

## I.FAST Workshop 2024 Bunch-by-bunch feedback systems and related beam dynamics



## Transverse collective effects simulation with bunch-by-bunch feedback system

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## SOLEIL (measurements)

## SOLEIL II (simulations)

Operation mode	Current threshold (w/o FB)	Operation mode	Current threshold (w/o FB)
Uniform, 500 mA	350 mA (TCBI*)	Uniform, 500 mA	~ 30 mA (TCBI/BII)
Hybrid, 450 mA	350 mA (TCBI*)	32-bunch, 200 mA	~ 90 mA (head-tail)
8-bunch, 100 mA	7 mA / bunch (head-tail)	Uniform+HC, 500 mA	>500 mA
Single-bunch, 20 mA	7 mA / bunch (head-tail)	32-bunch+HC, 200 mA	~ 90 mA (head-tail)

In the past combination of TCBI and BII was limiting the current  
 TCBI – Transverse coupled-bunch instability (due to resistive wall impedance)  
 BII – Beam-ion instability (due to residual gas ionisation)

- Design beam currents only reached with FB
- FB should be able to deal with all instabilities (TCBI, BII, head-tail)
- Another way would be to increase chromaticity
- Additionally, for uniform mode, BII can limit the current
- For other FB application at SOLEIL see talk by A. Gamelin

- Large parameter space to scan!
  - Chromaticities
  - Impedance models
  - Feedback parameters
  - Beam current
  - ID open/close
  - And many more



# Feedback: simulation point of view

UPGRADE

Semianalytical

Particle tracking

Experiment



- Many approximations
- Understanding of underlying processes
- Very fast
- Large parameter scans
- **Transverse feedback models:**
  - o Ideal damper
  - o Karliner-Popov model

- Complex models
- Resource-demanding
- Time-demanding (hours-weeks)
- Large parameter scans difficult or impossible
- **Transverse feedback models:**
  - o Ideal/exponential damper
  - o FIR filter

- Actual reality
- Sometimes very difficult to relate to physics...

Faster models

More complex models



One tries to solve Sacherer's integral equation

$$\begin{aligned}
 (\Omega - Q_{y0}\omega_0 - l\omega_s)R_l(\tau) = & -\kappa g_0(\tau) \sum_{l'=-\infty}^{+\infty} j^{l'-l} \\
 & \cdot \int_0^{+\infty} \tau' R_{l'}(\tau') \left[ \mu J_l(-\omega_\xi \tau) J_{l'}(-\omega_\xi \tau') \right] d\tau' \\
 & + \sum_{p=-\infty}^{+\infty} Z_y(\omega_p) J_l((\omega_\xi - \omega_p)\tau) J_{l'}((\omega_\xi - \omega_p)\tau') \Big],
 \end{aligned}$$

Reduces to a "simple" eigenvalue problem

$$\begin{aligned}
 M_{ln,l'n'} = & \frac{-j^{l'-l} n! \kappa \tau_b^{|l|-|l'|}}{2^{|l|} (n+|l|)!} \left[ \mu G_{ln}(-\omega_\xi, a) I_{l'n'}(-\omega_\xi, a) \right. \\
 & \left. + \sum_{p=-\infty}^{+\infty} Z_y(\omega_p) G_{ln}(\omega_p - \omega_\xi) I_{l'n'}(\omega_p - \omega_\xi, a) \right], \quad (21)
 \end{aligned}$$

<https://e-publishing.cern.ch/index.php/CYRCP/article/view/757/563>

Here typically an ideal damper is assumed

- Improvement on ideal damper is Karliner-Popov formalism
- Feedback is represented by an "impedance"
- Another improvement would be inclusion of rad. effects

$$\begin{aligned}
 Z_F(s - jm\omega_0) & \\
 & = \frac{Z_0 \cdot V'(0)}{a} \cdot K(s - jm\omega_0) \cdot e^{-j\frac{mL_0}{R}} \cdot e^{-(s-jm\omega_0)\tau} \\
 & \cdot \frac{(1 - \exp[-(\gamma_m - j\frac{m}{R})L_1]) \cdot (1 - \exp[-(\gamma_m - j\frac{m}{R})L_2])}{\gamma_m - jm/R}.
 \end{aligned}$$

10.1016/j.nima.2004.08.068

The dream: the equations actually work and we don't need to simulate every possible parameter

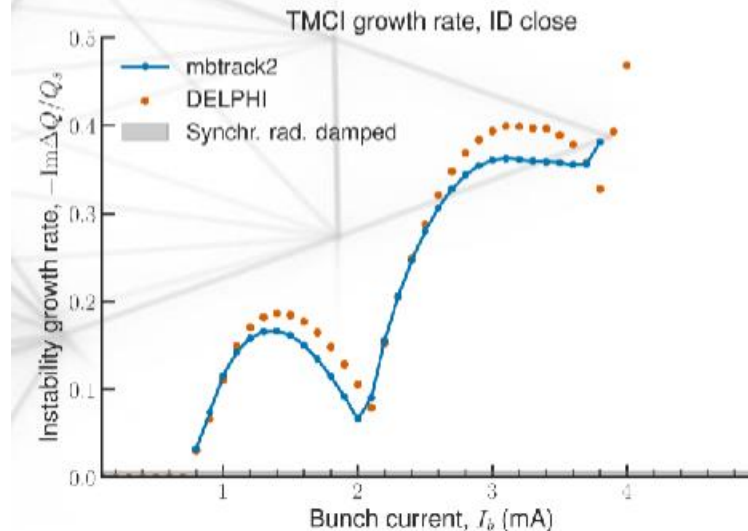
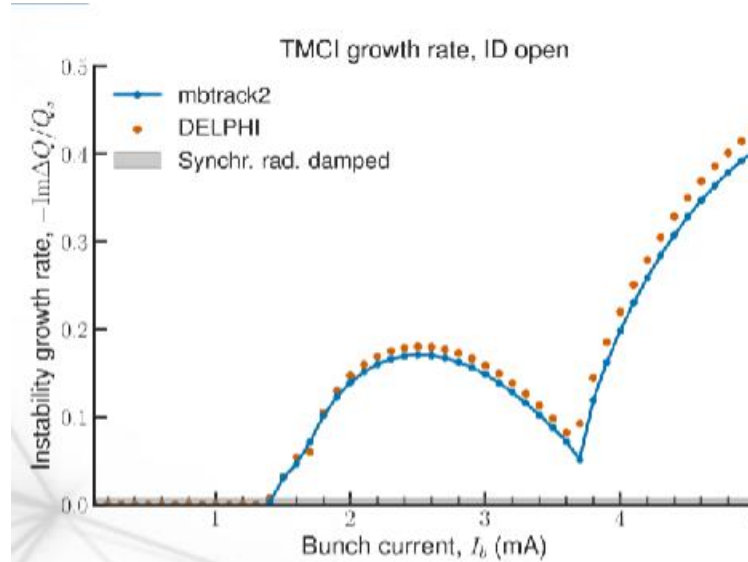
Reality:

- Initial scans with these simplified models
- Tracking
- Confirmed with the new machine operation
- Understand why results differ

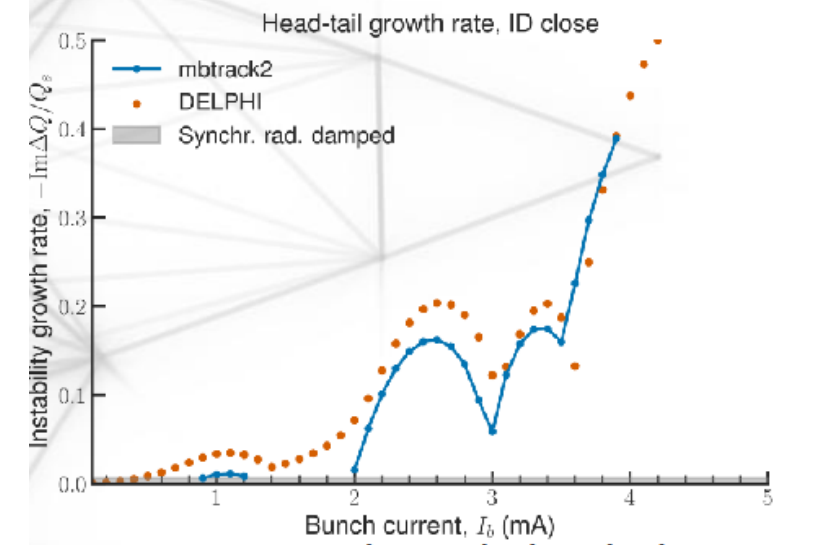
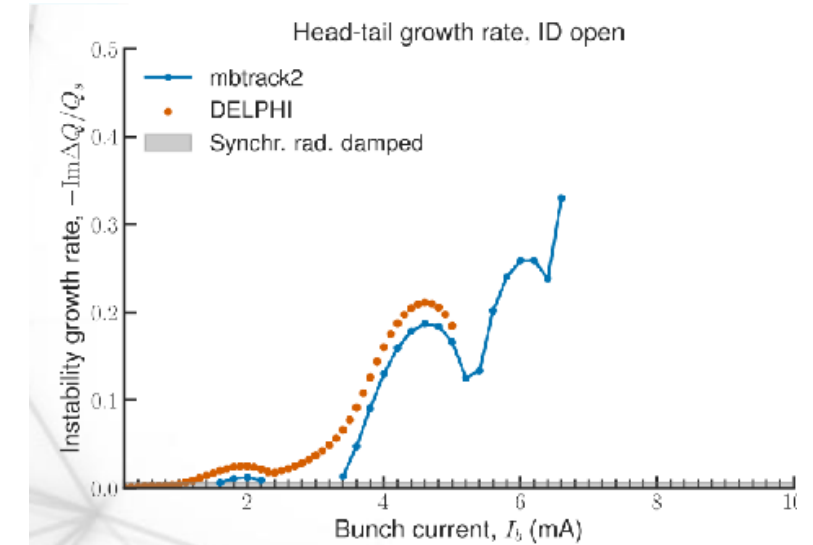
# Benchmark with theory (DELPHI) for single-bunch

- Uniform mode with 1.2 mA per bunch is below all the threshold with bunch lengthening from long. Impedance
- 32b mode with 6.25 mA per bunch is not saved by bunch lengthening
- 32b mode head-tail instability is very similar to TMCI - > head-tail modes are not independent from each other

