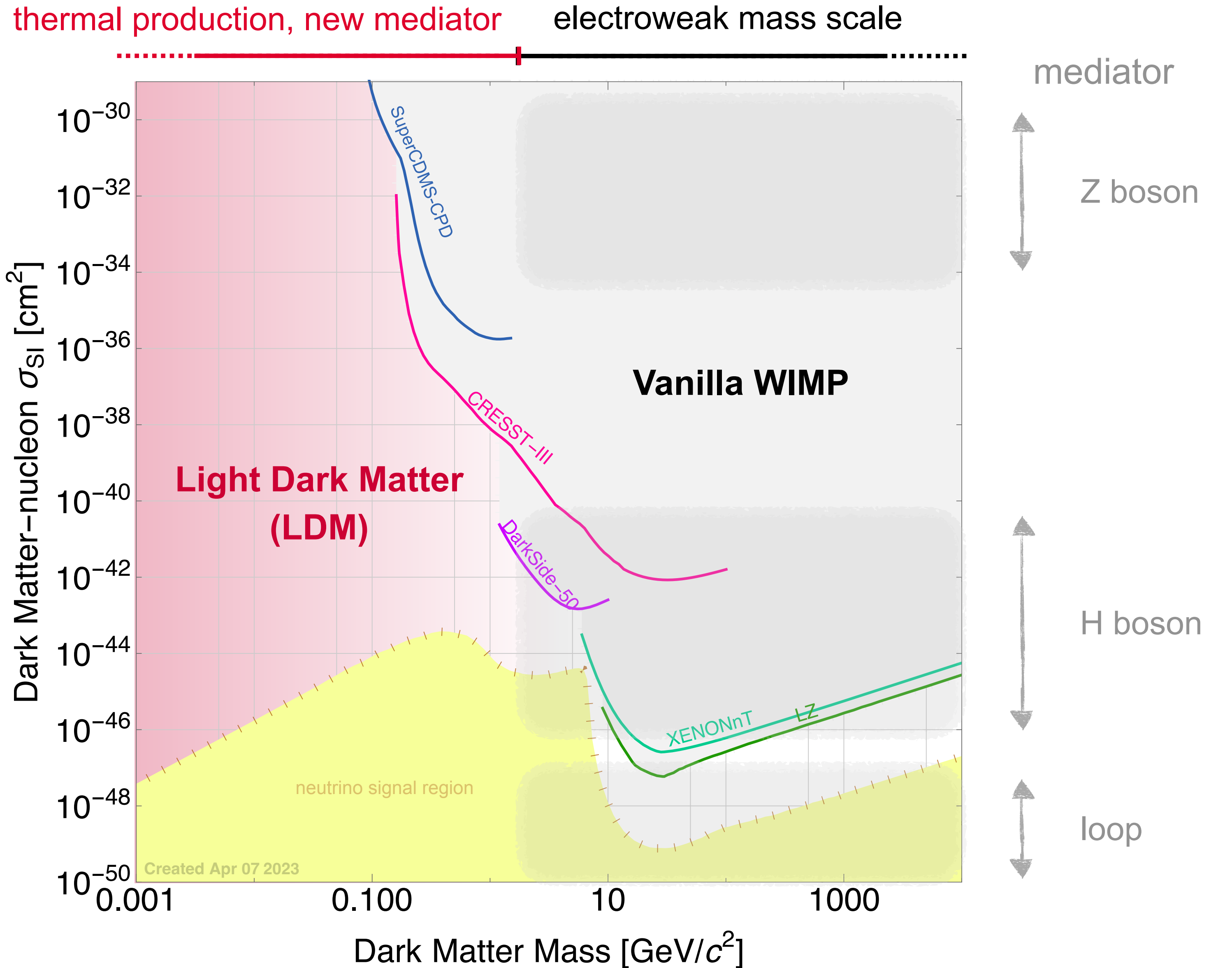
- New mediator, e.g. dark photon  $A'$ .
- Coupling to electrons and nuclei via kinetic mixing with SM photon.



# The sub-GeV parameter space



Observable:  
effective interaction cross section.

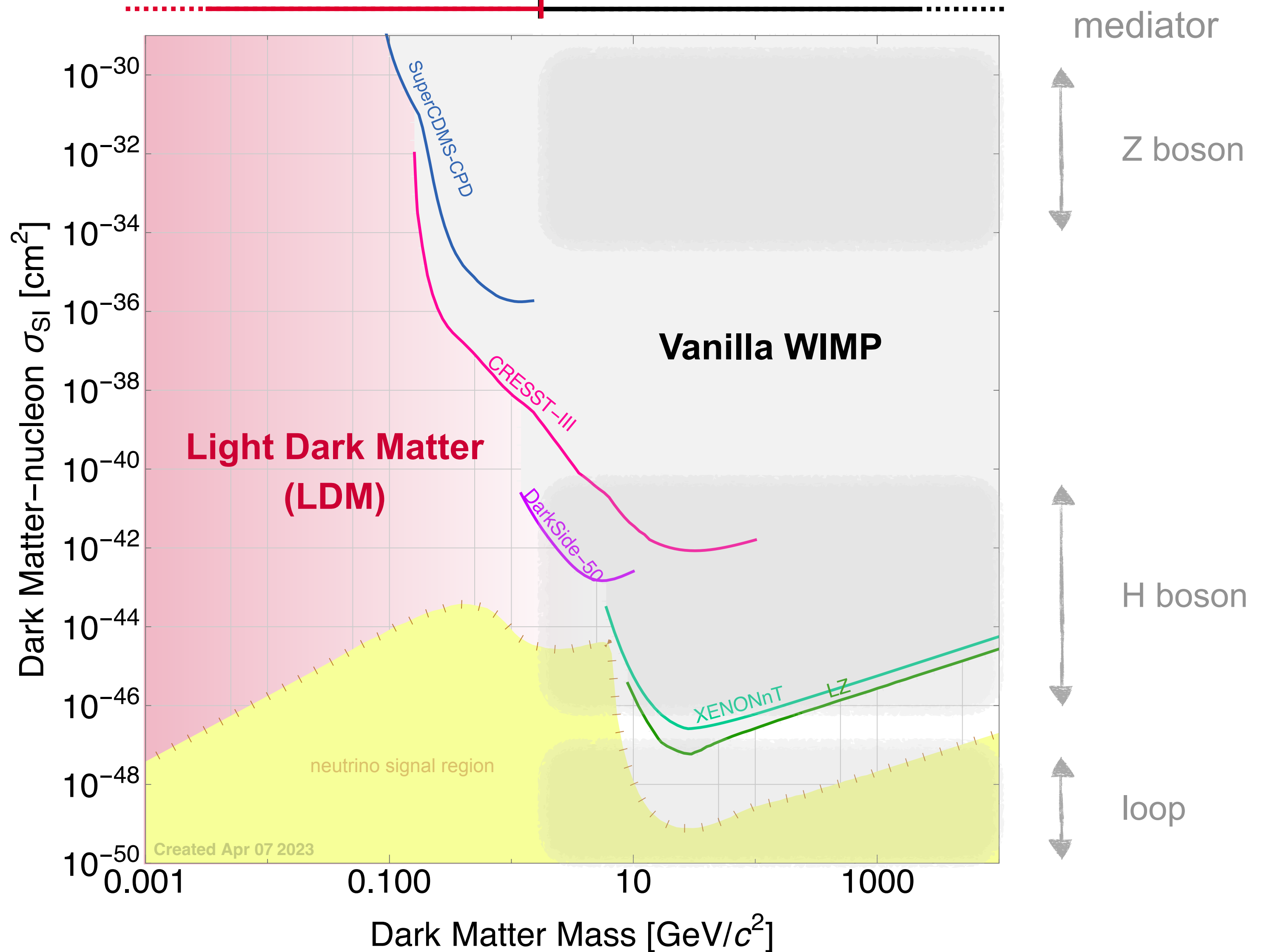
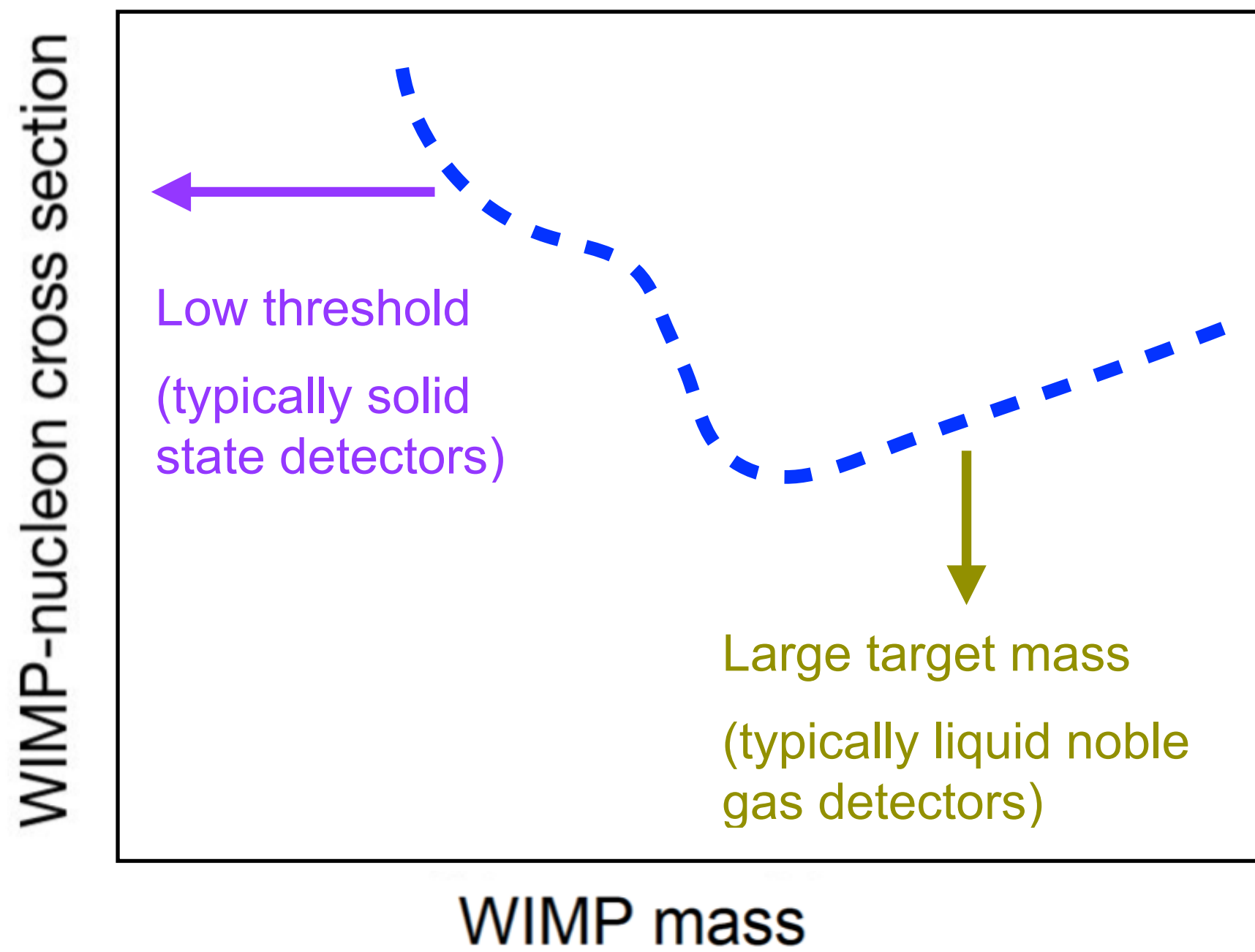




# The sub-GeV parameter space

thermal production, new mediator      electroweak mass scale

--- Sensitivity of upcoming experiments



What's the Migdal effect



Why not using the regular elastic scattering interaction



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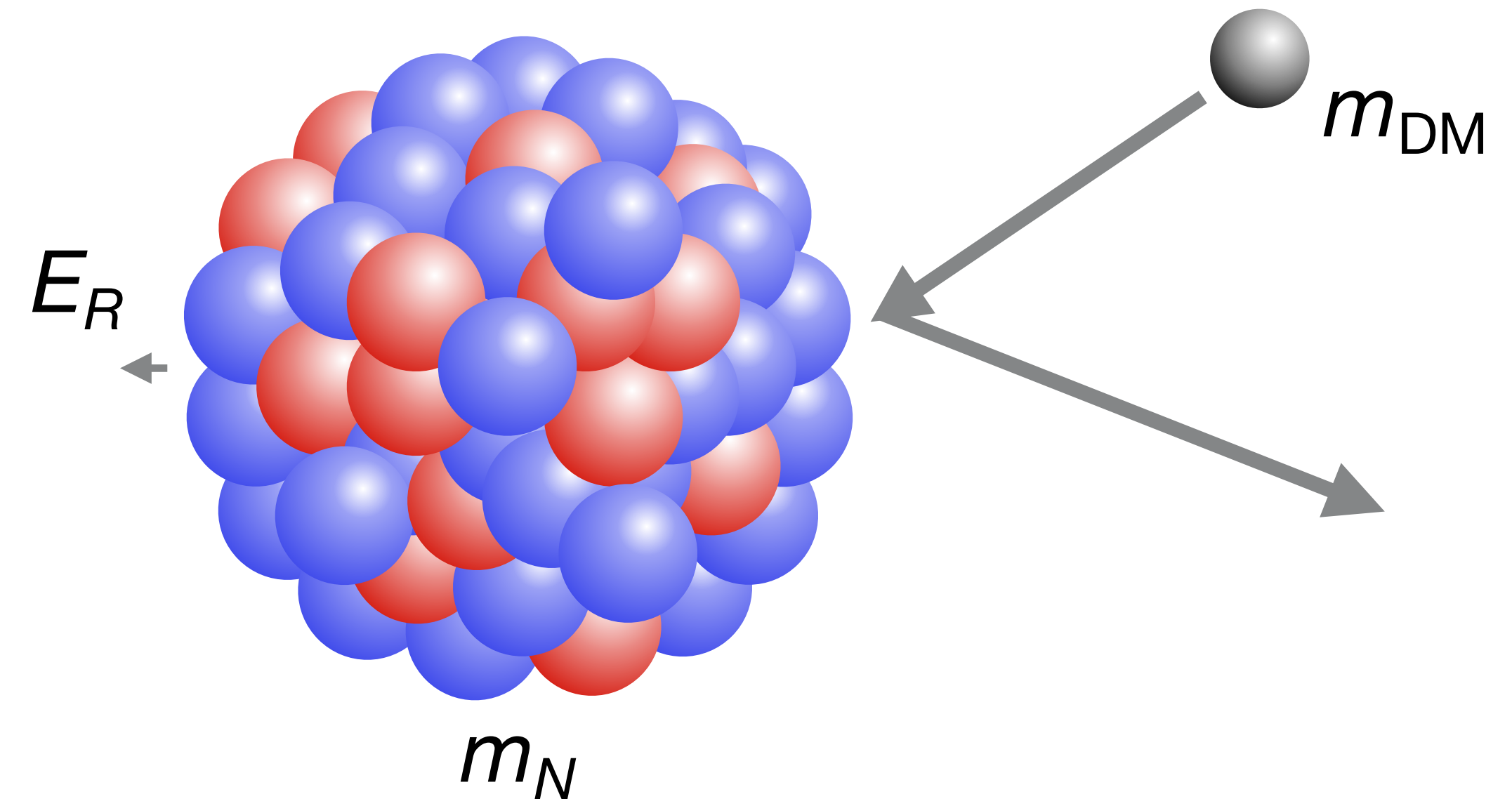
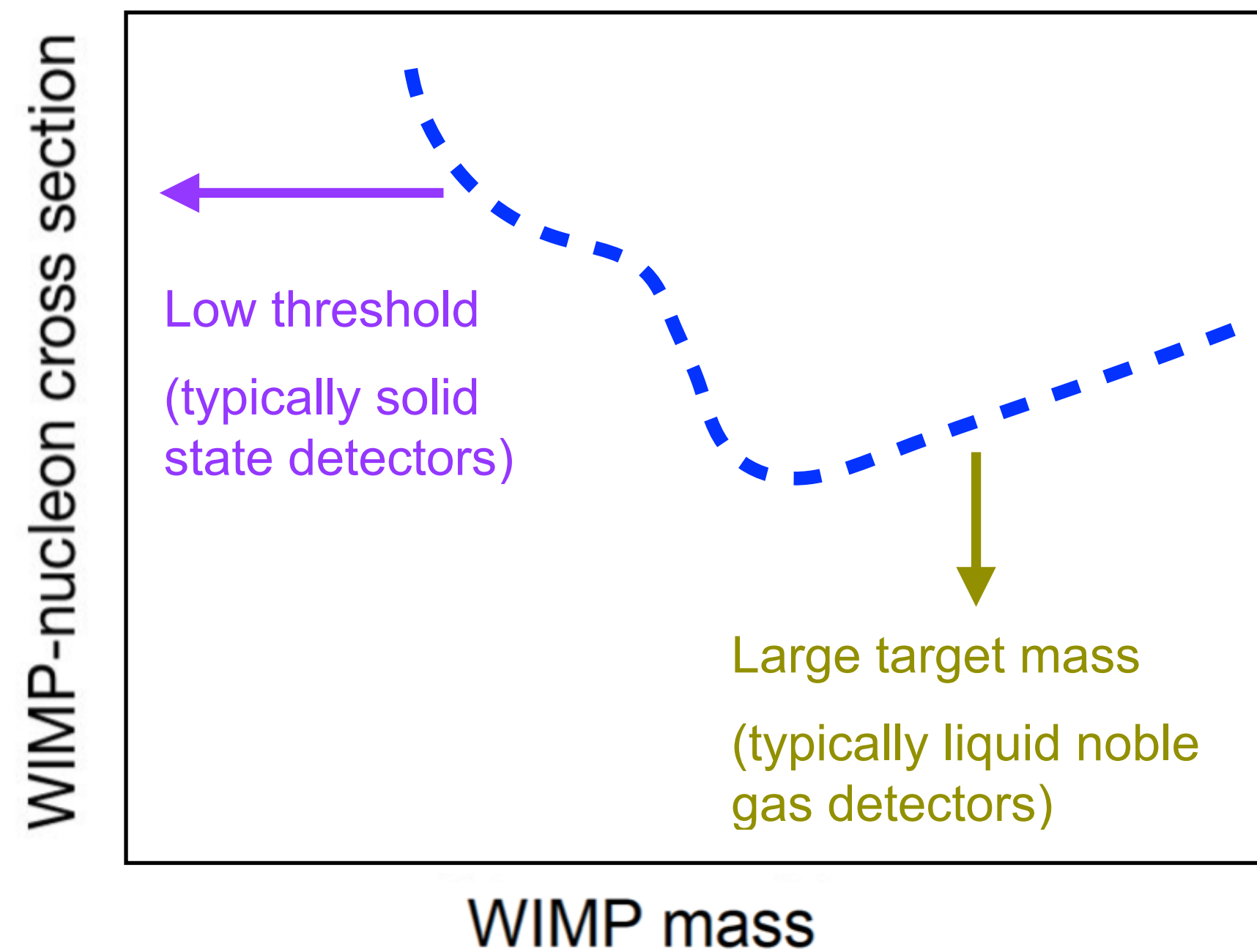


# The sub-GeV parameter space

Typical target nuclei:

**Xe** (54, ~131u), **Ge** (32, ~73u), **Ar** (18, ~40u), **Si** (14, ~28u)

--- Sensitivity of upcoming experiments



At some point, the nuclear recoil is just way too small... even for ultra-low threshold detectors...

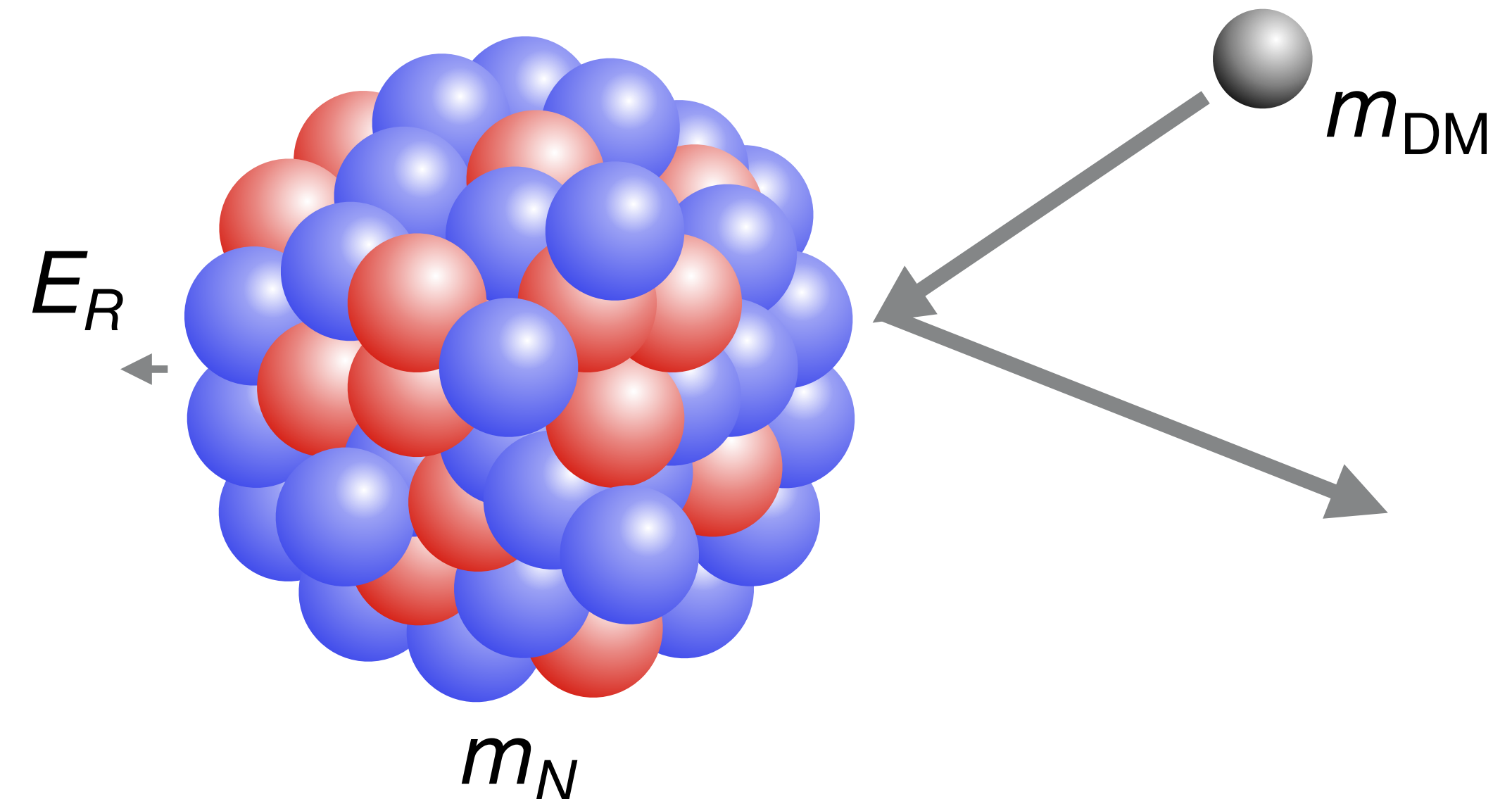
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## ■ Possible approaches

- Alternate interaction channels in existing and upcoming experiments.
- Alternate target materials in new experiments.
- A combination of both.



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# The sub-GeV parameter space

Typical target nuclei:

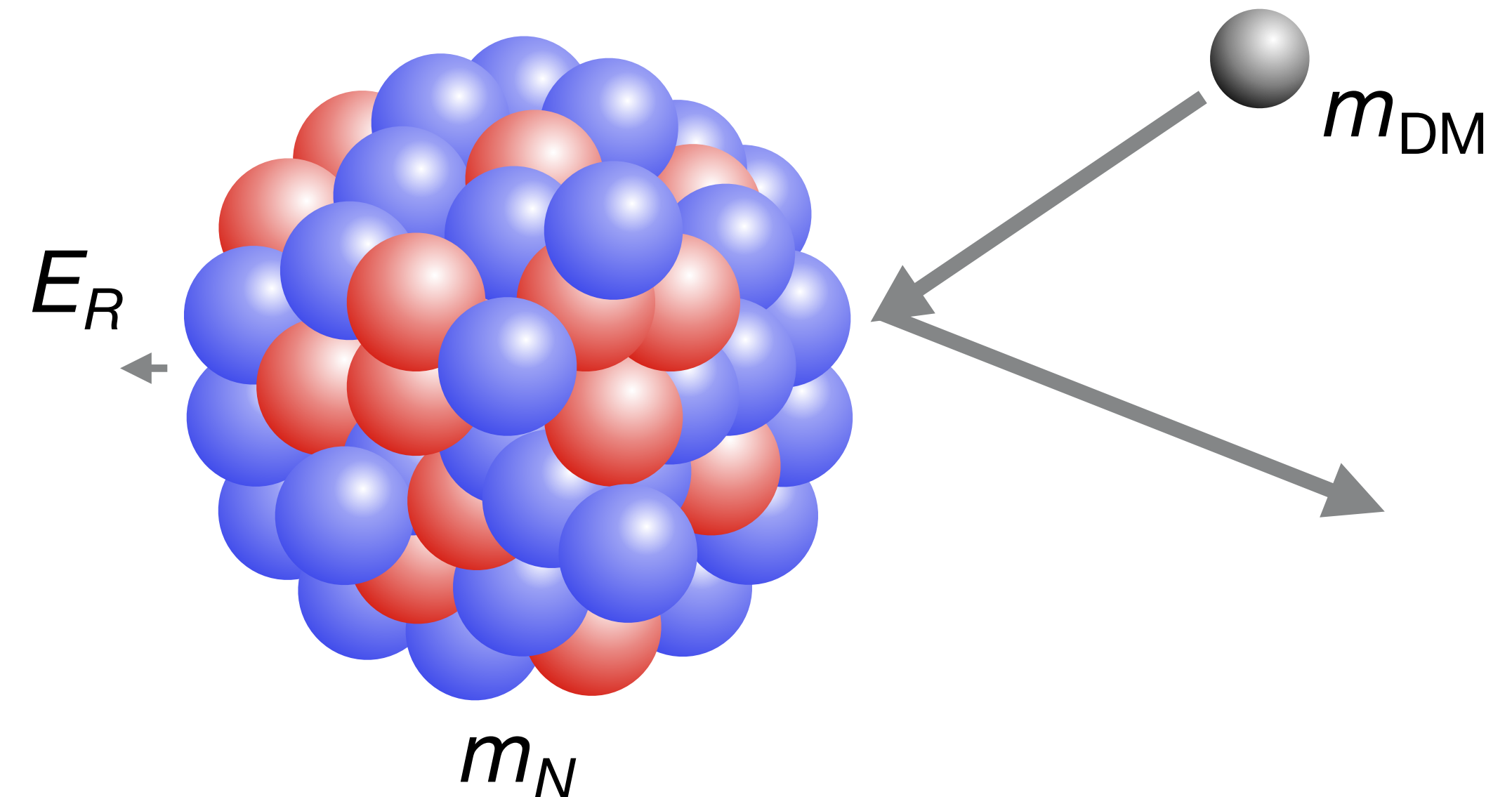
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## ■ Possible approaches

- Alternate interaction channels in existing and upcoming experiments.

- Alternate target materials in **DELIGHT** new experiments.

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# The sub-GeV parameter space

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Xe (54, ~131u), Ge (32, ~73u), Ar (18, ~40u), Si (14, ~28u)

## ■ Possible approaches

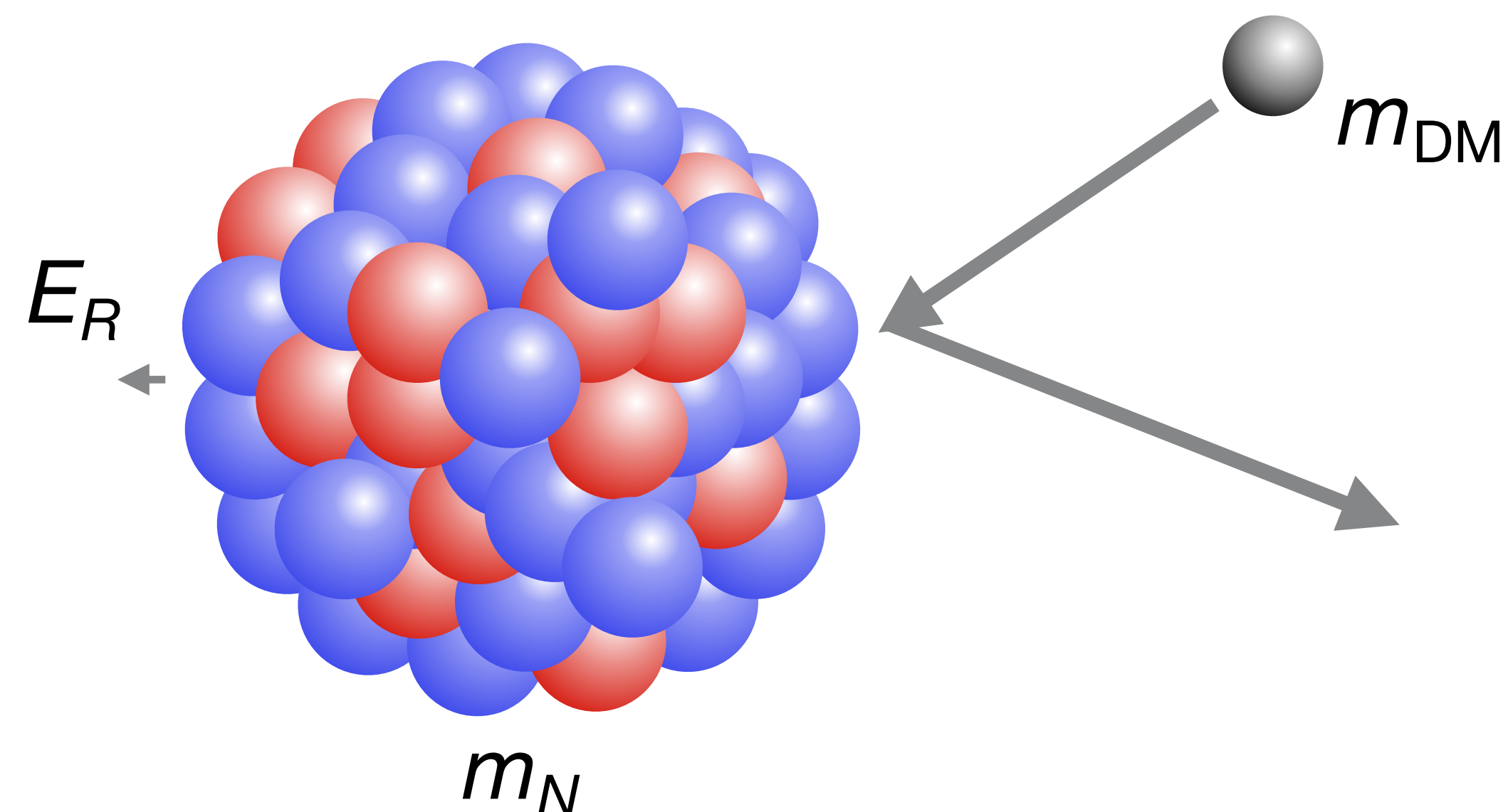
■ Alternate interaction channels in existing and upcoming experiments.

■ Alternate target materials in

*DElight*

■ A combination of both.

*this lecture*



At some point, the nuclear recoil is just way too small... even for ultra-low threshold detectors...

# The sub-GeV parameter space

Typical target nuclei:

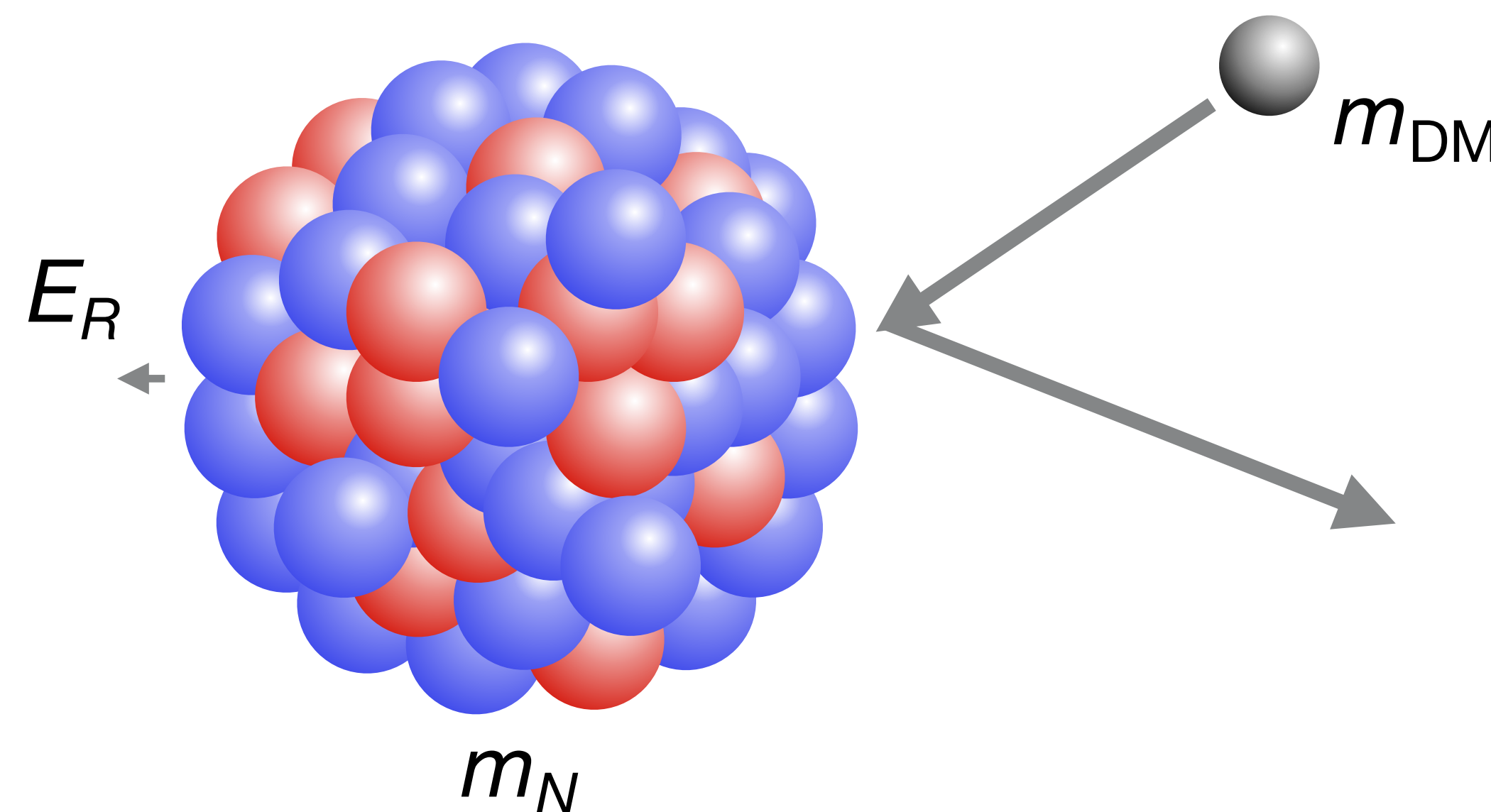
Xe (54, ~131u), Ge (32, ~73u), Ar (18, ~40u), Si (14, ~28u)

## ■ Possible approaches

■ Alternate interaction channels in existing and upcoming experiments.

- “Bremsstrahlung”
- Migdal effect
- DM-electron scattering
- (Bosonic absorption)

*this lecture*



At some point, the nuclear recoil is just way too small... even for ultra-low threshold detectors...



# The sub-GeV parameter space

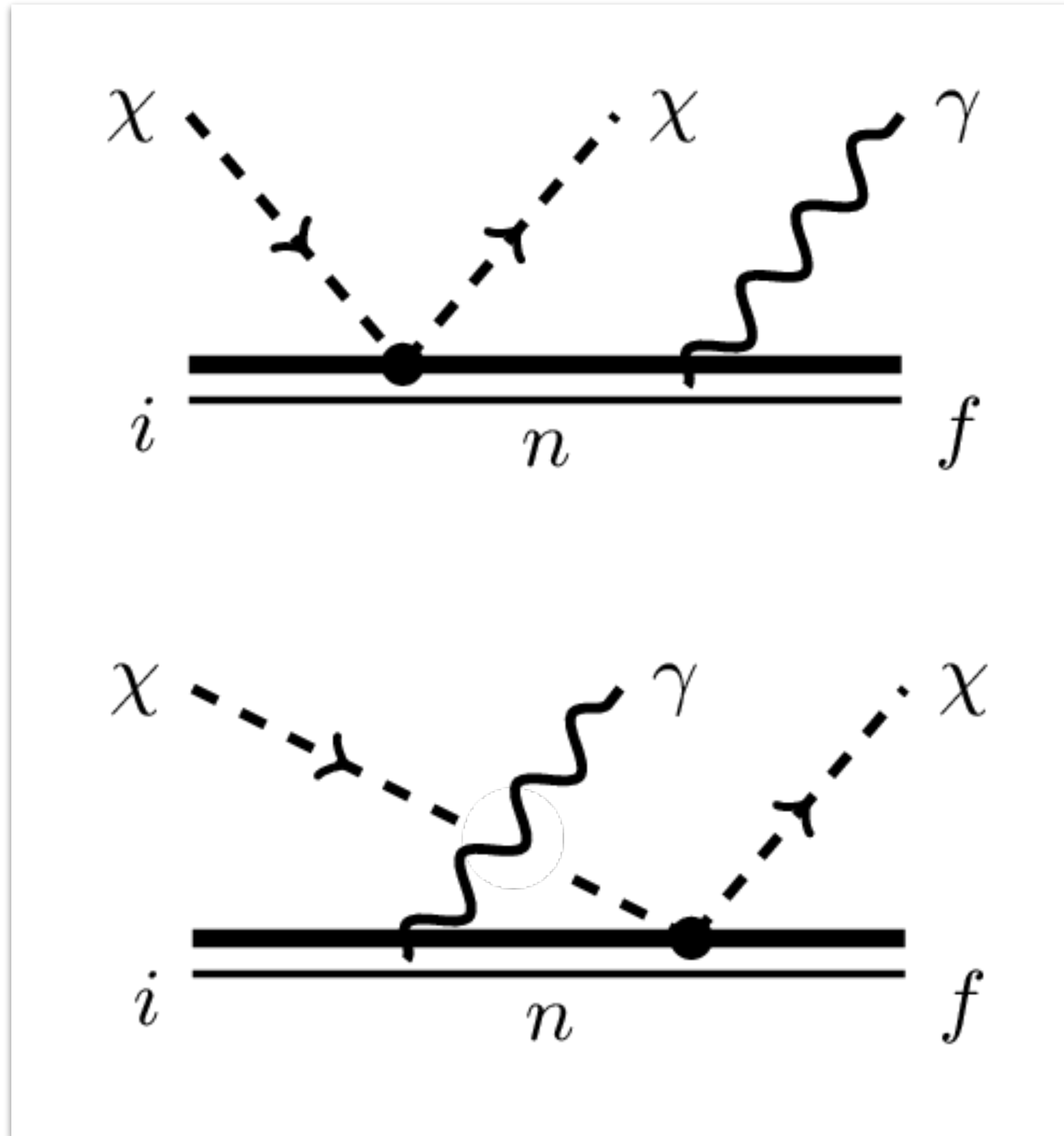
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**“Bremsstrahlung”  
(inelastic DM-n scattering)**



# Initial state radiation, final state radiation

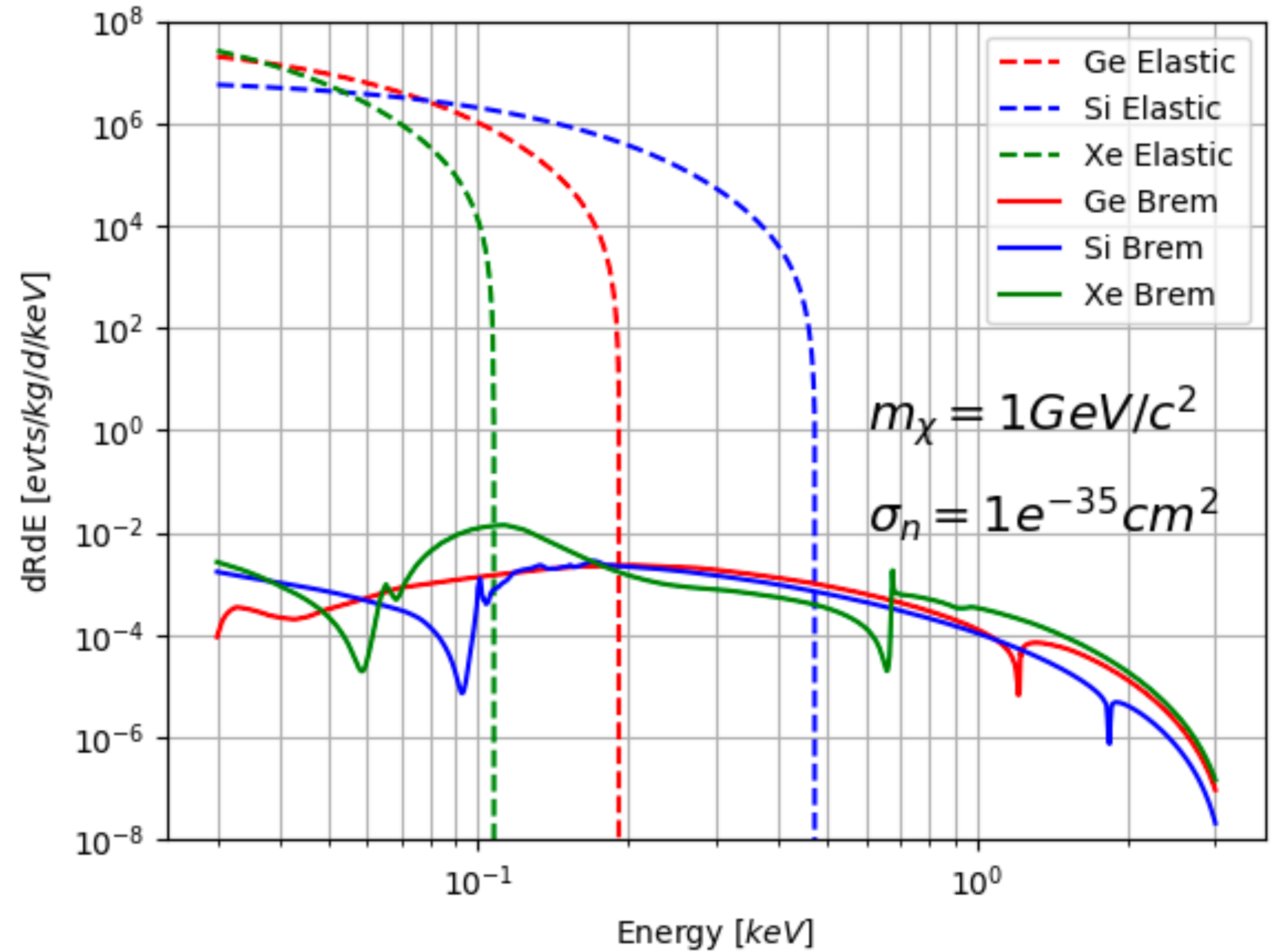
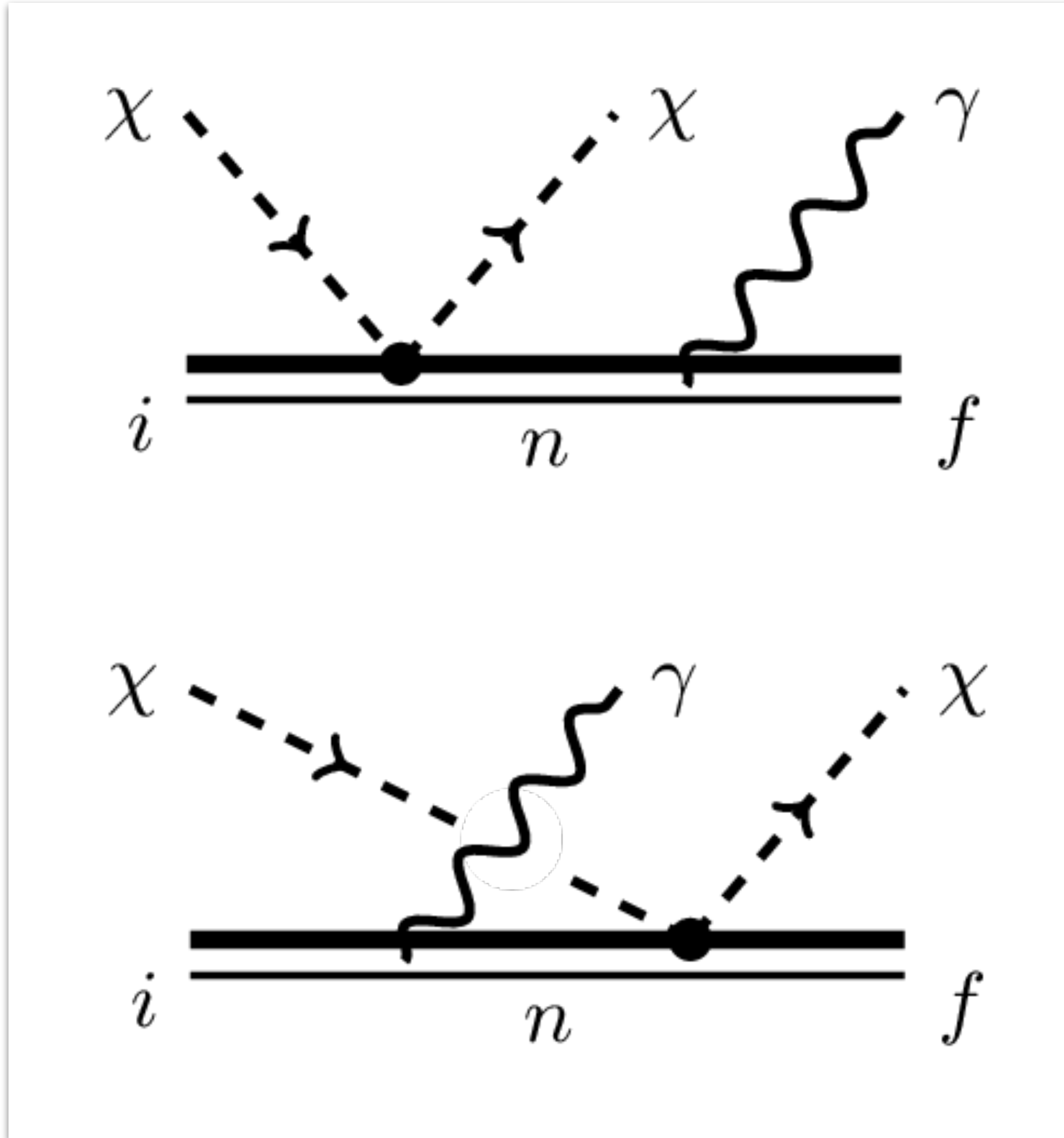
C. Kouvaris, J. Pradler, PRL 118, 031803 (2017)



Target nuclei are not isolated!  
They are part of an atom.

# Initial state radiation, final state radiation

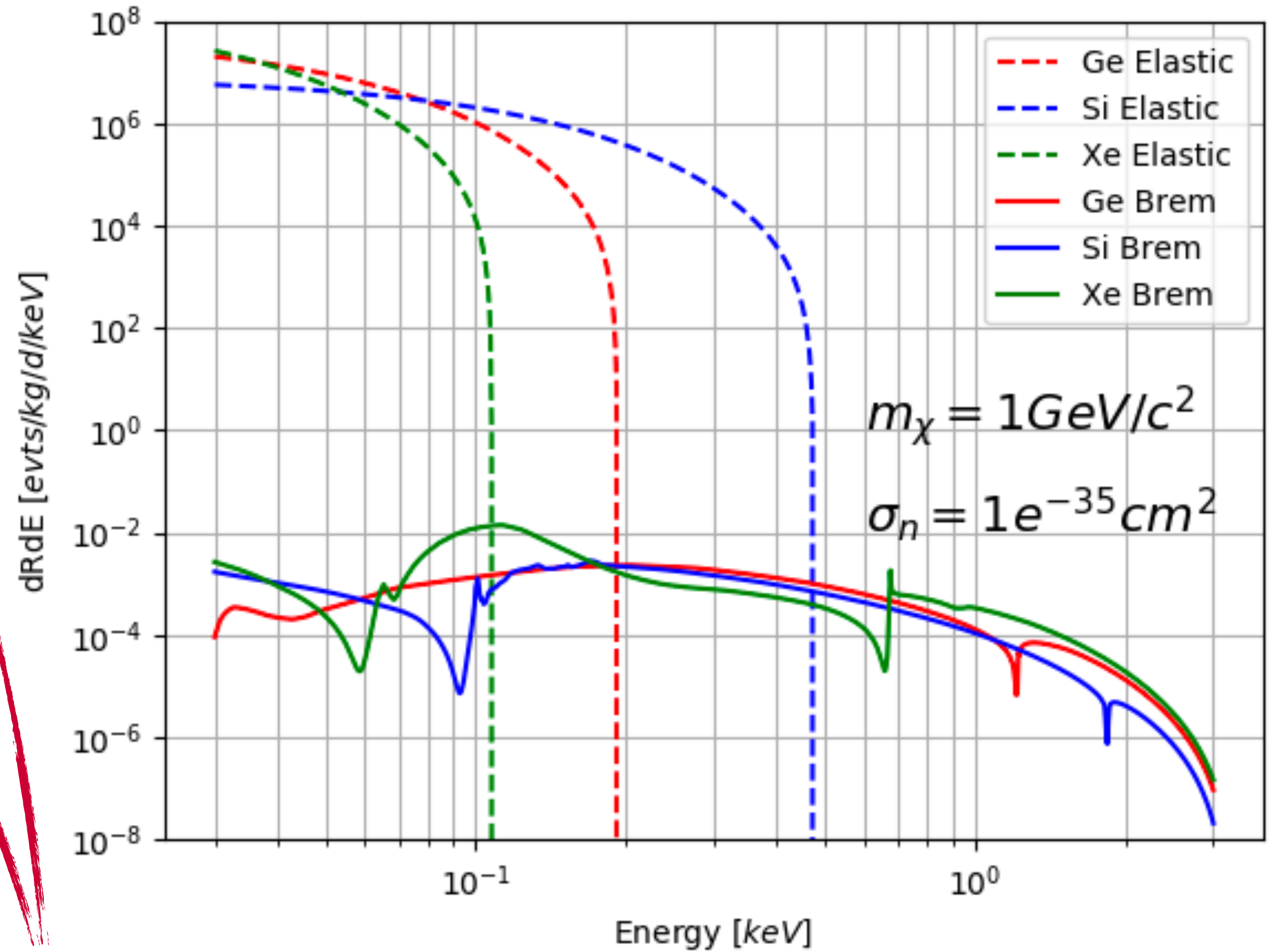
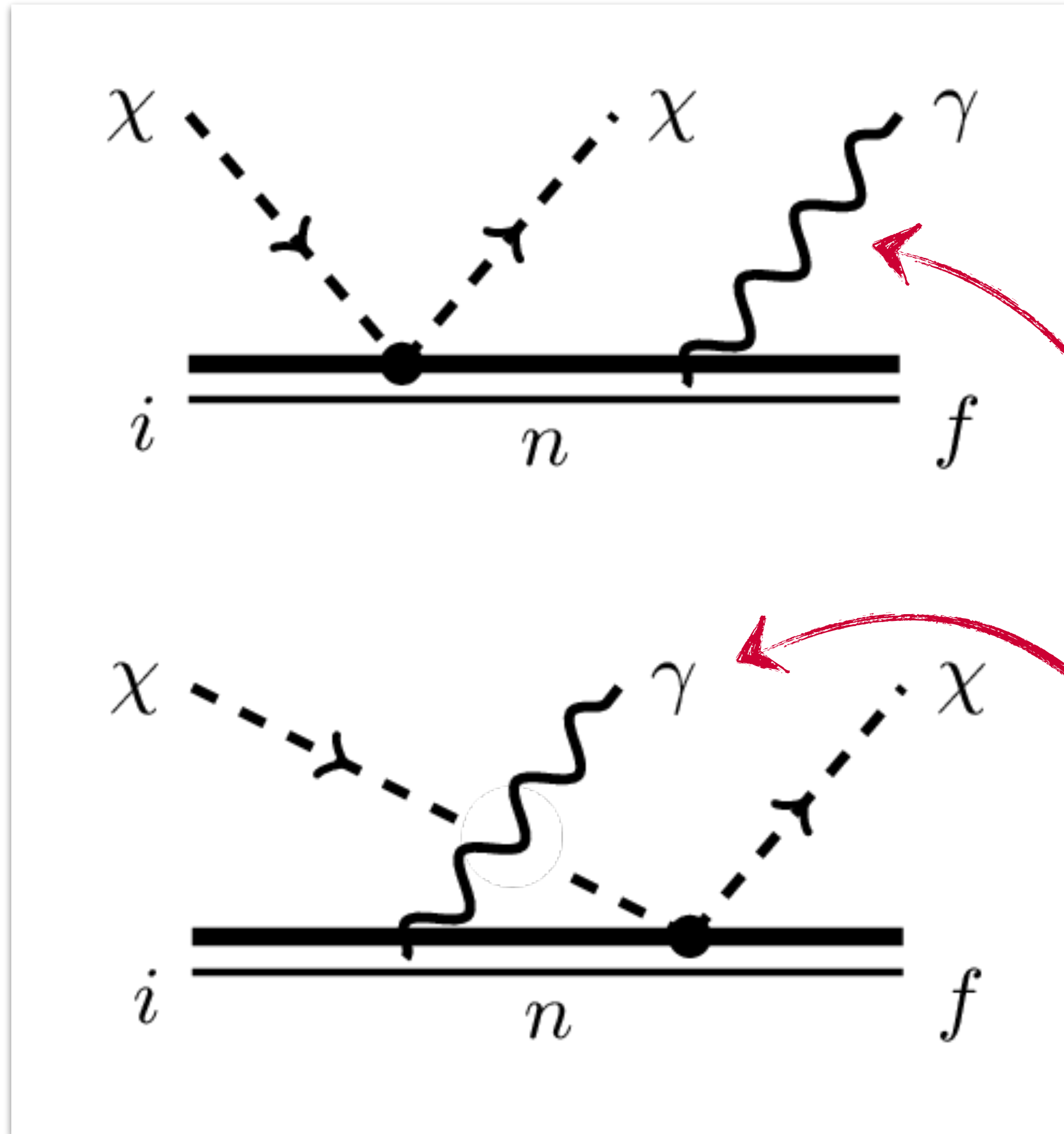
C. Kouvaris, J. Pradler, PRL 118, 031803 (2017)





# Initial state radiation, final state radiation

C. Kouvaris, J. Pradler, PRL 118, 031803 (2017)

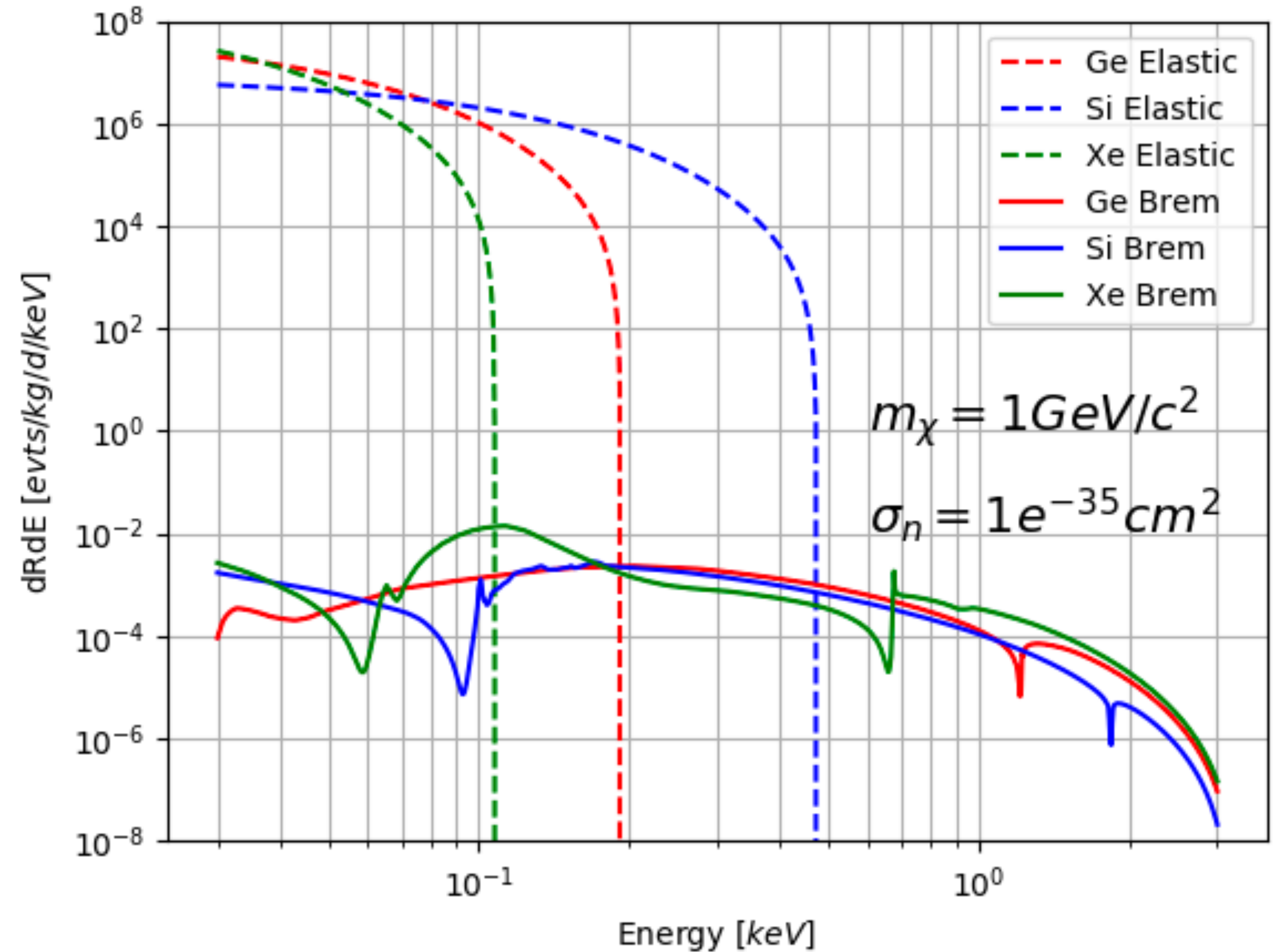


observe this

# Initial state radiation, final state radiation

C. Kouvaris, J. Pradler, PRL 118, 031803 (2017)

$$\frac{d\sigma}{dE_\gamma} = \frac{4\alpha |f(E_\gamma)|^2}{3\pi E_\gamma} \frac{\mu^2 v^2 \sigma_0^{SI}}{m_N^2} \sqrt{1 - \frac{2E_\gamma}{\mu v^2}} \left(1 - \frac{E_\gamma}{\mu v^2}\right)$$



