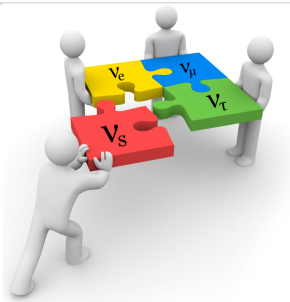


Search for eV sterile neutrino with the KATRIN experiment

ISAPP 24, Bad Liebenzell

Shailaja Mohanty (shailaja.mohanty@kit.edu) for the KATRIN collaboration

Institute for Astroparticle Physics | September 26, 2024



Non-standard or Sterile Neutrino

Sterile neutrino = SM neutral singlet fermion

- Existence could be revealed through effects of mass and mixing with active neutrinos (neutrino oscillations, β -decay, $0\nu\beta\beta$ -decay)

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DM exists \implies uncharged particles under SM gauge group
 \implies singlet fermions

- Singlet fermions naturally appear in the dark sector
- Members of dark sector could mix with active neutrinos via neutrino portal coupling
- Sterile neutrinos can live at any mass scale: GeV..., keV..., eV...

Lecture by J.Kopp

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■ *Experimental hints for eV scale :*

- *Appearance* LSND (3σ) and MiniBooNE (4.8σ) excess observations
 Explained by $(\nu_\mu \rightarrow \nu_s \rightarrow \nu_e)$
- *Disappearance* SAGE and GALLEX: Gallium anomaly (2.9σ deficit)
 Explained by $\nu_e \rightarrow \nu_s$
- The Gallium anomaly reaffirmed by BEST experiment

Lecture by T.Lasserre

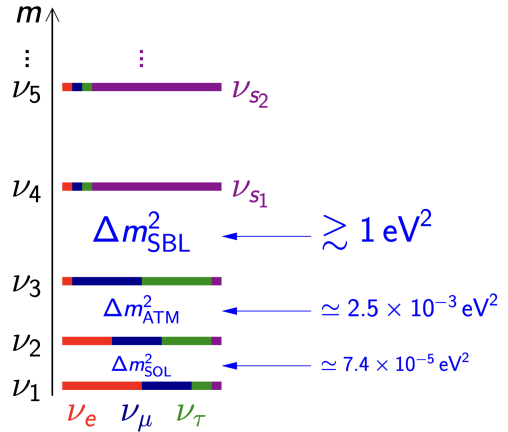
Interpretation



- SBL anomalies could be explained by an additional neutrino flavor (ν_s)
- There must be at least one additional mass squared difference,

$3\nu + 1$ framework

 $\Delta m_{SBL}^2 \approx (1 - 2) \text{ eV}^2$
- Allowed by solar, atmospheric and long baseline experiments, achieved with $|U_{e4}|^2 \ll 1$



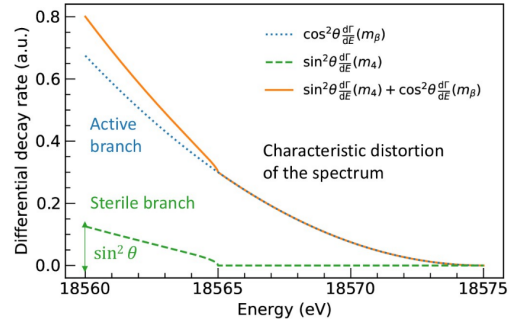
Single β -decay

■ Differential decay rate:

$$\begin{aligned}
 R_\beta(E, m_\nu^2, m_4^2, |U_{e4}|^2) &= \underbrace{(1 - |U_{e4}|^2) \cdot R_\beta(E, m_\nu^2)}_{\text{Active branch}} + \underbrace{|U_{e4}|^2 \cdot R_\beta(E, m_4^2)}_{\text{Sterile branch}} \\
 &= \cos^2 \theta \cdot R_\beta(E, m_\nu^2) + \sin^2 \theta \cdot R_\beta(E, m_4^2)
 \end{aligned}$$

