

Dark Matter Catalyzed Baryon Destruction

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Minnesota U. → CERN

Baryon and Lepton Number Violation @ KIT Oct 08, 2024

Based on [2405.18472](#)

with Robert McGehee, Maxim Pospelov, and Anupam Ray

Motivation & idea

- Interesting to speculate possible connection btw DM and baryon.

e.g. coincidence problem, hylo-/co-genesis, asymmetric DM, etc.

- In this talk: what pheno implications if DM induces BNV process?

(I will not discuss connection to baryogenesis)

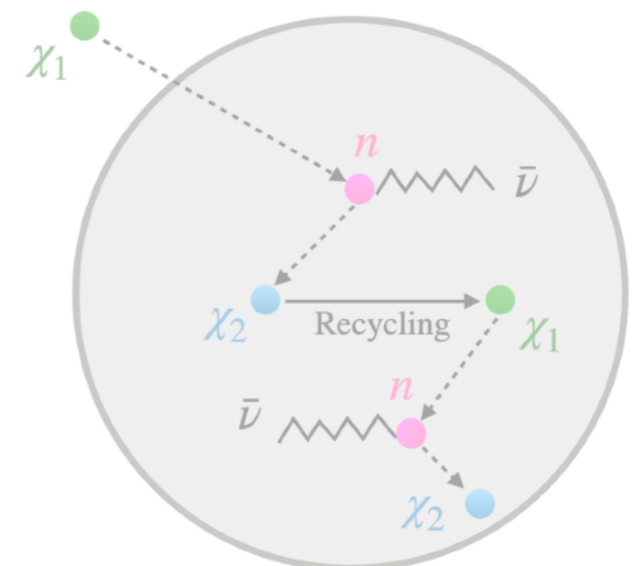
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See e.g. [Davoudiasl+ 10, 11; Demidov and Gorbunov 15]

2. Neutron decay inside neutron star (NS) by captured DM

➔ NS heating by visible matter energy

(can be way more efficient than e.g. DM annihilation)



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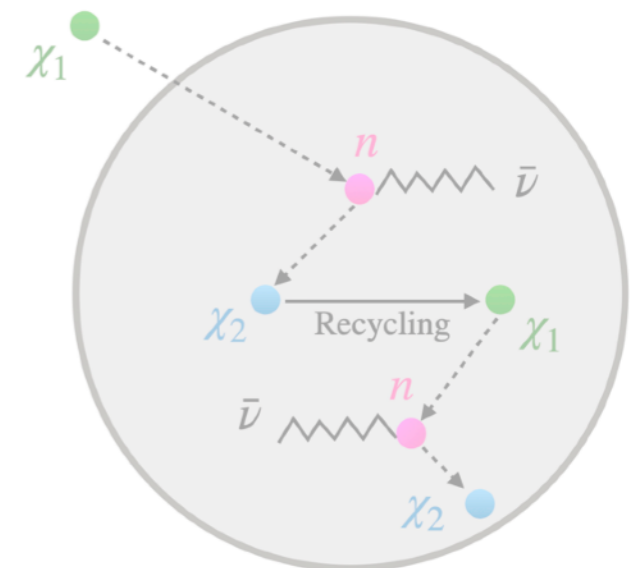
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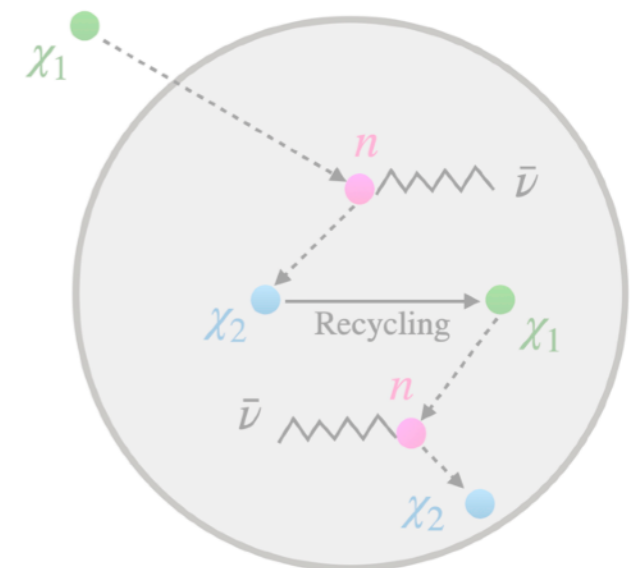
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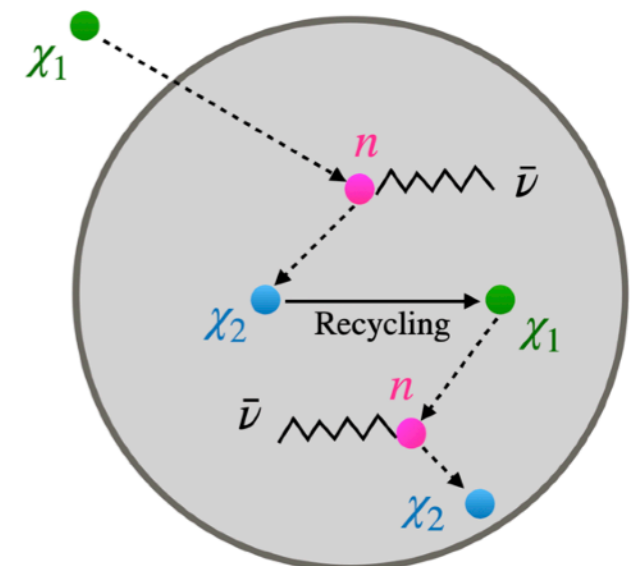
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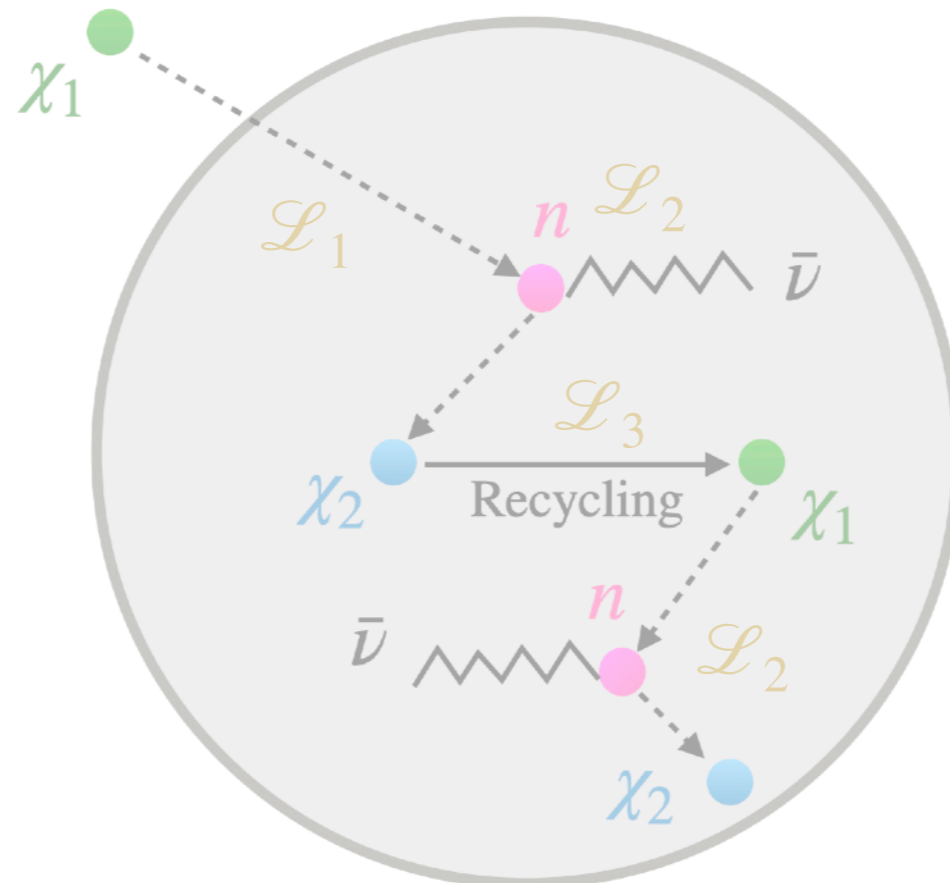
Toy model

