

**PrePEP - Conference: Precipitation Processes -  
Estimation and Prediction**

16-21 MAR 2025

University of Bonn

# **Rainfall Estimation for Winter Events with Polarimetric VPR Applied to the German Radar Network**

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*Julian Giles*

*Ju-Yu Chen*

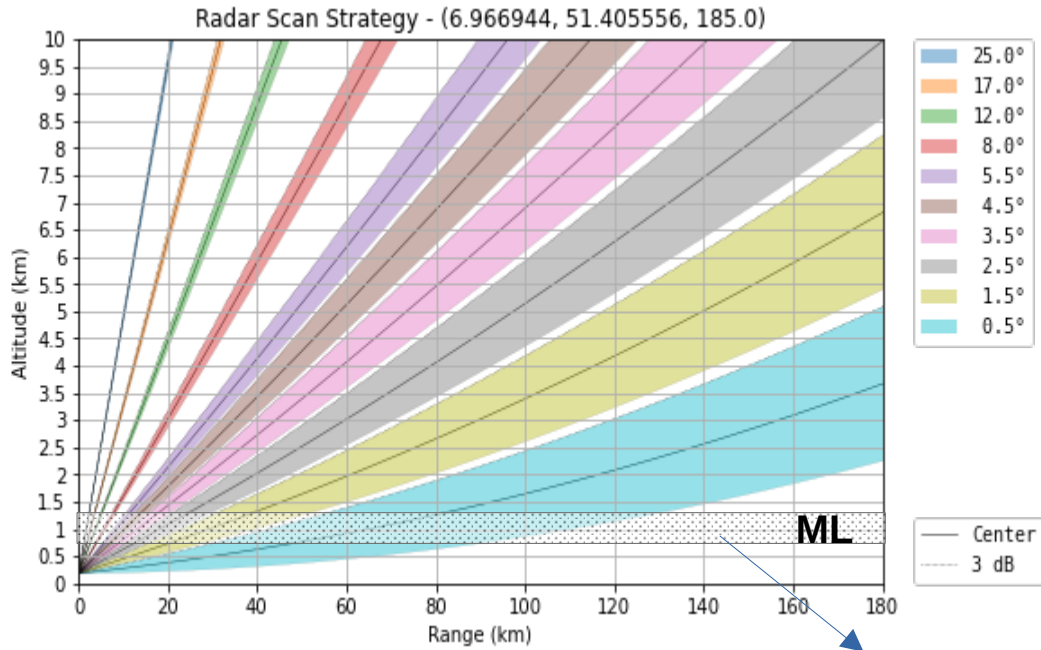
*Alexander Ryzhkov*

*Silke Trömel*



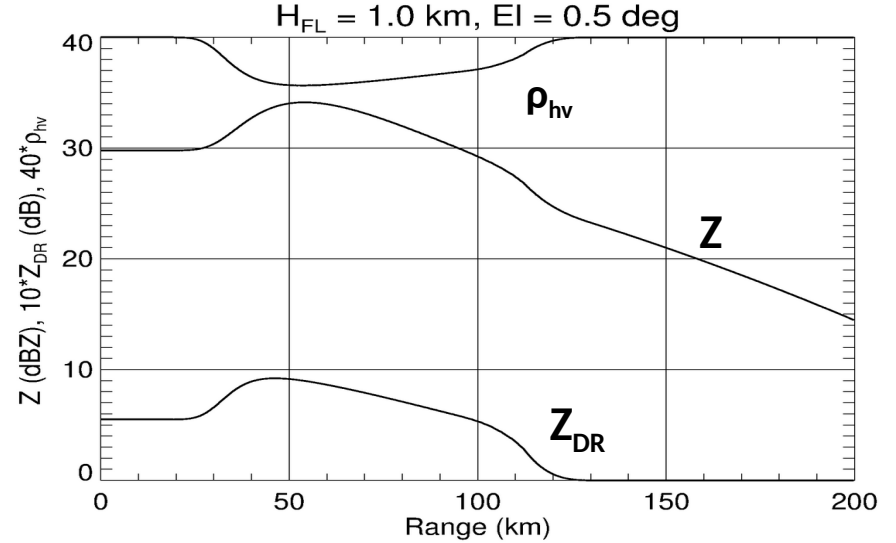
# The problem

Vertical cross-section radar scan DWD  
(German Meteorological Service)



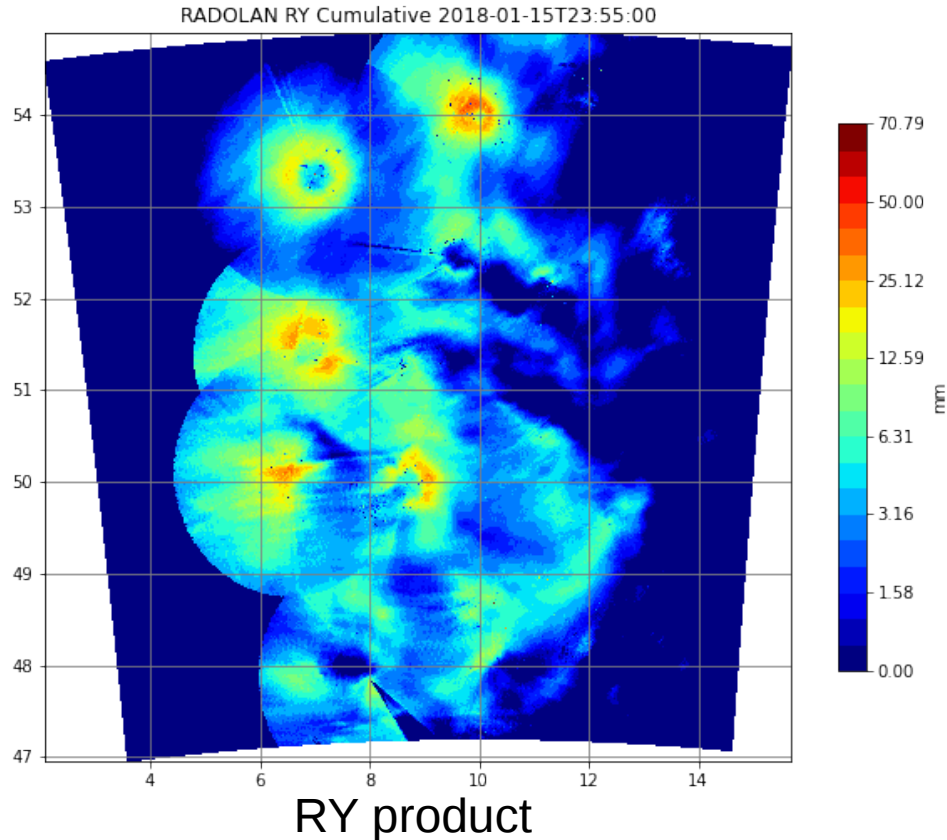
Low Melting layer

Radial profile of  $Z_H$ ,  $Z_{DR}$  and  $\rho_{HV}$



# The problem

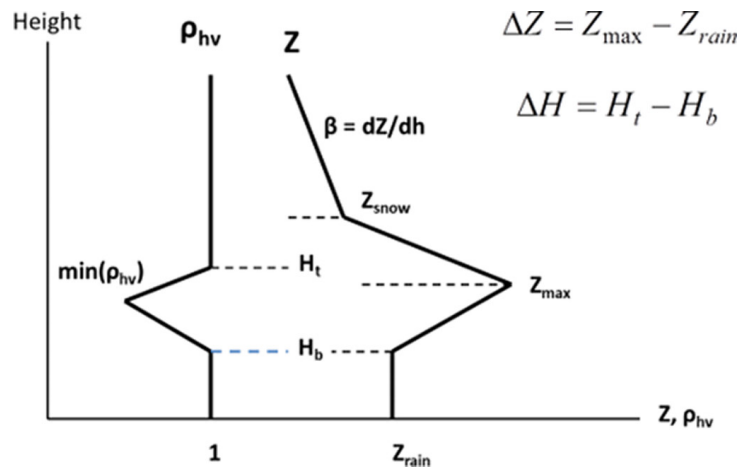
## Composite Daily Rainfall over Germany



- Circles surrounding radar stations
- Lowest radar beam intercepting the ML (lower than 1 km)
- Beam overshooting the ML sampling snow results in underestimation of precipitation amount at the surface

# PVPR: Polarimetric Vertical Profile Reflectivity

Idealized vertical profile of  $Z_H$  and  $\rho_{HV}$



Radial profiles of  $Z$  bias and  $\rho_{HV}$  are correlated. Deeper minimum of  $\rho_{HV}$  corresponds to higher  $Z$  bias and one can quantify the  $Z$  bias using radial profile of  $\rho_{HV}$ .

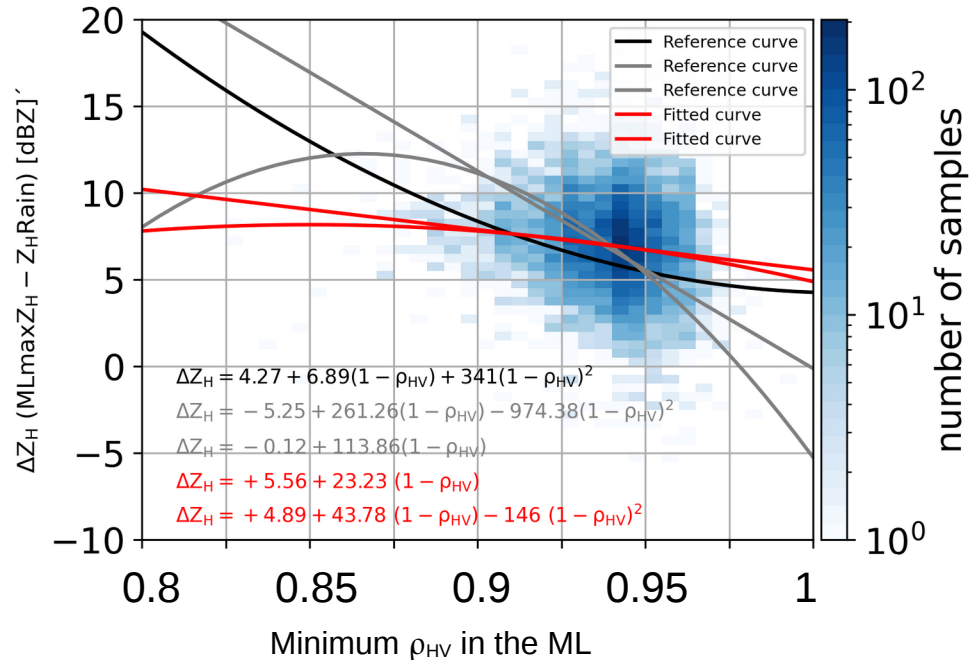
$H_b$  = Height of ML bottom

$\Delta H$  = ML thickness

# Methodology

## 1) Establish correlations between $\Delta Z$ and $\rho_{HV}$ from statistical analysis of QVP

- Adapted to C-band and German climatology using 5 years (2015-2020) with the Prötzel radar – Julian Giles, Uni Bonn (talk on Friday at 10:00)



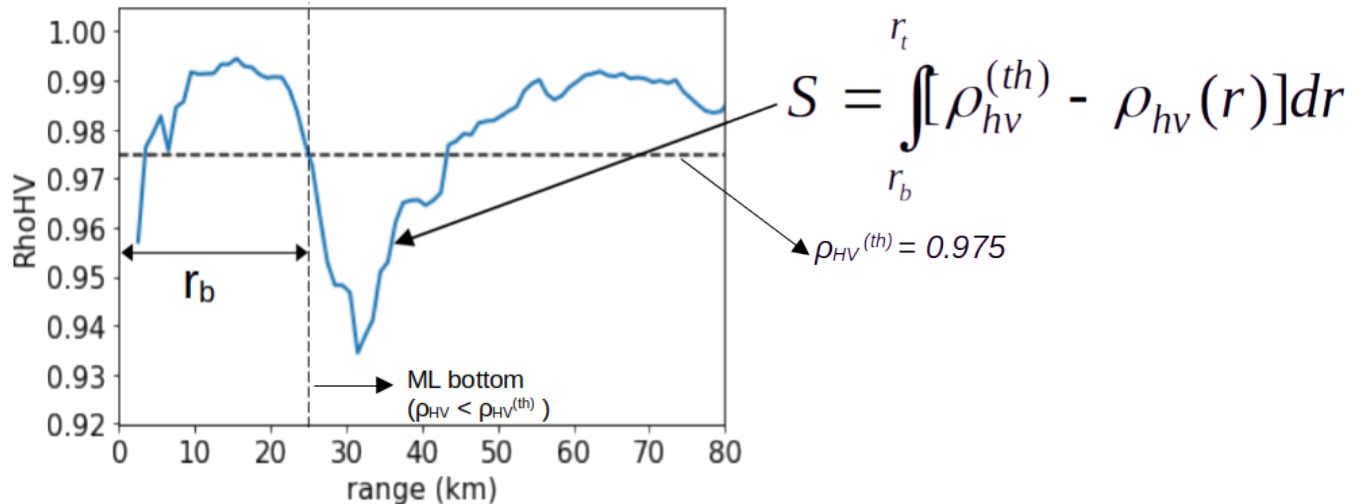
# Methodology

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- 1) Establish correlations between  $\Delta Z$  and  $\rho_{HV}$  from statistical analysis of QVP
- 2) Generate several radial profiles of  $Z_H$  and  $\rho_{HV}$  for a typical stratiform cloud at low antenna elevations typically used in QPE
  - For a multitude of ML heights and ML thicknesses
  - Store in lookuptables

