

EPOS and EPOS3

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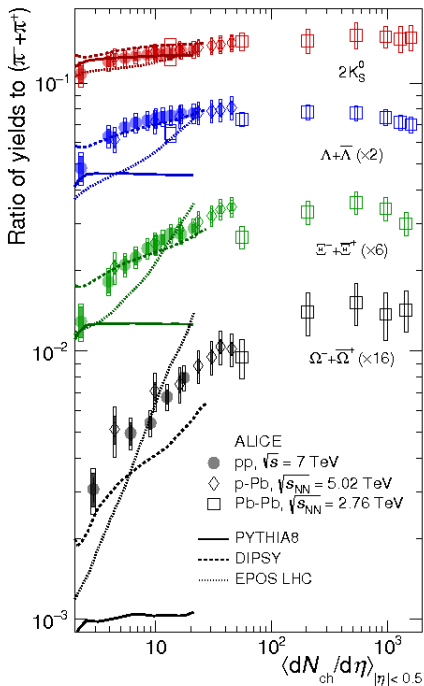
Current activities (2017-2020)

(towards EPOS4, replacing EPOS3 and EPOS LHC)

- Consistent implementation of HF
- Accommodate multiple scattering, saturation, and factorization
(deeply connected)
Crucial to understand nowadays pp results
- **Microcanonical hadronization**
(EPOS3 : GC, EPOS LHC n-body decay)
- Understanding energy dependence
(-> Lower energies, BES)
- Understanding thermalization
(EPOS+PHSD, quantum statistical approach, replaces hydro)

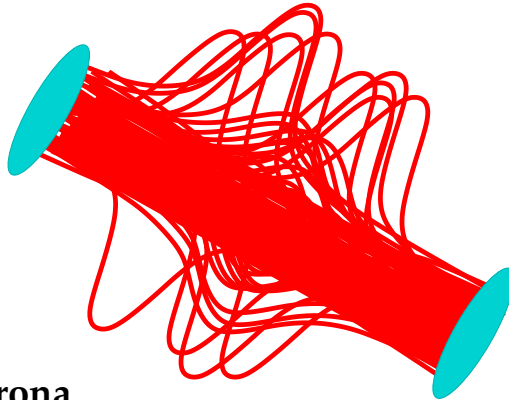
ALICE Nature physics 2017

Strangeness enhancement "rediscovered"



In EPOS: High multiplicity pp or AA:

Many cut Pomerons => Many kinky strings



=> core + corona

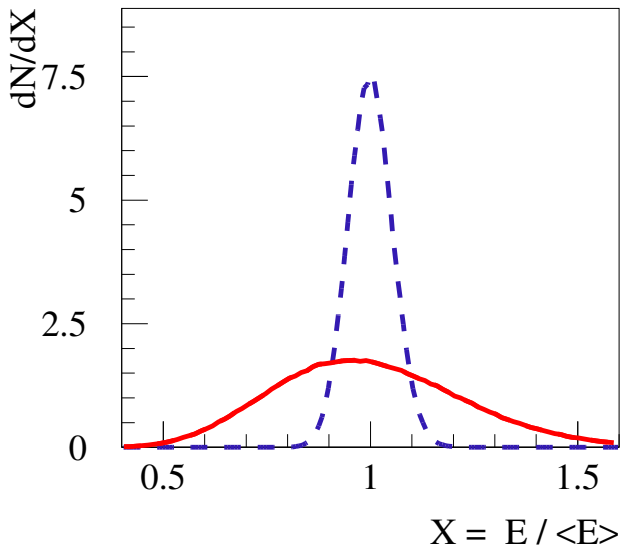
**core => hydro evolution => statistical decay
(hadronization)**

Microcanonical hadronization of plasma droplets

- No need to match dynamical part of hydro evolution**
(sudden statistical decay)
- Energy and flavor conservation**
(works for big and small systems)
- Extremely fast**
(faster than approximate GC method)
- Useful for EPOS CR**
(fast version, based on parameterized hypersurfaces)

