



Identification of Hydrometeor Mixing Ratio Retrievals Suitable for Dual-Polarimetric C-band Radar Observations over Germany

RealPEP Sub-Project Quantitative Precipitation Forecasting (QPF)

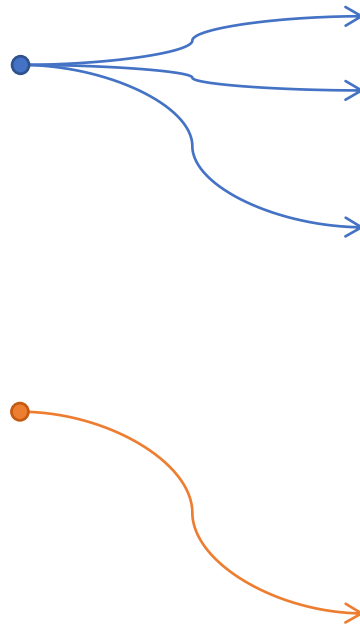
Lucas Reimann (PhD Student), Institute for Geoscience, Section Meteorology, University of Bonn

[Clemens Simmer, Roland Potthast, Silke Trömel]

The QPF Sub-Project of RealPEP

Central targets

- *Improvement* in short-term *forecasts* of quantitative precipitation by NWP models
- Achievement of a *seamless* prediction of quantitative precipitation from *minutes to hours*



Strategies to be tested

Assimilation of ...

- radar reflectivities/radial winds
- pre-convective information from satellite observations
- dual-polarimetric radar data
 - i. directly* via dual-polarimetric radar observation operator
 - ii. indirectly* via pseudo-observed model state variables such as **hydrometeor mixing ratios**
- nowcasted states

Assimilation of Dual-Pol Observations via Hydrometeor Mixing Ratios

Advantages

Circumvent ...

- costly polarimetric forward operator running simultaneously with the NWP models
- difficulties due to e.g. the rather rudimentary appreciation of particle size & shape distributions in the NWP models

Disadvantage

- Need for retrieval algorithms introducing additional uncertainties

In this study we

- focus on liquid water content (**LWC**) & ...
- **assess** existing LWC algorithms for C-band radar & ...
- **improve & adjust** these existing LWC relations to German climatology by analyzing a large DSD data set of DWD.

