

Nikhef

Radboud Universiteit



SOURCE TERMS IN ELECTROWEAK BARYOGENESIS

Marieke Postma
BLV October 2024

with G. White & J. v/d Vis
2107.05971, 2206.01120

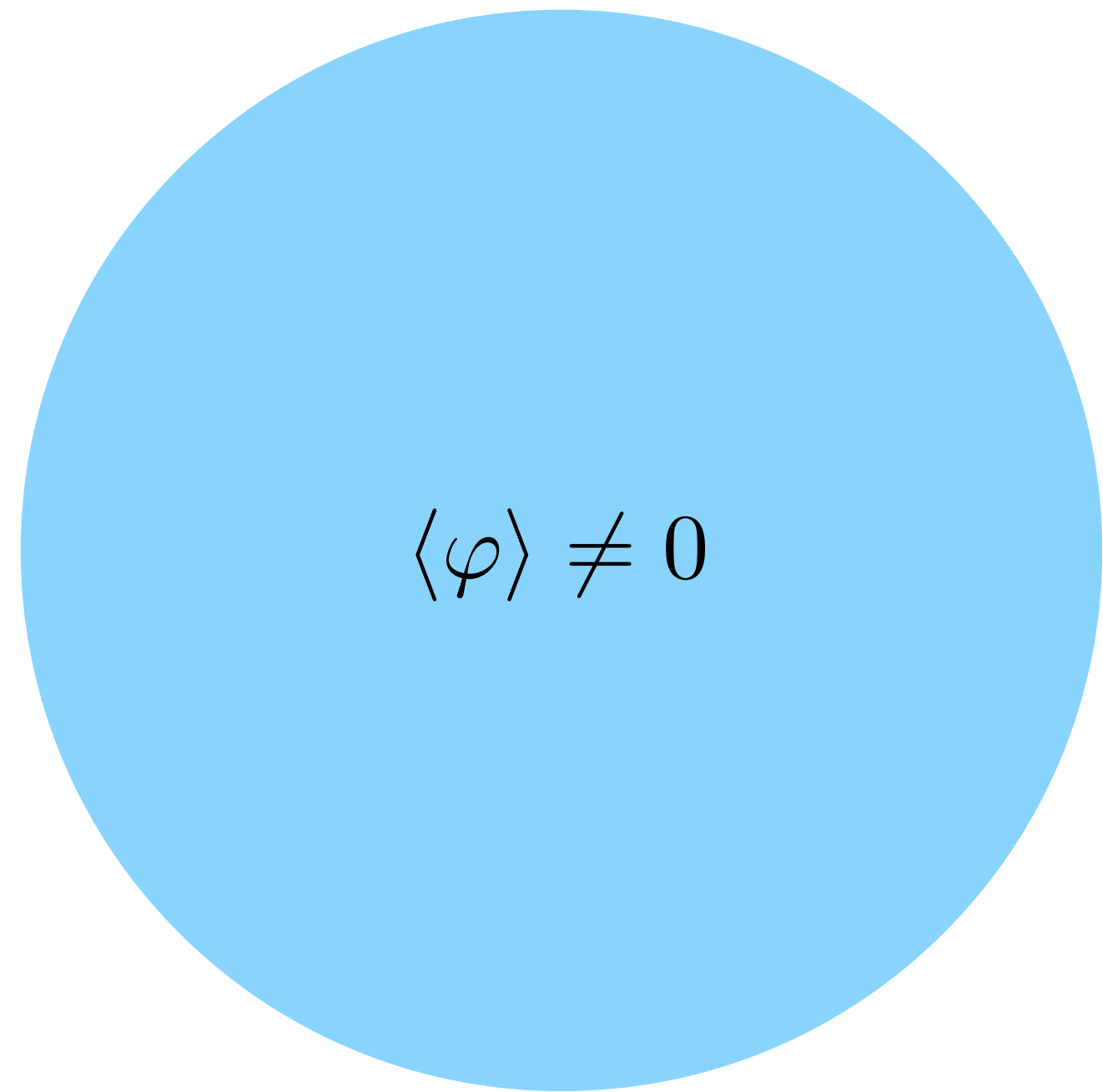
Why is everything made out of matter?



BARYOGENESIS

leptogenesis, Affleck-Dine baryogenesis, pangenesis,
mesogenesis, **electroweak baryogenesis**, Wimp
baryogenesis, GUT baryogenesis, darkogenesis,
cogenesis, gravitational baryogenesis, wash-in
leptogenesis, axiogenesis, scotogenesis, spontaneous
baryogenesis, ...