TMCI  $Q'=0$

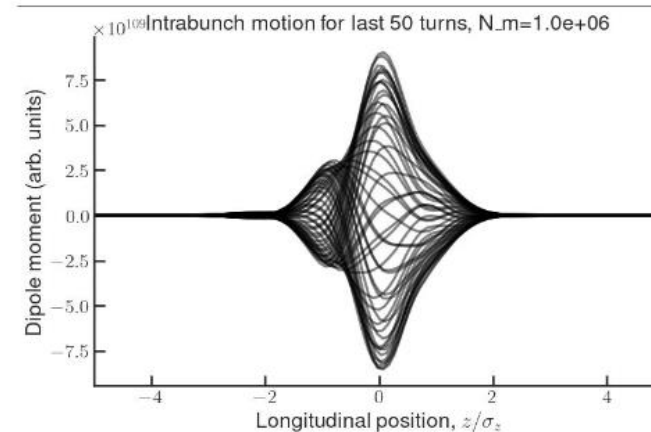
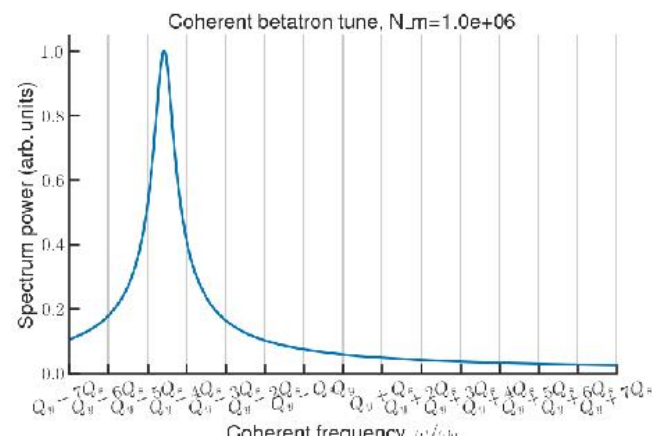
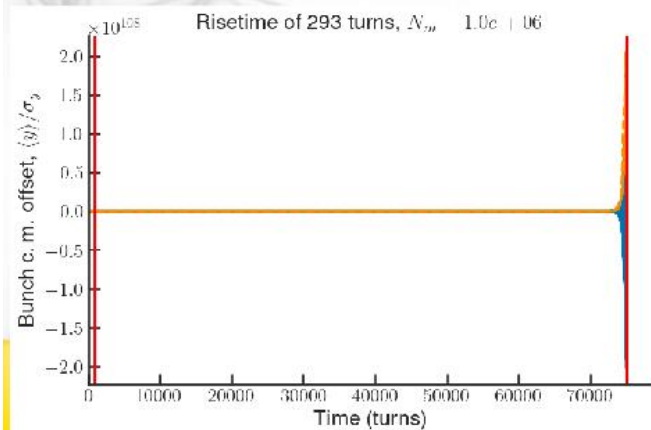
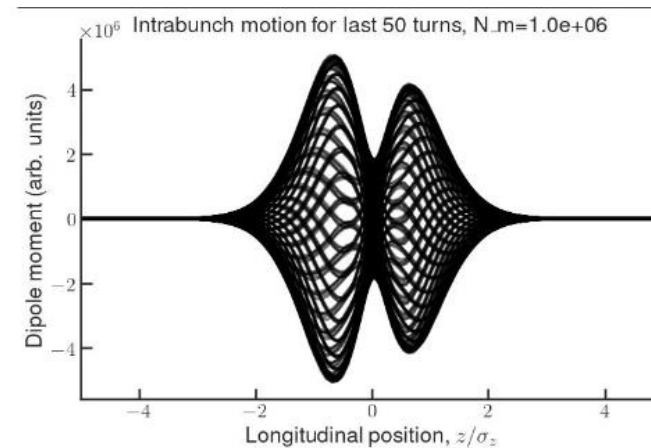
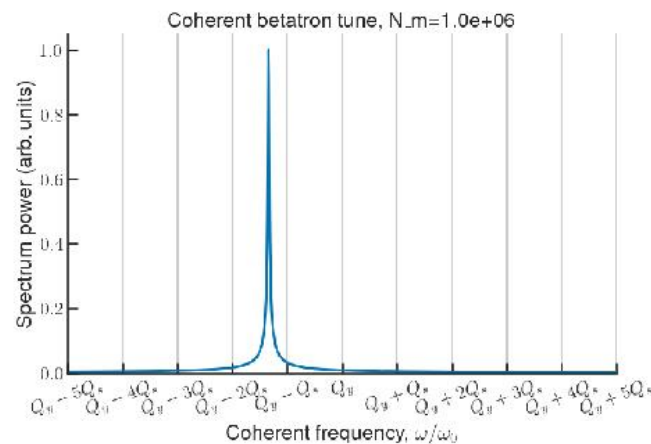
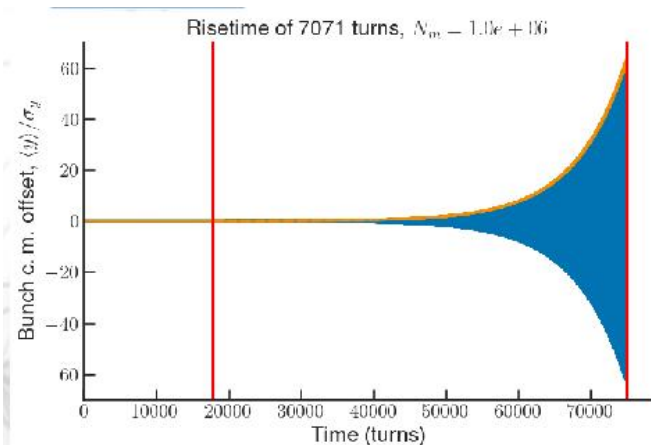


