## Neutrino Oscillation Anomalies and their Relation to Sterile Neutrinos 6th KSETA Plenary Workshop 2019, Durbach

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Theoretical Astroparticle Physics, IKP

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#### **Neutrino Oscillations**

2015 Nobel Prize Arthur B. McDonald, Takaaki Kajita For the discovery of neutrino oscillations, which shows that neutrinos have mass



New Physics and Sterile Neutrinos



- $3\nu$  Oscillations and global analysis
- Short Baseline Anomalies and the status of their interpretation in terms of Sterile Neutrino Oscillations

## **Neutrino Oscillations**

#### $3\nu$ Standard Oscillations

After EWSB:  $\mathcal{L}_{CC} \propto U_{\alpha i} W^-_{\mu} \bar{\ell_{\alpha}} \gamma^{\mu} P_L \nu_i$ Lepton mixing matrix U, analogous to the CKM matrix.



 $\left|\nu_{\alpha}\right\rangle = U_{\alpha j}\left|\nu_{j}\right\rangle$ 

Propagation

$$|\nu_{\alpha}(t)\rangle = U_{\alpha j} e^{-iE_{j}t} |\nu_{j}(t)\rangle = U_{\alpha j} e^{-iE_{j}t} U_{\gamma j}^{*} |\nu_{\gamma}\rangle$$



 $\left|\nu_{j}\right\rangle = U_{\beta j}^{*} \left|\nu_{\beta}\right\rangle$ 

Oscillation Probability (in Vacuum)

$$P\nu_{\alpha} \rightarrow \nu_{\beta} = \left| \left\langle \nu_{\beta} \left| \nu_{\alpha}(t) \right\rangle \right|^{2} = \delta_{ab} - 4 \sum_{i > j} \operatorname{Re} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin^{2} \left( \frac{\Delta m_{ij}^{2} L}{4E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) \sin \left( \frac{\Delta m_{ij}^{2} L}{2E} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bj}^{*} U_{ai}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi}^{*} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi} U_{bi} U_{bi} \right) + 2 \sum_{i > j} \operatorname{Im} \left( U_{aj} U_{bi} U_{$$

#### Neutrino oscillations in matter



CC effective potential

- Oscillation probability enhancement, MSW effect.
- intrinsic CP violation.

NC effective potential do not have any effect

## **Neutrino Oscillations**

#### **PMNS Matrix Parametrization**

$$\begin{pmatrix} \nu_{e} \\ \nu_{\mu} \\ \nu_{\tau} \end{pmatrix} = U \begin{pmatrix} \nu_{1} \\ \nu_{2} \\ \nu_{3} \end{pmatrix} ; \quad \Delta m_{atm}^{2}, \ \Delta m_{sol}^{2} \& \quad U_{PMNS} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} \end{pmatrix}$$
$$U = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} 1 & 0 & 0 \\ 0 & e^{-i\alpha_{1}} & 0 \\ 0 & 0 & e^{-i\alpha_{2}} \end{pmatrix}$$

$$P_{\substack{\nu_{\alpha} \to \nu_{\beta}}}(E, L, \theta) \qquad \qquad \mathbf{6} \text{ Parameters: } \theta_{12}, \theta_{23}, \theta_{13} \delta_{CP}, \Delta m_{sol}^2 \ll \Delta m_{atm}^2.$$

#### **Oscillation Regimes**

$$\frac{\Delta m^2 E}{4L} \simeq 1.27 \Delta m_{ij}^2 ({\rm eV}^2) \frac{L({\rm Km})}{E({\rm GeV})}$$

$$\Delta m_{
m sol}^2 \sim 10^{-4} {
m eV}^2 \ \Rightarrow \ L/E \sim 10^4 {
m Km/GeV}$$

Reactors:  $E \sim {
m MeV}$ ,  $L \sim 1 {
m Km}$  Daya Bay

 $L\sim 100 {
m Km}$  KamLAND



#### P.Vogel et.al. [arXiv:1503.01059]

NuFIT 4.0 (2018), www.nu-fit.org I. Esteban, C. Gonzalez-Garcia, A. Hernandez-Cabezudo, M. Maltoni, T. Schwetz

 $\chi^2(\theta_{12},\,\theta_{23},\,\theta_{13},\,\delta_{CP},\,\Delta m^2_{\rm sol},\,\Delta m^2_{\rm atm}) =$ 