EW BARYOGENESIS IN A NUTSHELL



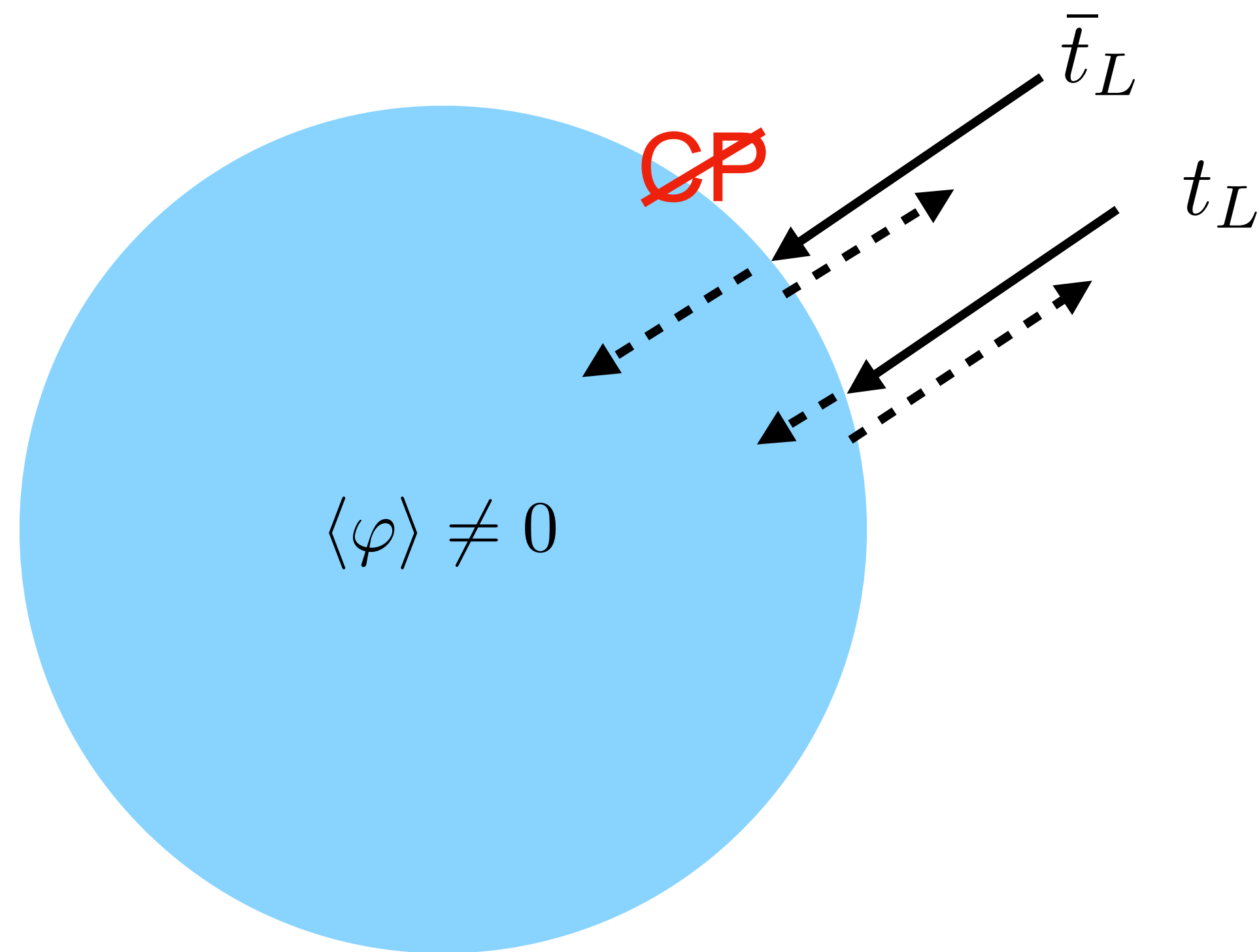
$$\langle \varphi \rangle = 0$$

1st order EW phase transition

EW BARYOGENESIS IN A NUTSHELL

$$\mathcal{L} \supset \frac{y_t}{\sqrt{2}} \varphi \left(1 + c \frac{\varphi^2}{\Lambda^2} \right) \bar{t}_L t_R + \text{h.c.}$$

