

HELLENIC REPUBLIC National and Kapodistrian University of Athens ______ EST. 1837 _____

On the connection of radio and y-ray emission of blazars

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Monitoring the non-thermal universe, Cochem 2018

Outline

- Motivation
- Model
- Numerical Approach
- Results
- Summary

Motivation





- Multi wavelength surveys
- Dedicated observations

Challenges: The connection of γ -ray and radio emission



A combined radio and GeV gamma-ray view of the 2012 and 2013 flares of Mrk 421 (Hovatta et al., 2015)

Radio monitoring



F-gamma project





10222-430

Boston University Blazar Group





SED of Blazars

Ghisellini 2017

Parameters of the Leptonic Model :

- → Radius of the source
- Magnetic Field Strength
- Characteristics of Electrons
 Energy Distribution
- → Bulk Lorentz factor
- → Doppler factor

Synchrotron



Inverse Compton Scattering

One-zone modeling

Kinetic equations of particles and photons

$$\frac{\partial n_i}{\partial t} + \frac{n_i}{t_{esc}} = L_i + Q_i$$

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$$\alpha_{\nu_{ssa}} = \frac{\sqrt{3}e^3}{8\pi m} \left(\frac{3e}{2\pi m^3 c^5}\right)^{p/2} C(B\sin\alpha)^{p+2} \Gamma\left(\frac{3p+2}{12}\right) \Gamma\left(\frac{3p+22}{12}\right) \nu^{-\frac{p+4}{2}}$$

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Model: A uniform Jet



- Localization of γ-ray and radio emission
- Spherical regions of accelerated particles move toward the jet and at the same time are expanding.

A proposed model for a uniform conical jet can be found at Potter & Cotter series of papers.

Numerical Approach: Source's Expansion

Physical Processes for a Leptonic Model

- Synchrotron Radiation
- Inverse Copton Scattering
- Synchrotron Self Absorption
- Photon-Photon Absorption
- Adiabatic Losses

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`A new numerical code based on Mastichiadis & Kirk, 1995, 1997

An example: Synchrotron and Adiabatic Losses

$$\frac{\partial N(\gamma, t)}{\partial t} - \frac{\partial}{\partial \gamma} \left[(A_{syn}(R)\gamma^2 + A_{exp}(R)\gamma)N(\gamma, t) \right] = \tilde{Q}(\gamma, t)$$
Adiabatic losses:

$$\left(-\frac{dE}{dt} \right)_{ad} = \frac{1}{R} \frac{dR}{dt} E, \quad \frac{dR}{dt} = u$$

$$- \left(\frac{dE}{dt} \right)_{ad} = \frac{u}{R} E \Rightarrow - \left(\frac{d\gamma}{dE} \right)_{ad} = \frac{u}{R} \gamma$$
Synchrotron losses:

$$\left(-\frac{d\gamma}{dt} \right)_{syn} = \alpha B^2 \gamma^2 \text{ with } \alpha = \frac{\sigma_\tau c}{6\pi m_e c^2}$$

$$\frac{\partial N(\gamma, R)}{\partial R} - \frac{\partial}{\partial \gamma} \left[\left(\frac{\beta}{uR^x} \gamma^2 + \frac{1}{R} \gamma \right) N(\gamma, R) \right] = Q(\gamma, R)$$
Numerical *
A comparison of the analytical and numerical solution

Preliminary Results



 $R = R_0 + u_{exp}t,$

Magnetic Field Strength

$$B = B_0 \left(\frac{R_0}{R}\right)^x$$

Electrons Luminosity

$$L_e^{inj} = L_{e_0}^{inj} \left(\frac{R_0}{R}\right)^x$$

Electrons Energy Distribution

$$Q_e(\gamma) = k_e \gamma^{-p} \quad \gamma_{min} \le \gamma \le \gamma_{max}$$



 $\begin{array}{l} B_{0} = 10G \ , \\ R_{0} = 10^{15} cm \\ L_{e} = 10^{42} erg/sec \\ u_{exp} = 0.3c \\ z_{0} = 0.001 pc \\ \gamma_{min} = 10^{0}, \ \gamma_{max} = 10^{5} \\ p = 2 \\ \delta = 10 \end{array}$



Preliminary Results



 $B=B_{0}(R_{0}/R)^{2}, B_{0}=10G, R_{0}=10^{15}cm, L_{e}=L_{e,0}(R_{0}/R), L_{e,0}=10^{42}erg/sec, u_{exp}=0.3c, z_{0}=0.001pc, y_{min}=10^{0}, y_{max}=10^{5}, p=2, \delta=10$

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Adiabatic Expansion

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Lorentzian Electron Energy Distribution

$$Q_e(\gamma, t) = k_e \gamma^{-p} \left(1 + \frac{(\alpha - 1)w^2}{4(t - t_o)^2 + w^2} \right)$$

Take-home message:

In order to explain the connection between $\gamma\text{-ray}$ and radio emission:

- We have created a new expanding numerical code
- We propose a model of a uniform jet

Work in progress:

- Searching the parameter phase space
- Self-consistent particle acceleration

Thank you!