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$$P_{\text{KLAND}} = \sin^4 \theta_{13} + \cos^4 \theta_{13} \left(1 - \frac{1}{2}\sin^2(2\theta_{12})\sin^2\frac{\Delta_{\text{sol}}L}{4E}\right)$$

$$\begin{split} \chi^2(\theta_{12},\theta_{23},\theta_{13},\delta_{CP},\Delta m^2_{\rm sol},\Delta m^2_{\rm atm}) = \\ \chi^2_{\rm sol+KLAND}(\theta_{12},\Delta m^2_{\rm sol},\theta_{13}) \end{split}$$

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$$P_{\text{reactor}} = 1 - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \frac{\Delta_{\text{sol}}L}{4E} - \sin^2 2\theta_{13} \left( \cos^2 \theta_{12} \sin^2 \frac{\Delta_{13}L}{4E} + \sin^2 \theta_{12} \sin^2 \frac{\Delta_{32}L}{4E} \right)$$

$$\chi^{2}(\theta_{12}, \theta_{23}, \theta_{13}, \delta_{CP}, \Delta m_{sol}^{2}, \Delta m_{atm}^{2}) = \chi^{2}_{sol+KLAND}(\theta_{12}, \Delta m_{sol}^{2}, \theta_{13})$$
$$- \chi^{2}_{reactor}(\theta_{12}, \Delta m_{sol}^{2}, \theta_{13}, \Delta m_{atm}^{2})$$

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+ 
$$\chi^2_{\text{LBL}}(\theta_{12}, \Delta m^2_{\text{sol}}, \theta_{13}, \Delta m^2_{\text{atm}}, \theta_{23}, \delta_{CP})$$

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#### **Combined analysis:**

- $$\begin{split} \chi^2(\theta_{12},\theta_{23},\theta_{13},\delta_{CP},\Delta m^2_{\mathrm{sol}},\Delta m^2_{\mathrm{atm}}) = \\ \chi^2_{\mathrm{sol+KLAND}}(\theta_{12},\Delta m^2_{\mathrm{sol}},\theta_{13}) \end{split}$$
- +  $\chi^2_{\text{reactor}}(\theta_{12}, \Delta m^2_{\text{sol}}, \theta_{13}, \Delta m^2_{\text{atm}})$
- $+ \quad \chi^2_{\rm LBL}(\theta_{12},\Delta m^2_{\rm sol},\theta_{13},\Delta m^2_{\rm atm},\theta_{23},\delta_{CP})$
- $+ \quad \chi^2_{\rm atm}(\theta_{12},\Delta m^2_{\rm sol},\theta_{13},\Delta m^2_{\rm atm},\theta_{23},\delta_{CP})$





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- +  $\chi^2_{
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  m sol},\theta_{13},\Delta m^2_{
  m atm})$
- +  $\chi^2_{\text{LBL}}(\theta_{12}, \Delta m^2_{\text{sol}}, \theta_{13}, \Delta m^2_{\text{atm}}, \theta_{23}, \delta_{CP})$
- $+ \quad \chi^2_{\rm atm}(\theta_{12},\Delta m^2_{\rm sol},\theta_{13},\Delta m^2_{\rm atm},\theta_{23},\delta_{CP})$

#### www.nu-fit.org





## Neutrino Oscillations, Reactor Neutrinos

Predictions

$$N_{i}^{d} = \mathcal{N} \sum_{r} \sum_{iso} \frac{\epsilon^{d}}{L_{rd}^{2}} \int_{E_{i}^{rec}}^{E_{i+1}^{rec}} dE^{rec} \int_{0}^{\infty} dE_{\nu} \sigma(E_{\nu}) f^{iso} \phi^{iso}(E_{\nu}) P_{\bar{\nu}_{e} \to \bar{\nu}_{e}}^{rd}(E_{\nu}) R(E^{rec}, E_{\nu})$$

Analysis, Pull approach

$$\chi^2(\boldsymbol{\theta},\boldsymbol{\eta}) = \sum_{i,j} \frac{(Obs_i - Pred_i(\boldsymbol{\theta},\boldsymbol{\eta}))^2}{(\sigma_i^{\text{stat}})^2} + \eta_k V_{kl}^{-1} \eta_l$$

 $\eta:$  pull parameters accounting for the systematics. We include as much information from the collaborations as it is given.