# Methodology

- 1) Establish correlations between  $\Delta Z$  and  $\rho_{HV}$  from statistical analysis of QVP
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- 3) Characterize observed radial profiles through
  - $\rho_{HV}$  dip in the ML and
  - the height of the ML bottom



# Methodology

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- 4) Find in the lookuptables the modeled profile that best fits the observation and use it to retrieve the intrinsic  $Z_H$  profile at the surface



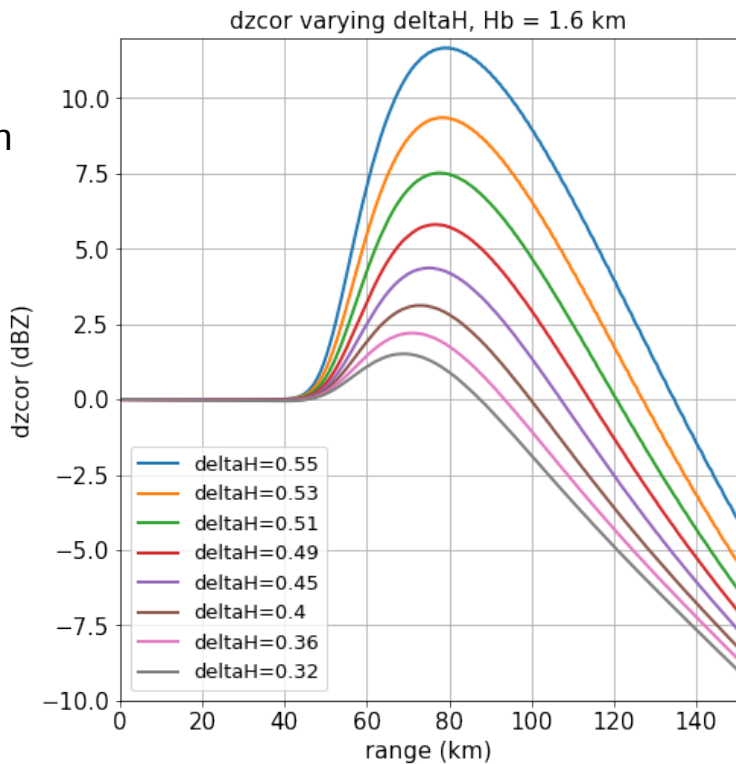
# Methodology

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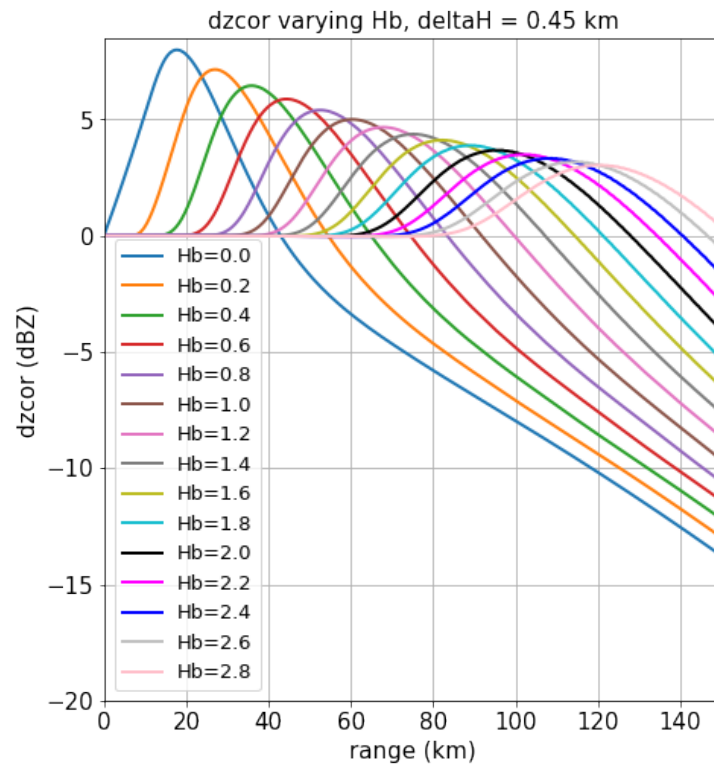
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- 5) Use the corrected  $Z_H$  profile to calculate rain rates

# The Lookuptables

## Varying ML thickness



## Varying ML height



**dzcor:** correction applied to the  $Z_H$  profile

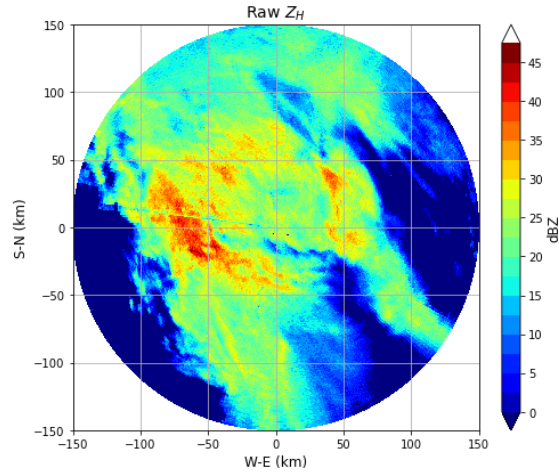
EI = 1.0°

Default PVPR profile correction

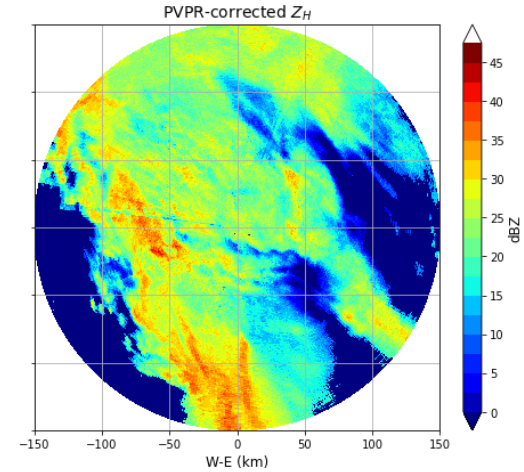
# Application of PVPR Method

PPI of ZH

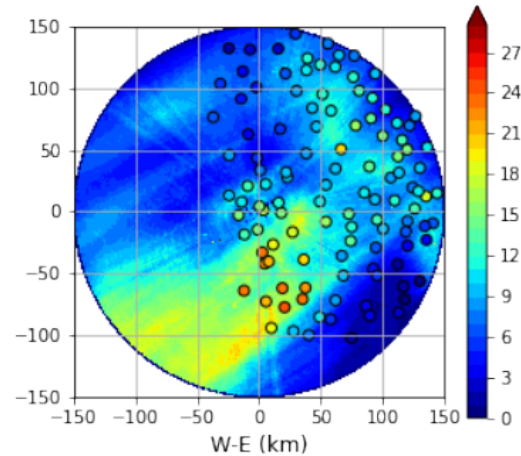
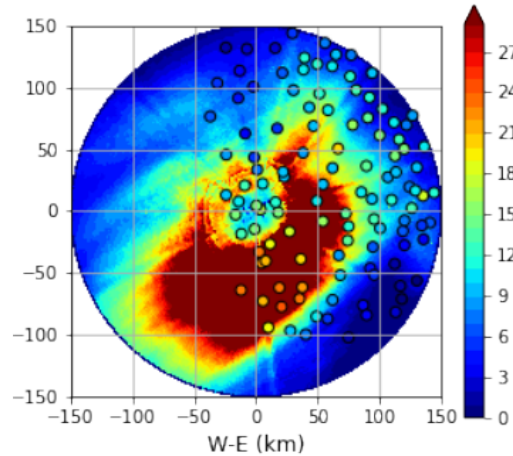
No correction



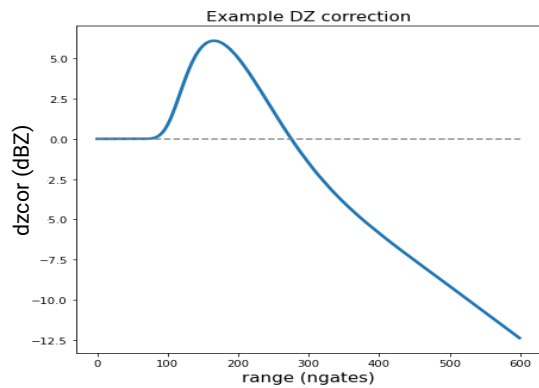
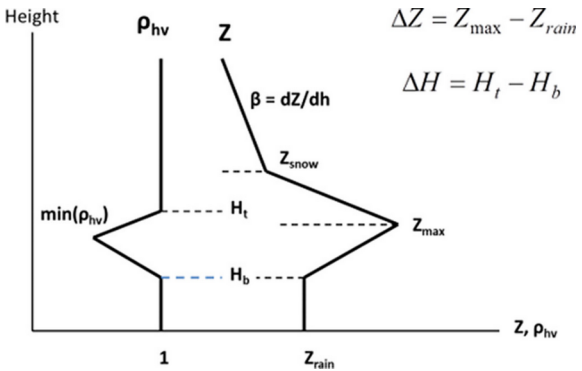
PVPR correction



Daily rainfall

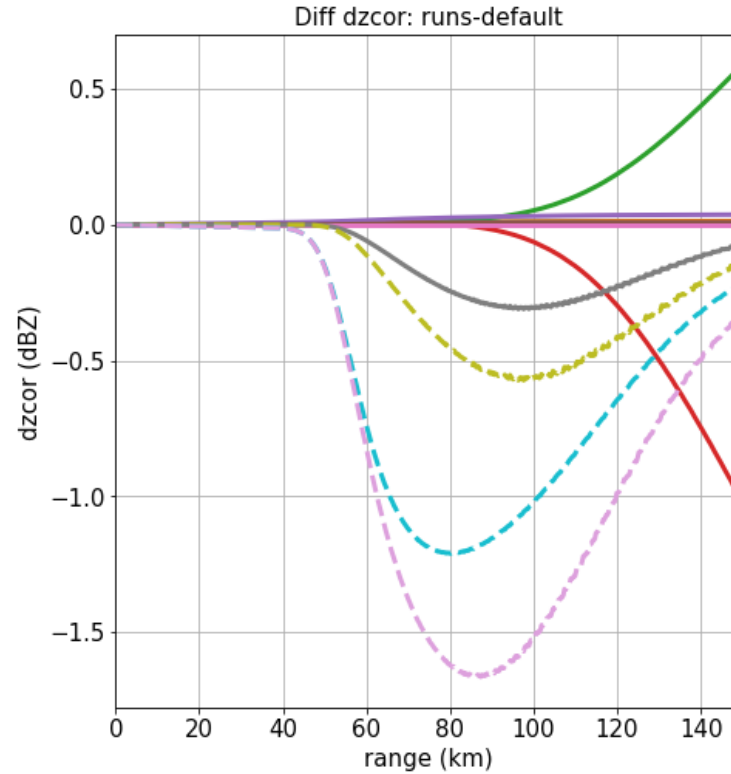
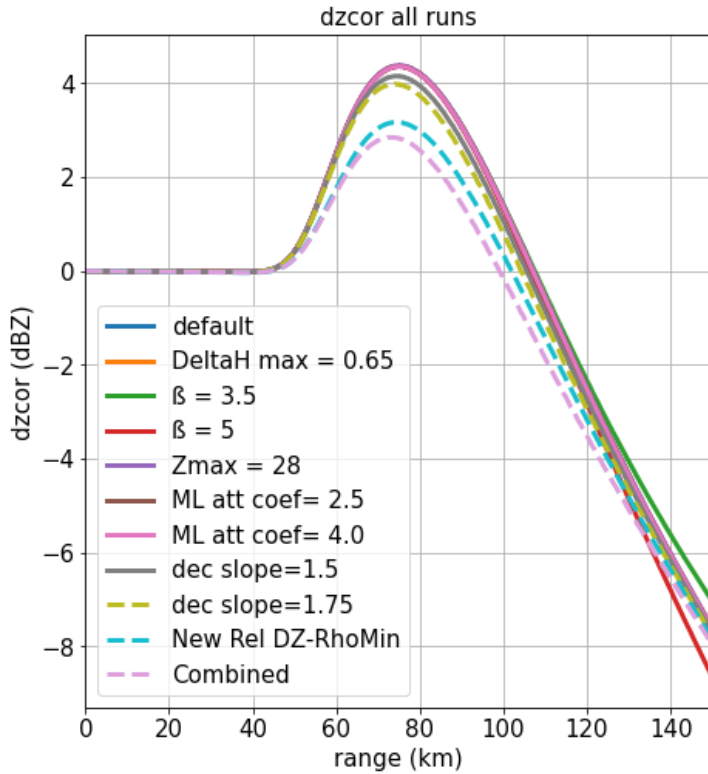


