#### The latest results of the MEG II experiment

#### Giovanni Dal Maso on behalf of the MEG collaboration

#### BLV 2024



## **Charged Lepton** Flavor Violation

 even though it is predicted by SM with neutrino oscillations ...

$$\mathcal{B} \propto \left(\frac{\Delta m_{\nu}^2}{m_{\rm W}^2}\right)^2 \approx 10^{-54}$$

... it is heavily suppressed  $\rightarrow$  Any observation would be a clear sign of new physics

History of  $\mu \rightarrow e \gamma$ ,  $\mu \rightarrow 3e$  and  $\mu N \rightarrow e N$ 



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### The MEG decay

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#### Accidental

Particles from different processes: need excellent timing resolution.



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Backgrounds

Accidental

Particles from different processes: need excellent timing resolution.

DC muon beams are preferred.



We aim to a sensitivity of  $\mathcal{B}=6\times 10^{-14},$  ten times better than MEG [1]. The event selection and the analysis are based on 5 kinematic variables:

- $E_{\gamma}$ : photon energy (52.8 MeV)
- $E_{\rm e^+}:$  positron energy (52.8 MeV)
- $t_{e^+\gamma}$ : relative timing
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- + RMD veto.

 $\sim 9000$  channels with full waveform digitization.



#### Collected data

- 2021: first physics run with optimized detector operation → published
- 2022: stable DAQ with optimal detector conditions  $\rightarrow$  **analysis ongoing**
- 2023: longest physics run



## Detector performances in 2021 [1]

	MEG	MEG II
Resolutions		
$\delta E_{\mathrm{e}^+}$ [keV]	380	89
$\delta  heta_{ m e^+}$ [mrad]	9.4	7.2
$\delta \phi_{ m e^+}$ [mrad]	8.7	4.1
$\delta z_{ m e^+}/ar{\delta} y_{ m e^+}$ [mm]	2.4/1.2	2.0/0.74
$\delta E_{\gamma} ~(w>2~{ m cm}/w<2~{ m cm})~[\%]$	2.4/1.7	2.0/1.8
$\delta u_{\gamma}/\delta v_{\gamma}/\delta w_{\gamma}$ [mm]	5/5/6	2.5/2.5/5.0
$\delta t_{\mathrm{e}^+\gamma}$ [ps]	122	78
Efficiencies [%]		
Trigger	$\simeq 99$	$\simeq 80$
Photon	63	63
$e^+$ (tracking $ imes$ matching)	30	67

#### Analysis approach

- $\bullet\,$  blinding box:  $48\,{\rm MeV} < E_{\gamma} < 58\,{\rm MeV}$  ,  $|t_{{\rm e}^+\gamma}| < 1\,{\rm ns}$
- accidentals are studied in the time sidebands
- RMDs are studied in the energy sideband
- $\bullet\,$  unbinned maximum likelihood analysis in the signal region to estimate  $\mathcal{N}_{\rm S}:$

$$\begin{split} &48\,{\rm MeV} < E_{\gamma} < 58\,{\rm MeV},\\ &52.2\,{\rm MeV} < E_{\rm e^+} < 53.5\,{\rm MeV},\\ &|\phi_{\rm e^+\gamma}| < 40\,{\rm mrad},\ |\theta_{\rm e^+\gamma}| < 40\,{\rm mrad},\\ &|t_{\rm e^+\gamma}| < 0.5\,{\rm ns} \end{split}$$

• Two independent analyses: one with a per-event PDF and two angular observables  $\theta_{e\gamma}$ ,  $\phi_{e\gamma}$ ; one with constant PDFs and one angular observable  $\Theta_{e\gamma}$ .