Head-tail  $Q'=1.6$



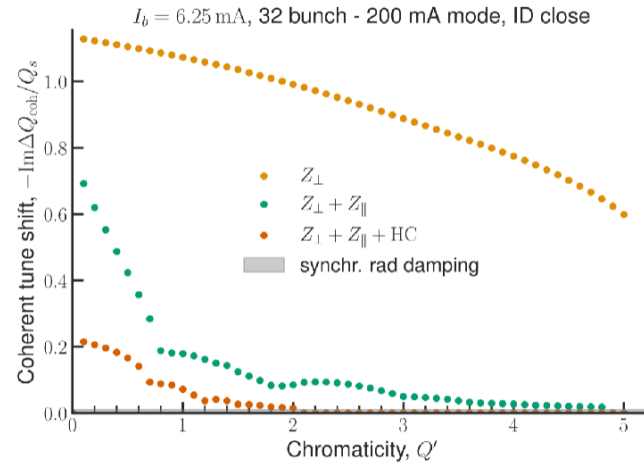
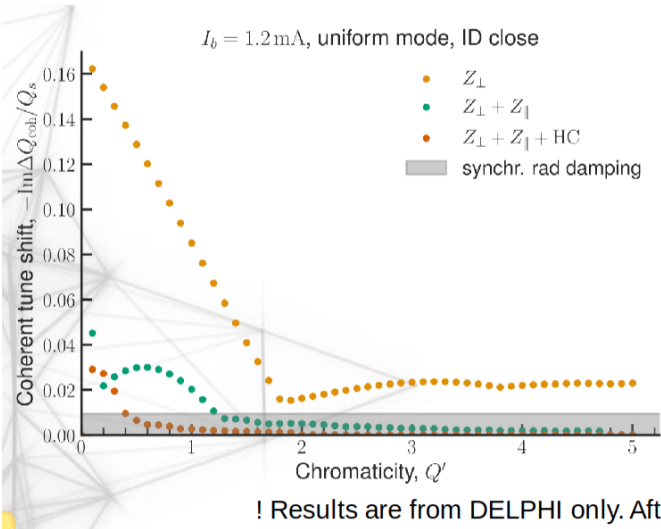
**! No bunch lengthening in these benchmark plots !**

Instability in uniform and 32b@6.25 mA per bunch at nominal chromaticity



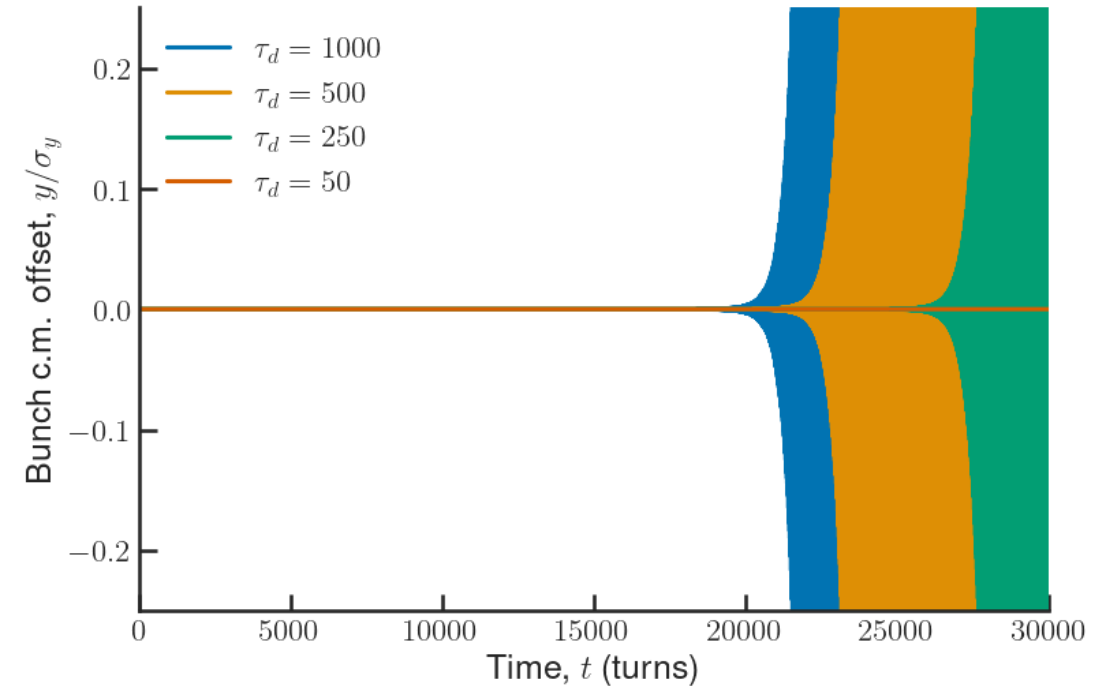
- Feedback can still be required for single-bunch instabilities
- Required damping time is  $\sim 300-500$  turns
- Intrabunch motions is a mix of different head-tail modes

- Increasing chromaticity to suppress instability as 6.25 mA is not efficient



! Results are from DELPHI only. After  $Q'=2$  the benefits are negligible

- No harmonic cavity included to get worst case scenario
- This single-bunch instability will require a strong feedback < 100 turns damping time
- Damping time here is the one at  $Q'=0$