CP violation

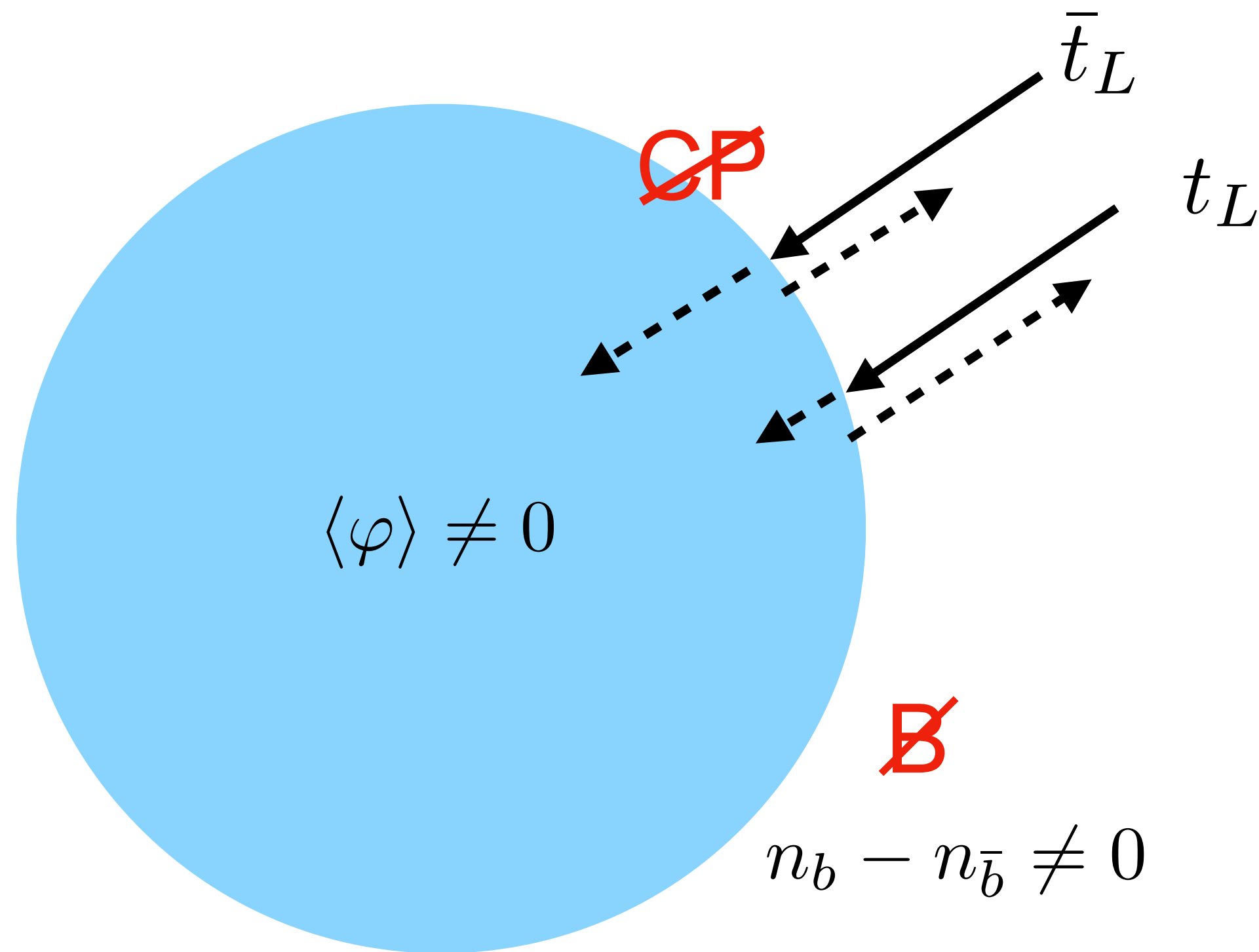


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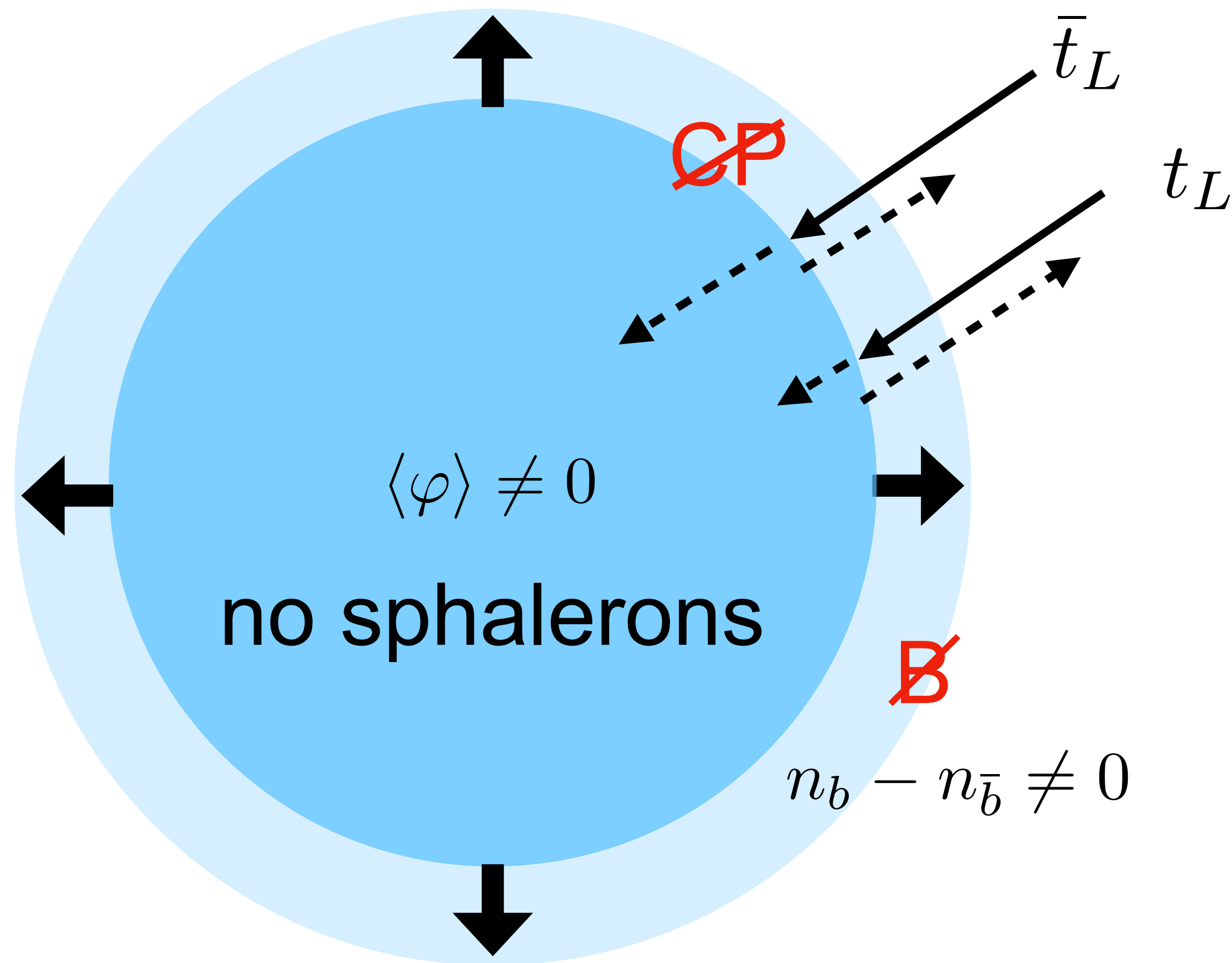
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B violation by sphalerons

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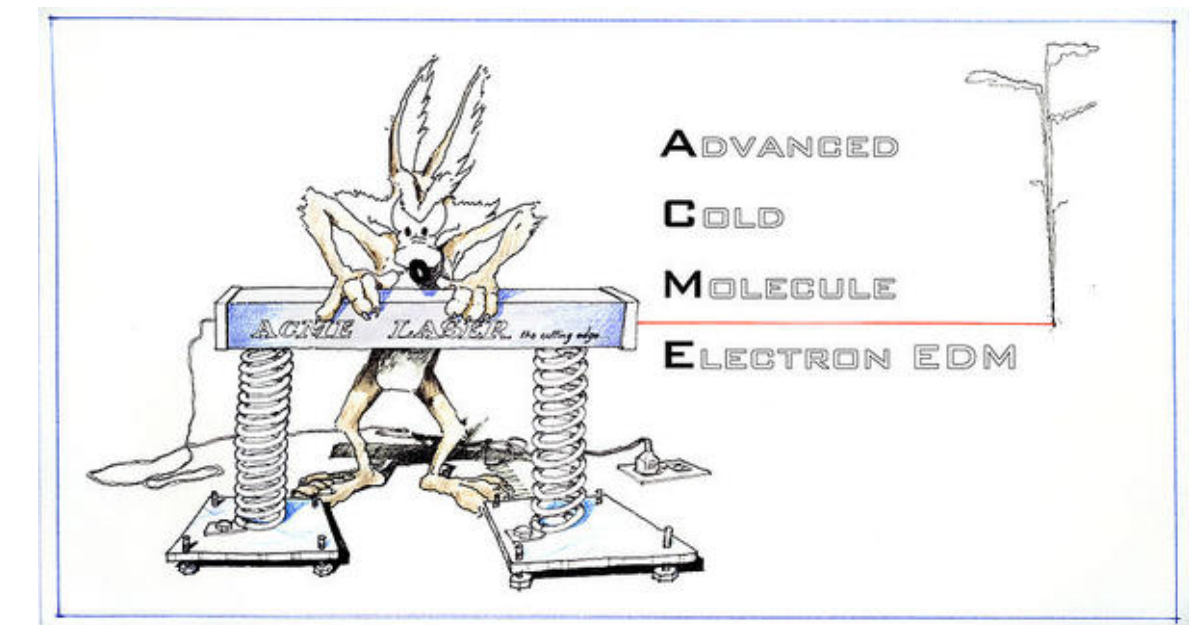
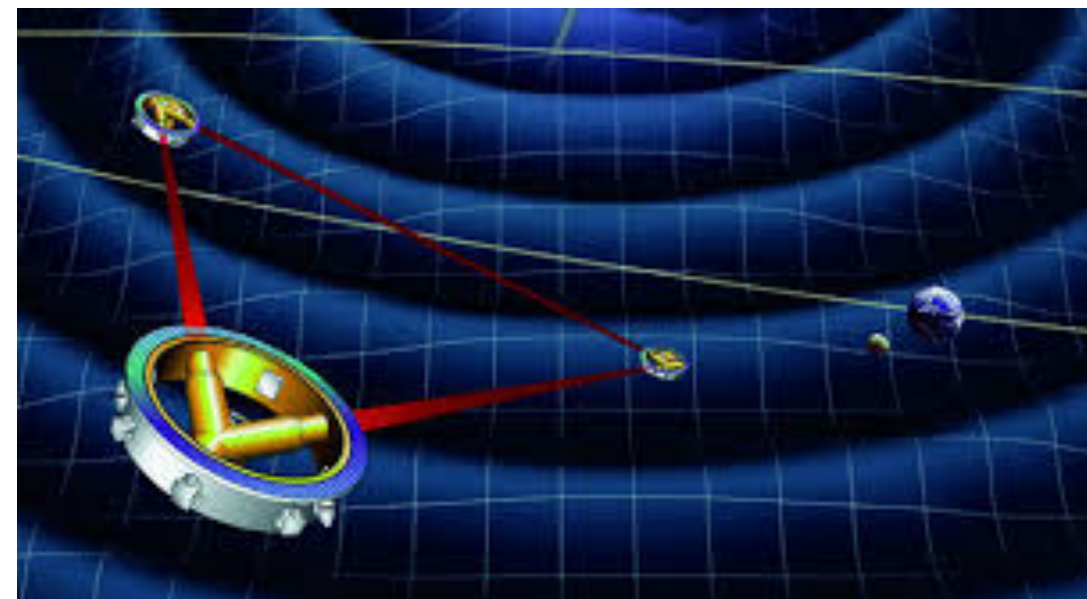
B violation by sphalerons