$$\mathcal{L}(\mathcal{N}_{\mathrm{S}}, \mathcal{N}_{\mathrm{RMD}}, \mathcal{N}_{\mathrm{ACC}}, x_{\mathrm{T}}) = \frac{e^{-(\mathcal{N}_{\mathrm{S}}, \mathcal{N}_{\mathrm{RMD}}, \mathcal{N}_{\mathrm{ACC}})}}{\mathcal{N}_{\mathrm{obs}}!} C(\mathcal{N}_{\mathrm{RMD}}, \mathcal{N}_{\mathrm{ACC}}, x_{\mathrm{T}}) \times \prod_{i=1}^{\mathcal{N}_{\mathrm{obs}}} (\mathcal{N}_{\mathrm{S}}S(\vec{x_i}) + \mathcal{N}_{\mathrm{RMD}}R(\vec{x_i}) + \mathcal{N}_{\mathrm{ACC}}A(\vec{x_i})))$$

#### 2021 analysis - Normalisation

Normalization factor k = number of effectively measured muons (= 1/SES):

$$\mathcal{B}(\mu^+ 
ightarrow \mathrm{e}^+ \gamma) = rac{\mathcal{N}_\mathrm{S}}{k}$$

It is estimated by two independent methods:

Counting Michel positron:

$$k_{\text{Michel}} = (2.55 \pm 0.13) \times 10^{12}$$

Counting RMD events in energy sidebands:

 $k_{\rm RMD} = (3.1 \pm 0.11(\text{stat}) \pm 0.3(\text{syst})) \times 10^{12}$ 

Combined factor:  $(2.64 \pm 0.12) \times 10^{12}$ 

#### 2021 analysis - Sensitivity

Sensitivity  $S_{90} = 8.8 \times 10^{-13}$ :

- Median of the 90% UL distribution for pseudo experiments with null-signal hypothesis
- ULs observed in four fictitious analysis windows in the timing sidebands are consistent with the sensitivity
- already approaching full MEG sensitivity  $(5.3 \times 10^{-13})$



#### 2021 analysis - Systematics

Major sources of systematics:

- Detector alignment
- $E_{\gamma}$  scale
- Normalisation

Effect on sensitivity  ${\sim}4\%$  ( ${\sim}13\%$  in MEG)

Parameter	Impact on sensitivity
$\phi_{e\gamma}$ uncertainty	1.1%
$E_{\gamma}$ uncertainty	0.9%
$\theta_{e\gamma}$ uncertainty	0.7%
Normalization uncertainty	0.6~%
$t_{e\gamma}$ uncertainty	0.1%
$E_e$ uncertainty	0.1%
RDC uncertainty	< 0.1%

#### Uncertainty mostly from detector alignment



#### 2021 analysis - Event distribution after unblinding



No excess of events around the signal region

#### 2021 analysis - Likelihood fit



#### 2021 analysis - Confidence Interval

The Confidence Interval is computed with a full frequentist approach and likelihood ratio ordering:

- 2021 analysis:  $\mathcal{B}(\mu^+ \to e^+ \gamma) < 7.5 \times 10^{-13} (90 \% \text{ C.L.})$
- 2021 analysis + MEG combined:  $\mathcal{B}(\mu^+ \rightarrow e^+ \gamma) < 3.1 \times 10^{-13}$  (90 % C.L.)



#### Conslusions and prospects

- in the first 7-week data-taking of 2021 we achieved  $60\,\%$  of MEG total sensitivity between 2009 and 2013
- the combined MEG and MEG II results provides the most stringent limit to date [2]
- $\bullet~2021$  run represents only  $11\,\%$  of the total data
- we expect to finalize 2022 analysis soon





Giovanni Dal Maso

- K. Afanaciev et al. "Operation and performance of the MEG II detector". In: *The European Physical Journal* C 84.2 (Feb. 2024), p. 190. ISSN: 1434-6052. DOI: 10.1140/epjc/s10052-024-12415-3. URL: https://doi.org/10.1140/epjc/s10052-024-12415-3.
- [2] K. Afanaciev et al. "A search for μ<sup>+</sup> → e<sup>+</sup>γ with the first dataset of the MEG II experiment". In: The European Physical Journal C 84.3 (Mar. 2024), p. 216. ISSN: 1434-6052. DOI: 10.1140/epjc/s10052-024-12416-2. URL: https://doi.org/10.1140/epjc/s10052-024-12416-2.