# Testing different parameters



	Default	updates
<b>Max <math>\Delta H</math> (km)</b>	0.55	0.65
<b><math>\beta</math> (dB/km)</b>	4	3.5
		5
<b>Zmax (dBZ)</b>	30	28
<b>Multiplicative factor to <math>\alpha</math> within the ML</b>	2.0	2.5
		3
		4
<b>Decreasing slope after the ML peak</b>	1.25	1.5
		1.75
<b>Relationship min <math>\rho_{HV}</math> - <math>\Delta Z</math></b>	USA stats	Germany
<b>Combination of the blue colored parameters</b>		

# Testing different parameters

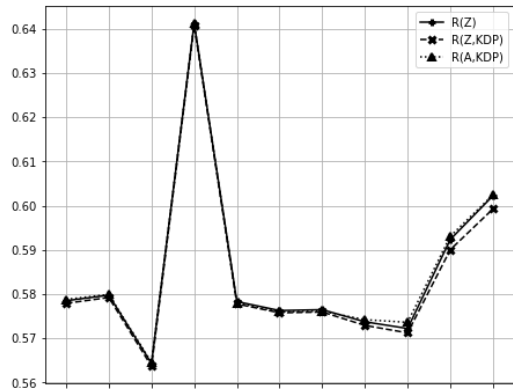


- Differences are mostly small
- Largest impact for:
  - $\beta$  at far ranges
  - Decreasing slope after the ML
  - New rel. min  $\rho_{HV} - \Delta Z$
  - Combination of both

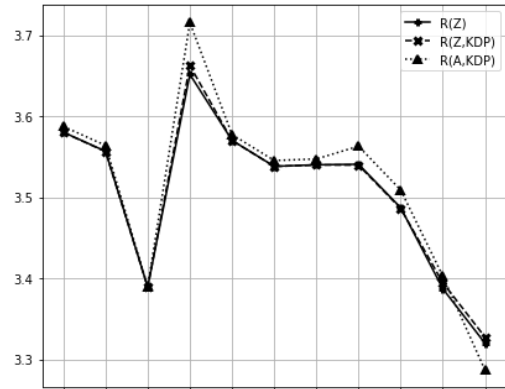
EI =  $1.0^\circ$ , Hb = 1.6 km,  $\Delta H = 0.45$  km

# Statistics for all rain events in January 2018

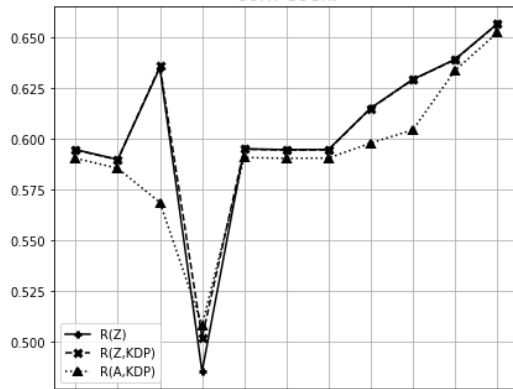
NRMSE2



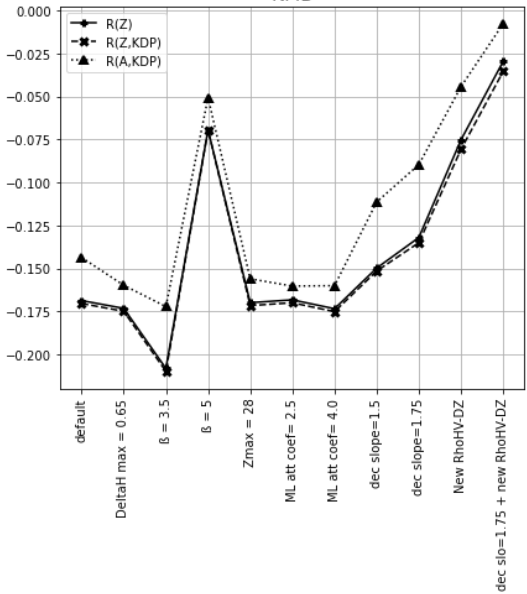
RMSE



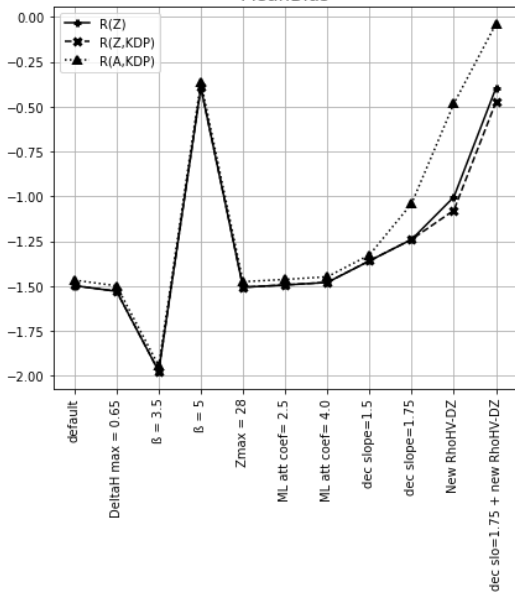
Corr. Coeff.



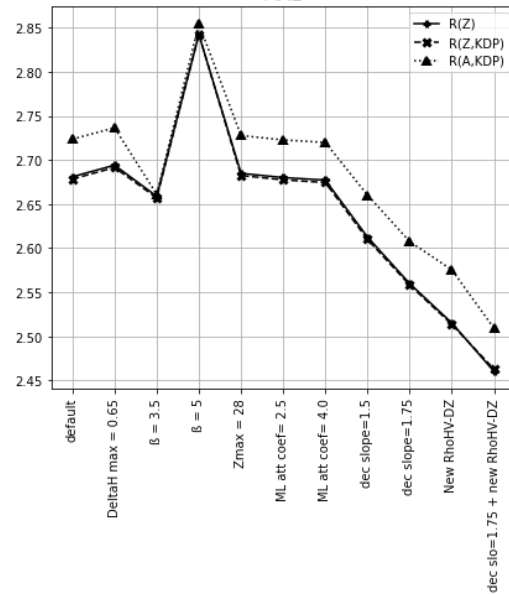
NMB



MeanBias

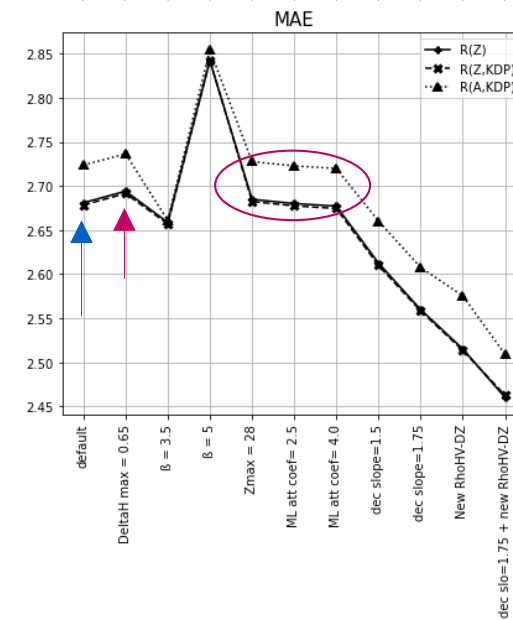
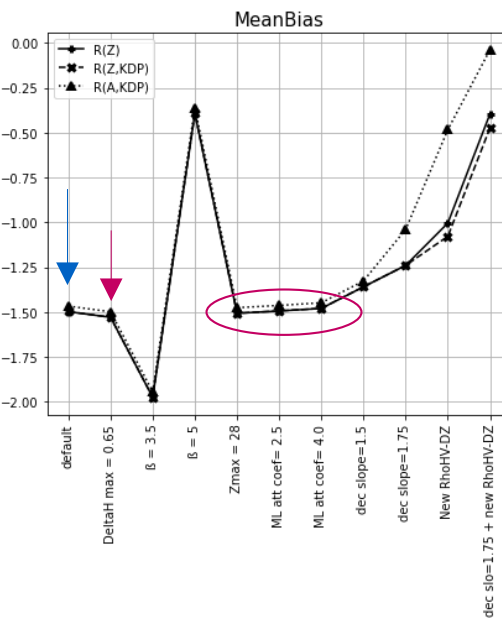
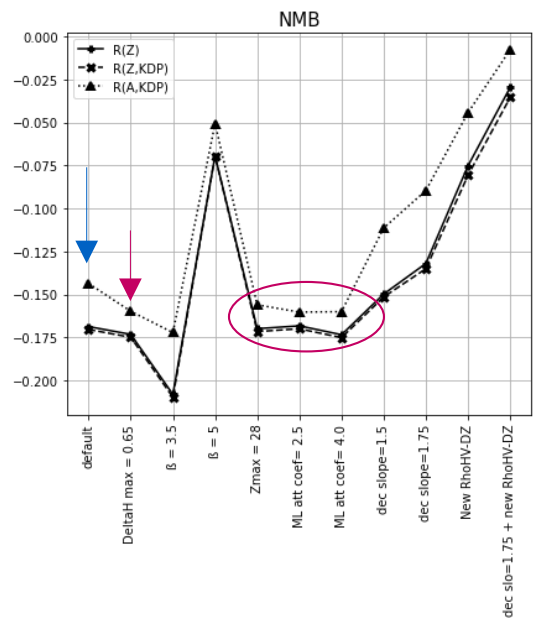
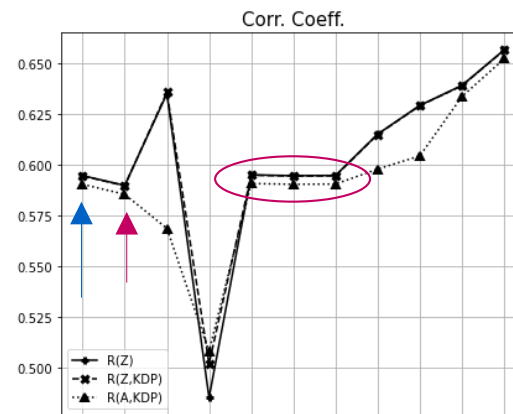
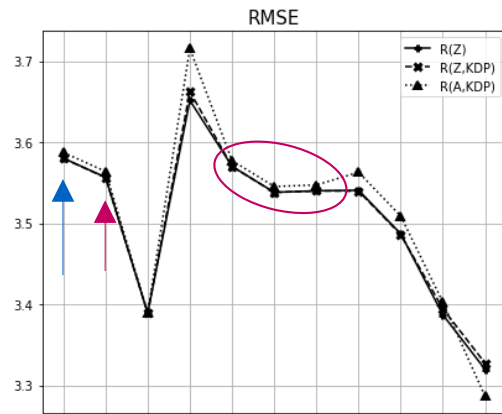
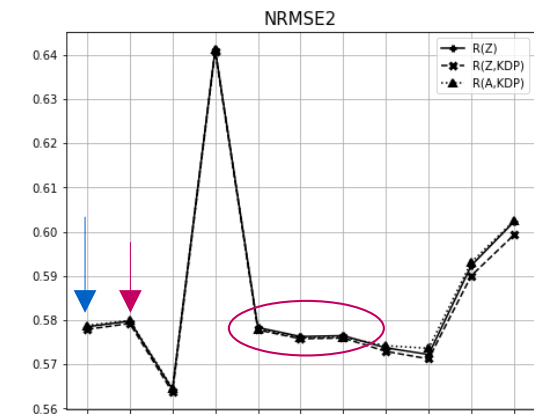