TESTING ELECTROWEAK BARYOGENESIS

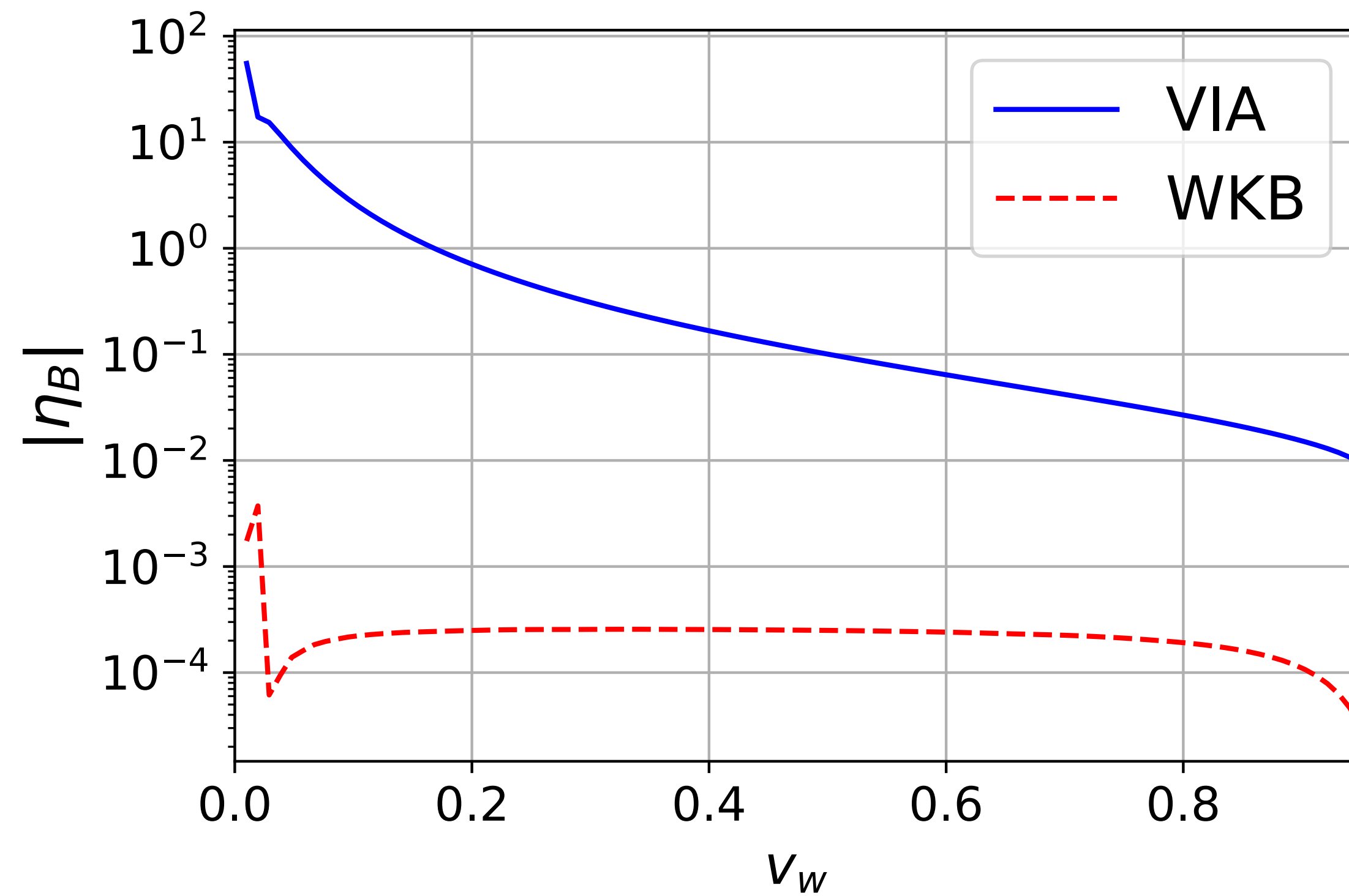
new physics at the EW scale:

- \not{CP} operators
- extended Higgs sector: 1st order EW phase transition

see Lisa Biermann's talk



TESTING ELECTROWEAK BARYOGENESIS



Cline & Laurent '21

BOLTZMANN EQUATIONS

$$\partial f_i + \text{interactions} = \text{source}$$

BOLTZMANN EQUATIONS

$$\mathcal{L} \supset \frac{y_t}{\sqrt{2}} \varphi \left(1 + c \frac{\varphi^2}{\Lambda^2} \right) \bar{t}_L t_R + \text{h.c.}$$

CP violation

Source:

1. semi-classical / WKB source

Joyce, Cline, Prokopec, Kainulainen,
Konstandin, Schmidt, Turok, Weinstock,...