A toy model to realize the idea: three ingredients

$$\mathcal{L} = \mathcal{L}_1 + \mathcal{L}_2 + \mathcal{L}_3$$

1. $\mathcal{L}_1 = G_\chi (\bar{\chi}_1 \gamma^\mu \chi_1 + \bar{\chi}_2 \gamma^\mu \chi_2) \times (\bar{p} \gamma_\mu p + \bar{n} \gamma_\mu n)$: χ_i captured by neutron stars.
2. $\mathcal{L}_2 = G_{\text{BNV}} \bar{\chi}_2 \gamma^\mu \chi_1 \times (\bar{e}^c \gamma^\mu p + \bar{\nu}^c \gamma^\mu n) + (\text{h.c.})$: Baryon destruction by χ_1 .
3. $\mathcal{L}_3 = -\frac{\Delta m_\chi}{2} \bar{\chi}_2 \chi_1 + (\text{h.c.})$: "Recycle" $\chi_2 \rightarrow \chi_1$ through oscillation.

(BNV without external χ_i only when $\Delta m_\chi \neq 0$)



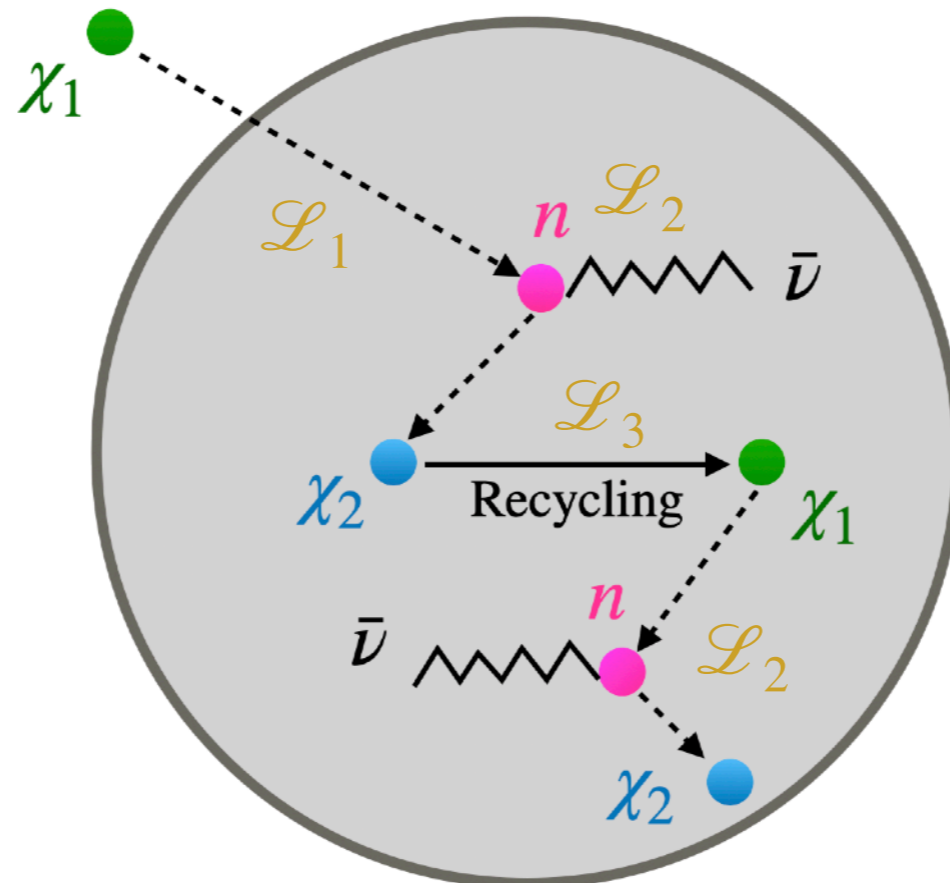
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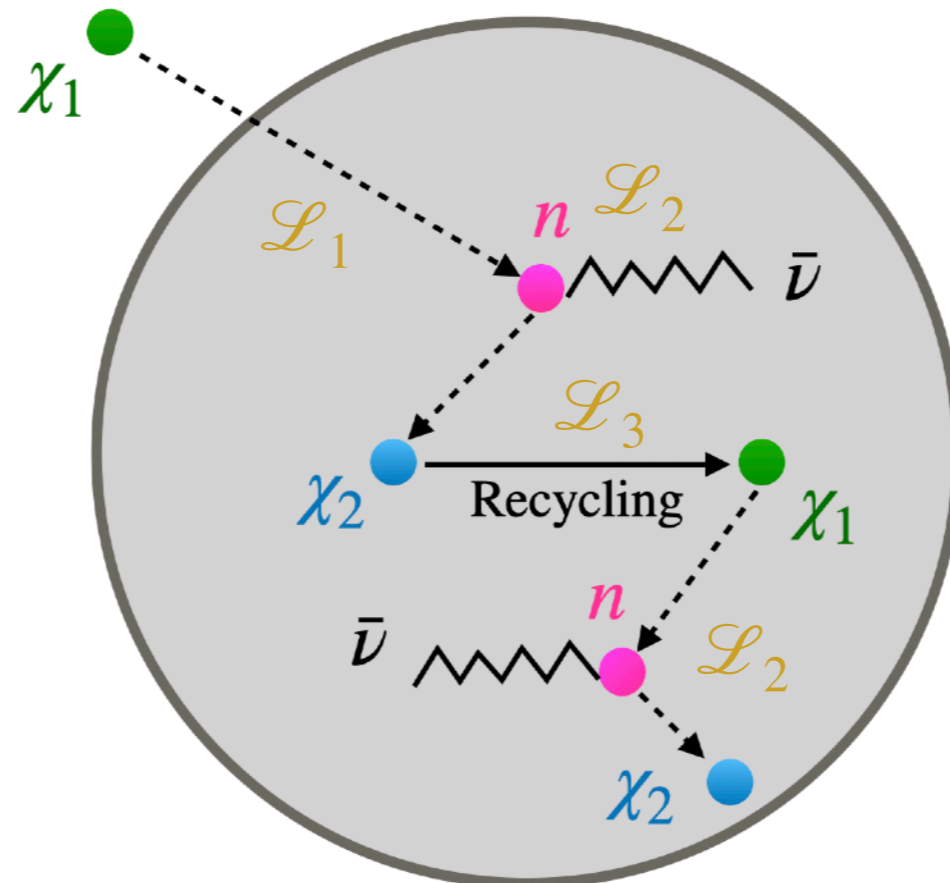