MAE



- PVPR with different parameters applied to all rain events for 1 winter month
- Validate against rain gauges

# Statistics for all rain events in January 2018



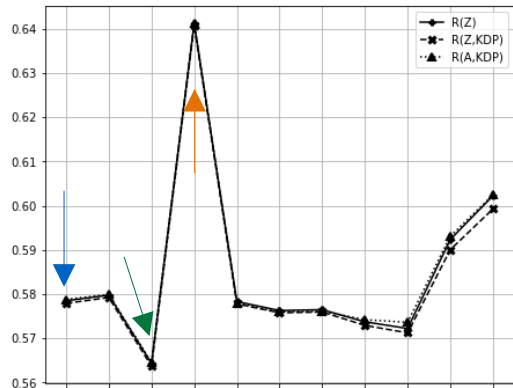
↑ default

↑ very small impact:

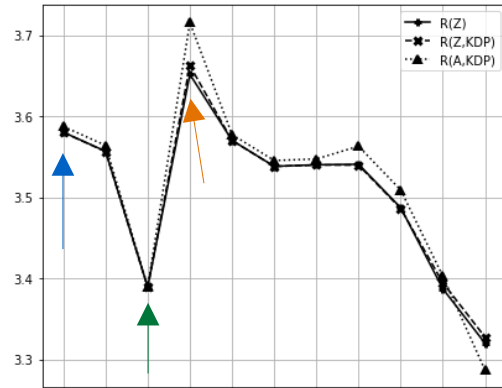
- ML thickness
- Max Zh in ML
- Coefficients ML attenuation

# Statistics for all rain events in January 2018

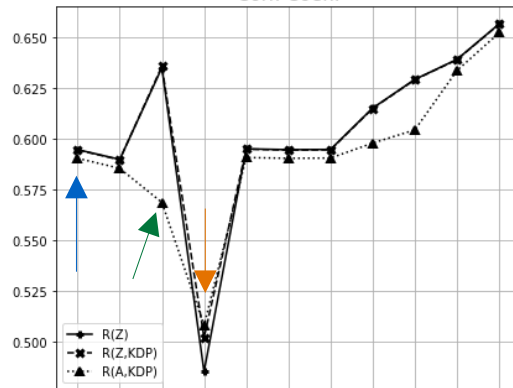
NRMSE2



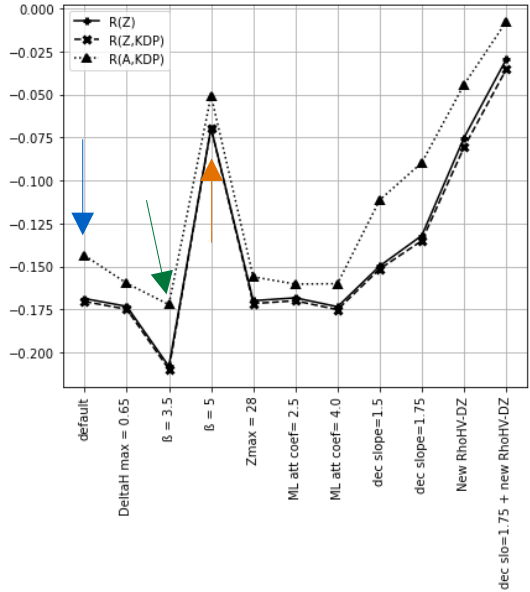
RMSE



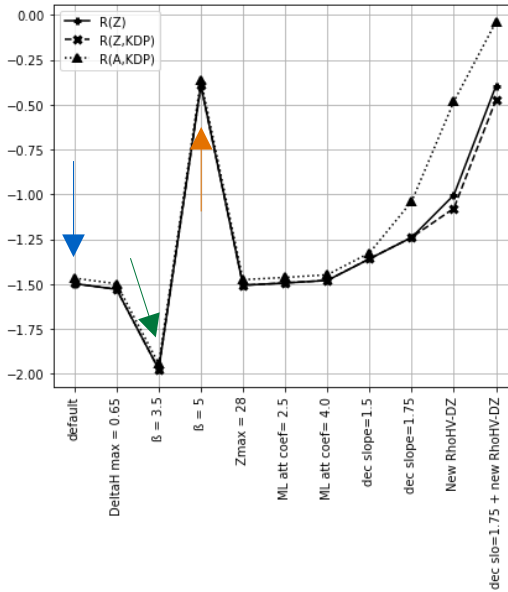
Corr. Coeff.



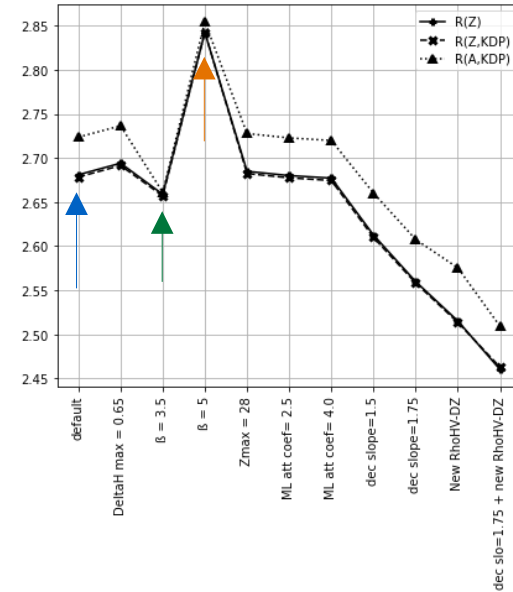
NMB



MeanBias



MAE



↑ default

↑  $\beta = 3.5$  dB/km

- Improves all metrics
- worsens bias

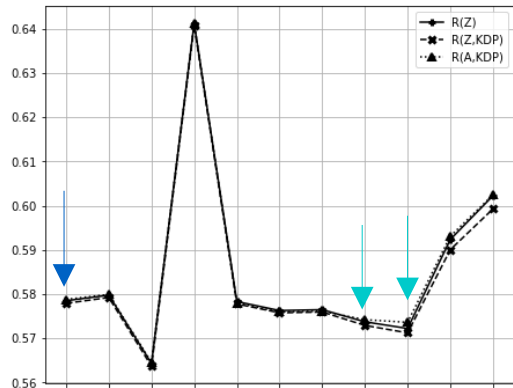
↑  $\beta = 5$  dB/km

- Worsens all metrics
- Improves bias

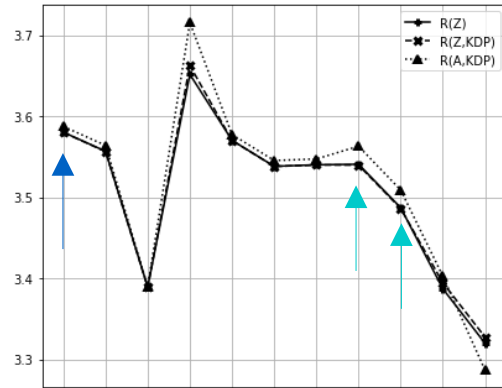


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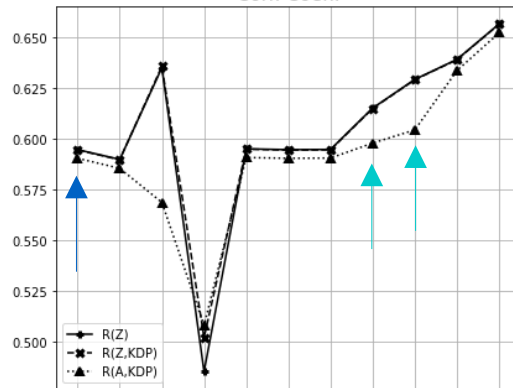
NRMSE2



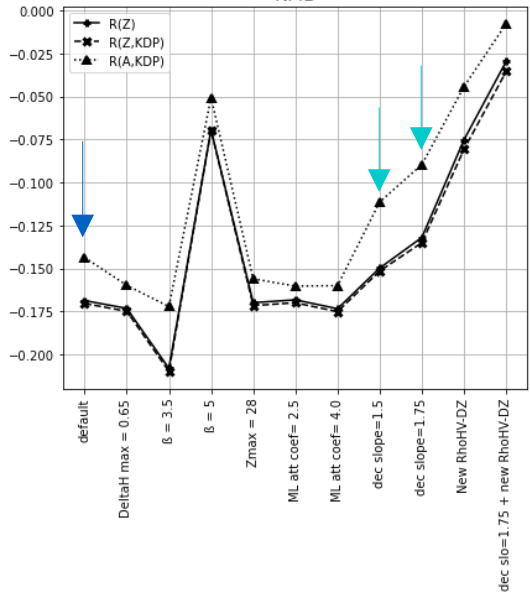
RMSE



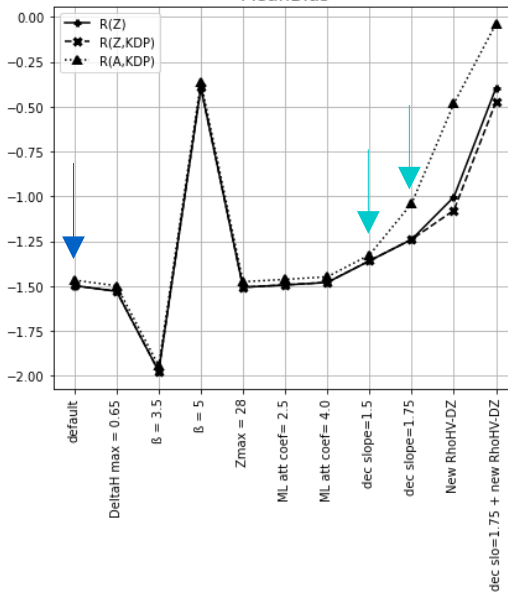
Corr. Coeff.



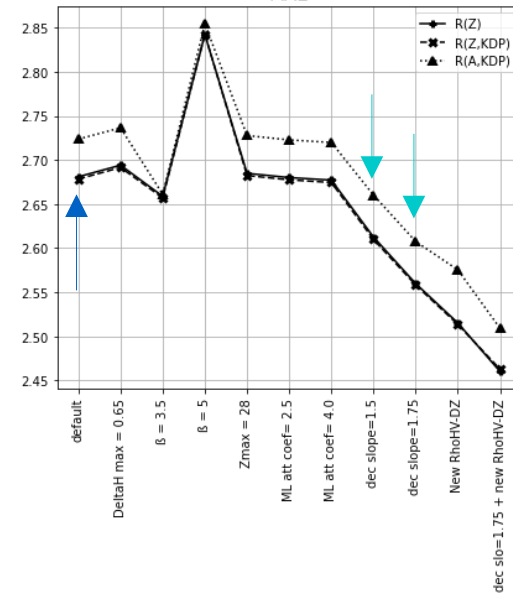
NMB



MeanBias



MAE

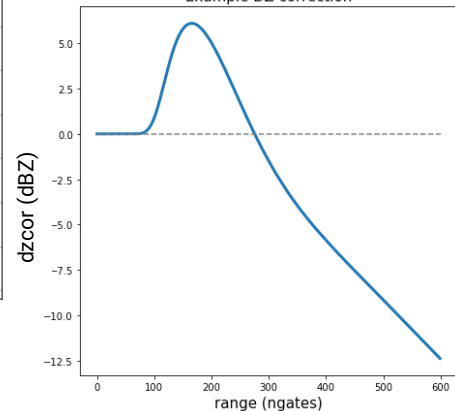


↑ default

↑ Change decreasing slope

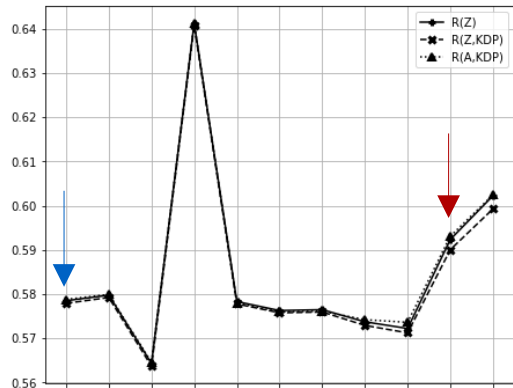
- Improves all metrics
- More pronounced improvement for more intense decreasing slope

Example DZ correction

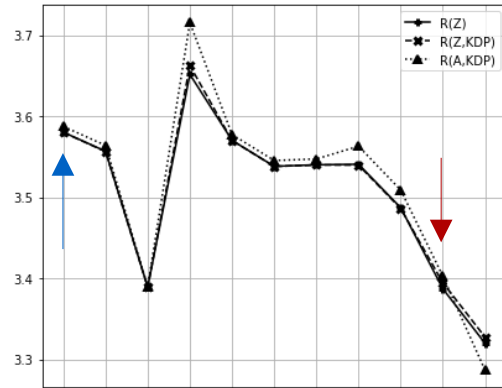


# Statistics for all rain events in January 2018

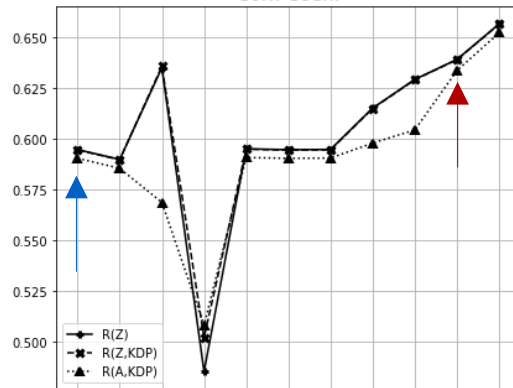
NRMSE2



RMSE



Corr. Coeff.