2. flavour source

Cirigliano, Lee, Tulin, Ramsey-Musolf,
Prokopec, Konstandin, Schmidt, Seco

see Bahaa Ilyas' talk

3. vev-insertion-approximation (VIA)

Riotto,
Cirigliano, Lee, Tulin, Ramsey-Musolf,
Kainulainen

INGREDIENTS OF THE CALCULATION

CTP formalism

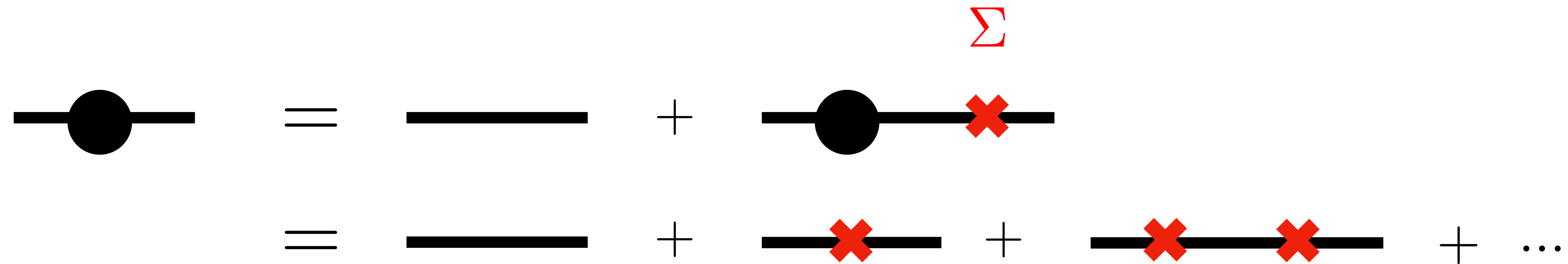
$$\langle \text{in} | \mathcal{O}(t) | \text{in} \rangle \sim$$

The diagram illustrates a closed time path in the CTP formalism. It consists of two horizontal lines. The top line starts at time t_0 on the left, goes right to time t on the right, and then loops back to t_0 . The bottom line starts at time t on the right, goes left to time t_0 on the left, and then loops back to t . A plus sign (+) is placed above the top line between t_0 and t , and a minus sign (-) is placed below the bottom line between t and t_0 . The label $\rho(t_0)$ is on the left, and $\mathcal{O}(t)$ is on the right.

propagator $iG = \langle \text{in} | T_C(\psi(u)\bar{\psi}(v)) | \text{in} \rangle$

INGREDIENTS OF THE CALCULATION

Schwinger-Dyson eq. $[i\cancel{\partial} - M]G = 1 + \Sigma \otimes G$



INGREDIENTS OF THE CALCULATION

Schwinger-Dyson eq. $[i\not{\partial} - M]G = 1 + \Sigma \otimes G$

finite temperature $\int dk_0 G_{LL} \propto f_L$

INGREDIENTS OF THE CALCULATION

$$\{k, G^<\} = e^{-i\diamond} \left(\{M, G^<\} + \{\Sigma^<, G^h\} + \frac{1}{2}([\Sigma^>, G^<] - [\Sigma^<, G^>]) \right)$$

constraint eq

$$\frac{i}{2}\{\not{\partial}_x, G^<\} = e^{-i\diamond} \left([M, G^<] + [\Sigma^<, G^h] + \frac{1}{2}(\{\Sigma^>, G^<\} - \{\Sigma^<, G^>\}) \right)$$

kinetic eq

gradient expansion $e^{-i\diamond} = 1 - i\diamond + \dots$

$$\diamond(AB) = \frac{1}{2} (\partial_x A \cdot \partial_k B - \partial_k A \cdot \partial_x B)$$

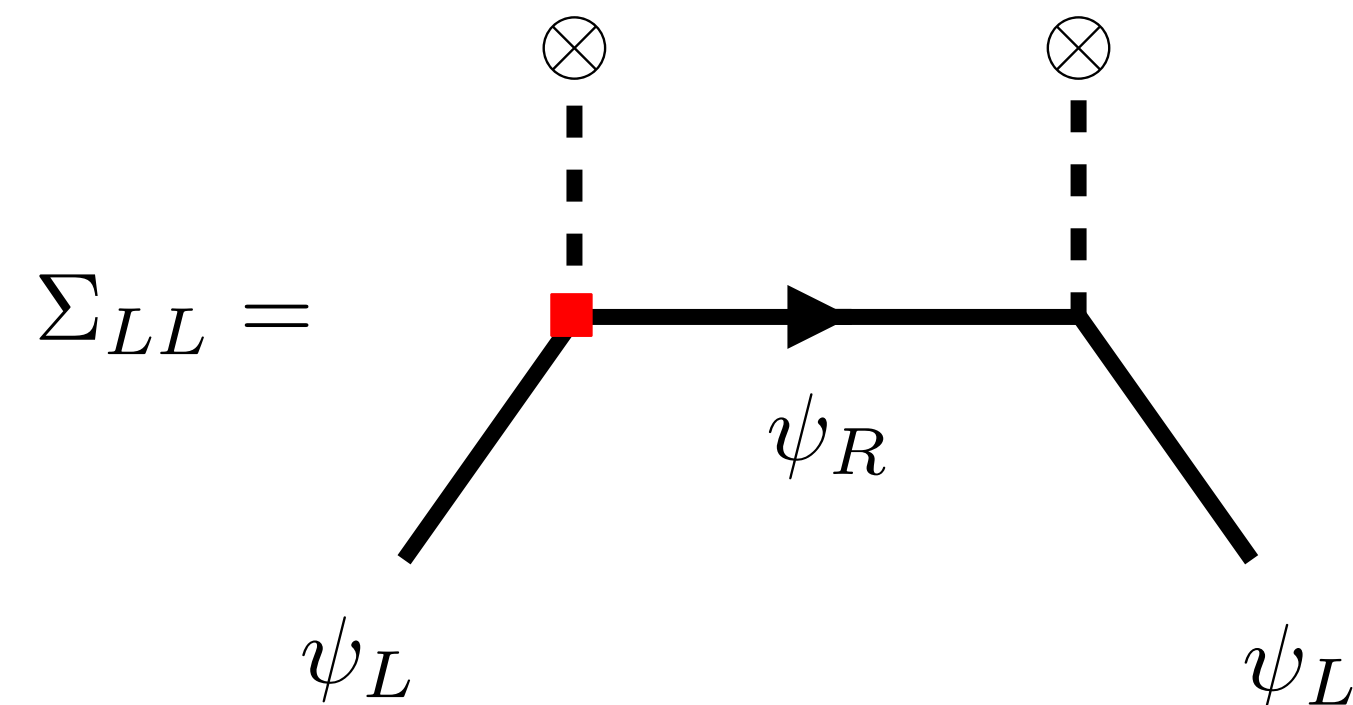
RESULTS

$$\mathcal{L} \supset \frac{y_t}{\sqrt{2}} \varphi \left(1 + c \frac{\varphi^2}{\Lambda^2} \right) \bar{t}_L t_R + \text{h.c.}$$

