

Destabilizing Matter through a Long-Range Force

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Based on: H.D., Phys.Rev.D 108 (2023) 1, 015023; 2304.06071 [hep-ph]

H.D. and P.Denton, work in progress

The 2024 International Workshop on Baryon and Lepton Number Violation (BLV2024)

KIT, Karlsruhe, Germany, October 8-11, 2024

Introduction

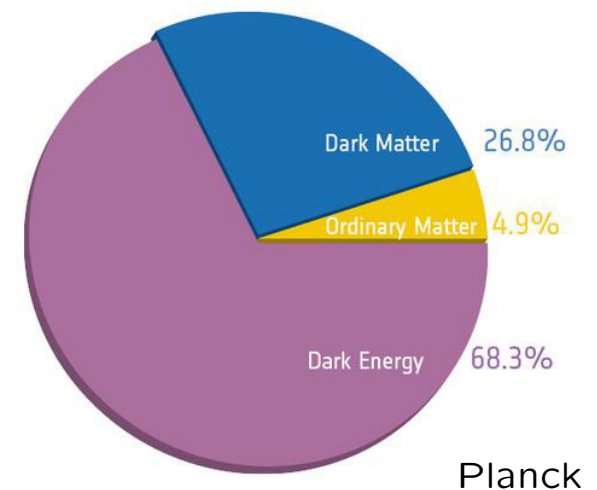
- Ordinary matter ($\sim 5\%$) made of nucleons (p, n) is very stable:
 - Over far longer than cosmological time scales ($\sim 10^{10}$ years)
 - Searches have only yielded strong bounds, *e.g.*

$$\tau(p \rightarrow \pi^0 \ell^+) > 2.4 (1.6) \times 10^{34} \text{ yr, for } \ell = e (\mu), \text{ at 90\% CL}$$



Super-Kamiokande Collaboration; PDG

- Dark matter ($\sim 27\%$): requires new physics
 - Perhaps a new sector with its own forces
- This talk: a new long-range force
 - Ultralight scalar ϕ
 - Can be sourced by astronomical objects
- Long range force: local background effects
 - Like an electric or gravitational field

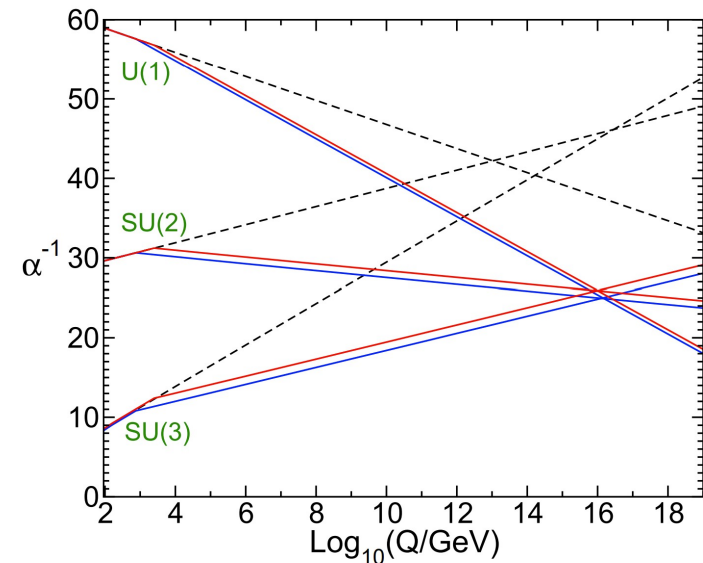
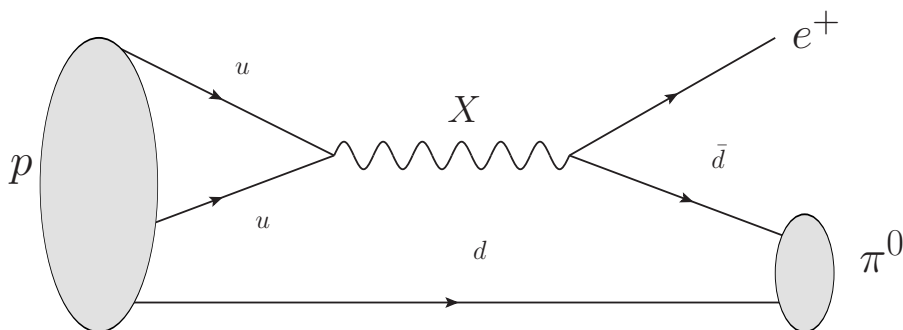