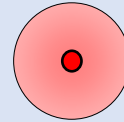
Data

DSD data

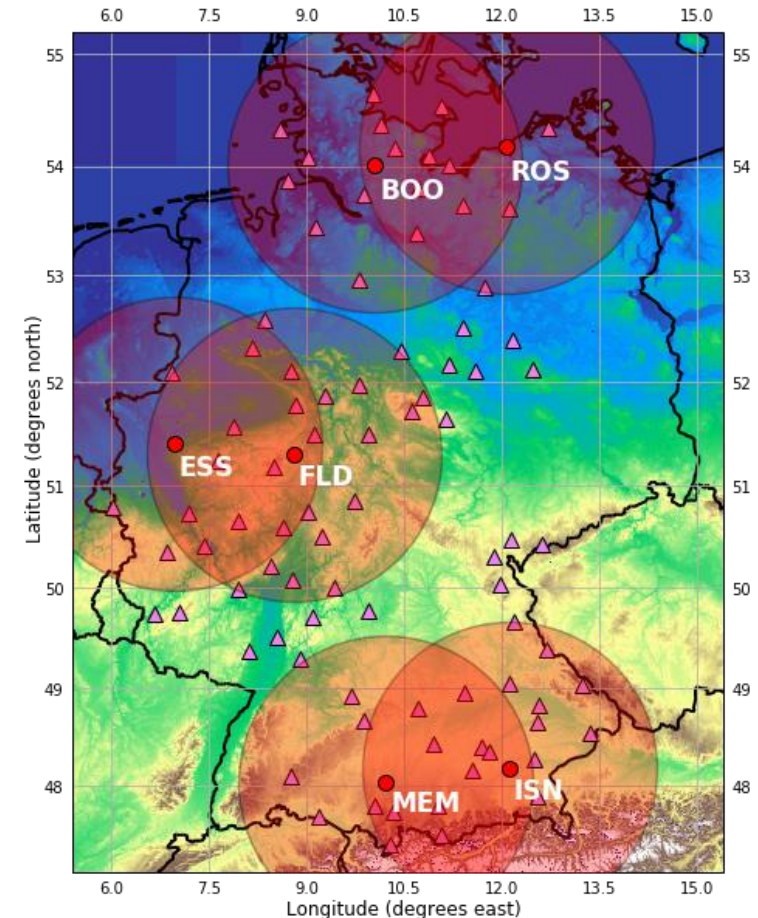


- About 818 thousand DSDs observed by DWD's Thies-disdrometer network
- All seasons & large variety of rainfall types included
- Dual-pol radar quantities
 - i. **reflectivity Z**
 - ii. **specific attenuation A**
 - iii. **specific diff. phase KDP**
 - iv. **diff. reflectivity ZDR**simulated for each DSD by T-matrix code

Radar data



- 7 warm rainfall events
 - i. 3 convective
 - ii. 2 stratiform
 - iii. 2 mixedobserved by 6 of DWD's dual-pol C-band radars
- 0.5 deg elevation with range-resolution of 1 km
- $RHOHV > 0.95$
- A derived via ZPHI-method (Testud et al. 2000)
- Z & ZDR corrected for att.

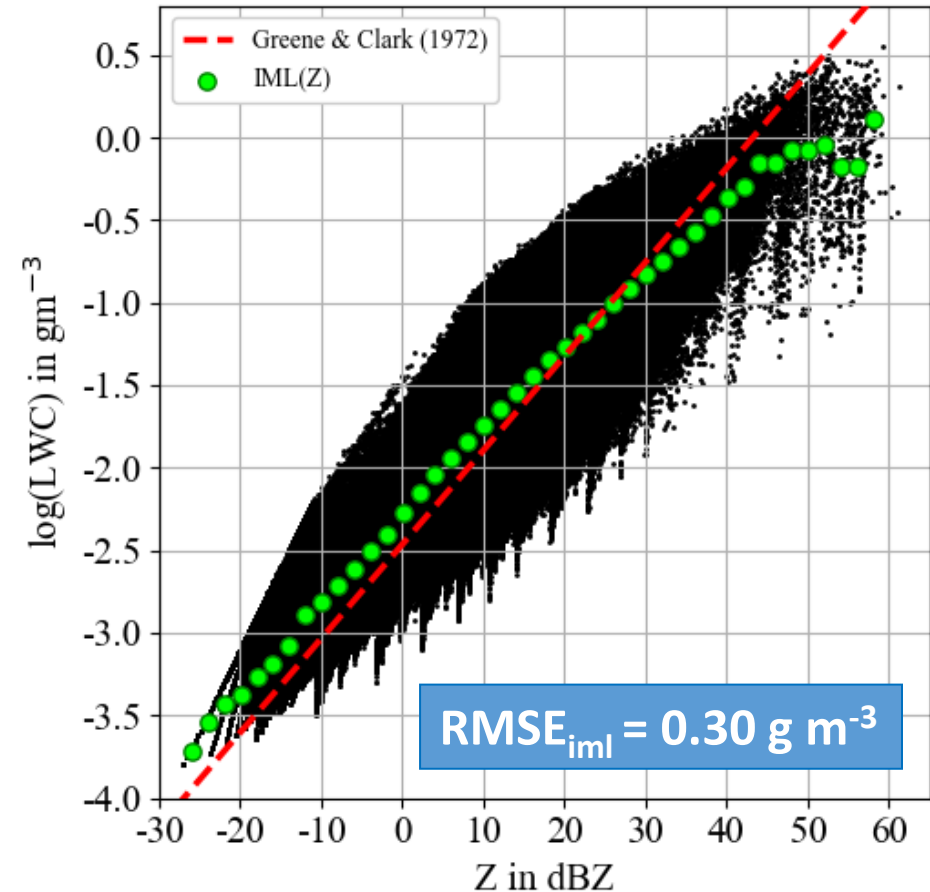


Methodology:

Assessment of LWC-Algorithm Quality

How to assess the quality of retrievals?