Grand canonical decay, $T = 130$ MeV

$V=50 \text{ fm}^3$; $V=1000 \text{ fm}^3$ (energy conservation always violated)



Microcanonic decay

of given volume in its CMS into n hadrons

$$dP = C_{\text{vol}} C_{\text{deg}} C_{\text{ident}} \times \delta(E - \Sigma E_i) \delta(\Sigma \vec{p}_i) \prod_A \delta_{Q_A, \Sigma q_{Ai}} \prod_{i=1}^n d^3 p_i$$

$$C_{\text{vol}} = \frac{V^n}{(2\pi\hbar)^{3n}}, \quad C_{\text{deg}} = \prod_{i=1}^n g_i, \quad C_{\text{ident}} = \prod_{\alpha \in \mathcal{S}} \frac{1}{n_\alpha!}$$

(n_α is the number of particles of species α , \mathcal{S} is the set of particle species)

Different from decay rate of a massive particle (using LIPS), where asymptotic states are defined over an infinitely large volume

(see Becattini et al, EPJC35:243-258,2004). But $E_i = \sqrt{p_i^2 + m_i^2}$

Microcanonical decay

$$dP \propto d\Phi_{\text{NRPS}} = \delta(M - \Sigma E_i) \delta(\Sigma \vec{p}_i) \prod_{i=1}^n d^3 p_i$$

- Hagedorn 1958 methods to compute Φ_{NRPS}
- Lorentz invariant phase space (LIPS) (James 1968)
- Hagedorn methods used for decaying QGP droplets (Werner, Aichelin, 1994, Becattini 2003)
- 2012 (Bignamini, Becattini, Piccinini) compute Φ_{NRPS} via the Lorentz invariant phase space (LIPS)
- **our recent work:**
Major technical improvements => very fast
Allows to treat small and big systems

Grand canonical limit

Often wrongly referred to as “The statistical model”

For very large M we should recover the “grand canonical limit” for single particle spectra:

$$f_k = \frac{g_k V}{(2\pi\hbar)^3} \exp\left(-\frac{E_k}{T}\right),$$

The average energy is

$$\bar{E} = \sum_k \frac{g_k V}{(2\pi\hbar)^3} \int_0^\infty E_k \exp\left(-\frac{E_k}{T}\right) 4\pi p^2 dp$$

Changing variables via $E_k dE_k = p dp$, and employing modified Bessel functions via $K_1(z) = z \int_1^\infty \exp(-zx) \sqrt{x^2 - 1} dx$, and $3 K_2(z) = z^2 \int_1^\infty \exp(-zx) \sqrt{x^2 - 1}^3 dx$

=>

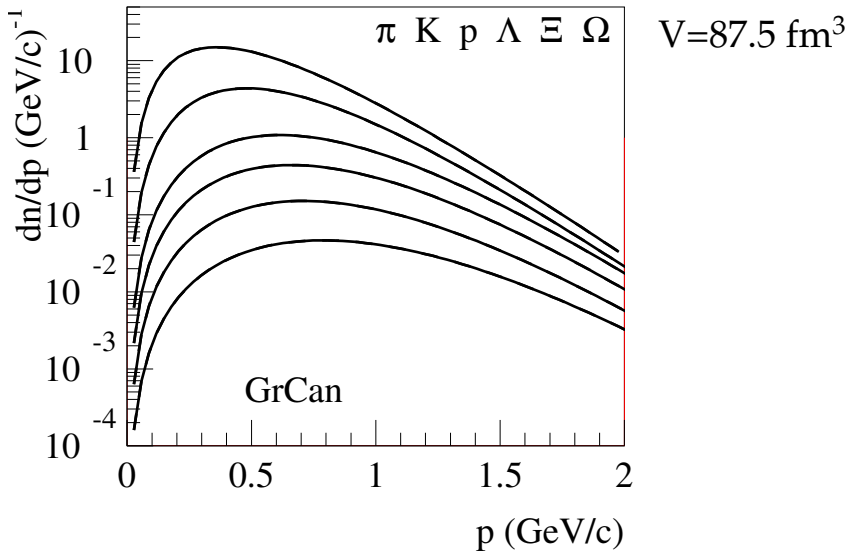
$$\bar{E} = \sum_k \frac{4\pi g_k V}{(2\pi\hbar)^3} m_k^2 T \left(3TK_2\left(\frac{m_k}{T}\right) + m_k K_1\left(\frac{m_k}{T}\right) \right).$$