# Back-up

#### Exotic channels

#### Exotic channels with the MEG II detector: X17



In 2016 the ATOMKI collaboration found an excess in the  $^7{\rm Li}({\rm p},{\rm e^+e^-})^8{\rm Be}$  reaction: an excess of event is found in the internal pair conversion (IPC).

Excess was attributed to a light boson:

- $m_{X17} = 16.98 \,\mathrm{MeV}/c^2$
- BR( $X17/\gamma$ ) = 6 × 10<sup>-6</sup>

We had one month of data taking in early 2023 and we are close to unblinding.



## Exotic channels with the MEG II detector: ALPs

Look for ALPs in  $\mu^+ \rightarrow e^+ \gamma a$ . We had already a limited dedicated data taking ( $\sim 1 \text{ week}$ ) with optimized trigger settings.

We're preparing for the blinded analysis.



#### The muon beam

Where to go?

- DC muon beams are ideal for coincidence experiments to minimize the accidental background.
- To reach sensitivities of  $\mathcal{O}(10^{-14})$  you need to measure  $\mathcal{O}(10^{14})$  decays  $\rightarrow$  high intensity.

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PSI is the place to go.











The protons impinge on the targets, producing pions that decay in muons. Depending on where they are created, we classify:

Due to the high intensity and low momentum, the most interesting muons for many experimental applications are surface muons as they can be stopped in low material budget targets.

#### Muon production

• Surface and sub-surface muons (5 - 30 MeV/c): pion decay at rest.



#### Muon production

• Cloud muons: pion decay in flight.



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#### The $\pi E5$ beamline



• reduce accidental background by distributing muon stops over a large surface



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- reduce material budget for decay products



#### Stopping target

- reduce accidental background by distributing muon stops over a large surface
- reduce material budget for decay products
- $\rightarrow$  slanted target:
  - $\bullet~174\,\mu\text{m}$  thick BC400
  - $28 \,\mathrm{cm} \times 8 \,\mathrm{cm}$  ellipsis
  - $86.6\,\%$  stopping efficiency



$$\label{eq:Displacement} \begin{split} \text{Displacement}/\text{deformation should be} \\ < 0.5\,\text{mm:} \end{split}$$

- dominant systematic error in MEG (5% in the branching ratio)
- $\bullet$  6 holes to monitor the target through  $e^+$  vertices
- photogrammetric survey by two cameras, detect deformations down to 100 μm



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## The liquid XEnon Calorimeter (XEC)

- 4092 MPPCs
- 668 PMTs
- 900 L liquid xenon





Periodic calibration routine (demanding):

- radiative muon decay energy scale, continuously
- LED (UV) PMT/MPPC gains, daily
- radioactive source  $\rightarrow$   $^{241}Am(\alpha,\gamma)^{237}Np$  (4.4 MeV) energy scale daily
- cosmic rays energy scale & uniformity, daily
- dedicated CW accelerator  $\rightarrow$   $^{7}Li(p,\gamma)^{8}Be$  (17.6 MeV) energy scale & PDE, 3 times per week
- $\bullet$  neutron generator  $\rightarrow$   ${\rm ^{58}Ni}(n,\gamma){\rm ^{59}Ni}$  (9 MeV) energy scale, 3 times per week
- $\pi^- \mathrm{p} 
  ightarrow \pi^0 \mathrm{n}$  (55, 83, 129 MeV) absolute energy scale, annually

#### **XEC** calibrations

They allow to monitor temporal variations in the performances, detector uniformity and energy resolution.

- energy scale uncertainty  $\rightarrow 0.4\,\%$
- $\bullet~{\rm detector}~{\rm resolution}$   $\rightarrow~2.0~\%$



#### MPPC radiation damage

We see a decrease of the MPPC PDE with time through the run  $\rightarrow$  recovery by Joule annealing (28 h / patch  $\sim 2$  months in total).