- A. By skills to follow observed interval-wise mean $\log(\text{LWC})$ $\text{IML}(\cdot)$ along *all intervals* of retrieval input variables
- Skills quantified by RMSE between $\text{IML}(\cdot)$ & curve of retrieval called RMSE_{iml}
 - RMSE_{iml} much less dependent on statistical data distribution than “classical” RMSE
- B. By skills to follow *expected course* of the $\text{IML}(\cdot)$ beyond data boundaries properly

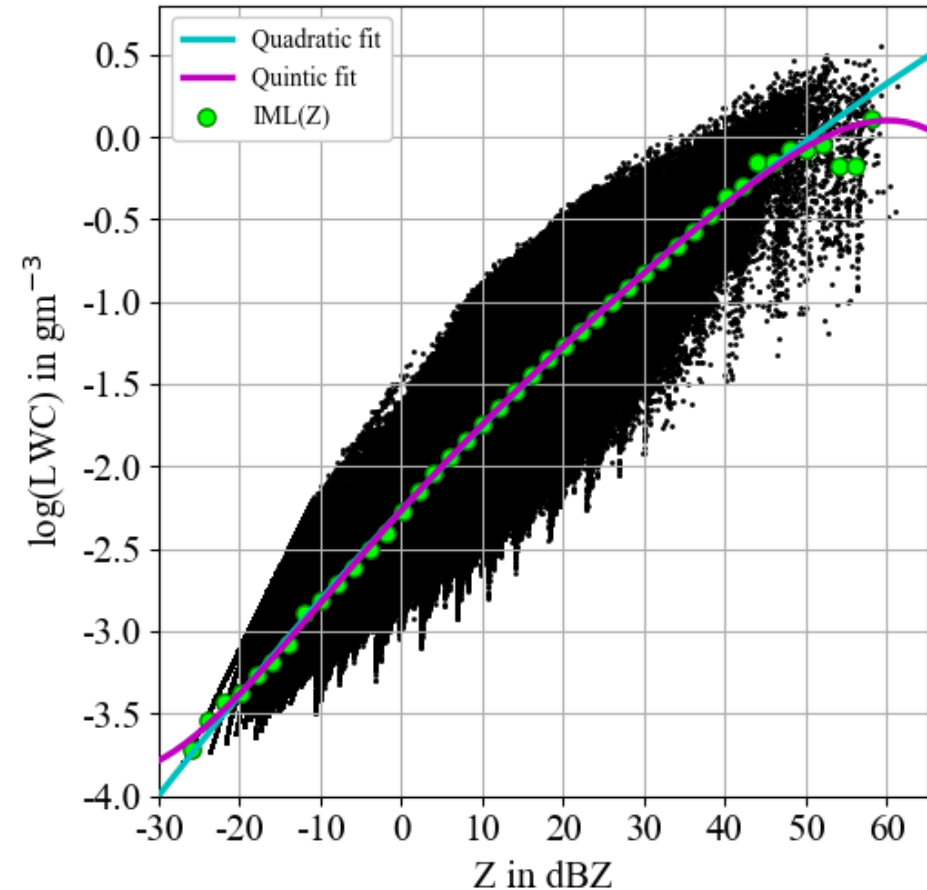


Methodology:

Development of New LWC-Algorithms

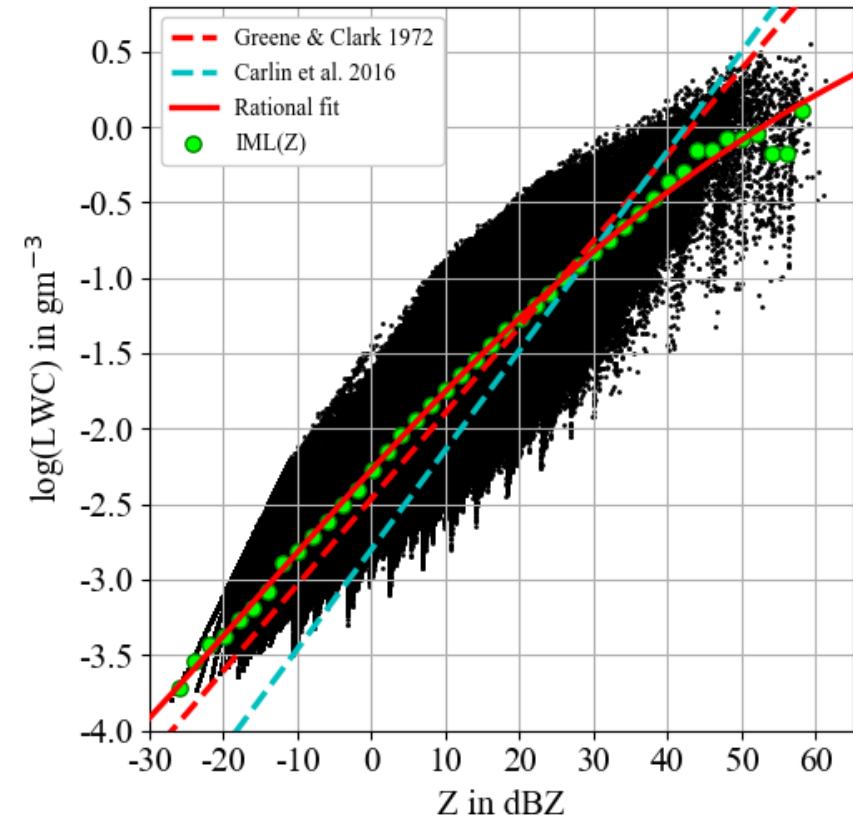
How to develop new retrievals?

- Deriving least-squares fits to DSD data
- Focus on low-order (i.e. max. 3rd order) polynomial or rational functions to
 - i. keep extrapolation errors low
 - ii. reduce potential for overfitting
- Consider a new retrieval as improvement over another relation if it
 - i. reduces the $RMSE_{iml}$ by at least 0.01 g m^{-3}
 - ii. shows an appropriate extrapolation