Baryon Number Violation (BNV)

- In the SM, proton decay naturally suppressed, e.g.:

$$O_6 = \frac{(uudl)_R}{M^2}$$

- M could be large, maybe near $M_P \approx 1.2 \times 10^{19}$ GeV
 - A consequence of gauge invariance
 - Baryon number: *accidental symmetry*
- Current bounds $M \gtrsim 10^{16}$ GeV
 - Consistent with a GUT interpretation
 - SM (dashed) ; MSSM (solid)



From S. Martin, hep-ph/9709356

New Physics and Nucleon Decay

- New light physics can affect nucleon decay

E.g., HD 2013; Heeck 2020; Fajfer and Susic 2020

- Consider a light new scalar ϕ from a different sector
- One can write down, for example, a dim-7 operator

$$O_7 = \frac{\phi (uud\ell)_R}{\Lambda^3}$$

- For $m_\phi < m_p - m_e$ one can have $p \rightarrow \phi e^+$
- However, if $\langle \phi \rangle \neq 0$, dim-7 \rightarrow dim-6: $\frac{\phi (uud\ell)_R}{\Lambda^3} \rightarrow \left(\frac{\langle \phi \rangle}{\Lambda} \right) \frac{(uud\ell)_R}{\Lambda^2}$
 - Effectively, the coefficient of a dim-6 operator becomes a *background field*

A New Scalar Force

- Assume an ultralight scalar ϕ of mass $m_\phi = 10^{-16}$ eV
 - Can arise in a variety of contexts (CPV axions, string moduli, ...)
 - Sun's radius $R_\odot \approx 7 \times 10^5$ km $\sim (10^{-16}$ eV) $^{-1}$
- Possible coupling to nucleons N : $g_N \phi \bar{N} N$
 - $g_N \lesssim 8.0 \times 10^{-25}$ (2σ) [Microscope Collaboration 2022; Fayet 2017](#)
- We will use reference value $g_N = 10^{-25}$
- Astronomical objects can *coherently* source significant $\langle \phi \rangle$ values

$$\langle \phi_* \rangle \approx -\frac{g_N (M_*/m_N)}{4\pi R_*} \quad (m_N: \text{nucleon mass})$$

- We will focus on

$$O_7 = \frac{\phi (uudl)_R}{\Lambda^3}$$

- As an example, other choices possible
- Can lead to environment-dependent nucleon decay rates $\propto \langle \phi_* \rangle^2$

Formalism

- Using chiral perturbation theory [Claudson, Wise, Hall, 1982](#)

$$\mathcal{L}_{(\Delta B=0)} = \left[\frac{(3F - D)}{2\sqrt{3}f_\pi} \partial_\mu \eta + \frac{(D + F)}{2f_\pi} \partial_\mu \pi^0 \right] \bar{p} \gamma^\mu \gamma_5 p + \frac{(D + F)}{\sqrt{2}f_\pi} \partial_\mu \pi^+ \bar{p} \gamma^\mu \gamma_5 n + \dots$$

$$\mathcal{L}_{(\Delta B=1)} = \frac{\beta}{\Lambda^3} \phi \left[\bar{e}_R^c p_R - \frac{i}{2f_\pi} (\sqrt{3}\eta + \pi^0) \bar{e}_R^c p_R \right] - \frac{\beta}{\Lambda^3} \phi \left[\frac{i}{\sqrt{2}f_\pi} \pi^+ \bar{e}_R^c n_R \right] + \text{H.C.}$$