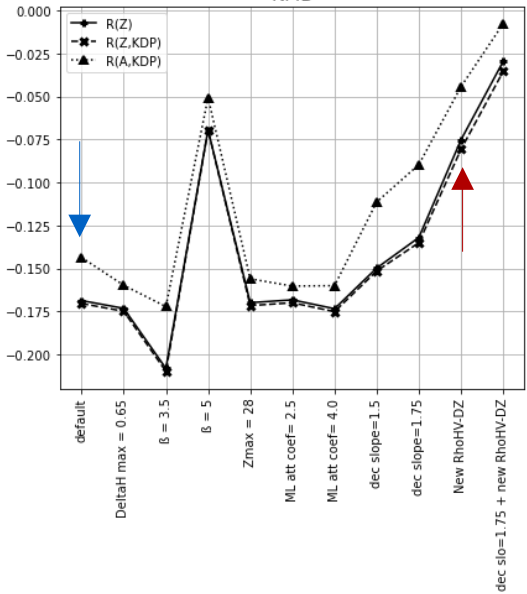


↑ default

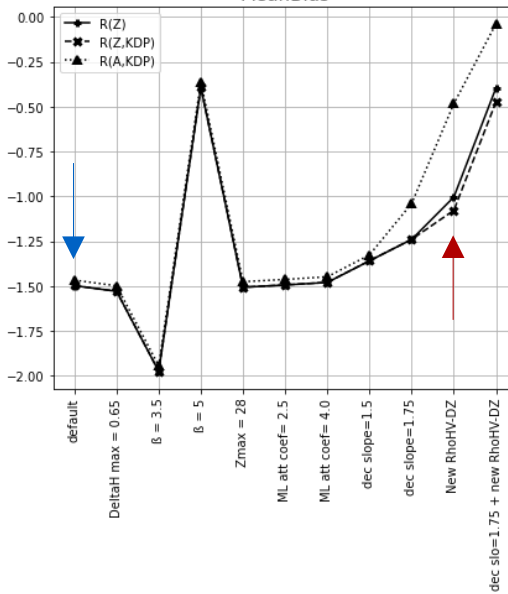
↑ New  $\Delta Z$ -min $\rho_{HV}$  rel.

- Significant improvement in all metrics
- Except NRMSE

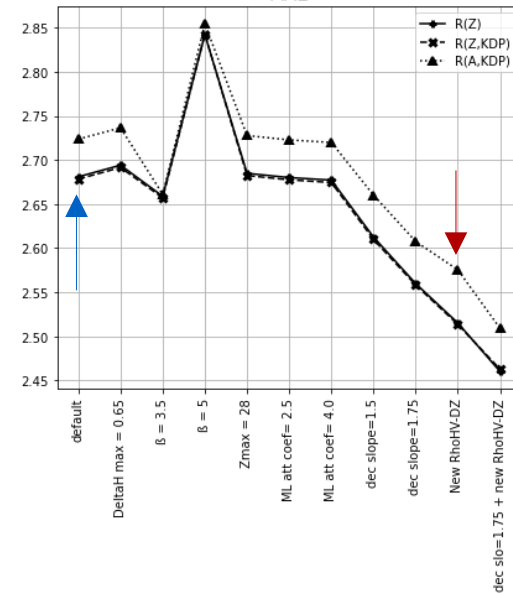
NMB



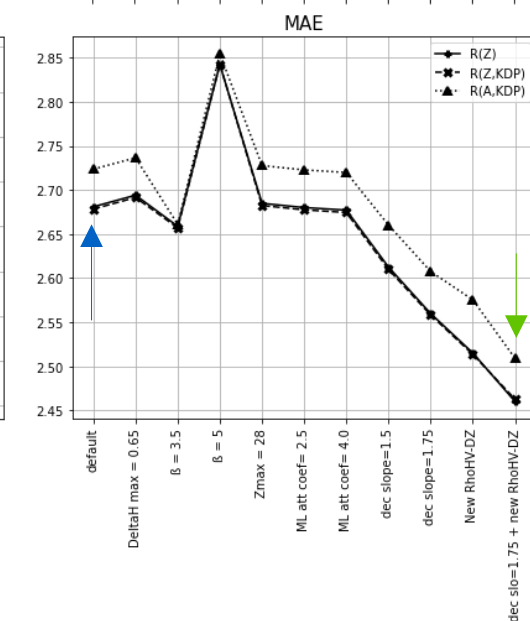
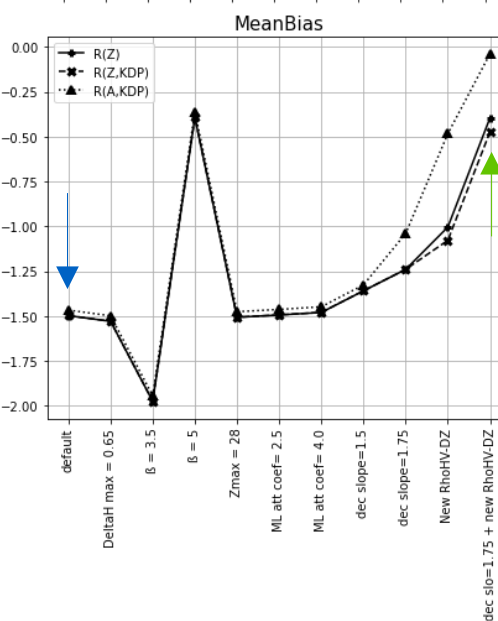
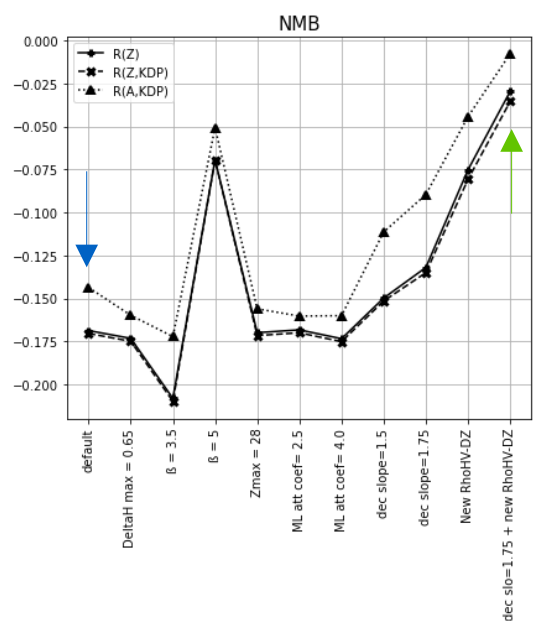
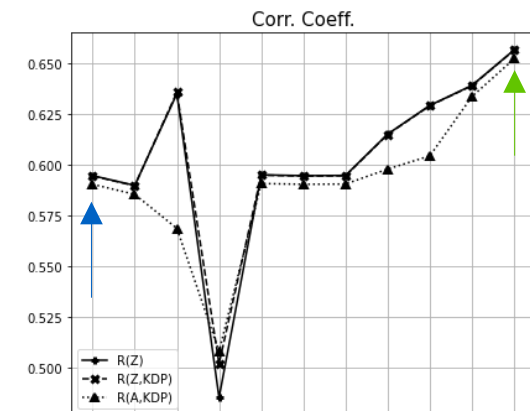
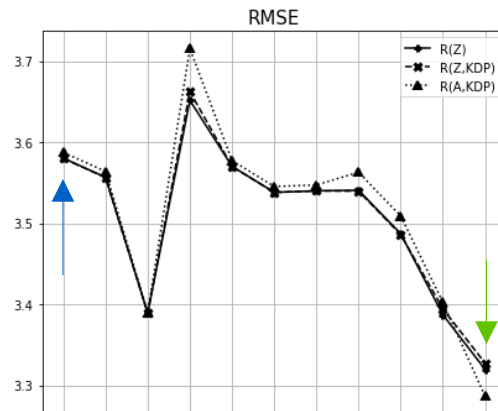
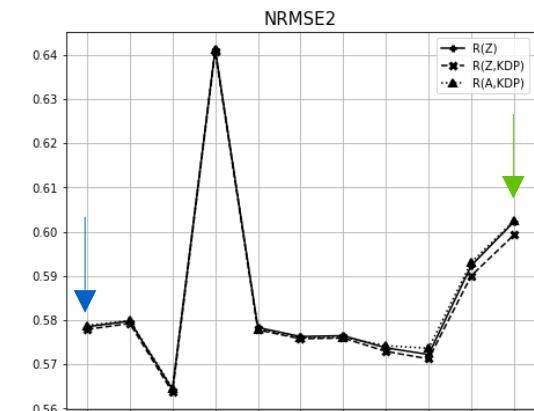
MeanBias



MAE



# Statistics for all rain events in January 2018



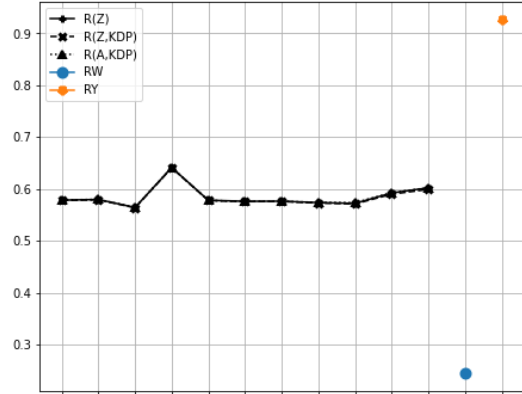
↑ default

↑ Enhanced decreasing slope + New  $\Delta Z$ -min $\rho_{HV}$  rel.