# Initial state radiation, final state radiation

C. Kouvaris, J. Pradler, PRL 118, 031803 (2017)

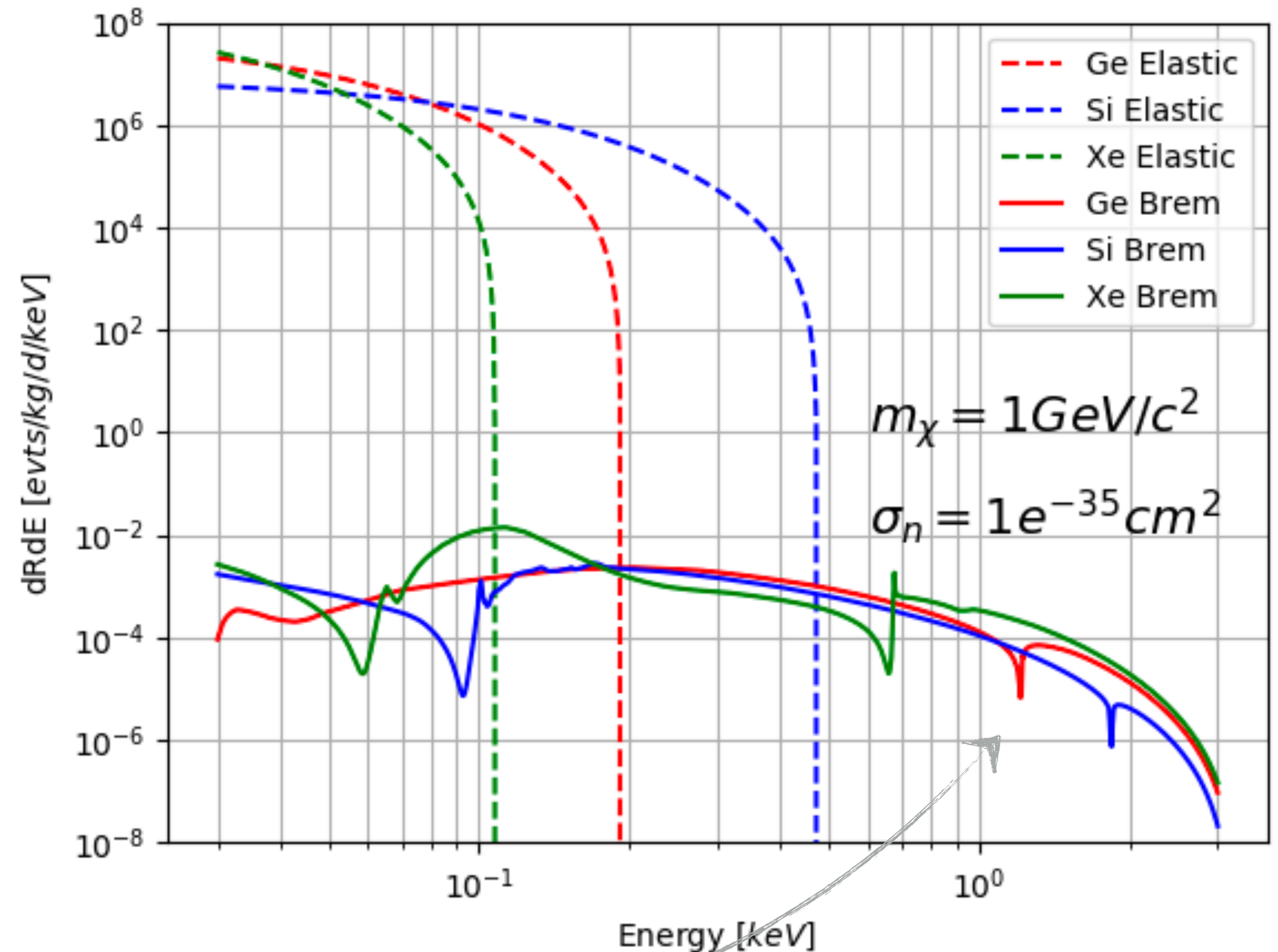
$$\frac{d\sigma}{dE_\gamma} = \frac{4\alpha |f(E_\gamma)|^2}{3\pi E_\gamma} \frac{\mu^2 v^2 \sigma_0^{SI}}{m_N^2} \sqrt{1 - \frac{2E_\gamma}{\mu v^2}} \left(1 - \frac{E_\gamma}{\mu v^2}\right)$$

Atomic scattering function  $f$ :

$$|f|^2 = |f_1 + if_2|^2 = f_1^2 + f_2^2$$

$$f_2(E_\gamma) = \frac{\sigma_{\text{p.e.}}(E_\gamma)}{2r_e\lambda}$$

$$f_1(E_\gamma) = Z^* + \frac{1}{\pi r_e h c} \mathcal{P} \int_0^\infty \frac{E_\gamma'^2 \sigma_{\text{p.e.}}(E_\gamma')}{E_\gamma^2 - E_\gamma'^2} dE_\gamma'$$

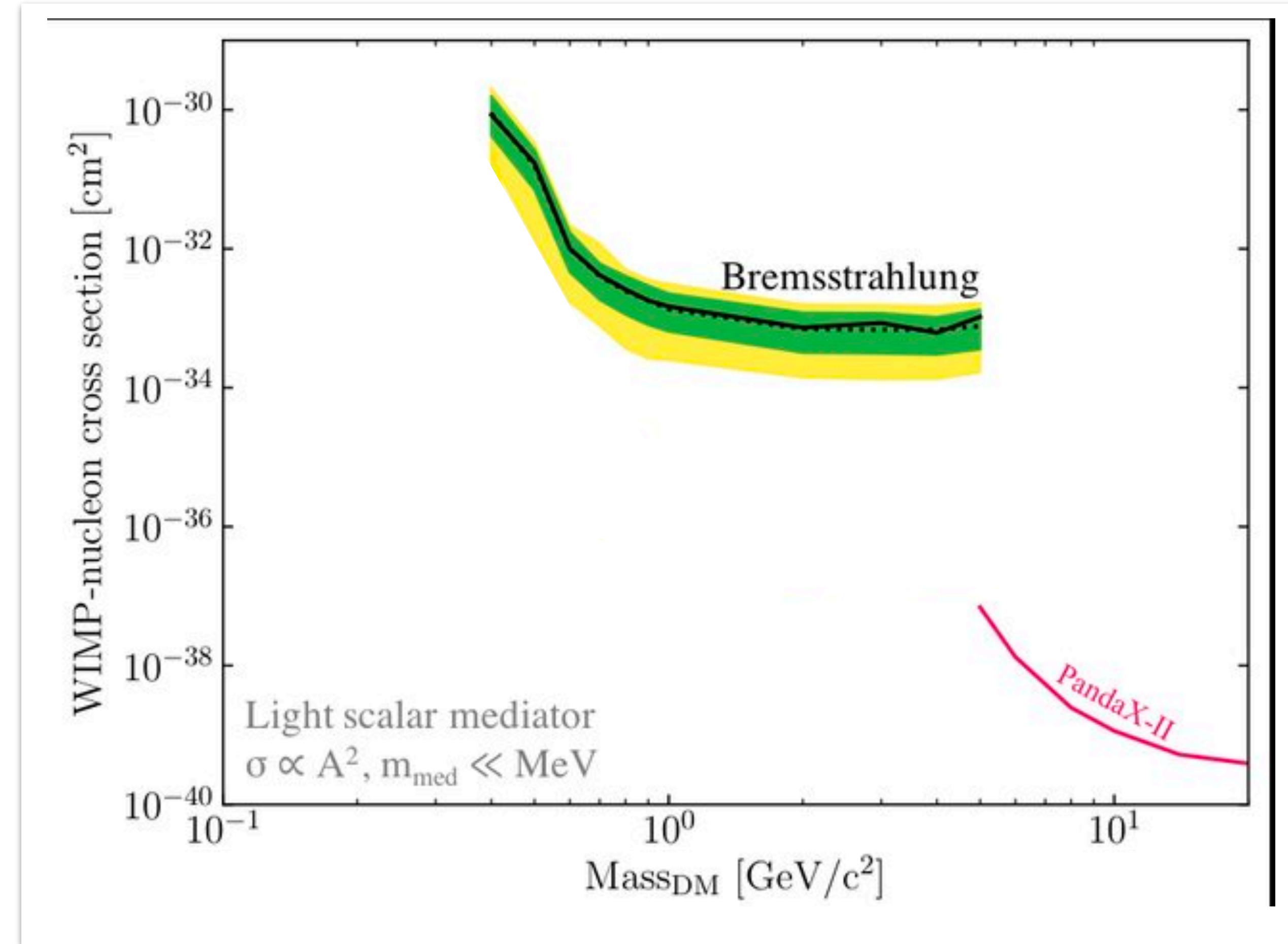
with photoelectric absorption cross section  $\sigma_{\text{p.e.}}$ .

causes sub-structure (FYI)



# Extended sensitivity due to Bremsstrahlung

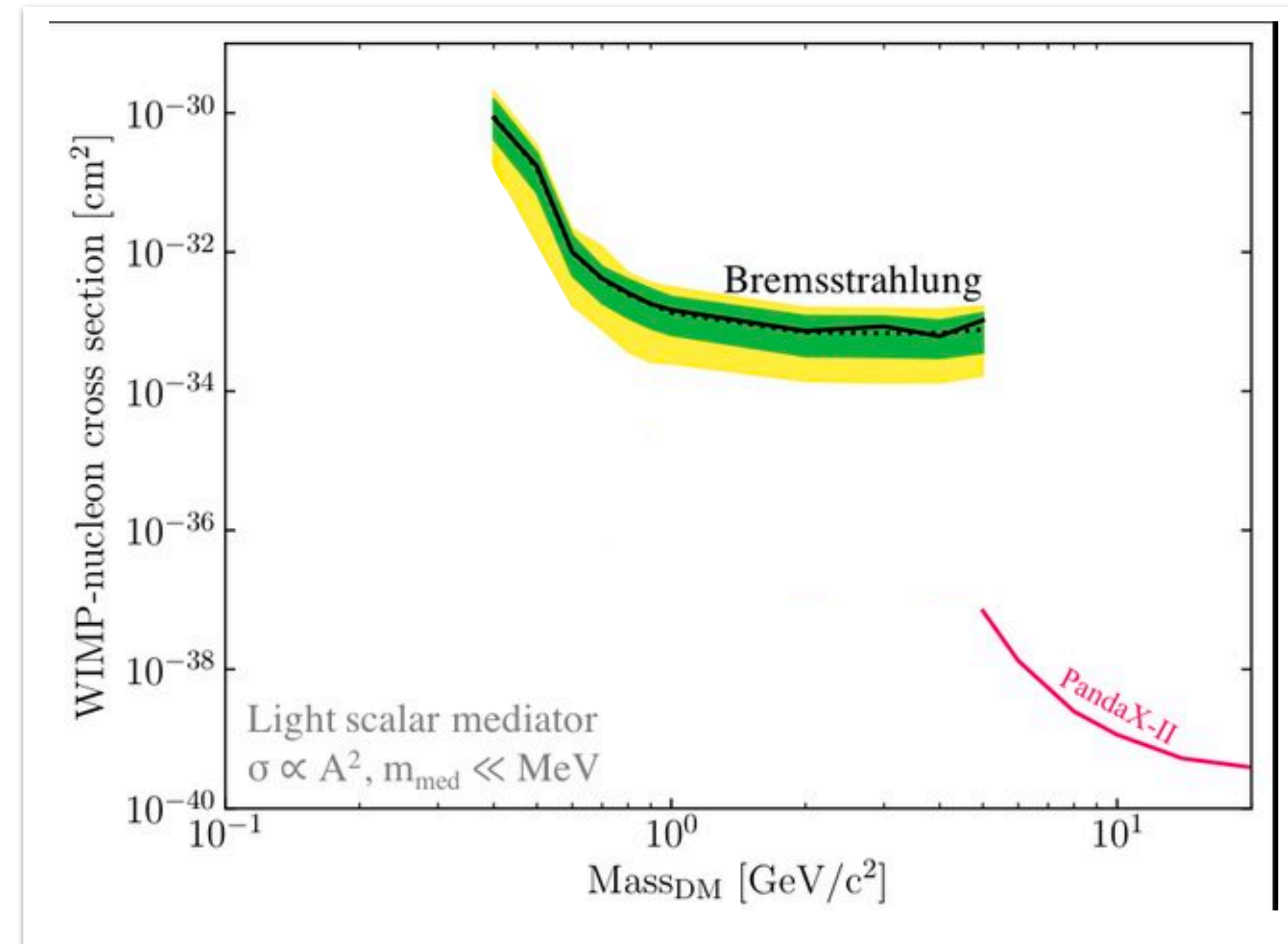
V. Kudryavstev, Universe 2019, 5(3), 73; <https://doi.org/10.3390/universe5030073>



# Extended sensitivity due to Bremsstrahlung

V. Kudryavstev, Universe 2019, 5(3), 73; <https://doi.org/10.3390/universe5030073>

$$\frac{d\sigma}{dE_R} = \frac{m_N \sigma_0^{\text{SI}}}{2\mu^2 v^2} F_{\text{SI}}(E_R) F_{\chi}(E_R, m_{\phi})$$



# Extended sensitivity due to Bremsstrahlung

V. Kudryavstev, Universe 2019, 5(3), 73; <https://doi.org/10.3390/universe5030073>

$$\frac{d\sigma}{dE_R} = \frac{m_N \sigma_0^{\text{SI}}}{2\mu^2 v^2} F_{\text{SI}}(E_R) F_{\chi}(E_R, m_{\phi})$$

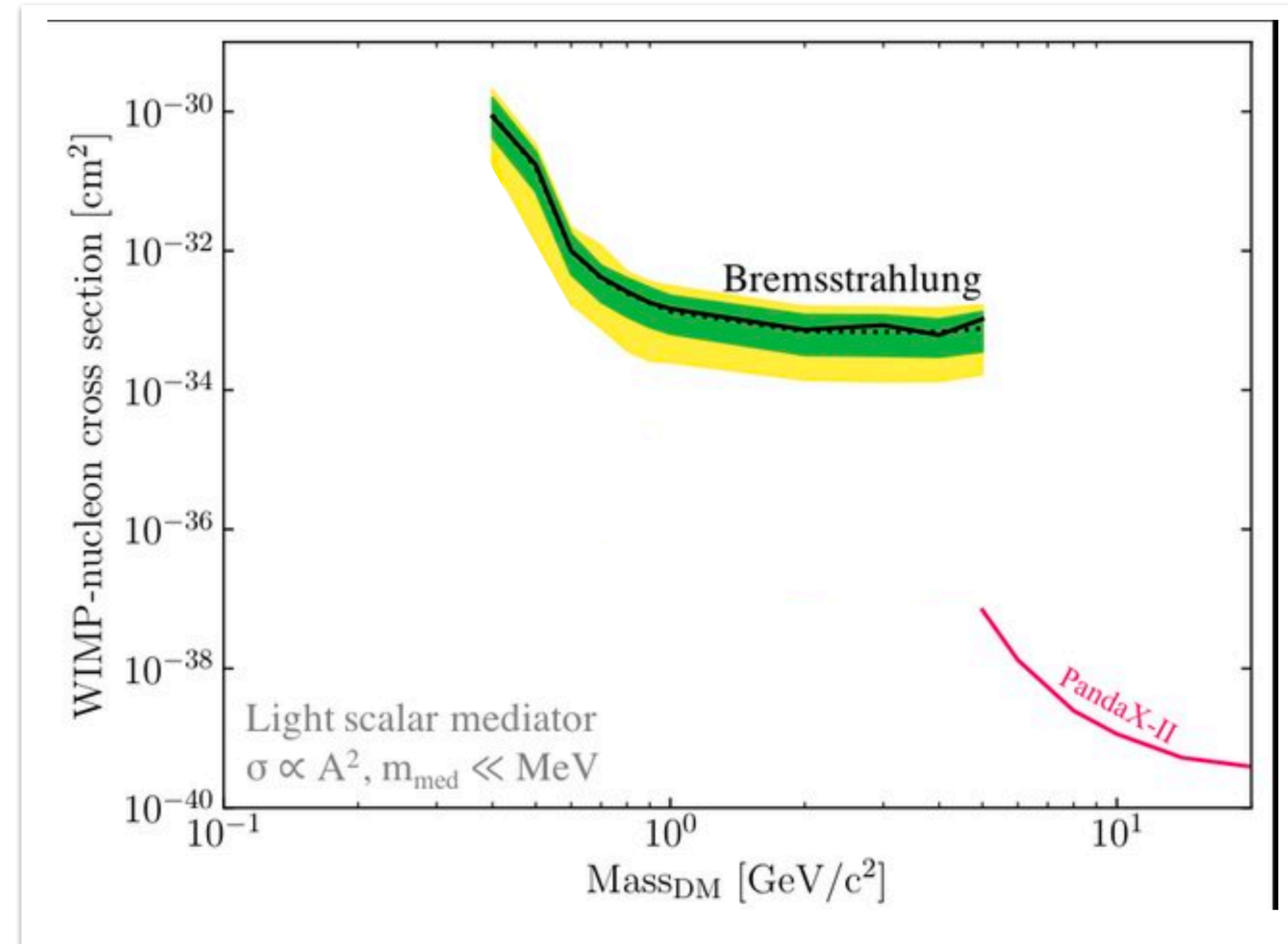
heavy mediator  $\phi$ :

$$F_{\chi}(E_R, m_{\phi}) \approx 1$$

DM form factor for

ultra-light mediator  $\phi$ :

$$F_{\chi}(E_R, m_{\phi}) \propto \frac{1}{q^2 + m_{\phi}^2}$$



What's the Migdal effect



Why not using the regular elastic scattering interaction



And why the effort in the first place





# The sub-GeV parameter space

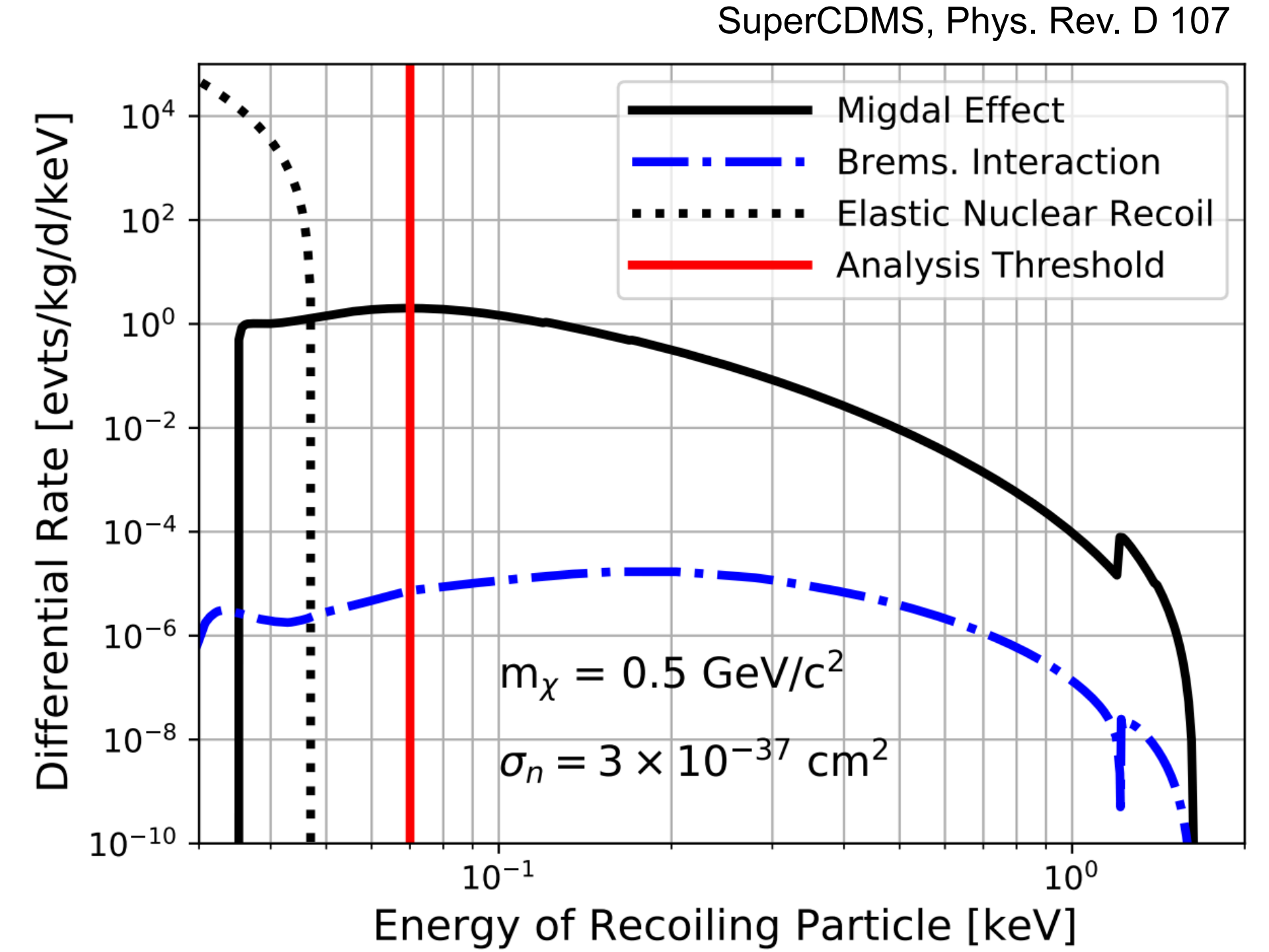
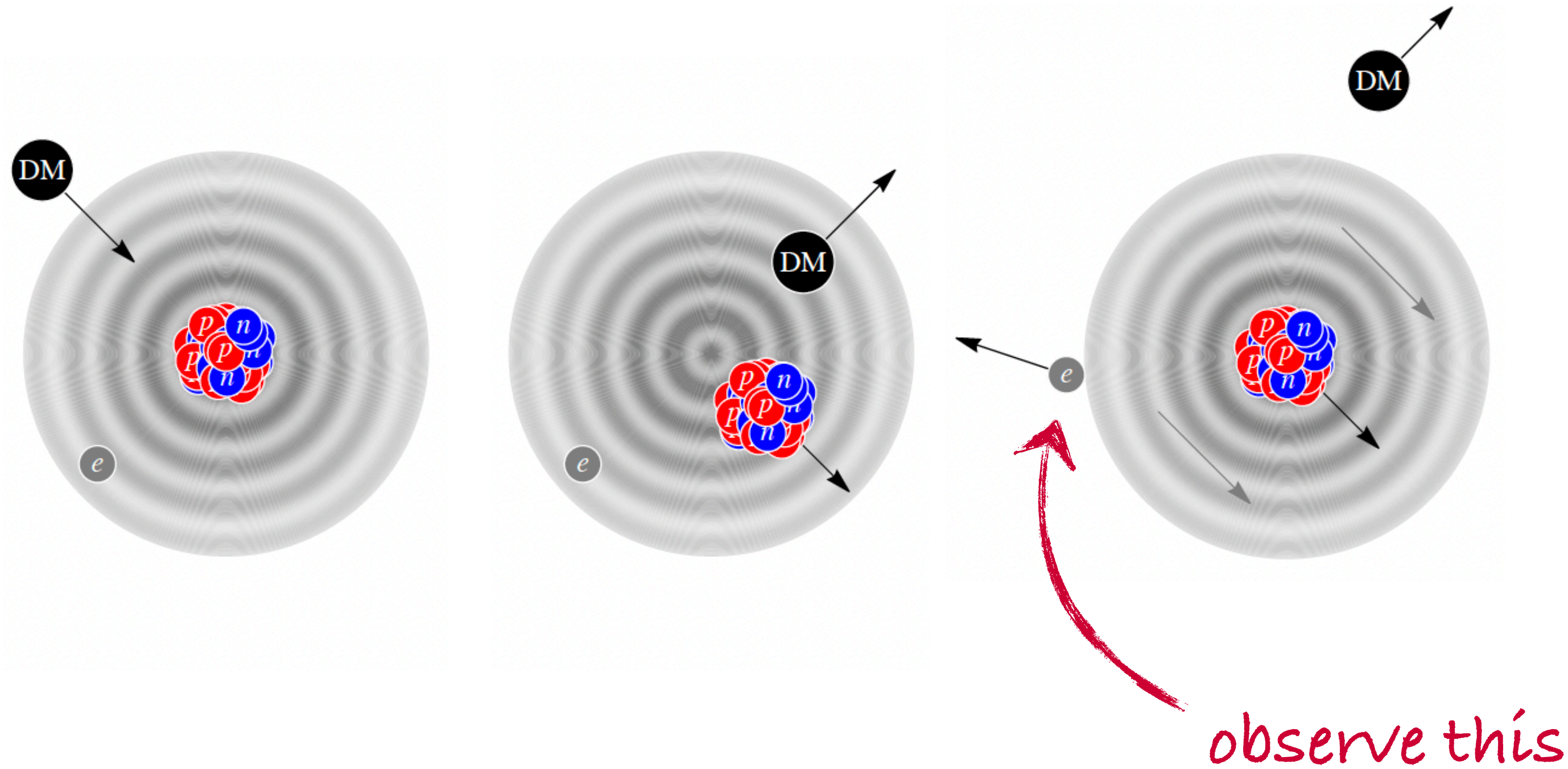
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## The Migdal effect (inelastic DM-n scattering)



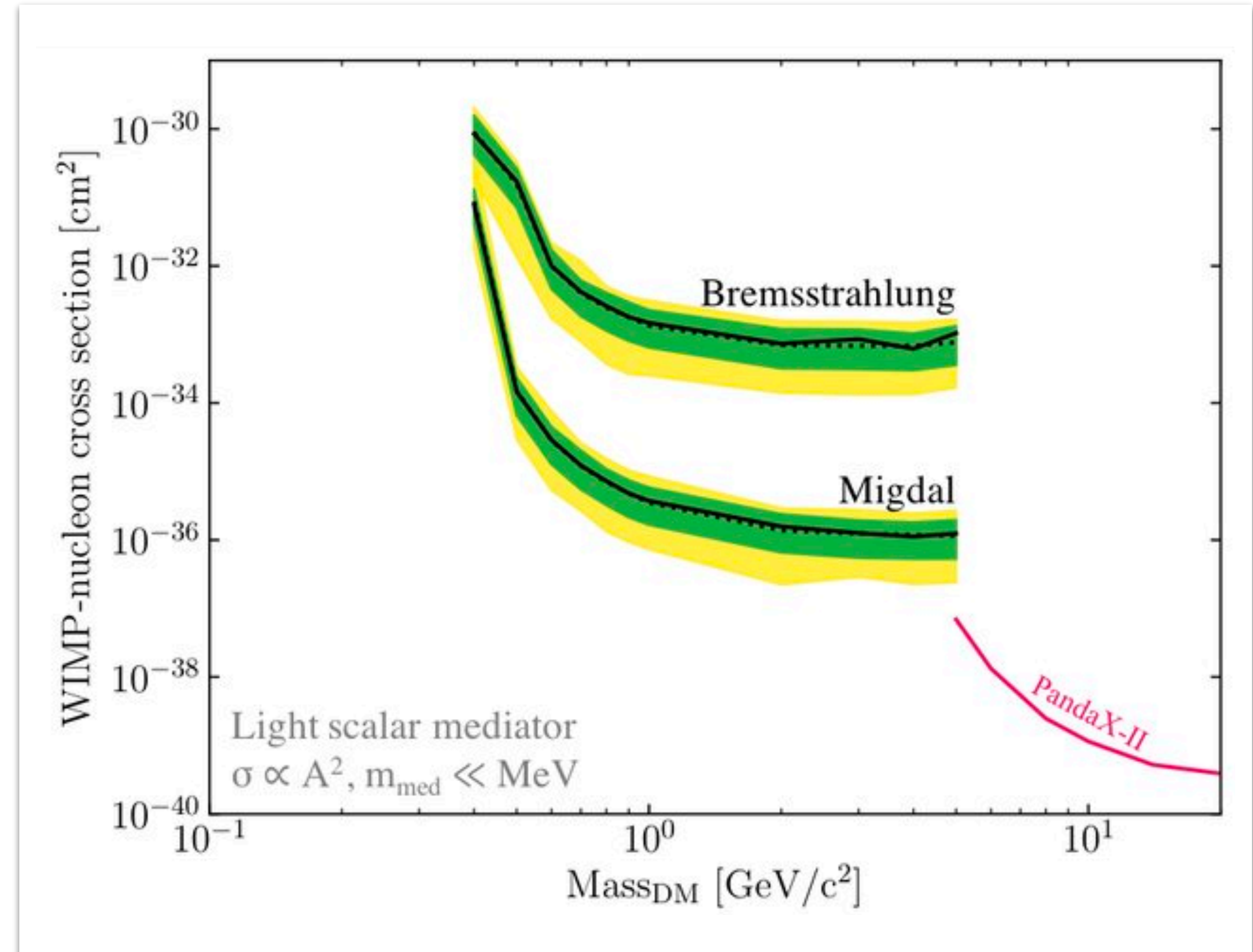
# Inelastic DM-nucleus scattering and the Migdal effect

M. Cirelli, A. Strumia, J. Zupan, arXiv:2406.01705



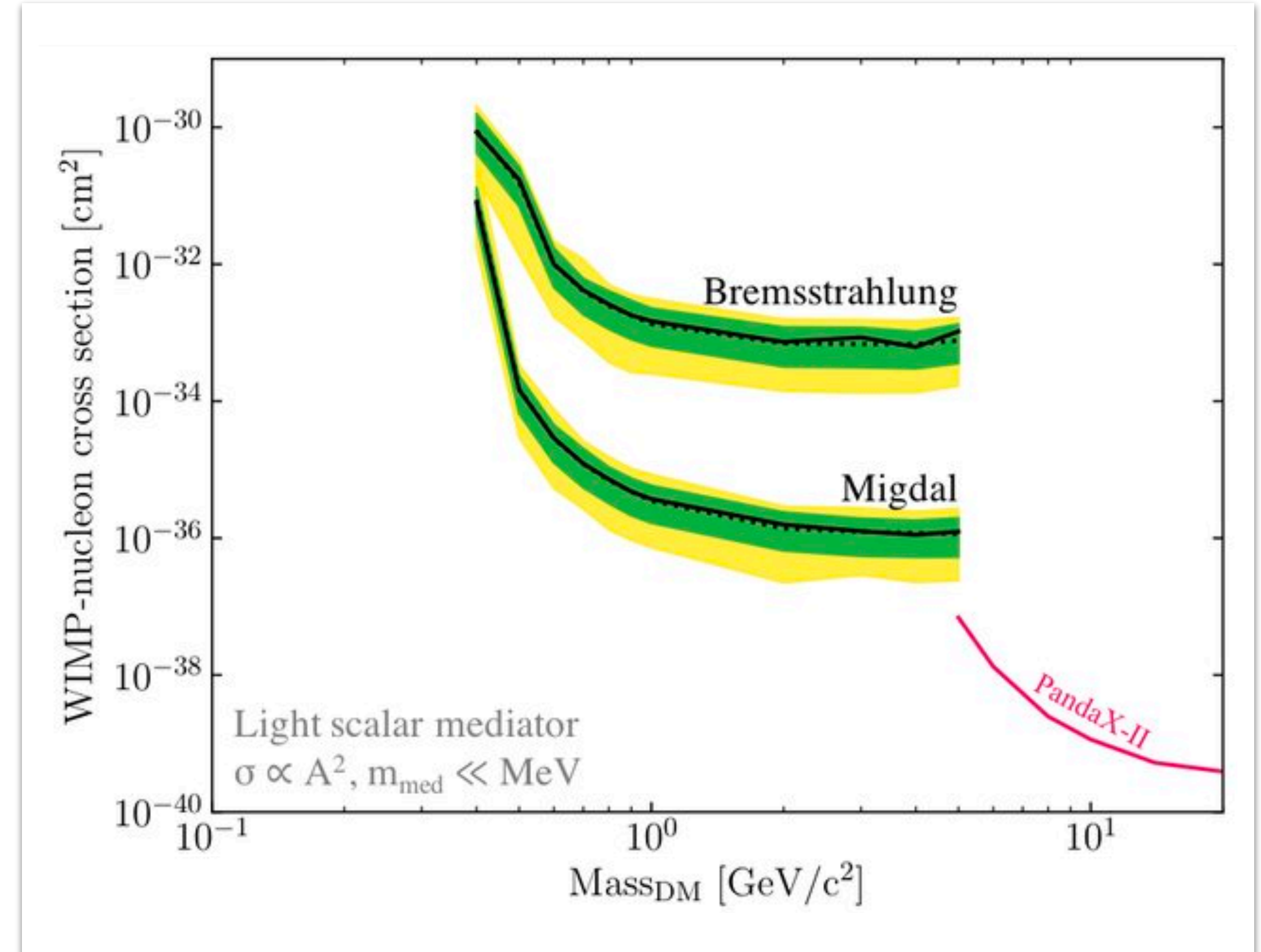
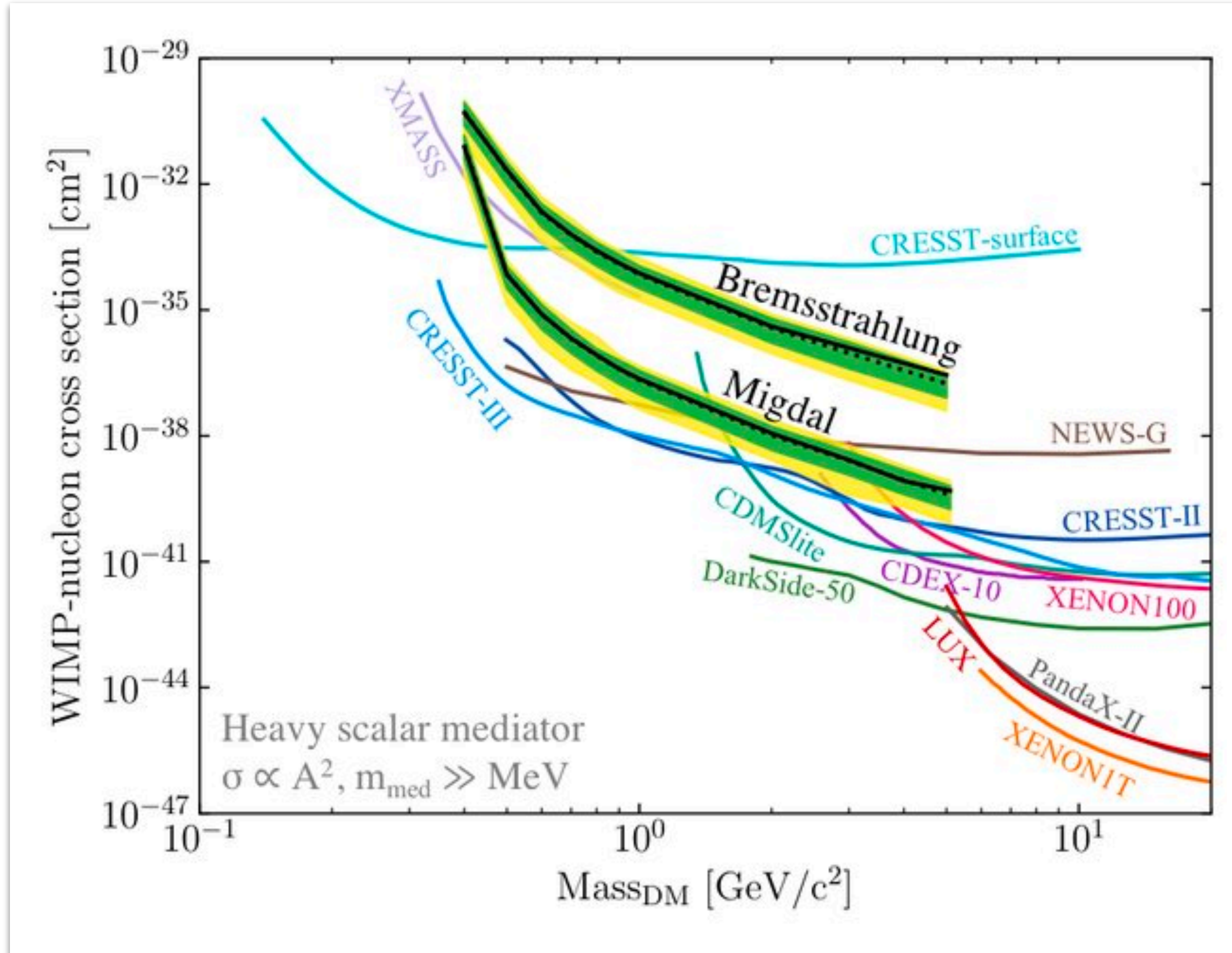
Migdal atomic relaxation can lead to keV electron recoil energy for sub-keV nuclear recoils.

# Extended sensitivity due to the Migdal effect





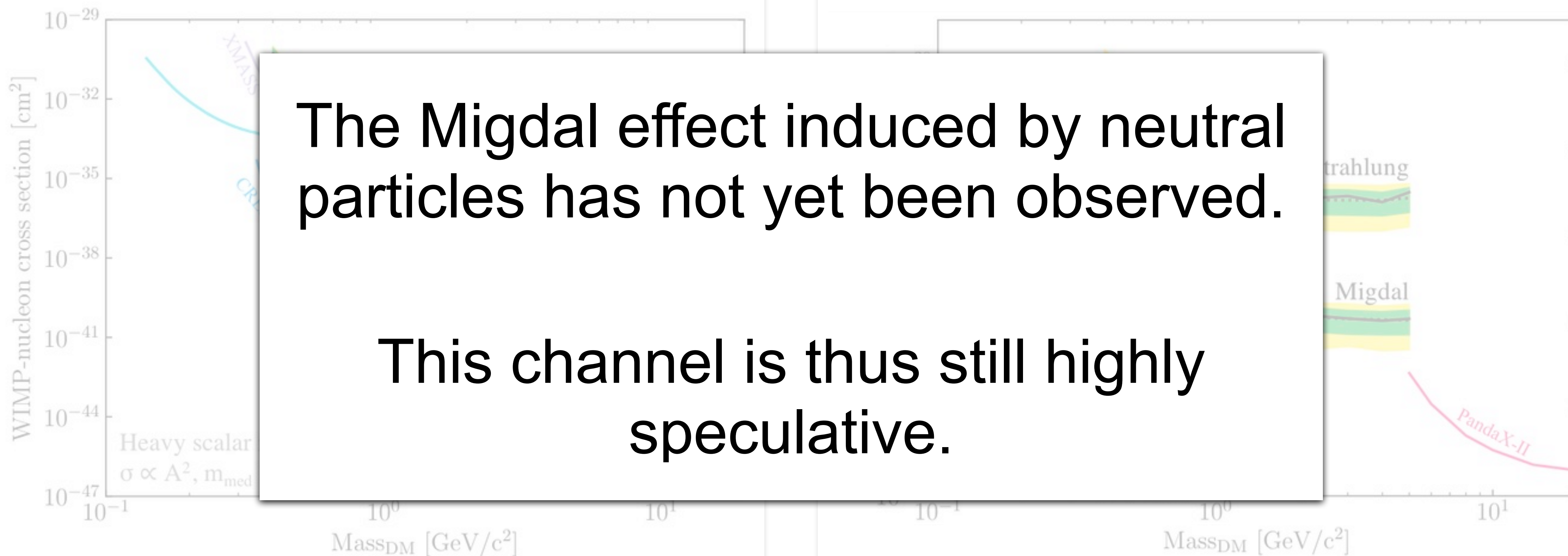
# Extended sensitivity due to the Migdal effect



# Extended sensitivity due to the Migdal effect

The Migdal effect induced by neutral particles has not yet been observed.

This channel is thus still highly speculative.



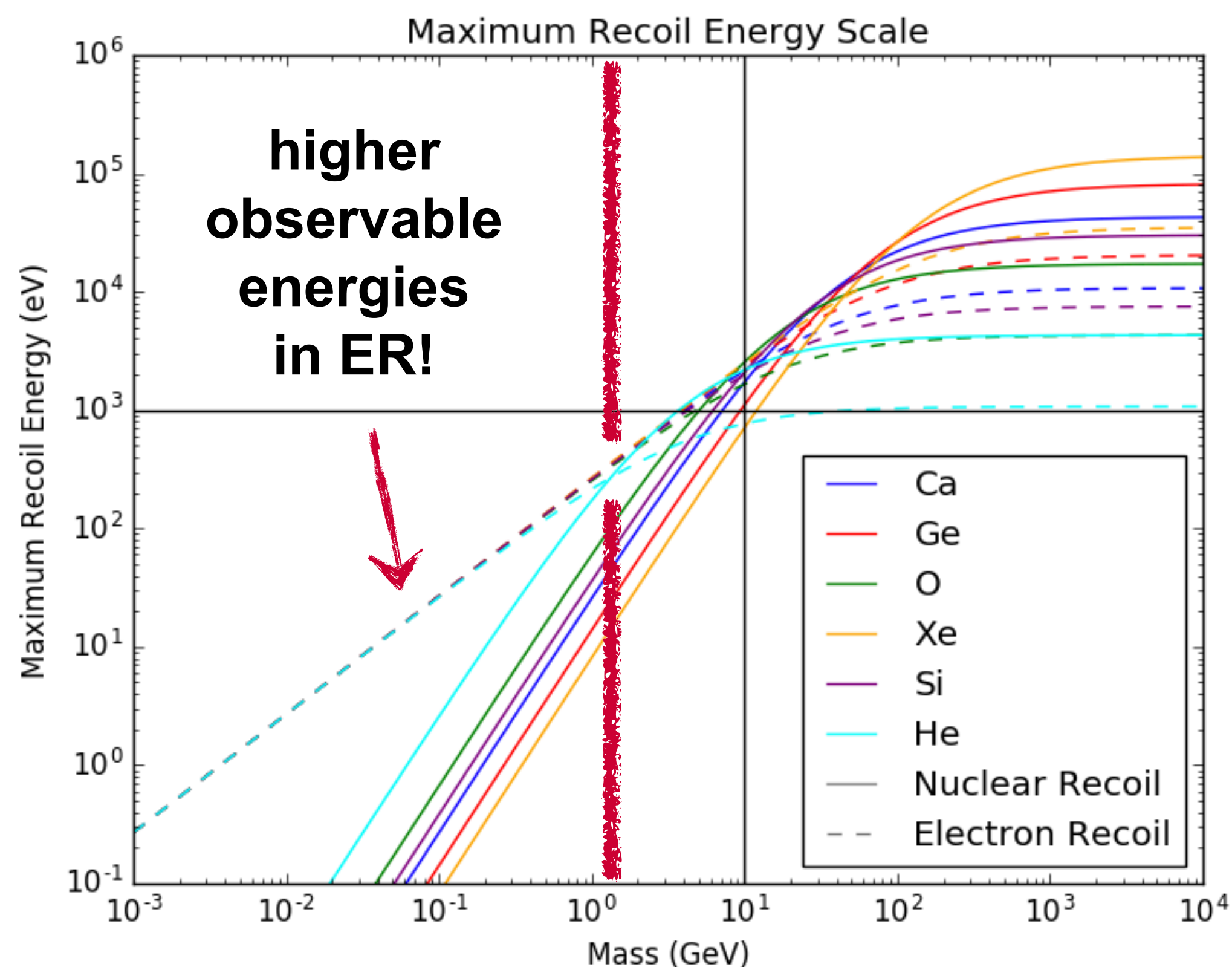


# The sub-GeV parameter space

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## DM-electron scattering

# Nuclear Recoil (NR) vs. Electron Recoil (ER)

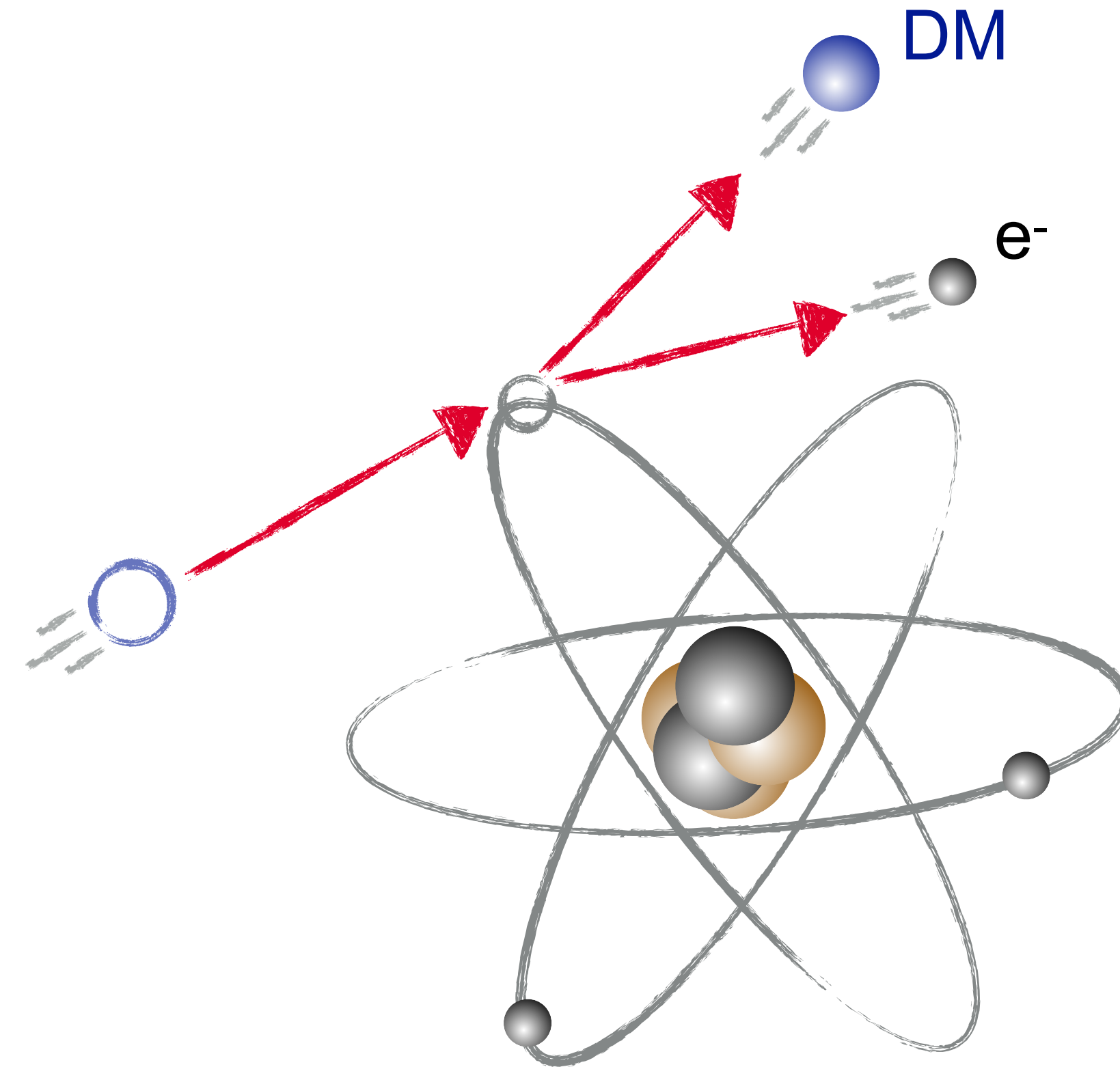


- Nuclear Recoils (elastic):
  - Inefficient energy transfer unless  $m_N \lesssim m_\chi$
- Electron Recoils (largely inelastic):
  - Energy transfer depends on e<sup>-</sup> orbital and kinematics within bound e<sup>-</sup>-atom system.
  - e<sup>-</sup> determines typical momentum transfer.

# Dark matter - electron scattering

Need to overcome  
binding energy:

$$E_\chi \sim \frac{1}{2} m_\chi v > E_{\text{bind.}}$$



$$\Rightarrow m_\chi \gtrsim 300 \text{ keV}/c^2 \left( \frac{E_{\text{bind.}}}{1 \text{ eV}} \right)$$

for  $v \lesssim 800 \text{ km/s}$



$m_\chi \ll \text{GeV}/c^2$  accessible!

with  $E_{\text{bind.}} \mathcal{O}(1 - 100 \text{ eV})$



# Dark matter - electron scattering

Need to overcome  
binding energy:

$$E_\chi \sim \frac{1}{2} m_\chi v^2 > E_{\text{bind.}}$$

Small binding / ionization /  
band gap energies are  
favorable!

$$\Rightarrow m_\chi \gtrsim 300 \text{ keV}/c^2 \left( \frac{E_{\text{bind.}}}{1 \text{ eV}} \right)$$

for  $v \lesssim 800 \text{ km/s}$

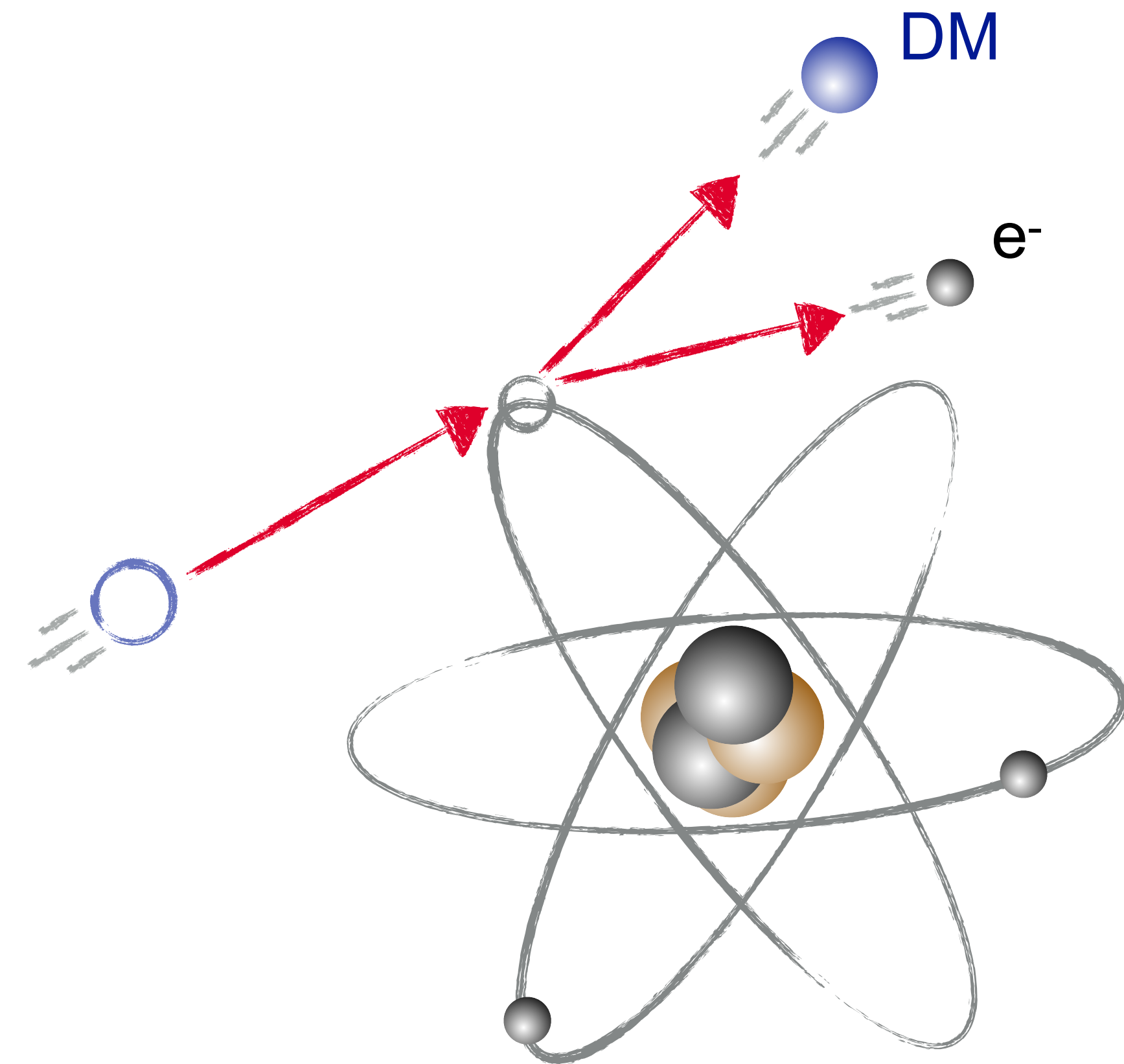


$$m_\chi \ll \text{GeV}/c^2 \text{ accessible!}$$

with  $E_{\text{bind.}} \mathcal{O}(1 - 100 \text{ eV})$



# The dark matter - electron scattering master formula



Expected  
interaction  
rate

$$\frac{dR}{d \ln E_R}$$

=

Particle  
theory

$$\frac{\bar{\sigma}_e}{m_\chi}$$

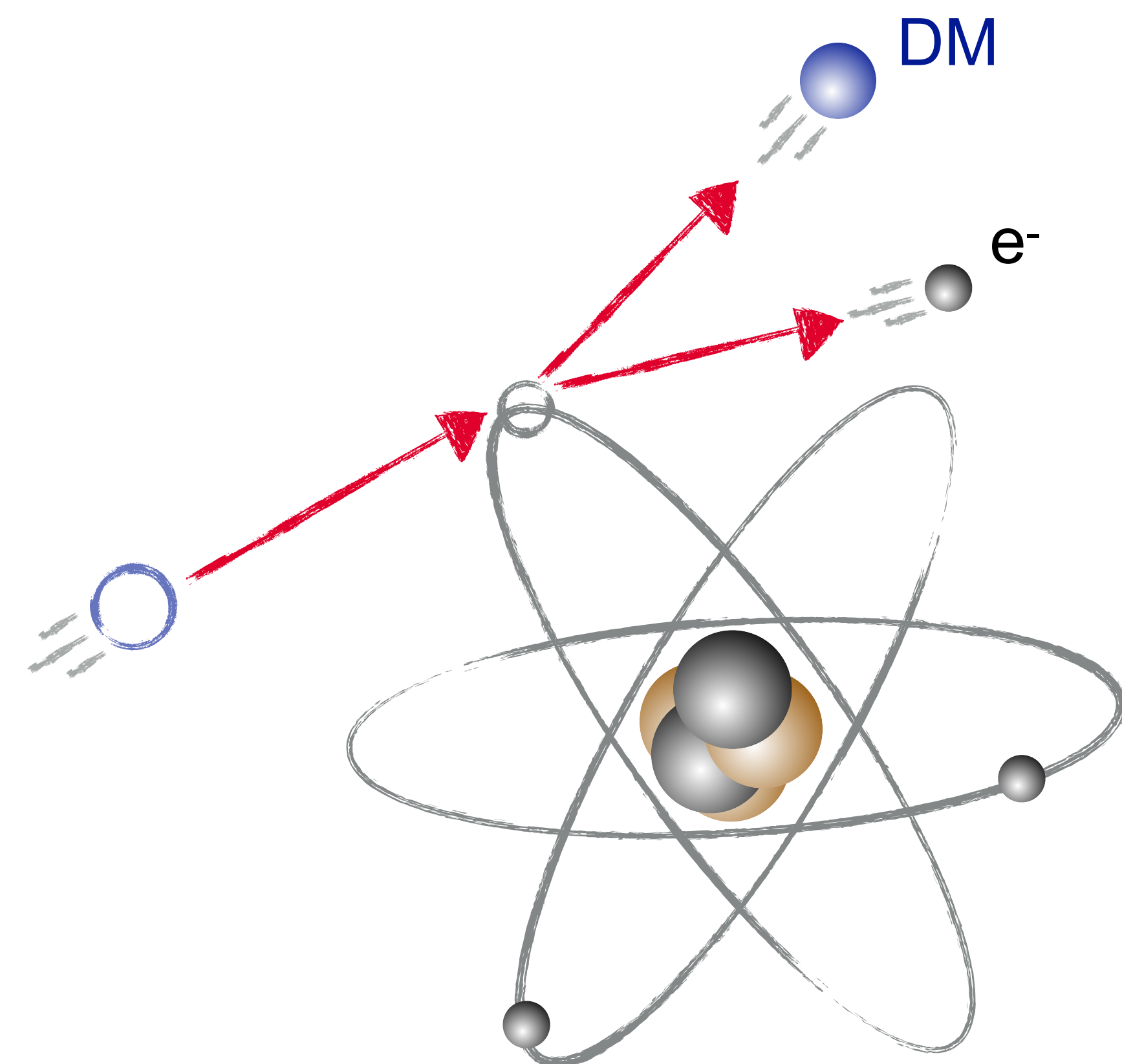
Local  
properties of  
DM halo etc.

$$\rho_0 \alpha \frac{m_e^2}{\mu^2}$$

Crystal and  
mediator  
properties

$$V_{\text{det}} \frac{\rho_{\text{target}}}{2m_{\text{target}}} I_{\text{crystal}}(E_e; F_\chi)$$

# The dark matter - electron scattering master formula



Expected  
interaction  
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$$\frac{dR}{d \ln E_R}$$

=

Particle  
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$$\frac{\bar{\sigma}_e}{m_\chi}$$

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DM form factor for

heavy mediator:

$$F_\chi \approx 1$$

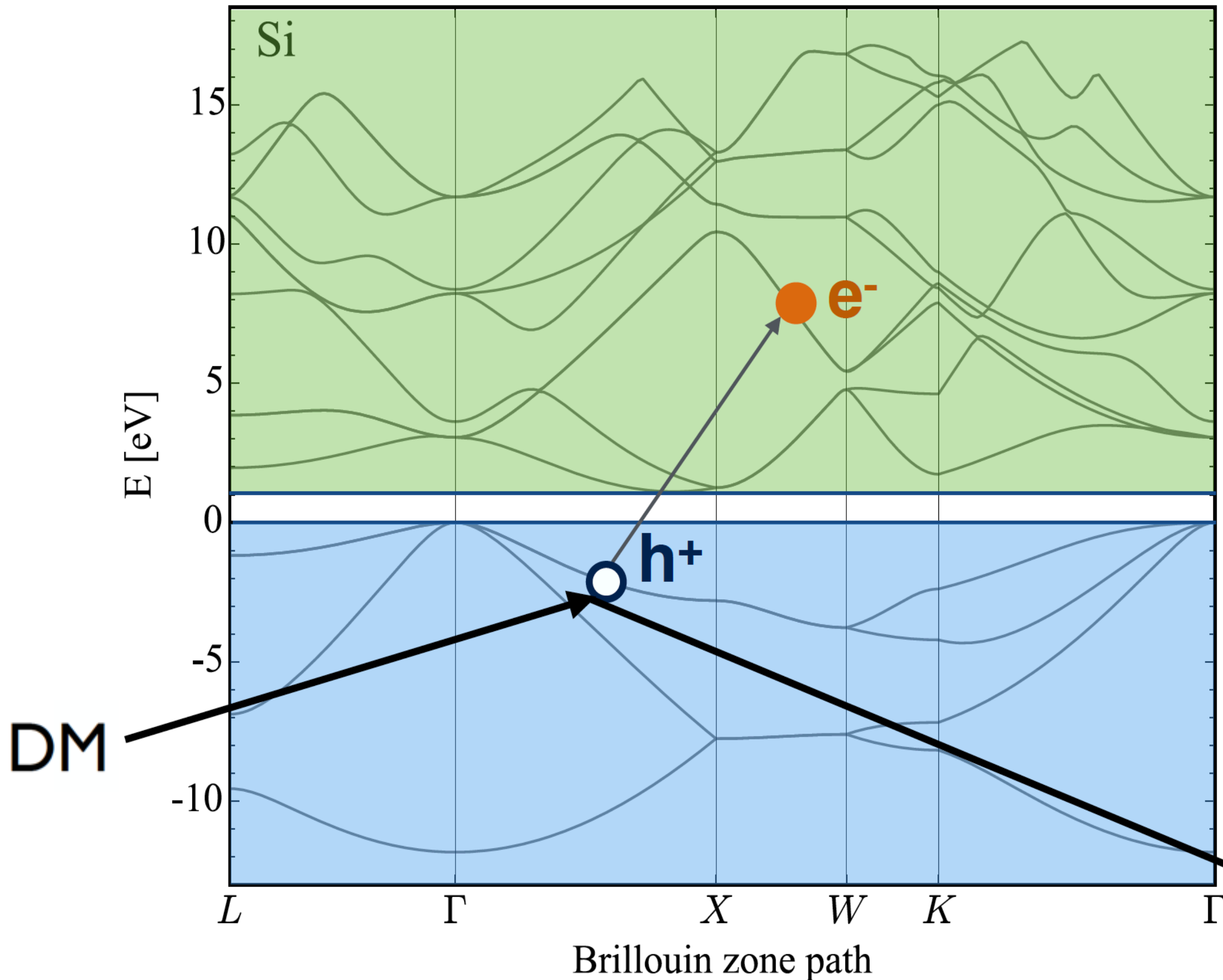
ultra-light mediator:

$$F_\chi = \frac{(\alpha m_e)^2}{q^2}$$

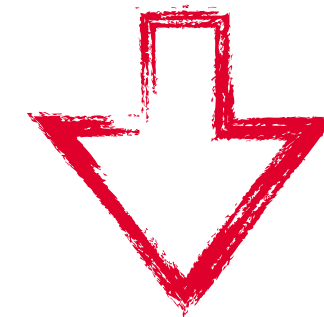


# Dark matter - electron scattering: silicon as example

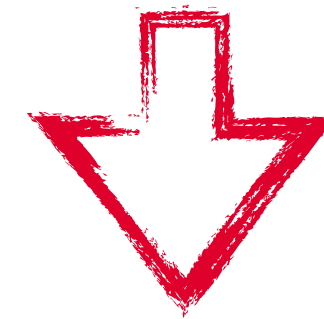
Example: silicon



- This is condensed matter physics!
- $e^-$  are not free but part of many-body system