$D = 0.80$, $F = 0.47$, $\beta = 0.01269(107) \text{ GeV}^3$, [Aoki et al., RBC-UKQCD, 2008](#) ; $f_\pi \approx 92 \text{ MeV}$

- Focus on 2-body decays; ignore m_e $\mathcal{M} = \pi^0, \eta$

Proton decays: $\Gamma(p \rightarrow \phi e^+) = \frac{\kappa^2}{32\pi} m_p$ and $\Gamma(p \rightarrow \mathcal{M} e^+) = \frac{\lambda_{\mathcal{M}}^2}{32\pi} m_p \left(1 - \frac{m_{\mathcal{M}}^2}{m_p^2} \right)^2$

- Implies $p \rightarrow \phi e^+$ dominant when $f_\pi \gg \langle \phi \rangle$ (empty space or $g_N \rightarrow 0$)

Neutron decay: $\Gamma(n \rightarrow \pi^- e^+) = \frac{\lambda_\pi^2}{16\pi} m_n \left(1 - \frac{m_{\pi^-}^2}{m_n^2} \right)^2$

$$\kappa \equiv \beta/\Lambda^3 ; \mu = \kappa \langle \phi \rangle ; \lambda_\pi \equiv \frac{(D+F+1)\mu}{2f_\pi} ; \lambda_\eta \equiv \frac{(3F-D+3)\mu}{2\sqrt{3}f_\pi}$$

“Local” Constraints

- Laboratory searches *

- $\tau(p \rightarrow e^+\pi^0) > 1.6 \times 10^{34}$ yr (90% CL) [PDG 2022](#)

$$\Rightarrow \Lambda \gtrsim 2 \times 10^{11} \left(\frac{g_N}{10^{-25}} \right)^{1/3} \text{ GeV}$$



* PDG 2022 also cites an updated bound, stronger by 3/2, which constrains Λ at the same level.

- Search for anomalous flux of $\mathcal{O}(10 \text{ MeV})$ solar neutrinos

- Super-Kamiokande (SK) search for BNV [Ueno et al., \(SK Collab.\), 2012](#)

- Monopole (GUT) mediated [Rubakov 1981; Callan 1982](#)

- SK: 176 kton-yr of data, focused on π^+ from p decays

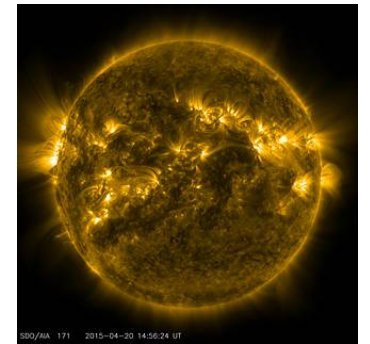
- We consider $p \rightarrow e^+\eta$ with $\text{Br}(\eta \rightarrow \pi^+ X) \approx 27\%$ [PDG 2022](#)

$$\phi(r_0) = -\frac{g_N}{2m_N} \int_0^{R_\odot} dr r^2 \rho(r) \int_{-1}^{+1} dx \frac{e^{-m_\phi|\vec{r}-\vec{r}_0|}}{|\vec{r}-\vec{r}_0|} y$$

[Bahcall and Pinsonneault, 2004](#)

- Rate of $p \rightarrow e^+\eta$ in the Sun:

$$\mathcal{R}_{\eta e} = \frac{4\pi}{m_N} \int_0^{R_\odot} dr r^2 \rho(r) \Gamma(r)_{(p \rightarrow \eta e^+)} \Rightarrow \Lambda \gtrsim 2 \times 10^{10} \left(\frac{g_N}{10^{-25}} \right)^{1/3} \text{ GeV}$$