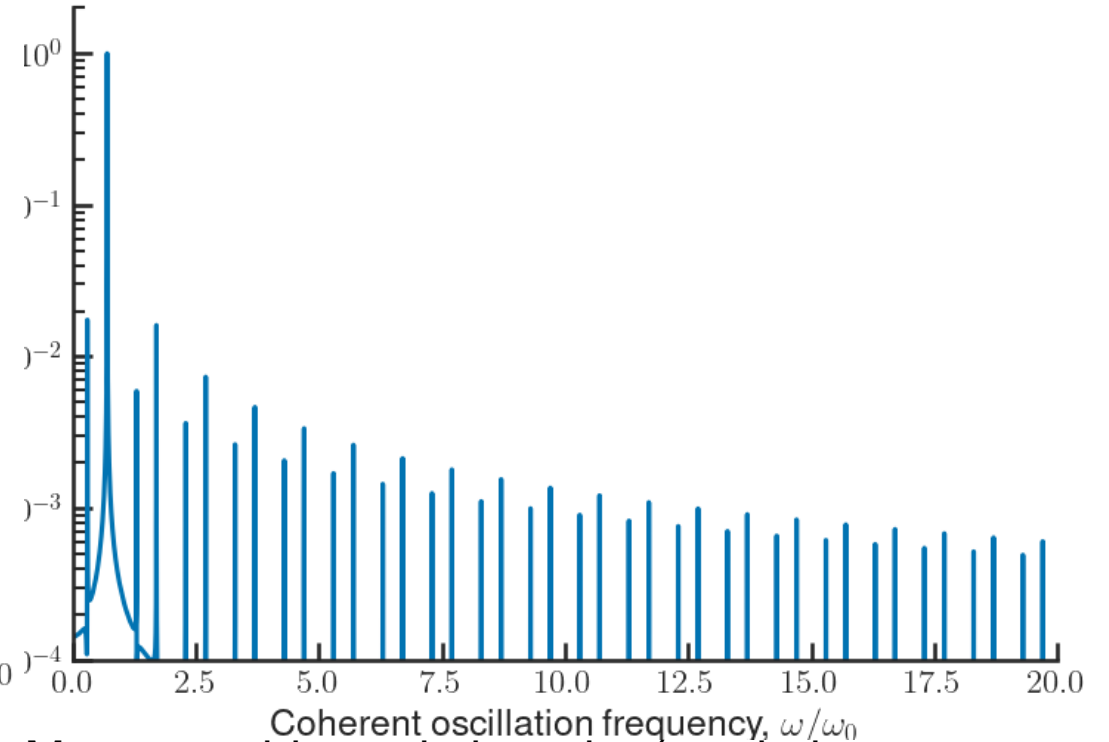
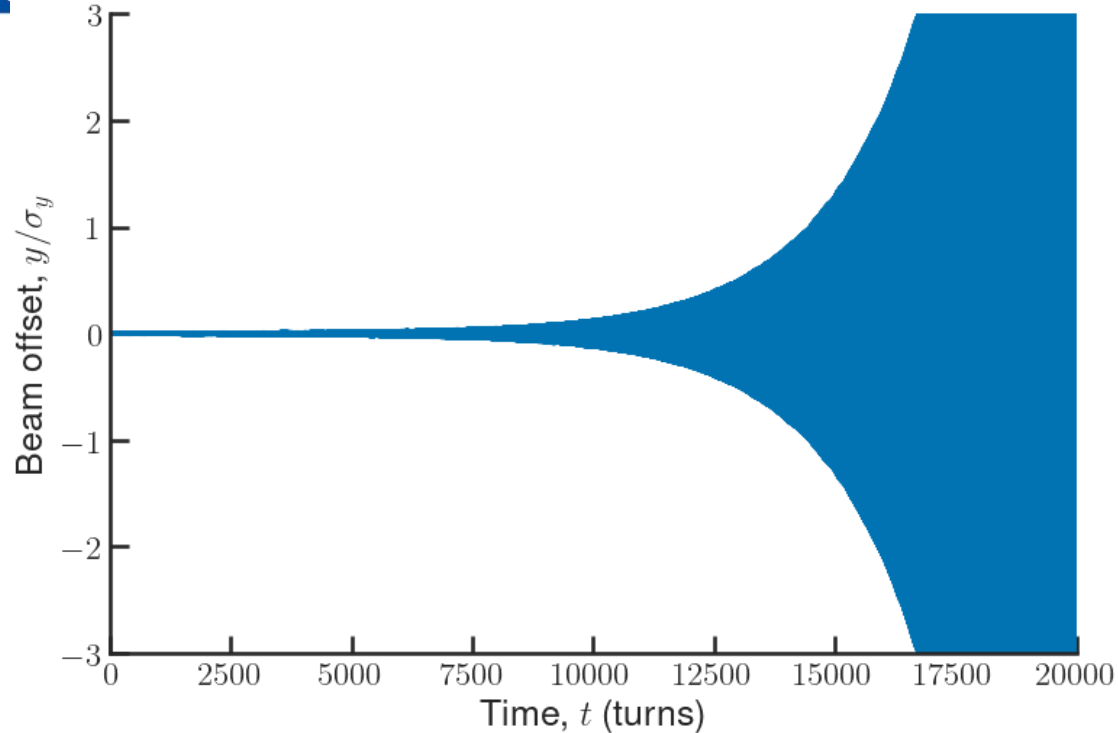


Possible measures to alleviate feedback requirements:

- Increasing chromaticity
- Getting lower current

"Ideal" damper

# Transverse coupled-bunch instability



- Exponential growth rate
- Impedance-driven
- Linear with beam current
- Can be suppressed by chromaticity
- Both long-range and short-range wakes have to be included in the simulations