Calculating the differential rates is challenging

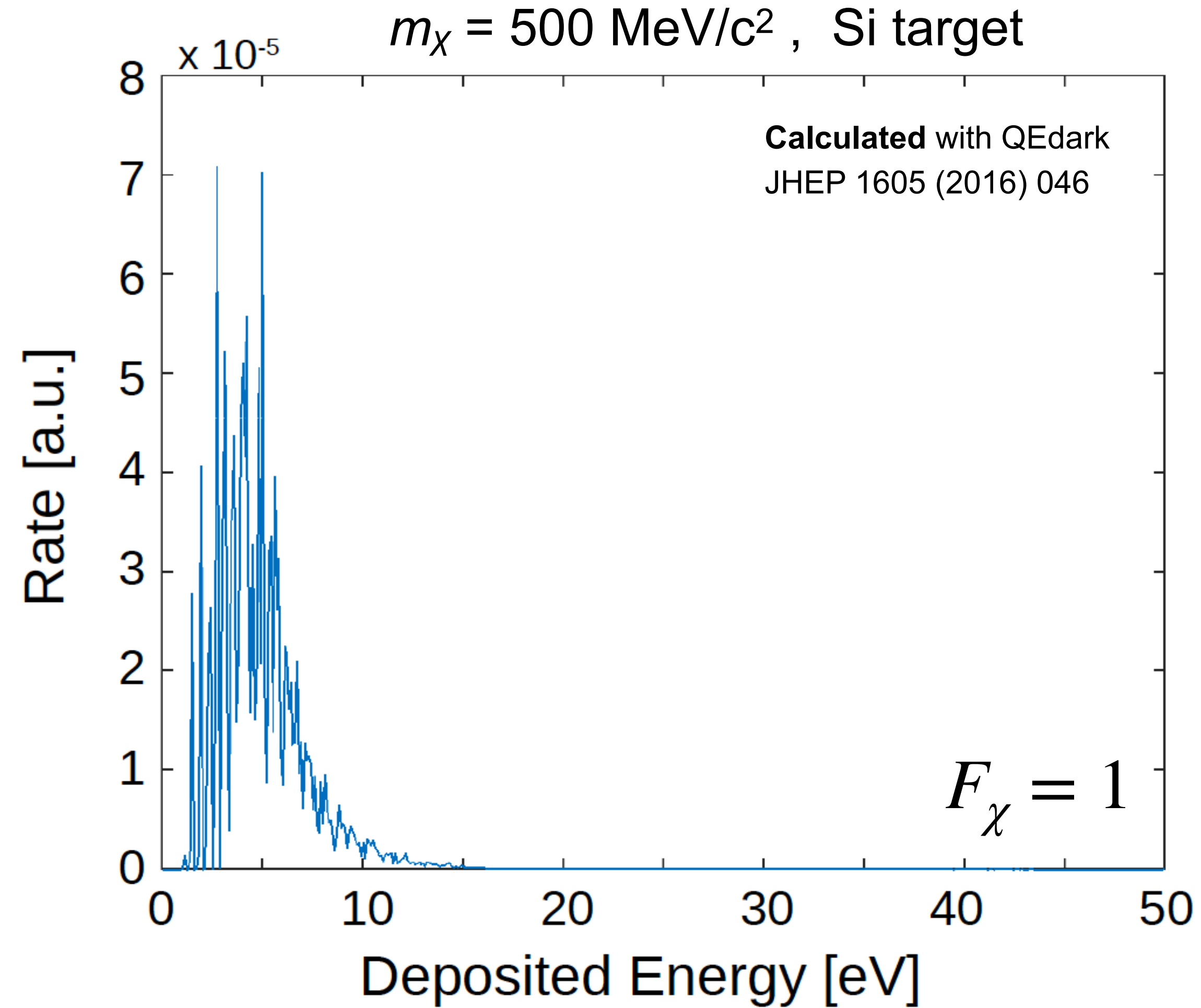


QEdark

<http://ddldm.physics.sunysb.edu/ddldm/>

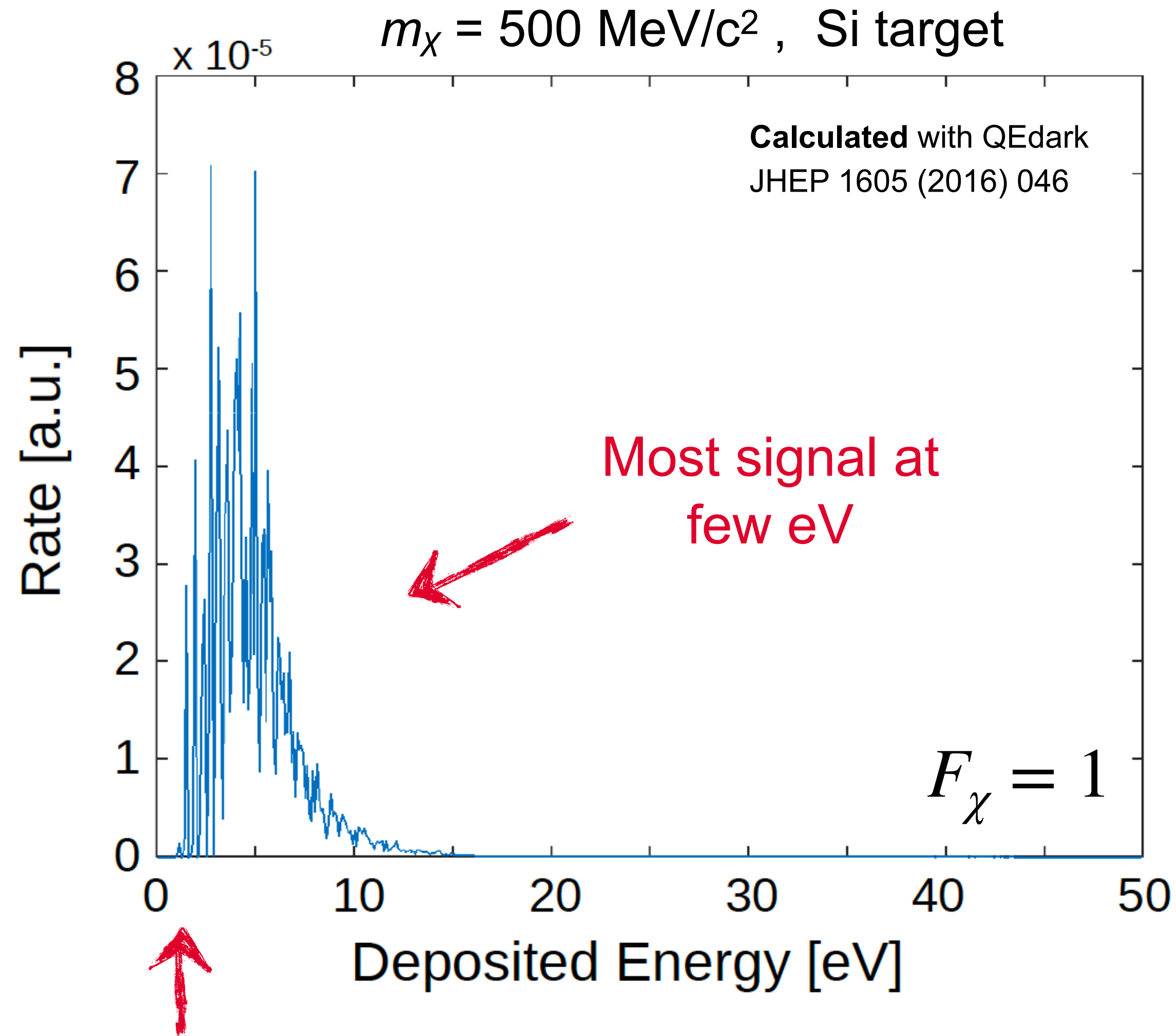


# Dark matter - electron scattering: silicon as example



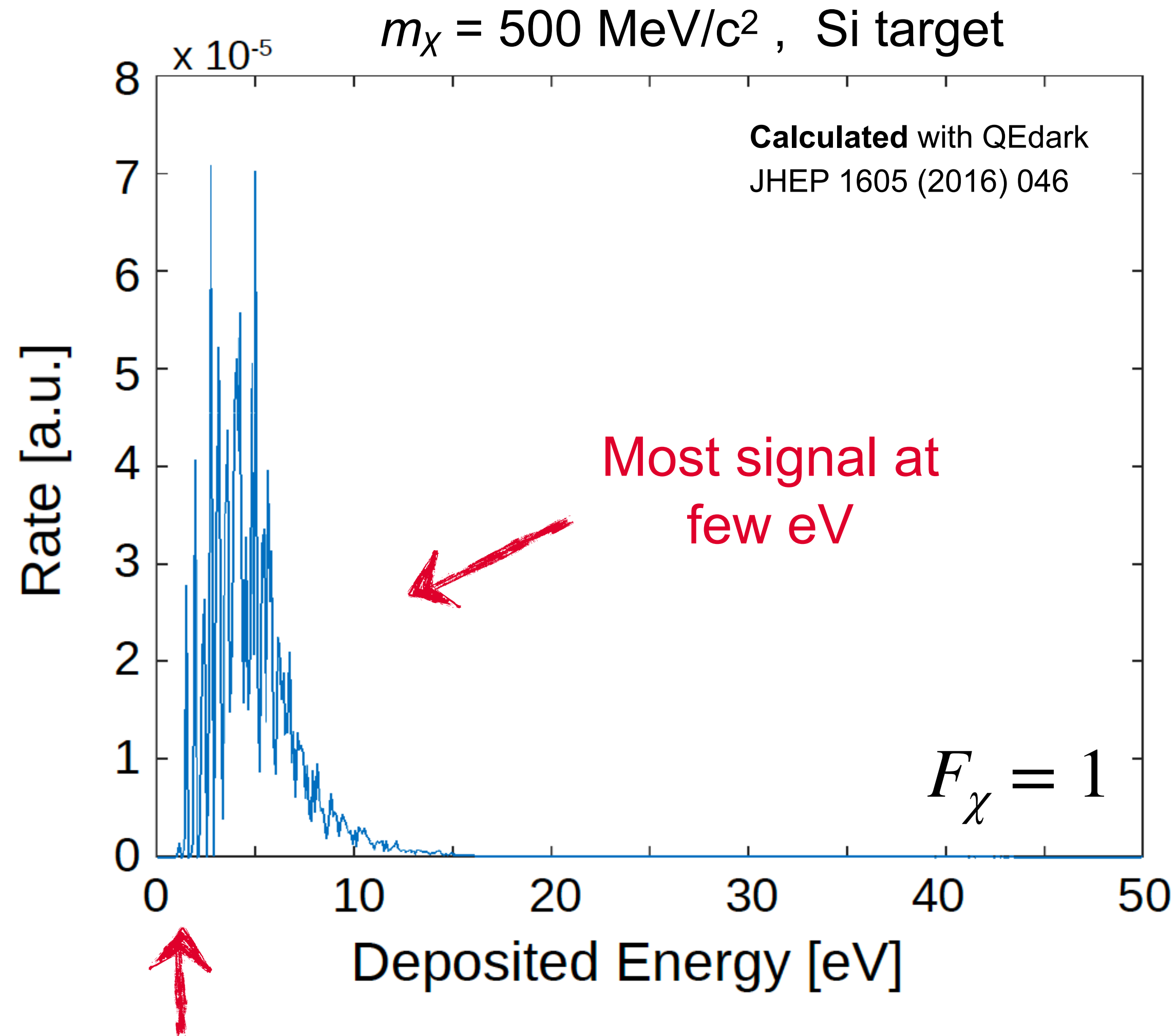


# Dark matter - electron scattering: silicon as example



Cut-off at band gap  
energy

# Dark matter - electron scattering: silicon as example



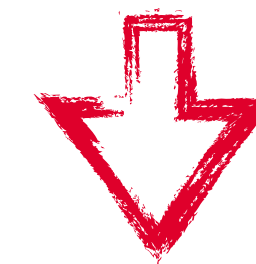
Cut-off at band gap  
energy

- $e^-$ , not DM, sets typical momentum transfer:

$$q_{\text{typ}} \sim \alpha m_e \sim 4 \text{ keV}$$

- Transferred energy:

$$\Delta E_e \sim \vec{q} \cdot \vec{v}$$



- Typical recoil energy:

$$\Delta E_{\text{typ}} \approx 4 \text{ eV}$$



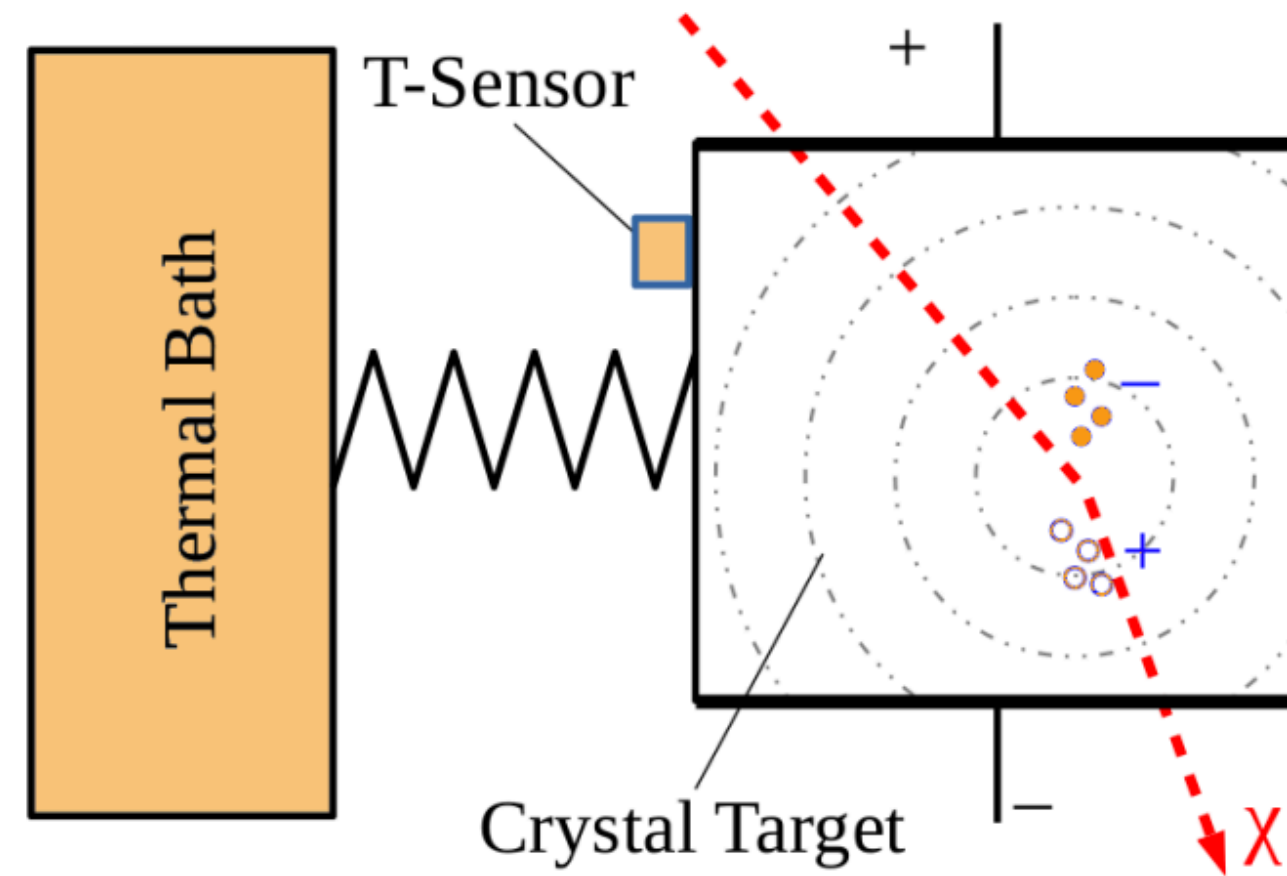
# State-of-the-art DM-e Scattering Detectors





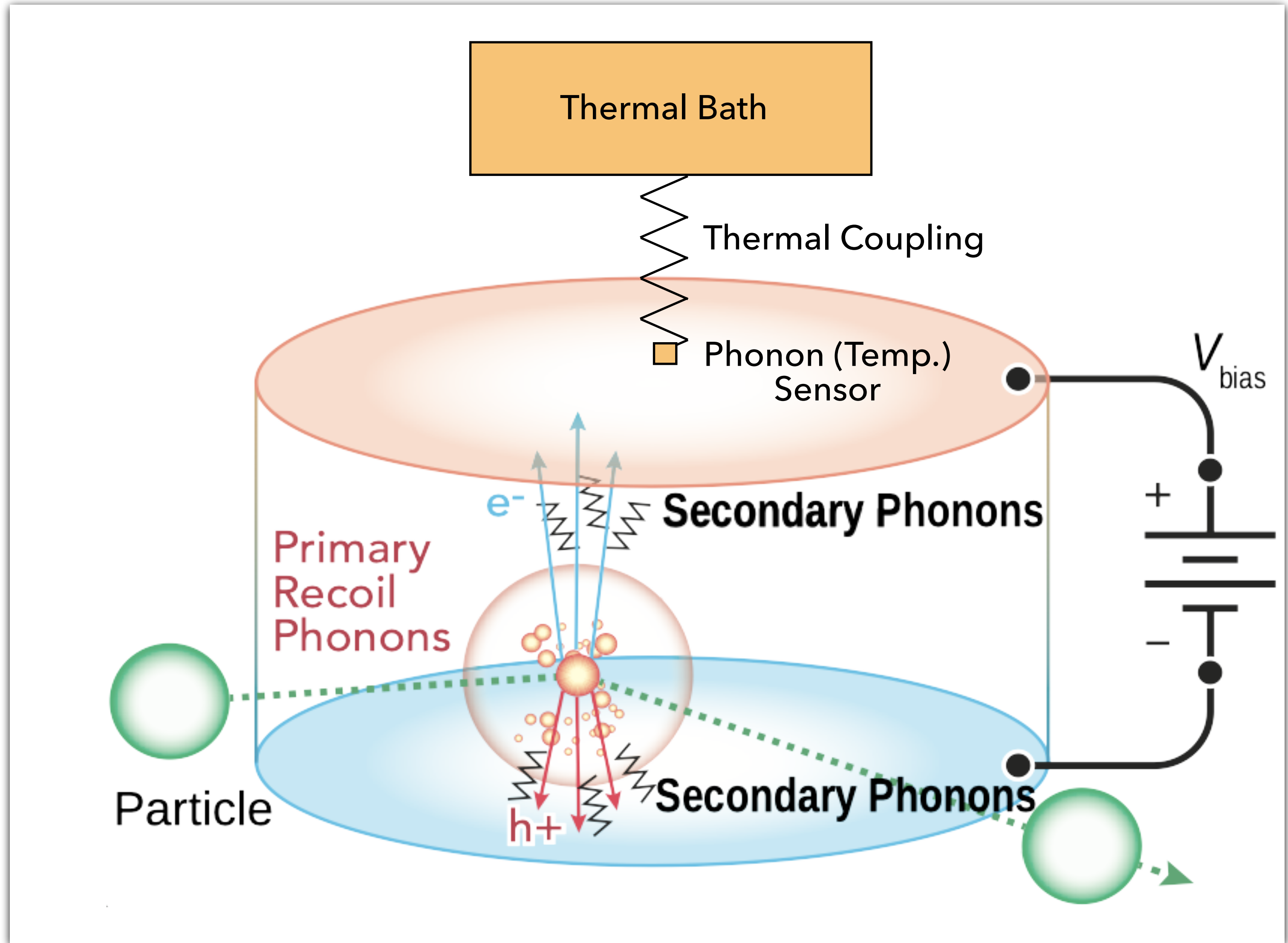
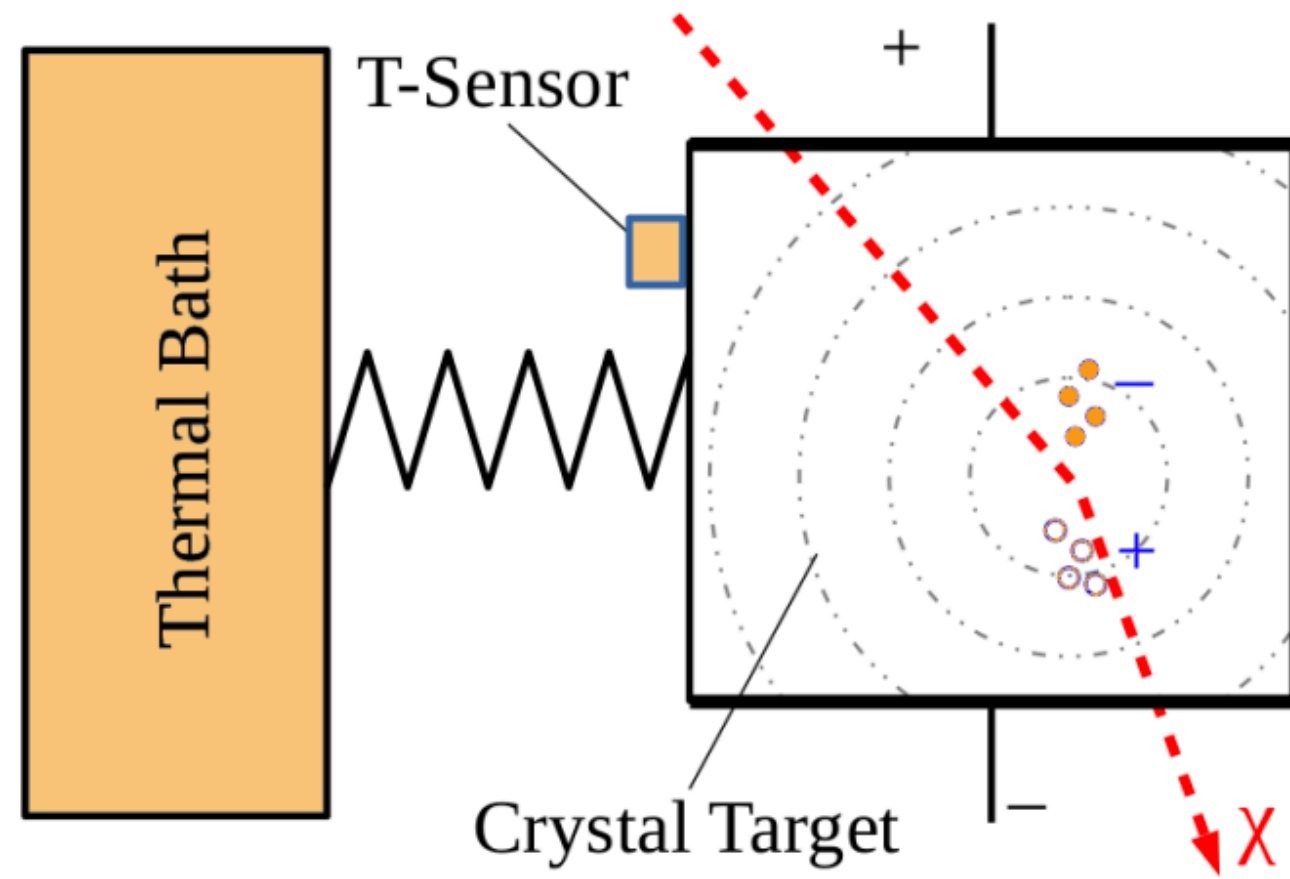
# Cryogenic calorimeters / bolometers

Example: measurement of PHONON / HEAT and IONIZATION signals



# Cryogenic calorimeters / bolometers

Example: measurement of PHONON / HEAT and IONIZATION signals

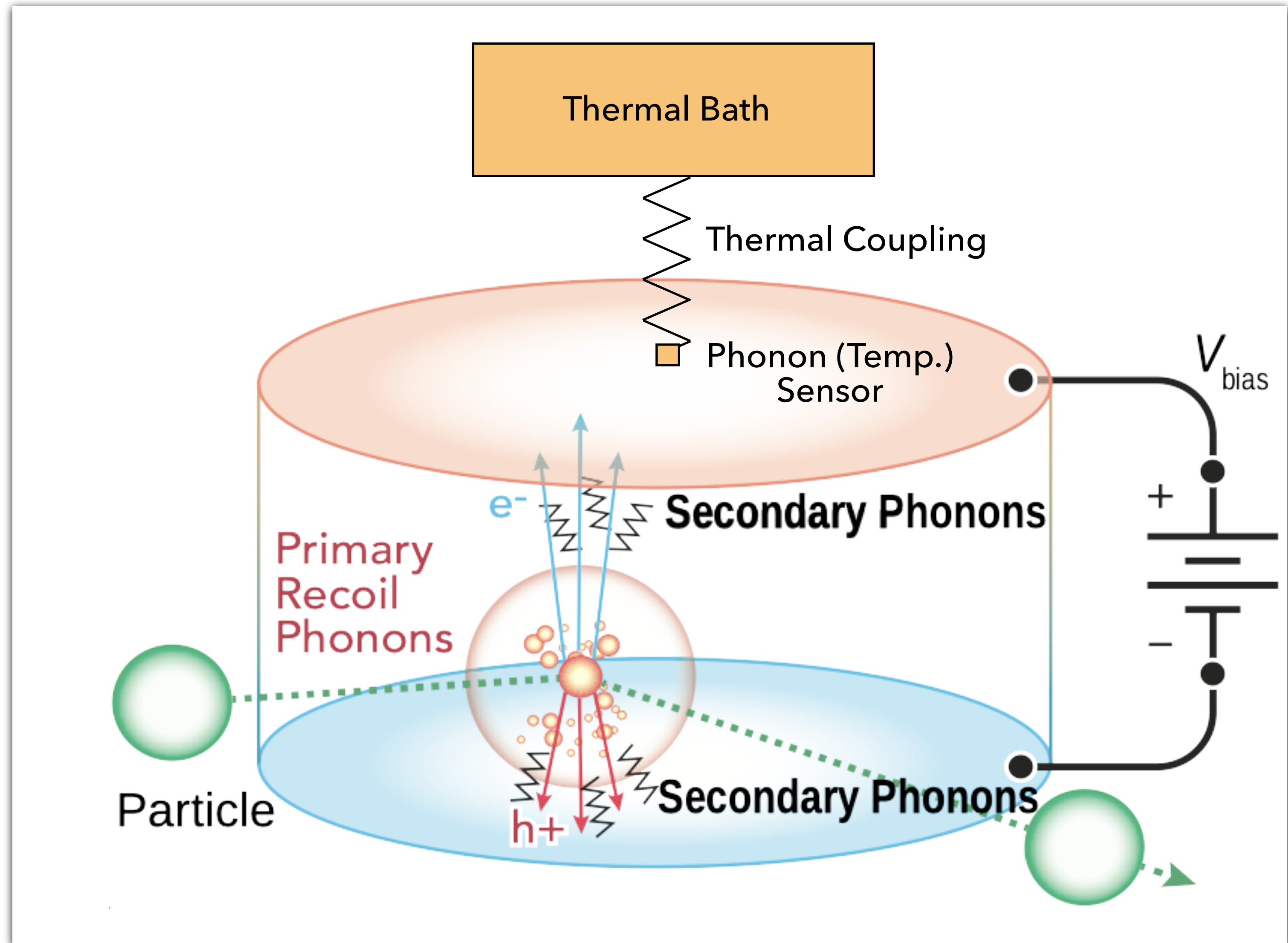


# Cryogenic calorimeters / bolometers

Amplification of the charge signal via  
the **Neganov-Trofimov-Luke effect**

$$E_{\text{phonon}} = E_{\text{dep.}} + n_{eh} e V_{\text{bias}}$$

$$= E_{\text{prompt}} + E_{\text{recomb.}} + E_{\text{NTL}}$$



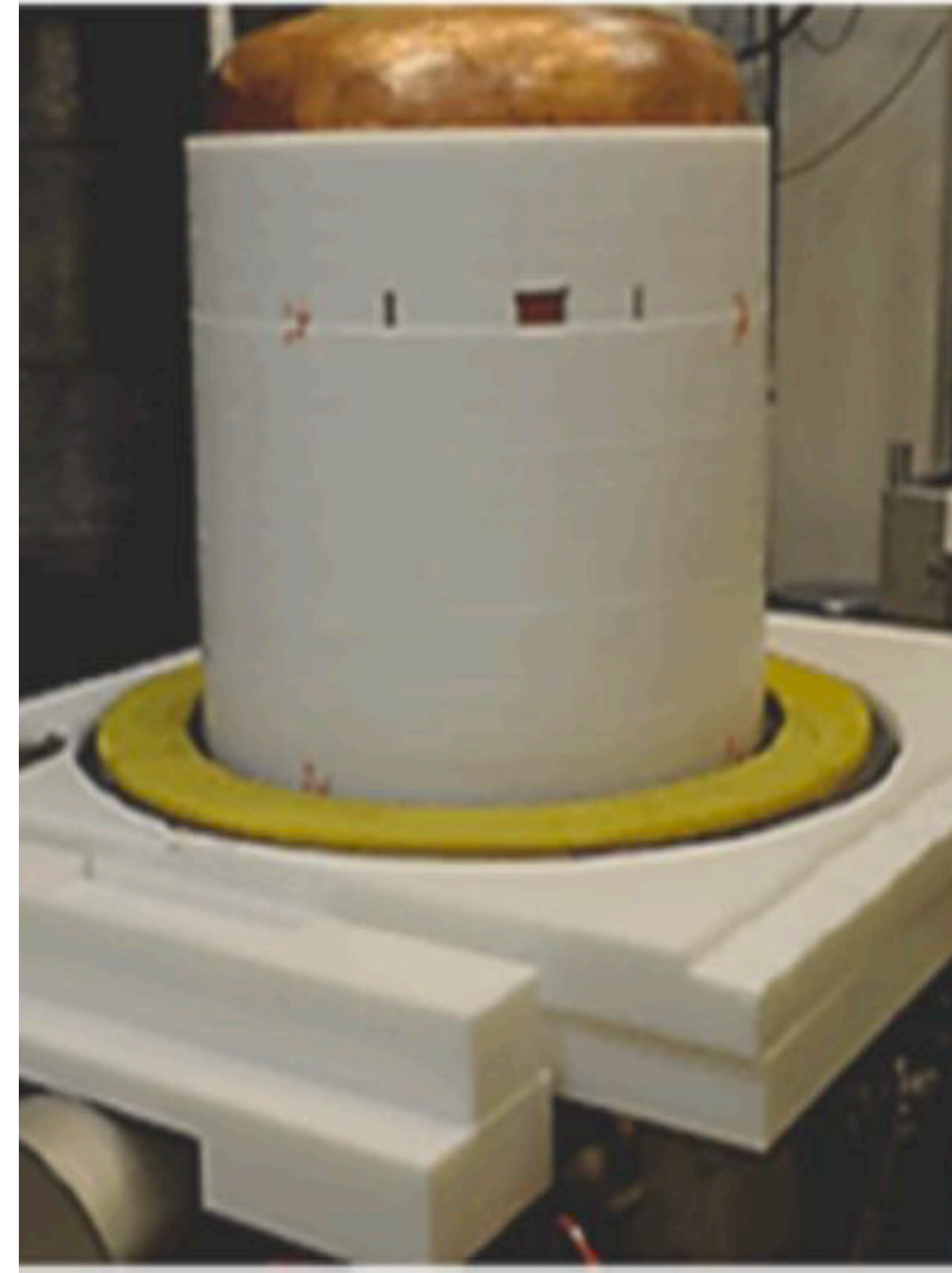
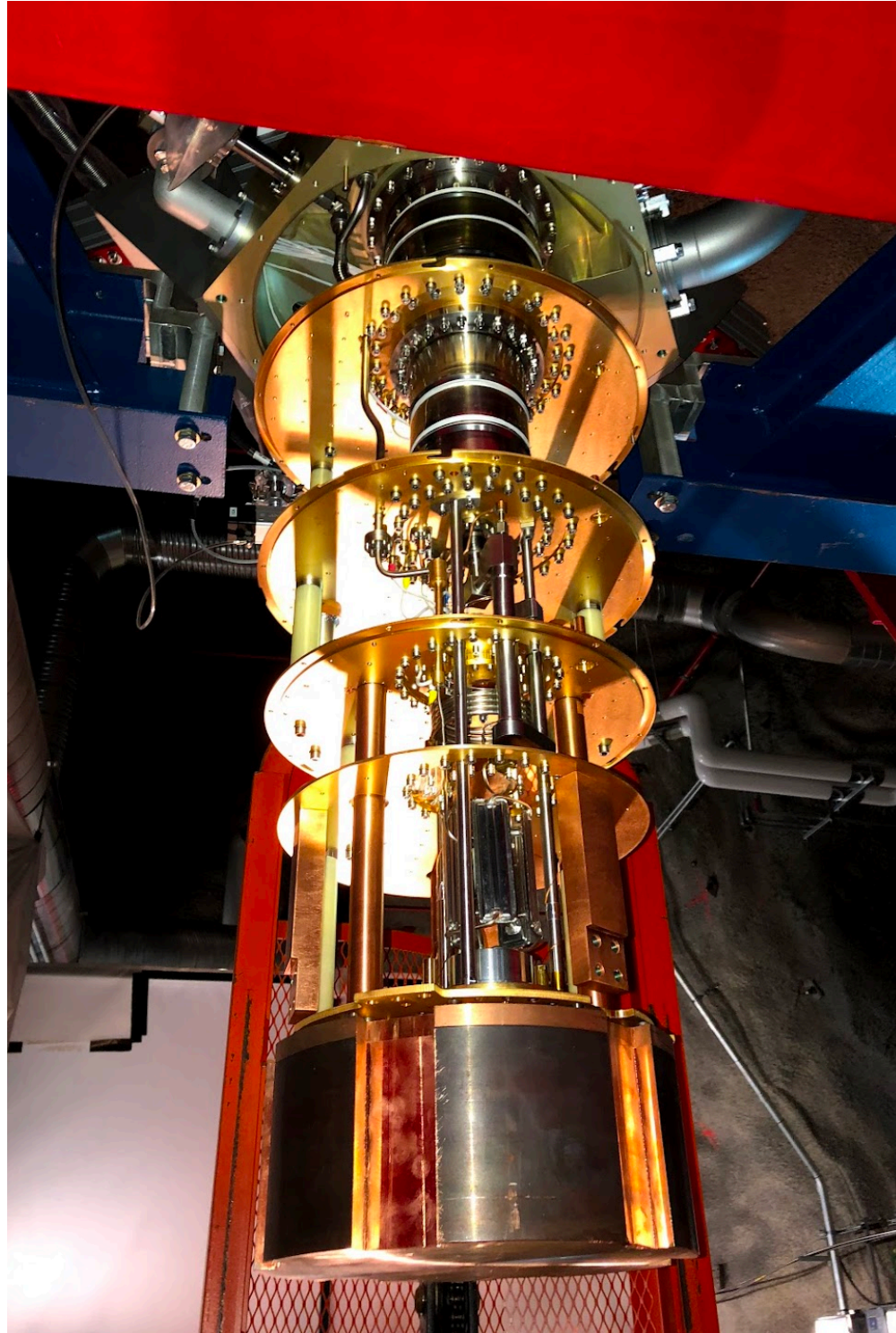


# Cryogenic calorimeters / bolometers

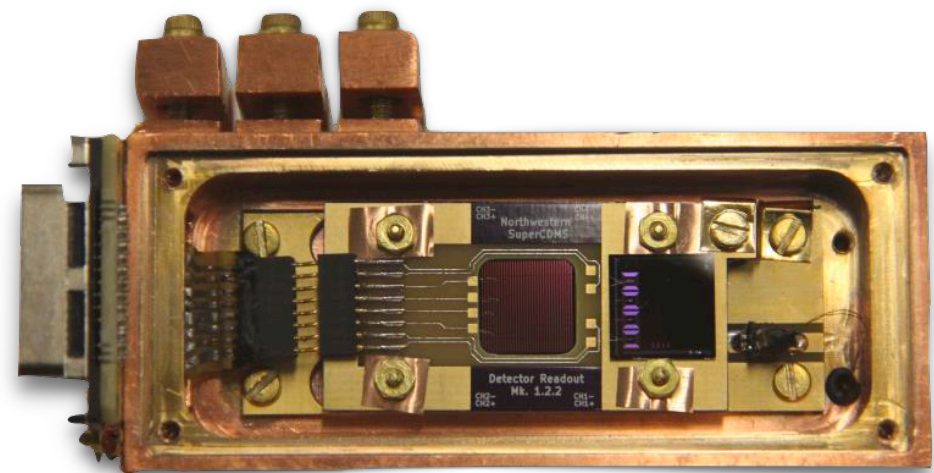
SuperCDMS-HVeV

EDELWEISS

Pictures courtesy: SuperCDMS collaboration

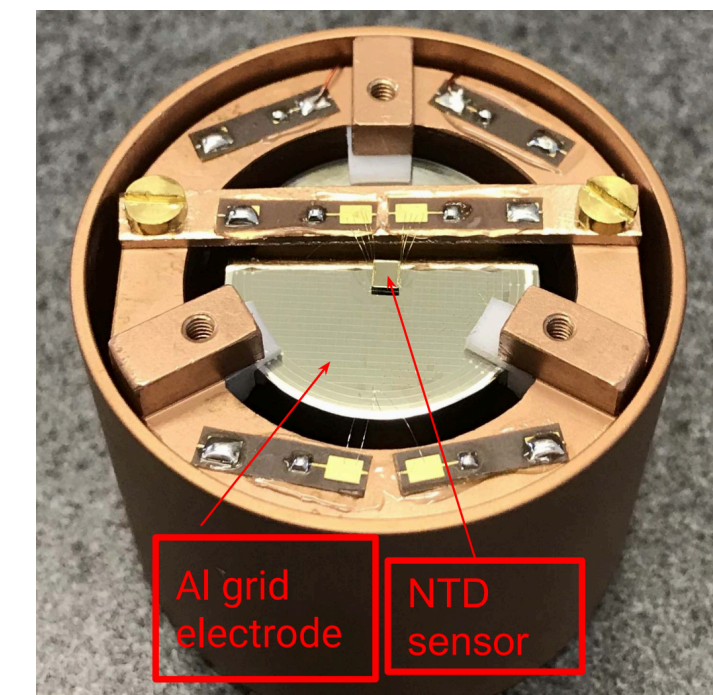


Pictures courtesy: EDELWEISS collaboration



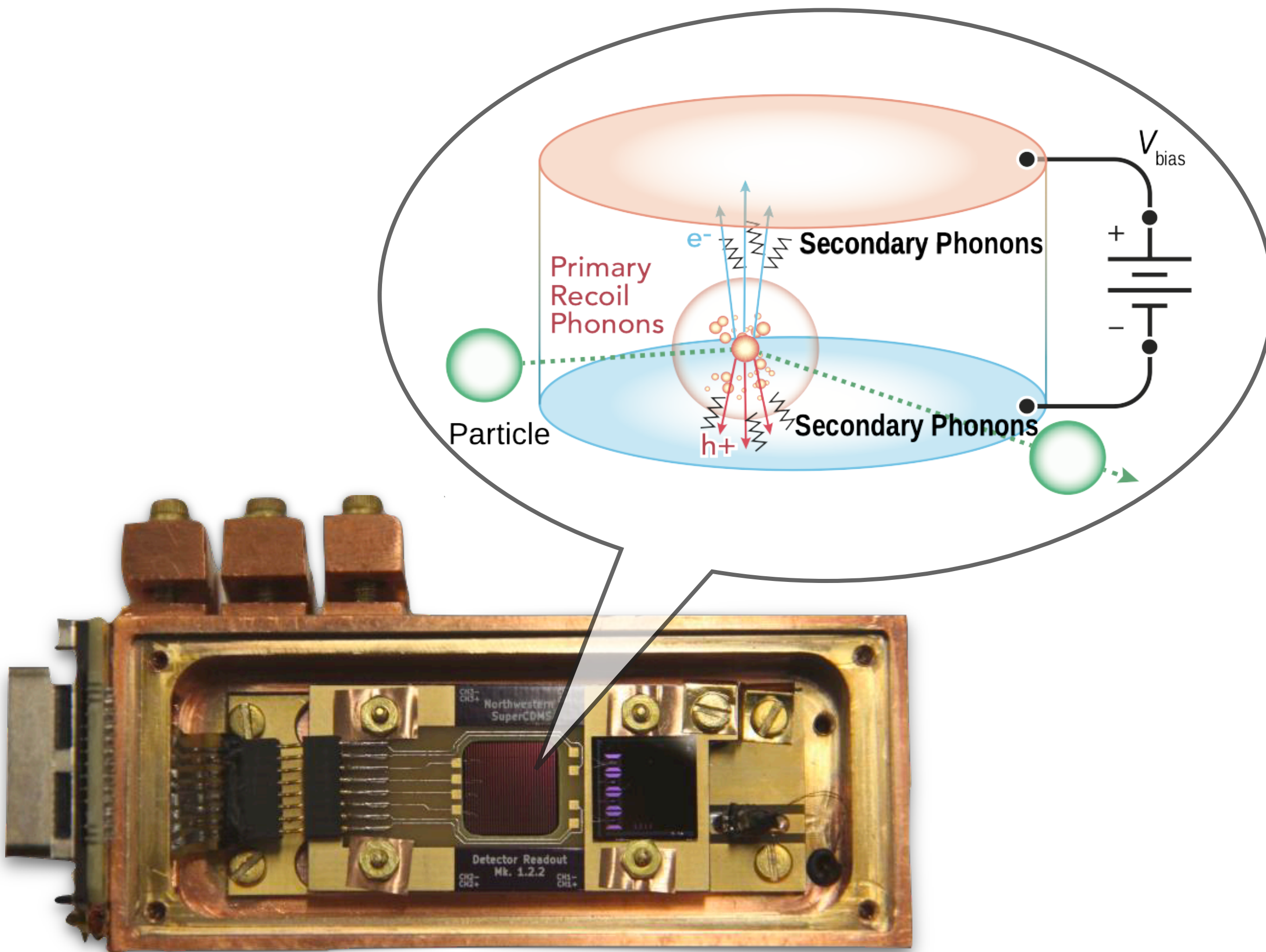
silicon target

- High time and energy resolution but poor spatial resolution

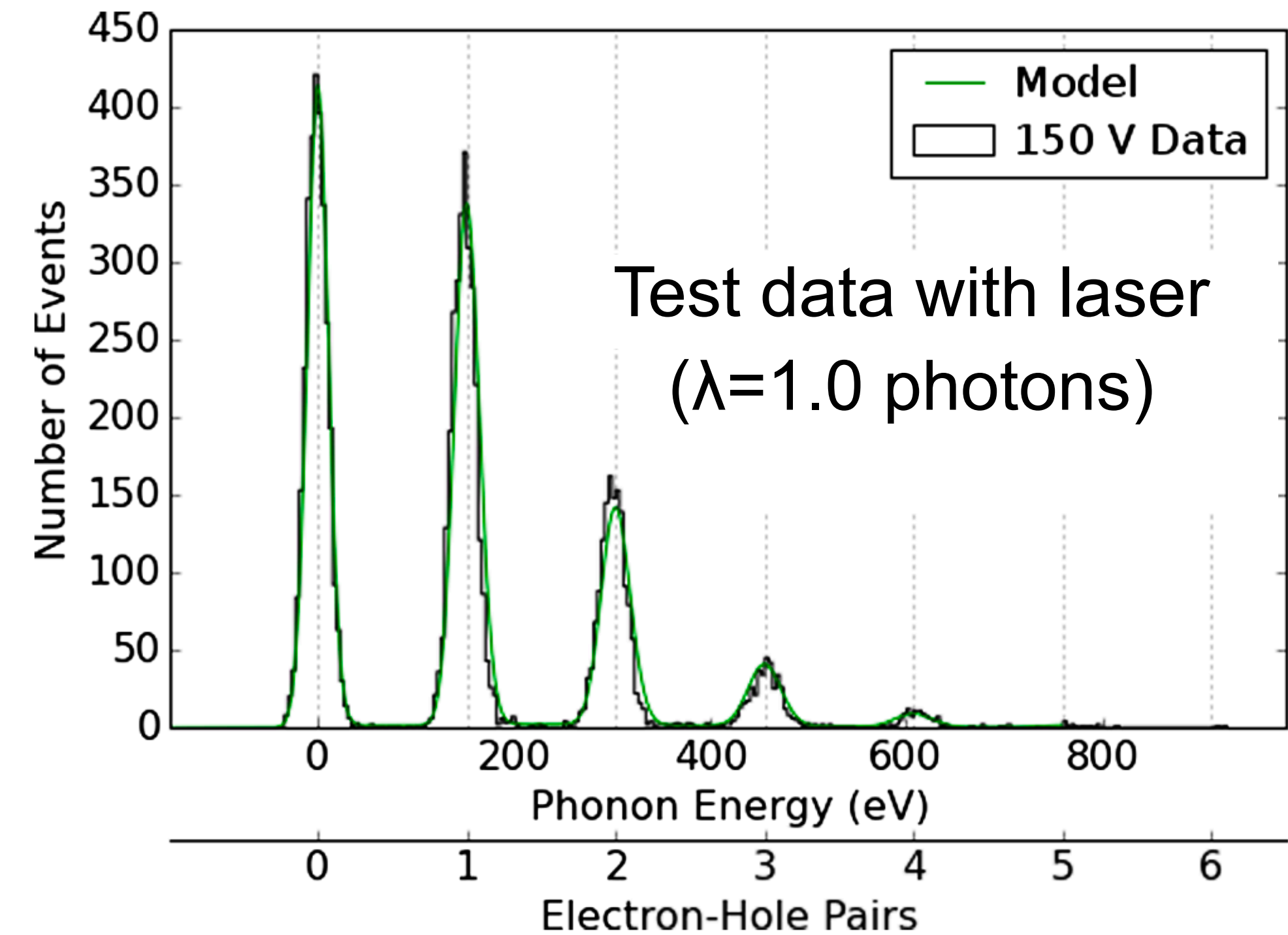


germanium target

# Cryogenic calorimeters: SuperCDMS-HVeV



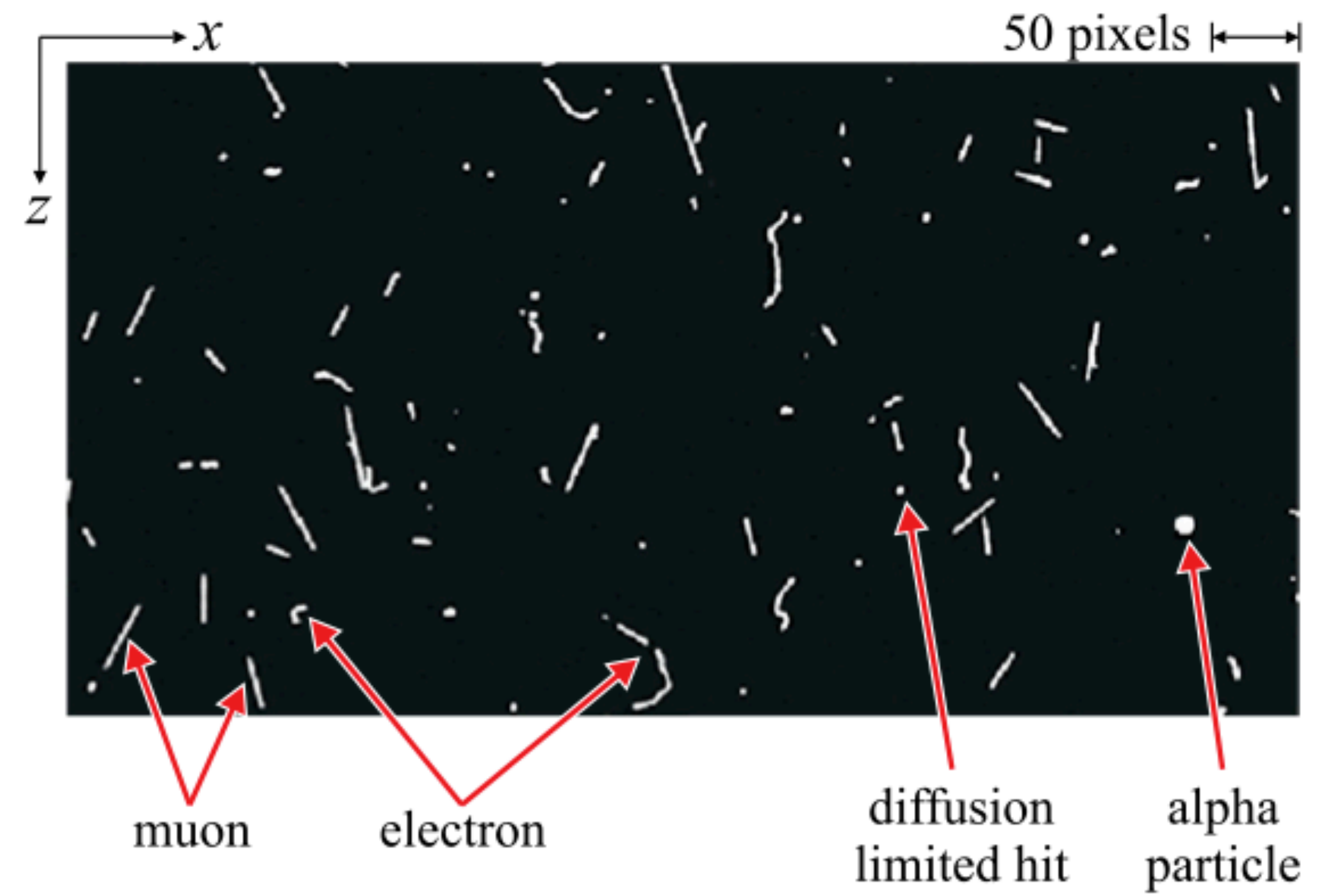
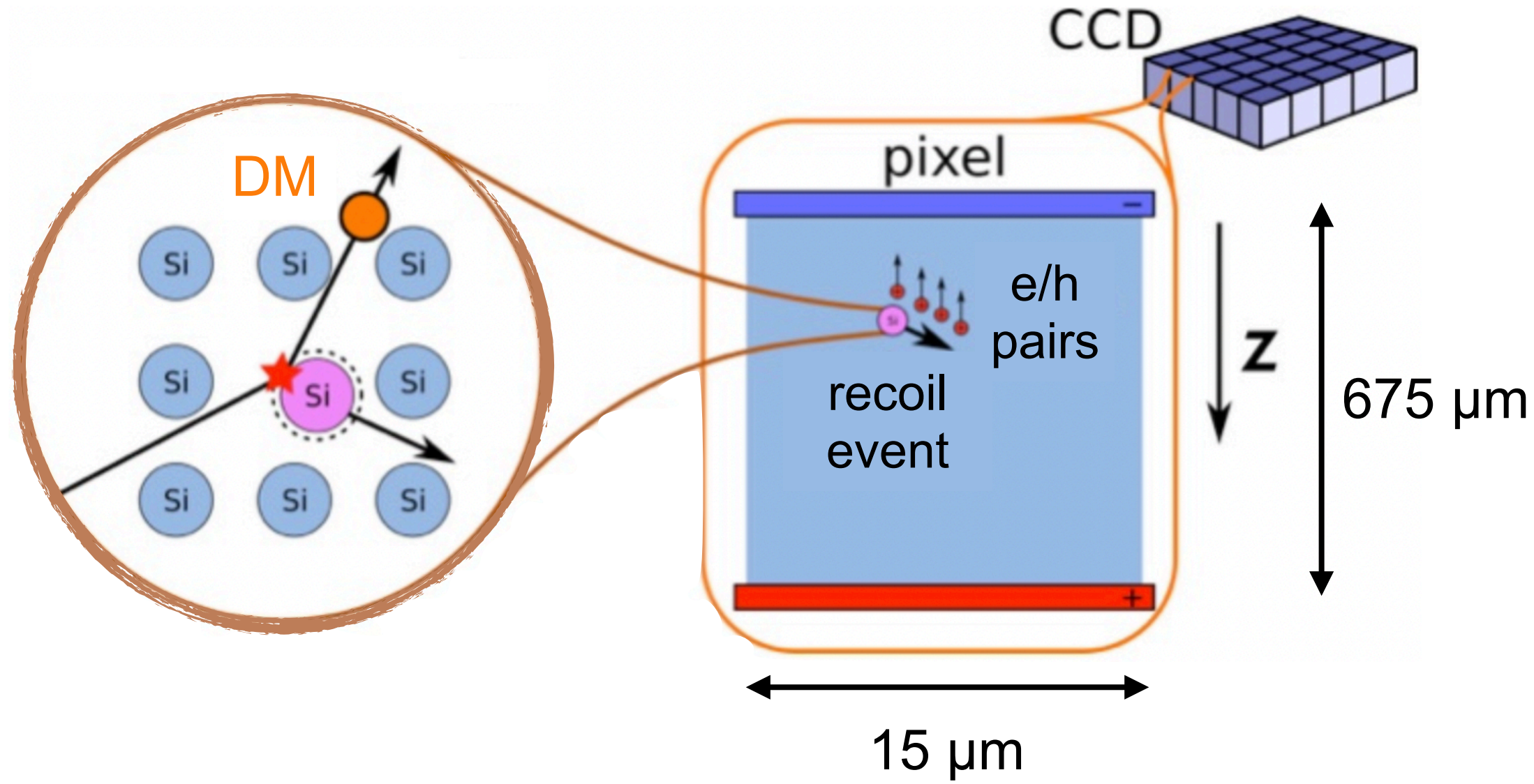
Si chip with bias voltage around  $\sim 100$  V.  
(1 cm<sup>2</sup> x 4 mm, 0.93 g)



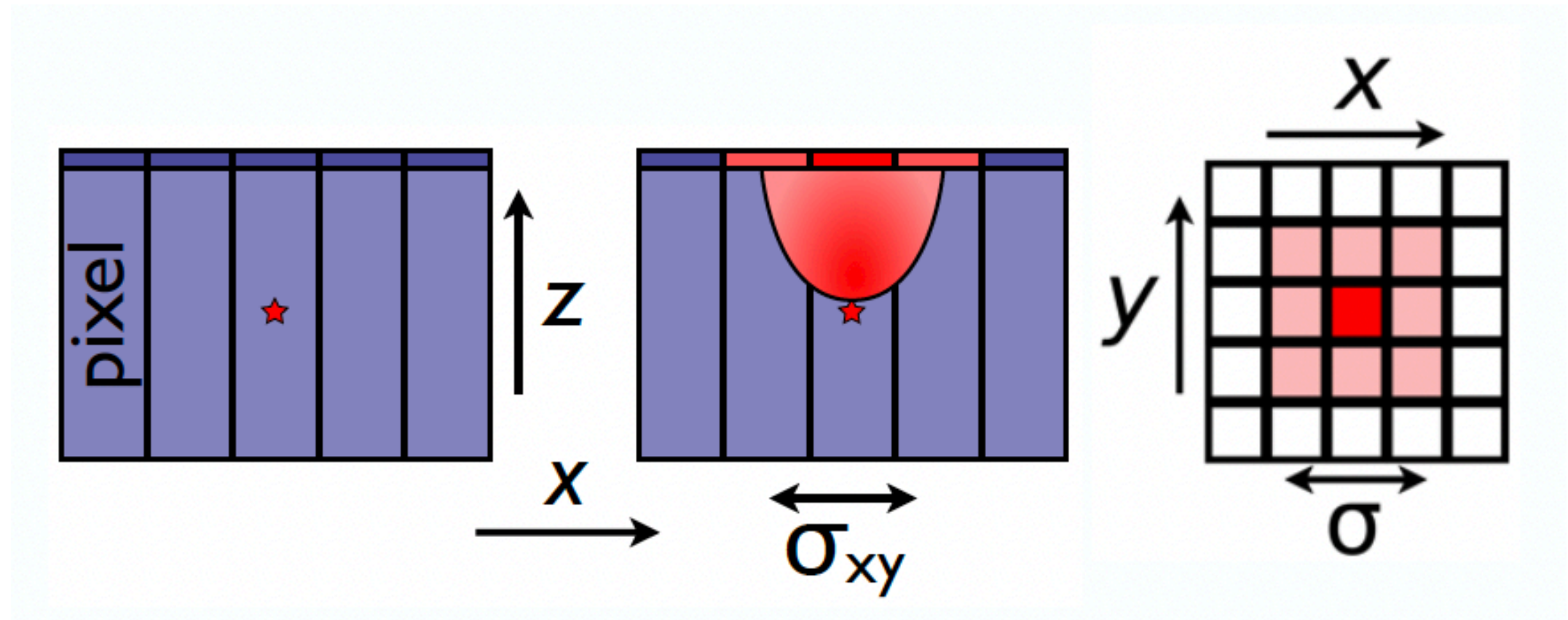
- Single electron-hole pair resolution
- Ultra-low threshold at  $\sim 1$  eV (band-gap)