The microcanonical decay of an object of mass M and volume V should converge (for $M \rightarrow \infty$) to the GC single particle spectra

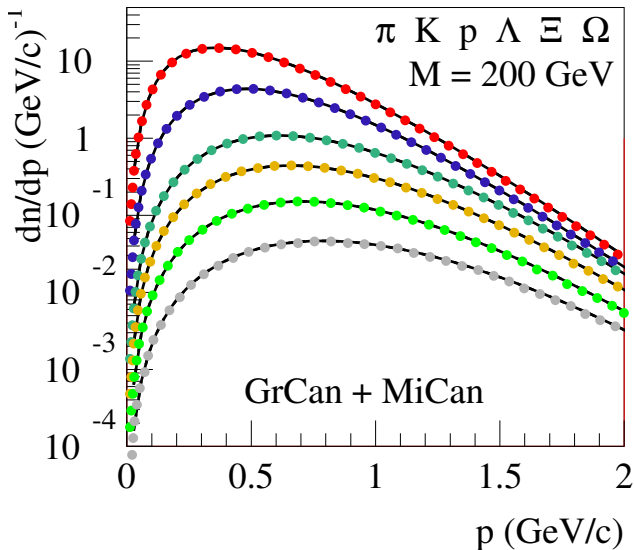
with T obtained from $M = \bar{E}$.

We will check it ...

GC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $T = 167 \text{ MeV}$



GC+MiC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $M = 200 \text{ GeV}$

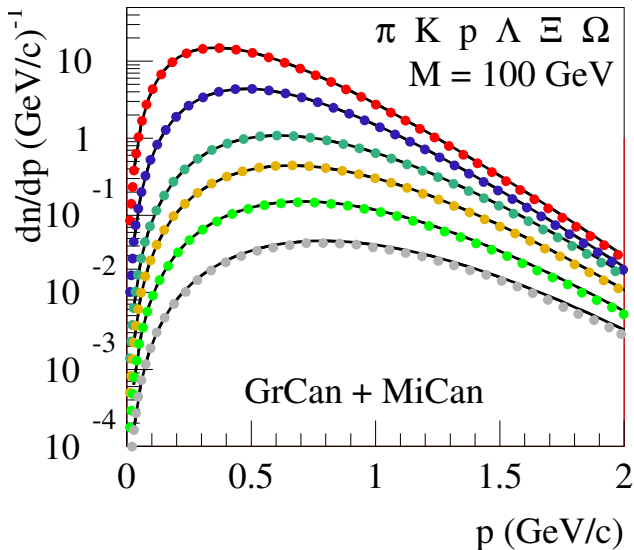


$$V = 350 \text{ fm}^3$$

$$\times \frac{1}{4}$$

good test for
Metropolis proposal

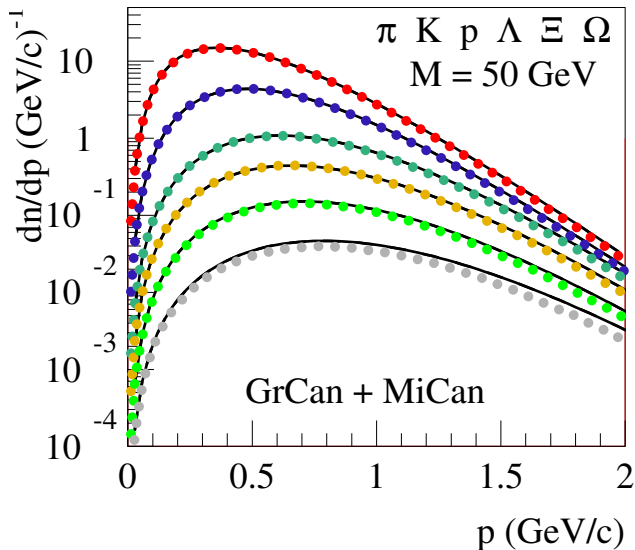
GC+MiC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $M = 100 \text{ GeV}$