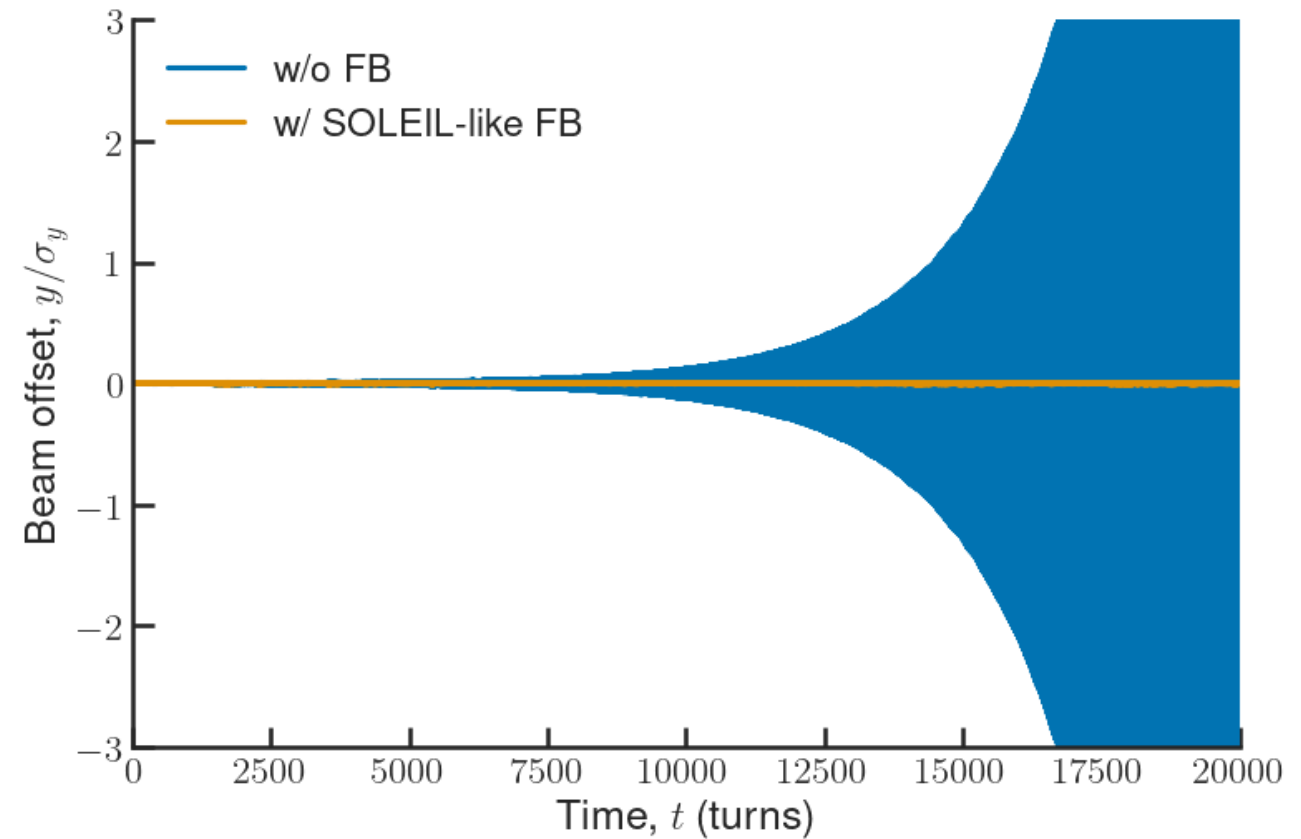
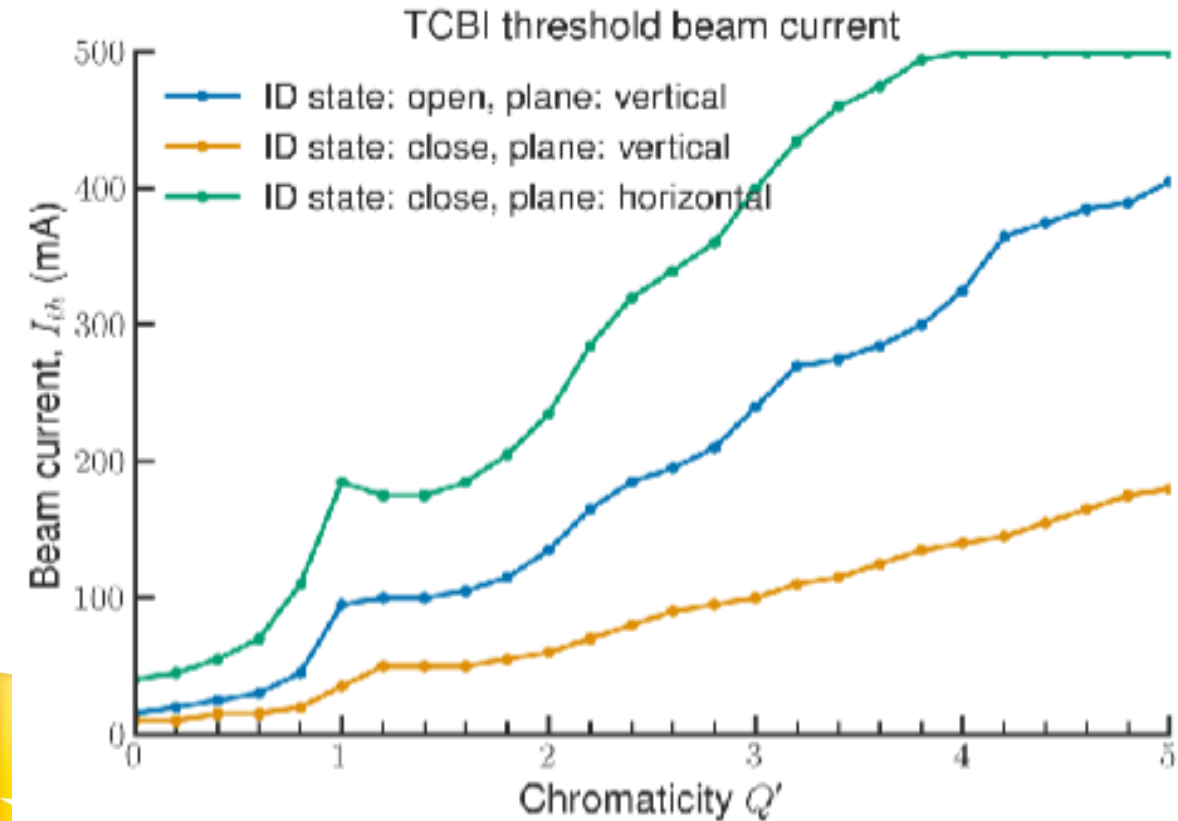
- Most unstable mode is at the (revolution harmonic – tune)
- Other modes unstable too but strength decays fast

