



# $H \rightarrow \tau \tau$ MEASUREMENTS AT FCC-ee IN THE ZH CHANNEL AT 240 GeV

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# $H \rightarrow \tau \tau$ CROSS-SECTION

#### **General workflow**



- We excluded all isolated electrons and muons ( $p_T > 20$  GeV and iso<0.25) from jets
  - Inclusive  $e^+e^-$  generalized kt algorithm with R=0.5 and  $p_{T,i} > 2$  GeV
  - **Exclusive**  $e^+e^-$  **Durham algorithm** with  $n_{jets}$  depending on the category
- We define **nine categories** based on the Z and tau decays ( $\ell = e, \mu$ )

$\blacksquare Z \to \ell \ell$	$\blacksquare H \to \tau_\ell \tau_\ell$
$\blacksquare Z \to qq$	$\blacksquare H \to \tau_{\ell} \tau_h$
$\Box Z \rightarrow \nu \nu$	$\blacksquare H \to \tau_h \tau_h$

- Basic selection requires exactly the objects in each category to be reconstructed
- Leptonic taus are always handled "manually" by selecting the isolated leptons
- Quark jets are differentiated from hadronic tau jets depending on the reconstruction method 
  next slide

#### Tau reconstruction



Both methods are based on jet clustering

#### Explicit

- Only jets with no electrons or muons
- Gets the leading π
- Adds constituents to it if pt>1 GeV and  $\Delta \theta < 0.2$
- Defines a tau ID based on decay modes

#### ParticleNet

- Trained on di-jets events
- Assigns quark/tau score for each jet
- We select jets with tau score > 0.5

	Explicit tau reconstruction		ParticleNet tau reconstruction	
	Inclusive jets	Exclusive jets	Inclusive jets	Exclusive jets
$Z \to \nu \nu, \ H \to \tau \tau$	90.34%	87.09%	97.60%	94.20%
$Z \to ee, \ H \to \tau \tau$	84.96%	78.07~%	95.15%	83.21~%
$Z \to \mu\mu, \ H \to \tau\tau$	84.96%	79.94%	95.15%	83.21%
$Z \to bb, \ H \to \tau \tau$	77.69%	77.31%	76.23%	65.72%
$Z \to cc, \ H \to \tau \tau$	78.45%	78.07%	76.58%	65.72%
$Z \to ss, \ H \to \tau \tau$	78.82%	78.07%	76.15%	65.50%
$Z \to qq, \ H \to \tau \tau$	78.78%	77.95%	76.57%	65.50%

#### Efficiency compared to true taus

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#### Results



- Combine shape-based fit <u>arXiv:2404.06614</u> with 20% InN background uncertainty and MC statistical uncertainties
  - Cut-based analysis:  $M_{recoil}$  for  $Z \to \ell \ell$  and  $Z \to qq$ ,  $M_{vis}$  for  $Z \to \nu \nu$

BDT analysis:  $M_{recoil}$  for  $Z \to \ell \ell$ , BDT score for  $Z \to qq$  and  $Z \to \nu \nu$ 

- Final numbers for the relative uncertainty (68% CL) of  $H \rightarrow \tau \tau$  cross section at  $\sqrt{s}=240$  GeV,  $\mathscr{L}=10.8$  ab<sup>-1</sup>
- Best result from ParticleNet tau reconstruction using exclusive jets and applying the BDT selection

	Explicit tau reconstruction		ParticleNet tau reconstruction	
	Inclusive jets	Exclusive jets	Inclusive jets	Exclusive jets
Cut-based analysis	-1.28 %, $+1.30$ %	$\pm 1.54\%$	$\pm 0.95\%$	$\pm 1.15\%$
BDT analysis	$\pm 1.02\%$	$\pm 0.88$	$\pm 0.79\%$	$\pm 0.74\%$



## $H \rightarrow \tau \tau \, \mathbf{CP}$

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## **General info**



Mapping of EFT Yukawa operator to kappa framework (commonly used in analyses)

$$\mathscr{L}_{\text{Yukawa},\kappa} = -\sum_{f} \frac{y_{f}^{\text{SM}}}{\sqrt{2}} \kappa_{f} \bar{f} \left(\cos \phi_{f} + i \gamma_{5} \sin \phi_{f}\right) f \,,$$

$$C_{fH,ij} = \operatorname{Re}[C_{fH,ij}] + i\operatorname{Im}[C_{fH,ij}] \equiv C_{fH+,ij} + iC_{fH-,ij}.$$

$$\kappa_f \cos \phi_f \stackrel{\circ}{=} 1 - \frac{v}{\sqrt{2}m_f} \frac{v^2}{\Lambda^2} C_{fH+}, \qquad \kappa_f \sin \phi_f \stackrel{\circ}{=} -\frac{v}{\sqrt{2}m_f} \frac{v^2}{\Lambda^2} C_{fH-}.$$

Working on mostly gen level information with samples that only have  $\tau \rightarrow \pi \nu$  decays in SMEFT@LO under the *topU3L* flavor assumption

# ILC method





The 4-momenta are boosted in the respective tau rest frame



$$\mathbf{h}(\tau^{\pm} \to \pi^{\pm} \nu) \propto \mathbf{p}_{\pi^{\pm}}$$
(6)  
 
$$\mathbf{h}(\tau^{\pm} \to \pi^{\pm} \pi^{0} \nu) \propto m_{\tau} (E_{\pi^{\pm}} - E_{\pi^{0}}) (\mathbf{p}_{\pi^{\pm}} - \mathbf{p}_{\pi^{0}})$$
$$+ \frac{1}{2} (p_{\pi^{\pm}} + p_{\pi^{0}})^{2} \mathbf{p}_{\nu},$$
(7)



In the ILC publication, samples with varying Higgs CP properties were simulated by changing the spin correlations applied in the decay of the τ pair by means of Pythia's HiggsH1:phiParityparameter to describe ψCP = 0 (i.e. the SM), π/8,π/4,π/2, and 3π/4 rad we will also test this simulation setup despite should be equivalent to the EFT approach.