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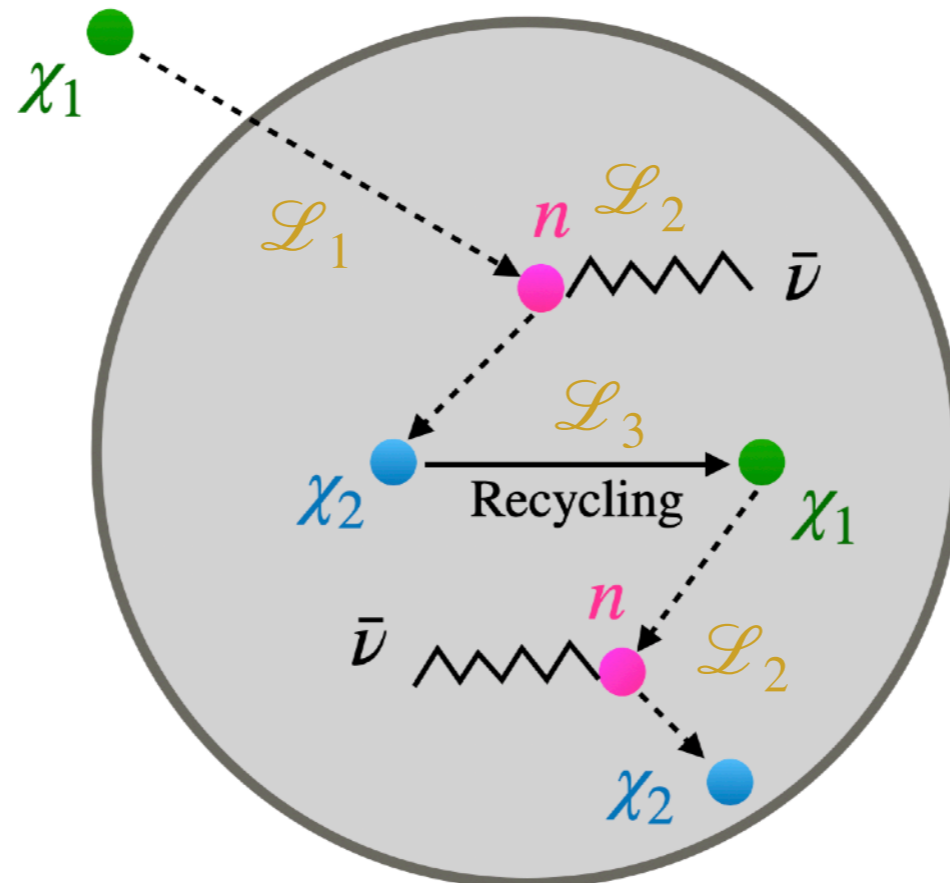
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Catalyzed decay inside Super-K

- Assuming χ is DM, it catalyzes baryons inside Super-K

See e.g. [Davoudiasl+ 10, 11; Demidov and Gorbunov 15]

$$\begin{cases} \chi_1 + p \rightarrow \chi_2 + e^+, \\ \chi_1 + p \rightarrow \chi_2 + e^+ + (1, \dots, 6)\pi^0. \end{cases}$$

$$\text{Rate: } R_{\text{SK}} = \frac{\rho_\chi}{m_\chi} \times \sigma_{\text{BNV}\nu} \times N_p^{\text{SK}} \sim 8 \times 10^{-4} \text{ day}^{-1} \times \left(\frac{100 \text{ GeV}}{m_\chi} \right) \left(\frac{\sigma_{\text{BNV}\nu}}{10^{-50} \text{ cm}^2} \right)$$

- First process mimics atmospheric $\nu_e + \bar{\nu}_e$ with the rate ~ 2 events/day.