CP violation

$$S = [M, G_0^<] + [\Sigma^<, G_0^h] + \frac{1}{2} (\{\Sigma^>, G_0^<\} - \{\Sigma^<, G_0^>\})$$

old calculation



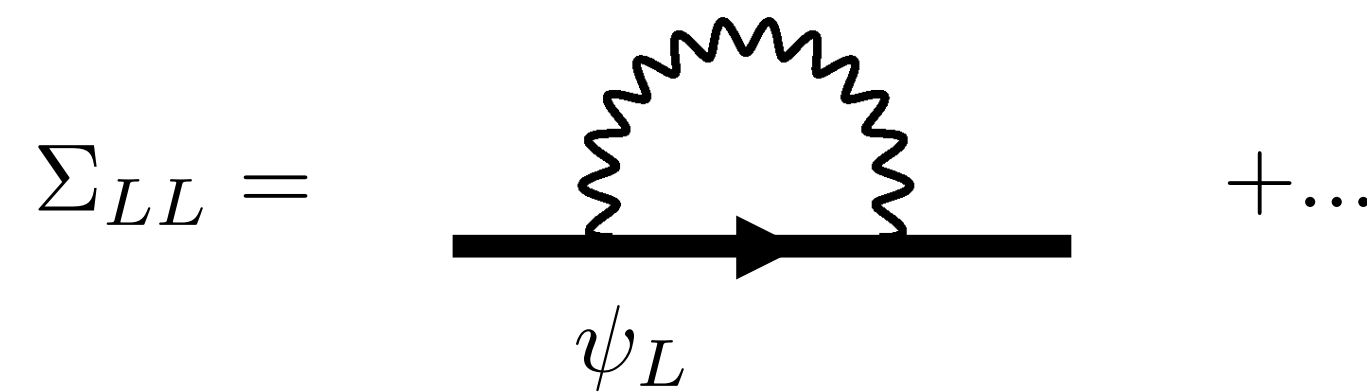
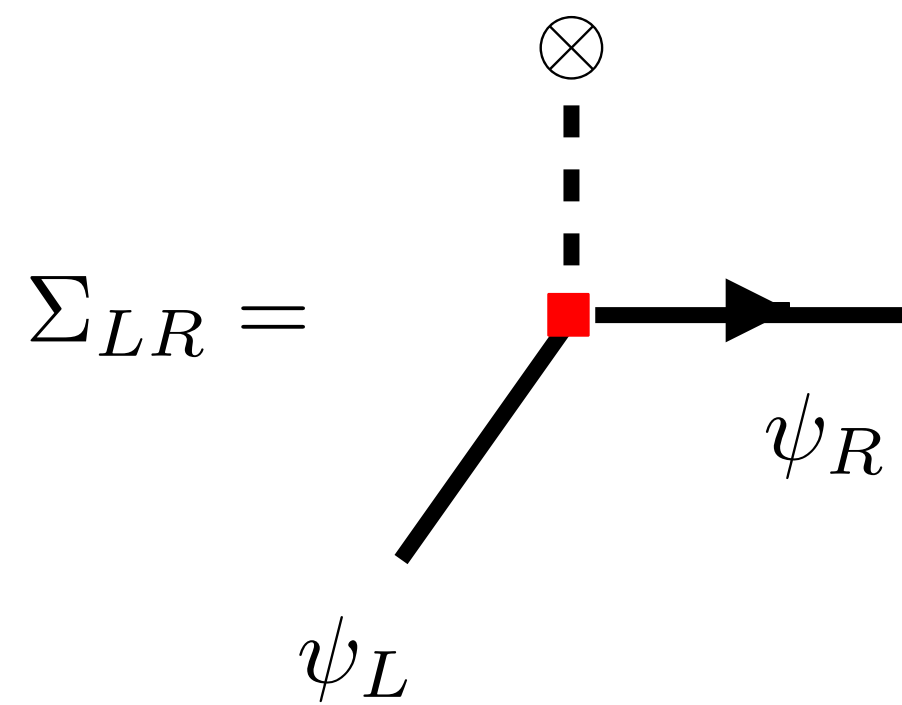
not 1PI!

no thermal corrections

RESULTS

$$S = [M, G_0^<] + [\Sigma^<, G_0^h] + \frac{1}{2}(\{\Sigma^>, G_0^<\} - \{\Sigma^<, G_0^>\})$$

new calculation



1PI!
thermal corrections

RESULTS

$$S = [M, G_0^<] + [\Sigma^<, G_0^h] + \frac{1}{2}(\{\Sigma^>, G_0^<\} - \{\Sigma^<, G_0^>\}) = 0$$

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- **no** need for VIA expansion (mass can be resummed)
- leading order in gradients \sim constant background
- derivation in position space, expansion is **not** gradient expansion