Z-Based LWC-Algorithms

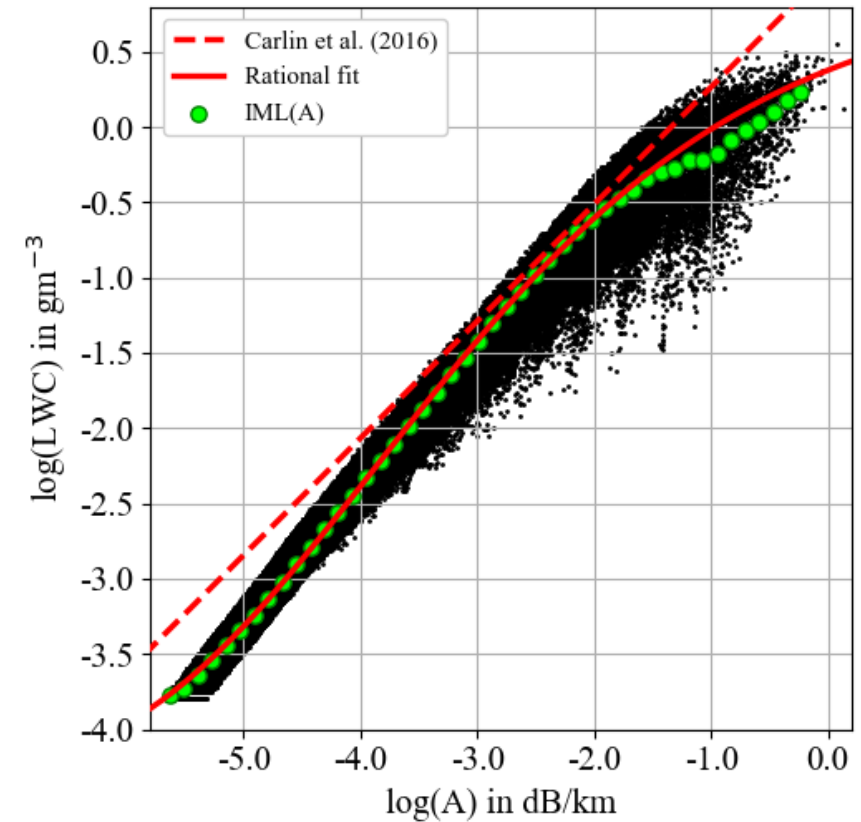
Study	$\log(\text{LWC}(Z)) =$	RMSE_{iml} (gm^{-3})	RMSE (gm^{-3})
Greene & Clark 1972	$0.057Z - 2.46$	0.30	0.33
Carlin et al. 2016	$0.066Z - 2.80$	0.53	0.50
<i>The present</i>	$\frac{0.427Z - 22.55}{0.0005Z^2 + 0.046Z + 9.92}$	0.06	0.30



Z: horizontal reflectivity factor in dBZ **LWC:** liquid water content in g m^{-3}

A-Based LWC-Algorithms

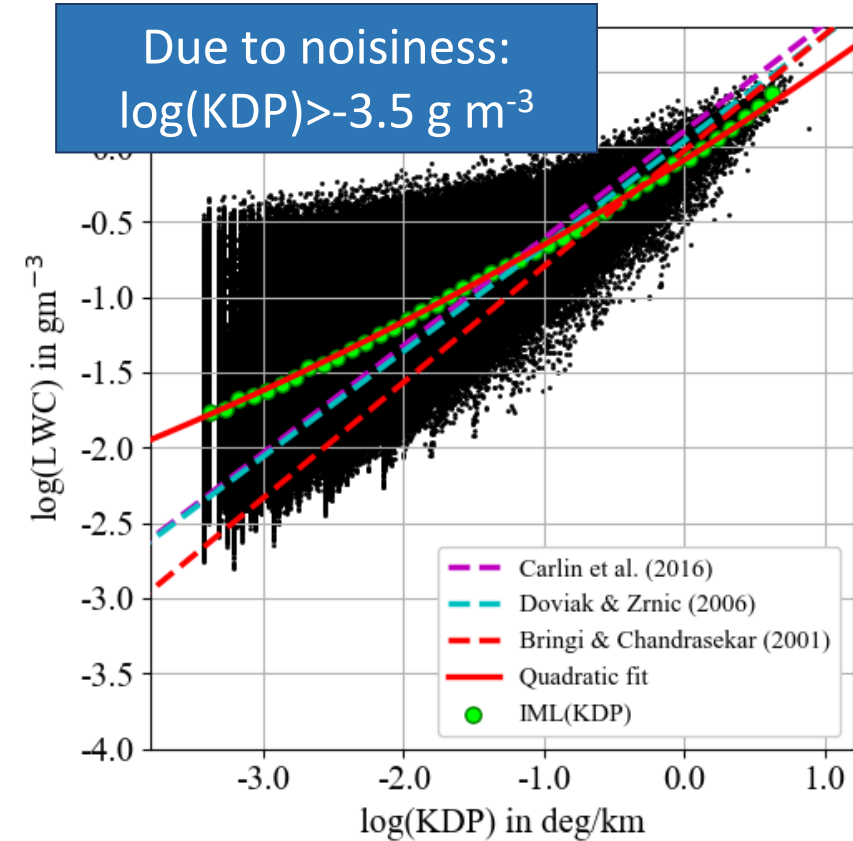
Study	$\log(\text{LWC}(A)) =$	RMSE_{iml} (gm^{-3})	RMSE (gm^{-3})
Carlin et al. 2016	$0.780 \log(A) + 1.04$	0.36	0.25
<i>The present</i>	$\frac{3.187 \log(A) + 3.09}{0.1731 \log(A)^2 + 1.730 \log(A) + 8.19}$	0.06	0.09