■ Sterile neutrino branch leads to a kink at $E_0 - m_4$

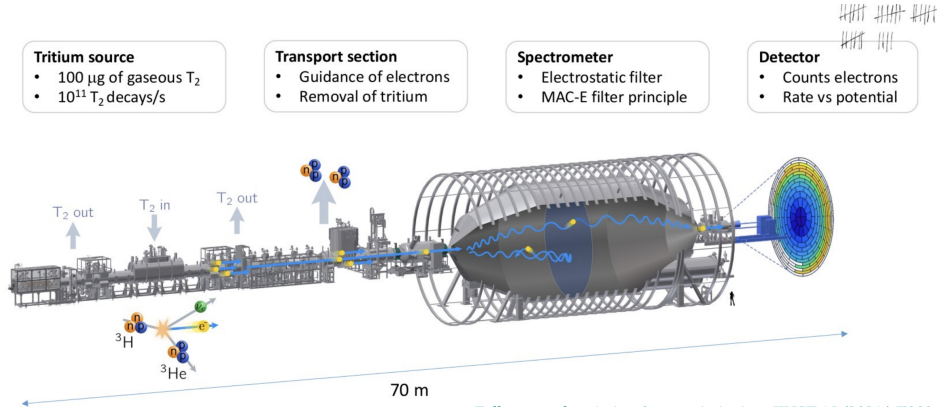
$$m_\nu^2 = \sum_{k=1}^3 |U_{ek}|^2 m_k^2 \xrightarrow{3+1} \sum_{k=1}^3 \frac{|U_{ek}|^2}{1 - |U_{e4}|^2} m_k^2$$



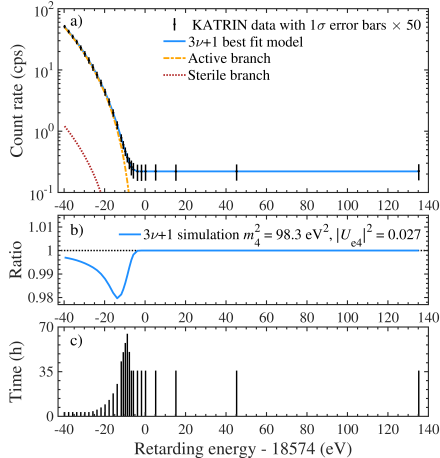
KATRIN Experiment

- Kinematics-based neutrino mass experiment
(expected sensitivity is better than 0.3 eV (90% CL) with 1000 days of measurement time)
- **Current result:** $m_\beta < 0.45$ eV (90%) CL, from 259 days of data only
e-Print: 2406.13516 [nucl-ex]

Lecture by C.Weisinger



Sterile Signal in β -decay Spectrum



- Measured integral spectrum $N_{\text{exp}}(qU)$ is fitted to the **model** $N_{\text{model}}(qU, \Theta)$:

$$N_{\text{model}}(qU, \Theta) = A \cdot \int R_{\beta}(E, \Theta) \cdot f(E, qU) + Bg$$

- 6 model parameters:
 - A - Signal amplitude
 - E_0 - effective endpoint energy
 - m^2 - effective mass of electron anti-neutrino
 - Bg - Background rate
 - m_4^2 - sterile neutrino mass
 - $|U_{e4}|^2$ - sterile neutrino mixing

Dataset and Bias-free Analysis

■ Data Combination Approach:

- Summed β -spectrum counts at identical set points.
- Combined spectra from different detector pixels.

■ Modeling and Likelihood:

- Maximum-likelihood fit with Gaussian/Poisson likelihoods.
- Minimize $\chi^2 = -2 \log(\mathcal{L})$ with respect to nuisance parameters ($\Theta = (m_\nu^2, E_0, A, B, \dots)$).