[SK collaboration 15]

- Second processes have a better handle due to γ (but with possible suppression)

➔ $\sigma_{\text{BNV}\nu} \lesssim 10^{-48} \text{ cm}^2 \left(\frac{m_\chi}{100 \text{ GeV}} \right)$ expected from SuperK.

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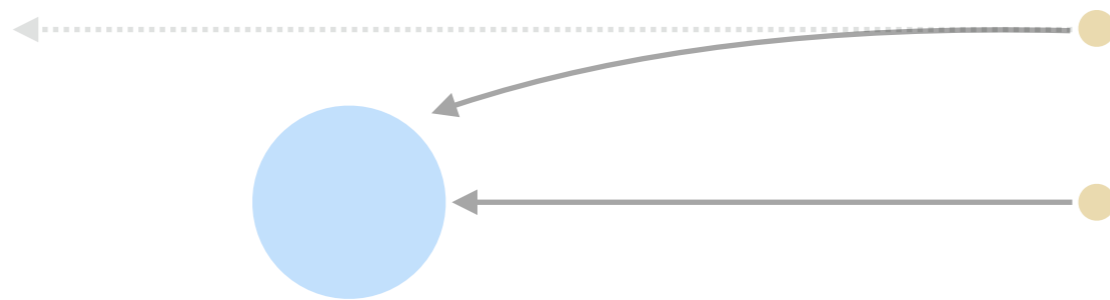
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DM capture by neutron star

NS is an efficient DM captor due to gravity: $v_{\text{esc}} \sim 0.6 c$.

- Gravitational focusing: $\Phi_\chi \propto v_{\text{esc}}^2 \propto 1/R_\star \rightarrow 10^5$ more DM passing through than the sun.



- Accelerated and one scattering sufficient to lose enough energy (for $m_\chi \lesssim 10^6 \text{ GeV}$)

For $m_\chi \gg m_n$, $\Delta K \sim \frac{m_n}{m_\chi} K_\chi \sim m_n v_{\text{esc}}^2 \sim 1 \text{ GeV}$ (to be compared with $m_\chi \bar{v}^2 \sim 10^{-6} m_\chi$).

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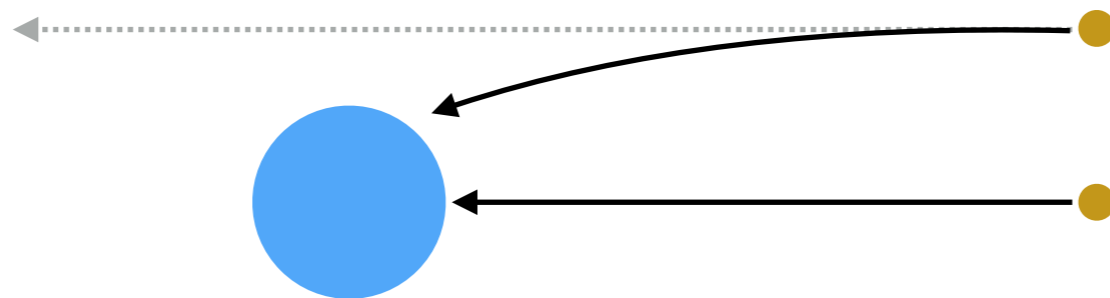
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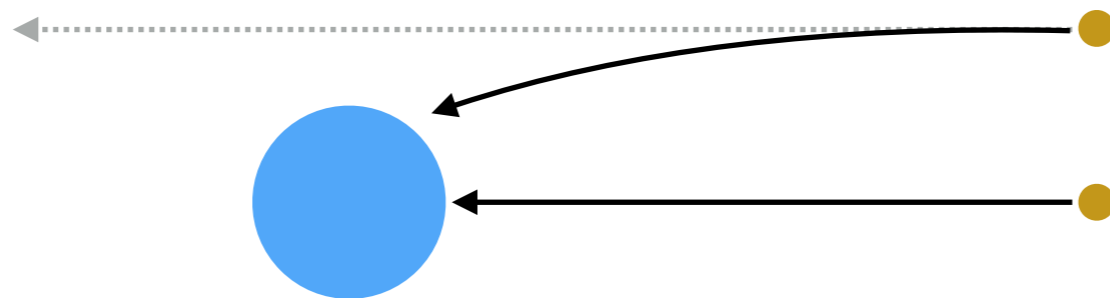
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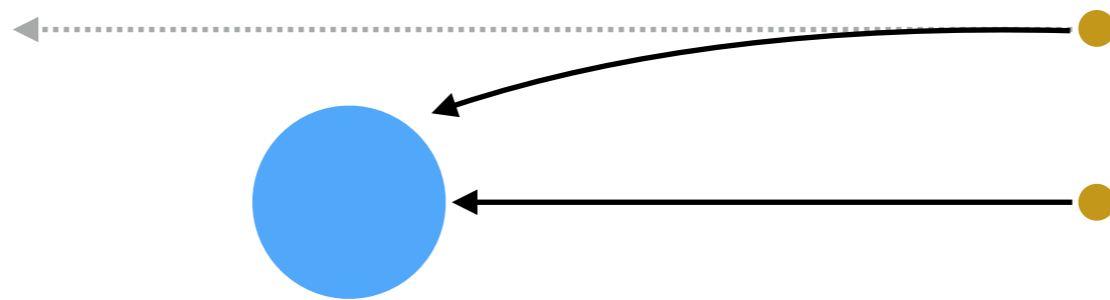
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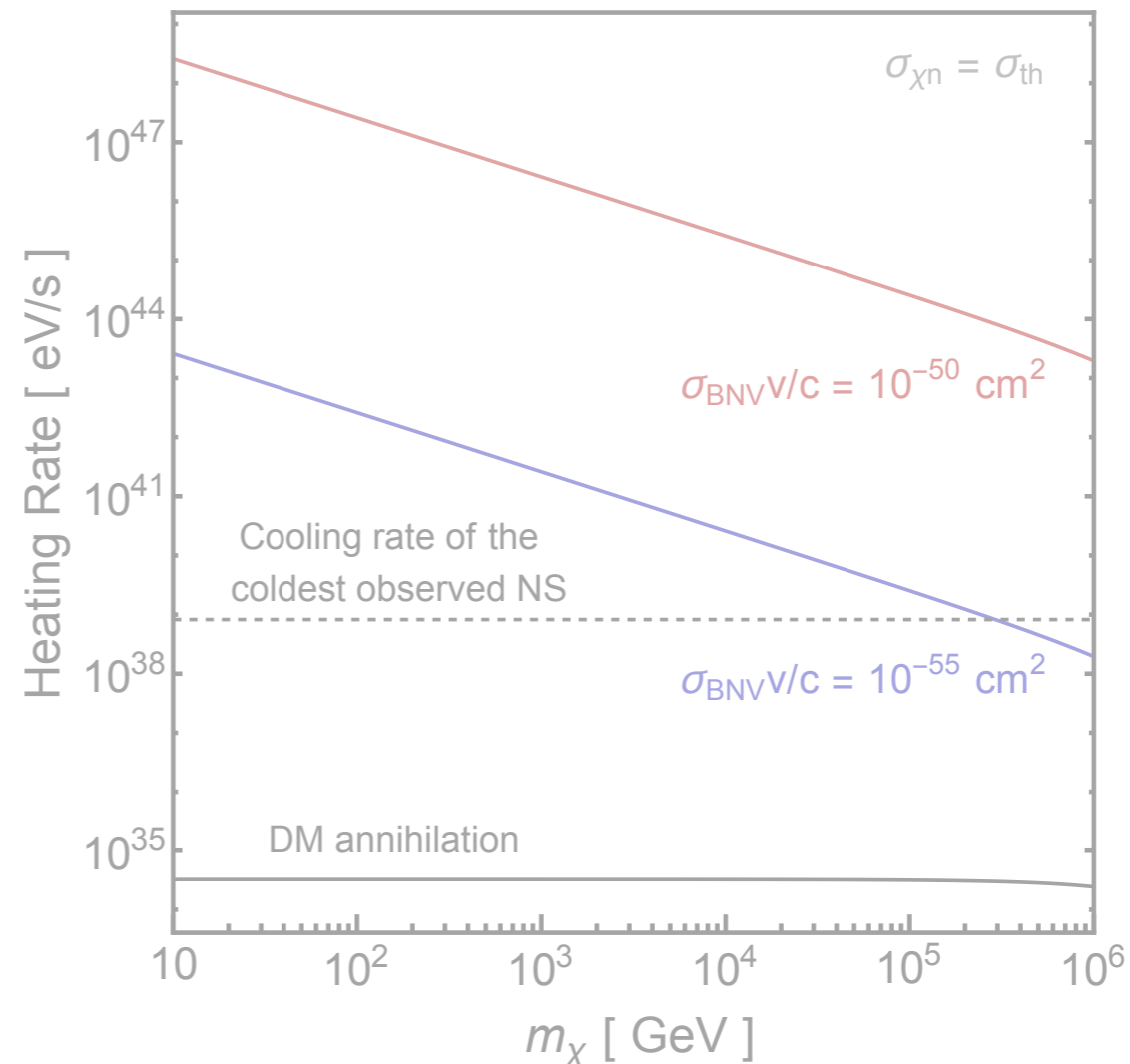
Catalyzed heating of neutron star