A: horizontal specific attenuation in dB km^{-1} **LWC:** liquid water content in g m^{-3}

KDP-Based LWC-Algorithms

Study	$\log(\text{LWC}(\text{KDP})) =$	RMSE_{iml} (gm^{-3})	RMSE (gm^{-3})
Bringi & Chandrasekar 2001	$0.770 \log(\text{KDP}) - 0.03$	0.40	0.57
Doviak & Zrnicek 2006	$0.700 \log(\text{KDP}) + 0.04$	0.24	0.40
Carlin et al. 2016	$0.710 \log(\text{KDP}) + 0.10$	0.24	0.39
<i>The present</i>	$0.0266 \log(\text{KDP})^2 + 0.590 \log(\text{KDP}) - 0.09$	0.02	0.29



KDP: specific differential phase in deg km^{-1}

LWC: liquid water content in g m^{-3}

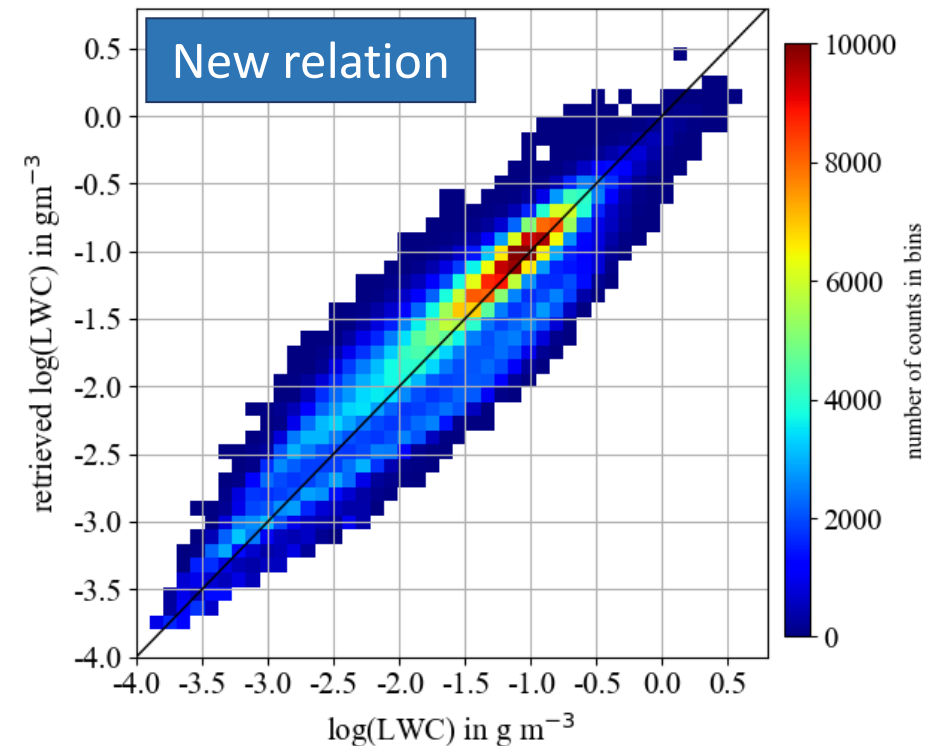
Z-ZDR-Based LWC-Algorithms

Study	$\log(\text{LWC}(Z, \text{ZDR})) =$	RMSE_{iml} (gm^{-3})	RMSE (gm^{-3})
Carlin et al. 2016	$0.070Z - 0.079\text{ZDR} + 0.11$	0.48	0.55
<i>The present</i>	$0.054Z - 0.169\text{ZDR} - 2.30$	0.22	0.29