#### The COnstant Bending RAdius magnet COBRA

- thin SC magnet
- gradient magnetic field to bend positrons with radius independent on the emission angle





#### The Cylindrical Drift CHamber CDCH

- 1728 gold-plated tungsten wires ( $20 \,\mu m \emptyset$ , anodes)
- 13560 silver plated aluminum wires  $(40/50 \,\mu\text{m}\text{ø}, \text{ cathodes})$
- $\sim\!7^\circ\,$  criss-cross stereo angle for z determination
- helium-isobutane (90-10) gas mixture (+ 1% isopropyl alcohol and 0.5% oxygen)
- $1.58 \times 10^{-3}\,\text{X}_{0}/\text{e}^{+}\text{-turn}$





#### The Cylindrical Drift CHamber CDCH - performances

The resolutions are obtained through:

- double-turn analysis
- Michel edge fit

Performances in 2021:

- energy resolution: 89 keV (380 keV in MEG)
- efficiency @  $3\times10^7\,\mu^+/\text{s:}$   $67\,\%$  (30 % in MEG)





Major systematic effect. Need to evaluate the CDCH wire alignment and the relative alignment to the magnet, the target and to the XEC.

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#### Wire alignment

Optical survey (residuals  $22 - 35 \,\mu$ m)  $\rightarrow$  refined by relative alignment with Michel positron tracks (residuals  $< 5 \,\mu$ m).



Major systematic effect. Need to evaluate the CDCH wire alignment and the relative alignment to **the magnet**, the target and to the XEC.

#### **CDCH-COBRA** alignment

The nominal alignment introduces a dependence of the positron energy scale to the emission angle.  $\rightarrow$  align by minimising such effect.



Major systematic effect. Need to evaluate the CDCH wire alignment and the relative alignment to the magnet, the target and to the XEC.

#### **CDCH-target alignment**

A misalignment in the reconstructed hole horizontal position results in a dependence of its reconstructed vertical position on the positron emission angle.



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Major systematic effect. Need to evaluate the CDCH wire alignment and the relative alignment to the magnet, the target and to the XEC.

#### **CDCH-XEC** alignment

The alignment is done with cosmic rays crossing both detectors.



## The pixelated Timing Counter (pTC)

- 256 plastic scintillating tiles
- single tile resolution  $\sim 100 \text{ ps}$
- on average 9 tiles per event are hit  $\rightarrow \sim 37 \text{ ps}$  (65 ps in MEG)
- inter-calibration  $\sim 15$  ps through track reconstruction and laser pulsing through optical fibres





#### The Radiative Decay Counter (RDC)

- to tag high energy  $\gamma$  with low energy positrons  $(\epsilon \sim 14\%)$
- plastic tiles for timing + LYSO crystal for energy
- 7 % improvement on sensitivity







#### **Trigger and Data AQuisition system**

Trigger and DAQ are integrated in a single system for 8591 channels (4 times MEG):

- reconstruction is done based on the full waveform information
- trigger based on fast response detector (pTC and XEC):
  - **1** photon energy,  $\epsilon = 96 \%$
  - **a** time coincidence.  $\epsilon = 94 \%$
  - direction match  $\epsilon = 88.5\%$ 8
- trigger efficiency = 80 % in 2021





In addition to the kinematic variables, the RDC veto and the number of pTC tiles hits are included in the analysis:

- XEC, CDCH, pTC:  $E_{\gamma}$ ,  $E_{\rm e^+}$ ,  $t_{\rm e^+\gamma}$ ,  $\theta_{\rm e^+\gamma}$ ,  $\phi_{\rm e^+\gamma}$
- RDC:  $t_{\text{RDC-XEC}}$ ,  $E_{\text{RDC}}$



Analysis

#### cLFV complementarity



Analysis

## The Cylindrical Drift CHamber CDCH - hit-detection

Tracking efficiency improved by  $26\,\%$  by combining two hit-finding algorithms ( $53\,\%\to67\,\%$ ).