# CCD-based detectors: DAMIC

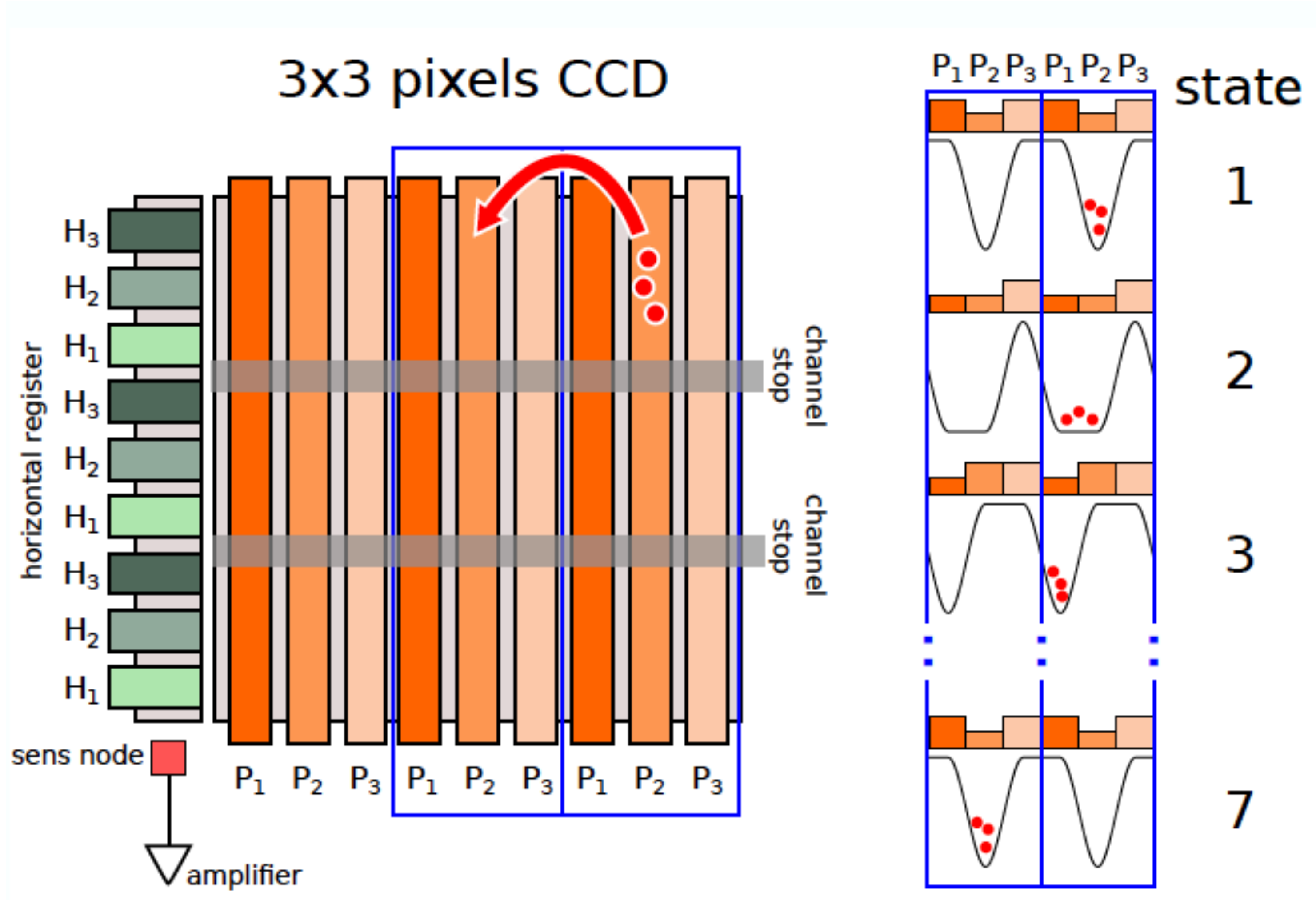


Pictures courtesy: DAMIC collaboration



# CCD-based detectors: DAMIC

## Serial readout

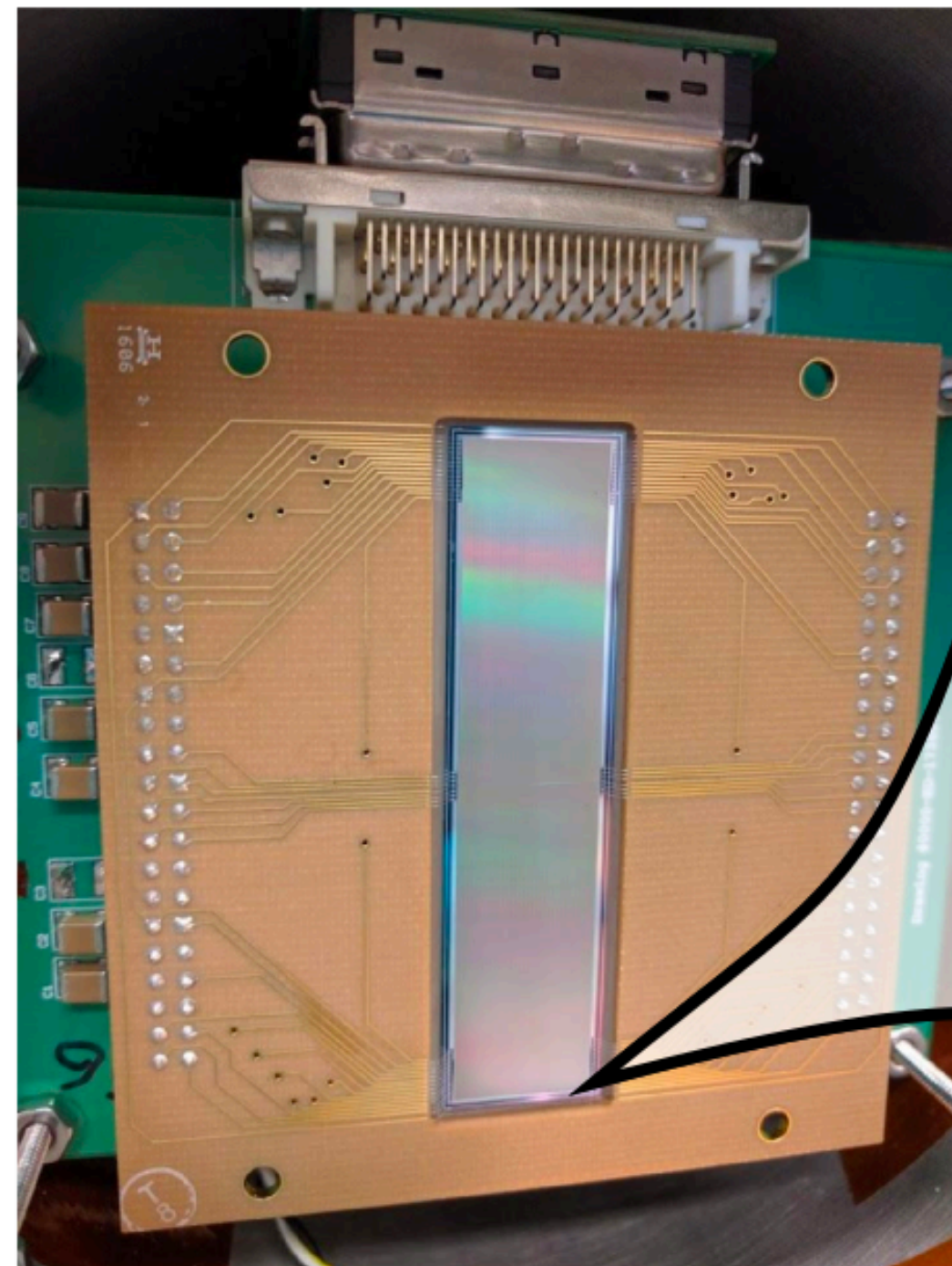


- Dark current negligible
- Each pixel readout induces 7.2 eV (2e<sup>-</sup>) noise
- Number of readouts drives total noise

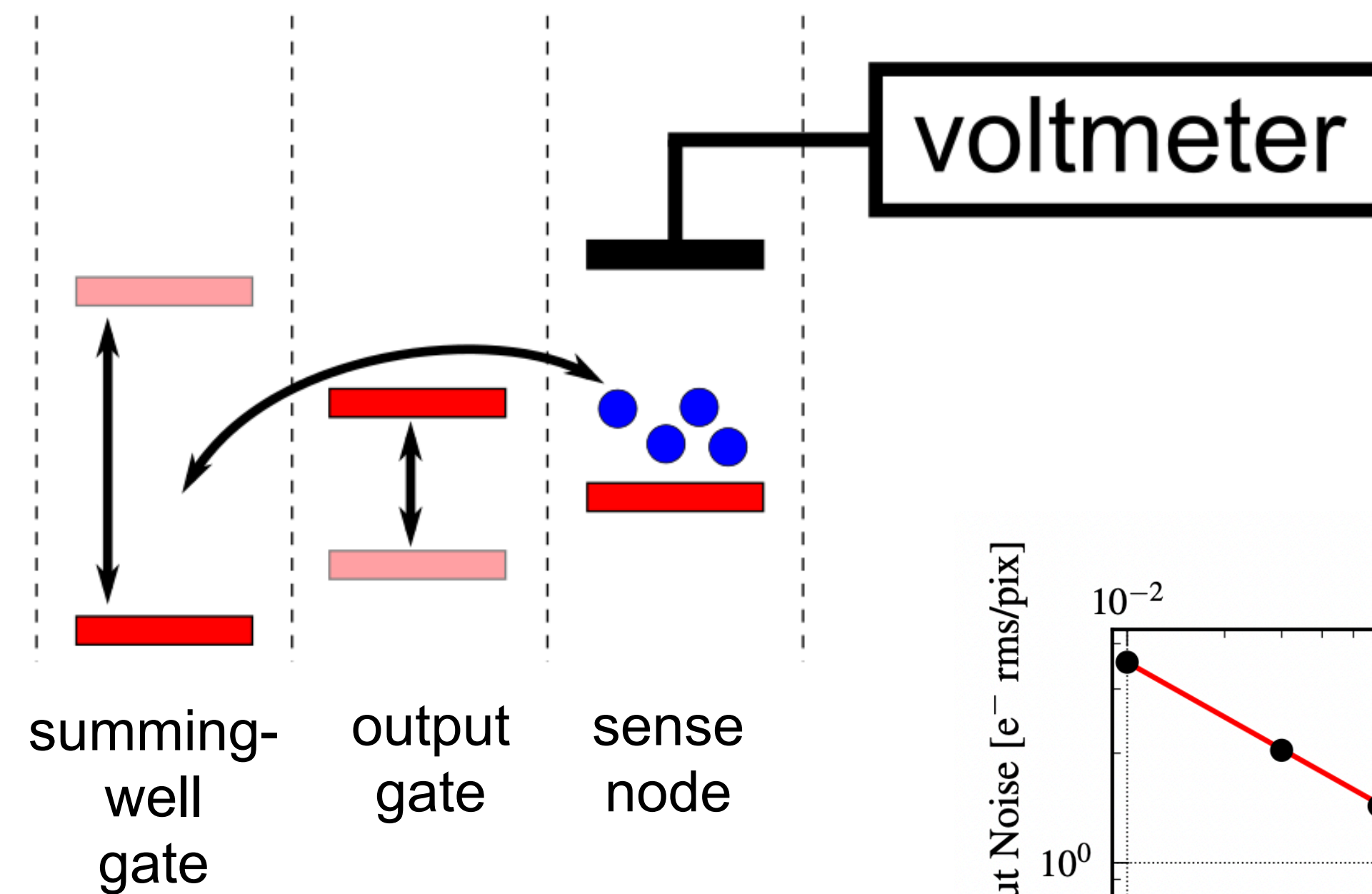


# CCD-based detectors: SENSEI

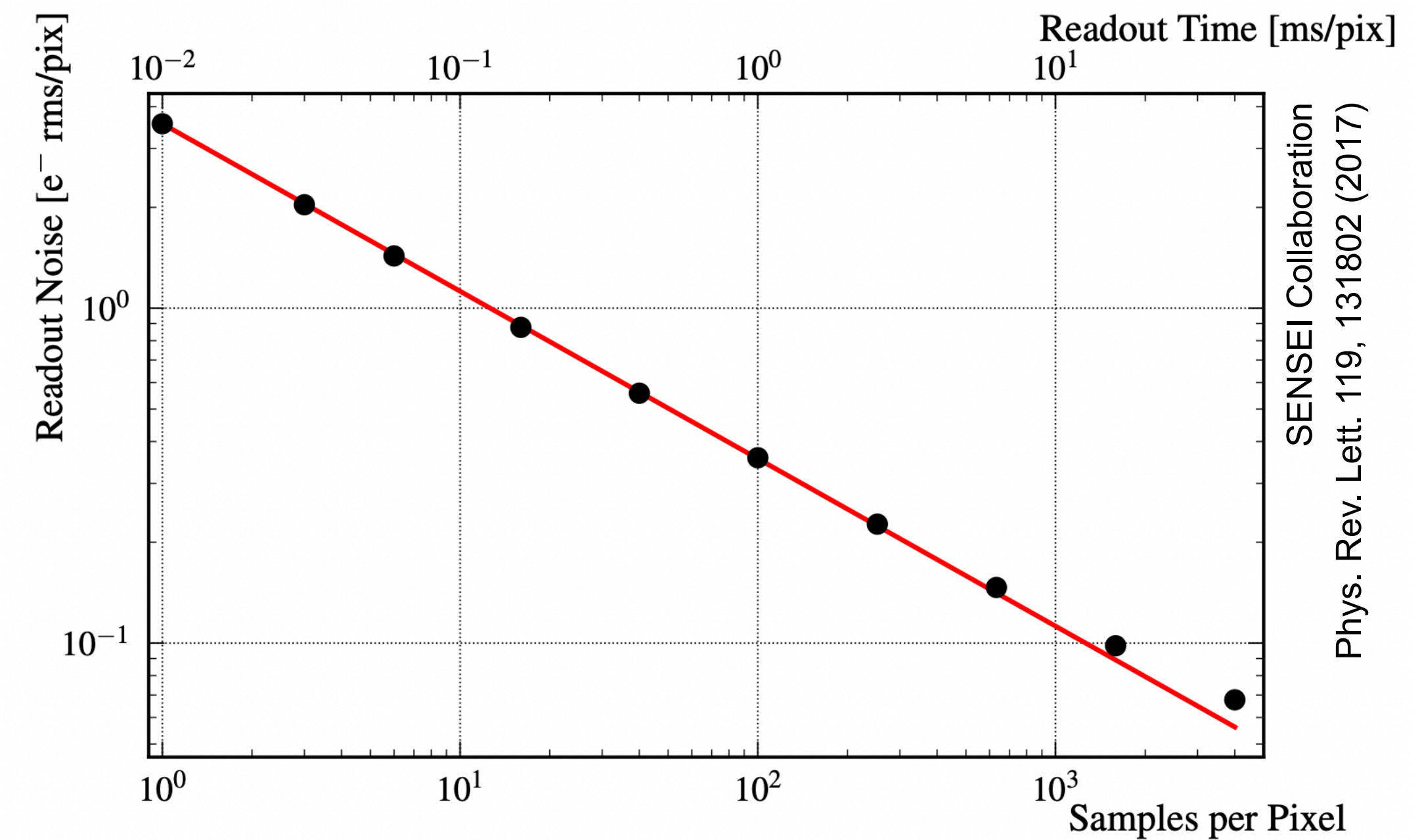
Pictures courtesy: SENSEI collaboration



## Skipper read out

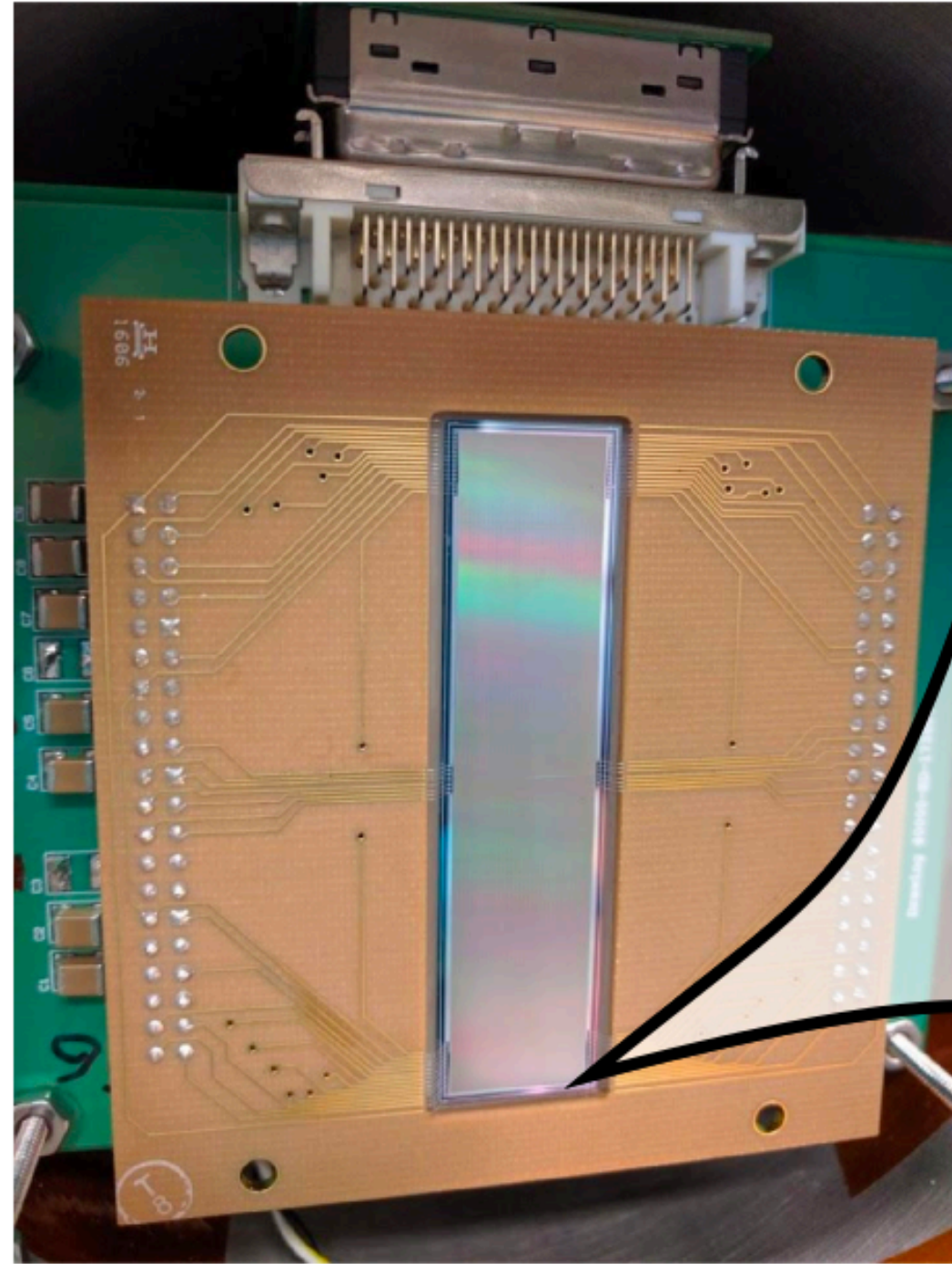


- Sampling the same charge packet multiple times strongly reduces the observed readout noise

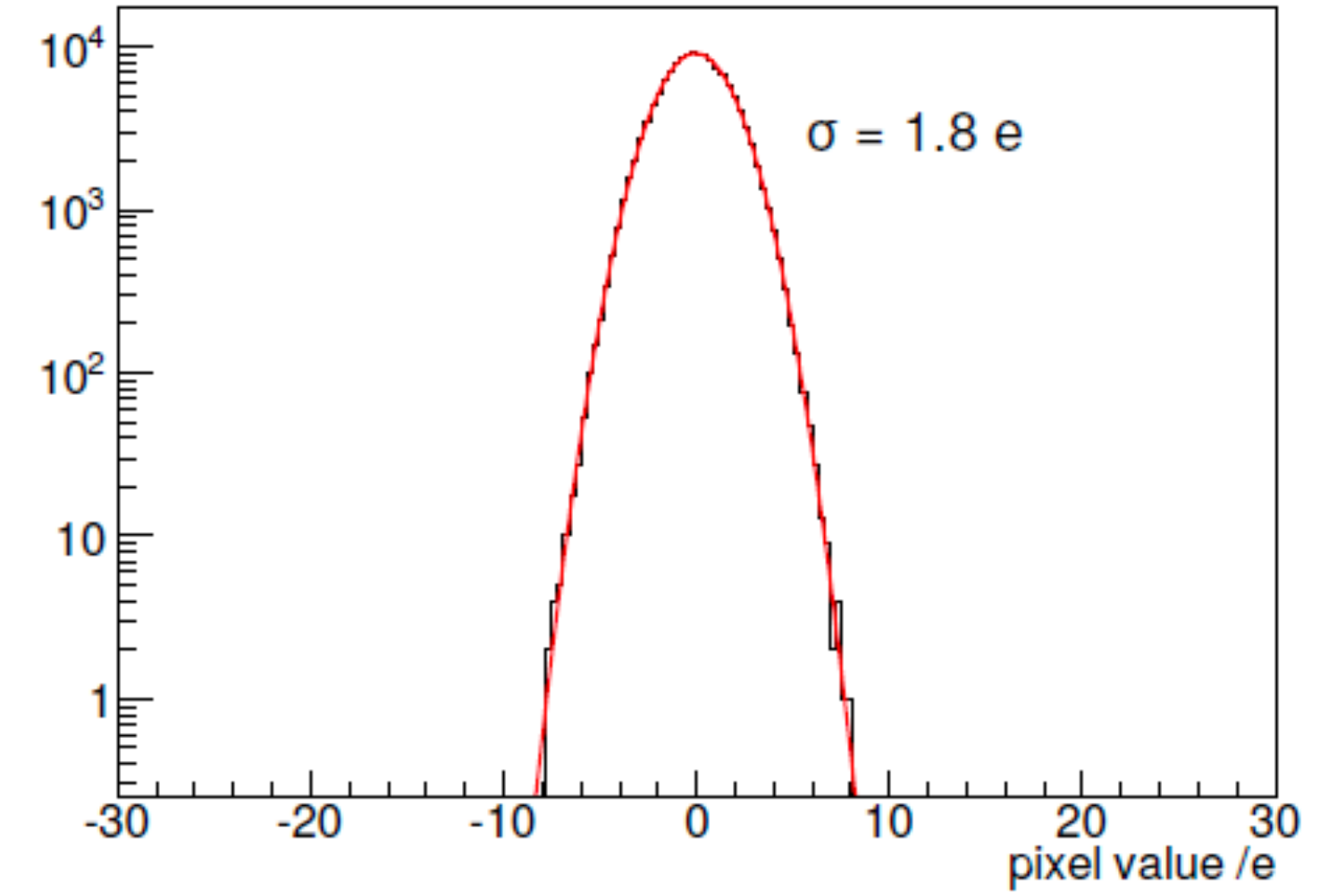
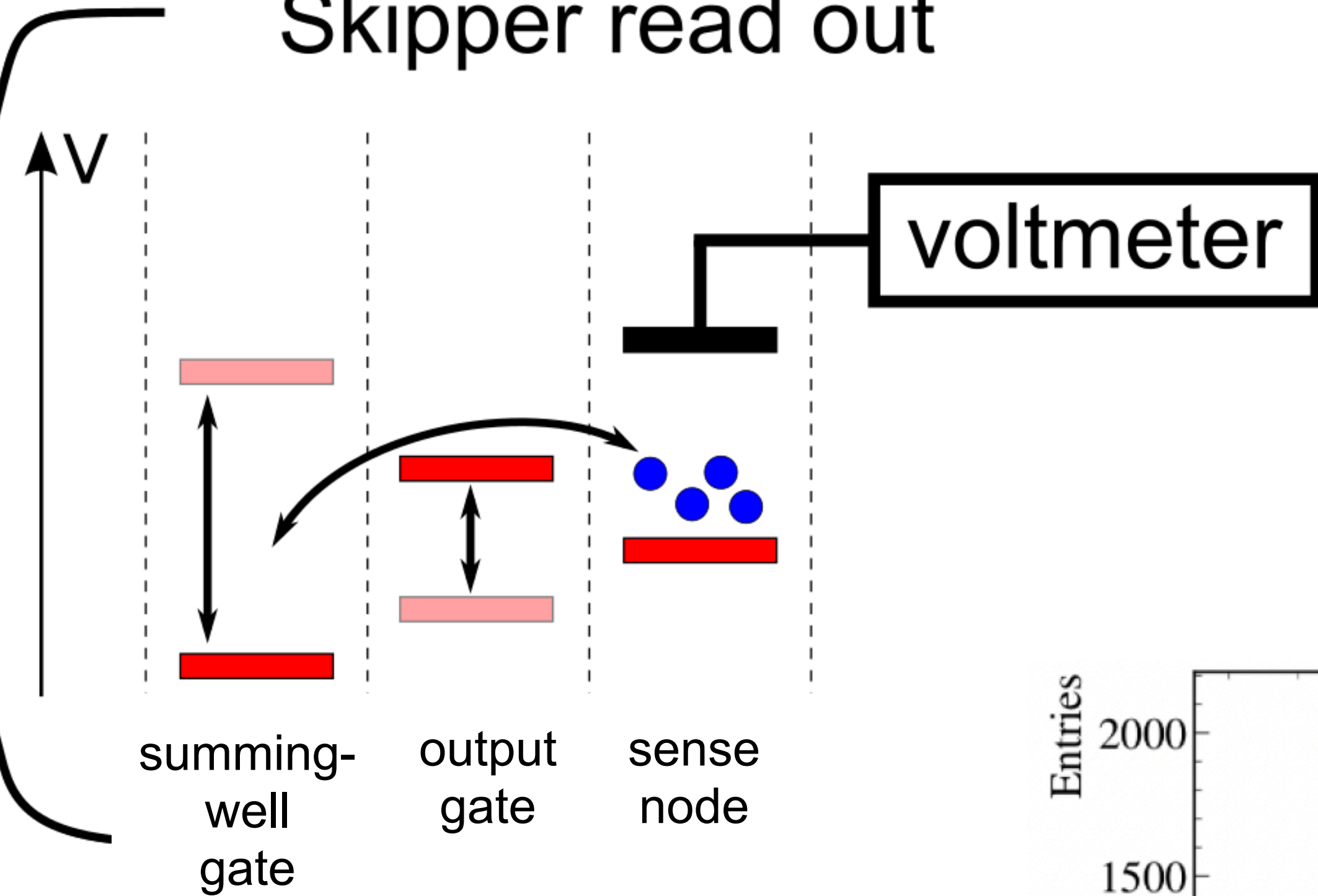


# CCD-based detectors: SENSEI (and DAMIC-M)

Pictures courtesy: SENSEI collaboration

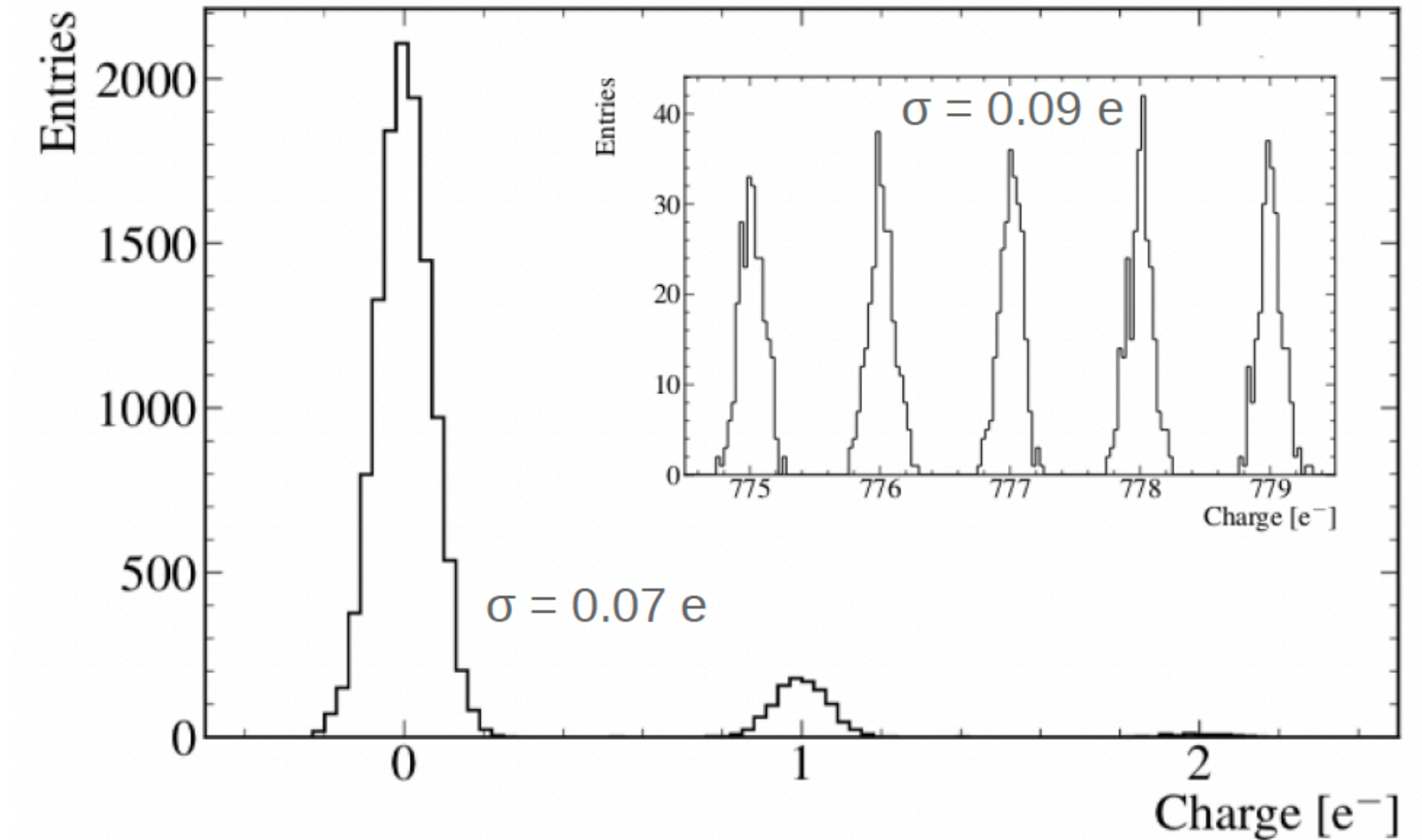


Skipper read out



skipper CCD

- Sampling the same charge packet multiple times strongly reduces the observed readout noise

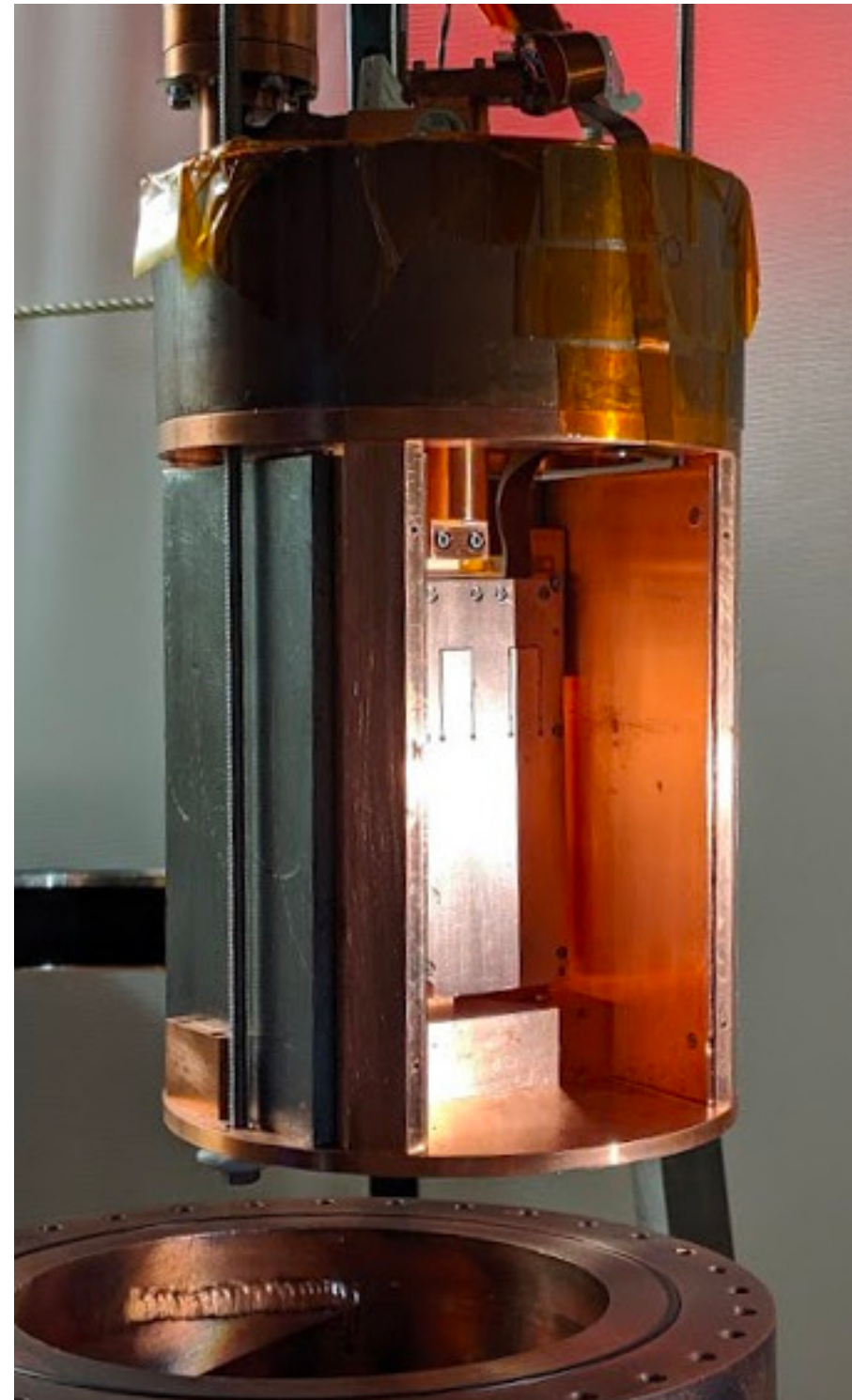


SENSEI Collaboration, PRL 119, 131802 (2017)

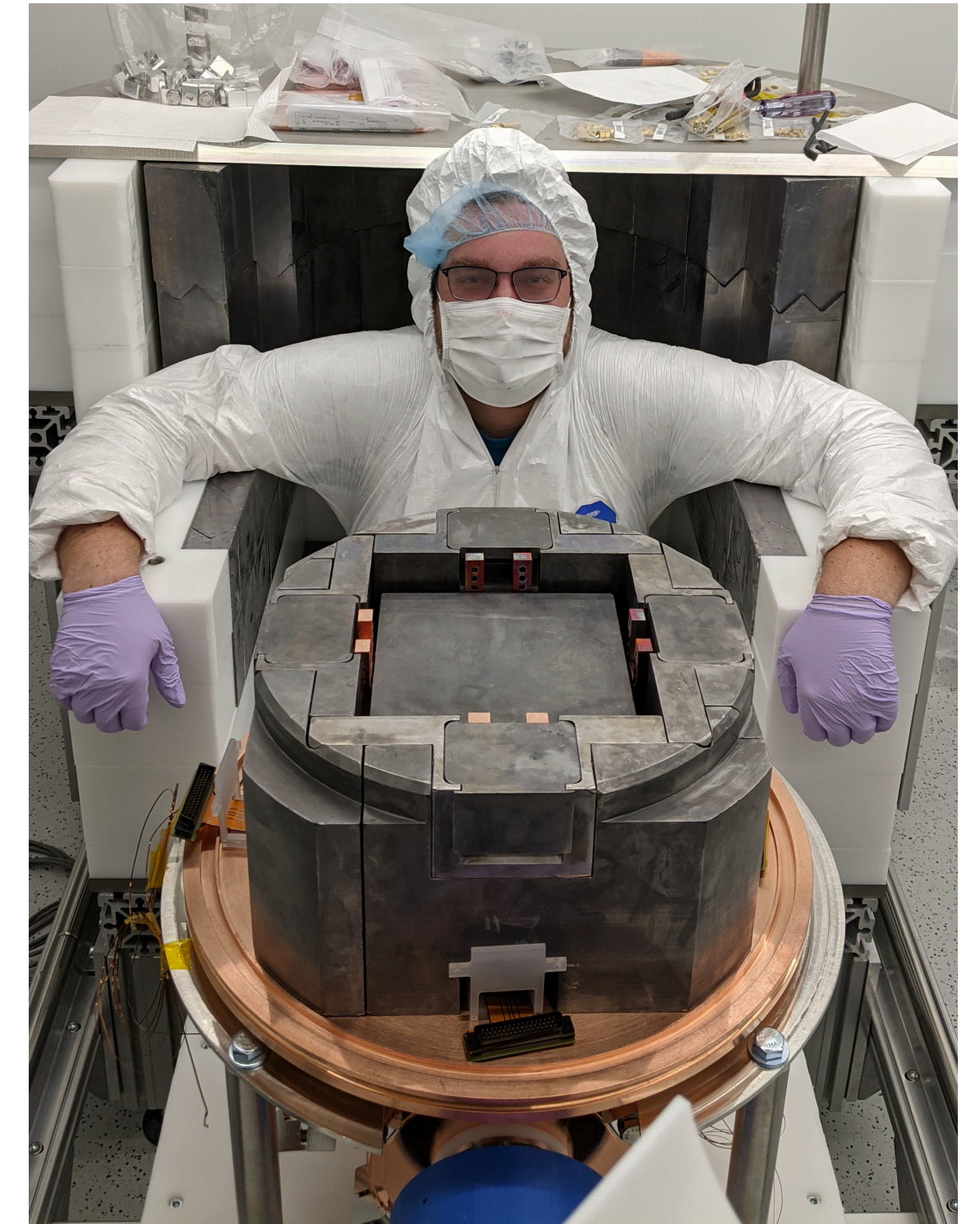
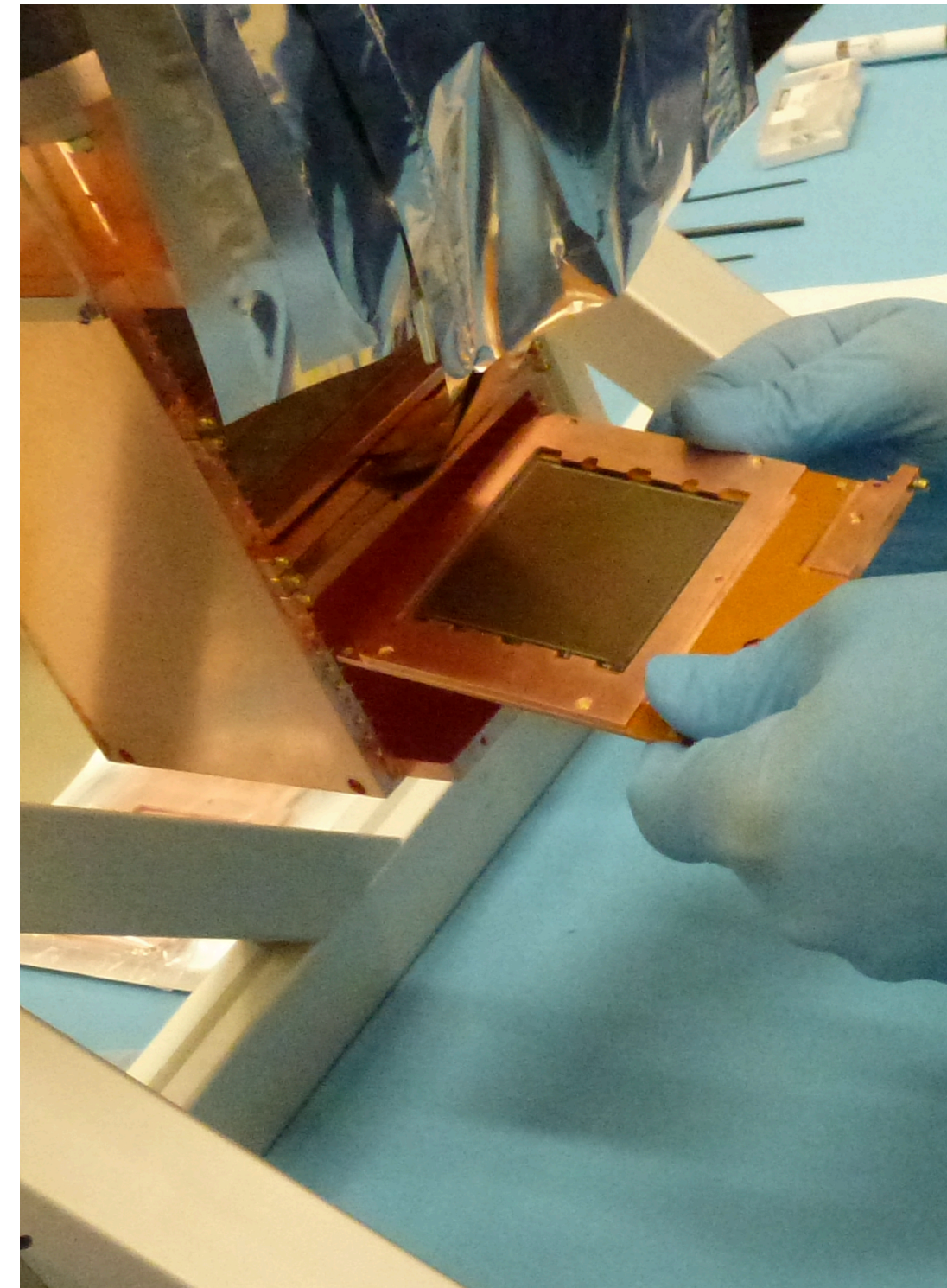


# CCD-based: SENSEI & DAMIC

SENSEI

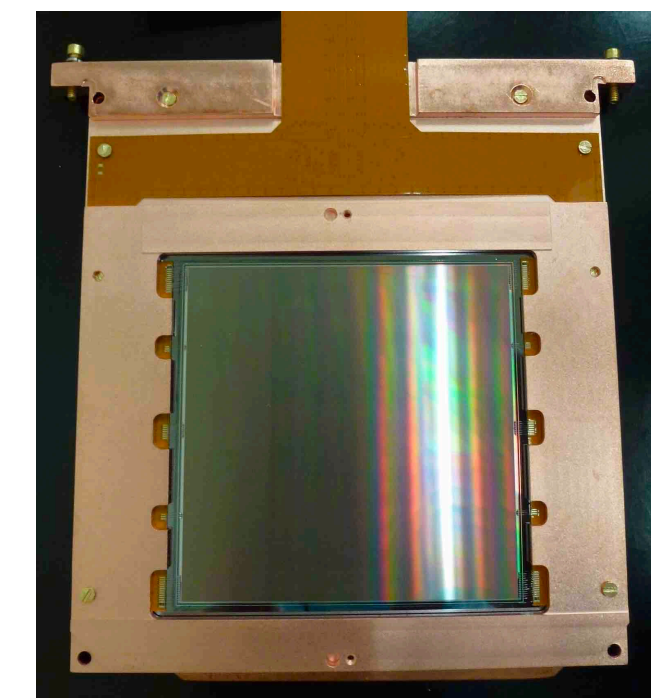
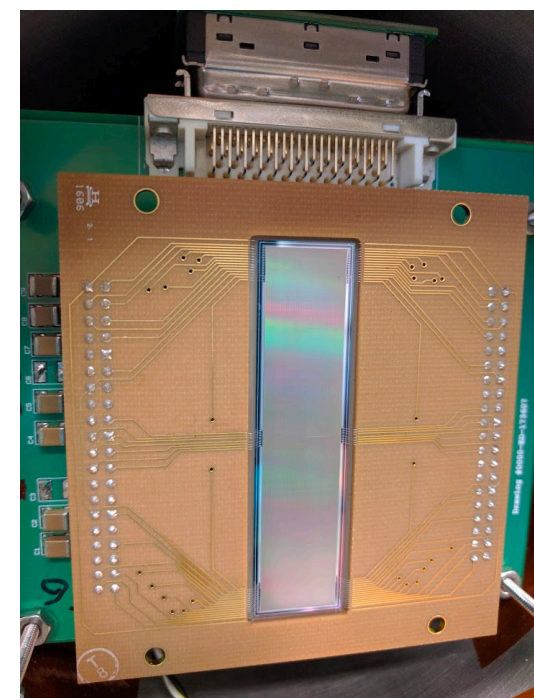


DAMIC / DAMIC-M



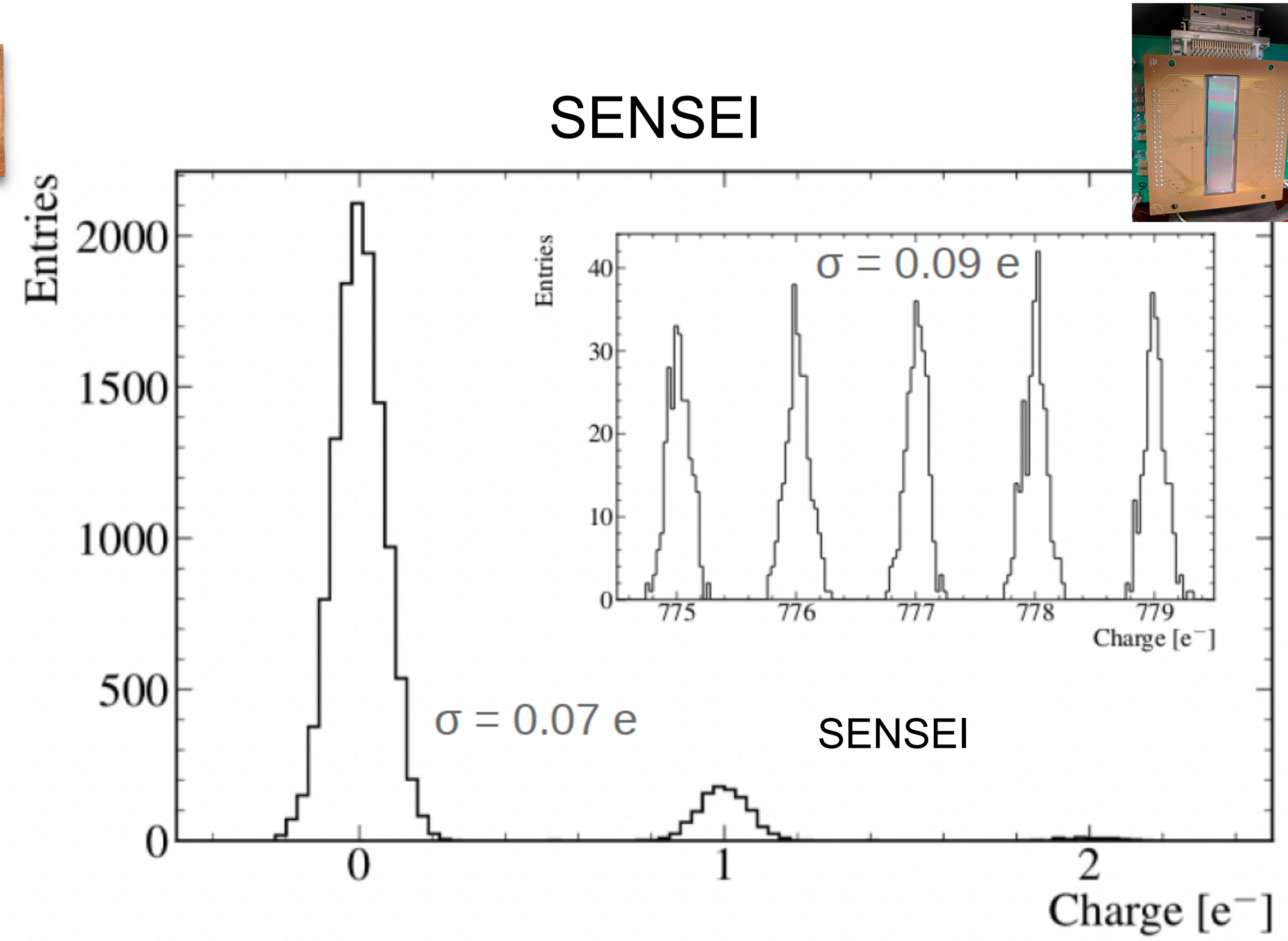
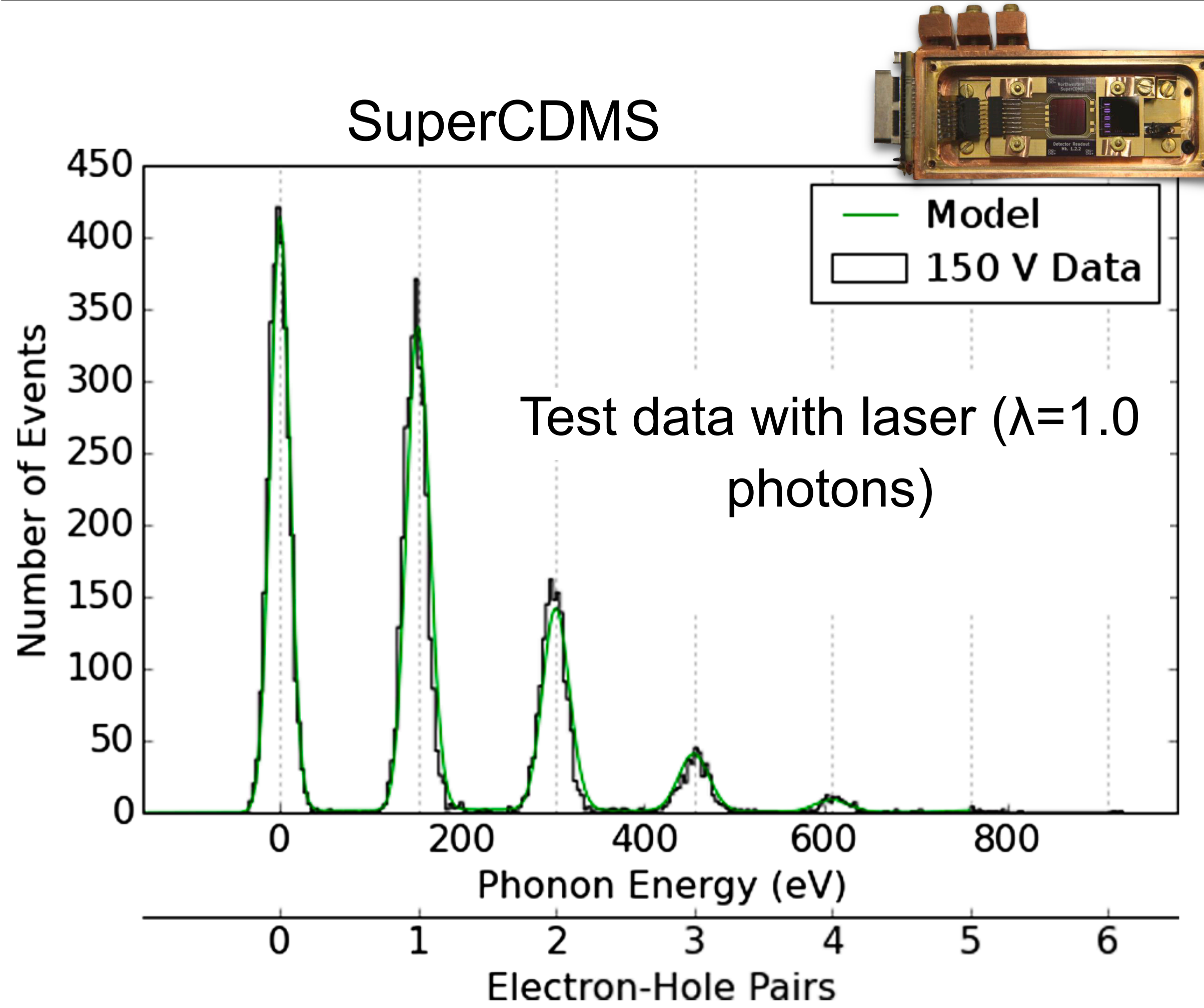
Pictures courtesy: SENSEI collaboration

Pictures courtesy: DAMIC collaboration



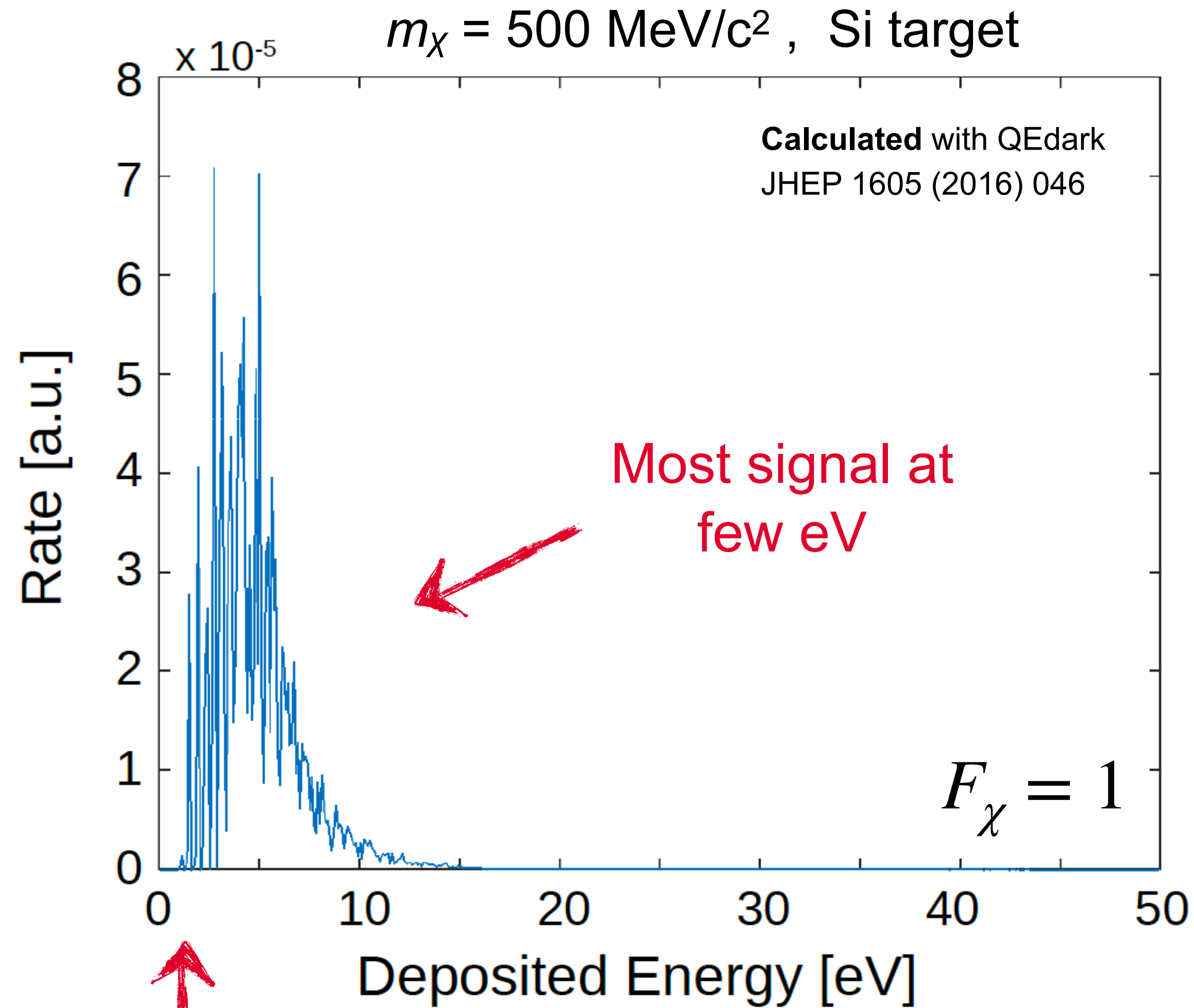
- High spatial and energy resolution but poor time resolution

# Single-charge sensitivities



The signal is quantized!