**6** Parameters:  $\theta_{12}$ ,  $\theta_{23}$ ,  $\theta_{13} \& \delta_{CP}$   $\Delta m_{sol}^2 \ll \Delta m_{atm}^2$  (Mass ordering)  $m_1 < m_2 < m_3$  $m_3 < m_1 < m_2$ 

#### 3v Oscillation Framework is very well tested

However there are experimental data that can not be accommodated in this framework

#### $\Rightarrow$ Short Baseline Anomalies

- Sterile Neutrino Oscillations
- Reactor Anti-neutrino Anomaly
- LSND and MiniBooNE Anomaly
- Appearance vs Disappearance Tension

#### $3+1\nu$ framework

$$\begin{split} & P_{\overline{\nu}_{e} \to \overline{\nu}_{e}} = 1 - 4 \sum_{i=1}^{3} \sum_{j>i}^{4} |U_{ej}|^{2} |U_{ej}|^{2} \sin^{2} \left( \Delta m_{ij}^{2} \frac{L}{4E} \right) \\ & P_{\overline{\nu}_{e} \to \overline{\nu}_{e}} \sum_{\mathrm{SBL}}^{\sim} 1 - \sin^{2} 2\theta_{14} \sin^{2} \left( \Delta m_{41}^{2} \frac{L}{4E} \right) \end{split}$$

#### M.Dentler et.al. [arXiv:1803.10661]

M.Dentler, A.Hernandez-Cabezudo, J.Kopp, P.A.N.Machado, M.Maltoni, I.Martinez-Soler, T.Schwetz

### SBL Anomalies and Sterile Neutrino Oscillations

**Short Baseline** (SBL) Experiments measure in the  $L/E \sim 1m/MeV$  regime. They are not sensitive to the  $3\nu$  standard oscillations ( $\Delta m_{atm}^2$  and  $\Delta m_{sol}^2$ ).

- 1 LNSD & MiniBooNE  $\stackrel{(-)}{\nu_{\mu}} \rightarrow \stackrel{(-)}{\nu_{e}}$
- 2 Gallium  $\nu_e \rightarrow \nu_e$
- 3 Reactor  $\bar{\nu_e} \rightarrow \bar{\nu_e}$





A.A. Aguilar-Arevalo et.al. [arXiv:1805.12028]

F.P. An et.al. [arXiv:1607.05378]

#### eV Sterile Neutrino

$$U = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} & U_{e4} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} & U_{\mu4} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} & U_{\tau4} \\ U_{s1} & U_{s2} & U_{s3} & U_{s4} \end{pmatrix} ; \quad \Delta m_{new}^2 \simeq 1 eV^2$$
$$P_{\nu\alpha \to \nu\beta}^{SBL} = \left| \delta_{\alpha\beta} - \sin^2 2\theta_{\alpha\beta} \sin^2 \left( \frac{\Delta m_{41}^2 L}{4E} \right) \right|$$





Total measured events vs predicted events

$$^{235}$$
 U,  $^{239}$  Pu,  $^{238}$  U &  $^{241}$  Pu  $\rightarrow \overline{\nu}_{e}$  ( $\sim {\rm MeV}) {\rm Flux}.$ 

Reactor experiments measured a deficit  $\bar{\nu_e}$  events with respect to the theoretical predictions (Huber-Muller)

#### **Sterile Neutrino Oscillations**

$$\begin{split} P_{\nu \bar{\ell}_{e} \rightarrow \nu \bar{\nu}_{e}} &= 1 - \sin^{2} 2\theta_{14} \sin^{2} \left( \frac{\Delta m_{\mathrm{new}}^{2} L}{4E} \right) \\ \mathrm{averaged out} : P_{\nu \bar{\ell}_{e} \rightarrow \nu \bar{\ell}_{e}} &= 1 - \frac{1}{2} \sin^{2} 2\theta_{14} \end{split}$$



K. N. Abazajian et.al. [arXiv:1204.5379]

#### Flux Mismodelling



**Global fit** C.Giunti et.al. [arXiv: 1901.01807] of the flux evolution and all-time integrated  $\bar{\nu}_e$  flux measurement do not favour the flux mismodeling hypothesis over the hybrid models.