Neutron Star Heating via Nucleon Decay

- Neutron star (NS) mass $M_{\text{NS}} \approx 1.5M_{\odot}$ and radius $R_{\text{NS}} \approx 10$ km
 - $n_N \sim 4 \times 10^{38} \text{ cm}^{-3}$
- Focus on neutron decay $n \rightarrow \pi^- e^+$, depositing $E \approx m_n$ in the NS
 - $\sigma_{\nu N} \sim 10^{-42} \text{ cm}^2$ for $E_{\nu} \sim 10 \text{ MeV} \Rightarrow \lambda_{\nu} \sim \mathcal{O}(10 \text{ m}) \ll R_{\text{NS}}$
 - All decay products scatter many times in the NS
- Constant density approximation

$$\rho_{\text{NS}} = \frac{M_{\text{NS}}}{(4\pi/3)R_{\text{NS}}^3} \approx 7 \times 10^{14} \text{ gcm}^{-3}$$

- For $r < R_{\text{NS}}$

$$\phi_{\text{NS}}(r) \approx -\frac{g_N \rho_{\text{NS}}}{6 m_n} R_{\text{NS}}^2 \left(3 - \frac{r^2}{R_{\text{NS}}^2} \right)$$

- Neutron decay rate in NS

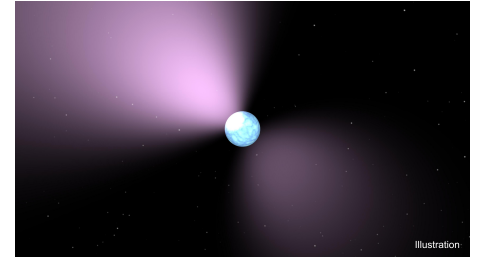
$$\Gamma_n^{\text{NS}} = 4\pi \frac{\rho_{\text{NS}}}{m_n} \int_0^{R_{\text{NS}}} dr r^2 \Gamma(r)_{(n \rightarrow \pi^- e^+)}$$

Observational Bound

- Steady state: $m_n \Gamma_n^{\text{NS}} = 4\pi R_{\text{NS}}^2 \sigma_{\text{SB}} T_{\text{NS}}^4$

- Stefan-Boltzmann constant $\sigma_{\text{SB}} = \pi^2/60$

- Surface temperature: T_{NS}



Credit: NASA

- Coldest known NS: pulsar PSR J2144-3933

- Hubble Space Telescope (HST) data: $T_{\text{NS}} < 42000$ K [Guillot et al., 2019](#)

- Distance from Earth ≈ 180 pc, estimated to be 3×10^8 yr old

- $T_{\text{NS}} \sim \mathcal{O}(100$ K) expected without heating [Yakovlev, Pethick, 2004](#)

- The NS heating bound yields*

$$\Lambda \gtrsim 7 \times 10^{11} \left(\frac{g_N}{10^{-25}} \right)^{1/3} \text{ GeV} \quad (\text{HST})$$

- Potential improvements from James Webb Space Telescope

E.g., [Chatterjee et al., 2022](#); [Raj, Shivanna, Rachh, 2024](#)

