



Offline Reinforcement Learning-Based Control of LEIR Injection Efficiency via Data-Driven Surrogate Modeling

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April 3, 2025

Acknowledgements: Michael Schenk, Verena Kain, Penny Madysa, Simon Hirländer, Theodoros Argyropoulos, Felix Carlier, Maciej Slupecki

Outline

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5 Bibliography

Low Energy Ion Ring (LEIR) controls



Supervision and operation of the machine:

- Complex system by design
- Many hours of manual maintenance/recovery of performance
- High repetition rate
- Low energy beam

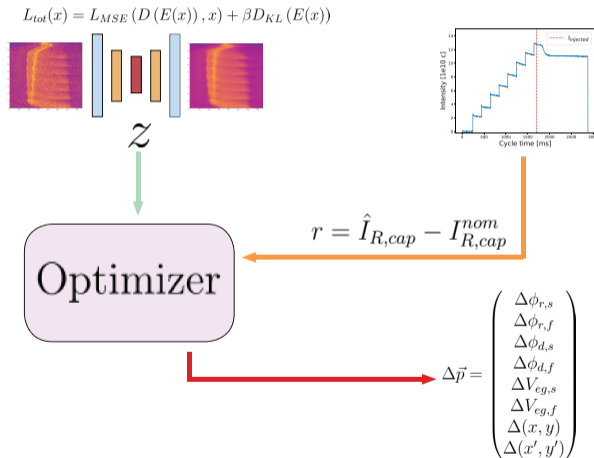
→ Perfect testbed for auto-pilots!

Challenges of LEIR injection

- Injection efficiency into LEIR severely depends on energy distribution of the incoming pulses from LINAC3
 - Accumulation of several pulses with multi turn injection using 6D phase-space painting
 - Cool and drag in momentum space the beam already circulating in LEIR
- Stripping foil has a limited lifespan and degrades over time
 - Impacts the mean ion energy and changes the energy distribution width
 - Decreases the injection efficiency over time and needs to be compensated manually
- We aim to develop stateful optimizers for maintaining or re-establishing desired intensity in LEIR

Stateful optimization

Stateful optimization of injected beam intensity



- Training a VAE of longitudinal Schottky spectra to obtain encoded latent vector \mathbf{z}
- Optimizer observes encoding of Schottky spectra \mathbf{z} and intensity reading from the BCT
- Optimizer modifies relevant parameters for improving the intensity in the ring



Simulating the longitudinal LEIR injection

Injection from Linac3 to LEIR is complex to simulate:

- Coasting beam with multi turn injection
→ no RF focusing

$$\Delta f_{rev} = -f_0 \frac{\Delta P}{P_0} = 0$$

- Interplay of several collective effects: electron cooling, impedance, IBS, and space charge

- Possible to compute the simulated equilibrium longitudinal Schottky spectrum accurately
- Takes several hours to simulate a few 10k turns of multi injection coasting beam with high accuracy

→ Need to develop a reliable data-driven surrogate model for fast training!

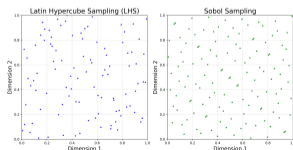
Data-driven surrogate model

Building the data-driven surrogate model

Due to high dimensionality of action space and limitation of resources, data collection needs to be done efficiently:

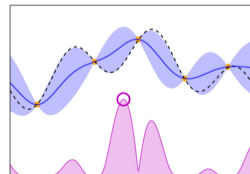
Static sampling methods:

- Latin Hypercube sampling (ensures stratification in each dimension)
- Sobol sampling (low discrepancy sequence)

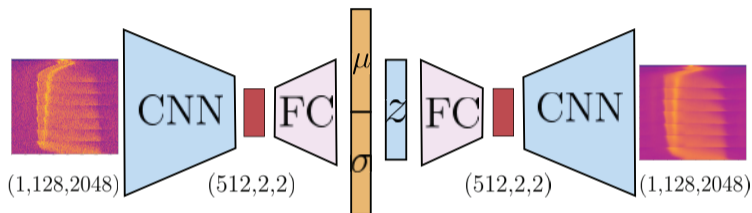


Dynamic sampling methods:

- Bayesian Optimization on the injection efficiency with high β UCB acquisition function
- $$a_{\text{UCB}}(x; \beta) = \mu(x) + \sqrt{\beta} \sigma(x)$$



Observation space: Encoding the longitudinal Schottky spectra



Loss used for training :

$$L_{tot}(x) = L_{MSE}(D(E(x)), x) + \beta |D_{KL}(E(x)) - C|$$

where C is increased throughout the training to control the encoding capacity of the VAE's bottleneck

- Longitudinal Schottky spectra has a dimension of $\approx (1, 90, 1514)$
- Need to reduce it for using it as observation for RL agent
- Found optimal latent dimension for reconstruction error $\mathbf{z} \in \mathbb{R}^{20}$
- Right balance for reconstruction vs disentanglement with $\beta = 0.05$

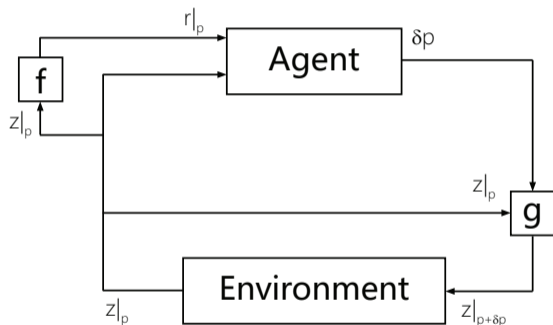
Action space: Spanning the whole parameter space