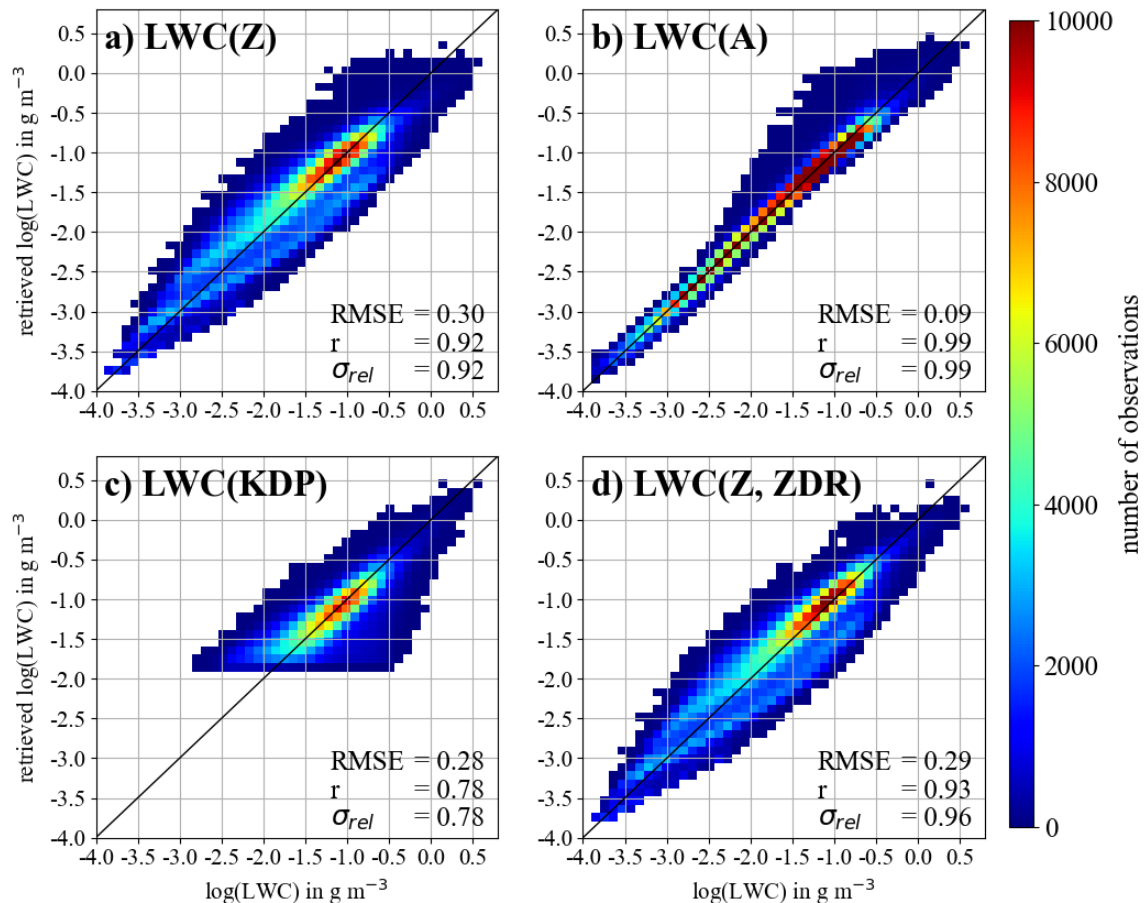
Z: horizontal reflectivity factor in dBZ **ZDR**: differential reflectivity in dB



More complex relations such as **bivariate polynomial** equations showed increased errors in real-world application



Summary of New Retrievals



According to simulation ...