- Once captured, DM can catalyze baryon decay via BNV interaction.

$$\frac{dE_{\text{BNV}}}{dt} = N_\chi \times \sigma_{\text{BNV} \nu} \times n_n m_n \sim 10^{42} \frac{\text{eV}}{\text{s}} \left(\frac{100 \text{ GeV}}{m_\chi} \right) \left(\frac{\sigma_{\text{BNV} \nu}}{10^{-50} \text{ cm}^2} \right) \left(\frac{\sigma_{\chi n}}{10^{-50} \text{ cm}^2} \right)$$

- Emitted $\bar{\nu}$ has $\sim 1 \text{ GeV} \rightarrow \text{NS is opaque and energy consumed to heating up.}$
- Energy sourced by visible matter, more efficient than DM annihilation.

$$\frac{dE_{\text{ann}}}{dt} \leq m_\chi \Phi_\chi \sim 3 \times 10^{34} \frac{\text{eV}}{\text{s}}$$



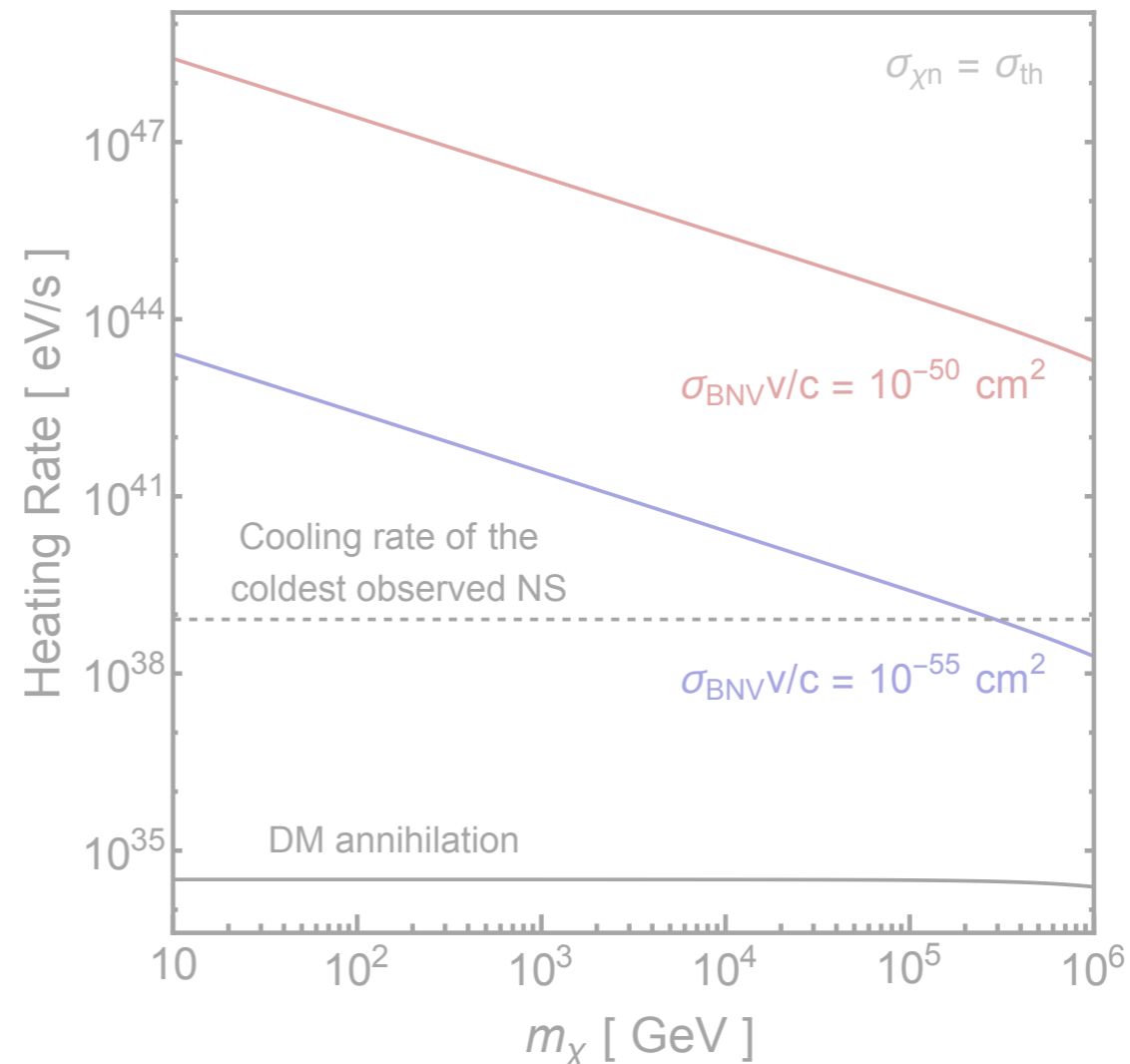
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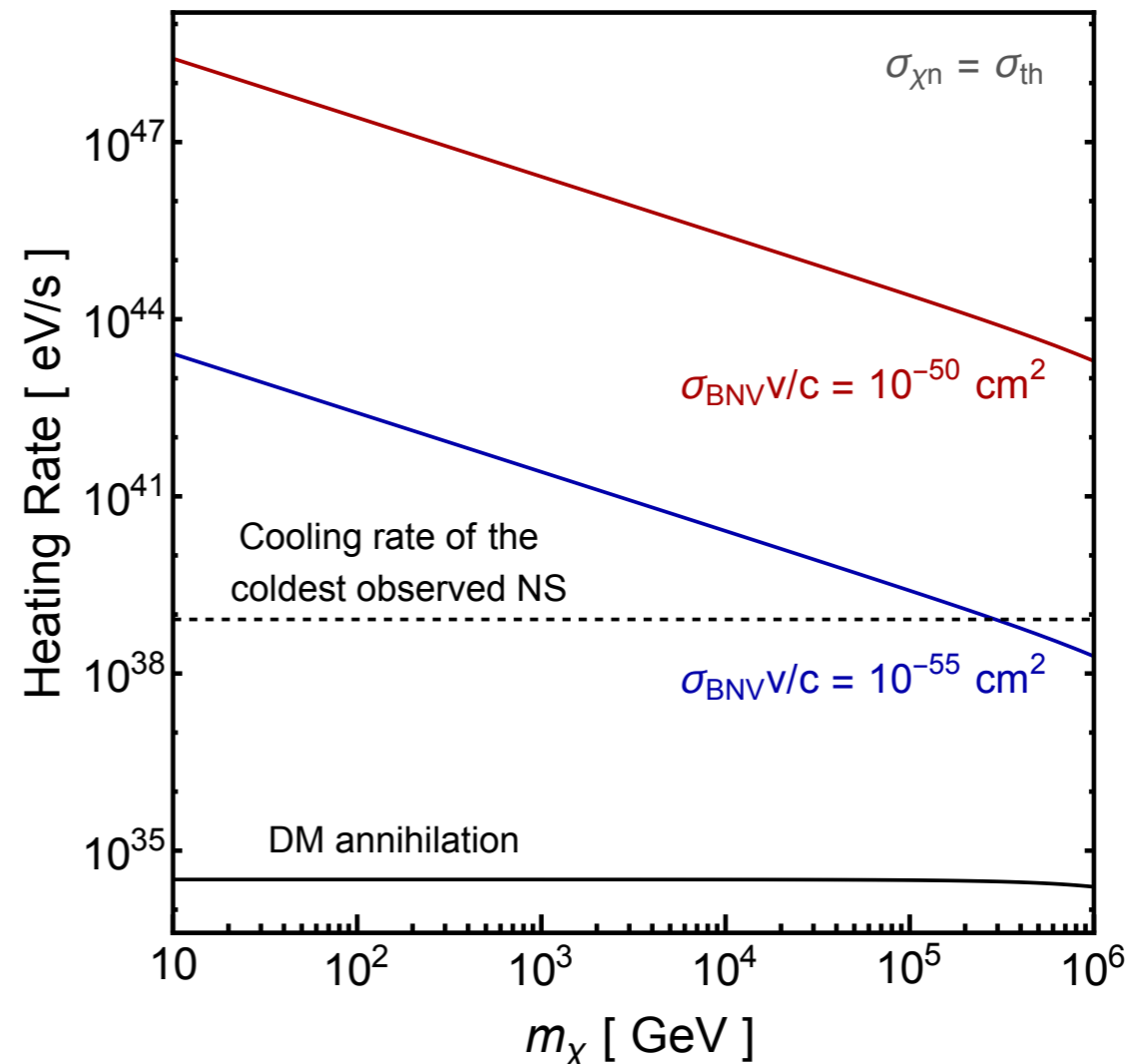
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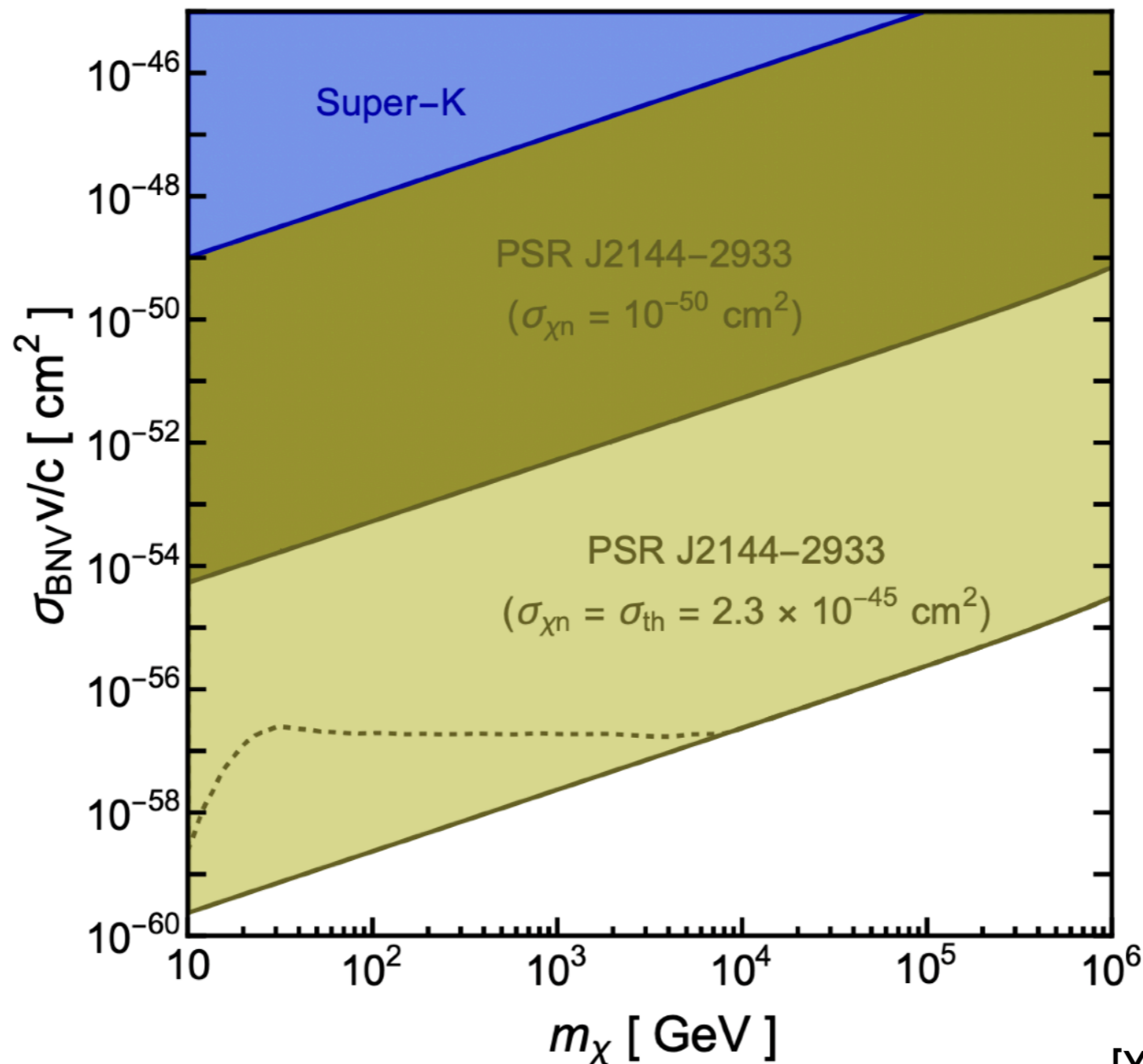
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Sensitivity