*Note: The bound implies $\tau_p \gtrsim 10^{20}$ yr near the NS

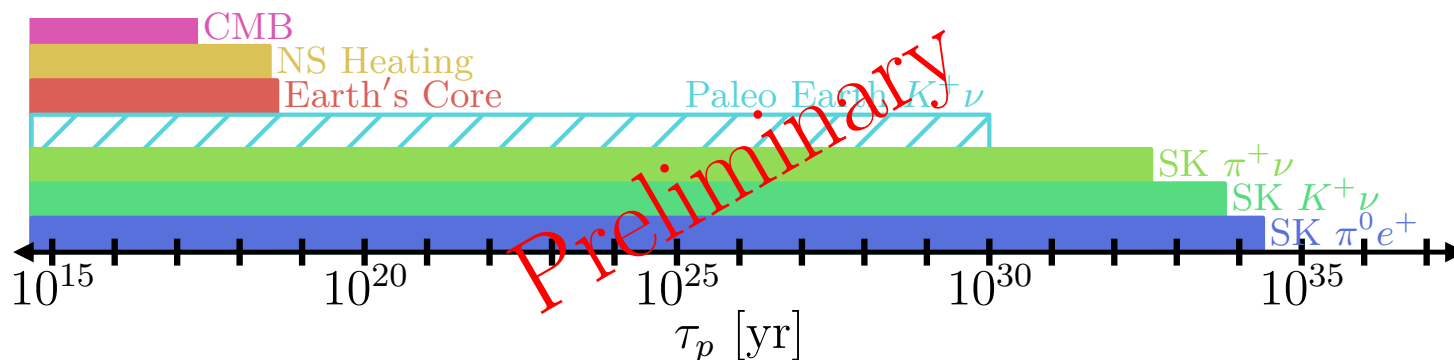
Ultralight Dark Matter

- Alternative assumptions can make ϕ viable DM
- Example: allow for electron coupling $g_e \phi \bar{e}e$ with $g_e \sim 10^{-25}$
 - $g_e \lesssim 1.4 \times 10^{-25}$ at 2σ [Microscope collaboration 2022; Fayet 2017](#)
- $\phi \sim g_e n_e m_\phi^{-2}$ by “thermal misalignment” [Batell, Ghalsasi, 2020](#)
- ϕ starts oscillating once $H \sim m_\phi$ corresponding to $T \sim \text{MeV}$, $n_e \sim T^3$
- For $m_\phi \sim 10^{-16}$ eV we find $\phi_i \sim 10^{25}$ eV
- Initial energy density $\rho_i \sim m_\phi^2 \phi_i^2 \sim 10^{18}$ eV⁴ redshifts like T^{-3}
- At $T \sim \text{eV}$ (matter-radiation equality): $\rho_i \rightarrow \mathcal{O}(\text{eV}^4) \Rightarrow \phi$ could be DM
- For $\rho_{\text{DM}} \sim 0.3 - 0.4 \text{ GeV cm}^{-3}$ (nearby): $\phi_{\text{DM}} \sim 10^{13}$ eV, $\mathcal{O}(10)$ larger than ϕ_\oplus
 - Would not lead to stronger constraint from nucleon decay data than from NS heating
 - Introduces time variation due to wavelike nature of ϕ DM
 - Further phenomenology beyond the scope of this talk

How fast can protons decay?

H.D., P. Denton; work in progress

- NS heating: aside from laboratory bounds, proton decay can be much faster
- Can this be a local effect?
 - $udd\psi/M^2$, with dark fermion ψ : fast $p \rightarrow \pi^+\psi$ if kinematically allowed
 - Consider: m_ψ set by $\mathcal{O}(\text{kpc})$ range scalar background sourced by DM
 - No fast proton decay near Earth, but could be allowed where DM low density
 - Local DM density evolution: proton decay rate modulation on Galactic time scales
- Can search for such effects, akin to DM decay
 - Anti-correlated with DM density, in the above picture
- Maybe a global effect: m_ψ governed by an evolving cosmic modulus
 - Proton decay faster everywhere in the Universe, billions of years ago
 - Can we look for its imprints?



Concluding Remarks

- We considered the effect of an ultralight scalar ϕ on BNV
- Besides providing a final state, ϕ may be sourced by matter
- Our discussion focused on a particular operator, as an example
- This can enhance standard operators mediating BNV near astronomical bodies
 - $\langle\phi\rangle(x)$ as a Wilson coefficient in the EFT
- We examined laboratory bounds, as well as solar neutrino emission and neutron star heating via BNV
- Current HST observations of the coldest known pulsar seem to provide the strongest bounds on our setup
 - Data from JWST could provide improved bounds
- Depending on choice of parameters, ϕ could be an ultralight DM candidate
- More generally: Can proton decay be faster in the past, elsewhere?
 - Proton longevity may be a local effect: could look for its decay far away from us
 - Alternatively, could be governed by a cosmic modulus, much faster in the past
 - What would be the imprints on Earth?