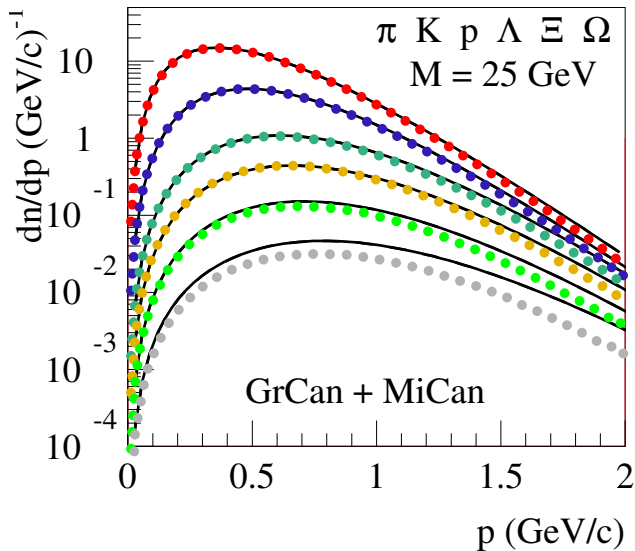
$$V = 350/2 \text{ fm}^3$$

$$\times \frac{1}{2}$$

GC+MiC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $M = 50 \text{ GeV}$

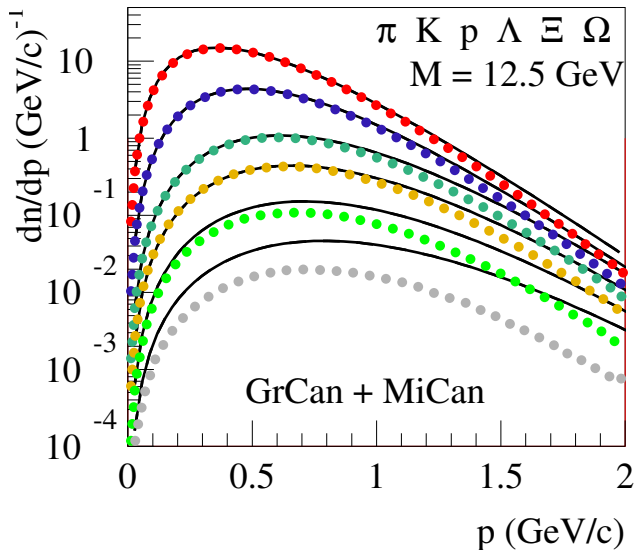


GC+MiC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $M = 25 \text{ GeV}$



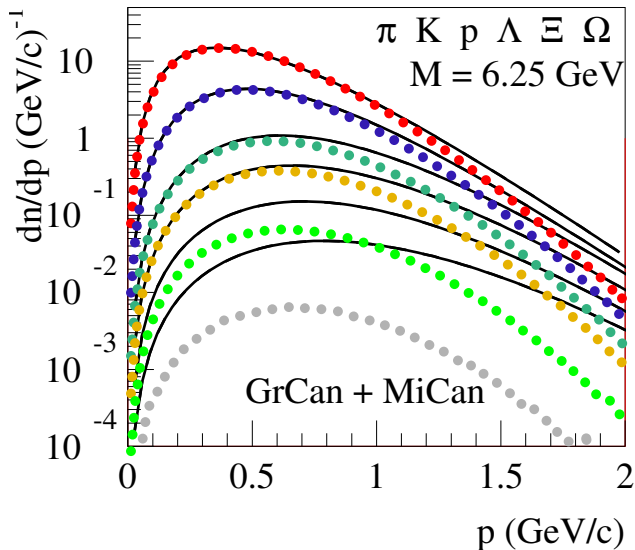
$V = 350/8 \text{ fm}^3$
 $\times 2$

GC+MiC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $M = 12.5 \text{ GeV}$