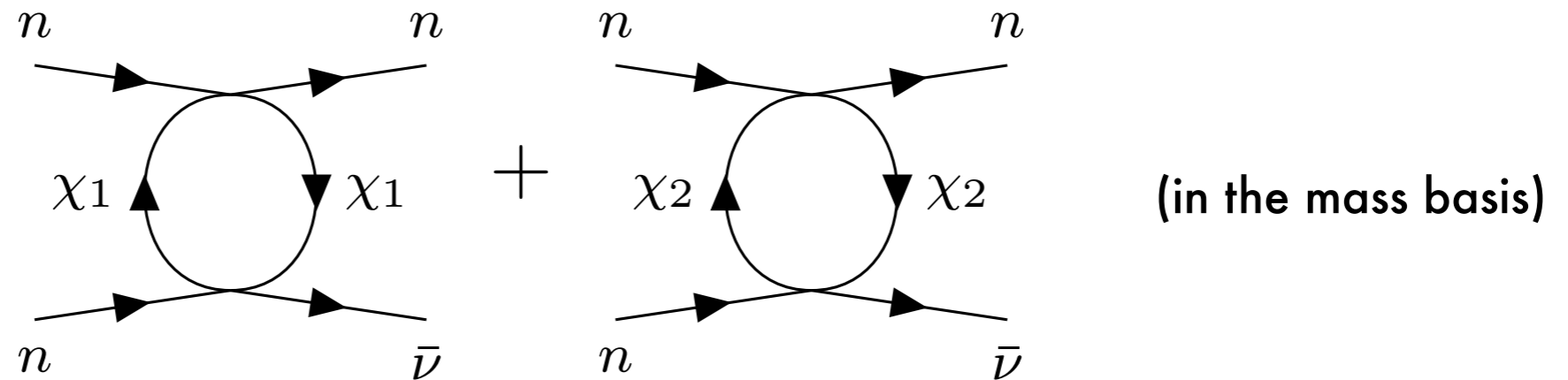
- The coldest NS, PSR J2144-2933, has temperature $T_\star \leq 2.85 \text{ eV}$ [Guillot+ 19]


 Require $\frac{dE_{\text{BNV}}}{dt} < \frac{dE_{\text{loss}}}{dt} = 6.4 \times 10^{38} \frac{\text{eV}}{\text{s}} \left(\frac{R_\star}{11 \text{ km}} \right)^2 \left(\frac{T_\star}{2.85 \text{ eV}} \right)^4$



Di-nucleon decay $NN \rightarrow Ne/N\nu$

- Off-shell χ induces di-nucleon decay $NN \rightarrow Ne/N\nu$ through loop:



$$\tau(nn \rightarrow n\bar{\nu}) \sim 10^{30} \text{ yrs} \times \left(\frac{m_\chi}{10^7 \Delta m_\chi} \right)^2 \left(\frac{10^{-50} \text{ cm}^2}{\sigma_{\text{BN}\nu\nu}} \right) \left(\frac{10^{-45} \text{ cm}^2}{\sigma_{\chi n}} \right)$$