■ Systematic Uncertainties:

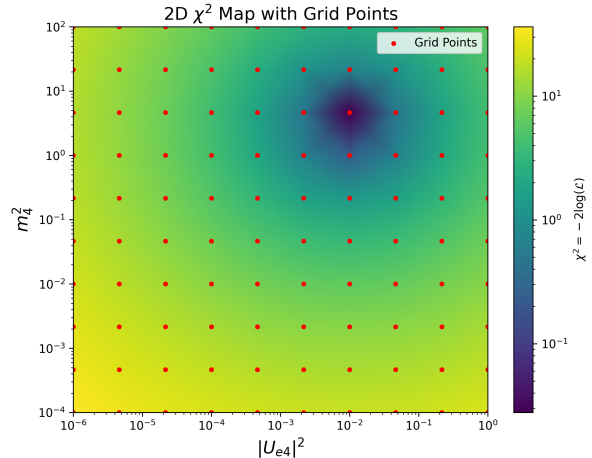
- Pull terms in likelihood for experimental parameters.
- Calibration measurements for external estimates.

■ Unblinding Procedure

- Code validation on Monte Carlo twins.
- Tritium spectrum, response model, systematics treatment and budget (pull term approach) same as active neutrino mass analysis.
- **Two Independent Analysis Teams with Independent Codes:**
 - KaFit (exact model evaluation).
 - Netrium (uses neural nets for swift model interpolation).

Analysis Method

- Extend β - spectrum model from 3 active to 3+1 (active + sterile) framework
- **Grid Scan:** 50×50 $[\log(|U_{e4}|^2), \log(m_4^2)]$ plane
- Contours are drawn at $\Delta\chi^2 = \chi^2 - \chi_{BF}^2 = 5.99$ (95% CL, 2 dof)
- Energy range: $[E_0 - 40, E_0 + 135]$ eV
- Sensitive to $m_4^2 \leq 1600$ eV² and $|U_{e4}|^2 \leq 0.5$
- Two complementing analyses
 - **Case-I - Fixed neutrino mass:**
 $m_{\nu}^2 = 0$ ($m_{1,2,3} \ll m_4$)
 - **Case-II - Free neutrino mass:**
 m_{ν}^2 as nuisance parameter



Results from First Two Science Runs

- 5.24×10^6 electrons for 40 eV below E_0 ,
1265 hours of data

Best fit:

- $m_4^2 = 59.9 \text{ eV}^2$, $|U_{e4}|^2 = 0.011$,
 $m_\nu^2 = 0.0 \text{ eV}^2$
- $\Delta\chi_{null}^2 = 0.66$

- Active neutrino mass set free

Best fit:

- $m_4^2 = 87.4 \text{ eV}^2$, $|U_{e4}|^2 = 0.019$,
 $m_\nu^2 = 0.57 \text{ eV}^2$
- $\Delta\chi_{null}^2 = 1.69$

- Signal-to-background ratio of up to 235

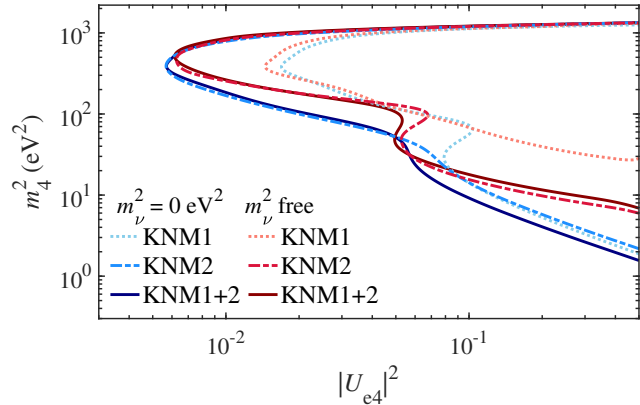
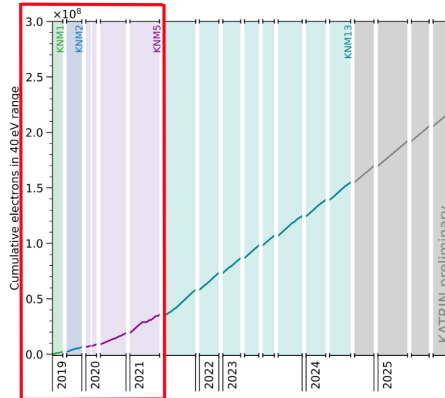


