Automatic Modelling of superposed & complex Signals

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Radio interferometry

Radio interferometric measurement equation

$$\int dl \, dm = n_{uvw} + \iint \frac{dl \, dm}{n(l,m)} A(l,m) I(l,m) e^{-2\pi i [ul+v]}$$

=> discretize

$$d = Rs + n$$

vm+w(n(l,m)-1)]





Information field theory

• Bayes' principle



- Essential components
 - prior model
 - likelihood
 - inference scheme



$P(d \mid s) P(s)$ P(d)



Component separation







Component separation







Component separation







Automatic pipeline







Flexible forward model

- Components
 - diffuse background
 - point sources
 - extended objects

Add response functions

$$d = Rs +$$





Automatic pipeline









Detection

- U-Net
 - encoder-decoder architecture
 - skip connections

- Output segmentation maps
 - point sources
 - extended objects



https://arxiv.org/abs/1505.04597

Training data



Training data





 $s = e^{f(\xi)}$ R = 1

$$\left(s = e^{f(\xi)} \mid R = 1\right)$$

- 18 - 16 - 14 - 12 - 10 - 8

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Boxes with different resolution

Boxes with different resolution

Several extended objects

Continue from previous reconstruction

Boxes with different resolution

Several extended objects

Continue from previous reconstruction

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Boxes with different resolution

Several extended objects

Continue from previous reconstruction

• Real data (e.g. radio observations)