# Dark matter - electron scattering: signal model



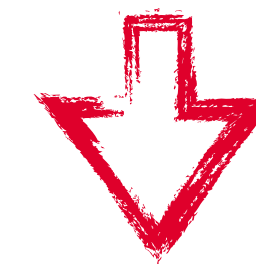
Cut-off at band gap  
energy

- $e^-$ , not DM, sets typical momentum transfer:

$$q_{\text{typ}} \sim \alpha m_e \sim 4 \text{ keV}$$

- Transferred energy:

$$\Delta E_e \sim \vec{q} \cdot \vec{v}$$

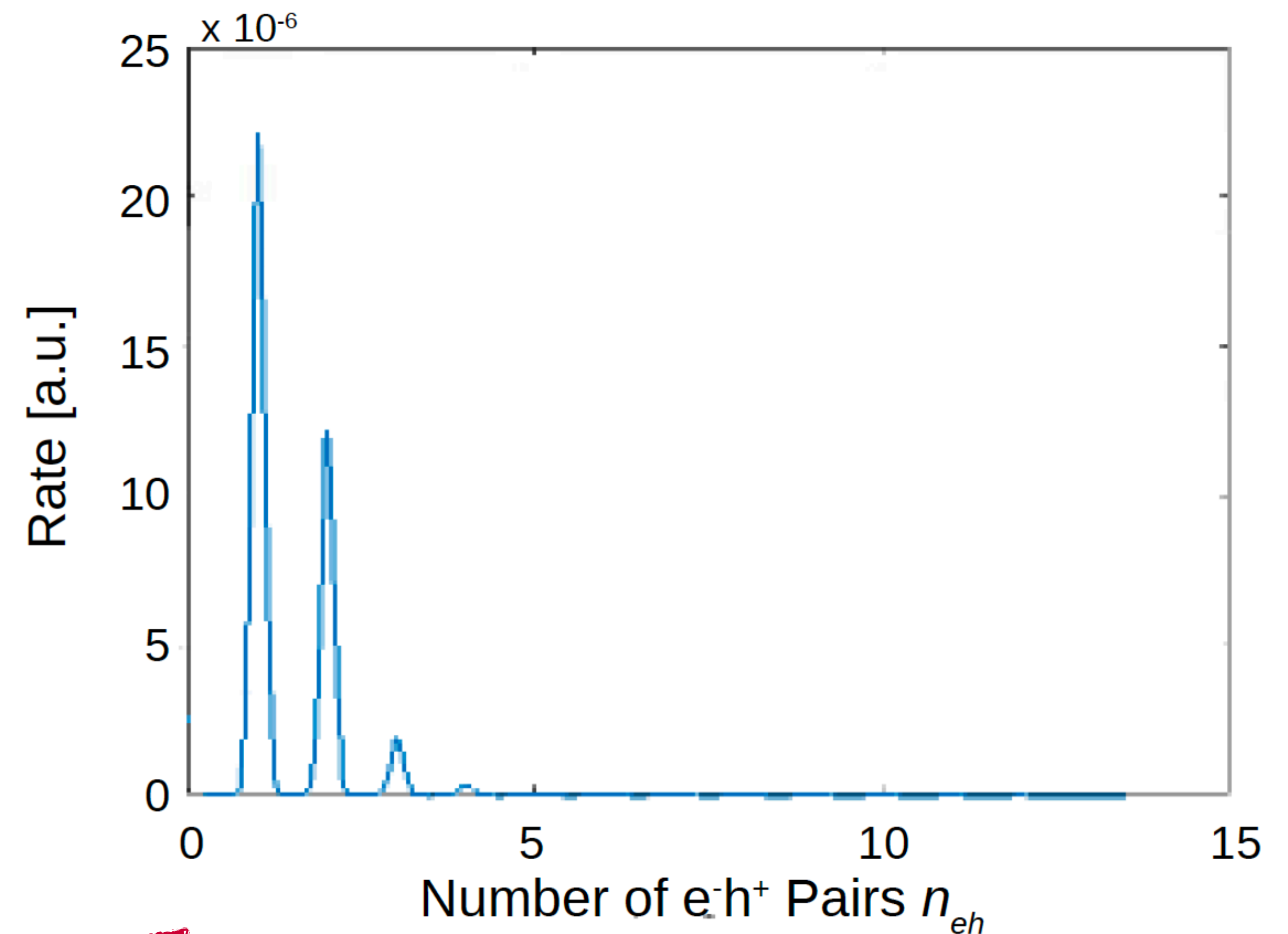
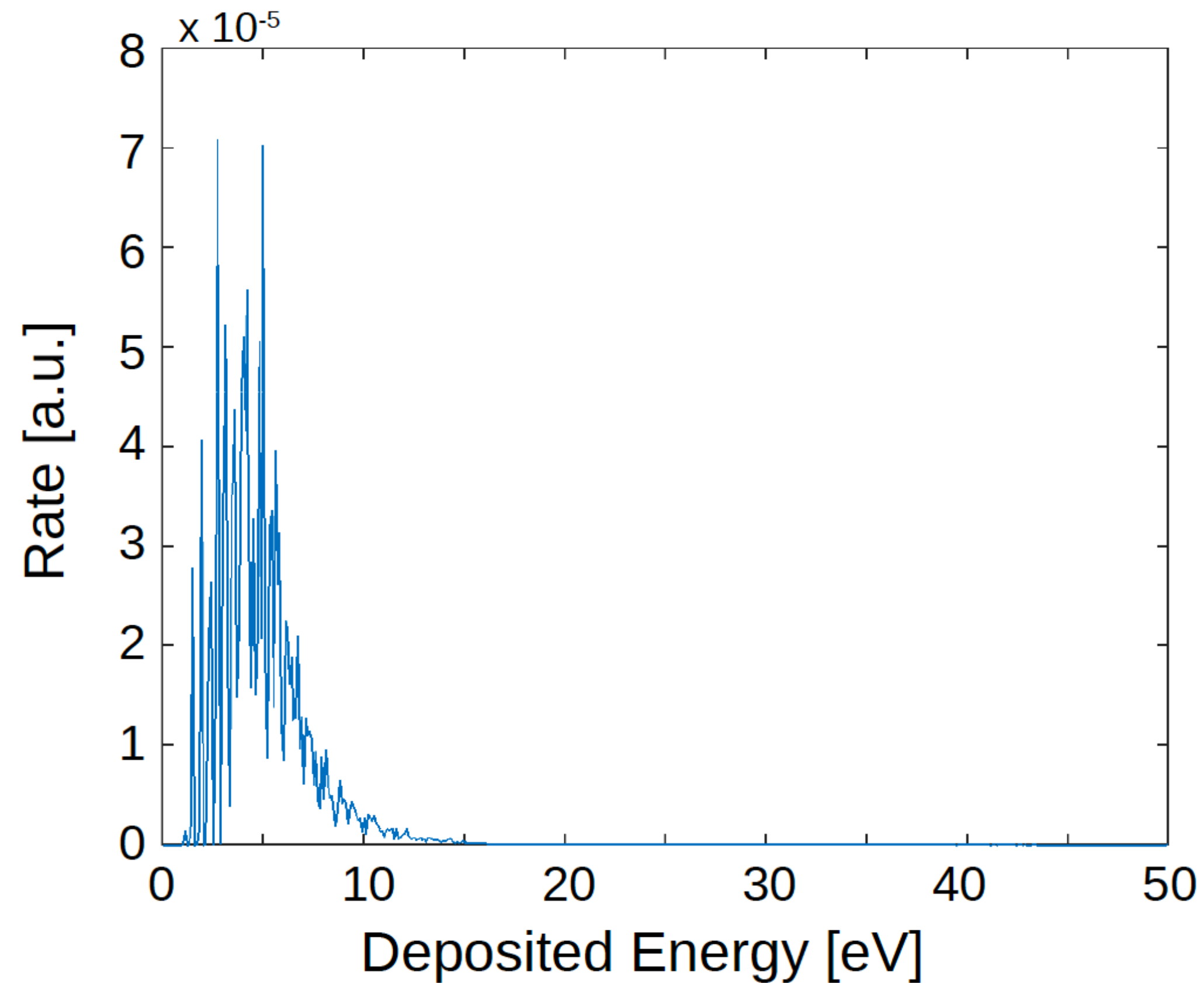


- Typical recoil energy:

$$\Delta E_{\text{typ}} \approx 4 \text{ eV}$$

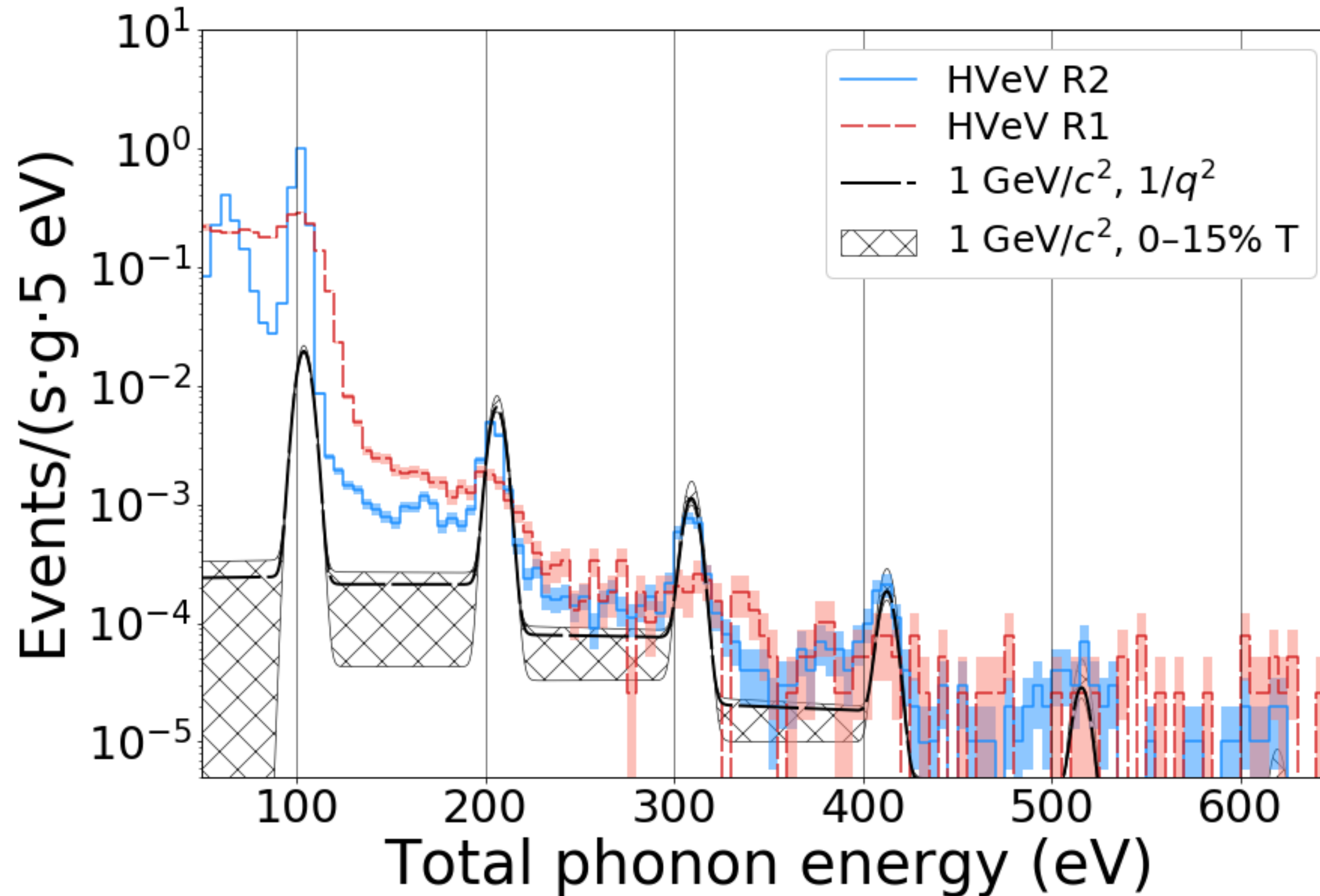
# From continuous to quantized signal

$m_\chi = 500 \text{ MeV}/c^2$ , Si target



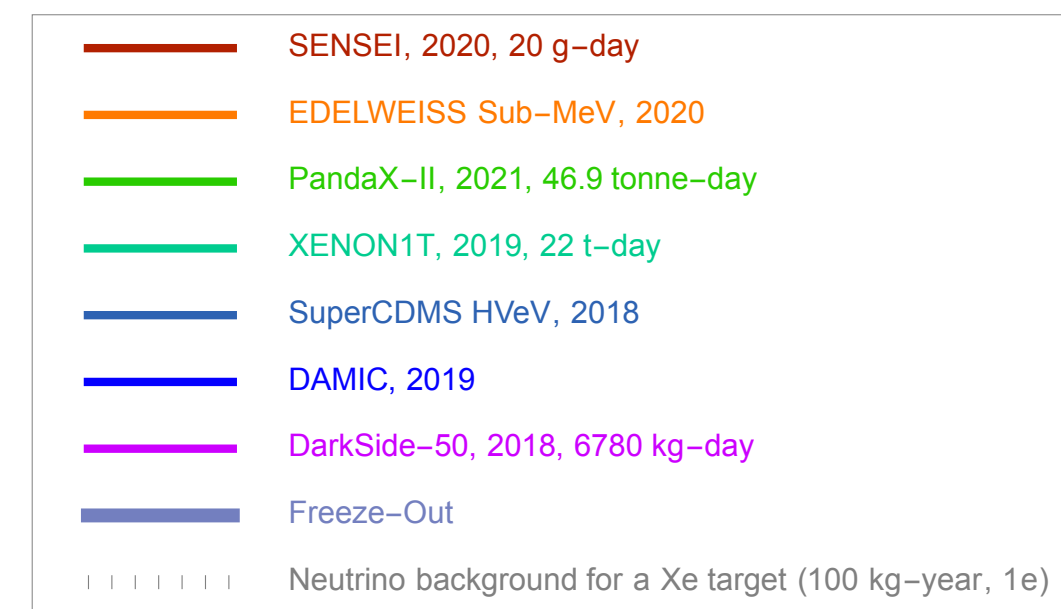
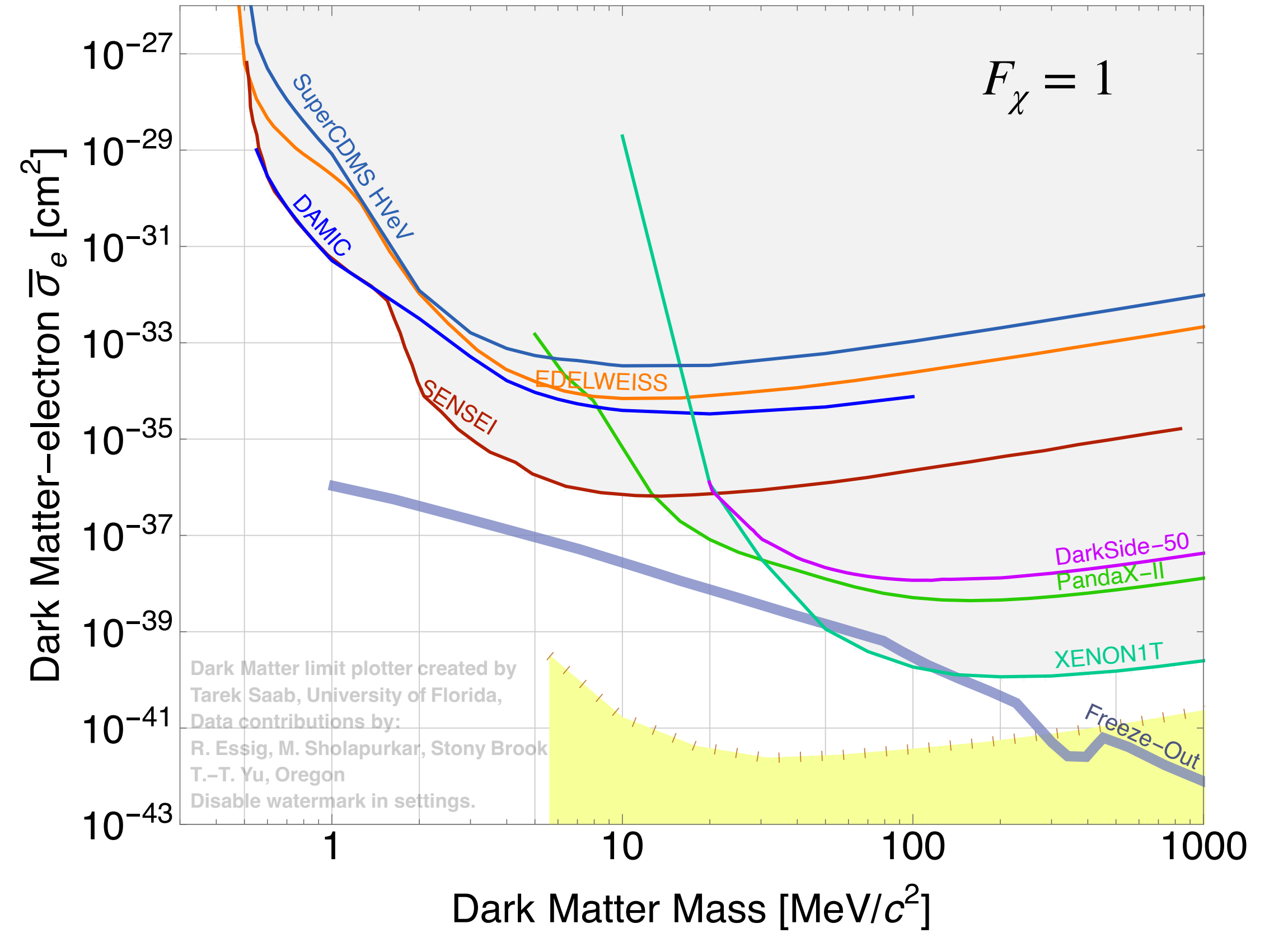
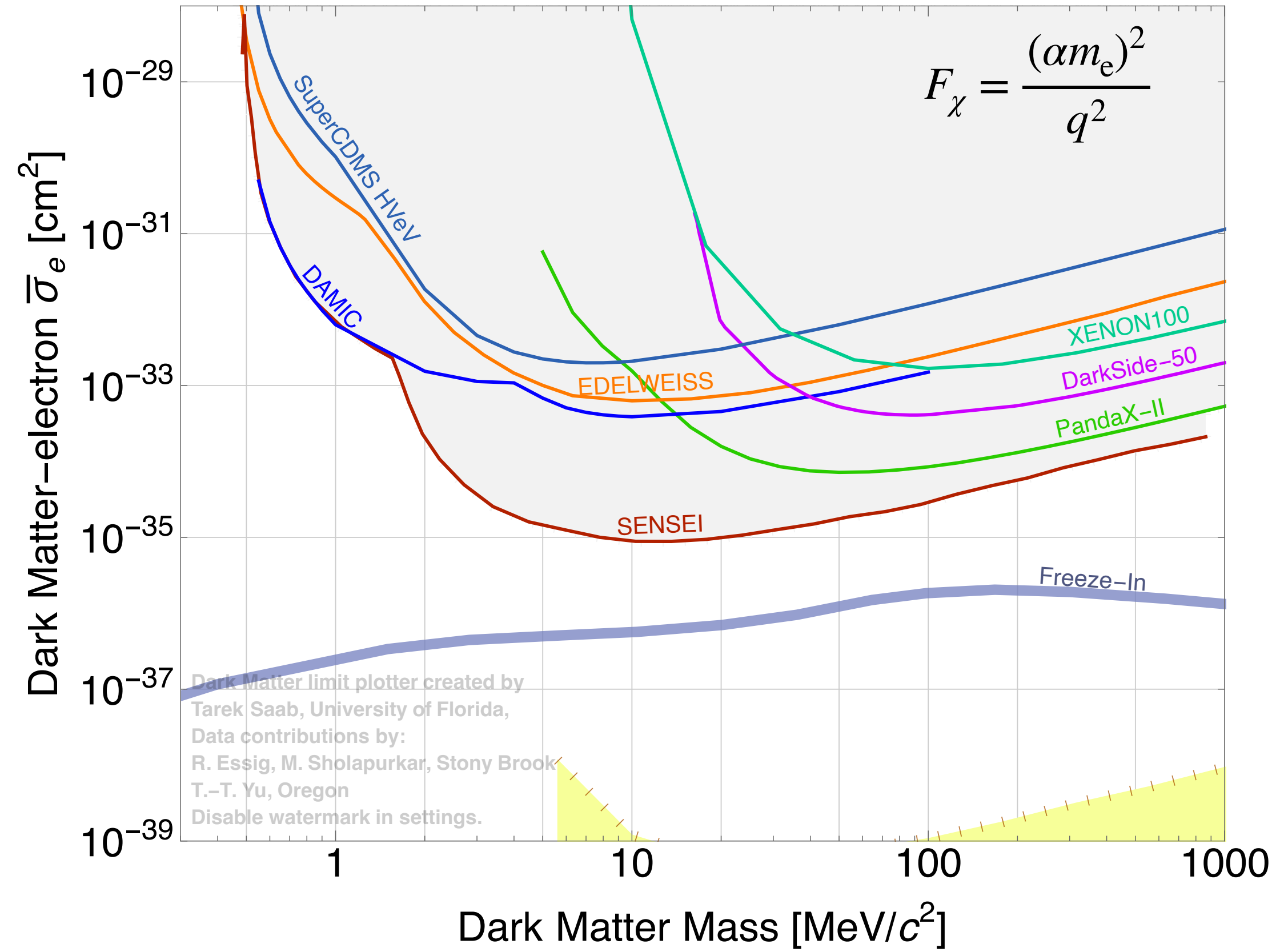
Ionization model

# SuperCDMS dark matter - electron scattering search





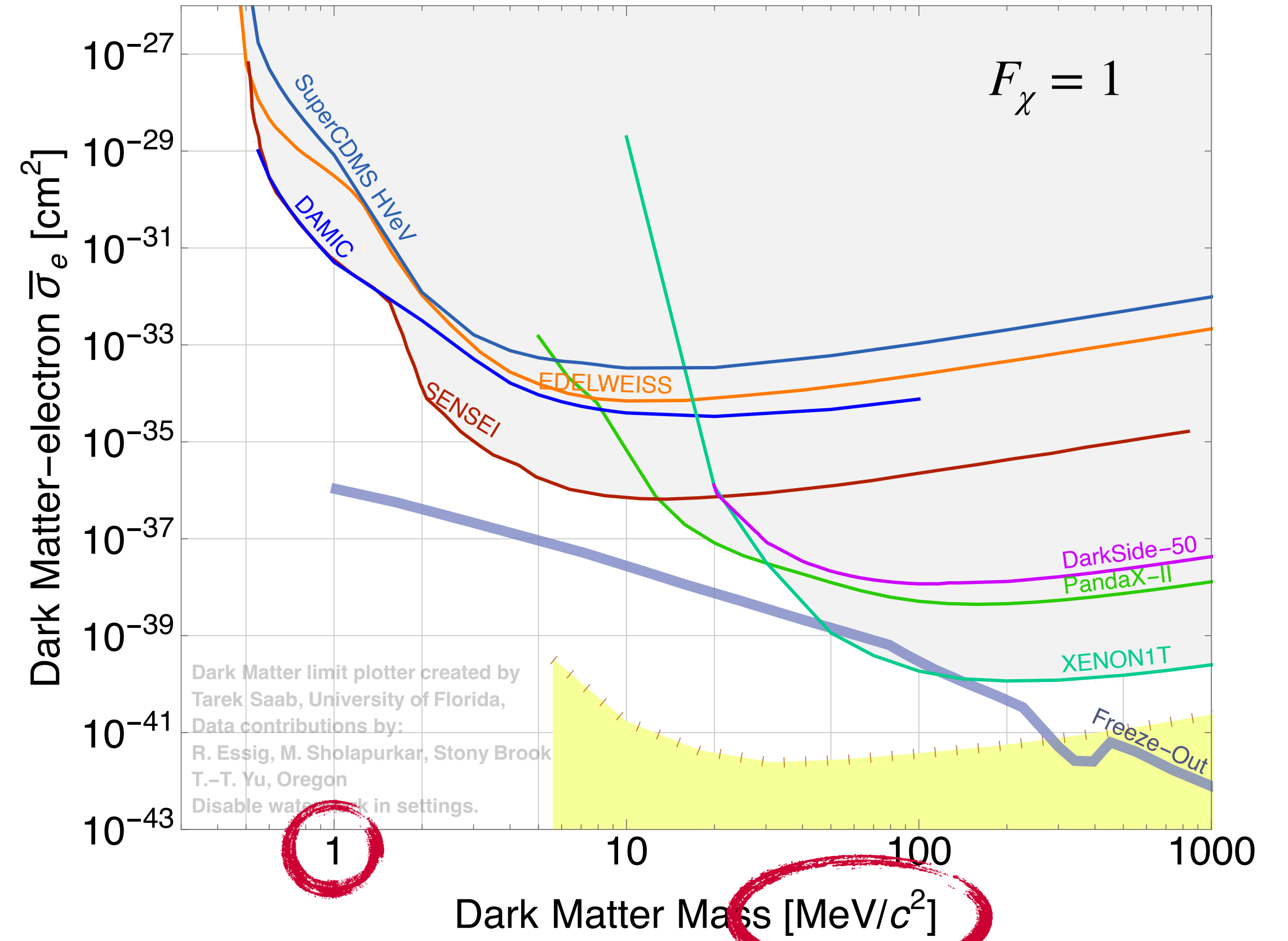
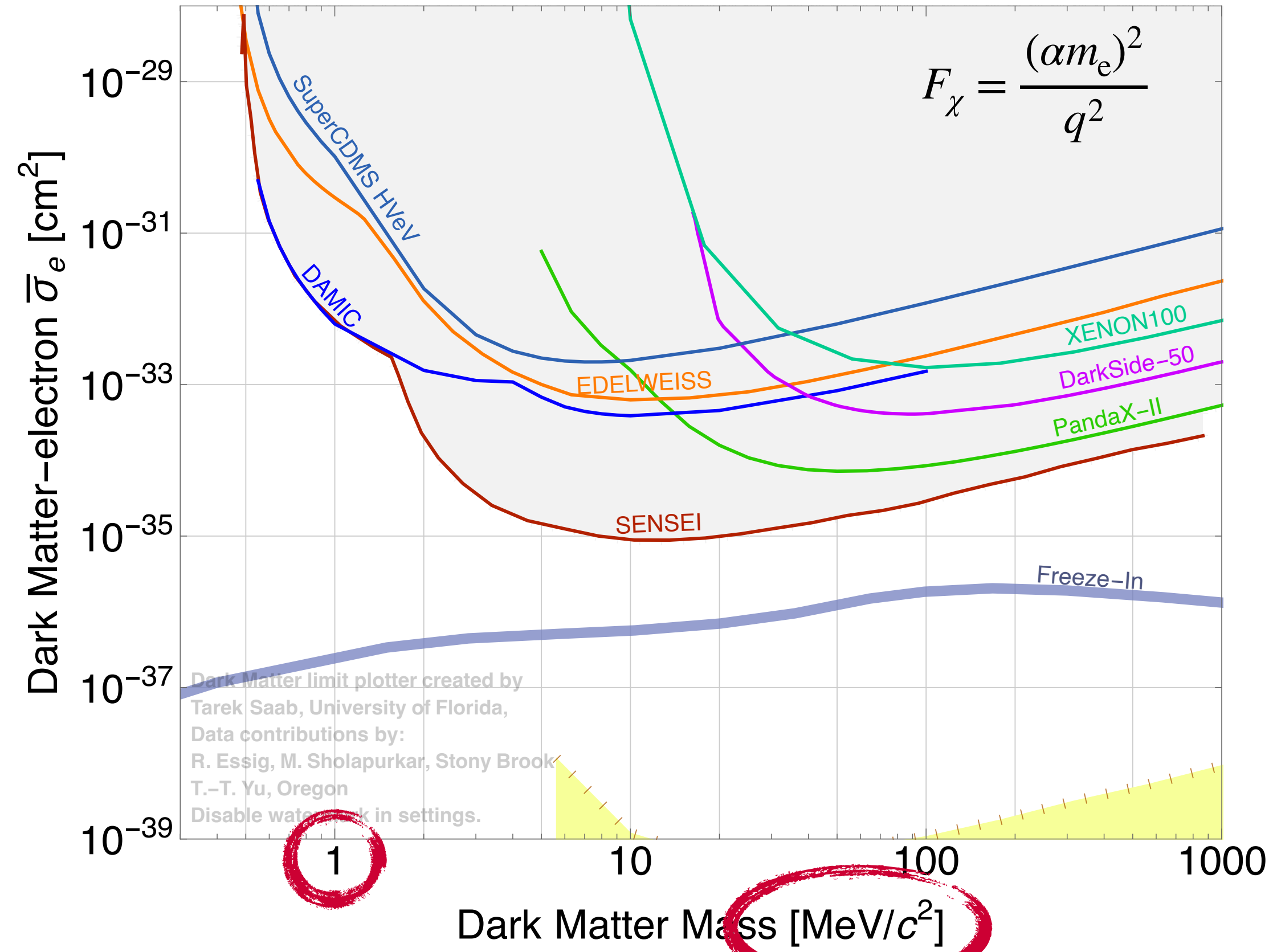
# Dark matter - electron scattering parameter space







# Dark matter - electron scattering parameter space

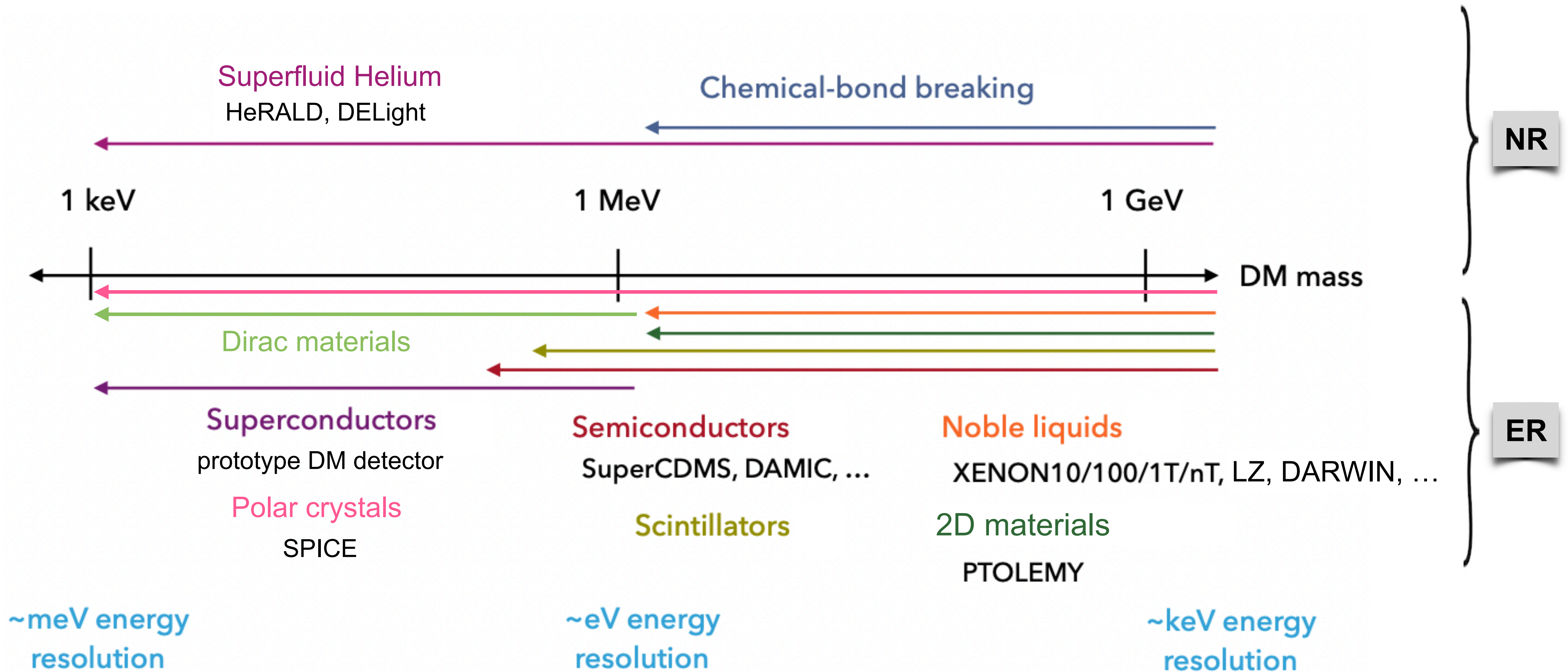




# New avenues

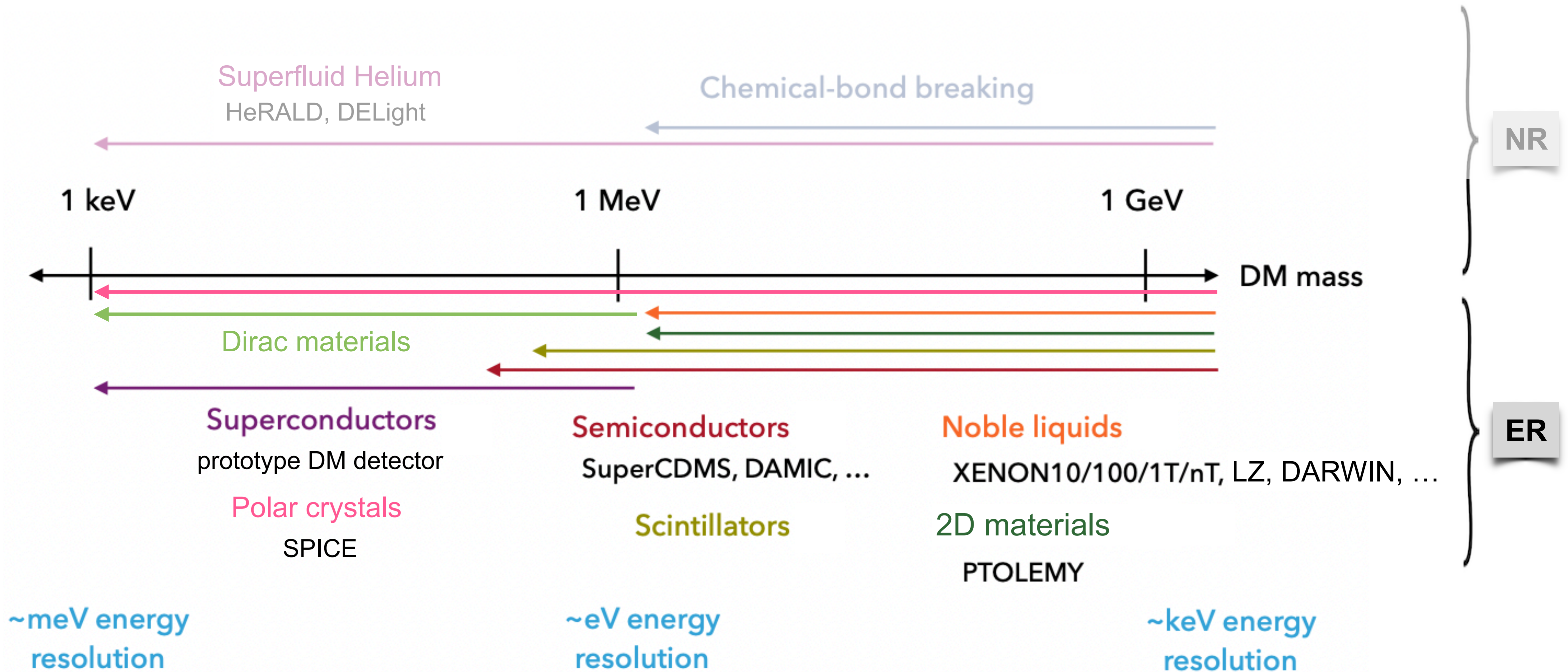


# New Avenues for LDM Direct Detection



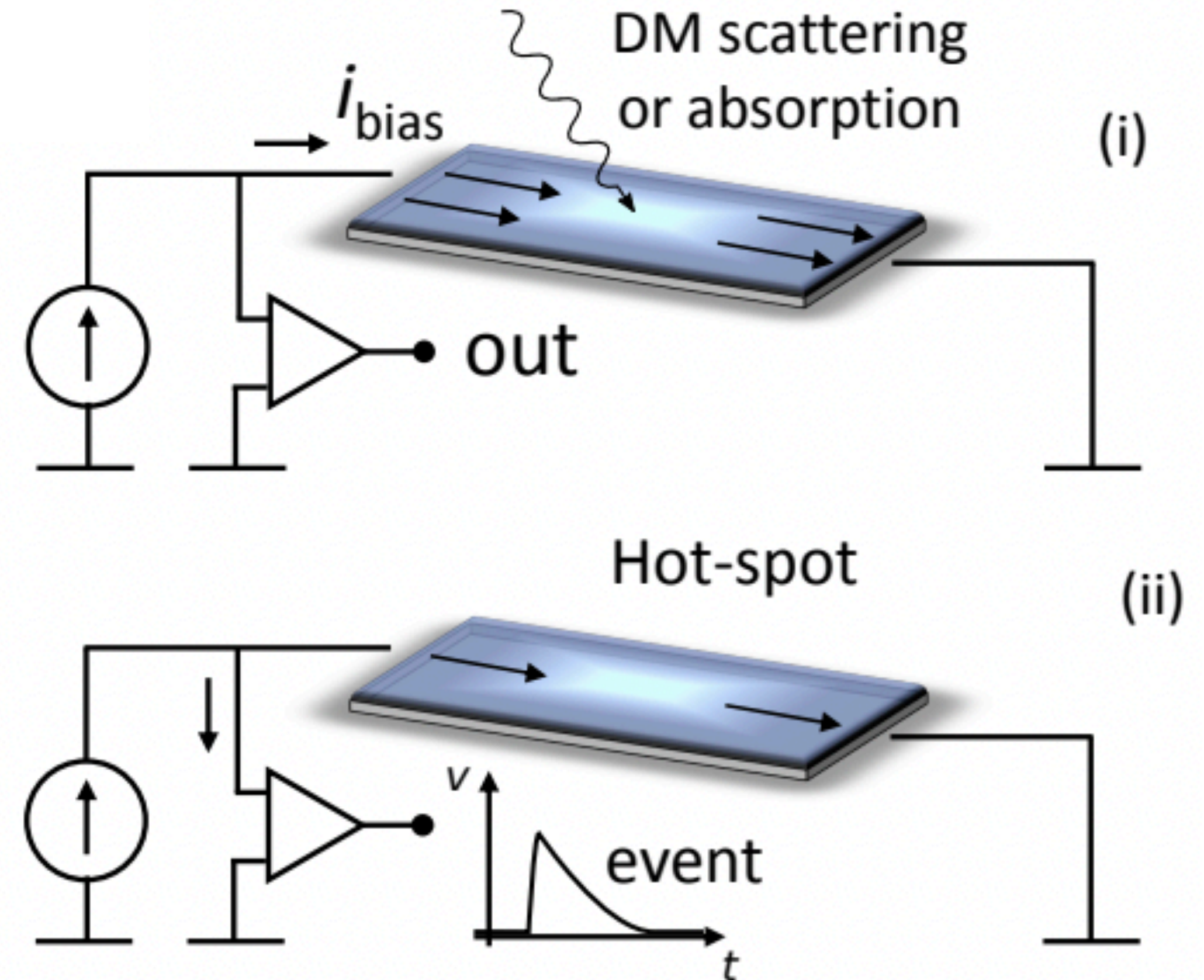
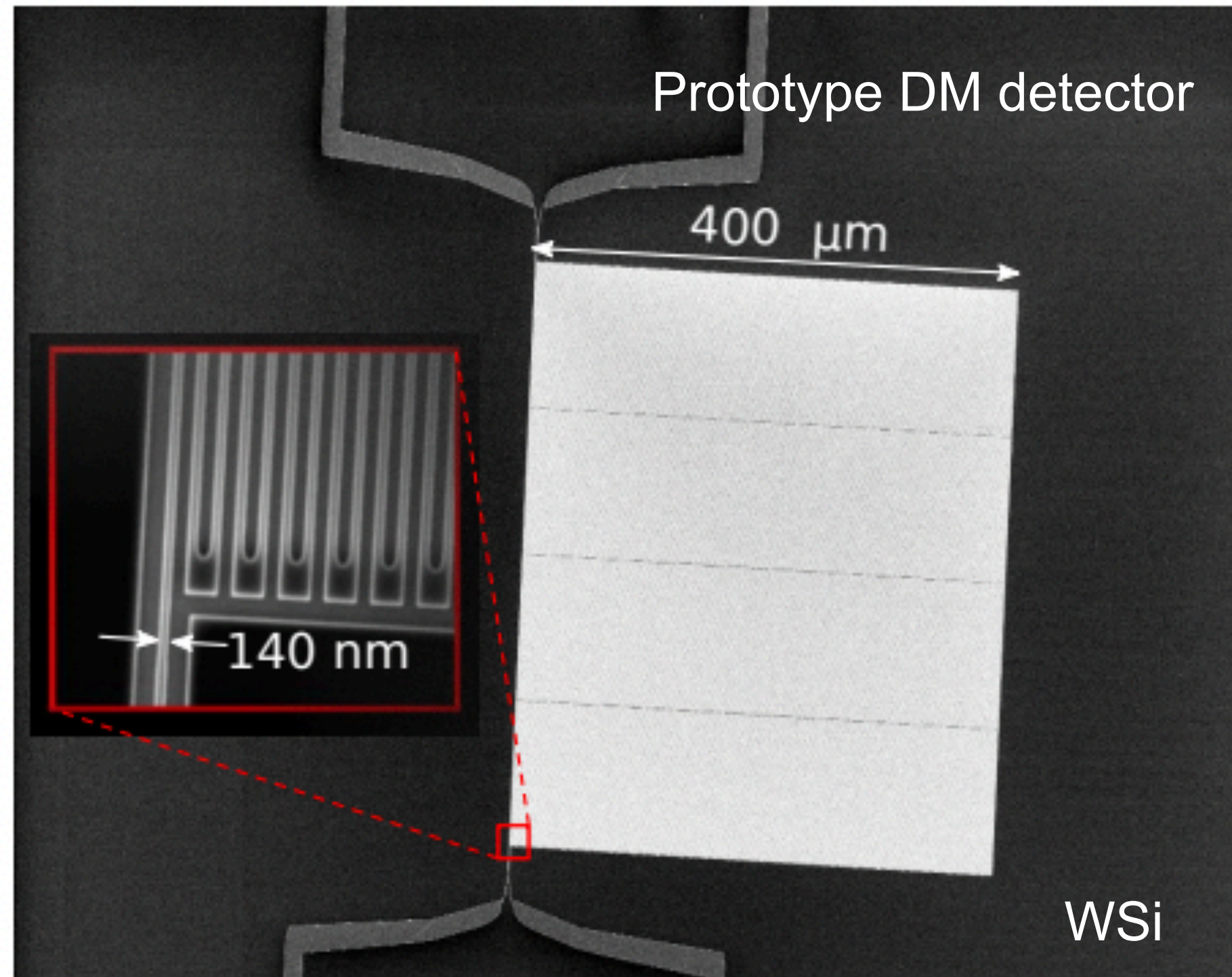


# New Avenues for LDM Direct Detection



# Superconducting Nanowire Single Photon Detector (SNSPD)

Y. Hochberg, I. Charaev, S.-W. Nam, V. Verma, M Colangelo, K.K. Berggren  
Phys. Rev. Lett. 123, 151802, (2019)

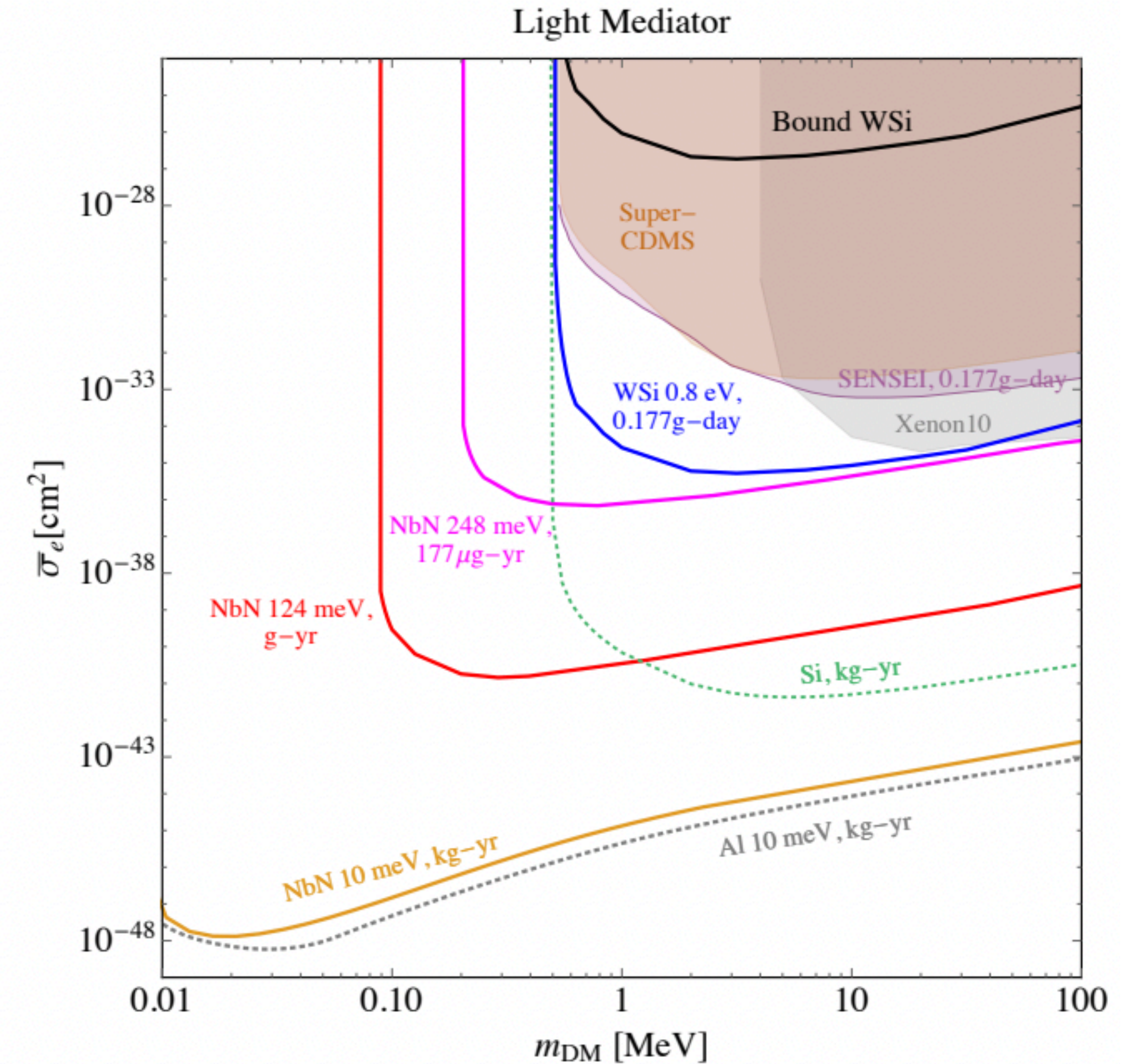
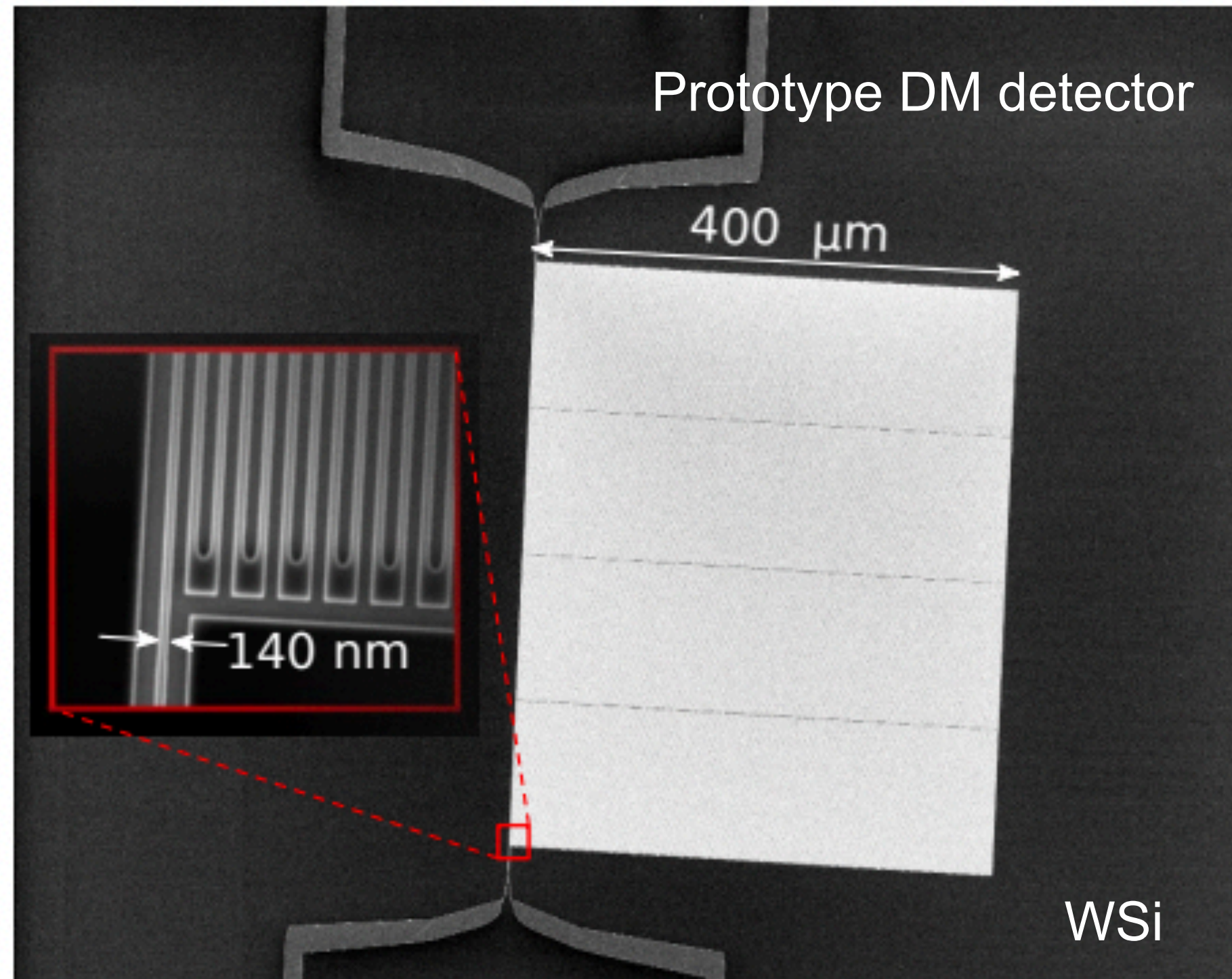


- Superconducting gap of O(meV)



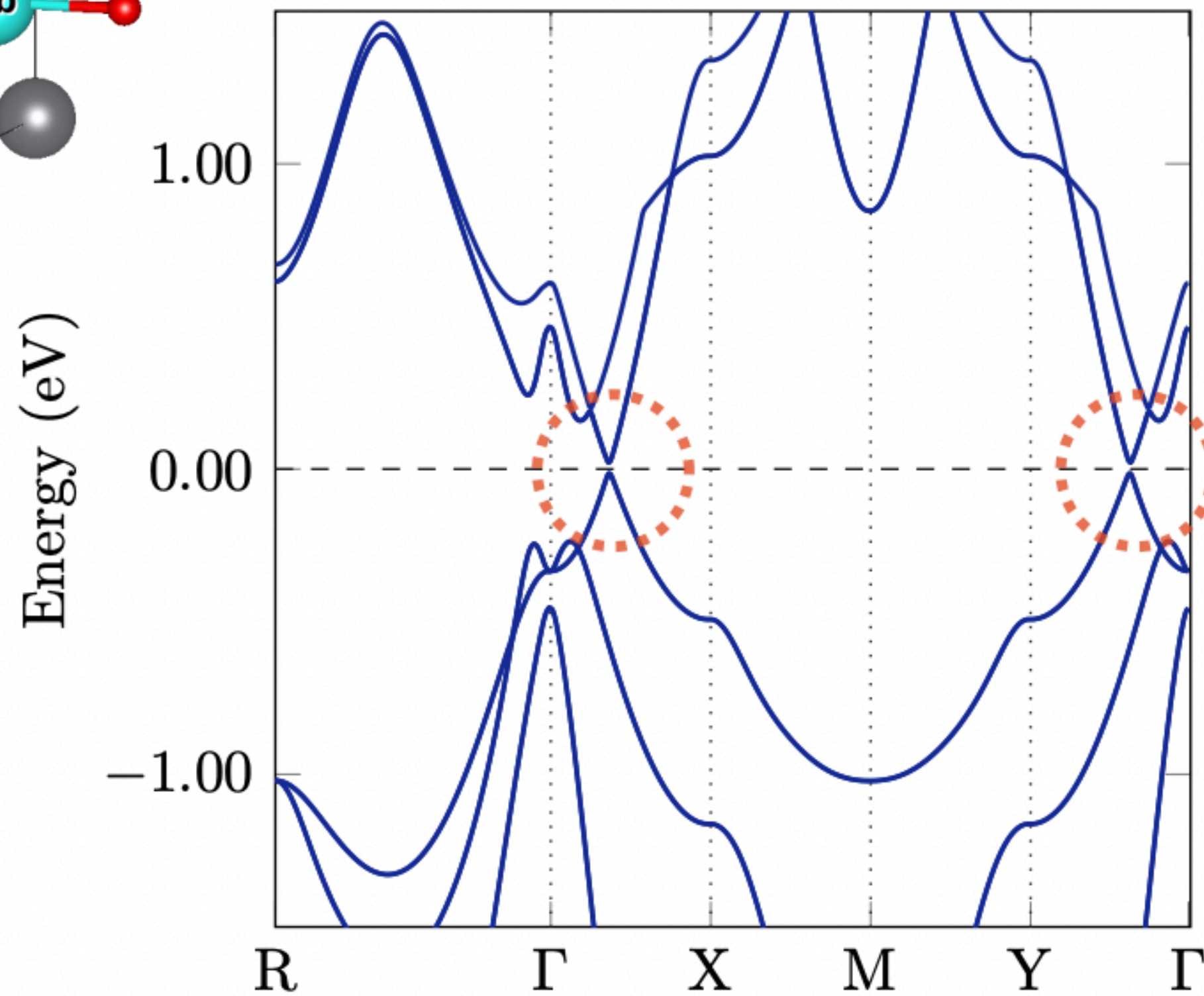
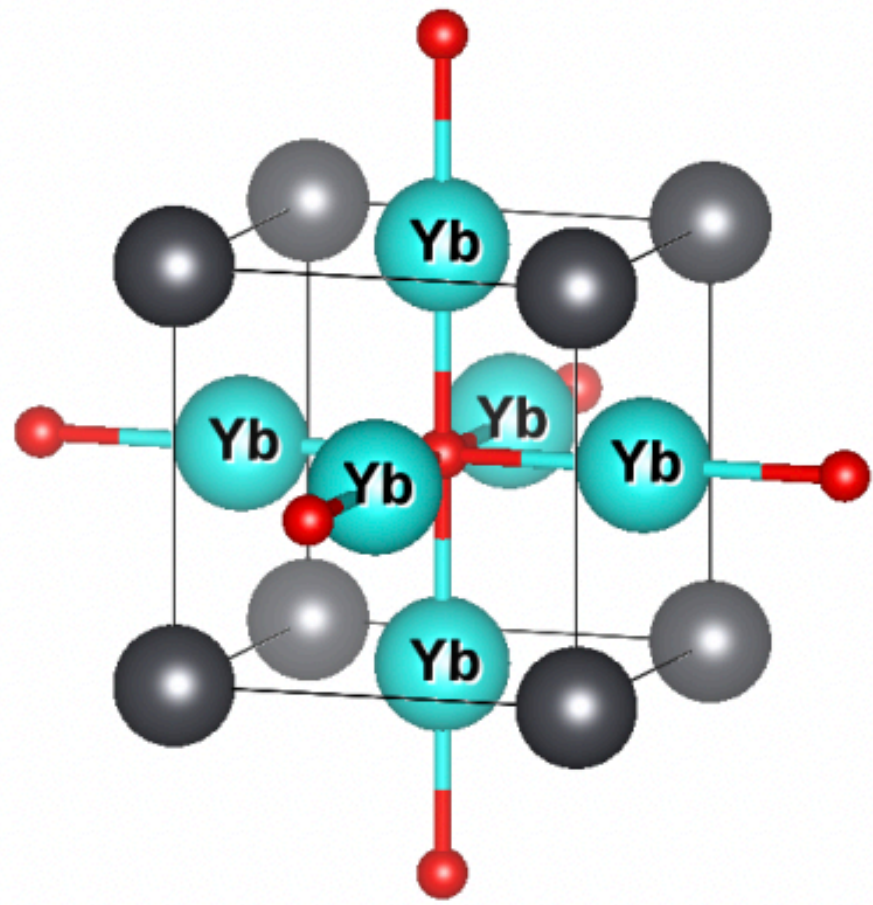
# Superconducting Nanowire Single Photon Detector (SNSPD)

Y. Hochberg, I. Charaev, S.-W. Nam, V. Verma, M Colangelo, K.K. Berggren  
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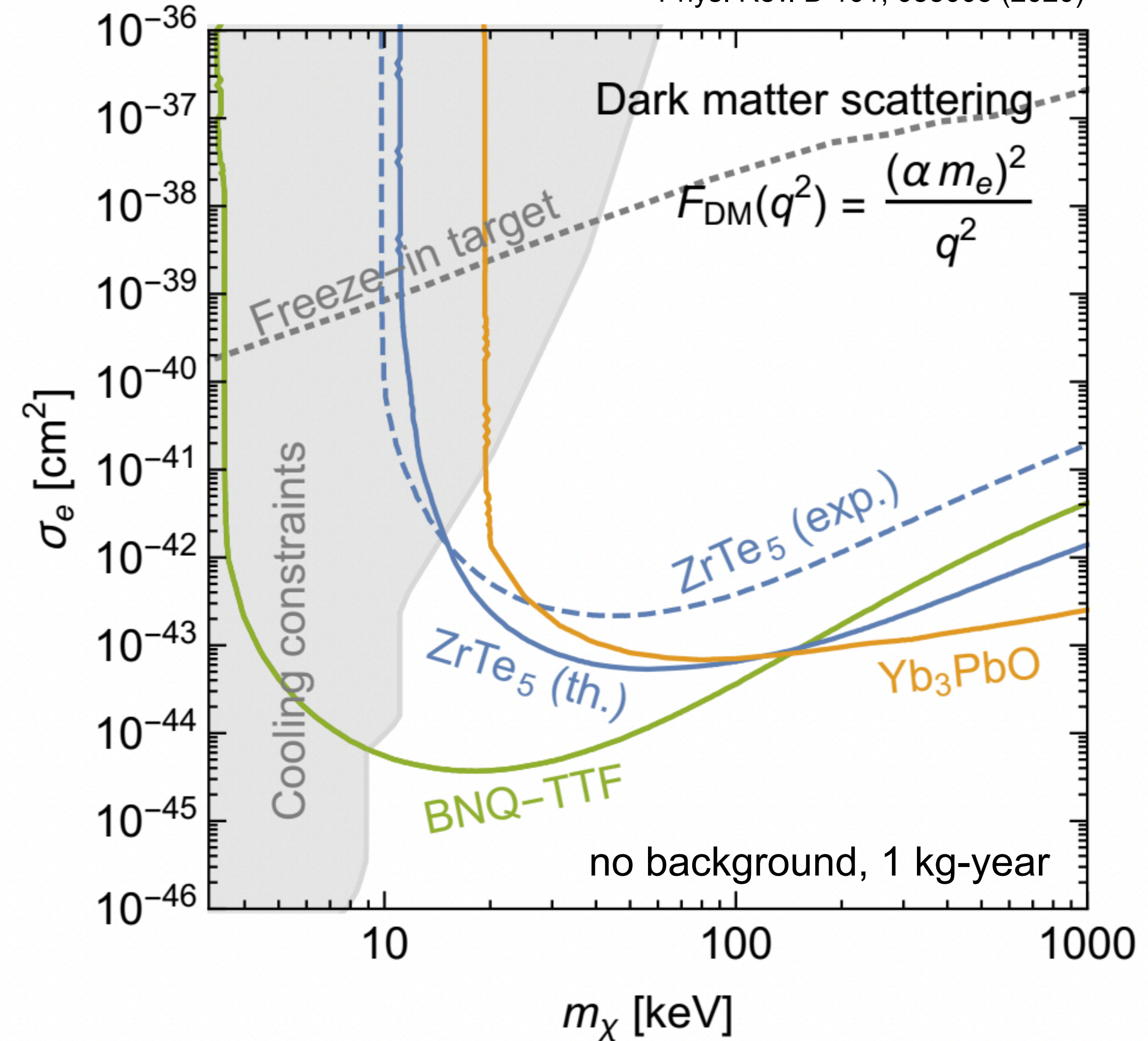
- Superconducting gap of O(meV)