$V = 350/16 \text{ fm}^3$
 $\times 4$

GC+MiC decay, $E/V = 0.57 \text{ GeV}/\text{fm}^3$ $M = 6.25 \text{ GeV}$



$V = 350/32 \text{ fm}^3$
 $\times 8$

Expanding system -> Hadronization on hyper-surface

Hyper-surface element (in space-time):

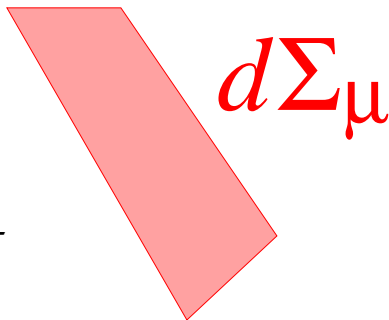
$$d\Sigma_\mu = \varepsilon_{\mu\nu\kappa\lambda} \frac{\partial x^\nu}{\partial \tau} \frac{\partial x^\kappa}{\partial \varphi} \frac{\partial x^\lambda}{\partial \eta} d\tau d\varphi d\eta$$

Hyper-surface

$$x = \begin{pmatrix} \tau \cosh \eta \\ r \cos \varphi \\ r \sin \varphi \\ \tau \sinh \eta \end{pmatrix}$$

with $r = r(\tau, \varphi, \eta)$ representing the **FO condition**

= constant energy density

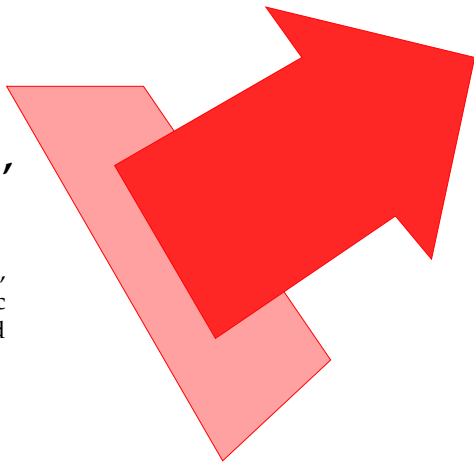


Flow of momentum vector dP^μ and conserved charges dQ_A through the surface element (with $T^{\mu\nu}$ from hydro):

$$dP^\mu = T^{\mu\nu} d\Sigma_\nu,$$

$$dQ_A = J_A^\nu d\Sigma_\nu.$$

(with $A \in \{C, B, S\}$,
corresponding electric
charge, baryon number and
strangeness)



dP^μ

Construct an **effective mass** by summing surface elements:

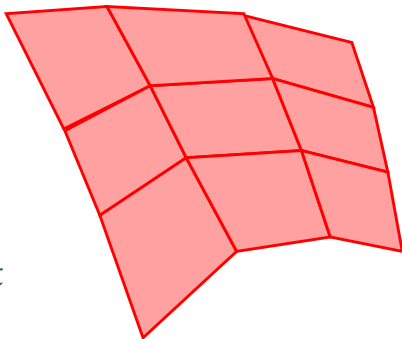
$$M = \int_{\text{surface area}} dM,$$

with

$$dM = \sqrt{dP^\mu dP_\mu},$$

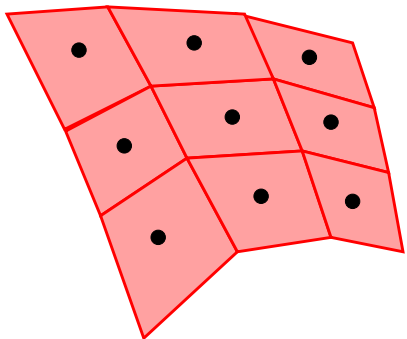
knowing for each element
four-velocity

$$U^\mu = dP^\mu/dM,$$



The four-velocity U^μ is NOT
equal to the fluid velocity u^μ !