List of actionable parameters:

- Debunching and ramping cavity phases (3 parameters)
- Horizontal and vertical cooler bumps (4 parameters)
- Electron gun voltage (2 parameters)
- Horizontal and vertical injection bumps (4 parameters)
- Injection corrector magnet intensity per pulse (n_{pulse} parameters)
- The whole possible parameter space is explored
- Two sets of problems with different action space dimensions:
 - $d_a = 9$
 - $d_a = 21$ (for Pb ions)
- Will only focus here on purely longitudinal problem with $d_a = 9$

Offline training and evaluation of RL agent

Offline training of an RL agent on the surrogate model



→ Still needs to be tested online and evaluate quality of simulation-to-reality transfer

Two models are used for the training :

- Reward model : $f(\mathbf{z}|_p) = r|_p$
- Transition model : $g(\mathbf{z}|_p, \delta \mathbf{p}) = \mathbf{z}|_{p+\delta \mathbf{p}}$

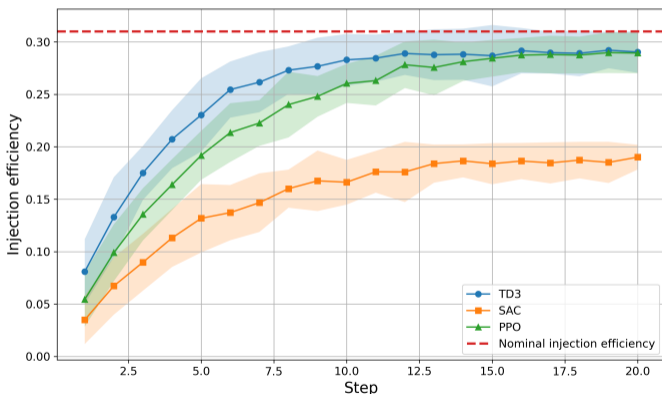
Loss used for training the transition model:

$$\begin{aligned}
 L = & \|g(\mathbf{z}|_p, \delta p) - \mathbf{z}|_{p+\delta p}\| \\
 & + \gamma_1 \|g(g(\mathbf{z}|_p, \delta p), -\delta p) - \mathbf{z}|_p\| \\
 & + \gamma_2 \|g(\mathbf{z}|_{p+\delta p}, -\delta p) - \mathbf{z}|_p\| \\
 & + \gamma_3 \|g(\mathbf{z}|_p, 0) - \mathbf{z}|_p\| \\
 & + \gamma_4 \|g(\mathbf{z}|_{p+\delta p}, 0) - \mathbf{z}|_{p+\delta p}\|
 \end{aligned}$$

Loss used for training the reward model:

$$L_{\text{reward}} = \|f(\mathbf{z}|_p) - r|_p\|$$

Application of common RL algorithms to the offline LEIR injection task



- Reduced action step size for testing quality of trained transition model, possible to solve the task in 1 step.
- Evaluated trained agents over 50 iterations for common on and off-policy DRL algorithms.
- Reward corresponds to the injection efficiency between Linac3 and LEIR

$$r(i_{injected}, i_{L3}) = \frac{i_{injected}}{i_{L3}} = \frac{i_{injected}}{\sum_{j=1}^8 i_j}$$

Outcomes and future plans

Current outcomes of RL on LEIR injection surrogate model

- Data-driven surrogate models extrapolate poorly: during training, need to clip observations and rewards to values within the distribution of training set
- Small errors accumulate over several steps making sim2real transfer less accurate for optimizers performing a large number of steps
- No accurate indication of stripping foil age in observation → plan to add time of flight measurements

Future updates

- Plan to apply it to the Oxygen run of 2025 starting mid-May and the Lead run early September
- Work around clipping surrogate model by using normalizing flows for transfer model
- Use fancier models once transfer model and classic DRL agents reliably obtain nominal injection efficiency

Thank you for your attention

References

- Biancacci.** “Advancements in injection efficiency modelling for the Low Energy Ion Ring (LEIR) at CERN”. In: *JACoW IPAC 2023 (2023)*, MOPL016. DOI: [10.18429/JACoW-IPAC2023-MOPL016](https://doi.org/10.18429/JACoW-IPAC2023-MOPL016).
- Biancacci, N. and M. Zampetakis.** “Simulation and measurement of the interplay between electron cooling, impedance, intrabeam scattering, and space charge for coasting beams”. In: *Phys. Rev. Accel. Beams* 27 (1 2024), p. 014201. DOI: [10.1103/PhysRevAccelBeams.27.014201](https://doi.org/10.1103/PhysRevAccelBeams.27.014201). URL: <https://link.aps.org/doi/10.1103/PhysRevAccelBeams.27.014201>.
- Madysa.** “Automated Intensity Optimisation Using Reinforcement Learning at LEIR”. In: *JACoW IPAC 2022 (2022)*, pp. 941–944. DOI: [10.18429/JACoW-IPAC2022-TUPOST040](https://doi.org/10.18429/JACoW-IPAC2022-TUPOST040).