# Dirac materials: example Yb<sub>3</sub>PbO



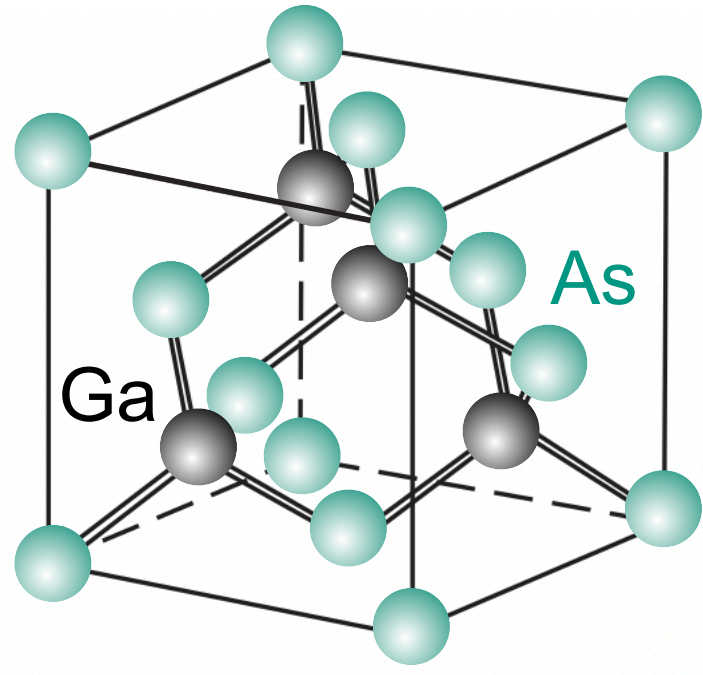
■ Band gap: ~17 - 19 meV

R. M. Geilhufe, F. Kahlhoefer, M. W. Winkler  
Phys. Rev. D 101, 055005 (2020)

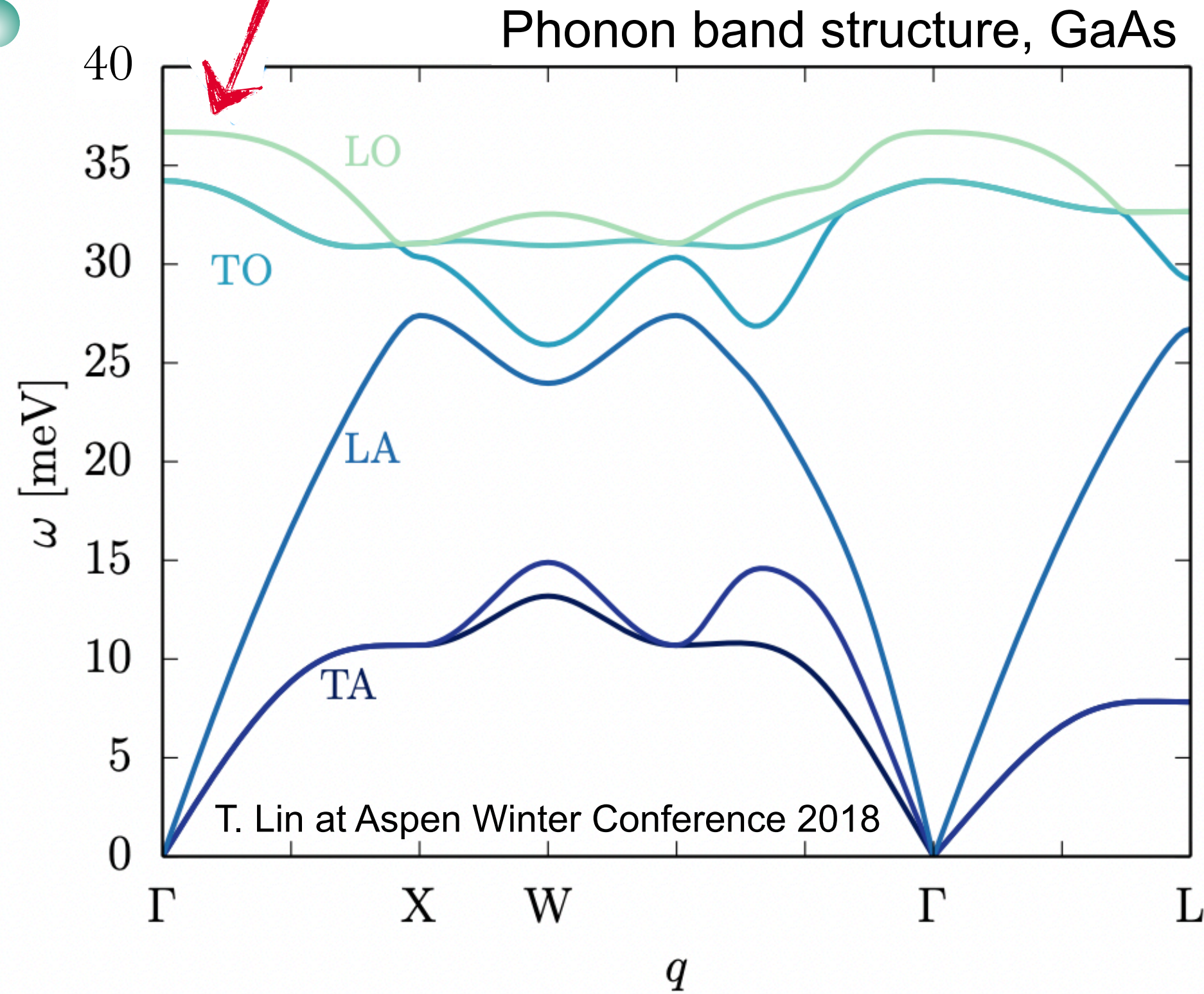




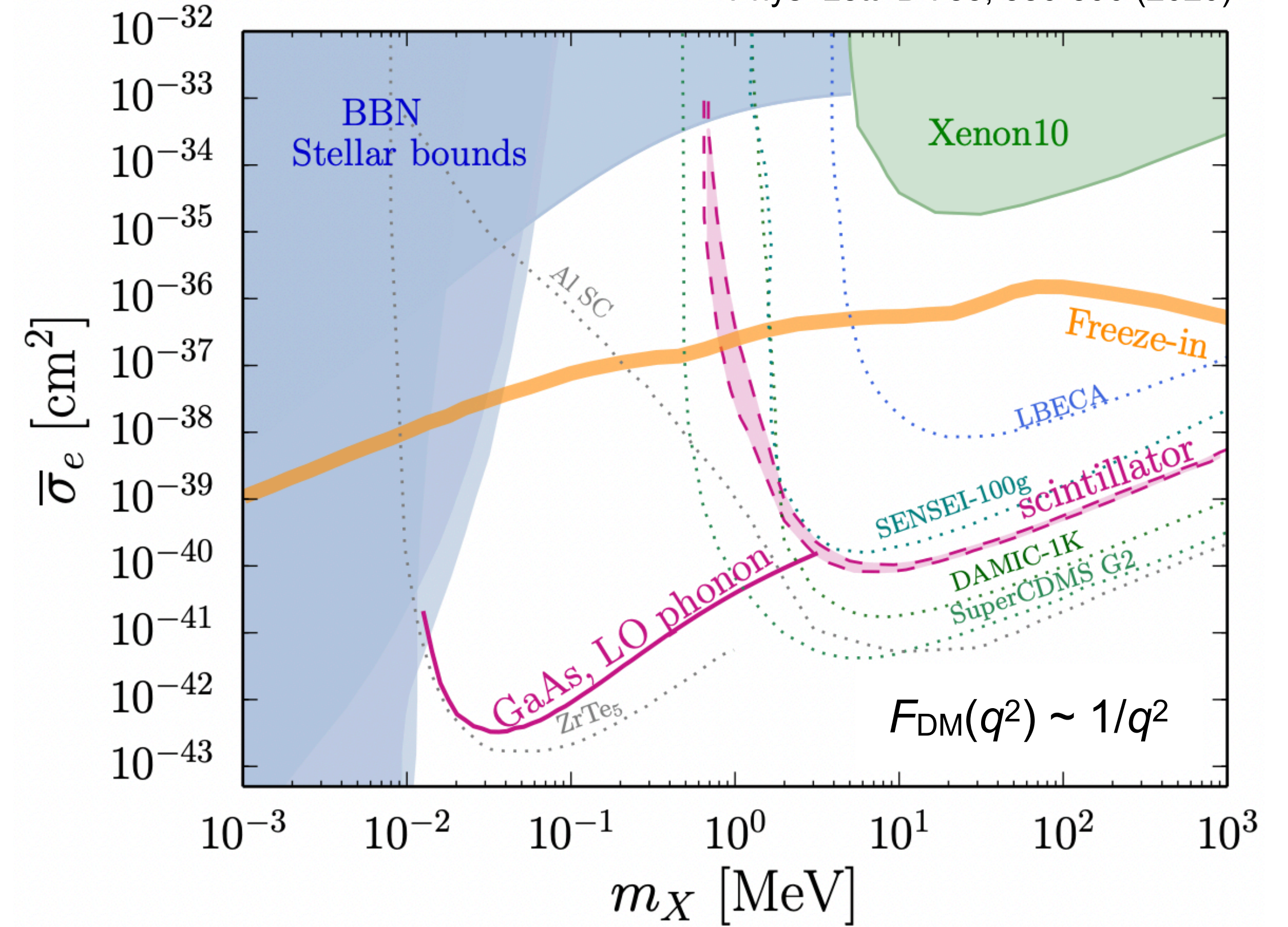
# Polar crystals: example GaAs



## Gapped optical phonons



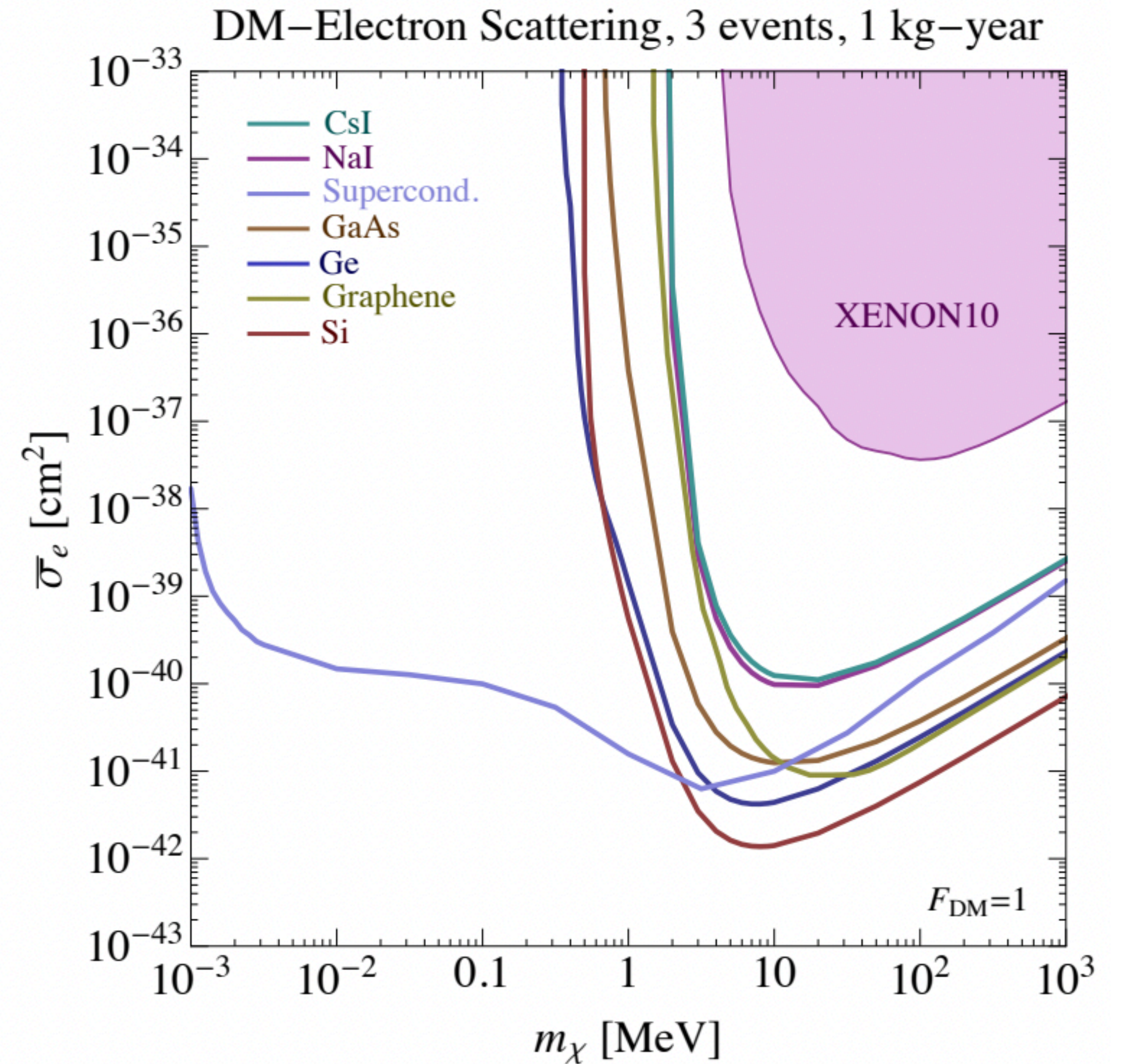
S. Knapen, T. Lin, M. Pyle, K. M. Zurek,  
Phys. Lett. B 785, 386-390 (2020)



Upcoming experiment: SPICE (TESSERACT Collaboration)



# New avenues for Light DM direct detection





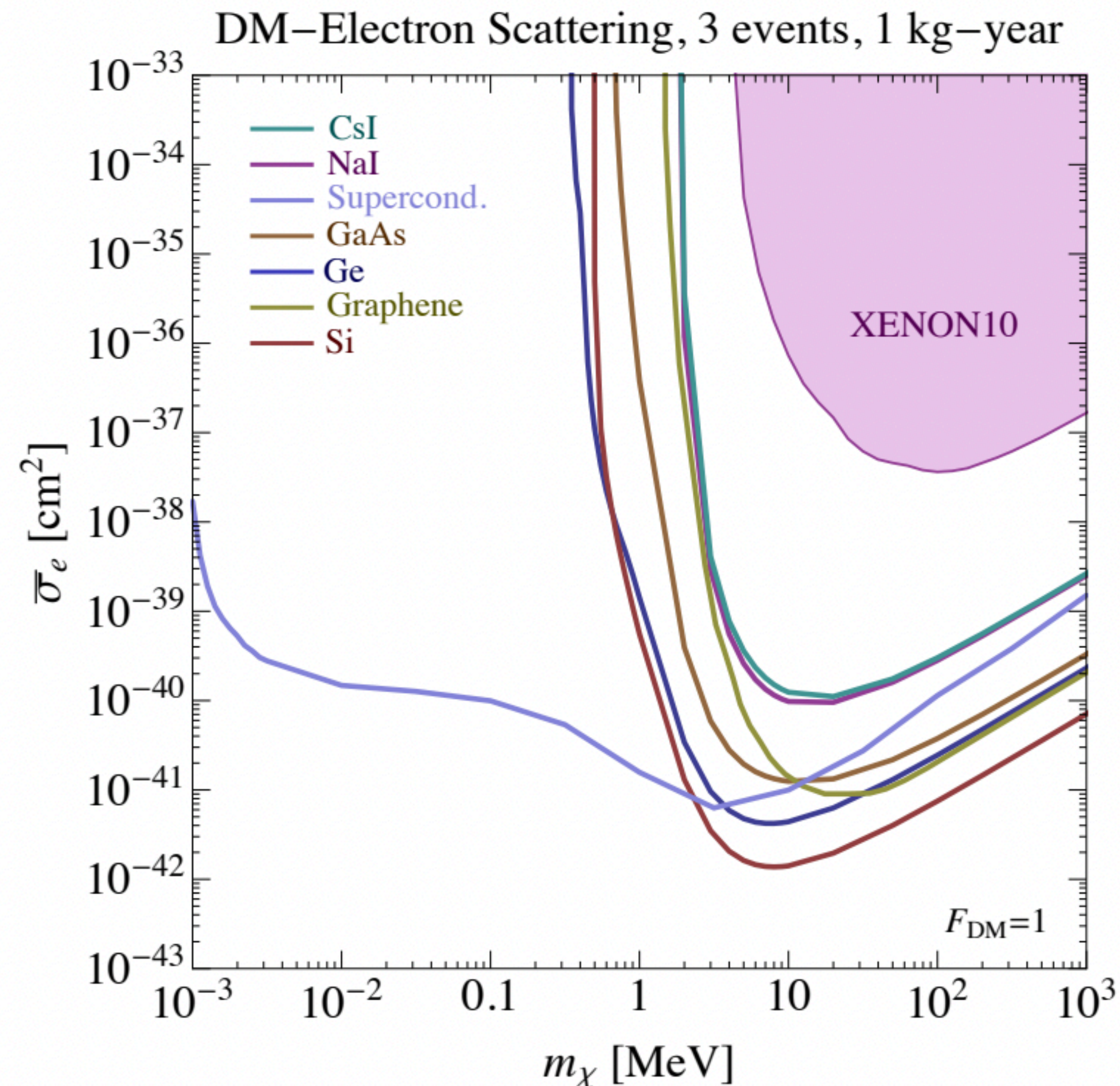
# New avenues for Light DM direct detection

Let's assume you want to build your own experiment...

... which material would you pick?

... why?

NB: It's not black or white. Different people have different well-motivated reasons to pick different materials.



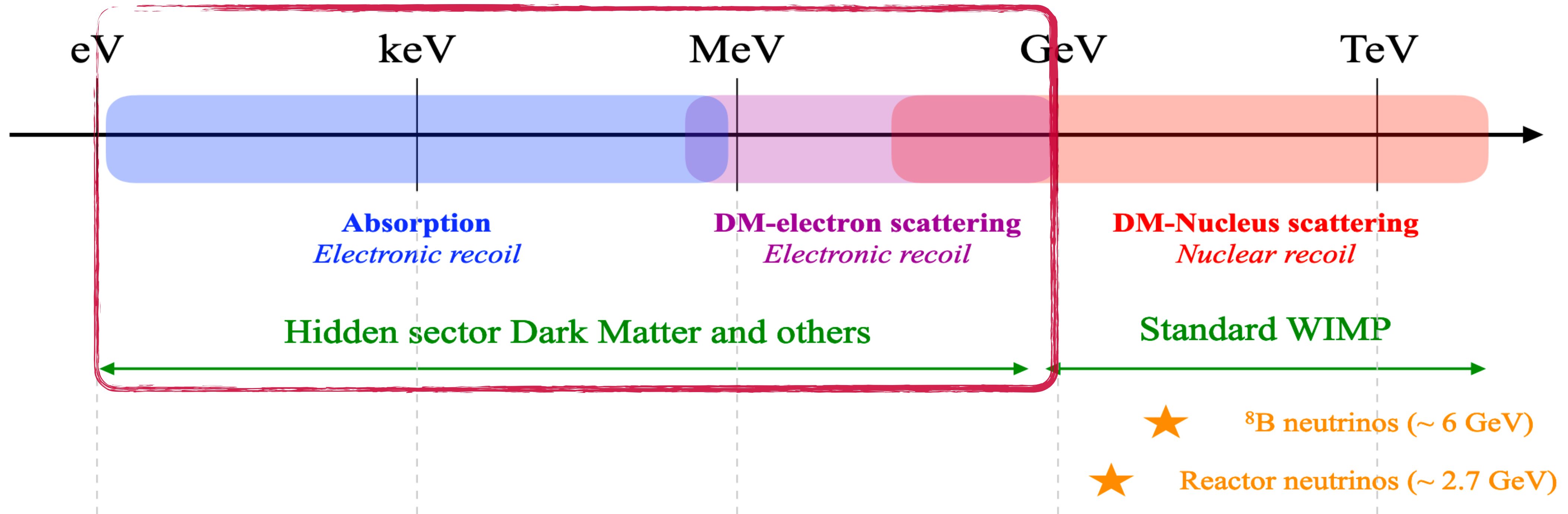


# Bosonic dark matter searches



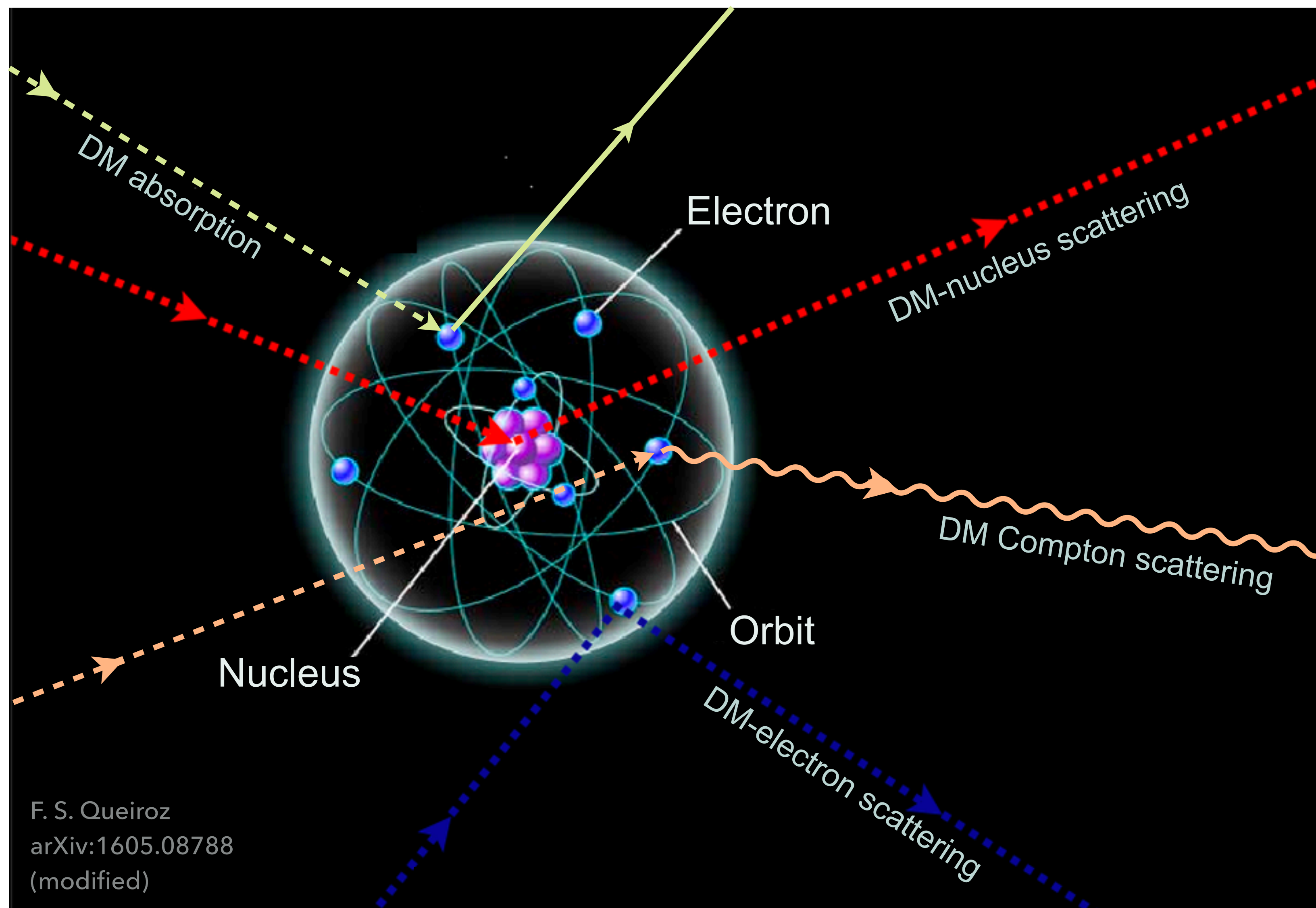
# Mass range accessible via electron recoil searches

- Expected candidates, interactions, and rates



See Marco Cirelli's lectures

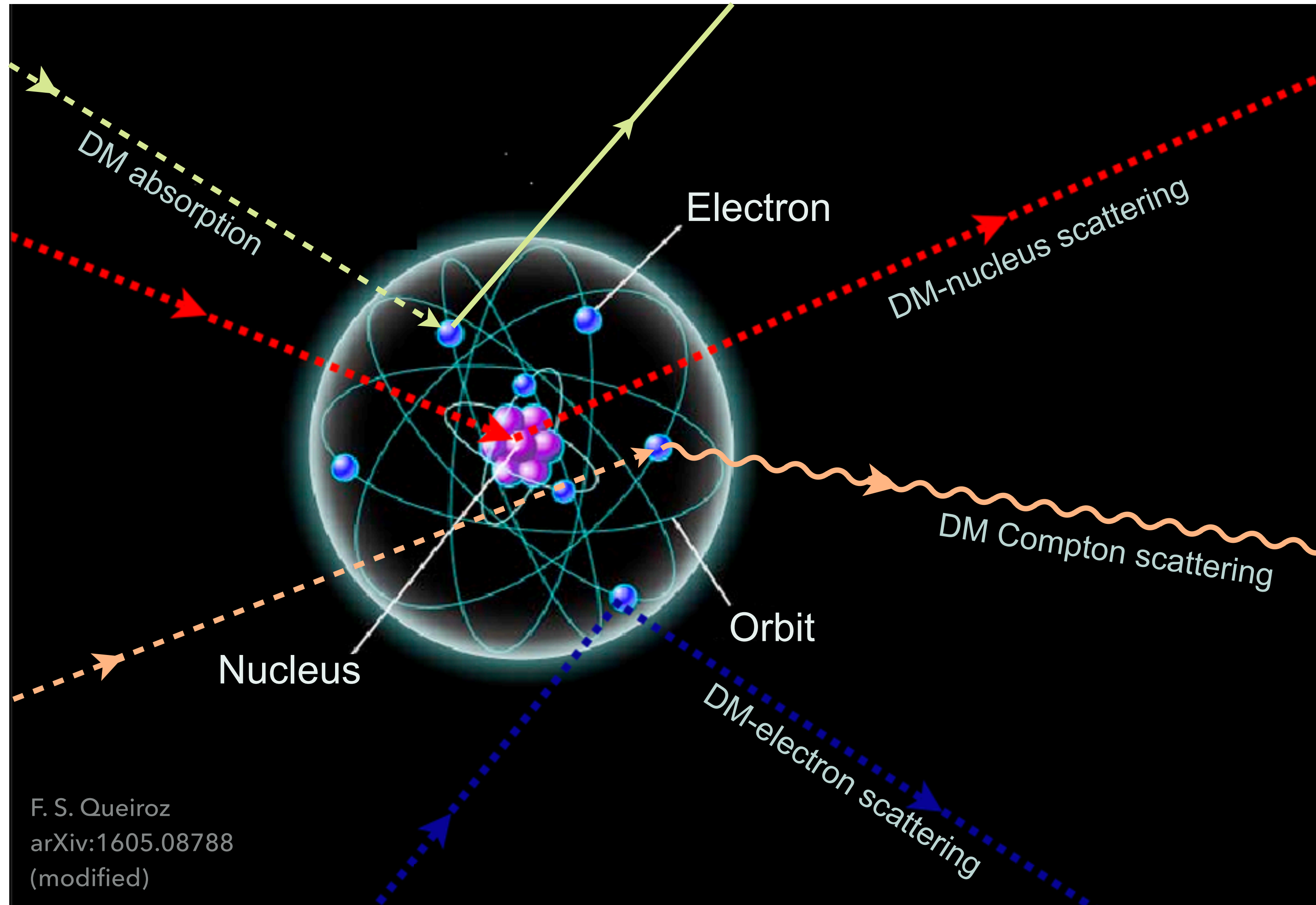
# Reminder



## ■ Basic idea:

- Dark Matter is made of particles which directly interact with the atoms of the detector material.
- **Any observable interaction counts!**

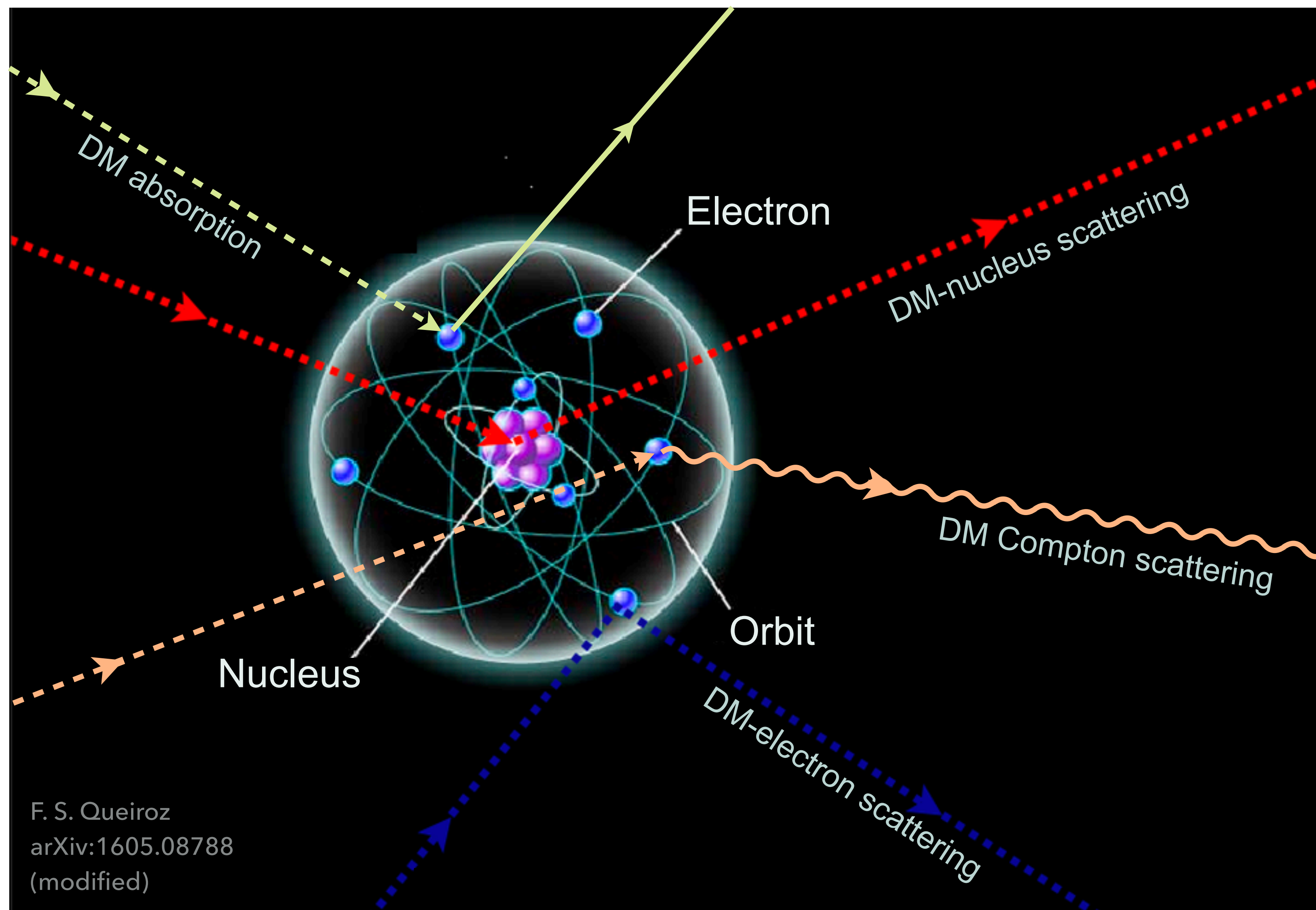
# Reminder



F. S. Queiroz  
arXiv:1605.08788  
(modified)

- Elastic DM-nucleon **scattering**
  - Spin-independent (SI)
  - Spin-dependent (SD)
- Inelastic DM-nucleon **scattering**
  - Migdal effect
  - Bremsstrahlung
- DM-electron **scattering**

# Reminder



- Elastic DM-nucleon **scattering**

- Spin-independent (SI)
- Spin-dependent (SD)

- Inelastic DM-nucleon **scattering**

- Migdal effect
- Bremsstrahlung

- DM-electron **scattering**

- Dark **absorption** of

- ALPs
- Dark photons

- Dark **Compton scattering** of

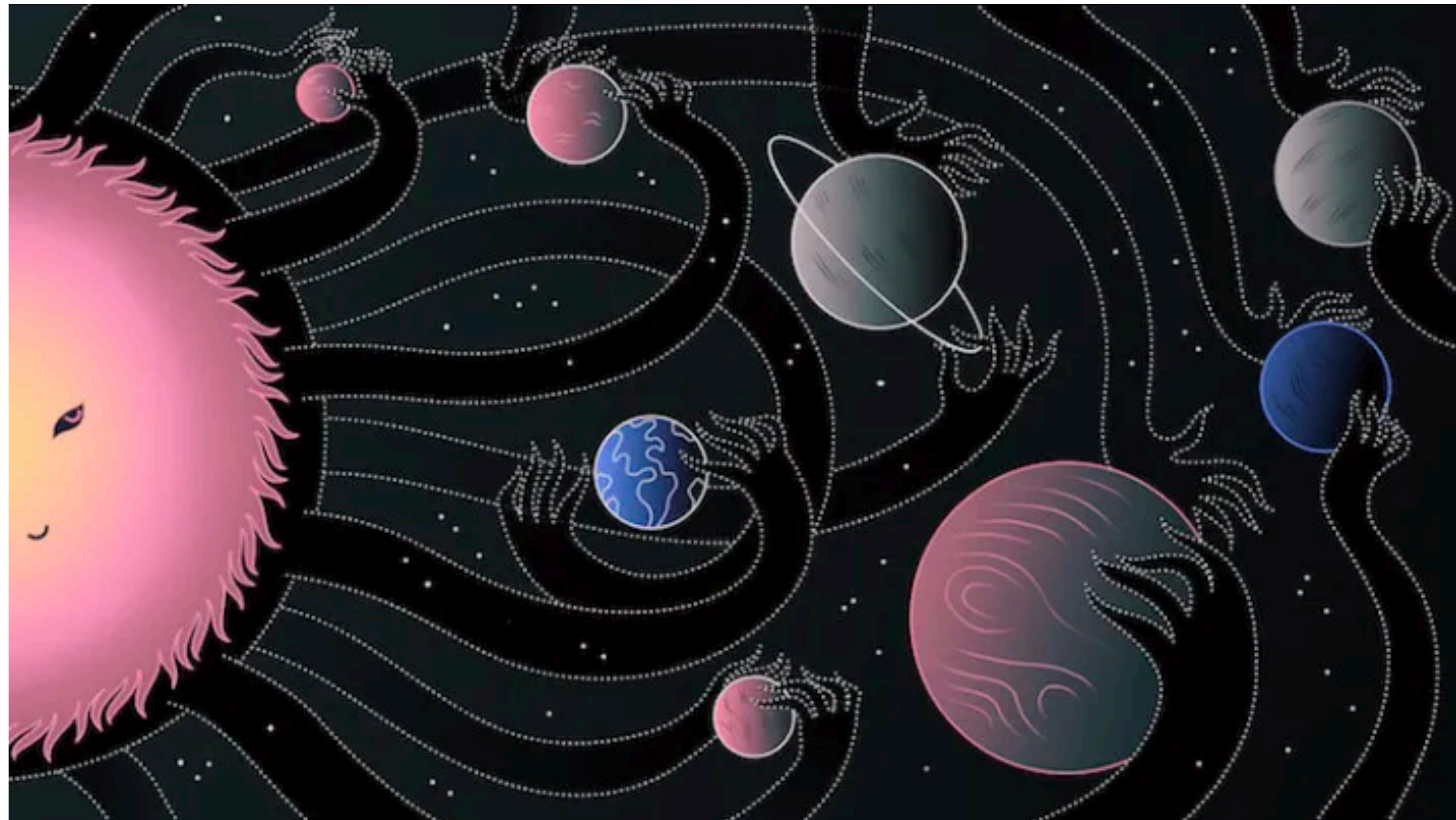
- ALPs
- Dark photons

- **Bragg scattering** of axions / ALPs



# Bosonic cold dark matter candidates

## Dark photons $A'$



Artwork by Sandbox Studio, Chicago with Ana Kova

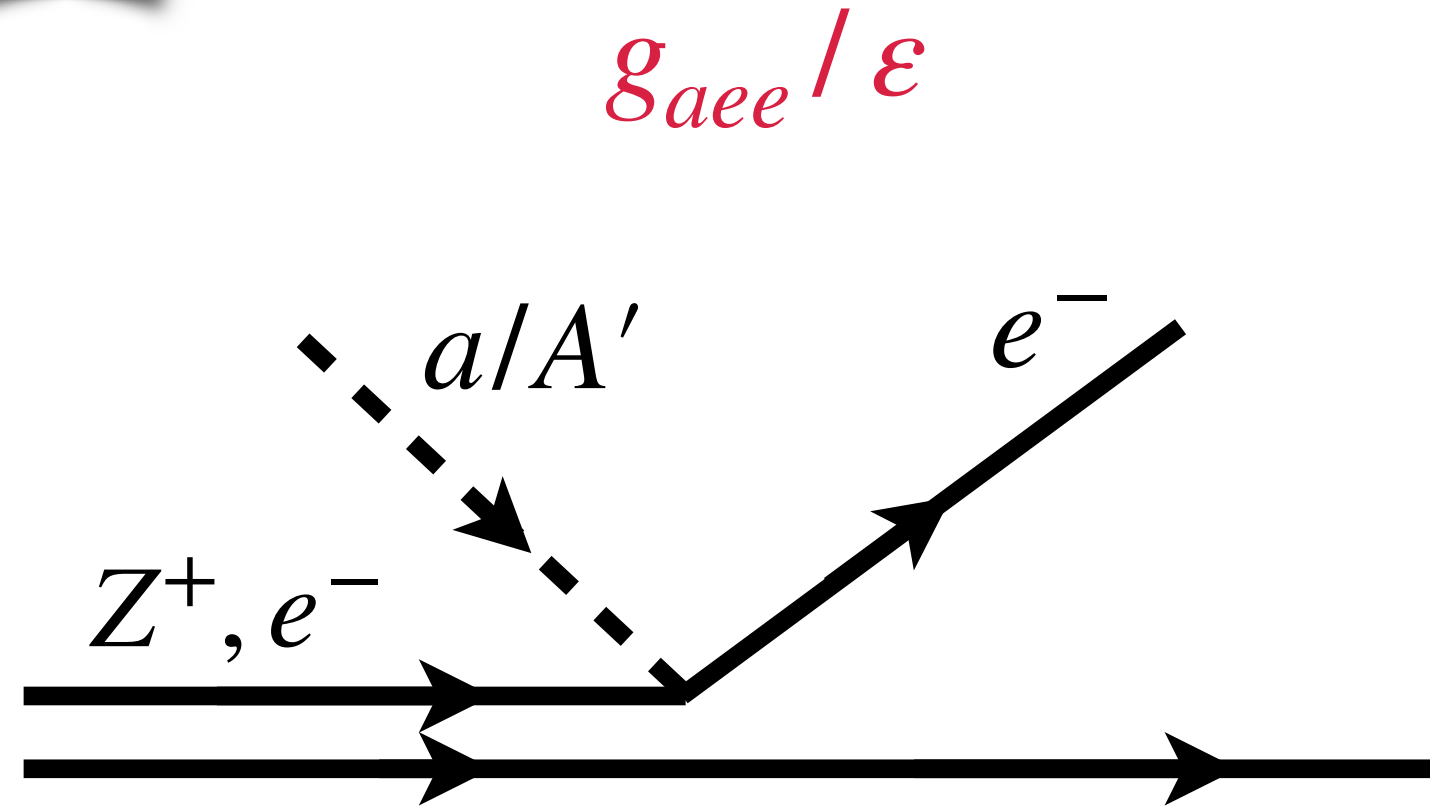
## Axion and Axionlike Particle (ALP) $a$



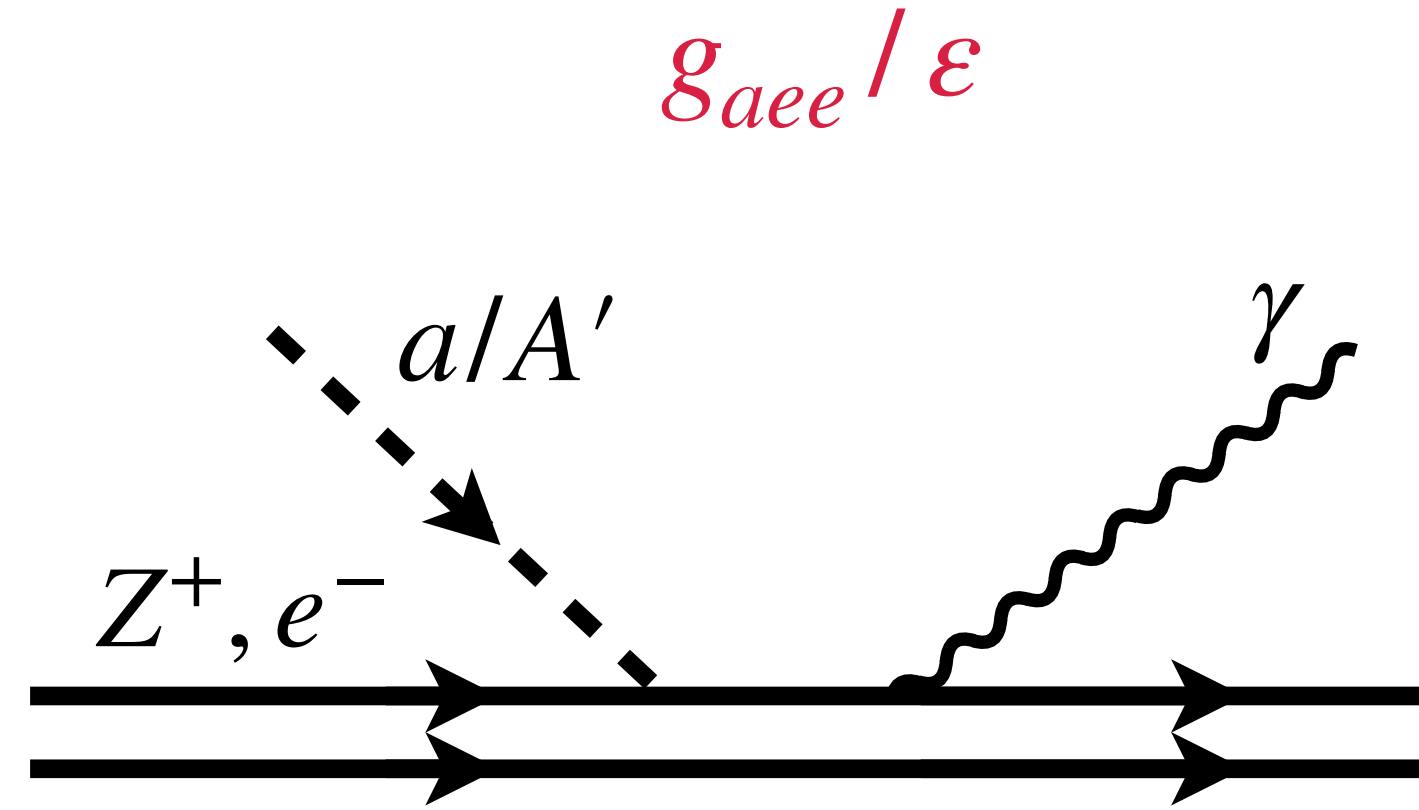
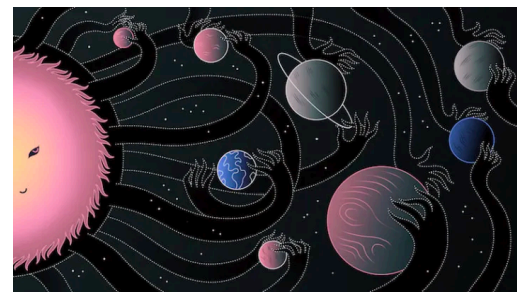


# Currently Considered Channels

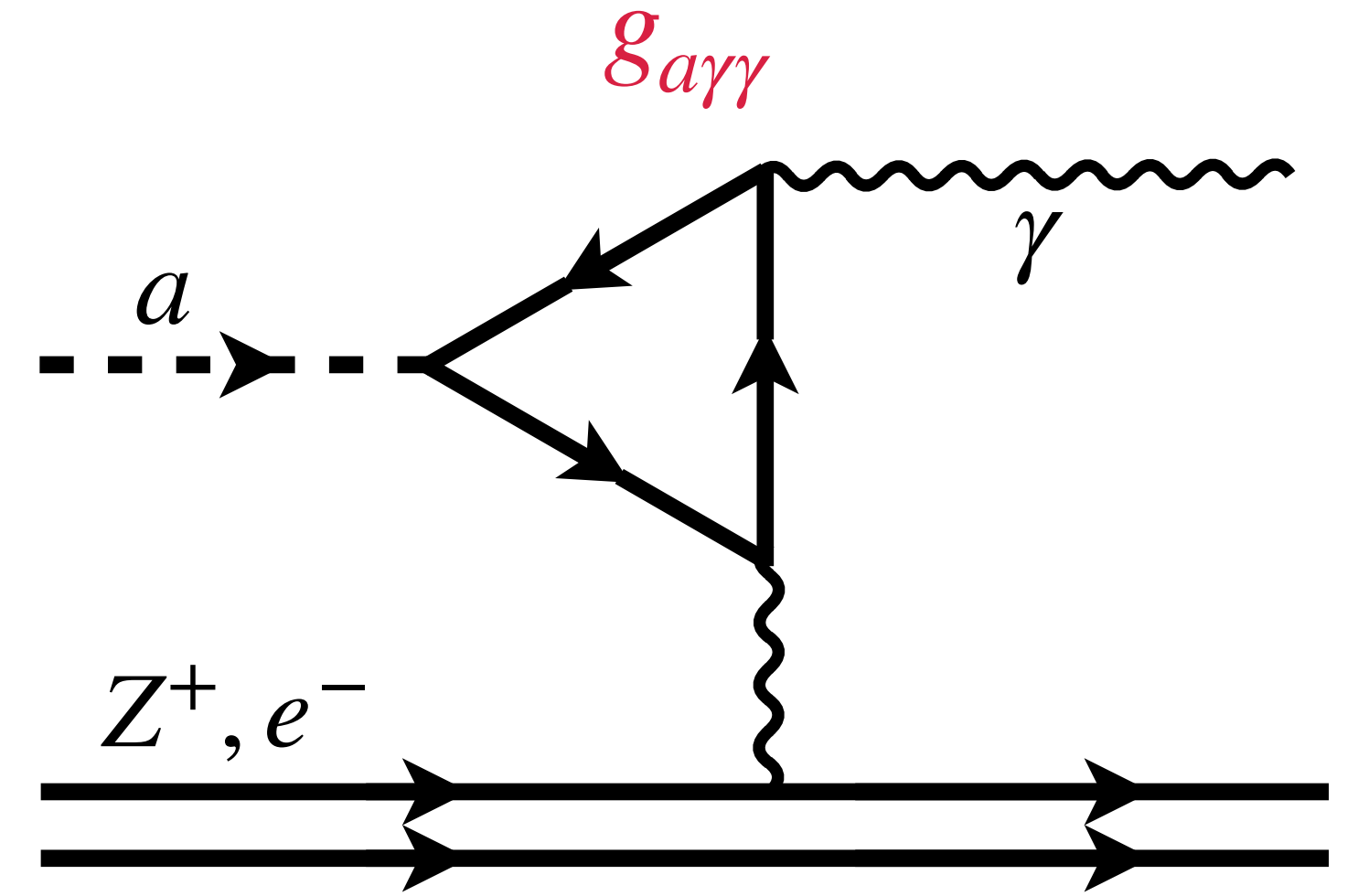
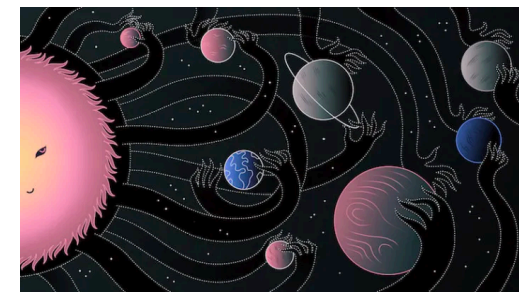
ER



Dark absorption



Dark Compton scattering

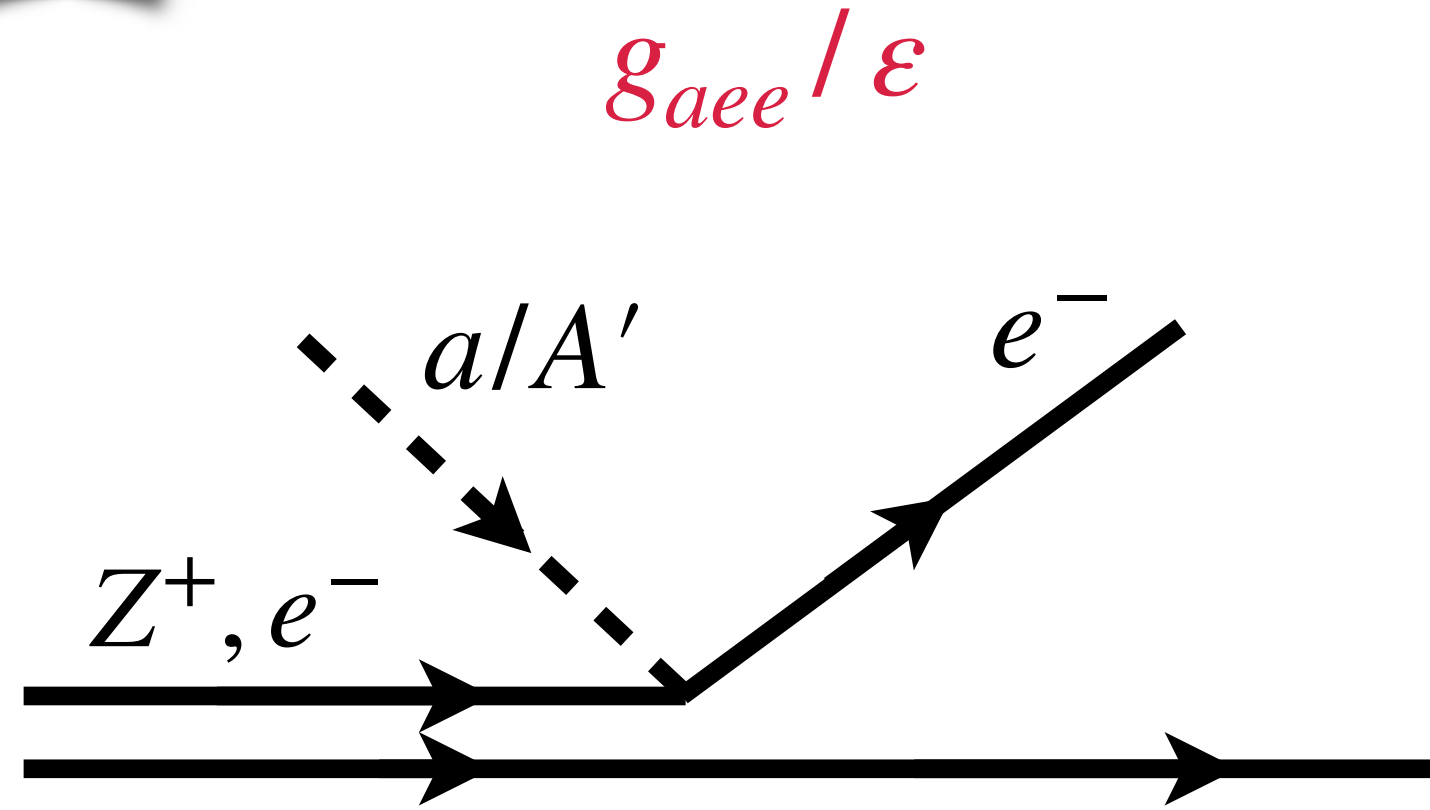


Dark Bragg scattering  
(Primakoff-like effect)

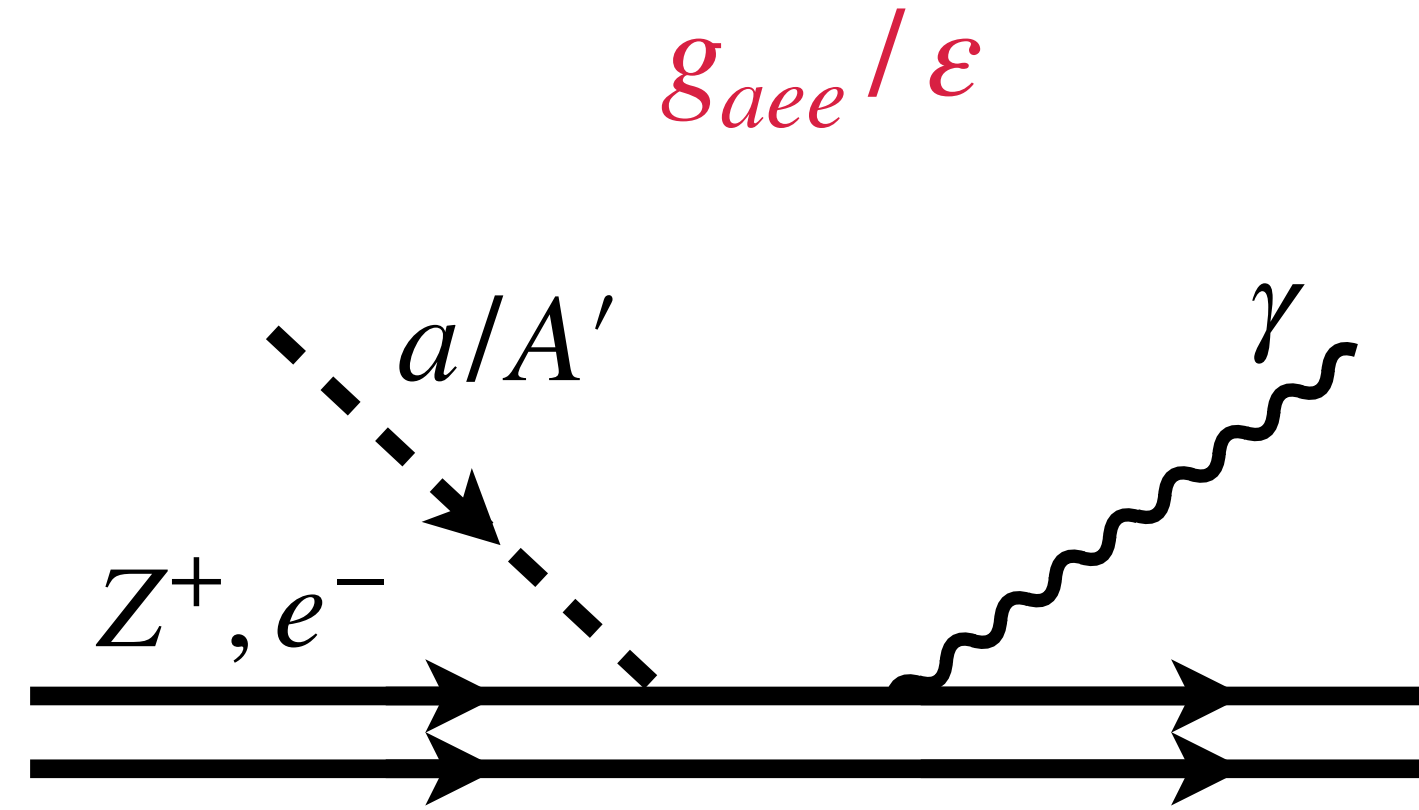
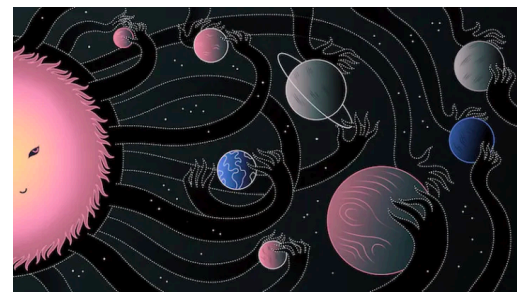


# Currently Considered Channels

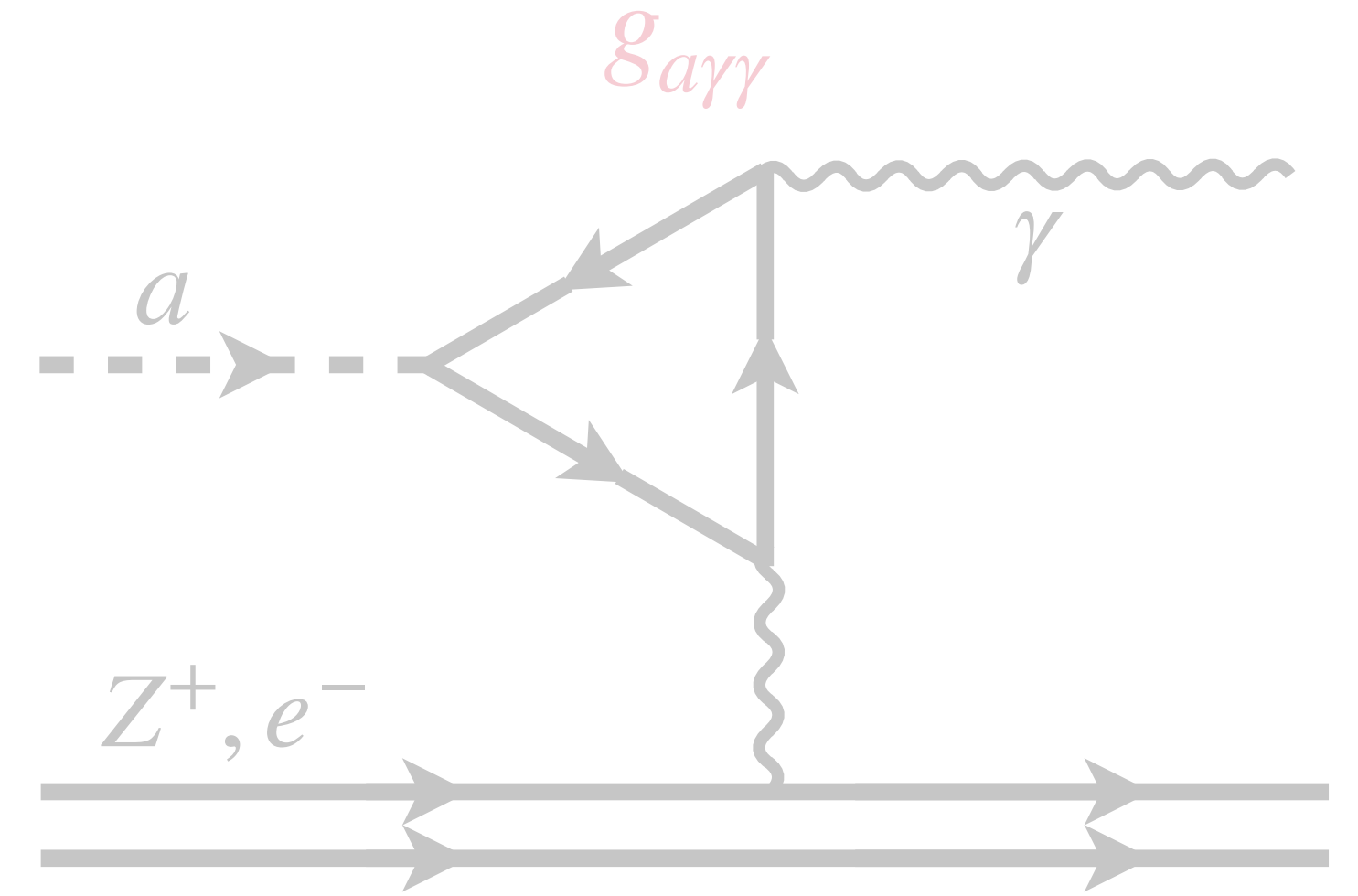
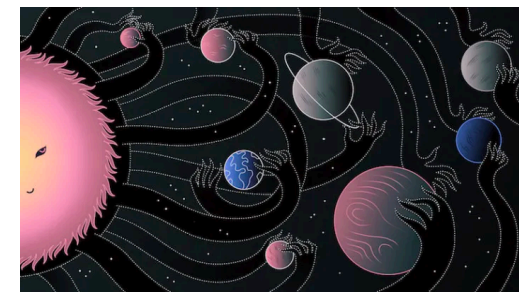
ER



Dark absorption



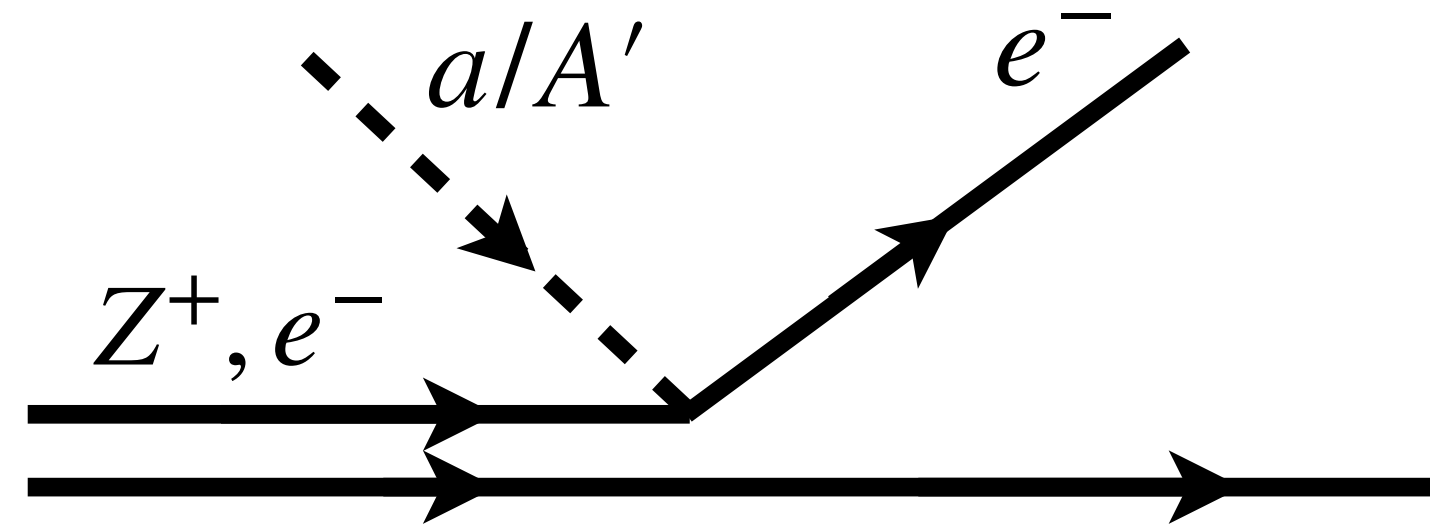
Dark Compton scattering



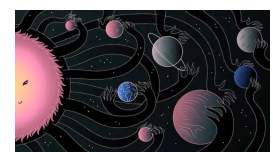
Dark Bragg scattering  
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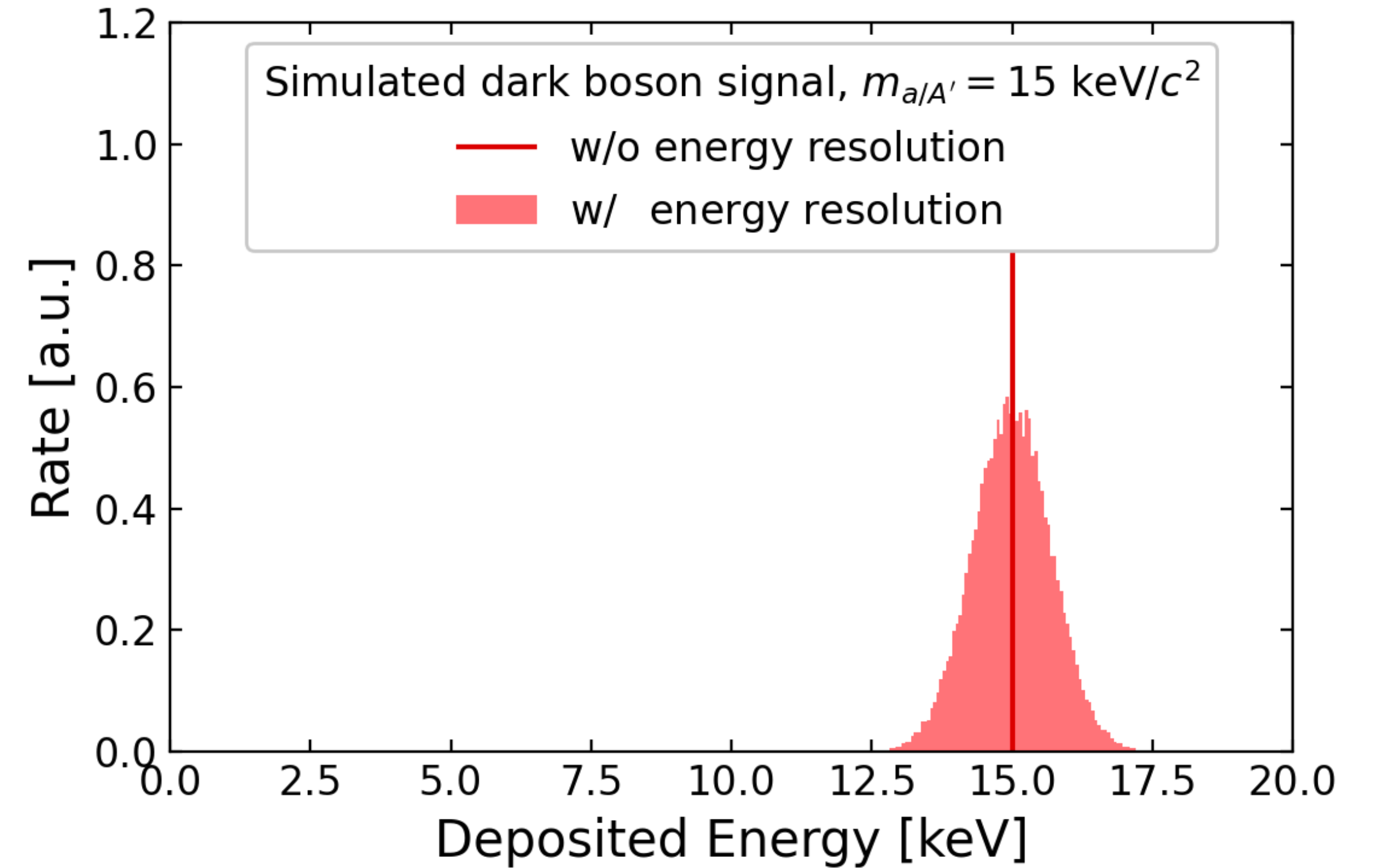
# Dark Absorption: Signal Model



$$R \propto \rho_{\text{DM}} g_{aee}^2 m_a \sigma_{\text{p.e.}}(\omega = m_a)$$



$$R \propto \rho_{\text{DM}} \varepsilon^2 m_{A'}^{-1} \sigma_{\text{p.e.}}(\omega = m_{A'})$$

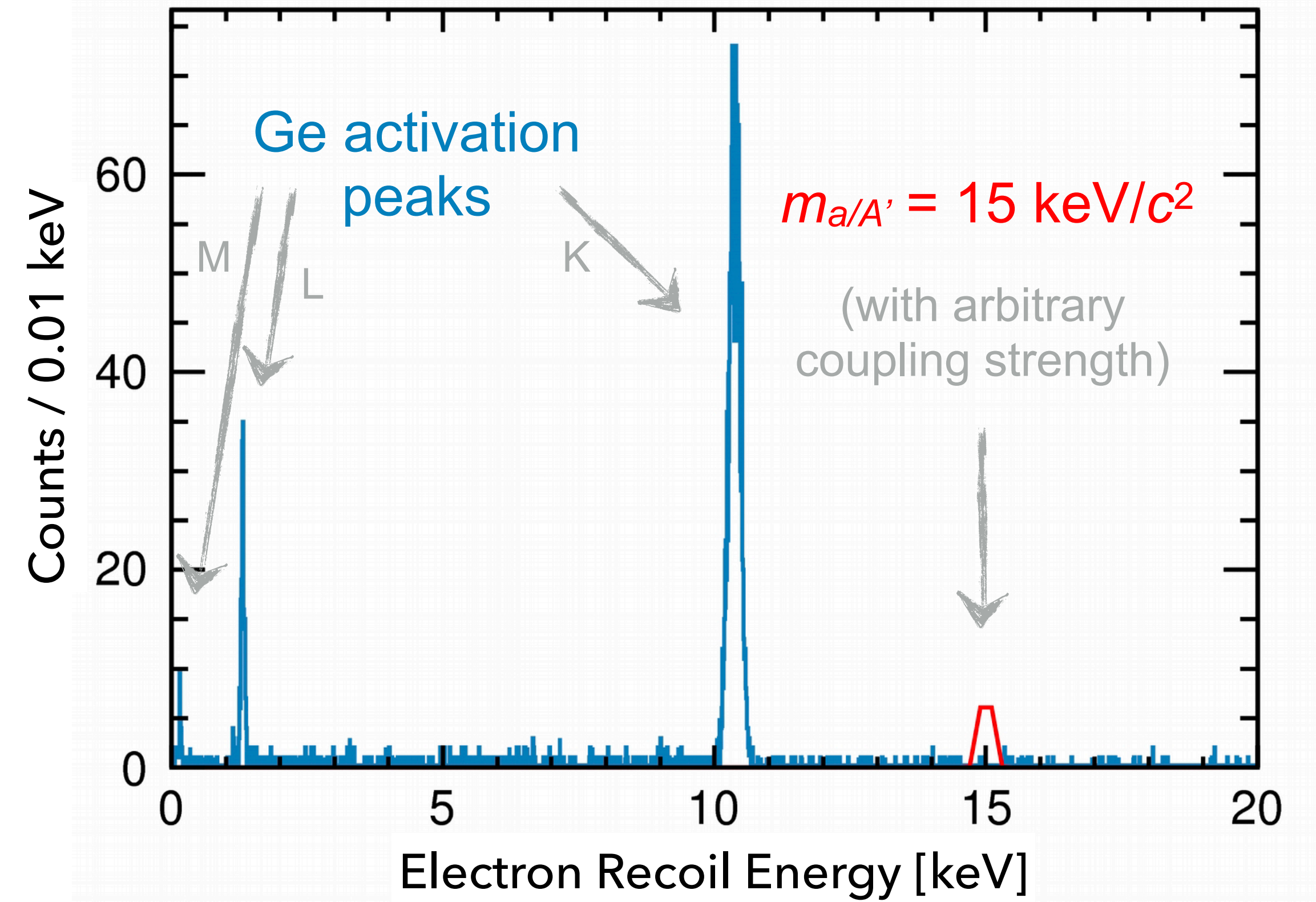


- Expected signal:  $E_R = m_{a/A'}$
- Peak at electron recoil energy  $E_R$  corresponding to  $m_{A'}$  or  $m_a$ .