# ILC method - gen level





- Very similar to the true angle, the only difference is using the respective tau rest frames instead of the Higgs
- Same as before, whizard sample is flat (not plotted here)



- Using gen Higgs and pions we can test the reconstruction method:
  - Minimize  $\chi^2$  function for the tau mass (1 MeV precision), missing 4-vector and recoil 4-vector (10 Mev precision)
  - Uses **ROOT minuit2**, initially we tried minuit but it had trouble properly converging
  - Comparison of the reconstructed taus with the true gen taus is very good (0 ± 1 GeV in each component of the 4-vectors)
  - But looking at the  $\Delta \phi$  there is an excess of events around 0 which can be eliminated by constraining the reconstructed mass to be as close as possible to 1.777 GeV (1.77-1.78)
  - Unfortunately, this is still not enough to show CPV: this could be "solved" with further cuts on the taus, such as pT (suggested from CMS analyses) or better precision in the fit, it will be studied in the next days
- There is also a fitting strategy used by the ILC paper but still needs to be adapted to minuit2 to work porperly



SM sample







SM sample

DeltaPhiKin {Kin\_TauP\_p4.M()>1.7 && Kin\_TauM\_p4.M()>1.7 && Kin\_TauP\_p4.M()<1.8 && Kin\_TauM\_p4.M()<1.8}





SM sample

DeltaPhiKin {Kin\_TauP\_p4.M()>1.77 && Kin\_TauM\_p4.M()>1.77 && Kin\_TauP\_p4.M()<1.78 && Kin\_TauM\_p4.M()<1.78}











#### **Belle reconstruction**



- We also tried to follow this <u>Belle paper</u> that makes use of the recoil rest frame to reconstruct the tau 4-vectors:
  - Any "analytical" method has a two-fold ambiguity that can be "resolved" with additional considerations such as missing energy and ΔR between tau and neutrino
  - But the method always reconstructs in our case taus with 5 GeV more energy than they should, giving an energy |balance of -10 GeV
  - Also, the boundary bins of  $\Delta \phi$  are not well-treated and the CPV is washed out





#### BACKUP

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#### **CMS reconstruction**

- Reconstruct the angle between the decay planes without accessing the tau 4-momentum
- Uses instead the impact parameter vector for one-prong decay or  $\pi^0$  and  $\pi$  for rho decays (also possible to mix them) with boost in the charged particles zero momentum frame



If the tau momenta is instead well known (three-prong), they use the polarimetric method and the secondary vertex to determine the a direction

$$|\vec{p}_{\tau}| = \frac{(m_{a_1}^2 + m_{\tau}^2)|\vec{p}_{a_1}|\cos\theta_{\rm GJ} \pm \sqrt{(m_{a_1}^2 + |\vec{p}_{a_1}|^2)((m_{a_1}^2 - m_{\tau}^2)^2 - 4m_{\tau}^2|\vec{p}_{a_1}|^2\sin^2\theta_{\rm GJ})}}{2(m_{a_1}^2 + |\vec{p}_{a_1}|^2\sin^2\theta_{\rm GJ})}.$$
 (9)

The maximal allowed value  $\theta_{GI}^{max}$  of the Gottfried–Jackson angle is defined as

$$\theta_{\rm GJ}^{\rm max} = \arcsin\left(\frac{m_{\tau}^2 - m_{\rm a_1}^2}{2m_{\tau}|\vec{p}_{\rm a_1}|}\right). \tag{10}$$

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# **Gen information**



- The general idea of all the reconstruction methods is to get the angle between the decay planes of the tau in the di-tau rest frame
- We can reconstruct the planes directly by knowing the tau and daughters' 4-momenta
- All vectors are boosted in the Higgs rest frame
- $\blacksquare$  We take the direction of the  $\tau^-$  as reference to get the value of  $\phi_{CP}$





# **Gen information**





- Tested Wilson Coefficients  $\pm 1$  for the operators  $Re\{\mathcal{O}_{eh}\}$ ,  $Im\{\mathcal{O}_{eh}\}$  in SMEFT@LO under the topU3L flavor assumption
- Only for  $\tau \rightarrow \pi \nu$ , everything is scaled to the appropriate cross-section
- There is a tiny phase shift with CP-violating samples while CP-conserving ones only have a crosssection difference with SM

# **Gen information**





Tested Wilson Coefficients ±5 for the operators  $Re\{\mathcal{O}_{eh}\}$ ,  $Im\{\mathcal{O}_{eh}\}$  in SMEFT@LO under the topU3L flavor assumption

• Only for  $\tau \to \pi \nu$ , everything is scaled to the appropriate cross-section