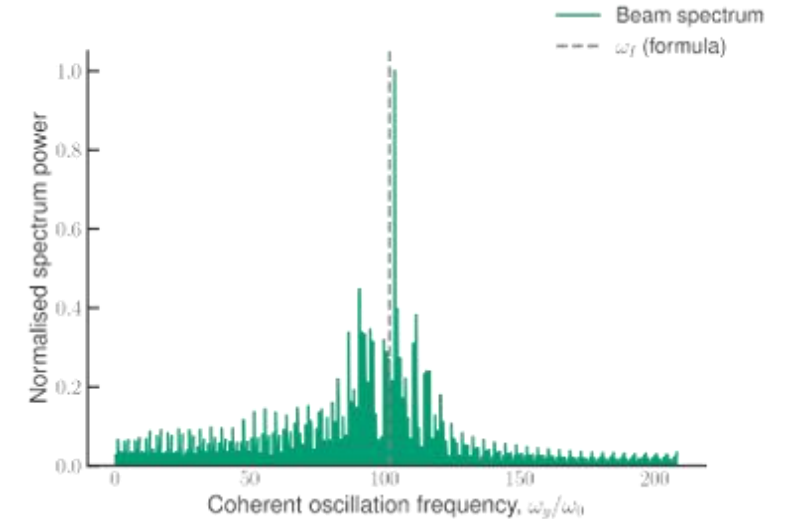
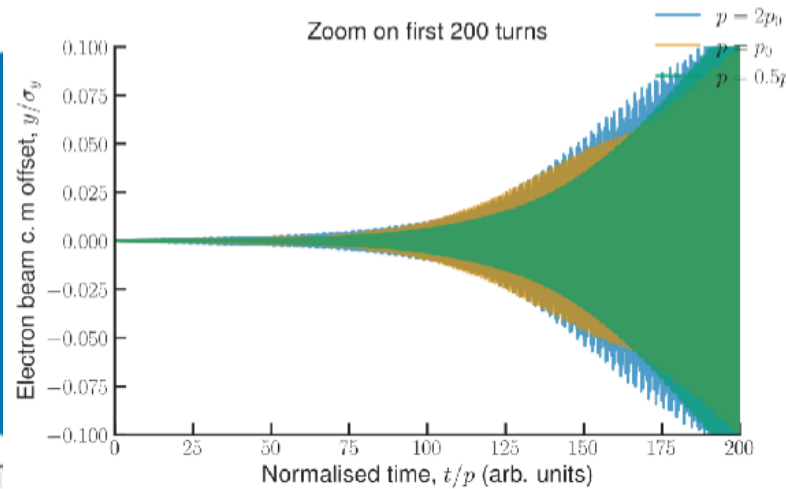
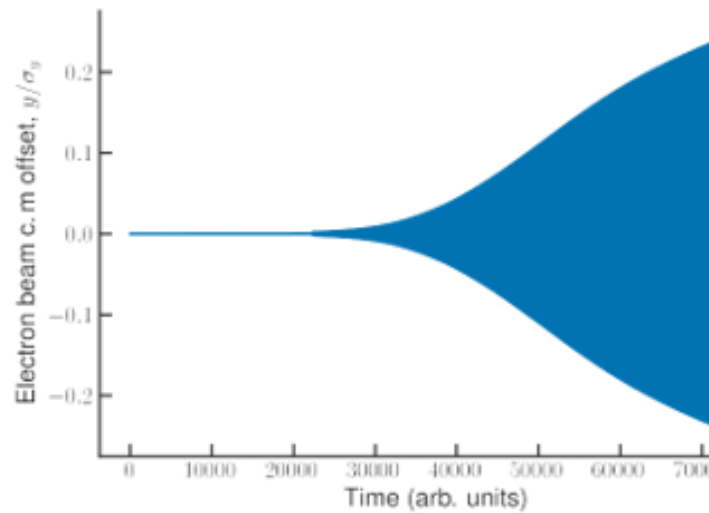


# Preliminary feedback performance: TCBI

- To fully suppress the instability with chromaticity we would need to go really high ( $Q' \sim 10$ )