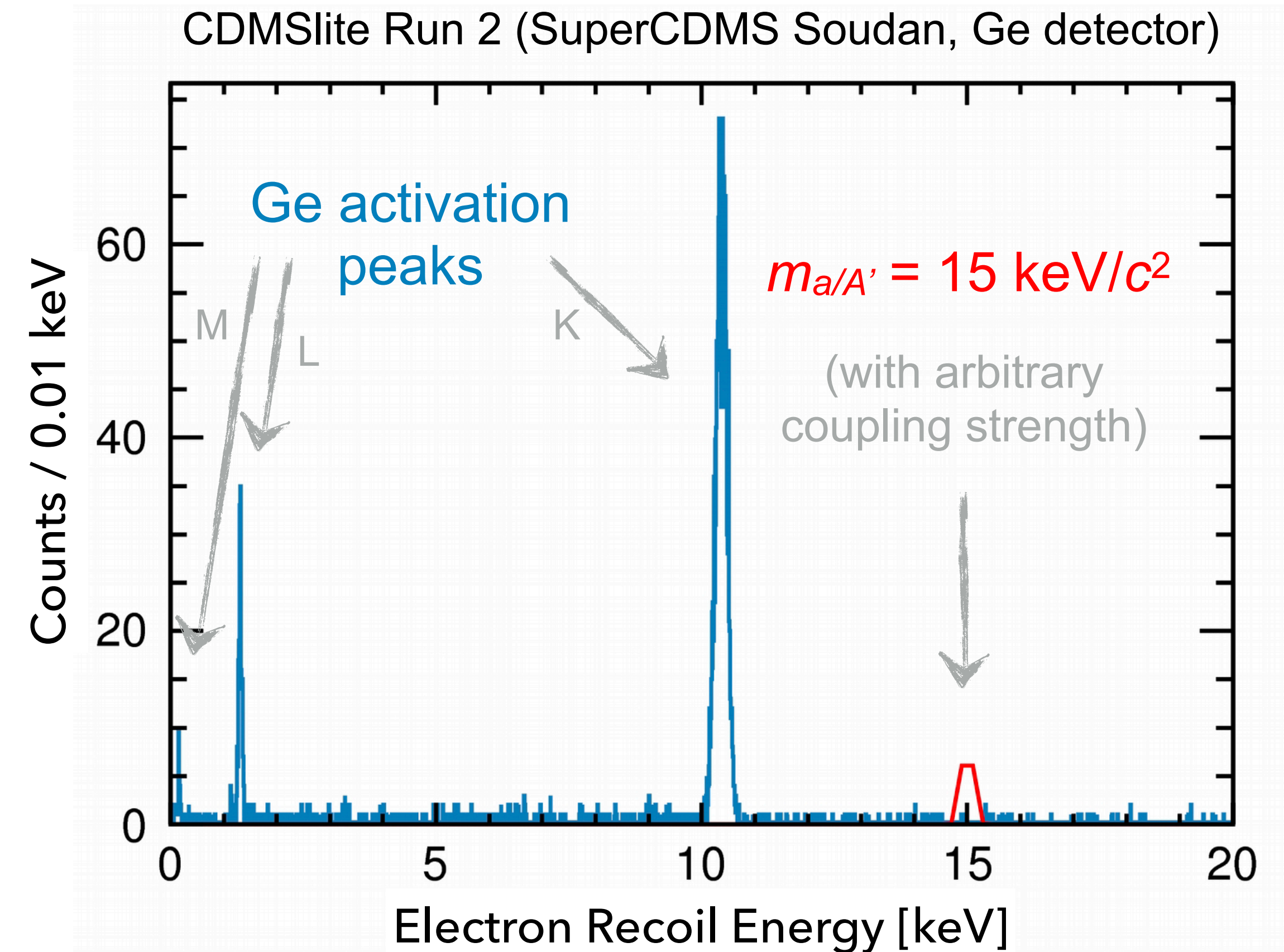
# Dark Absorption in germanium

CDMSlite Run 2 (SuperCDMS Soudan, Ge detector)

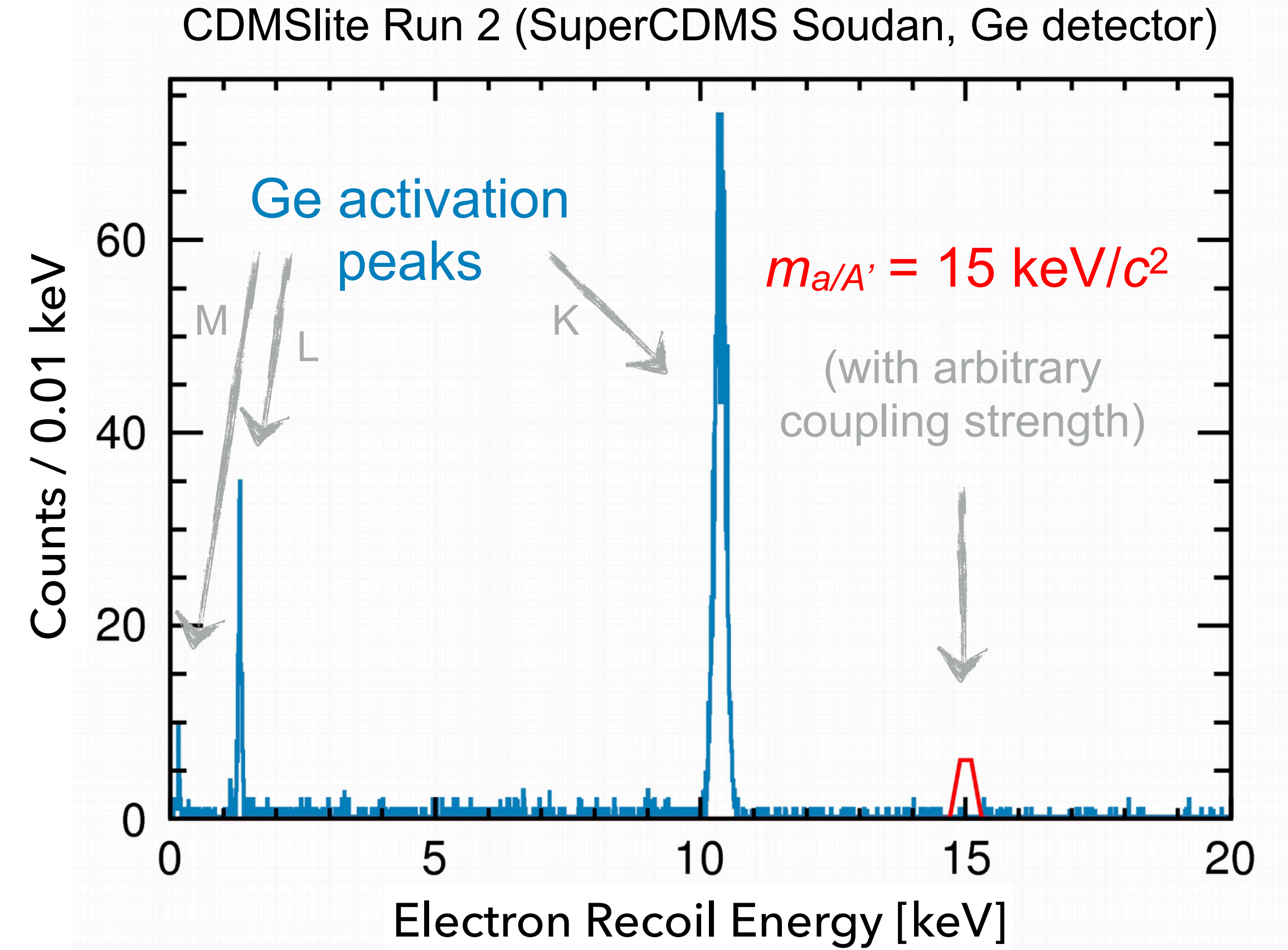
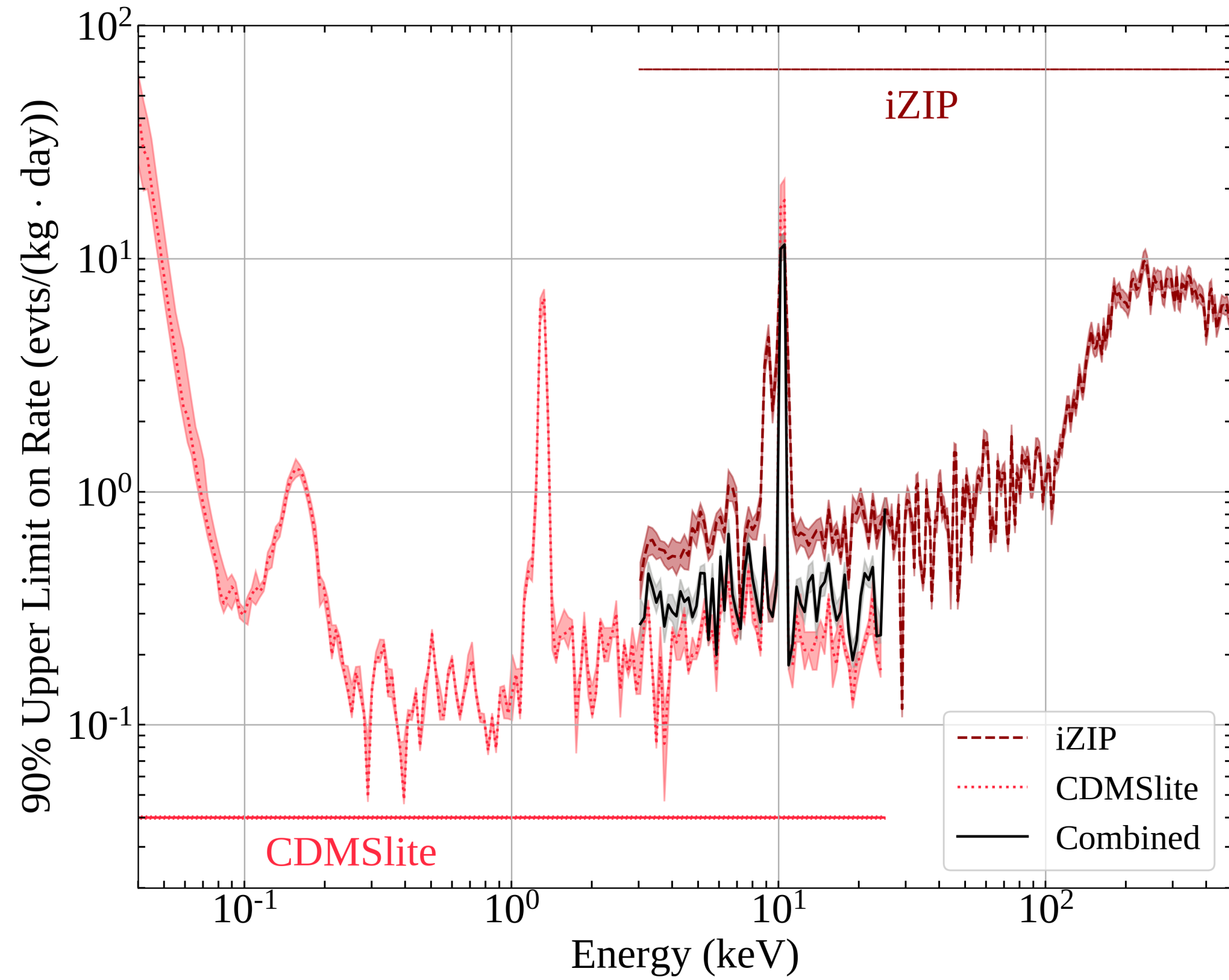


# Dark Absorption in germanium

- $^{252}\text{Cf}$  neutron source:
  - $^{70}\text{Ge} + n \rightarrow ^{71}\text{Ge}$ .
  - $^{71}\text{Ge}$  decays via electron-capture.
  - Well-known energy released in K-, L- and M-shell captures:
    - K-shell (BR  $\approx 88\%$ ): 10.37 keV,
    - L-shell (BR  $\approx 11\%$ ): 1.30 keV,
    - M-shell (BR  $\approx 2\%$ ): 0.16 keV.
- High-statistics K-shell capture used for calibration.

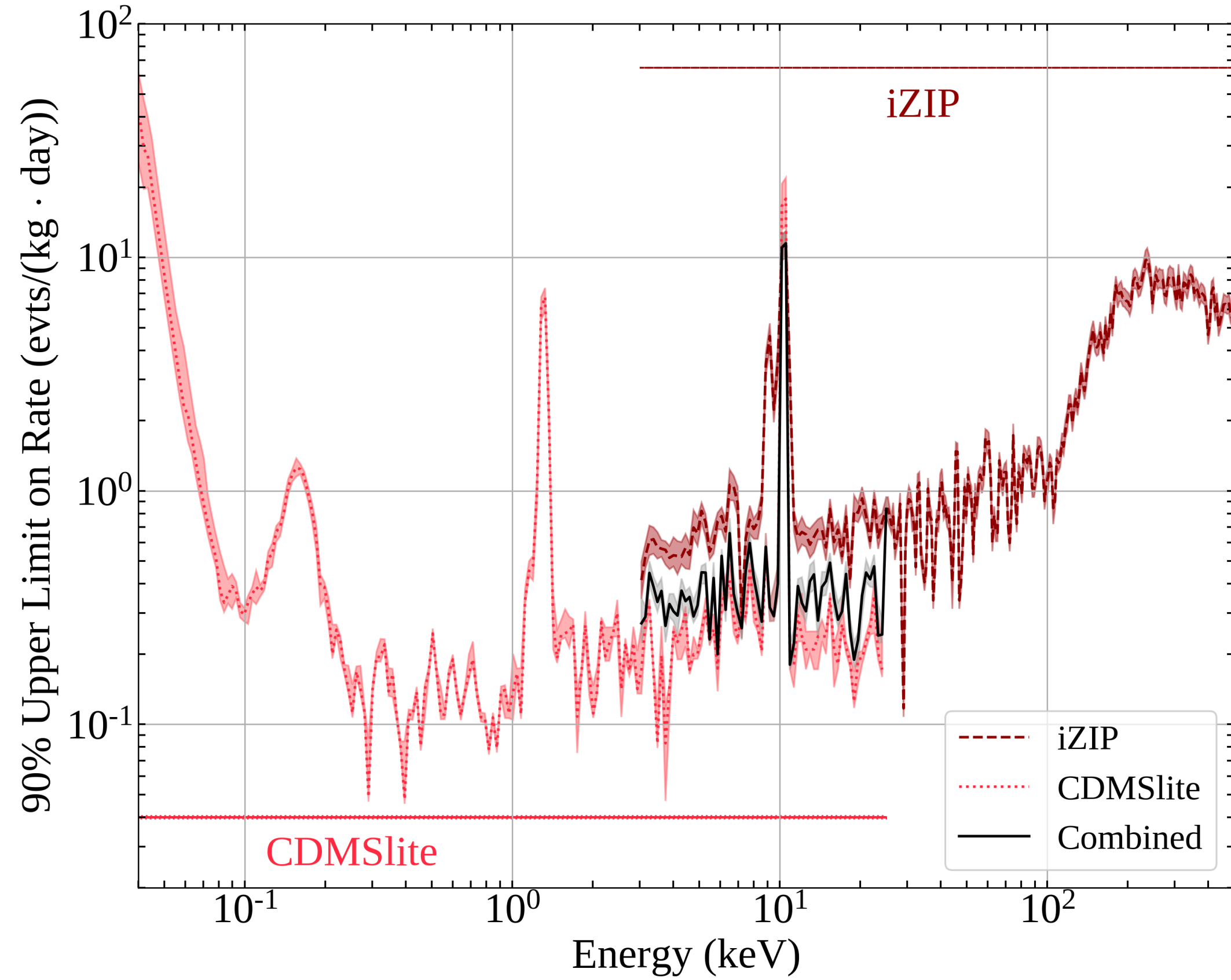


# Setting a limit



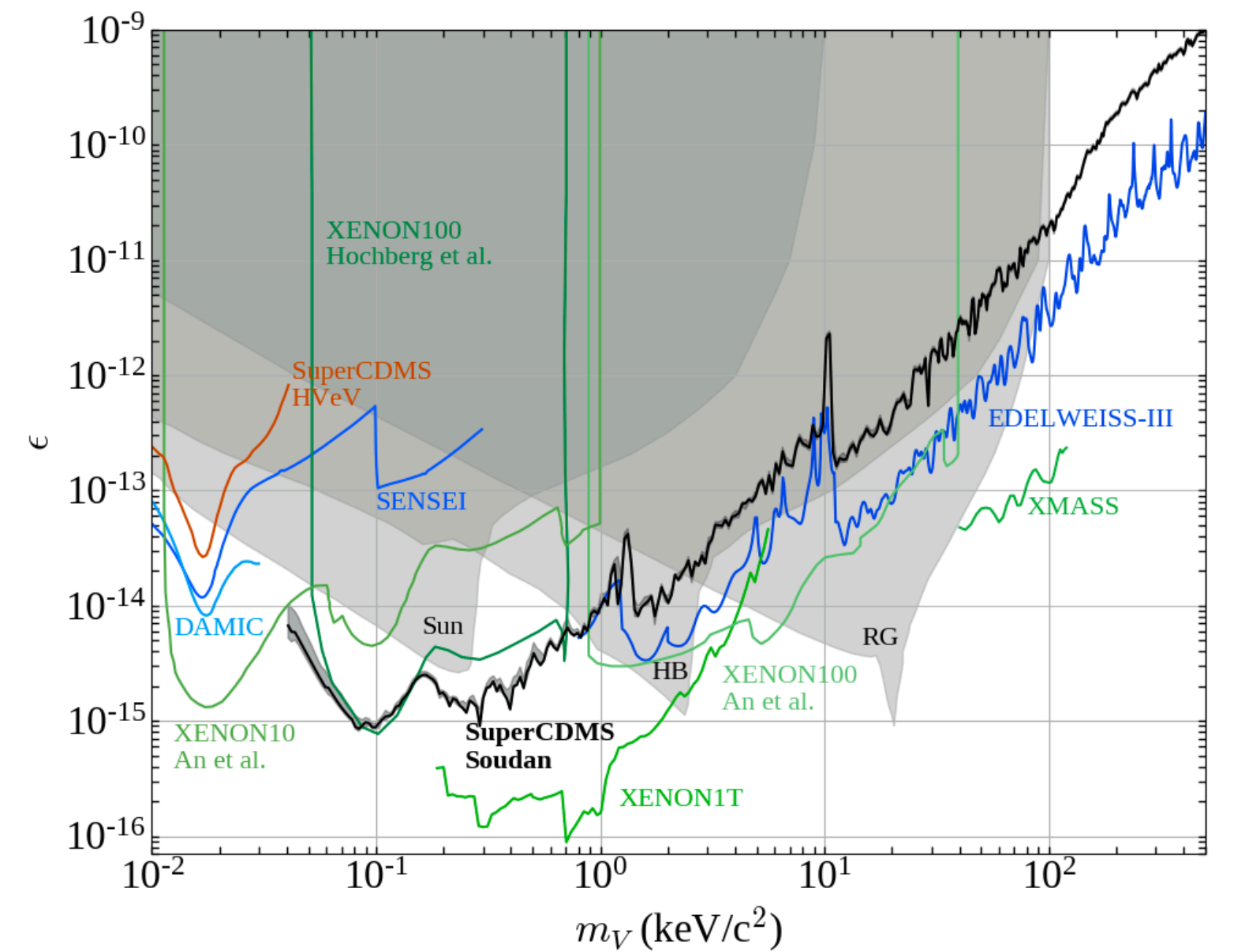
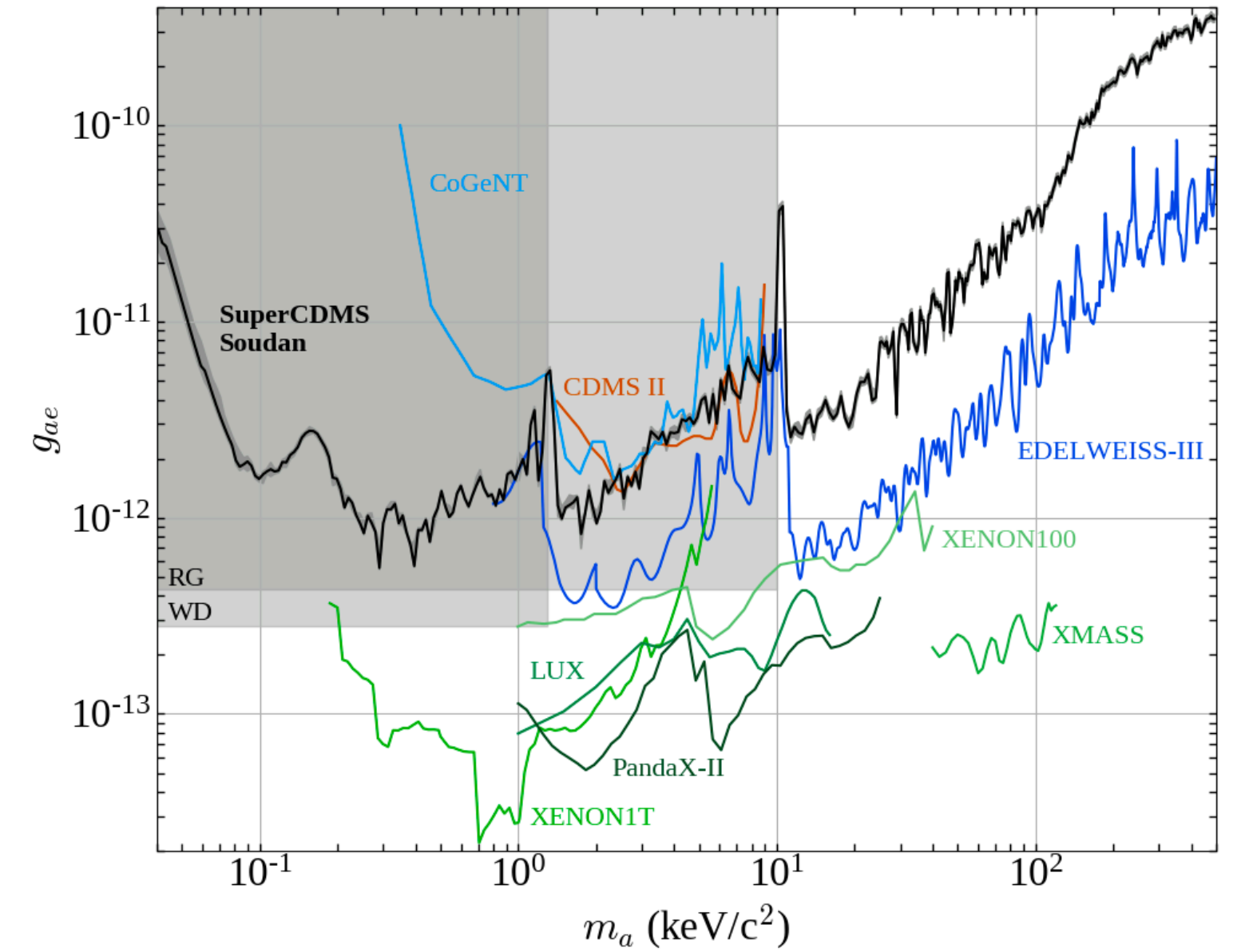


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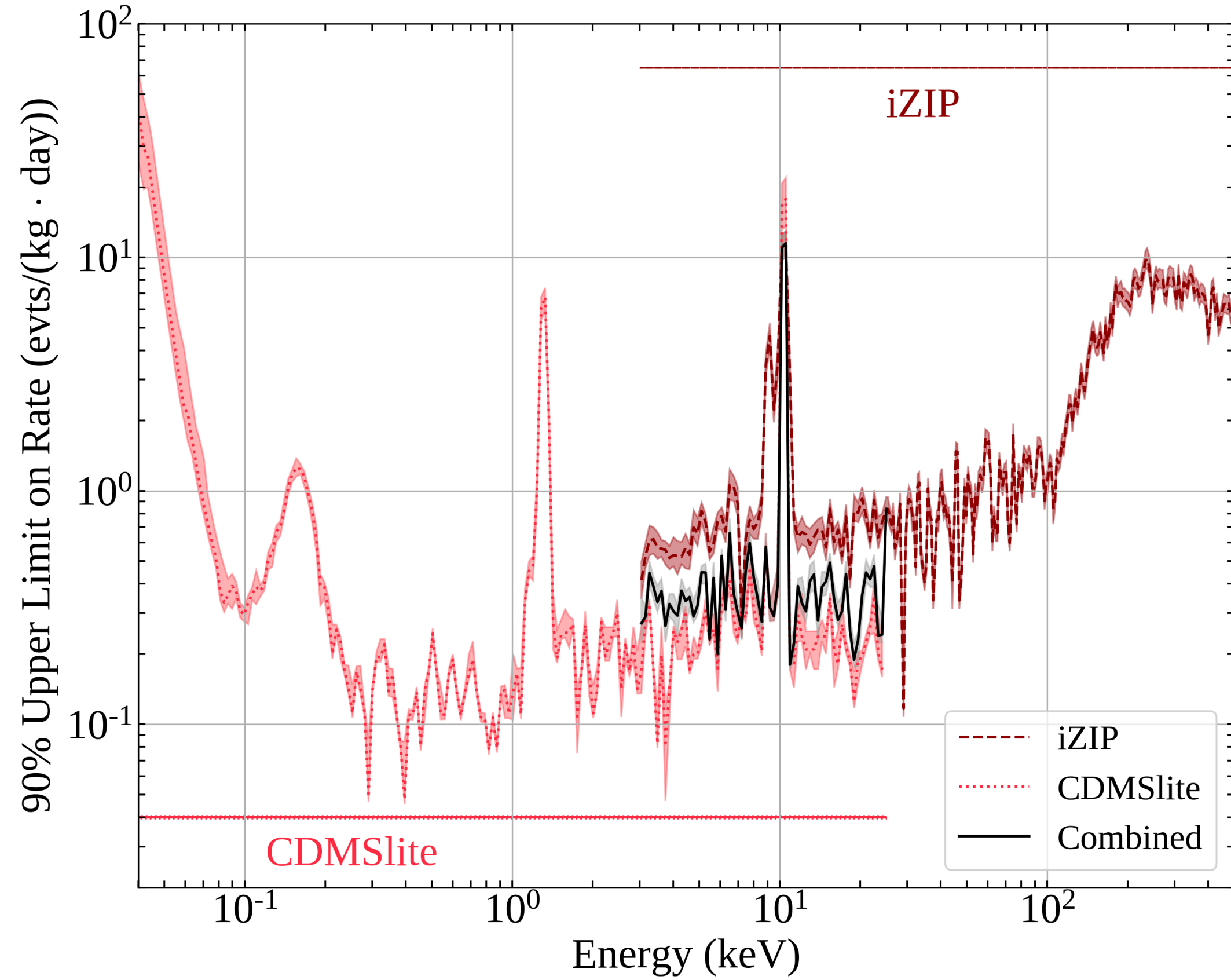
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$$R \propto \rho_{\text{DM}} \epsilon^2 m_{A'}^{-1} \sigma_{\text{p.e.}}$$



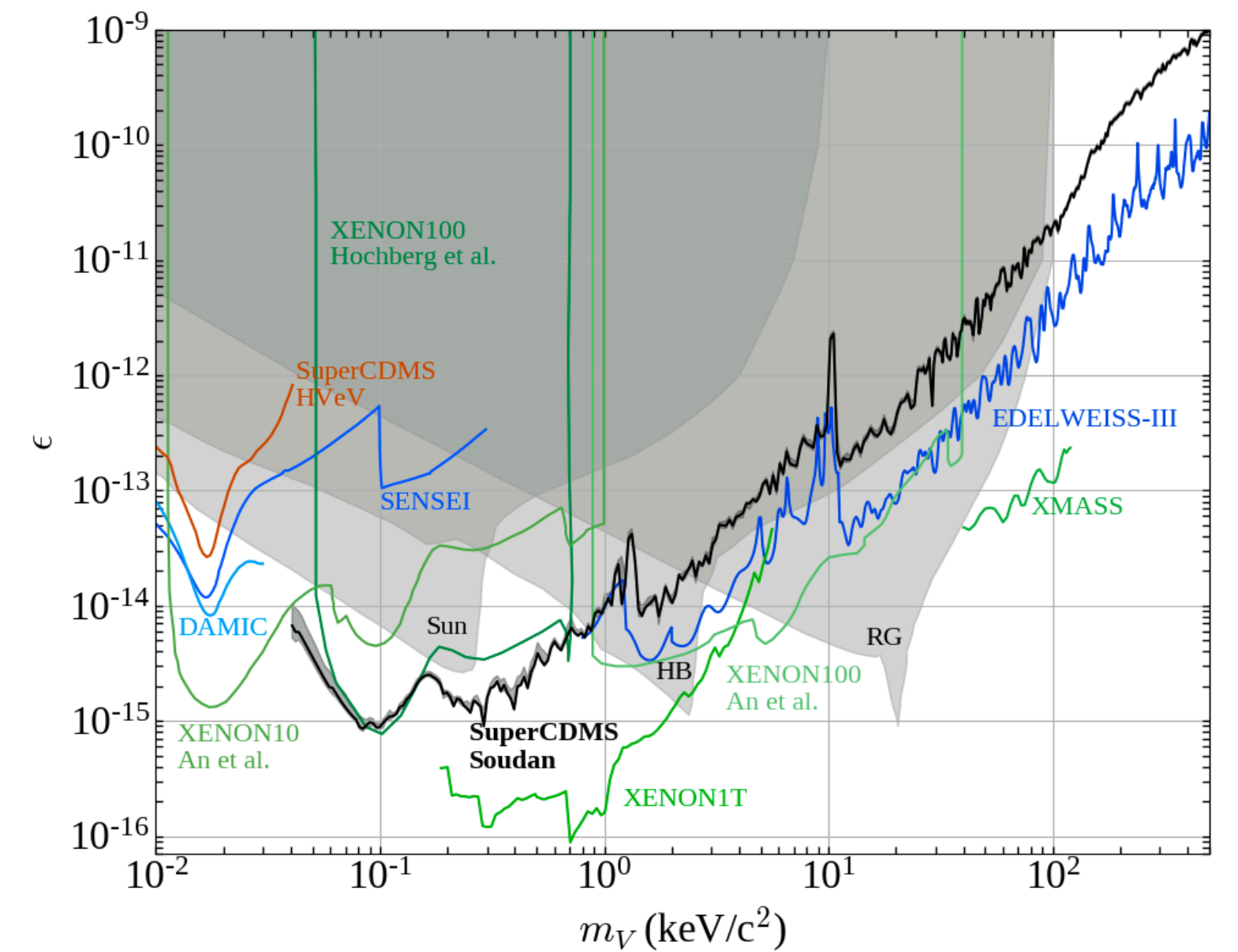
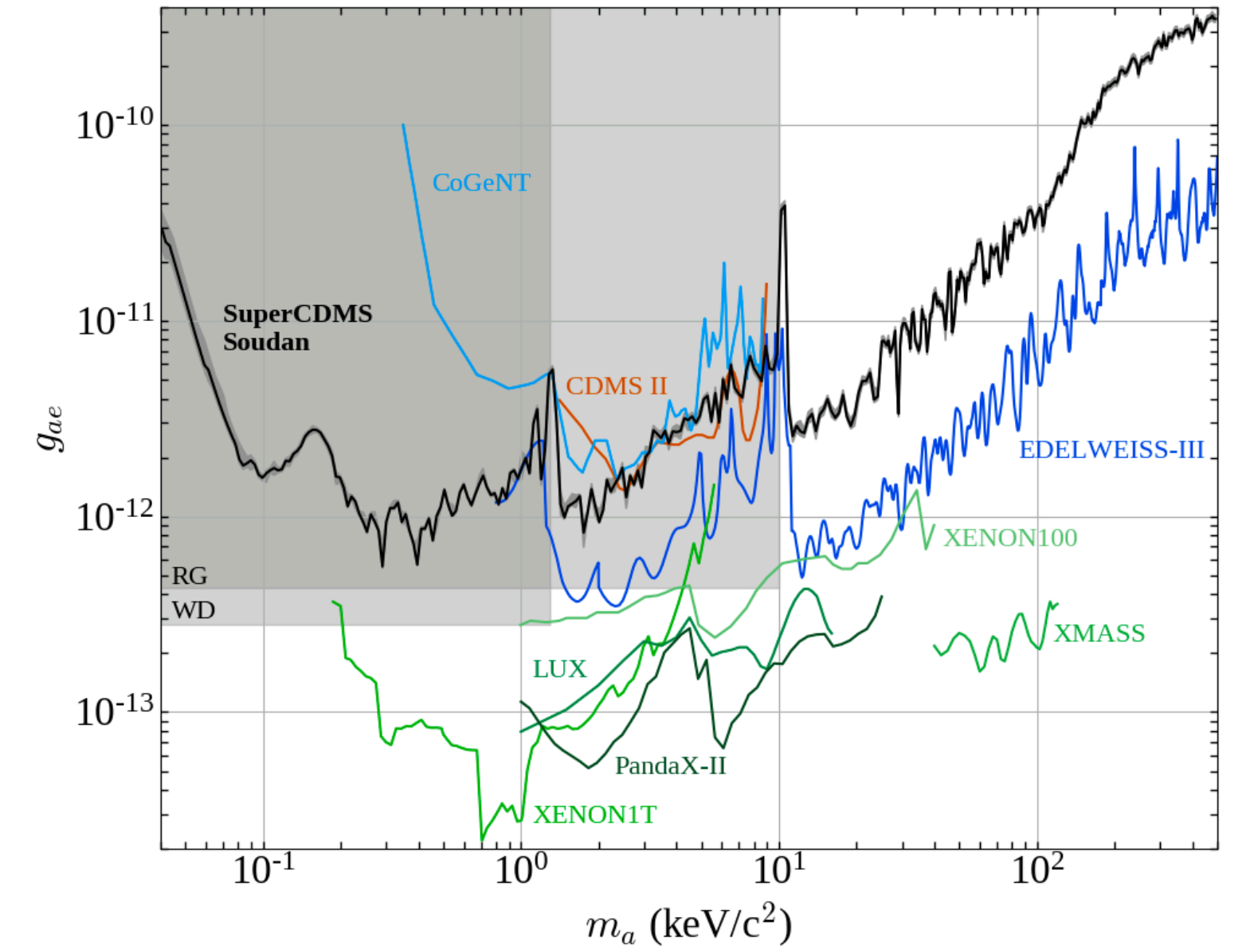


# Setting a limit



$R \propto \rho_{\text{DM}} g_{aee}^2 m_a \sigma_{\text{p.e.}}$

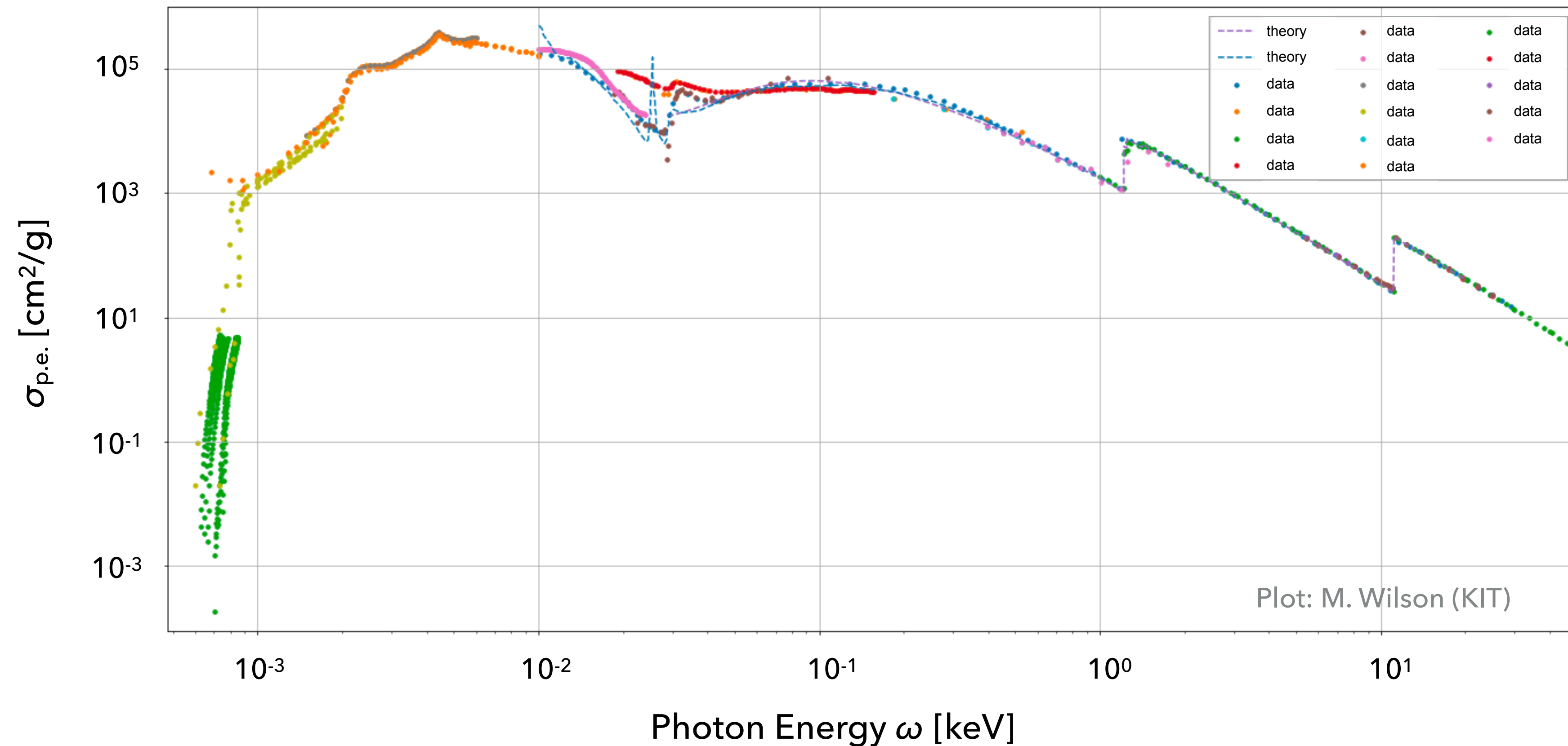
$R \propto \rho_{\text{DM}} \epsilon^2 m_A^{-1} \sigma_{\text{p.e.}}$



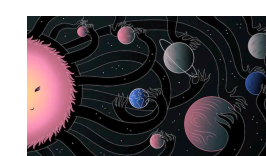


# Dark Absorption in germanium

Ge Photoelectric cross section

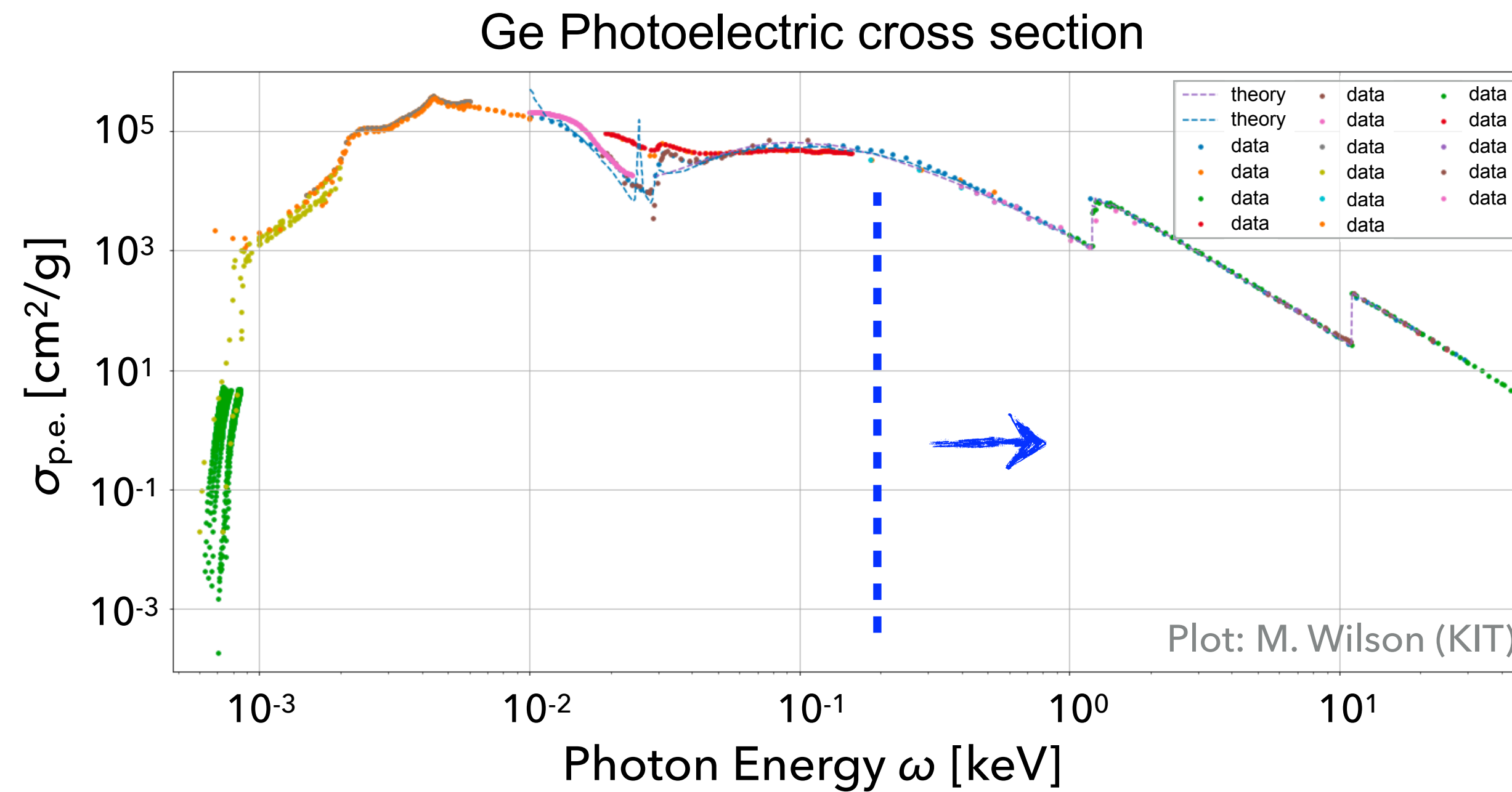


$$R \propto \rho_{\text{DM}} g_{aee}^2 m_a \sigma_{\text{p.e.}}(\omega = m_a)$$

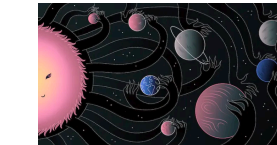


$$R \propto \rho_{\text{DM}} \varepsilon^2 m_{A'}^{-1} \sigma_{\text{p.e.}}(\omega = m_{A'})$$

# Photoelectric Absorption vs. Compton Scattering



$$R \propto g_{aee}^2 \sigma_{\text{p.e.}}$$

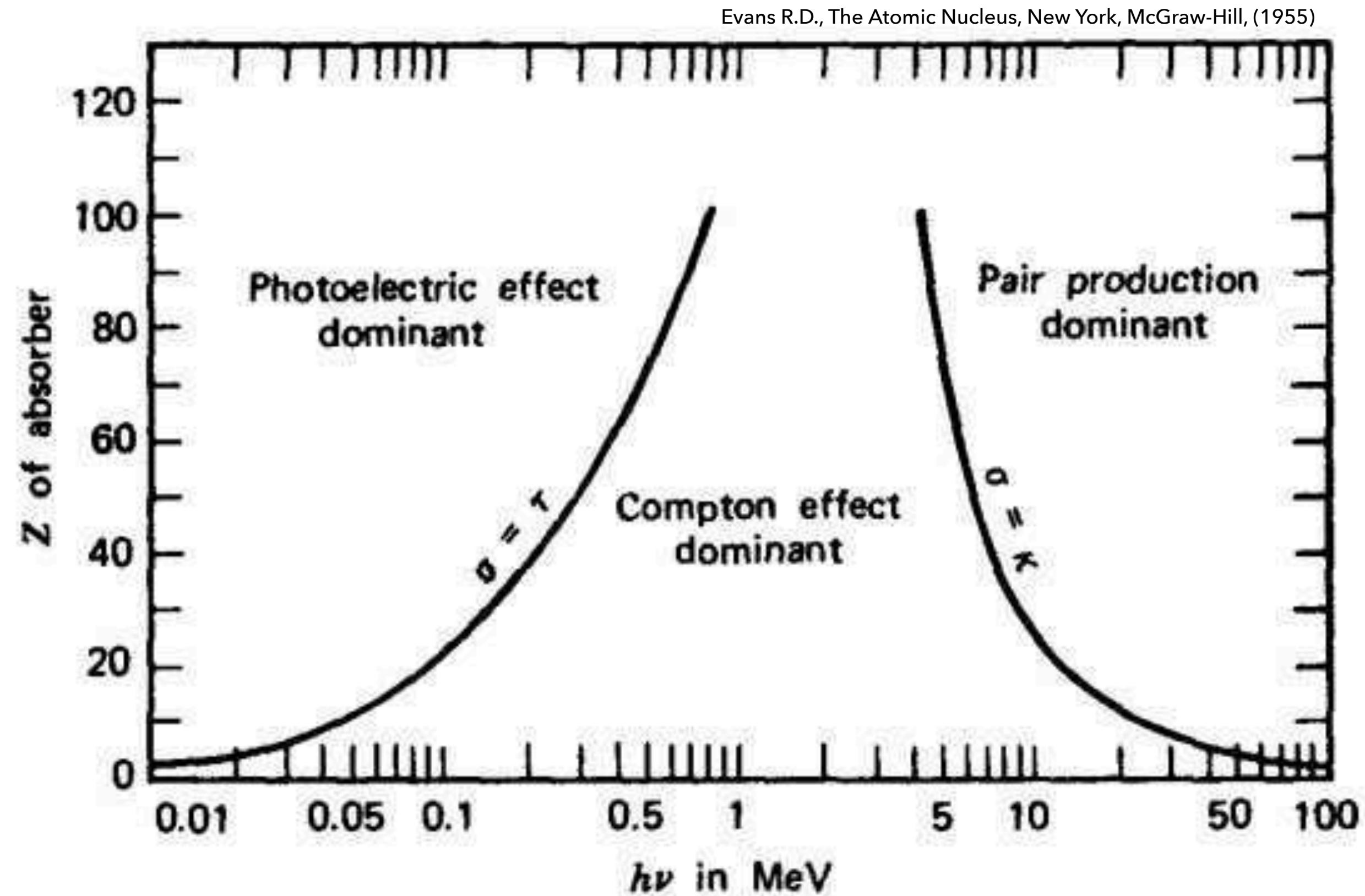


$$R \propto \epsilon^2 \sigma_{\text{p.e.}}$$

$$\sigma_{\text{p.e.}} \propto \frac{Z^n}{\omega^3} \quad \text{with} \quad n = 4 - 5$$

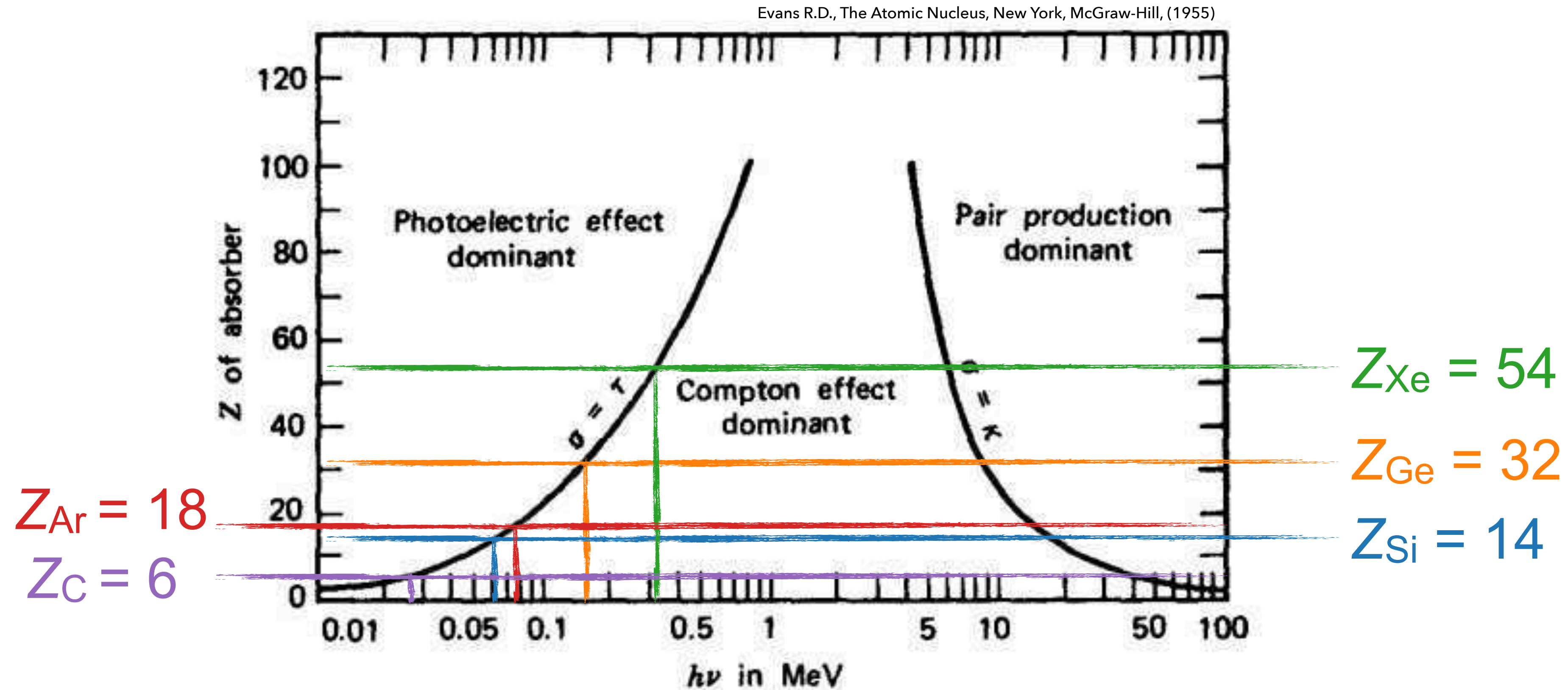
Sensitivity to dark boson coupling quickly drops with increasing mass.

# Photoelectric Absorption vs. Compton Scattering



- SM photon interactions 101:
  - Compton scattering dominates over photoelectric effect after certain photon energy.

# Photoelectric Absorption vs. Compton Scattering

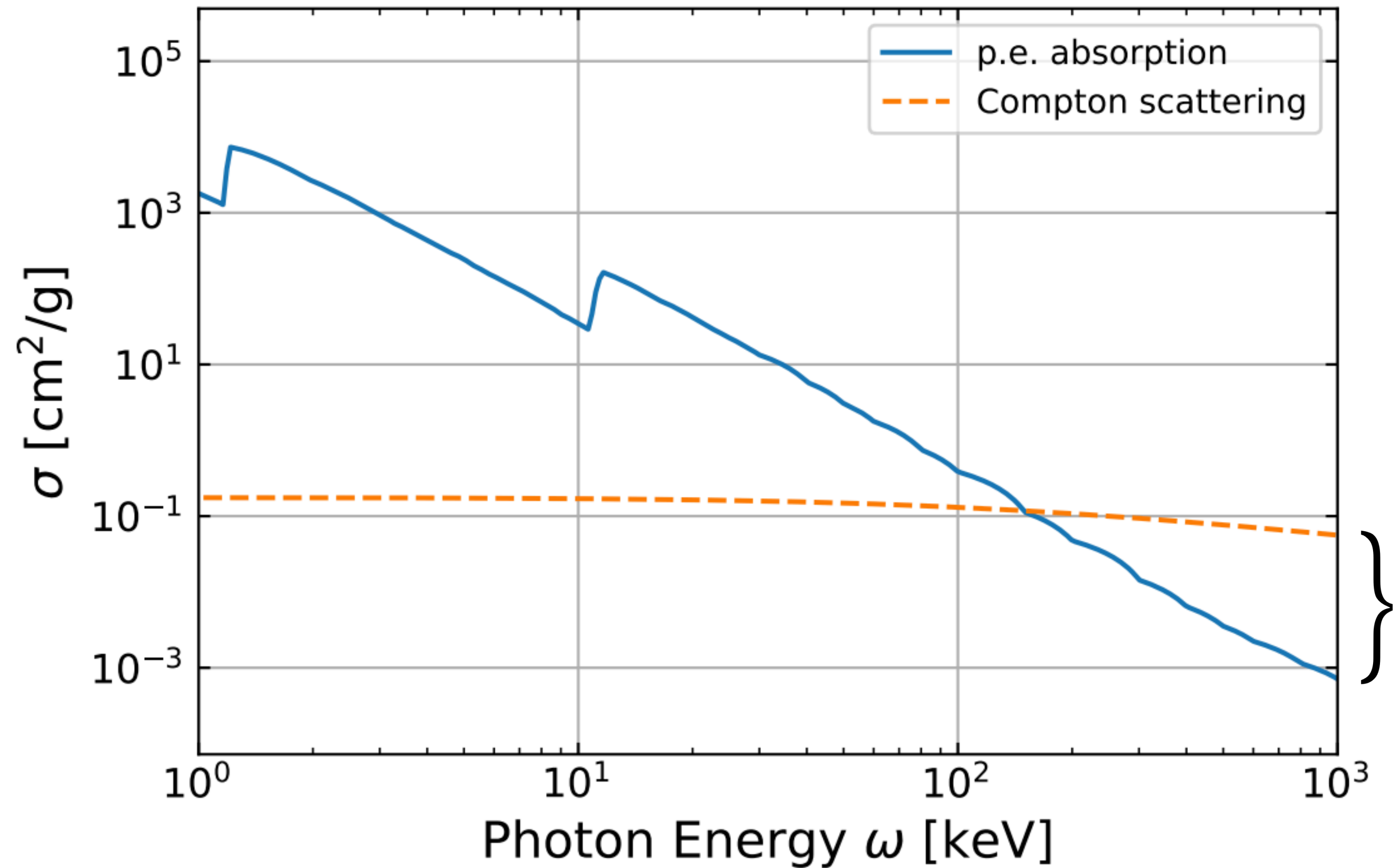


- SM photon interactions 101:

- Compton scattering dominates over photoelectric effect after certain photon energy.