The effective mass decays microcanonically



Particles are distributed on the hyper-surface

$$x^\mu(\tau, \varphi, \eta)$$

according to the distribution

$$dM(\tau, \varphi, \eta)$$

and they are boosted according to the four-velocity

$$U^\mu(\tau, \varphi, \eta)$$

Should be parameterized or tabulated for EPOS CR

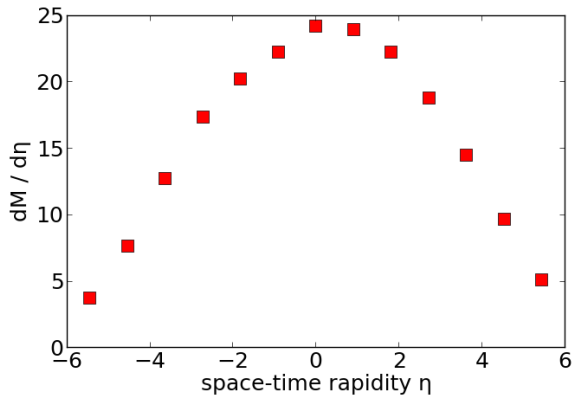
Hadronization in pp at 7TeV

- What are the effective masses produced in pp?**
- Where are they produced in space and time?**

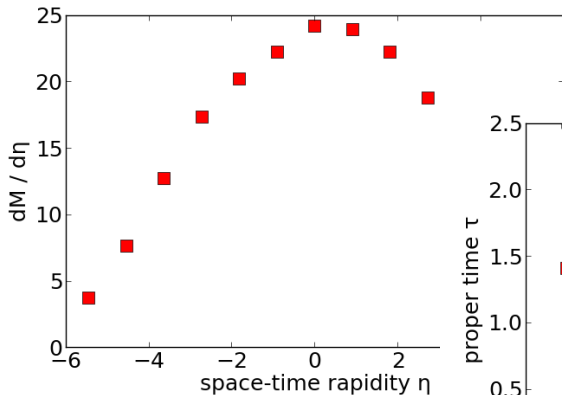
Effective mass vs η

Event with 12 Pomerons
($\sim 6 \times$ minimum bias)

$E_{\text{core}} \approx 3700\text{GeV}$

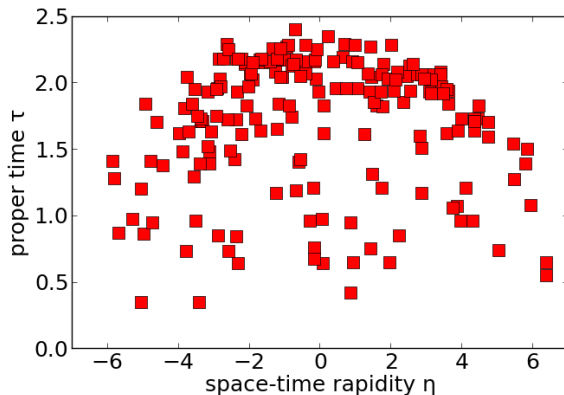


Effective mass vs η



Event with 12 Pomerons
($\sim 6 \times$ minimum bias)

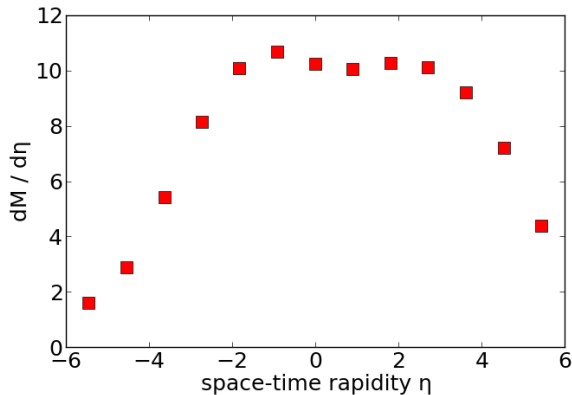
$E_{\text{core}} \approx 3700\text{GeV}$