A. Hernandez-Cabezudo (IKP)

#### Recent New Data Analysis independent of flux predictions



Y.J. Ko et.al. [arXiv: 1610.05134]



I Alekseev et.al. [arXiv: 1804.04046]

PROSPECT  $(L \sim 7 - 13m)$ STEREO  $(L \sim 10m)$ NEUTRINO 4\*  $(L \sim 6 - 12m)$ 

Based on ratios of measured spectra





I.Alekseev et.al. [arXiv: 1804.04046]

In our global analysis we perform a **Flux Free Analysis**, fitting the oscillation parameters as well as the normalizations of the flux predictions to the data.

M.Dentler et.al. [arXiv:1803.10661]

Y.J. Ko et.al. [arXiv: 1610.05134]



#### **Reactor Global Analysis**

M.Dentler et.al. [arXiv:1803.10661]



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M.Dentler et.al. [arXiv:1803.10661]

Analysis	$\Delta m^2_{41}$ [eV <sup>2</sup> ]	$ U_{e4}^2 $	$\chi^2_{ m min}/ m dof$	$\Delta\chi^2$ (no-osc)	significance
DANSS+NEOS	1.3	0.00964	74.4/(84 - 2)	13.6	$3.3\sigma$
all reactor (flux-free)	1.3	0.00887	185.8/(233 - 5)	11.5	$2.9\sigma$
all reactor (flux-fixed)	1.3	0.00964	196.0/(233 - 3)	15.5	$3.5\sigma$



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A. Hernandez-Cabezudo (IKP)

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## Ractor Anti-neutrino Anomaly and KATRIN $\frac{d\Gamma}{dE} = \Theta \left( E_0 - E - m_{\beta} \right) \left( 1 - |U_{e4}|^2 \right) \frac{d\Gamma}{dE} \left( m_{\beta} \right)$

$$\frac{\Gamma}{E} = \Theta \left( E_0 - E - m_\beta \right) \left( 1 - |U_{e4}|^2 \right) \frac{d\Gamma}{dE} \left( m_\beta \right) + \Theta \left( E_0 - E - m_4 \right) |U_{e4}|^2 \frac{d\Gamma}{dE} \left( m_4 \right)$$



Marx Krozeczek, Master Thesis: eV- & KeV-sterile neutrino studies with KATRIN

# $\stackrel{(\overline{\nu}_{e})}{\overline{\nu}_{e}} \rightarrow \stackrel{(\overline{\nu}_{e})}{\overline{\nu}_{e}}$ Combined Analysis

## Global $\stackrel{(-)}{\nu_e}$ Disappearance Analysis



M.Dentler et.al. [arXiv:1803.10661]

Analysis	$\Delta m_{41}^2  [\mathrm{eV}^2]$	$ U_{e4}^{2} $	$\chi^2_{\sf min}/{\sf dof}$	$\Delta\chi^2$ (no-osc)	significance
$\stackrel{(-)}{ u_e}$ disap. (flux free)	1.3	0.00901	542.9/(594 - 8)	13.4	$3.2\sigma$

# LNSD and MiniBooNE Anomalies, $\stackrel{(-)}{ u_{\mu}} ightarrow \stackrel{(-)}{ u_{e}}$



K. N. Abazajian et.al. [arXiv:1204.5379]

Oscillation regime  $L/E \sim 0.15-2.3~{\rm m/MeV}$ 



[arXiv:1805.12028]









C.Athanassopoulos et.al. [arXiv:nucl-es/9605002]

[arXiv:1204.5379]

# $(\overline{\nu_{\mu}}) \rightarrow (\overline{\nu_{e}})$ Appearance

#### LSND & MiniBooNE Anomalies

Global  ${\stackrel{(-)}{\nu}}_{\mu} \rightarrow {\stackrel{(-)}{\nu}}_{e}$  Analysis

(Updated data till Spring 2018)



 $\sin^2 2\theta_{\mu e} \propto |U_{\mu 4}|^2 |U_{e4}|^2$ 

# $\stackrel{(\overline{\nu})}{\nu_{\mu}} \rightarrow \stackrel{(\overline{\nu})}{\nu_{e}}$ Appearance

#### LSND & MiniBooNE Anomalies

Global  ${\stackrel{(-)}{\nu}}_{\mu} \rightarrow {\stackrel{(-)}{\nu}}_e$  Analysis