CONCLUSIONS

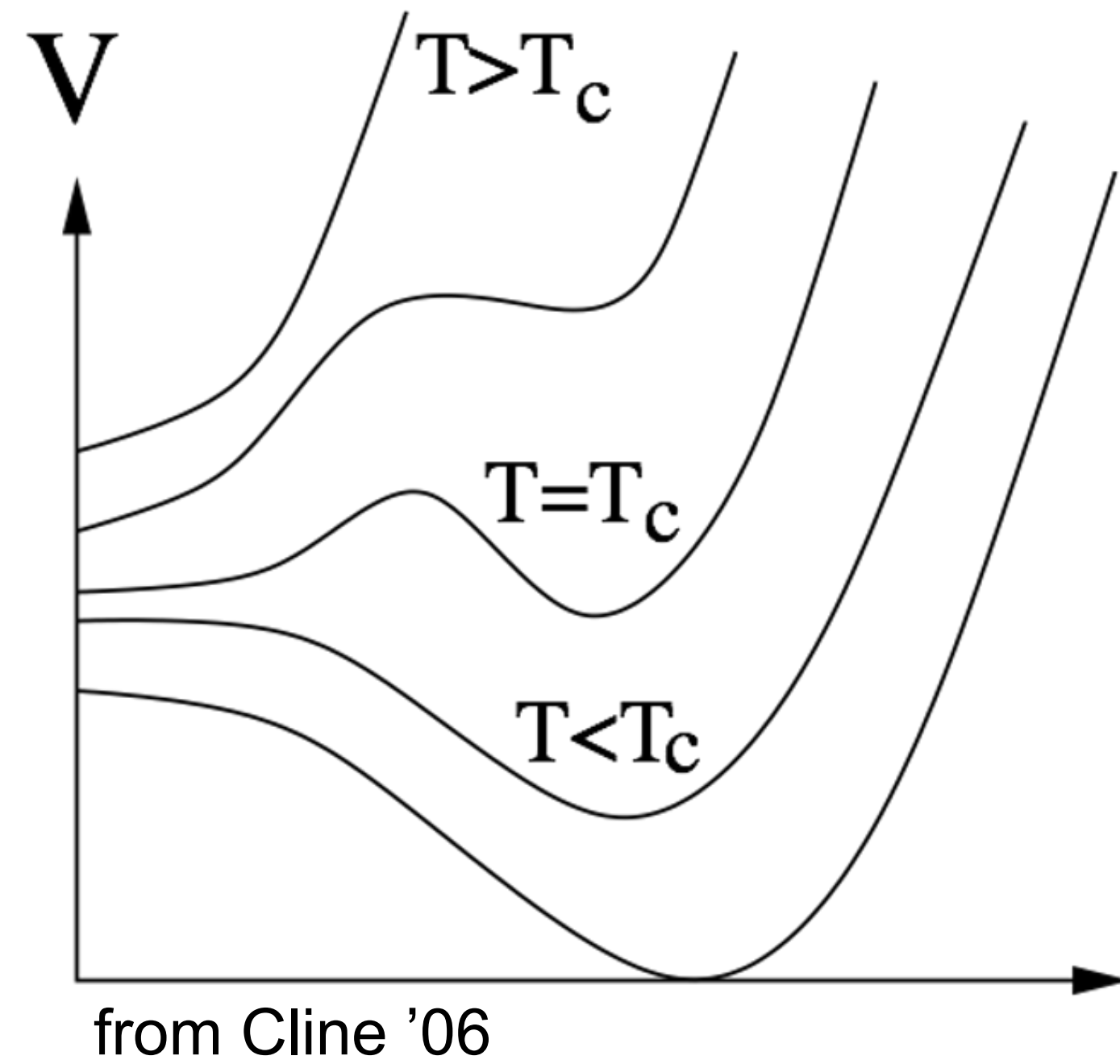
➤ EW baryogenesis is testable: precise theoretical predictions needed

➤ VIA source vanishes at leading order in gradient expansion

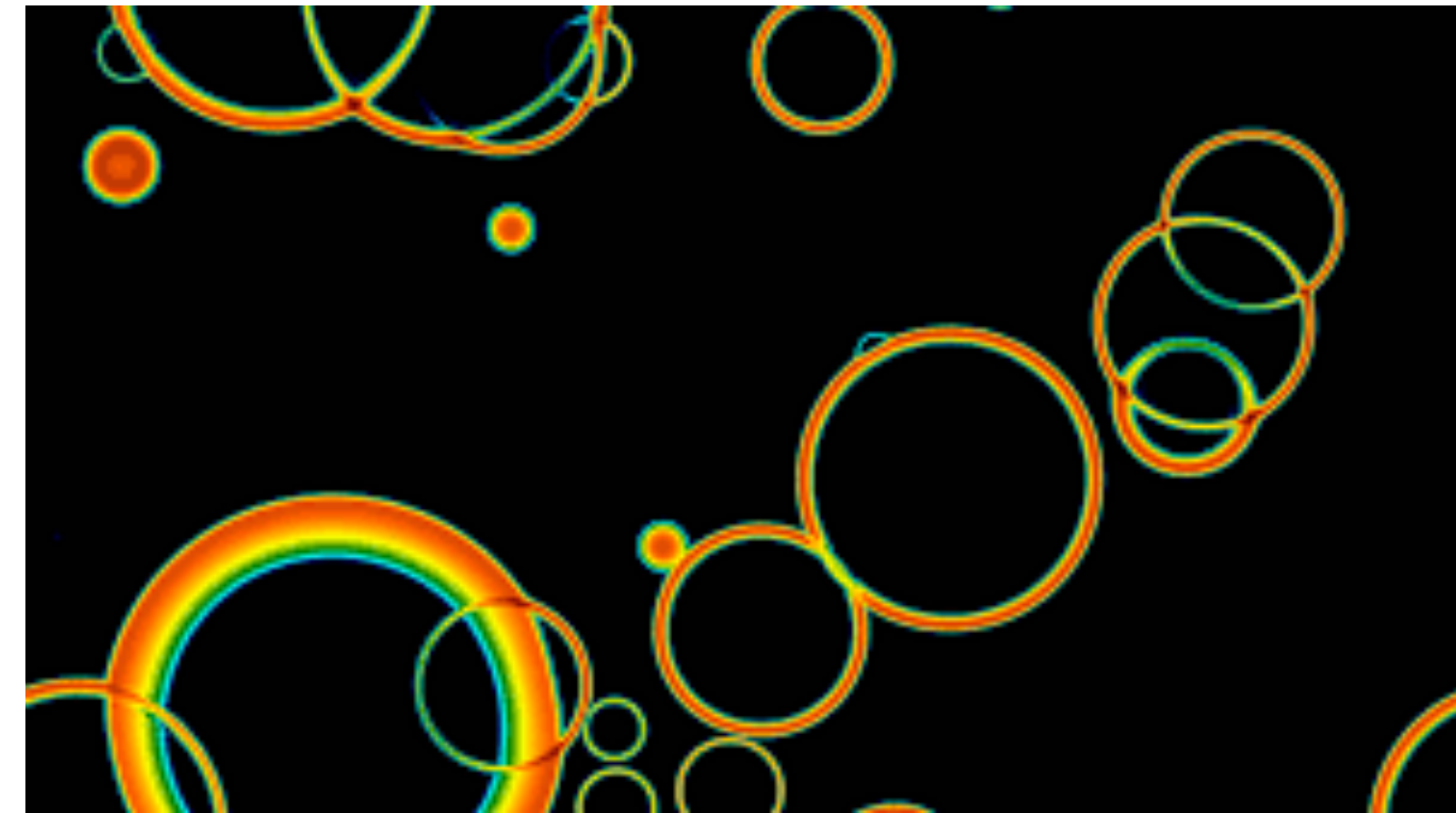
generalizes Kainulainen '21 to chiral theories

To do: NLO (flavor source induced by thermal corrections)