Effective mass vs η

Event with 6 Pomerons
($\sim 3 \times$ minimum bias)

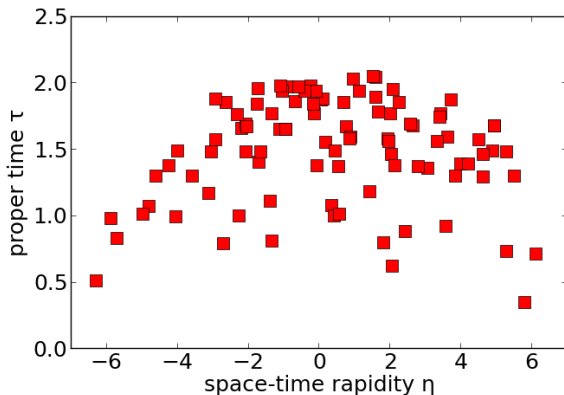
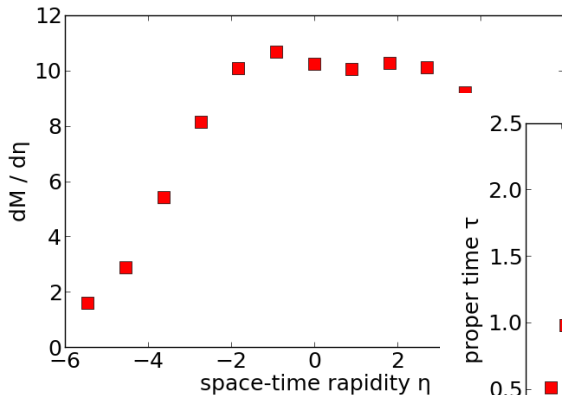
$E_{\text{core}} \approx 2300\text{GeV}$



Effective mass vs η

Event with 6 Pomerons
 ($\sim 3 \times$ minimum bias)

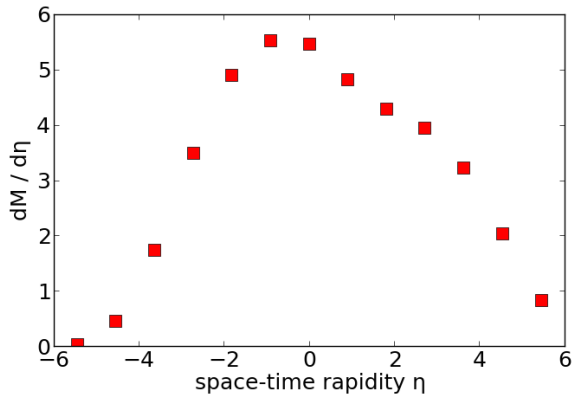
$E_{\text{core}} \approx 2300\text{GeV}$



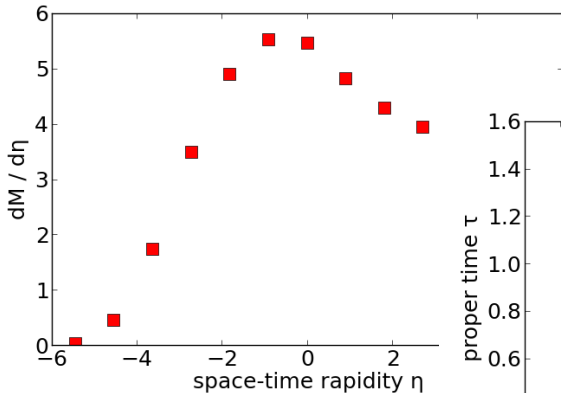
Effective mass vs η

Event with 2 Pomerons
(~ minimum bias)