# Photoelectric Absorption vs. Compton Scattering

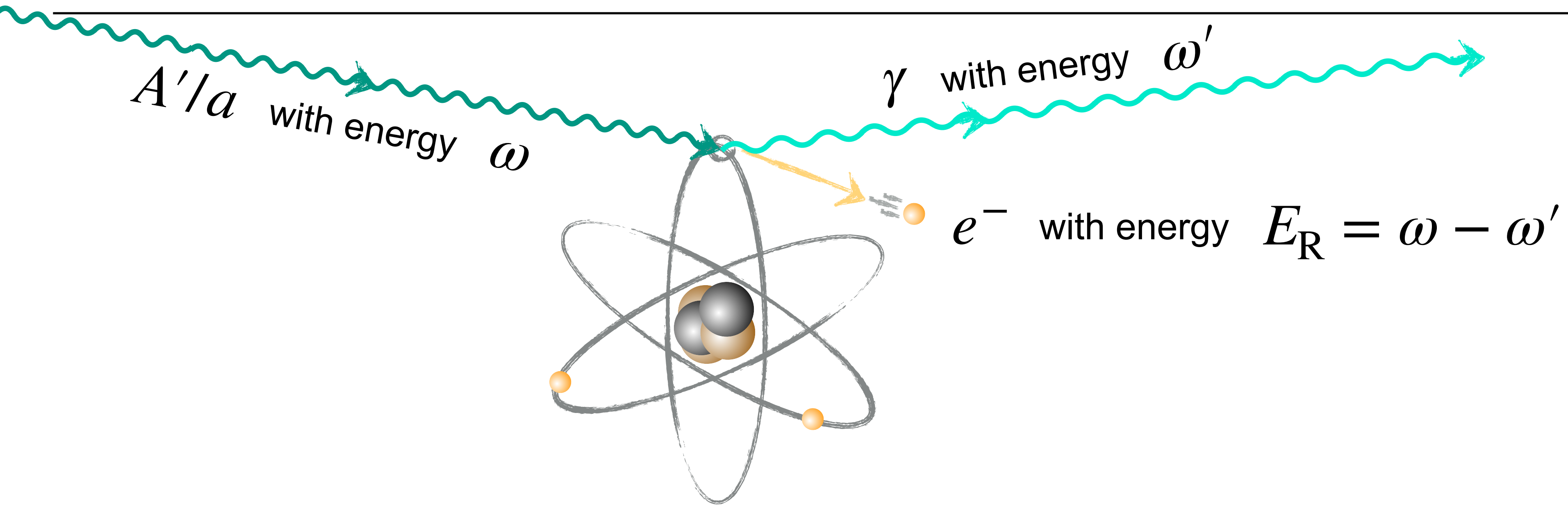
## Germanium



Up to ~2 orders of magnitude higher cross section in Ge.

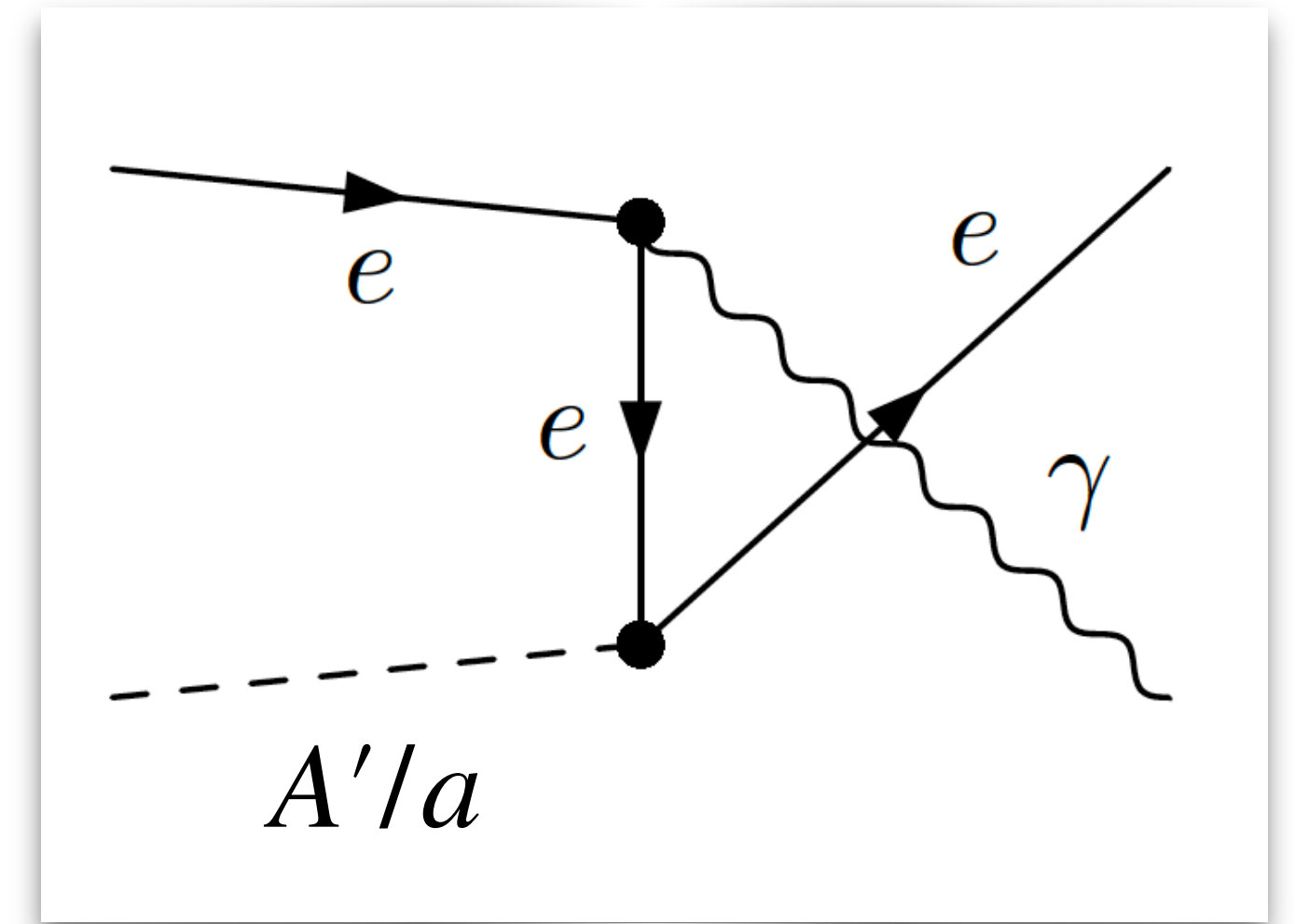
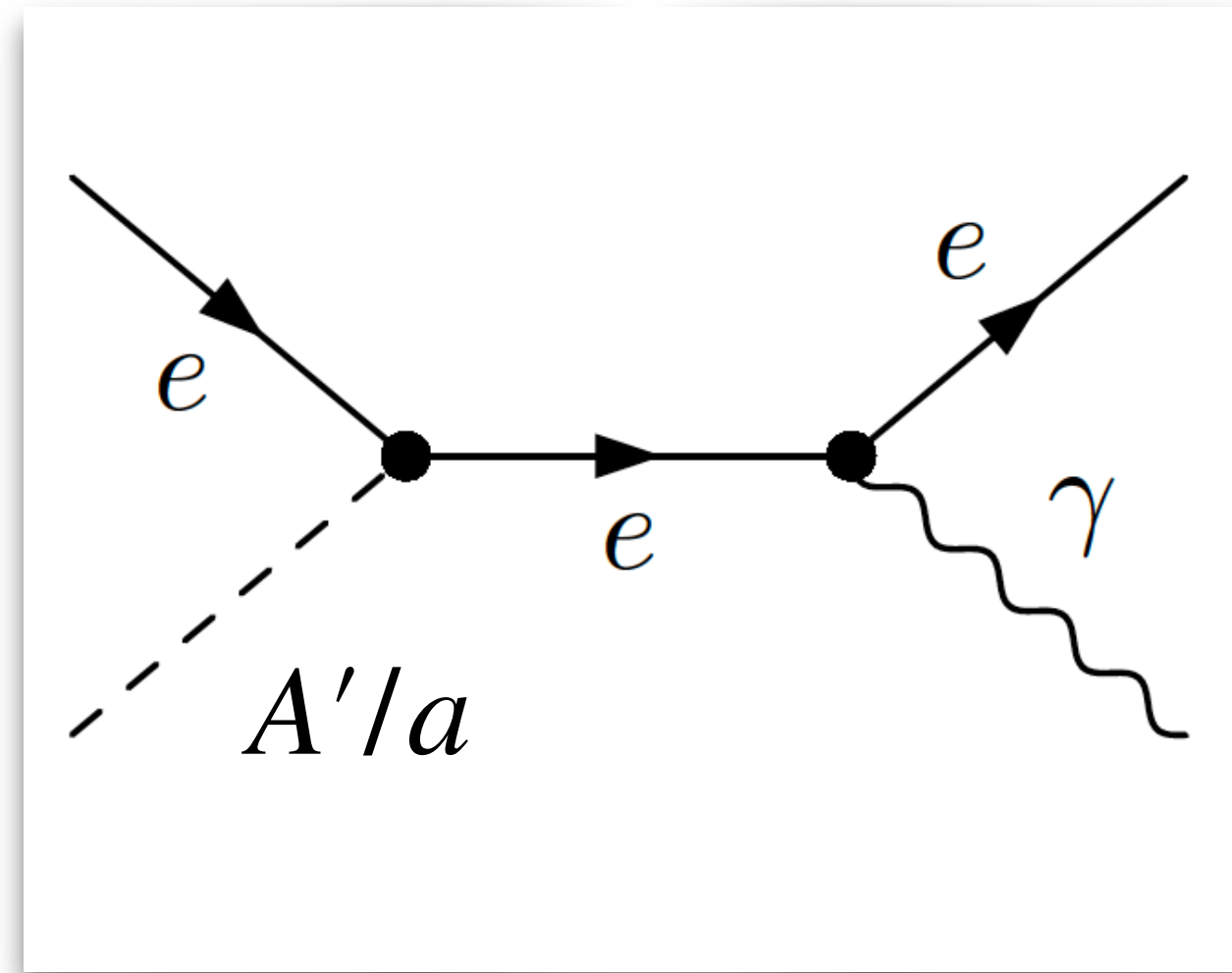


# Dark Compton Scattering

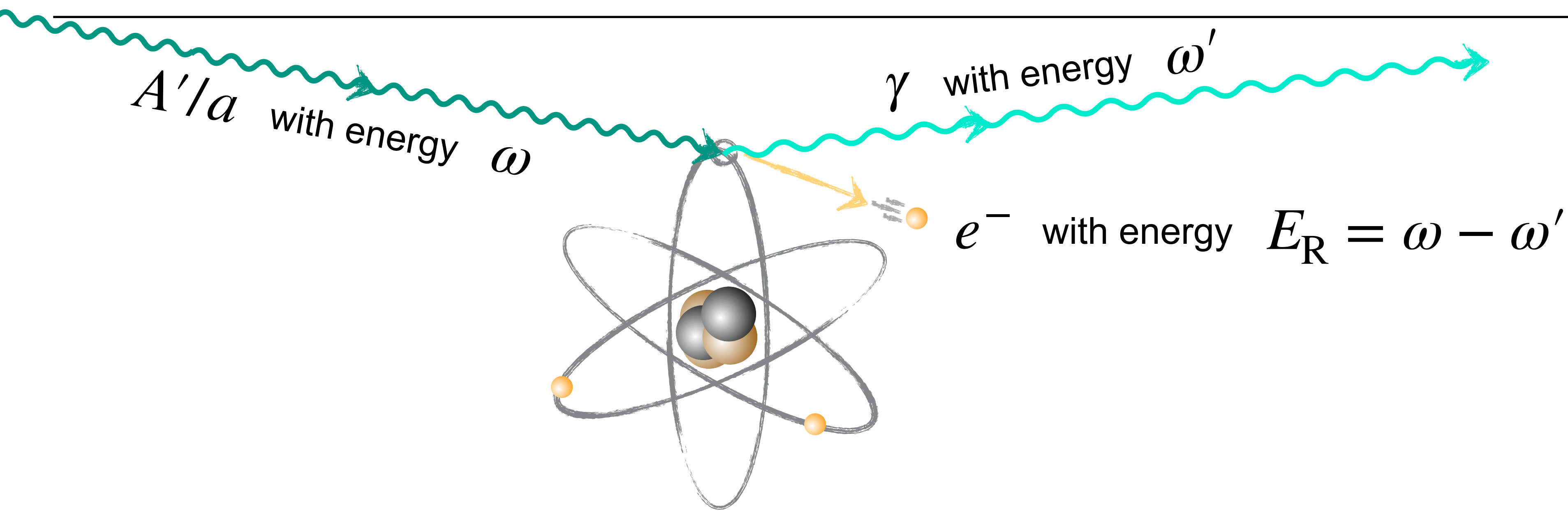


Dark boson is converted to a photon via electron scattering.

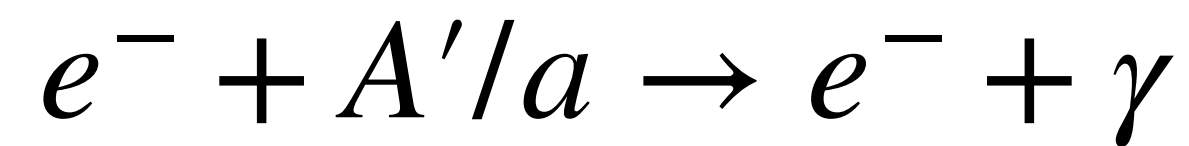
$$e^- + A'/a \rightarrow e^- + \gamma$$



# Dark Compton Scattering: Signal Model



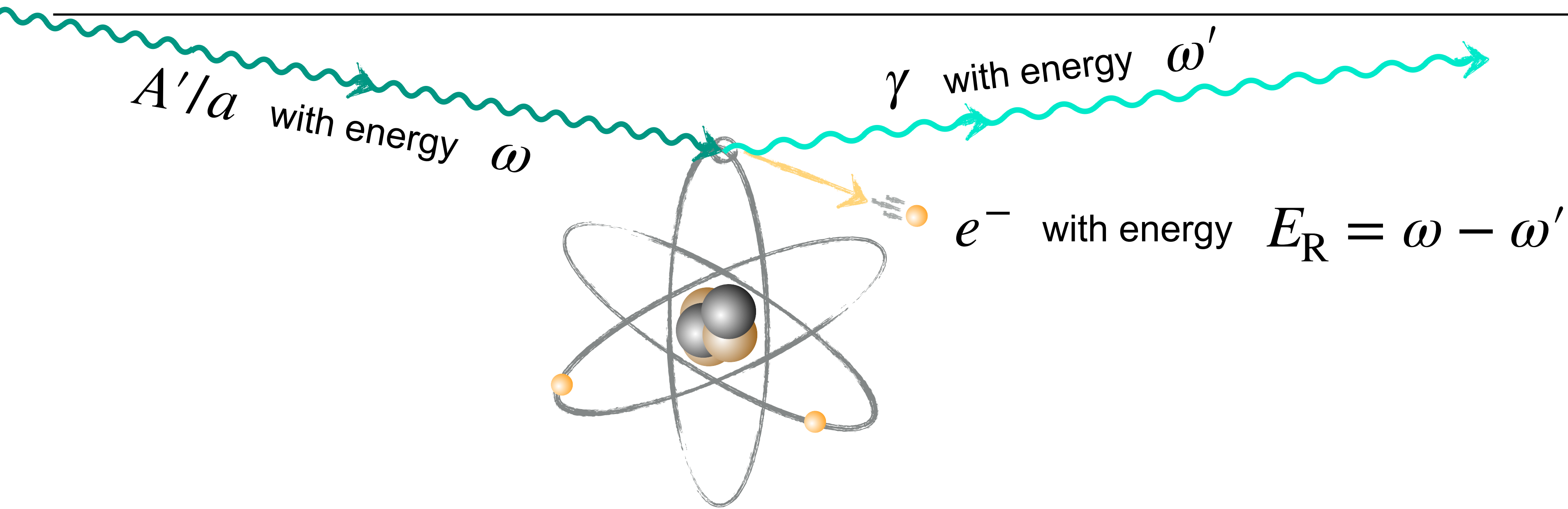
Dark boson is converted to a photon via electron scattering.



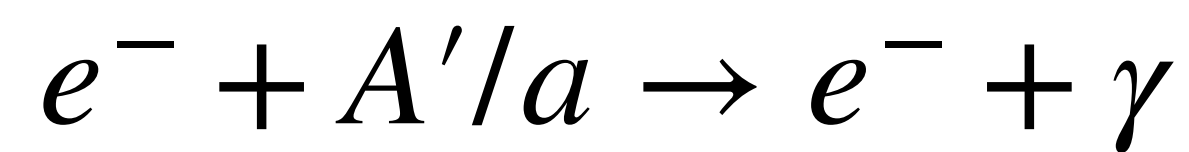
Dark Photons: 
$$R_{\text{Com.}} = \rho_{\text{DM}} \frac{n_e}{\rho_T} \frac{e^4 \epsilon^2}{24\pi} \frac{(m_{A'} + 2m_e)(m_{A'}^2 + 2m_e m_{A'} + 2m_e^2)}{m_e^2 m_{A'} (m_{A'} + m_e)^3}$$

ALPs: 
$$R_{\text{Com.}} = \rho_{\text{DM}} \frac{n_e}{\rho_T} \frac{e^2 g_{aee}^2}{16\pi} \frac{m_a (m_a + 2m_e)^2}{m_e^2 (m_a + m_e)^4}$$

# Dark Compton Scattering: Signal Model



Dark boson is converted to a photon via electron scattering.



$$R_{\text{Com.}} \propto \frac{n_e}{\rho_T} \epsilon^2 / g_{aee}^2$$

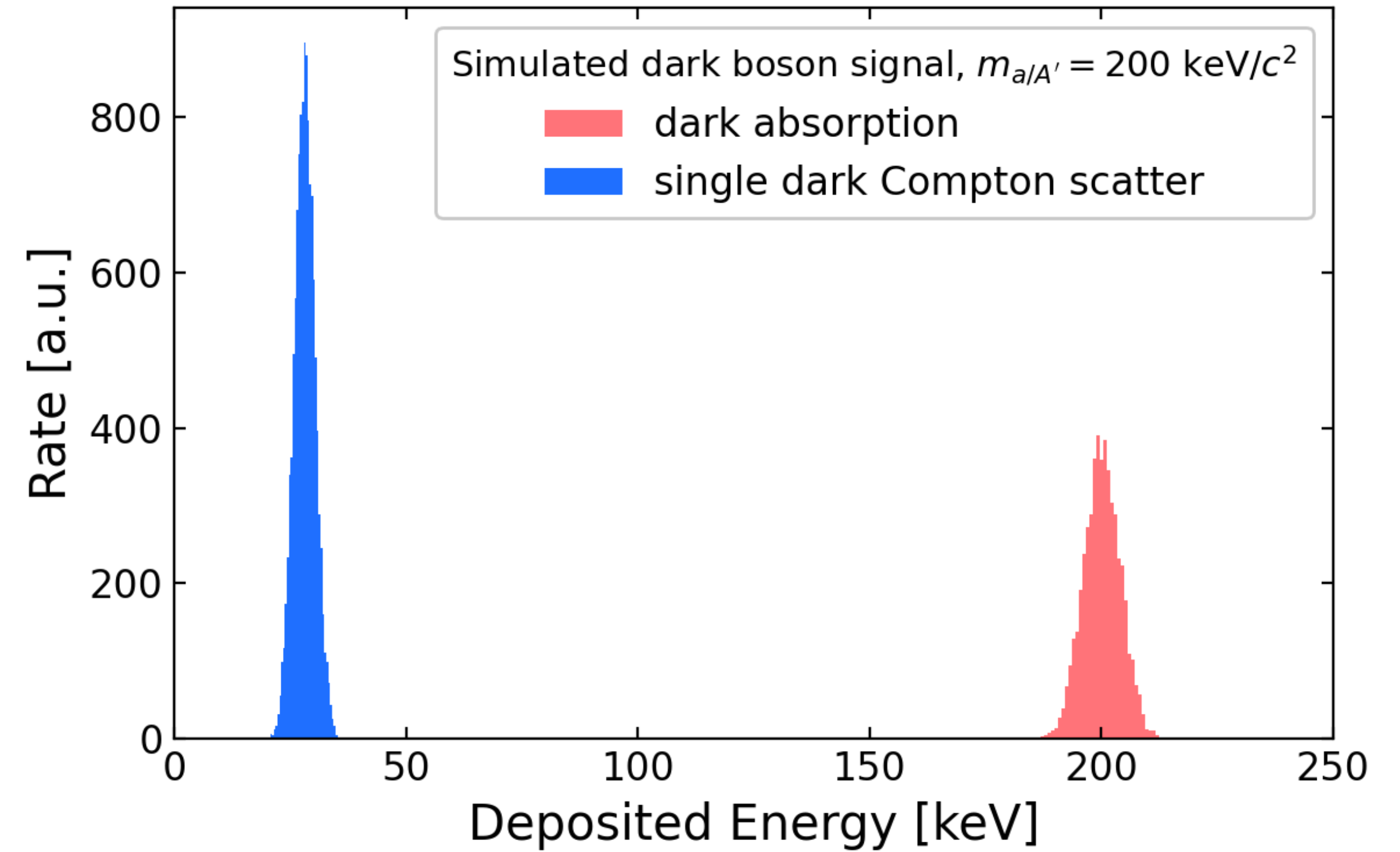
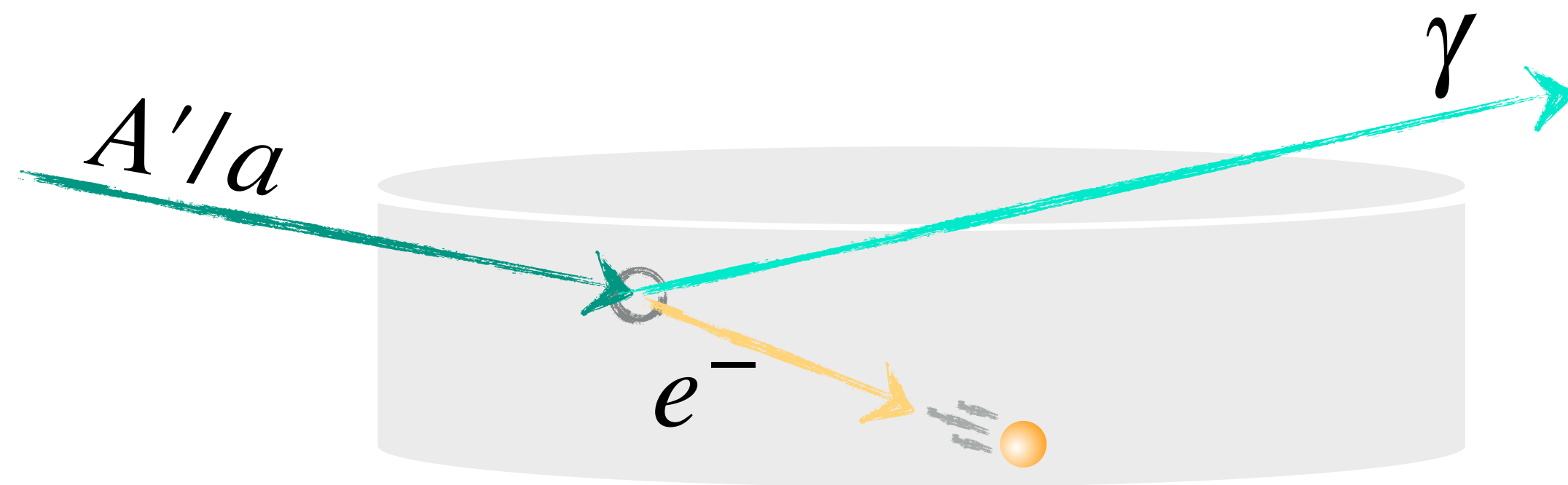
electron density

target density

Reminder:  $R_{\text{Abs.}} \propto \sigma_{\text{p.e.}} \epsilon^2 / g_{aee}^2$



# Dark Compton Scattering: Signal Model



$$E_{R,\text{Com.}} = \omega - \omega' = \frac{m_{a/A'}^2}{2(m_e + m_{a/A'})}$$

$$E_{R,\text{Abs.}} = m_{a/A'}$$

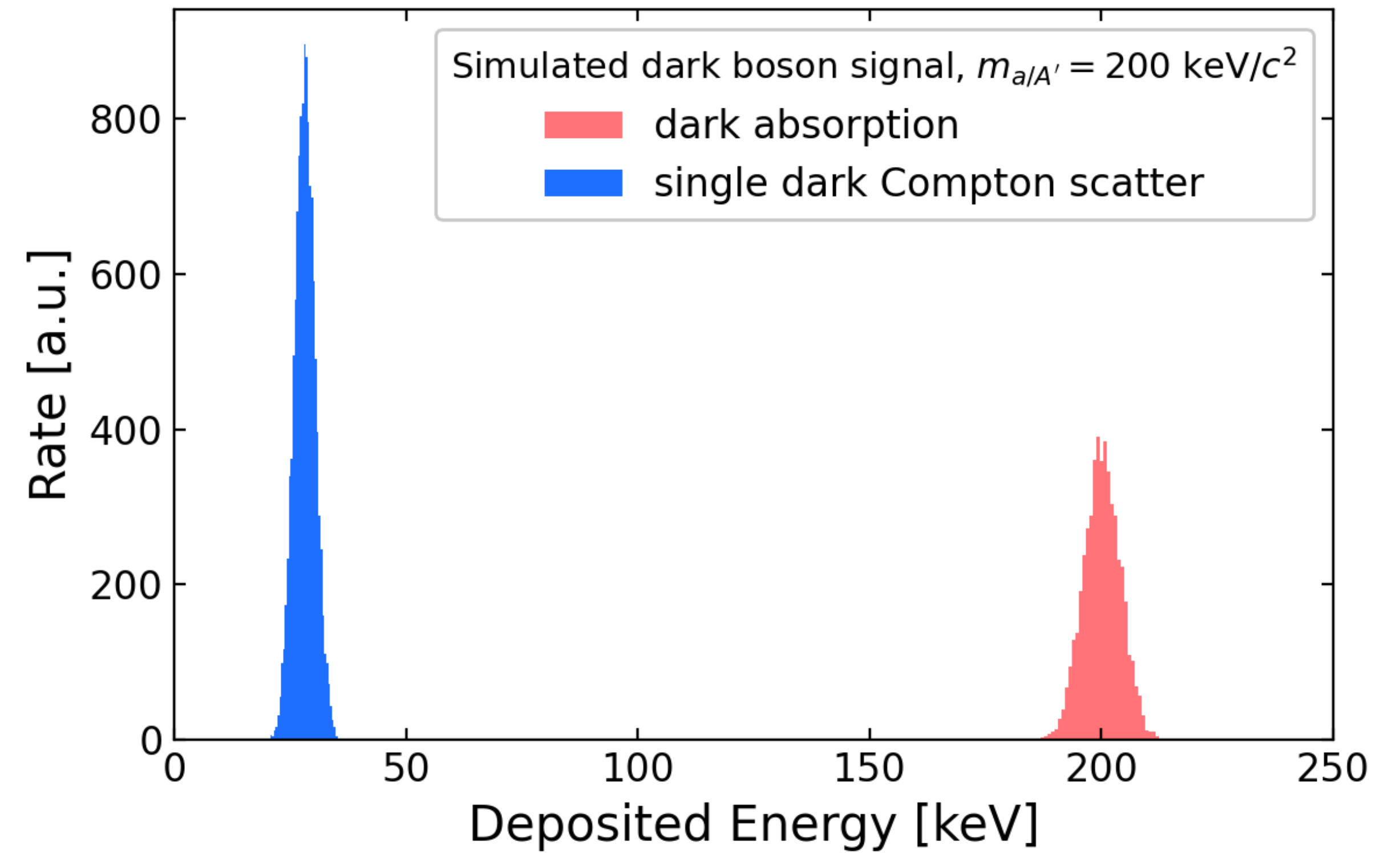
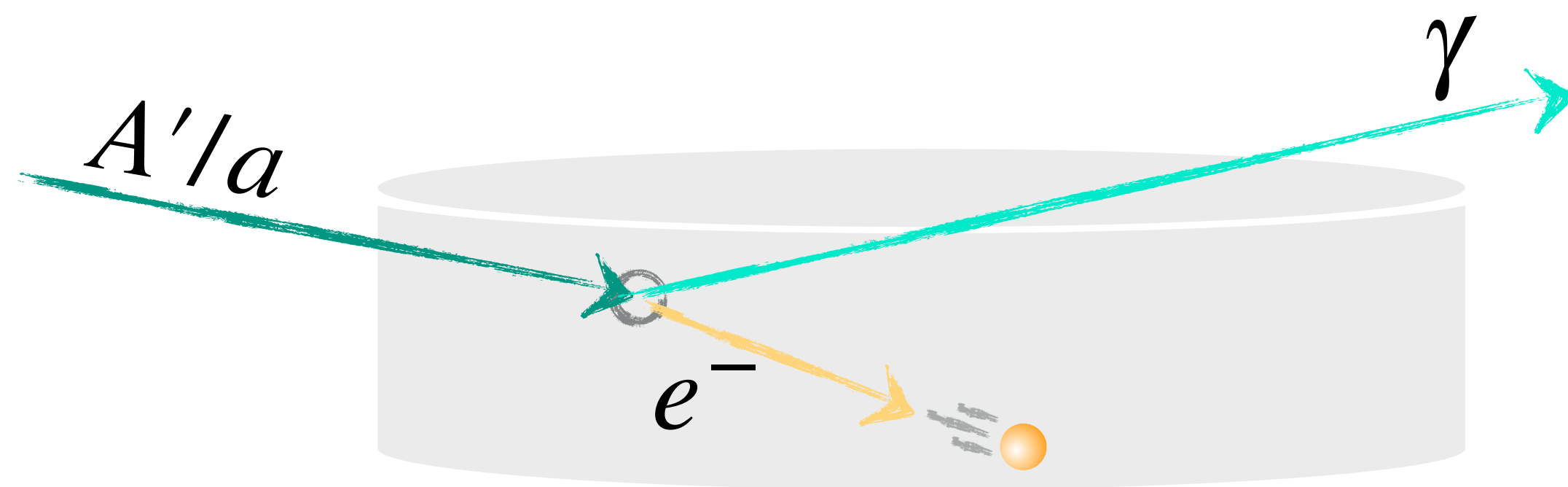


# Dark Compton scattering

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# Detector considerations

# Dark Compton signature

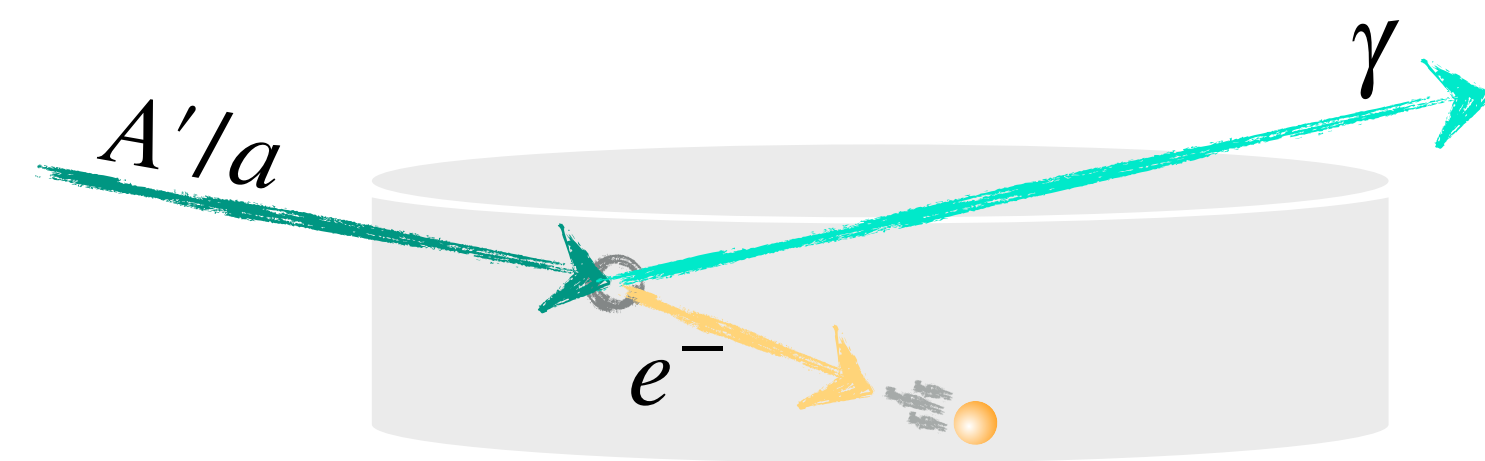


$$E_{R,\text{Com.}} = \omega - \omega' = \frac{m_{a/A'}^2}{2(m_e + m_{a/A'})}$$

$$E_{R,\text{Abs.}} = m_{a/A'}$$

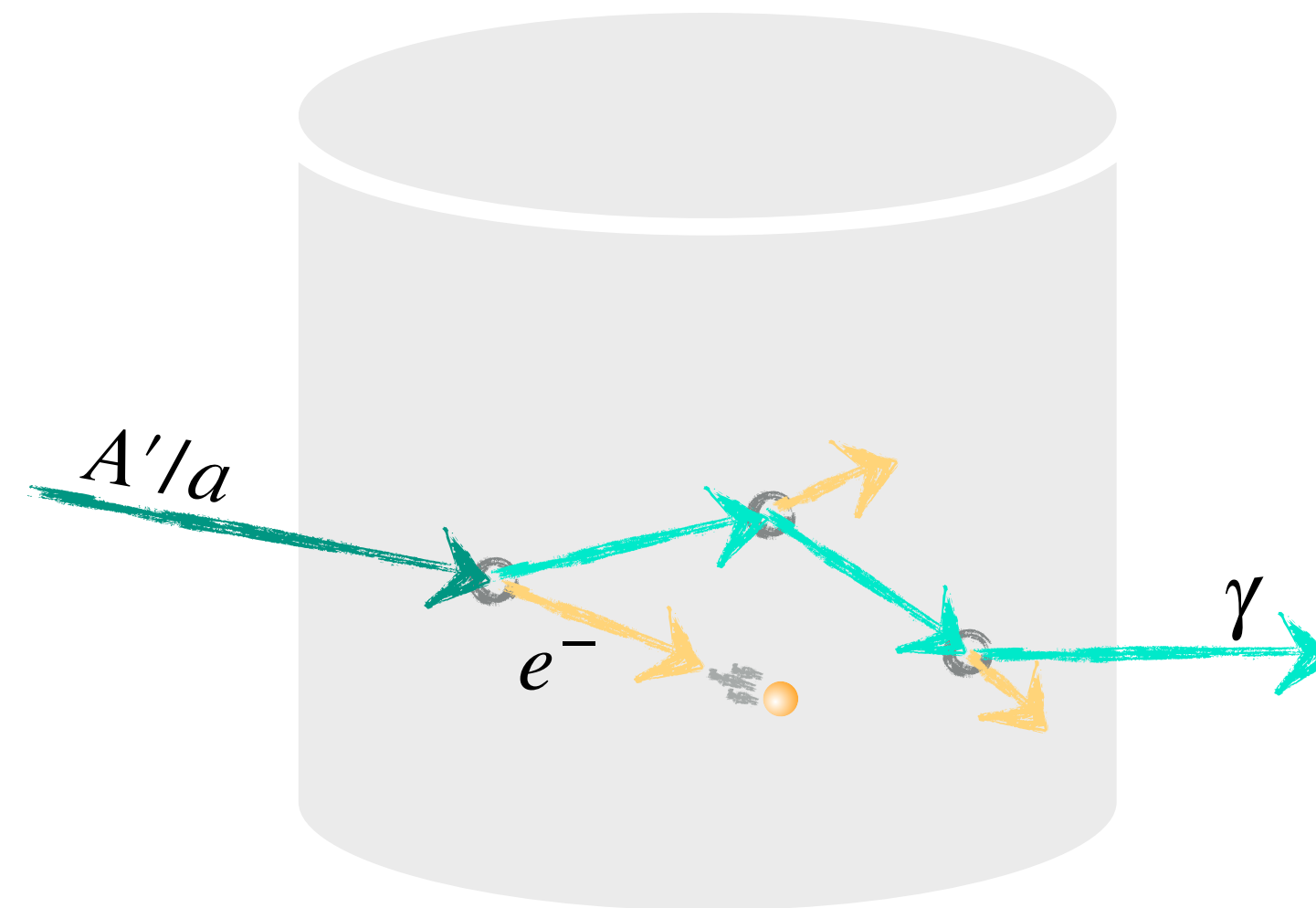
# Detector target size

thin



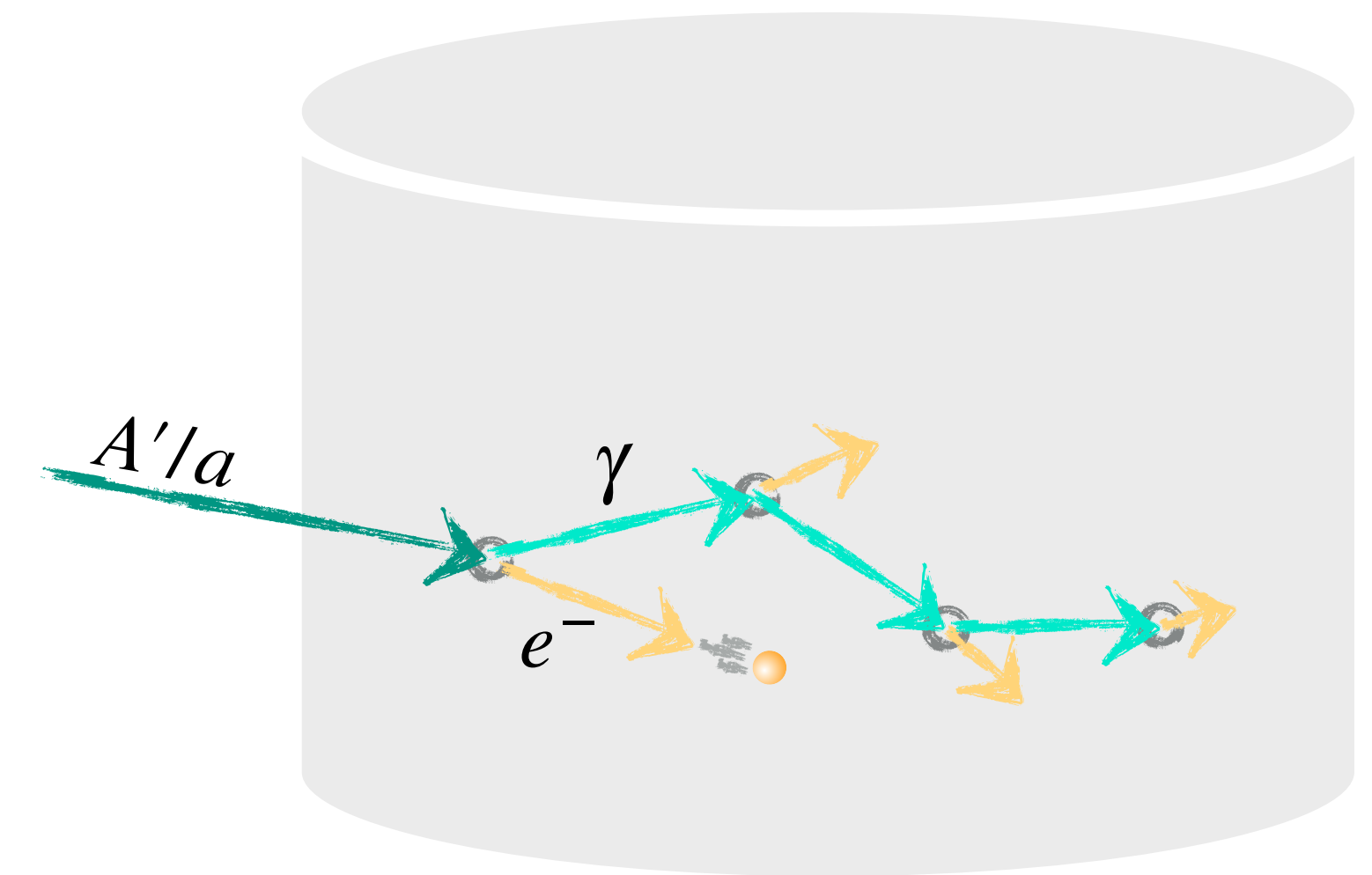
$$E_{R,tot.} = E_{R,Com.}$$

intermediate



$$E_{R,Com.} \leq E_{R,tot.} \leq E_{R,Abs.}$$

thick

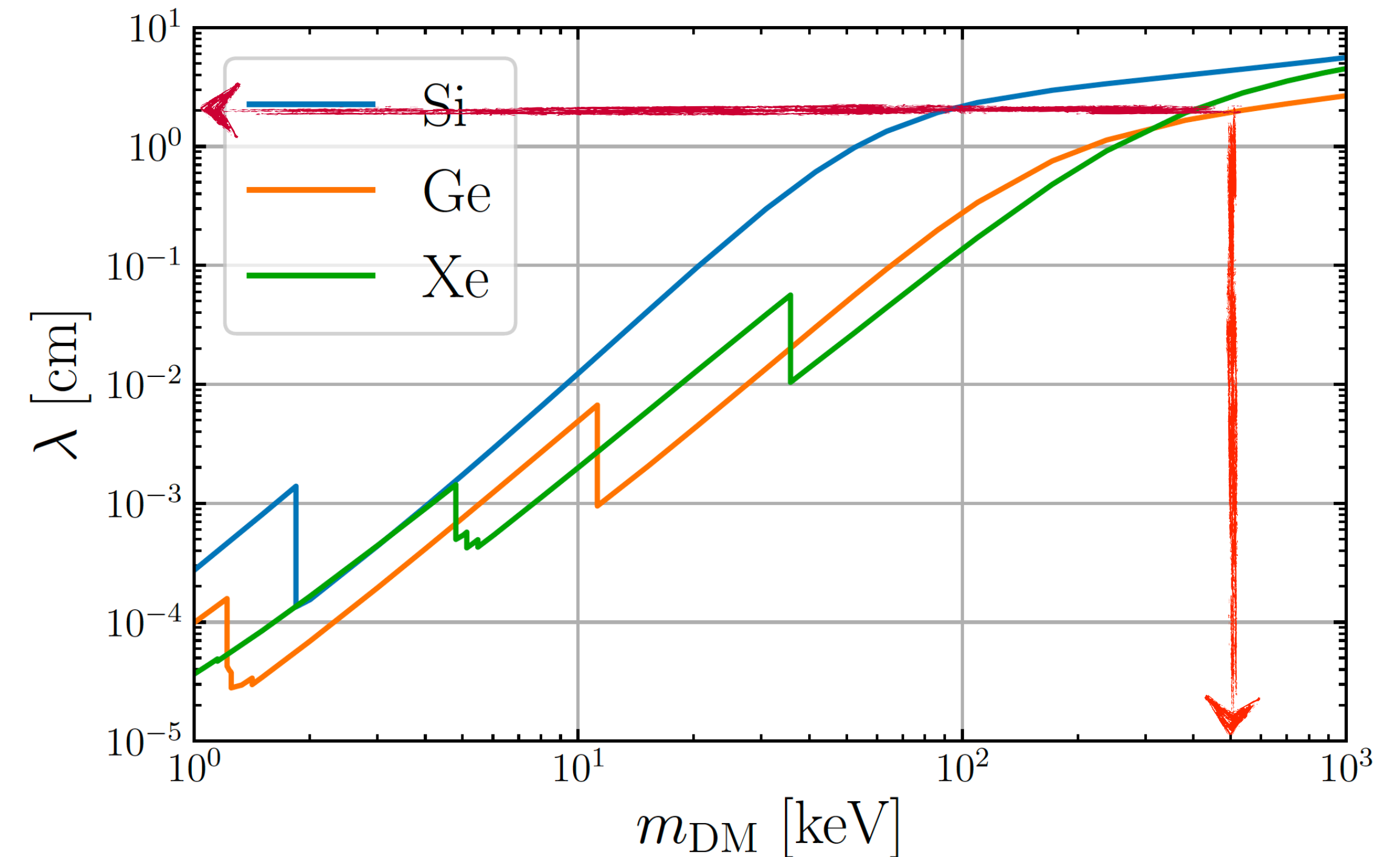


$$E_{R,tot.} = E_{R,Abs.}$$

Compton-peak “walks” towards absorption-peak if outgoing photon further interacts in target.

# Selection of relevant experiments

Experiment	Material	Dimensions [cm]	$\lambda_{\max}$ [cm]	$m_{\text{DM}}$ cutoff [keV]
Past and current experiments				
EDELWEISS III [62]	Ge	H: 4, $\varnothing$ : 7	2.2	500
SuperCDMS Soudan [63]	Ge	H: 2.5, $\varnothing$ : 7.6	2.2	500
GERDA (HPGe) [64]	Ge	H: 7–11, $\varnothing$ : 6–8 <sup>†</sup>	2.6	1000
GERDA (BEGe) [64]	Ge	H: 2.5–5, $\varnothing$ : 6.5–8	2.6	1000
XENON1T [65]	Xe	H: 97, $\varnothing$ : 96	0.88	200
PandaX-4T [66]	Xe	H: 130, $\varnothing$ : 100	4.2	1000
Upcoming experiments				
SuperCDMS SNOLAB [60, 67]	Si	H: 3.3, $\varnothing$ : 10	2.1	100*
SuperCDMS SNOLAB [60, 67]	Ge	H: 3.3, $\varnothing$ : 10	0.3	100*
LZ [68]	Xe	H: 150, $\varnothing$ : 150	0.09	85
DARWIN [69, 70]	Xe	H: 260, $\varnothing$ : 260	4.2	1000

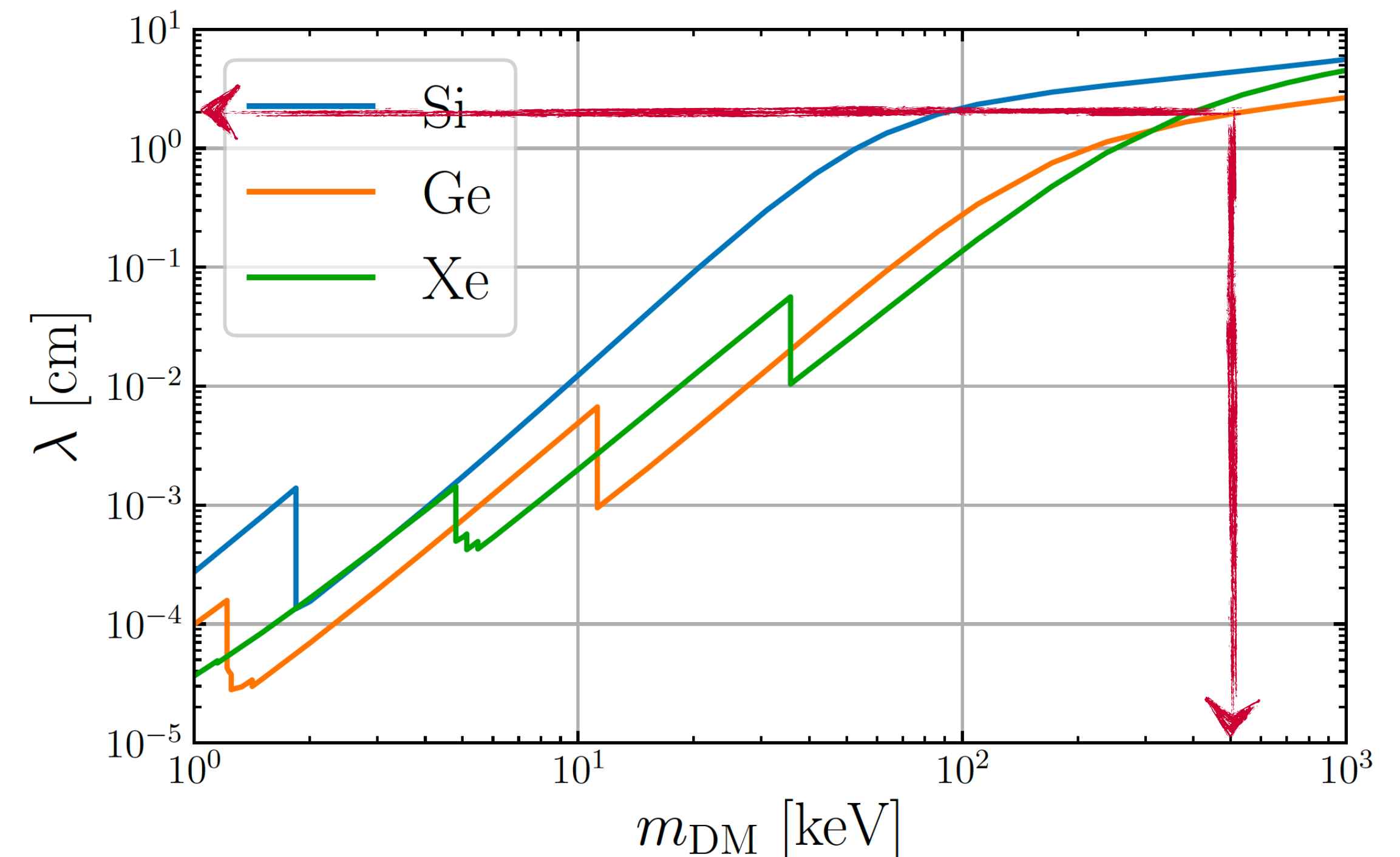


- Thin:  $d \ll \lambda$
- Intermediate:  $d \approx \lambda$
- Thick:  $d \gg \lambda$

$\lambda$ : attenuation length  
 $d$ : diameter / thickness  
of detector

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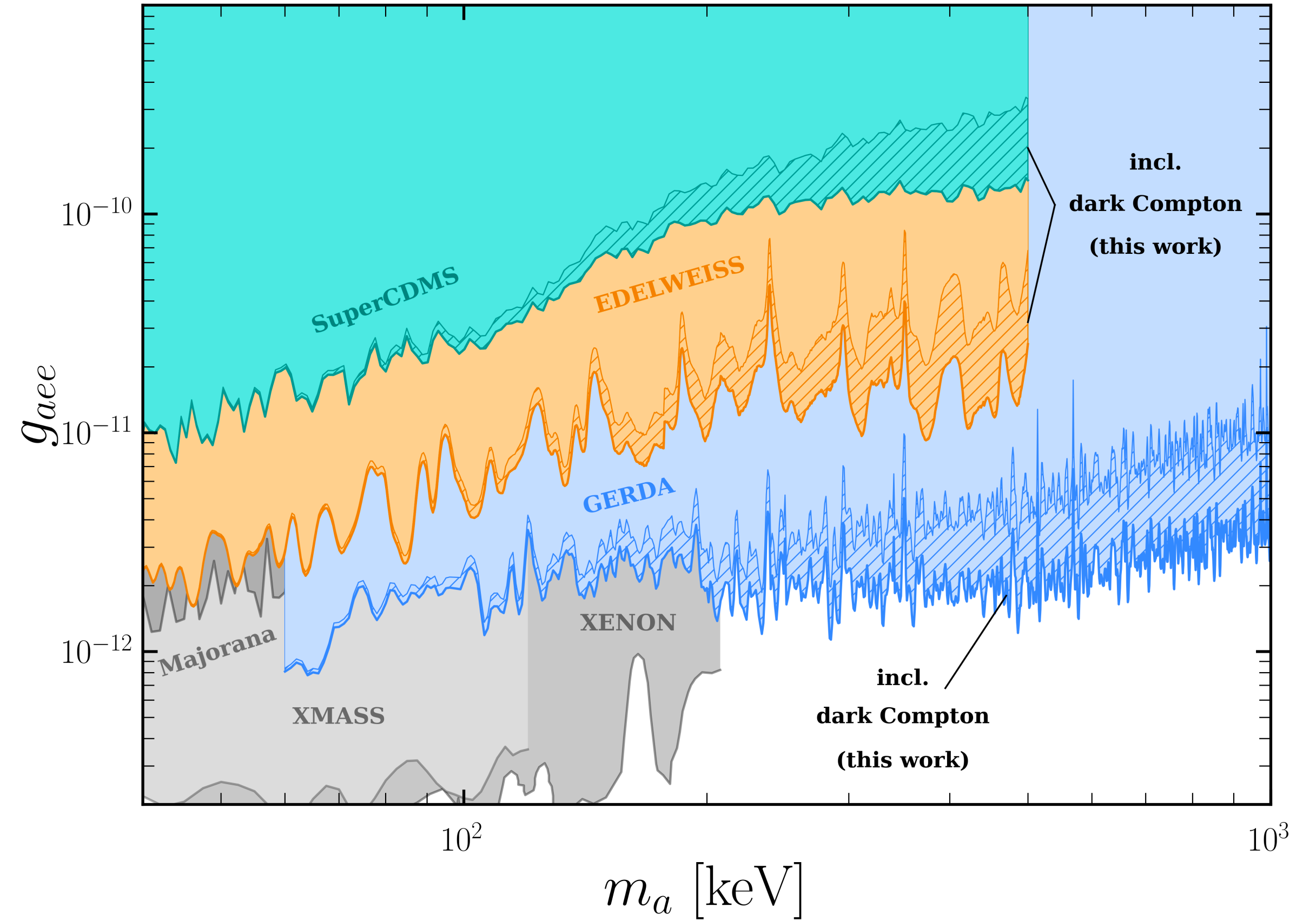
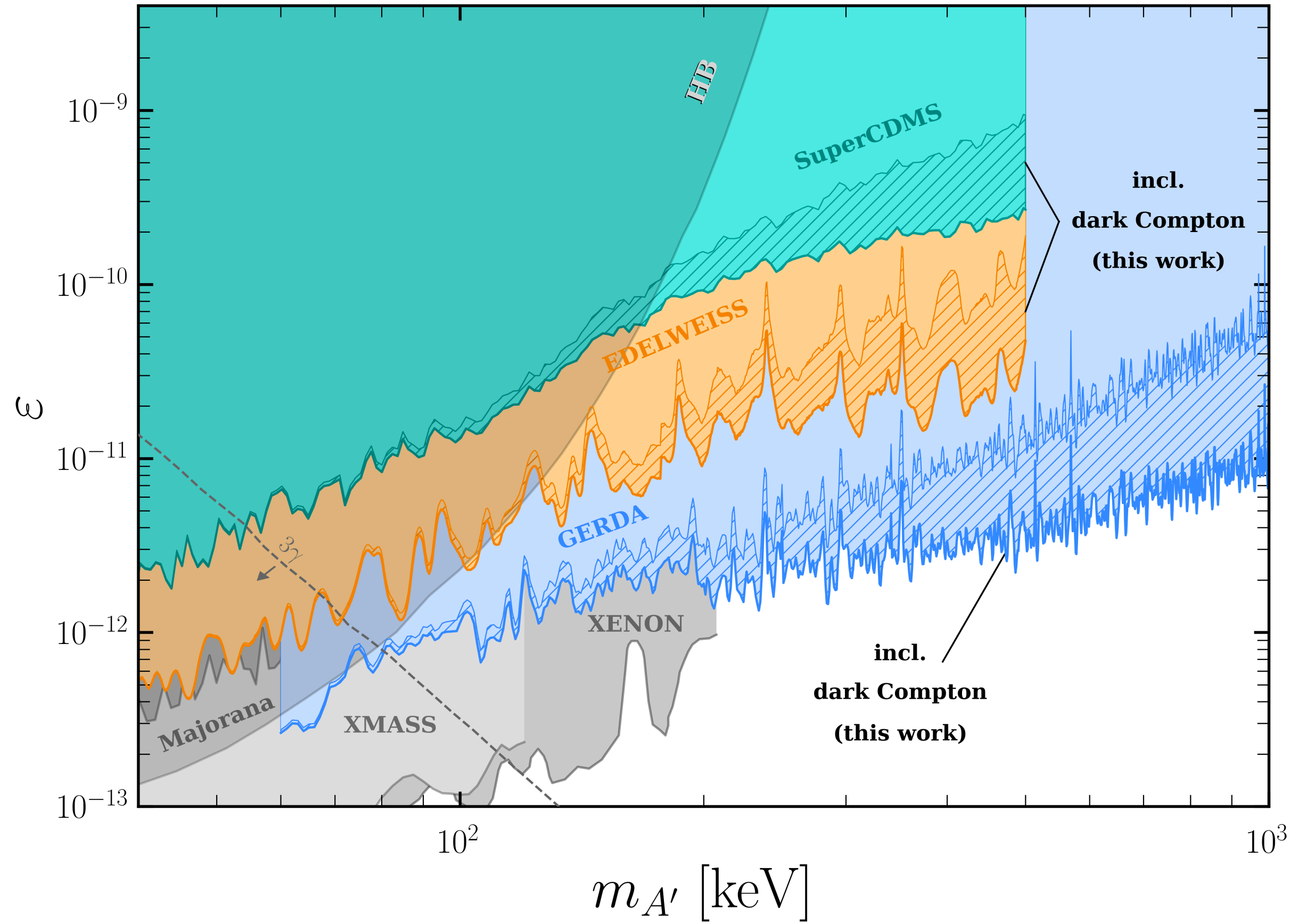


- Thin:  $d \ll \lambda$
- Intermediate:  $d \approx \lambda$  → typical Ge detectors
- Thick:  $d \gg \lambda$  → typical Xe detectors

$\lambda$ : attenuation length  
 $d$ : diameter / thickness  
of detector



# Dark Compton Scattering



New parameter space accessible with existing data!

# Take-home messages

- Understanding the nature of DM is one of the biggest challenges in science today.
- Today's direct DM experiments can probe a sensationally wide range of DM masses.
- Advances in direct DM will allow to notably expand the accessible parameter space.
- **This is an extremely variate and rich field (experiment and theory) that welcomes the next generation of creative minds!**