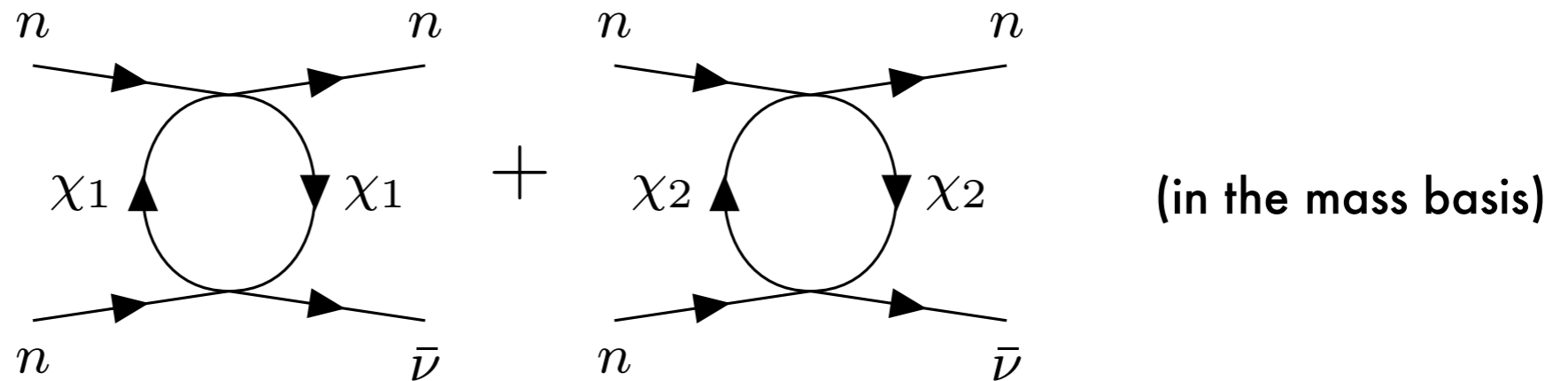
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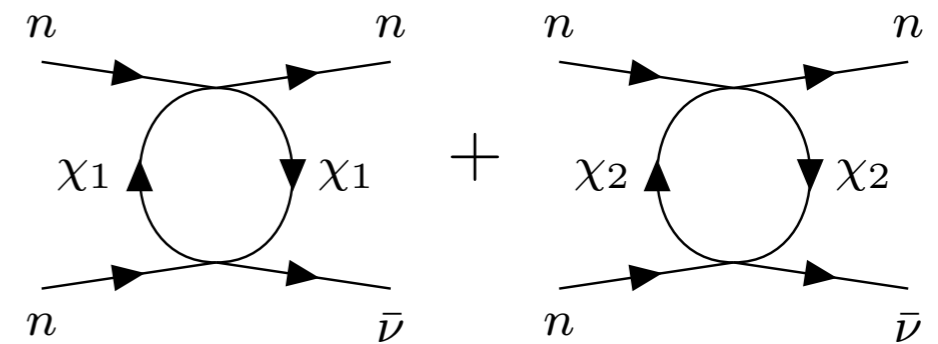
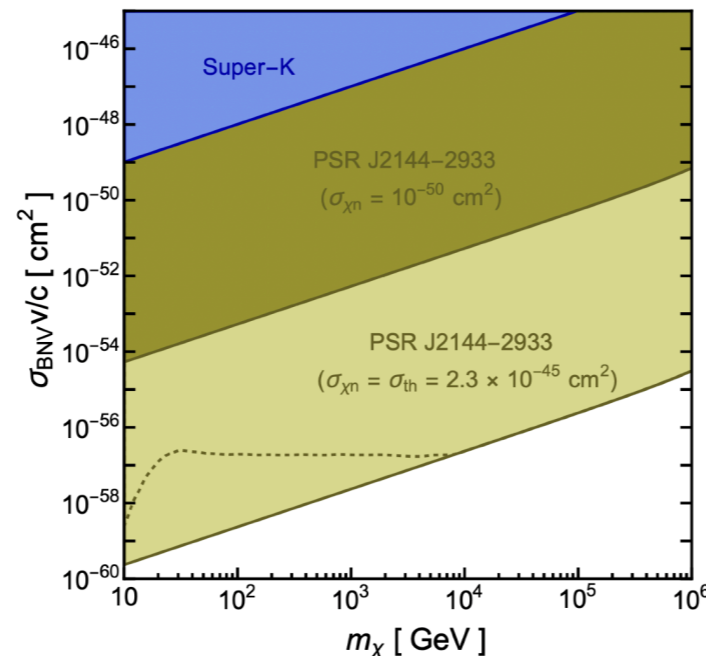
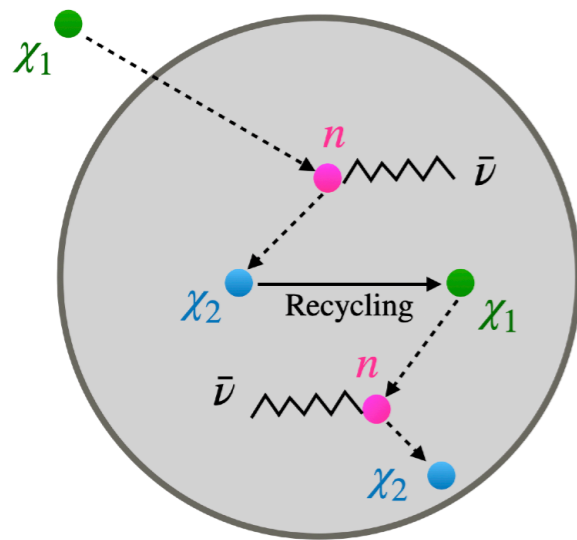
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Summary

- Main question: pheno implication if DM induces BNV processes?
- DM catalyzes baryons inside SuperK.
- More interestingly, captured DM can catalyze neutrons and heat up NSs.
- Experimentally, di-nucleon decay $NN \rightarrow Ne/N\nu$ may be interesting to look at.



Backup

DM direct detection constraint

[LZ 2022]