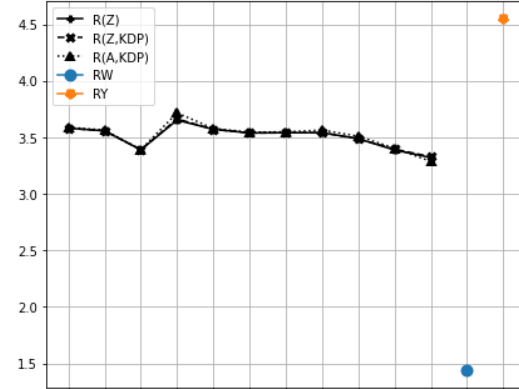
- Shows the most improvement in all metrics
- Except NRMSE

# Comparison with the DWD products

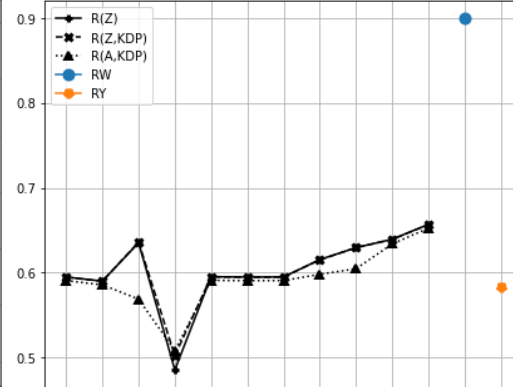
NRMSE2



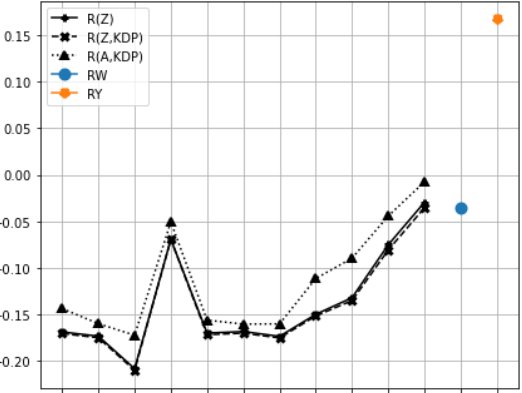
RMSE



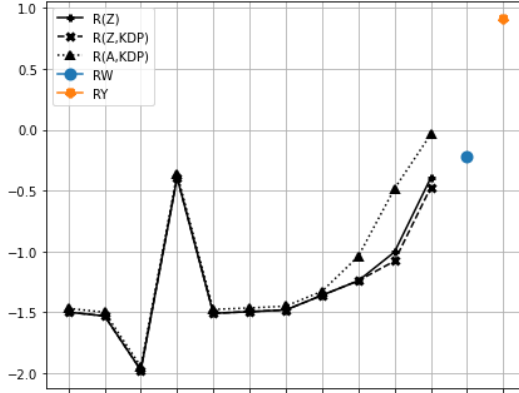
Corr. Coeff.



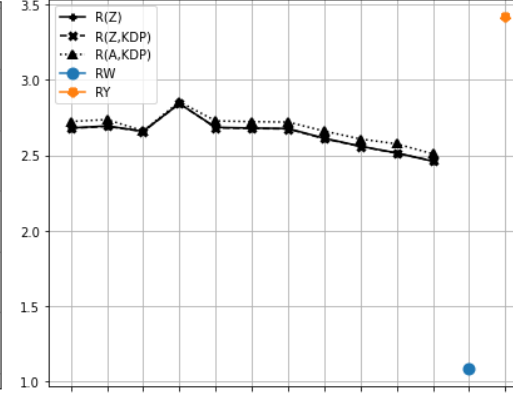
NMB



MeanBias



MAE



## RW

- Hourly product adjusted to rain gauges
- performs better for all metrics

## RY

- Radar only product 5 min resolution
- performs worse for all metrics

# Example 24h accumulation

No PVPR

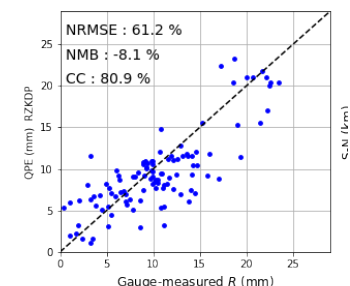
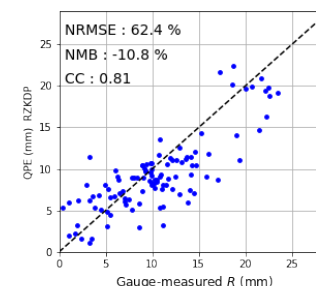
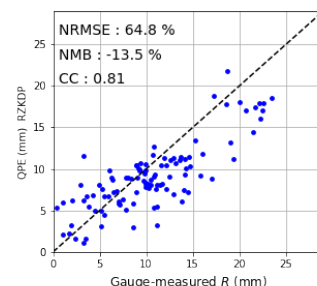
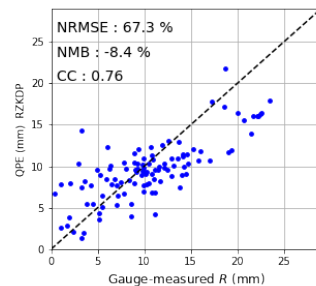
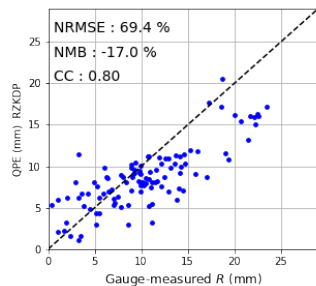
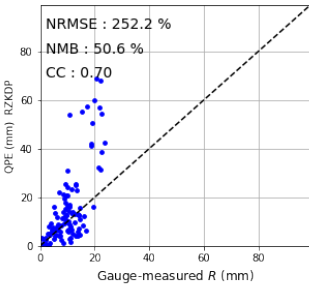
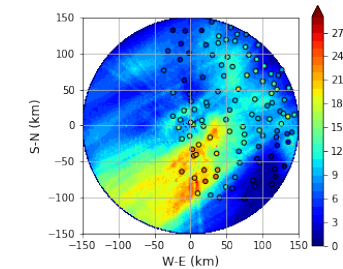
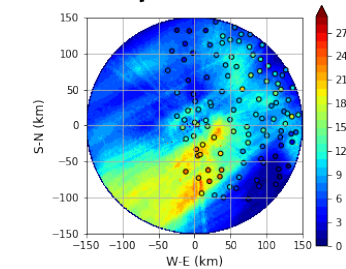
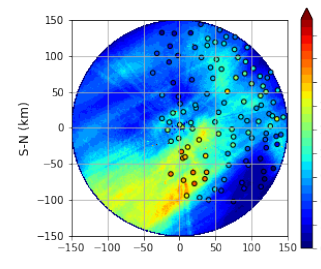
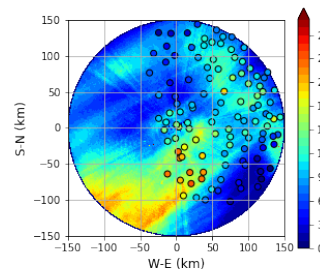
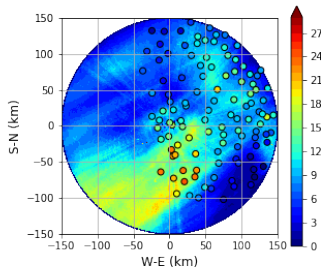
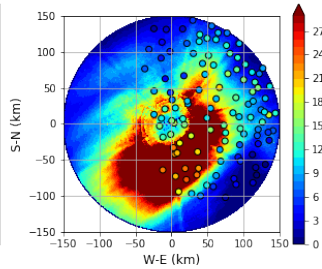
default

$\beta = 5$  dB/km

dec slope:  
1.75

New New  $\Delta Z$ -  
 $\min \rho_{HV}$  rel

Combined



# Summary

- PVPR technique shows clear improvements in QPE
  - Removing the effect of the ML
  - Improving the rainfall at far ranges
- Updates were made to the parameters based on local climatology
- The best results were achieved with a combination of the enhanced decreasing slope and the updated relationship between  $\Delta Z$  and  $\min \rho_{HV}$ .
- Comparing with existing products:
  - PVPR better performance than RY (comparable product fully radar derived with 5 min resolution)
  - PVPR performs worse than RW (product adjusted to the rain gauges measurements)
- Comparisons with other R(Z) relationships used in Germany showed that the derived R(Z) relationship from Chen *et al.* 2021 performs the best (not shown)



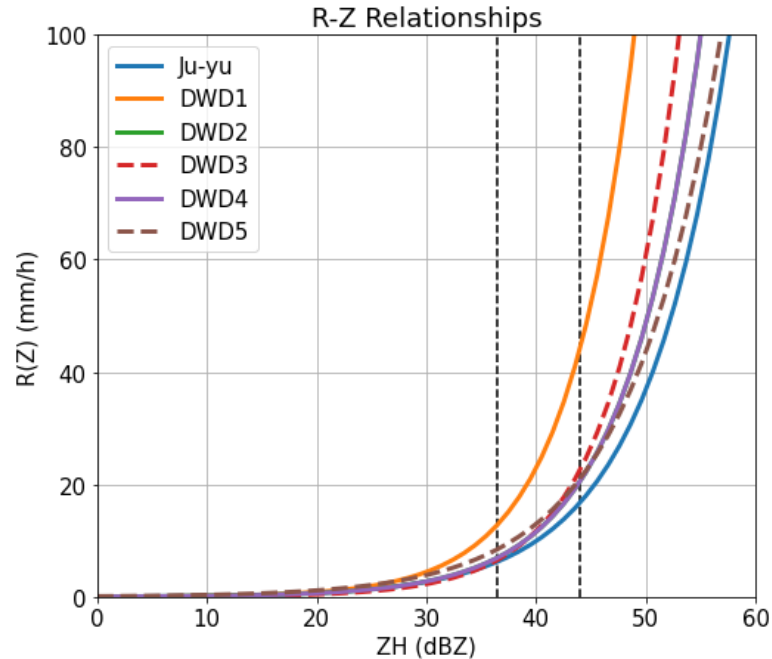
# Tests with different R-Z relationships

Tabelle 4.1: Verfeinerte Z/R-Beziehungen

dBZ	< 36.5			36.5 ... 44	> 44
	< 3.5	3.5 ... 7.5	> 7.5		
Schauerindex $\bar{\Delta}$					
Parameter a	125	200	320	200	77
Parameter b	1.4	1.6	1.4	1.6	1.9
	DWD1	DWD2	DWD3	DWD4	DWD5

$$Z = a \cdot R^b$$

DWD2 = DWD4



Ju-yu's relation:

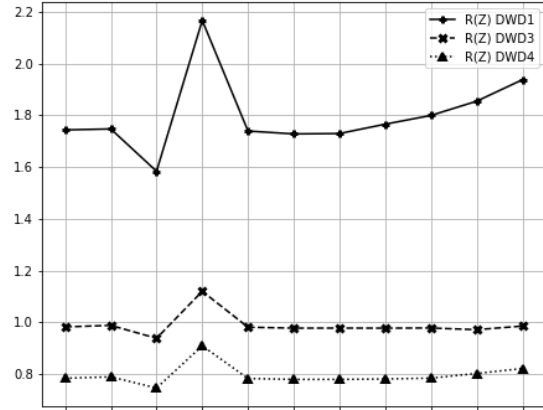
$$R(Z) = 0.052 \cdot Z_h^{0.57}$$

$$Z = 179 \cdot R^{1.75}$$

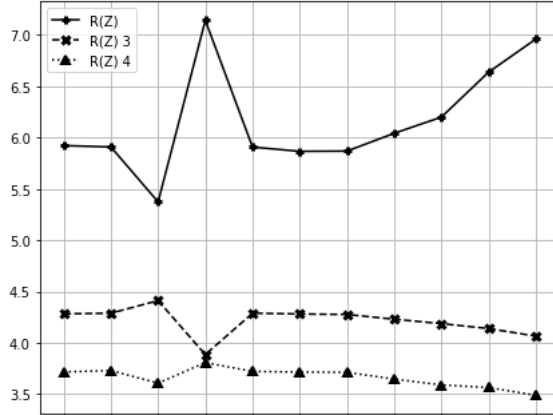
$$a = 179 \quad ; \quad b = 1.75$$

# Tests with different R-Z relationships

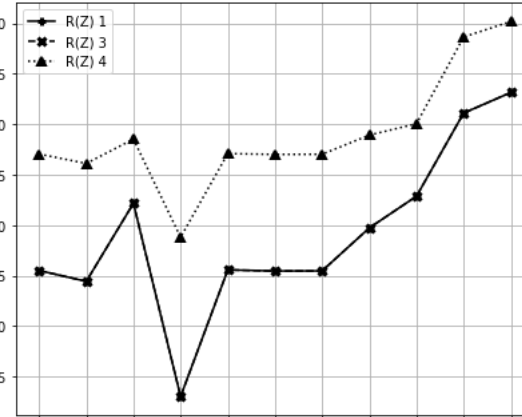
NRMSE2



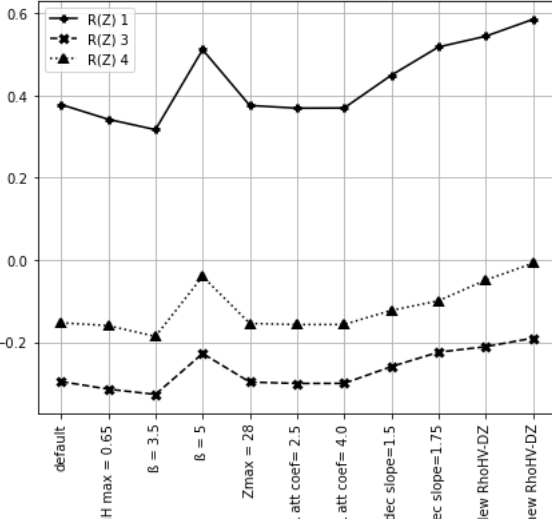
RMSE



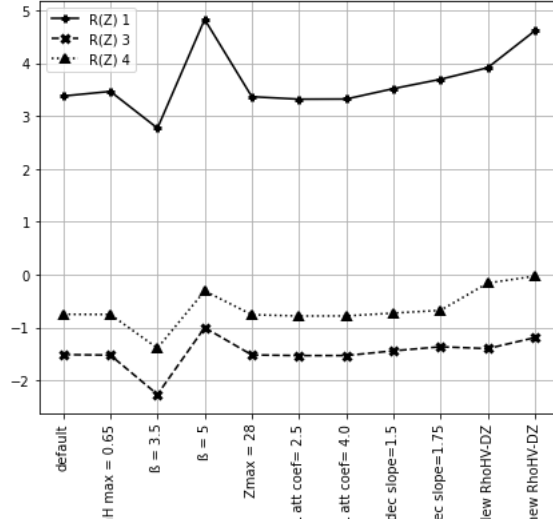
Corr. Coeff.