- Feedback with SOLEIL-like parameters suppresses the instability





- Instability risetime

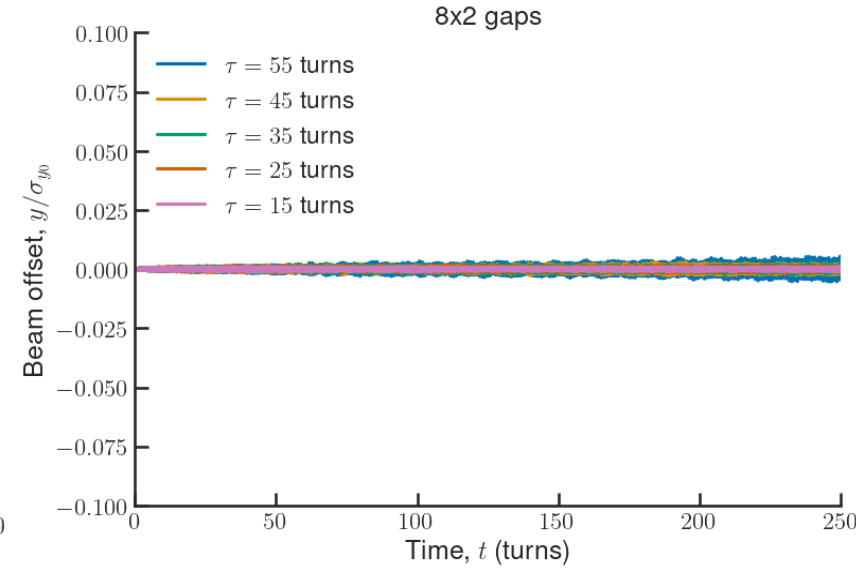
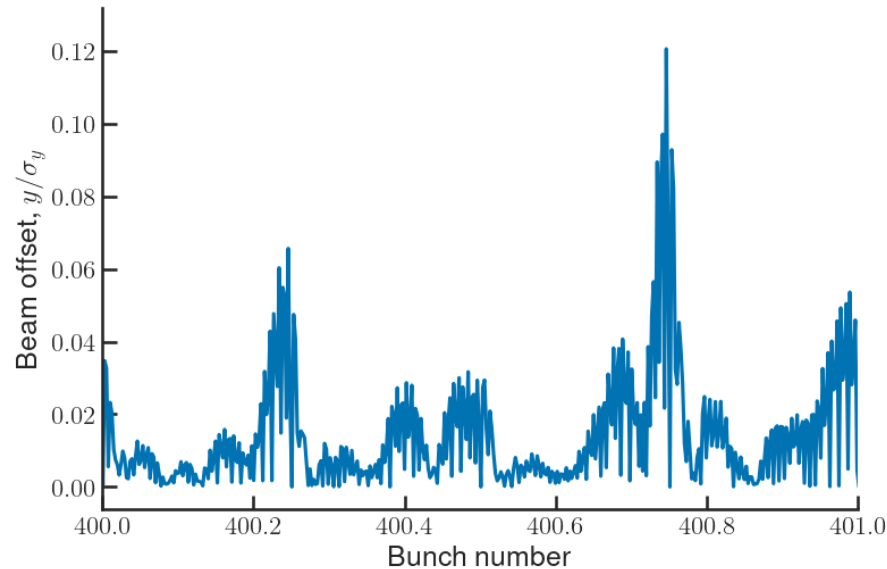
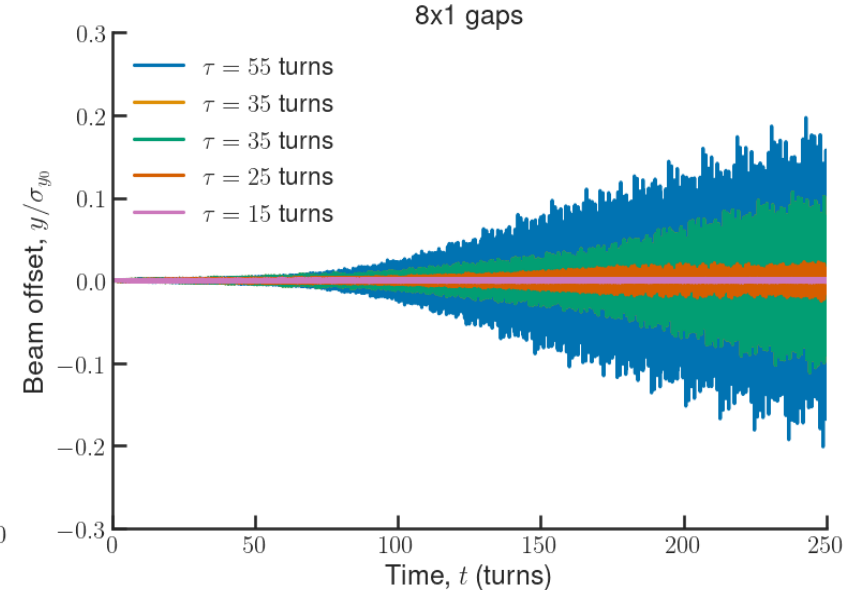
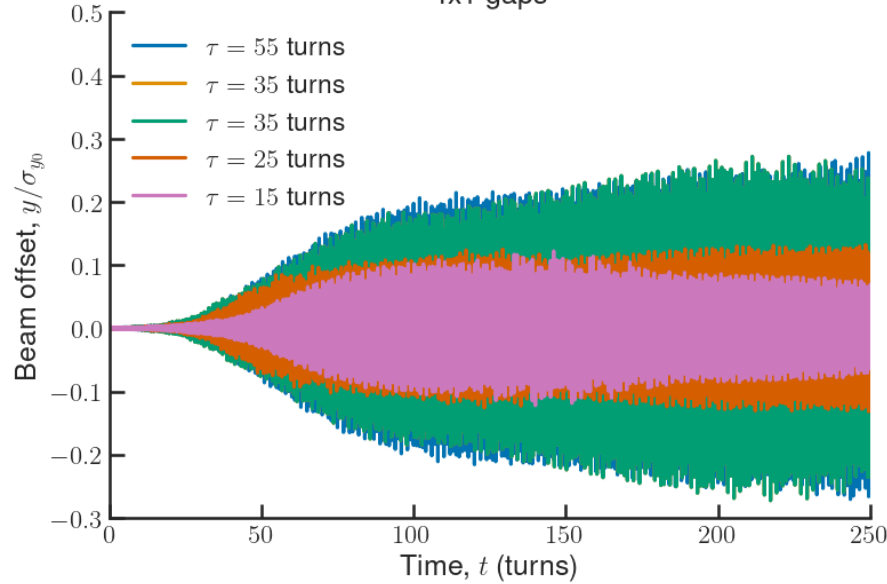
- linear with vacuum pressure
- Linear with number of gaps for a given gap length
- Gap effectiveness is nonlinear with beam current
- Instability risetime is nonlinear with beam current

- Instability spectrum:

- Centered at large rev. frequency harmonics
- Large spread of frequencies in the spectrum
- Frequency depends on beam current

# Preliminary feedback performance: BII

Uniform@500 mA with 100 A.h vacuum conditions  
4x1 gaps



- Feedback quickly stabilises first bunches in a train
- A few most unstable bunches dictate the residual oscillation amplitude
- A solution with low enough feedback strength can be found by increasing the number of gaps
- "Ideal" damper is used



- Starting with simple models and increasing complexity
- One of the goals for instability modelling is to get estimations in two ways: semianalytical and tracking
- Feedback is essential: coupled-bunch instabilities and single-bunch instabilities
  - o Single-bunch instability in timing mode
  - o Coupled-bunch and beam-ion in uniform mode
- Single-bunch instability in 32b@200mA is more concerning than TCBI
- (impedance) Challenges are similar to those of 3rd-generation (with closed ID gaps)
- Beam-ion instability appears to be the strongest one in simulations
  - o A combination of optimal gap configuration and bunch-by-bunch feedback is necessary
  - o All beam-ion simulations assume pessimistic parameters
  - o Information on vacuum pressure vs dose is crucial for correct estimations of the instability





Thank you!