$E_{\text{core}} \approx 430\text{GeV}$

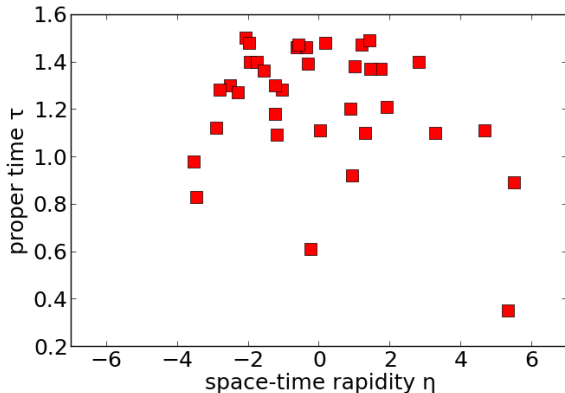


Effective mass vs η

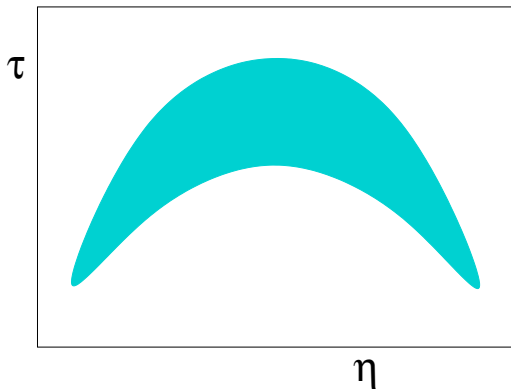


Event with 2 Pomerons
(~ minimum bias)

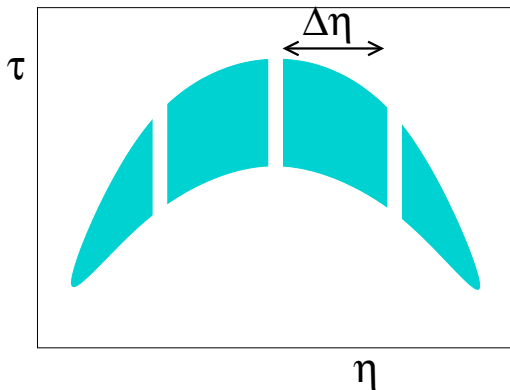
$E_{\text{core}} \approx 430\text{GeV}$



Decaying object extended in space-time



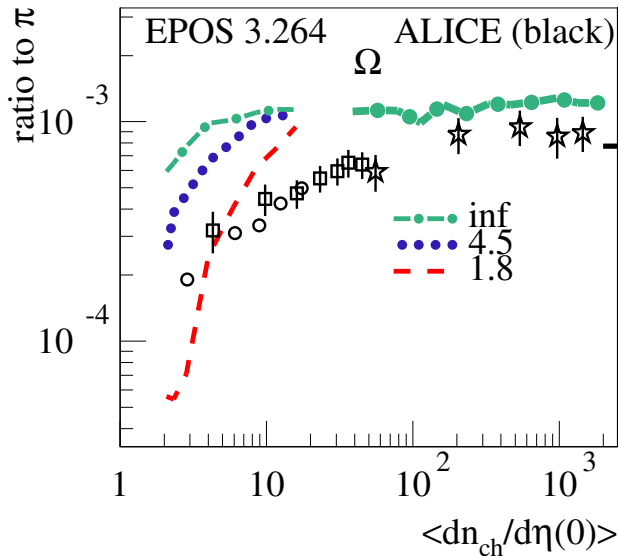
Does it decay as single effective mass M ?



... or as several independent objects of width $\Delta\eta$

We will try several choices of $\Delta\eta$

Omega to pion ratio



**different choices
of $\Delta\eta$**

$\Delta\eta = \infty$: drops
slightly

$\Delta\eta = 1.8$: drops
quickly around
 $dn/d\eta = 10$

1 Summary

- **New microcanonical hadronization procedure**
(universal procedure for big and small systems)
 - **Very efficient, possible for “big” systems**
 - **Results for yields vs multiplicity depend on correlation width $\Delta\eta$ -> large values favoured**
(but anyway corona part is needed)
 - **Method may be extended to build “fast version”, compatible with the “normal” one**