(Updated data till Spring 2018)



$$\begin{split} P_{\stackrel{(-)}{\nu_{e}}\rightarrow\stackrel{(-)}{\nu_{e}}} &= 1 - 4|U_{e4}|^{2}(1 - |U_{e4}|)^{2}\sin^{2}\left(\frac{\Delta m_{41}^{2}E}{4L}\right) \\ P_{\stackrel{(-)}{\nu_{\mu}}\rightarrow\stackrel{(-)}{\nu_{\mu}}} &= 1 - 4|U_{\mu4}|^{2}(1 - |U_{\mu4}|)^{2}\sin^{2}\left(\frac{\Delta m_{41}^{2}E}{4L}\right) \\ P_{\stackrel{(-)}{\nu_{\mu}}\rightarrow\stackrel{(-)}{\nu_{e}}} &= 4|U_{e4}|^{2}|U_{\mu4}|^{2}\sin^{2}\left(\frac{\Delta m_{41}^{2}E}{4L}\right) \end{split}$$

$$\sin^2 2\theta_{e\mu} \simeq \frac{1}{4} \sin^2 2\theta_{ee} \sin^2 2\theta_{\mu\mu}$$

$$\sin^2 2\theta_{\mu e} \propto |U_{\mu 4}|^2 |U_{e 4}|^2$$

Global  $\overline{\nu}_{\mu} \rightarrow \overline{\nu}_{\mu}$  Analysis  $\Rightarrow$ 

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M.Dentler et.al. [arXiv:1803.10661]

$$(\overline{
u}_{\mu}) \rightarrow (\overline{
u}_{e})$$
 vs  $(\overline{
u}_{\mu})/(\overline{
u}_{e})$  Tension



Global 
$${\stackrel{(-)}{
u}}_{\mu} 
ightarrow {\stackrel{(-)}{
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 Analysis  $\Rightarrow$ 



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#### Parameter Goodness of Fit Test

Analysis	$\Delta \chi^2_{\rm app-disapp}$	p-value	significance
Global	29.6	$3.7  imes 10^{-7}$	$5.1\sigma$
w/o Reactors	20.3	$3.9 \times 10^{-5}$	$4.1\sigma$

# The tension is independent of the Reactor Anomaly

Global 
$${\stackrel{(-)}{
u}}_{\mu} 
ightarrow {\stackrel{(-)}{
u}}_{\mu}$$
 Analysis  $\Rightarrow$ 



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$$(\vec{\nu}_{\mu}) \rightarrow (\vec{\nu}_{e})$$
 vs  $(\vec{\nu}_{\mu})/(\vec{\nu}_{e})$  Tension



Analysis	$\chi^2_{PG}/dof$	PG
Global	29.6/2	$3.71 \times 10^{-7}$
Removing anomalous da	ata sets	
w/o LSND	12.9/2	$1.6 \times 10^{-3}$
w/o MiniBooNE	24.4/2	$5.2 \times 10^{-6}$
w/o reactors	20.3/2	$3.8 \times 10^{-5}$
w/o gallium	33.9/2	$4.4 \times 10^{-8}$
Removing constraints		_
w/o IceCube	29.4/2	$4.2 \times 10^{-7}$
w/o MINOS(+)	24.5/2	$4.7 \times 10^{-6}$
w/o MB disapp	28.7/2	$6.0 \times 10^{-7}$
w/o CDHS	28.2/2	$7.5 \times 10^{-7}$

# The tension is independent of any particular experiment

- $3\nu$  Oscillations unknown parameters:  $\delta_{CP}$ , mass ordering,  $\theta_{23}$  octant.
- 3ν Oscillations are a very well tested framework. However there are some anomalies.
- Reactor Anti-neutrino anomaly is compatible with new data, independent of flux predictions, at the level of  $\sim 3\sigma$ :  $|U_{e4}|^2 \sim 0.01$  and  $\Delta m_{\rm new}^2 \sim 1.3 {\rm eV}^2$ .
- $\tilde{\nu_{\mu}} \rightarrow \tilde{\nu_{e}}$  Appearance data (MiniBooNE and LSND) is in strong tension with the Disappearance data ( $\tilde{\nu_{\mu}} \rightarrow \tilde{\nu_{\mu}}$  bounds), independently of the reactor data.
- MiniBooNE and LSND data should not be explained in terms of sterile neutrino oscillations.