EW PHASE TRANSITION



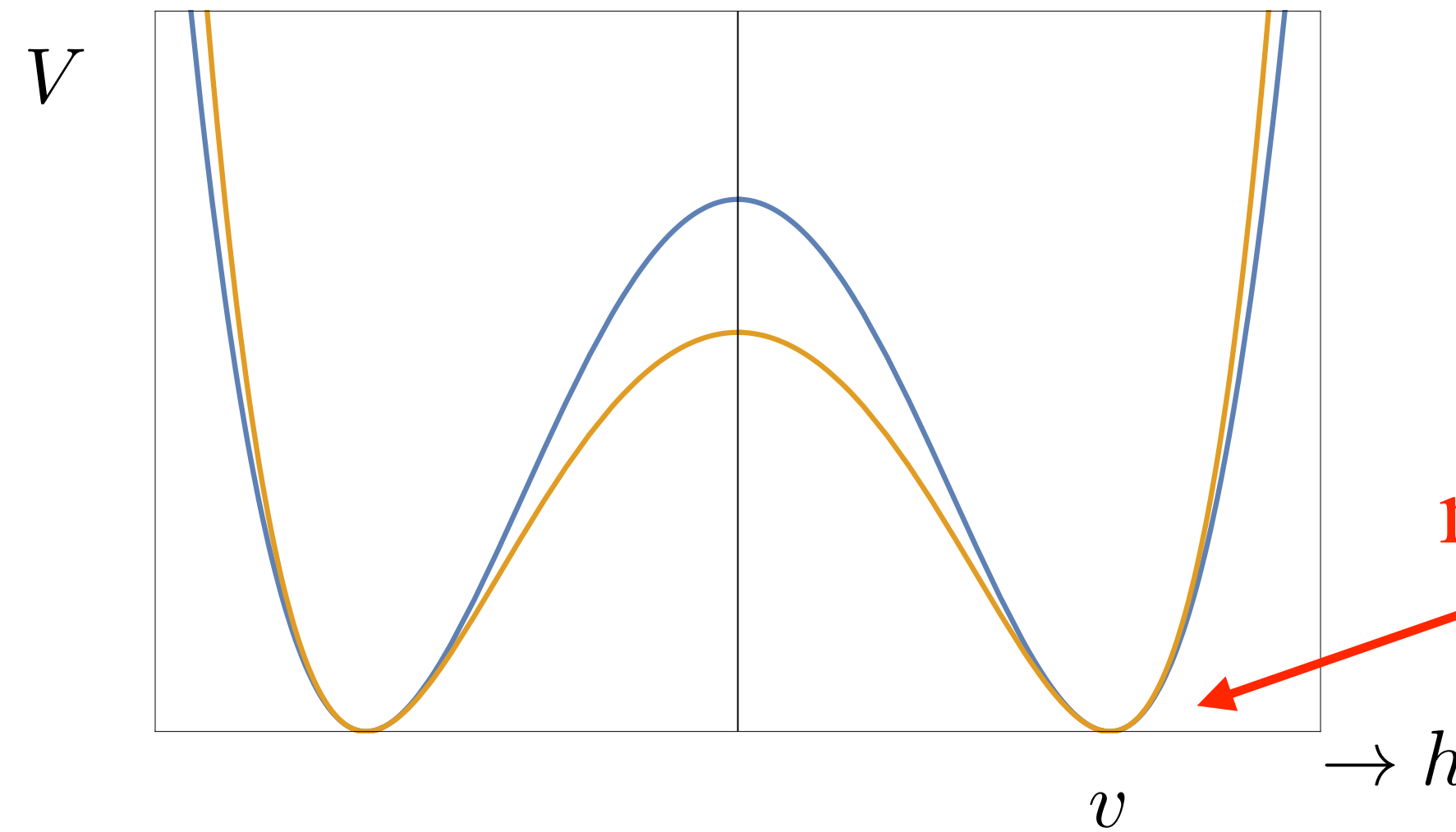
1st order



EW PHASE TRANSITION

how much room for new physics?

$$-1 \lesssim \frac{\lambda_{hhh}^{\text{BSM}}}{\lambda_{hhh}^{\text{SM}}} \lesssim 7$$



$$m_h = 125.3 \text{ GeV}$$

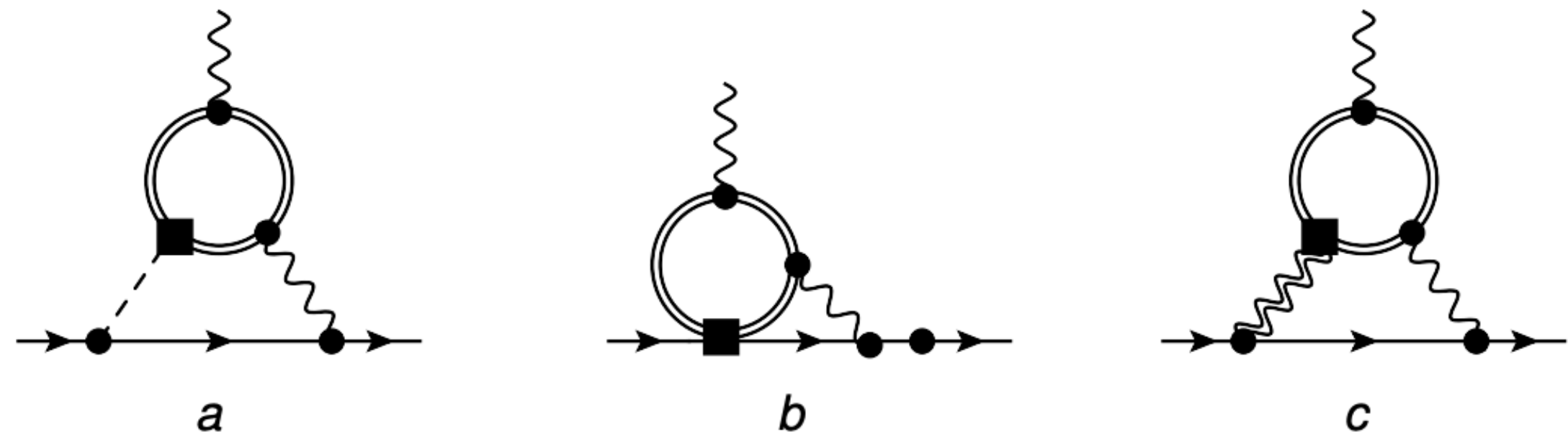
$$v = 246 \text{ GeV}$$

ELECTRIC DIPOLE MOMENT OF ELECTRON

measured $|d_e| \lesssim 4 \times 10^{-30} e \text{ cm}$

new physics $\mathcal{L} \supset \frac{y_t}{\sqrt{2}} \phi \left(1 + c \frac{\phi^2}{\Lambda^2} \right) \bar{t}_L t_R + \text{h.c.}$

Rules out simplest scenarios



$$\Lambda \gtrsim 10 \text{ TeV}$$

GRAVITATIONAL WAVES

- bubble collisions
- colliding sound waves
- turbulence