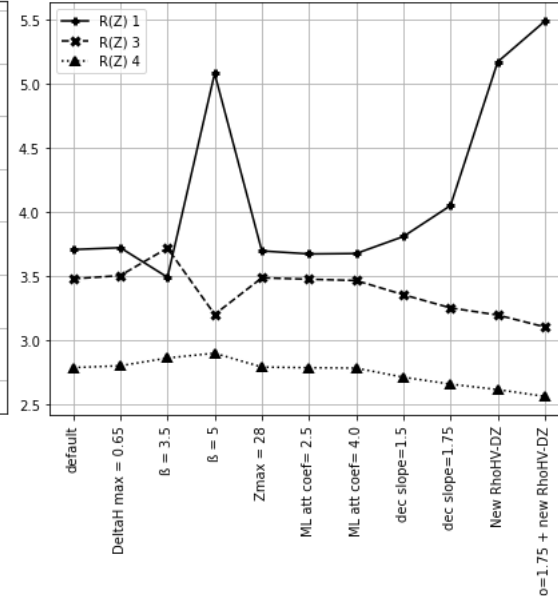
NMB



MeanBias



MAE

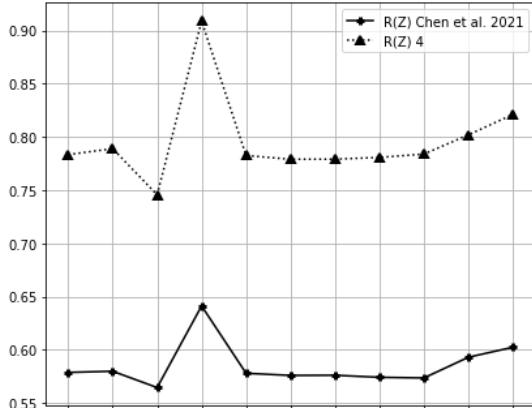


R(Z) 4 is the best by all metrics.

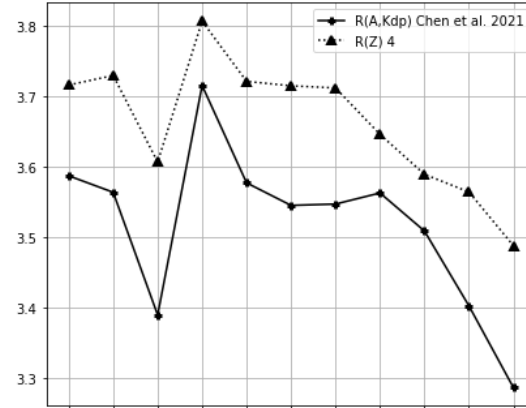


# Tests with different R-Z relationships

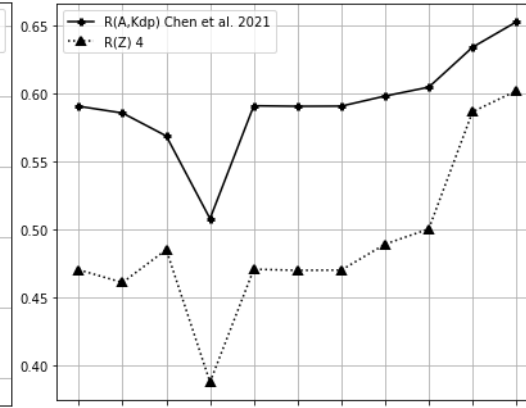
NRMSE



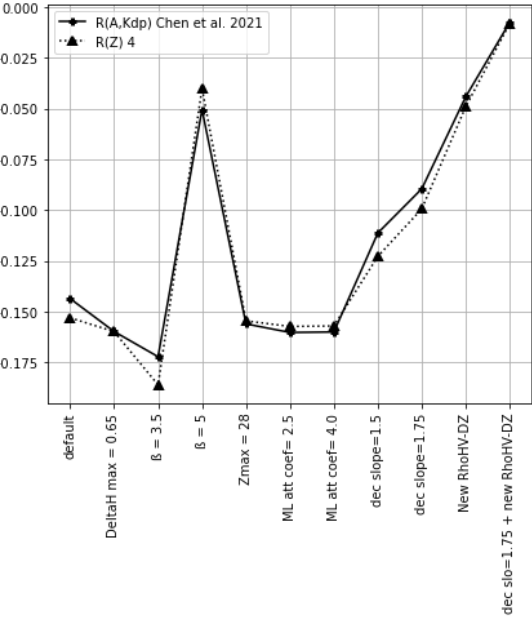
RMSE



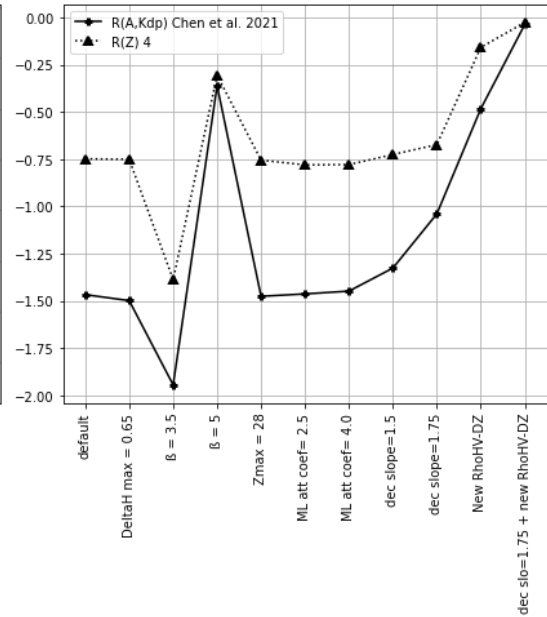
Corr. Coeff.



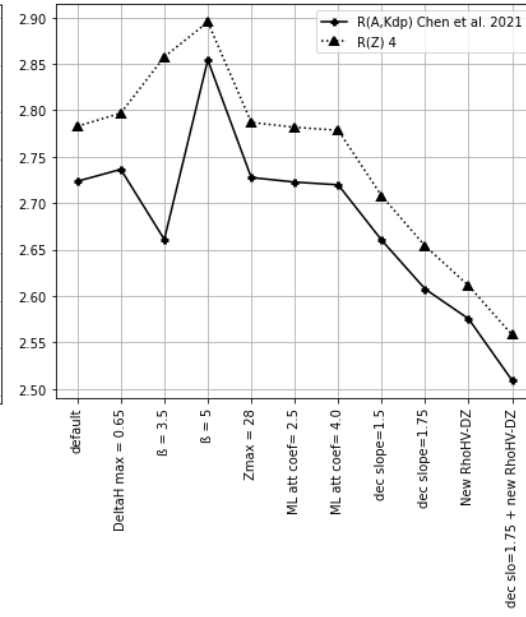
NMB



MeanBias



MAE



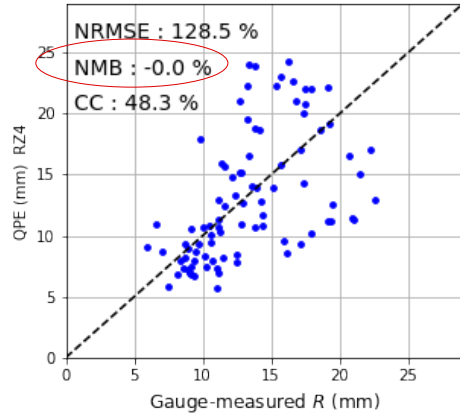
R(Ah,Kdp)

VS

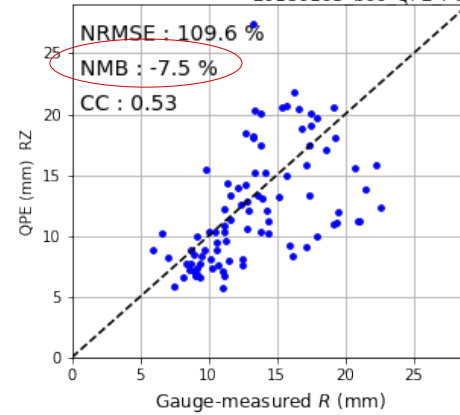
R(Z)4

R(Ah,Kdp)  
outperforms R(Z)4  
in all metrics  
(except mean Bias)

## DWD RZ4



## Ju-Yu RZ



20180103 boo PVPR

New  $\min(\rho)$ - $\max(Z)$  for Germany

(PVPR 1N1\_4N1\_7N1)

# The Lookuptables

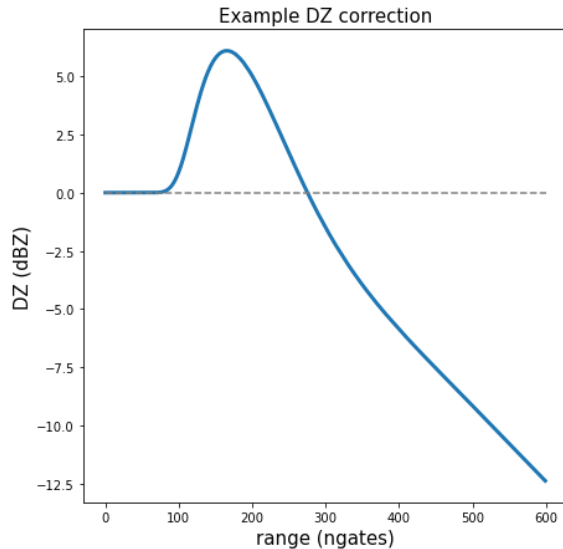
- $H_b = 0.2, 0.4, \dots, 3.0$  km (15 values)
- $\Delta H = 0.55, 0.53, 0.51, 0.49, 0.45, 0.40, 0.36, 0.32$  km (8 values)

Lookuptable:

➔ `dzcor.shape = [15,8,600]`

$H_b$  = Height of ML bottom

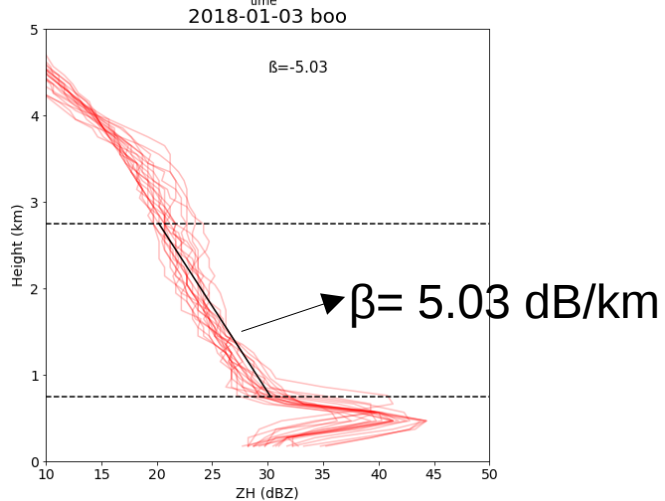
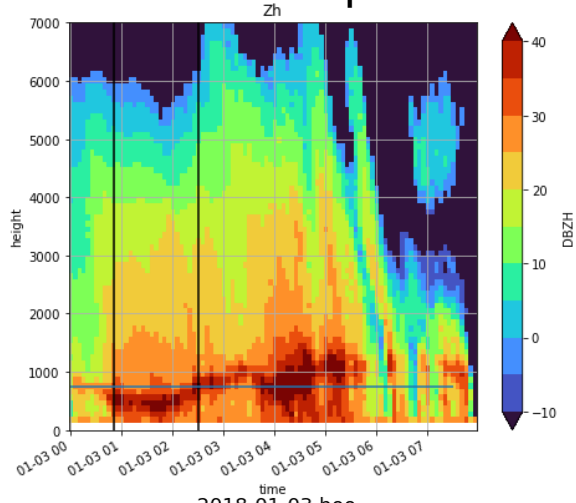
$\Delta H$  = ML thickness