Figure: *Phys. Rev. D* 105 (7 2022)

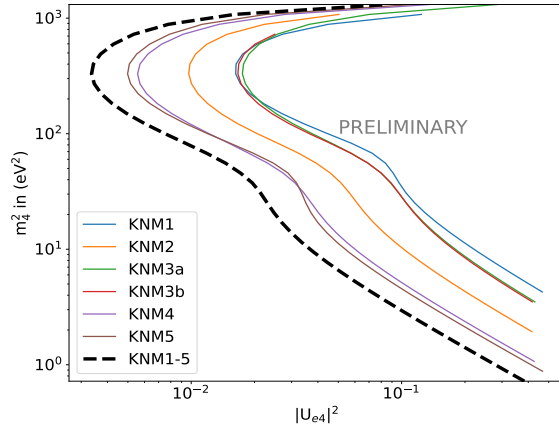
Data Collection Status

- KNM1 to KNM5: 20 % of expected KATRIN data
- Significant experimental development: Shifted Analyzing Plane (SAP) background reduction method
Lokhov et al., EPJ C 82 (2022) 3, 258



Sensitivity Projection From Five Science Runs

- **Case-I:** $m_\nu^2 = 0 \text{ eV}^2$
 - 40 eV fit range, $|U_{e4}|^2 \in [0, 0.5]$
 - Stat. only + all systematics 95% CL
 - Gain in overall sensitivity with increased statistics
- S. Mohanty, PoS EPS- HEP2023 (2024)*



Campaign	KNM1	KNM2	KNM3a	KNM3b	KNM4	KNM5	KNM1-5
No. of signal electrons ($\times 10^6$)	2.0	4.3	1.1	1.4	10.2	16.8	35.8

Impact of Systematics

- Calculating 68% CL uncertainty on $|U_{e4}|^2$: $\sigma_{syst} = \sqrt{\sigma_{Stat+Syst}^2 - \sigma_{Stat}^2}$
- Statistically dominated uncertainties
- Largest systematic contribution: Penning Bg (low m_4^2), Column Density (high m_4^2)

Raster contours for KNM-1-2-3-4-5 - Case(I) ($m_\nu^2 = 0 \text{ eV}^2$) at 68% C.L. (1 DOF)



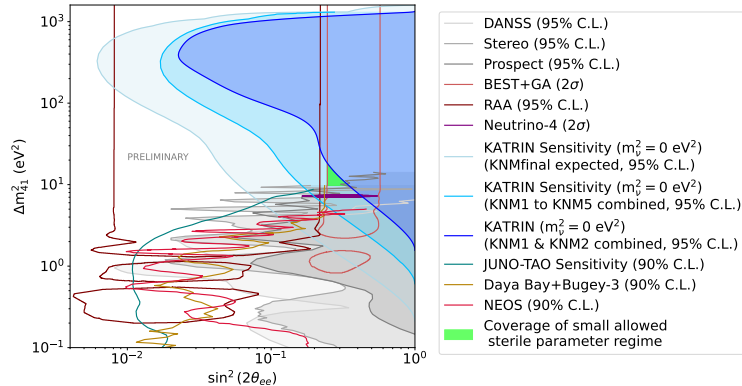
Comparison to Other Experimental Results

- Translation of parameters:

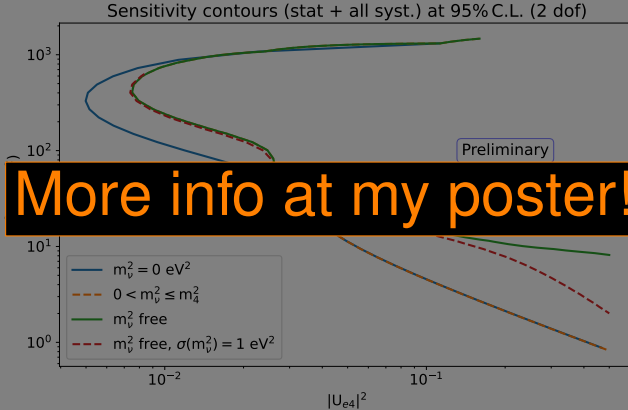
$$\sin^2(2\theta) = 4|U_{e4}|^2(1 - |U_{e4}|^2)$$

- Large Δm_{41}^2 solutions of RAA and BEST+GA anomalies excluded
- Current KATRIN data extends exclusion bounds from SBL oscillation experiments for $\Delta m_{41}^2 \geq 10 \text{ eV}^2$
- Probing large parameter space for light sterile neutrino anomalies

Analysis has been applied to the real data and results to be released soon!



Impact of active neutrino on sterile neutrino search



Summary

- New physics beyond the SM can include sterile neutrinos at all mass scales
- KATRIN uniquely addresses SBL anomalies via spectral shape analysis
- Results from first two science runs (KNM1 + KNM2):
 - No significant sterile-neutrino signal observed
 - Improved exclusion limits w.r.t. complementary experiments

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Outlook:

- Analysis on data for first five science runs ongoing
- Stay tuned for upcoming release!

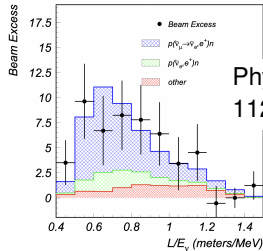


Thank You

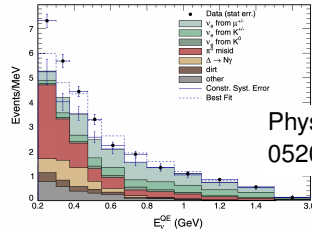
Backups

Experimental hints

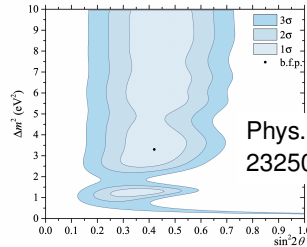
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Phys. Rev. D, Vol. 64,
112007 (2001)



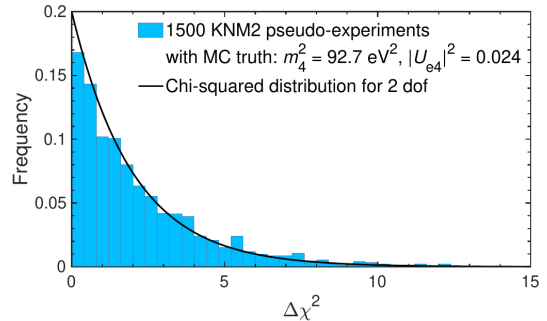
Phys. Rev. D 103,
052002 (2021)



Phys. Rev. Lett. 128,
232501 (2022)

Testing applicability of Wilks' Theorem

- Generate $\mathcal{O}(10^3)$ twins with statistical fluctuations for particular choice of MC truth
- Perform fitting for sterile parameter values on a grid and for MC truth for each sample ($m_\nu^2 = 0$)
- Evaluate $\Delta\chi^2 = \chi_{\text{MC truth}}^2 - \chi_{\text{best fit}}^2$ for each sample
- Compare distribution of $\Delta\chi^2$ values to χ^2 -distribution with 2 dof



(c) KNM2, MC truth: $m_4^2 = 92.7 \text{ eV}^2$ and $|U_{e4}|^2 = 0.024$