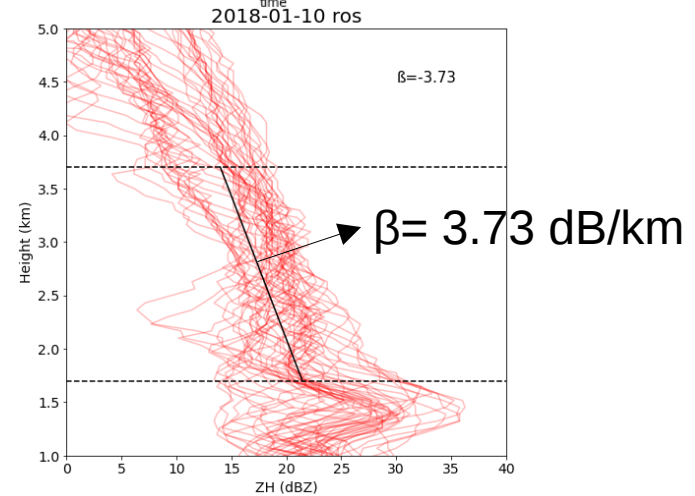
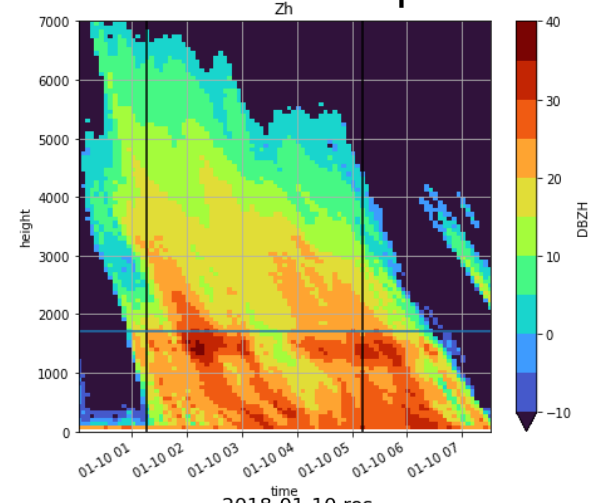
$$Z_{H,cor} = Z_H - dzcor$$

# Event Variability

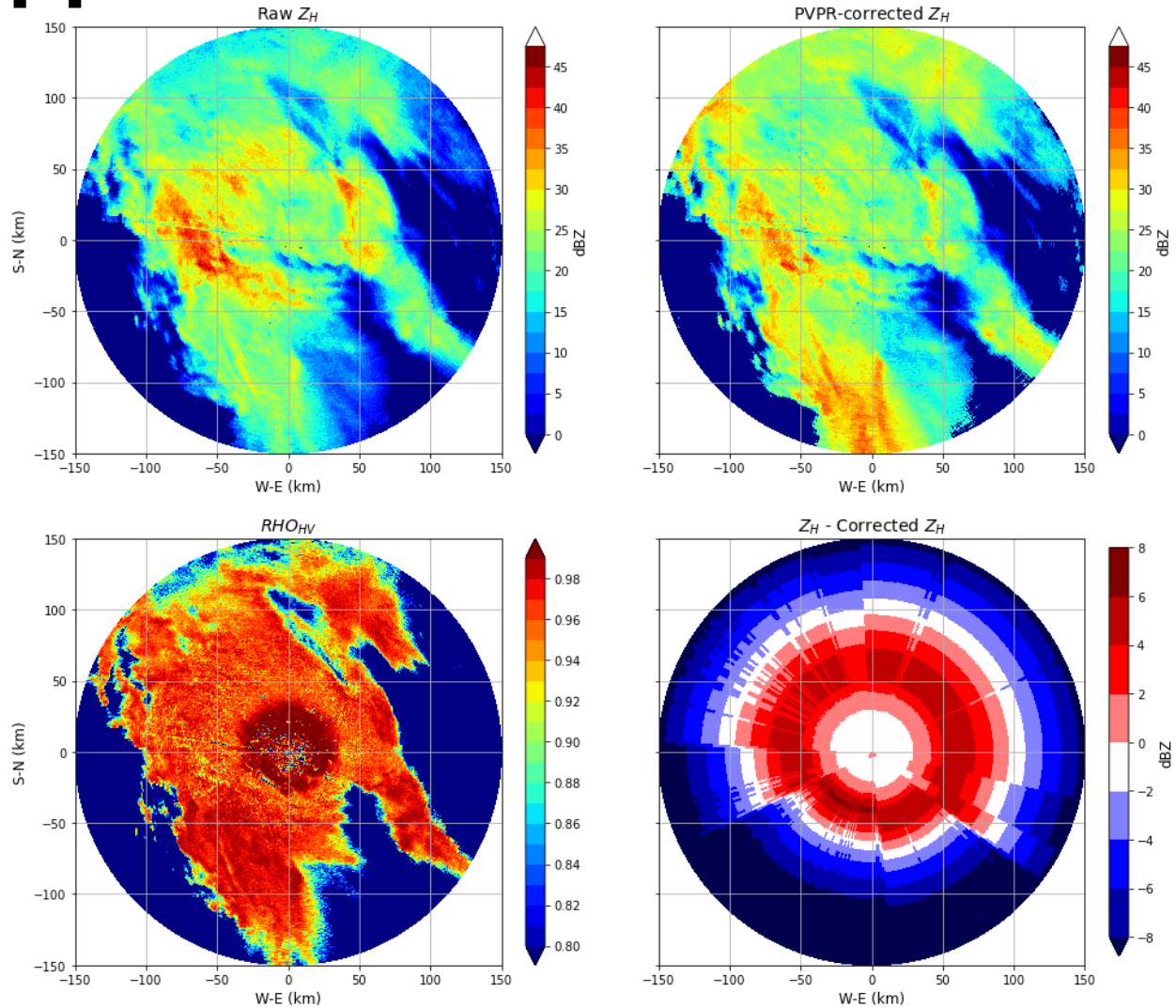
Improved scores with  $\beta = 5$  dB/km



Improved scores with  $\beta = 3.5$  dB/km



# Application of PVPR Method

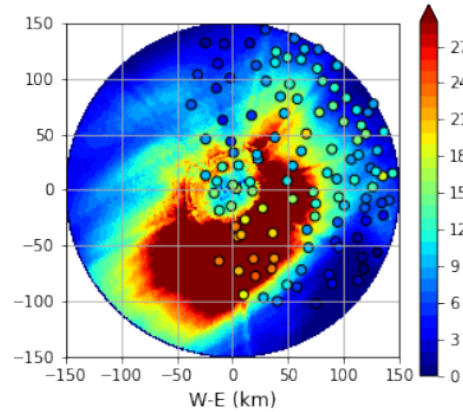


# Application of PVPR Method

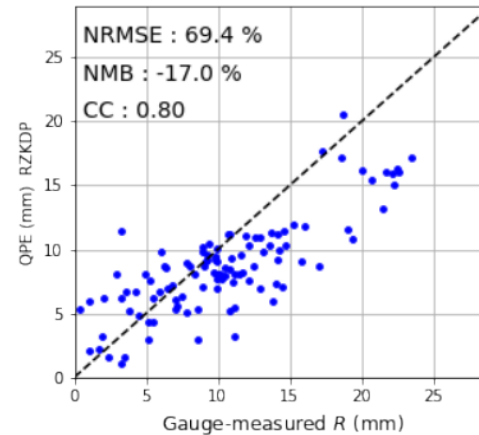
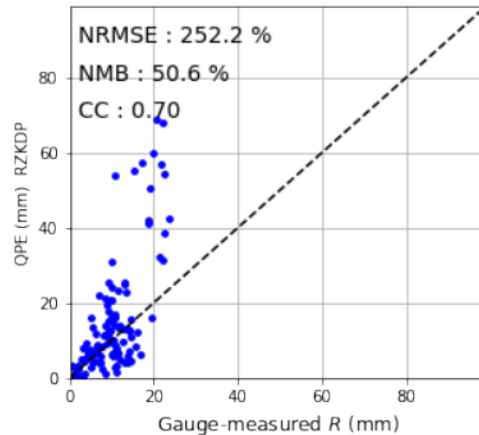
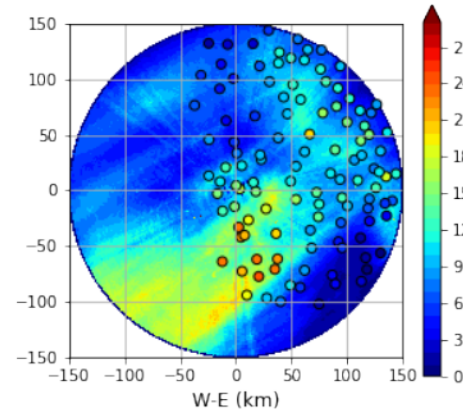
## Rainfall 24h accumulation

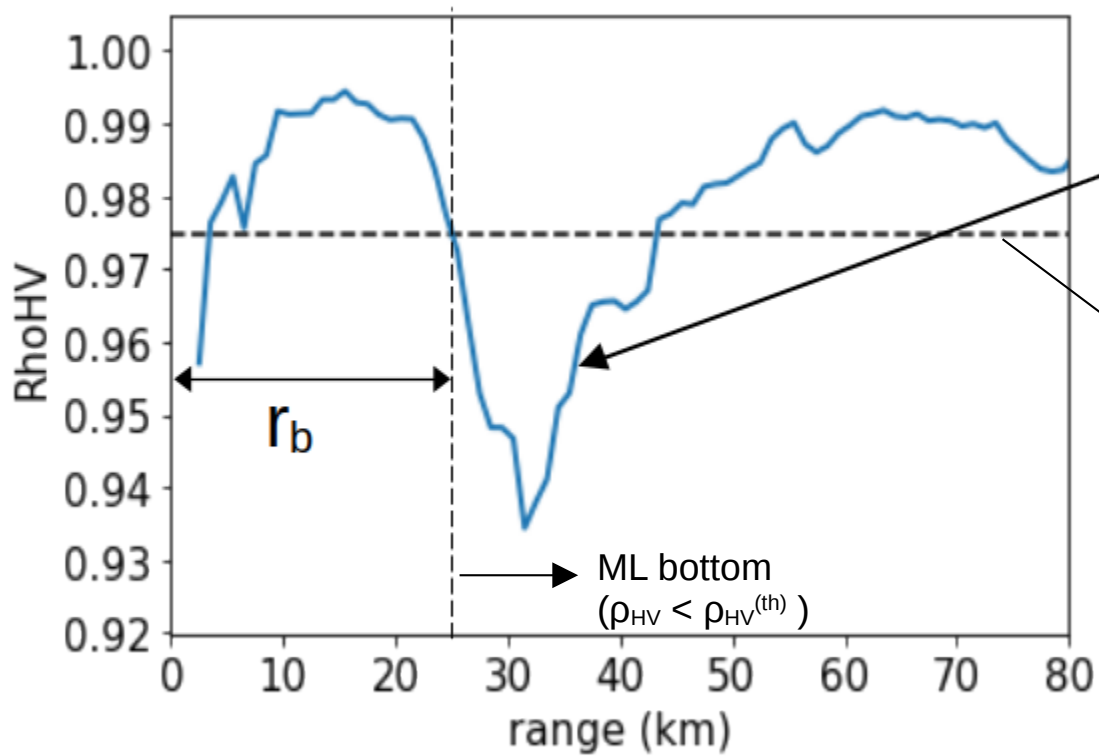
20180125 Nhb

No PVPR



Default PVPR





$$S = \int_{r_b}^{r_t} [\rho_{hv}^{(th)} - \rho_{hv}(r)] dr$$

$$\rho_{HV}^{(th)} = 0.975$$