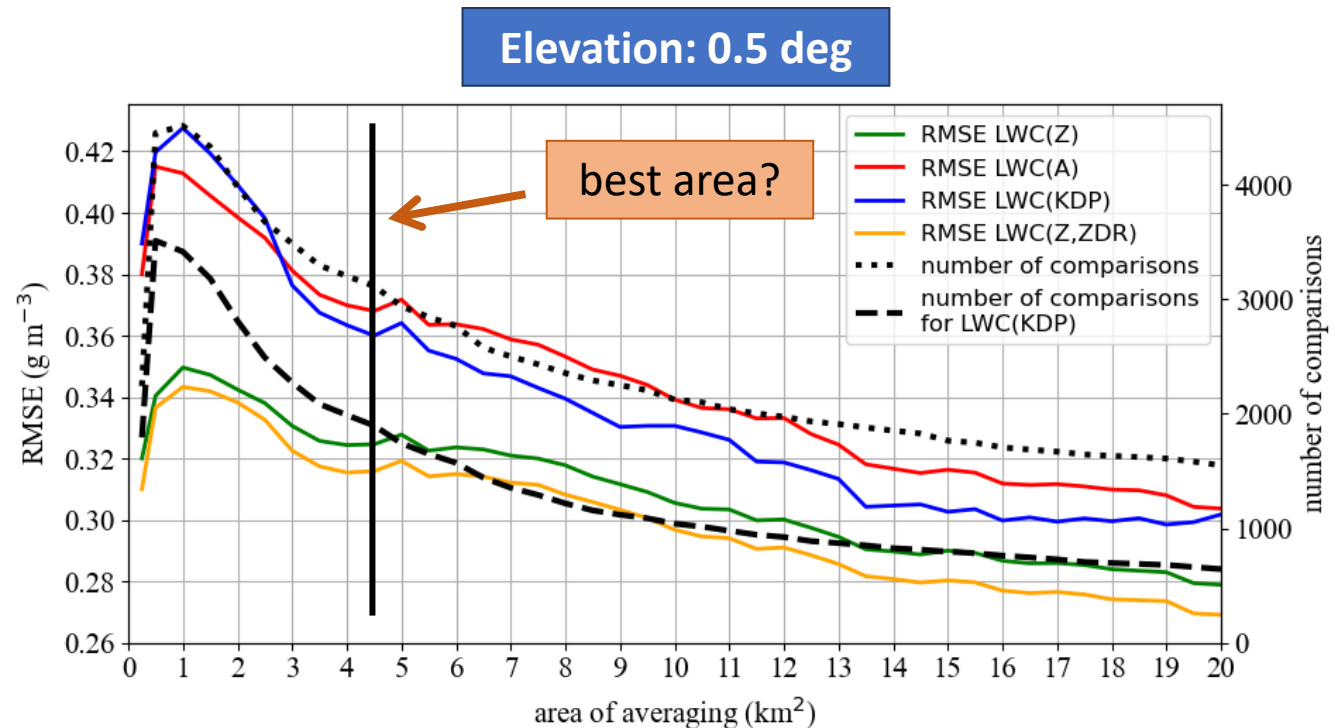
- The LWC(A)-retrieval shows best results with the lowest RMSE & lowest correlation r
- The LWC(Z, ZDR)-relation is slightly superior to the relation based on Z exclusively
- For the highest LWC values the LWC(KDP)-relation is best

Fig.: DSD-based comparison of actual $\log(\text{LWC})$ with $\log(\text{LWC})$ retrieved via new retrieval-relations based on T-matrix code simulated dual-pol variables

Evaluation of New LWC-Algorithms

Strategy

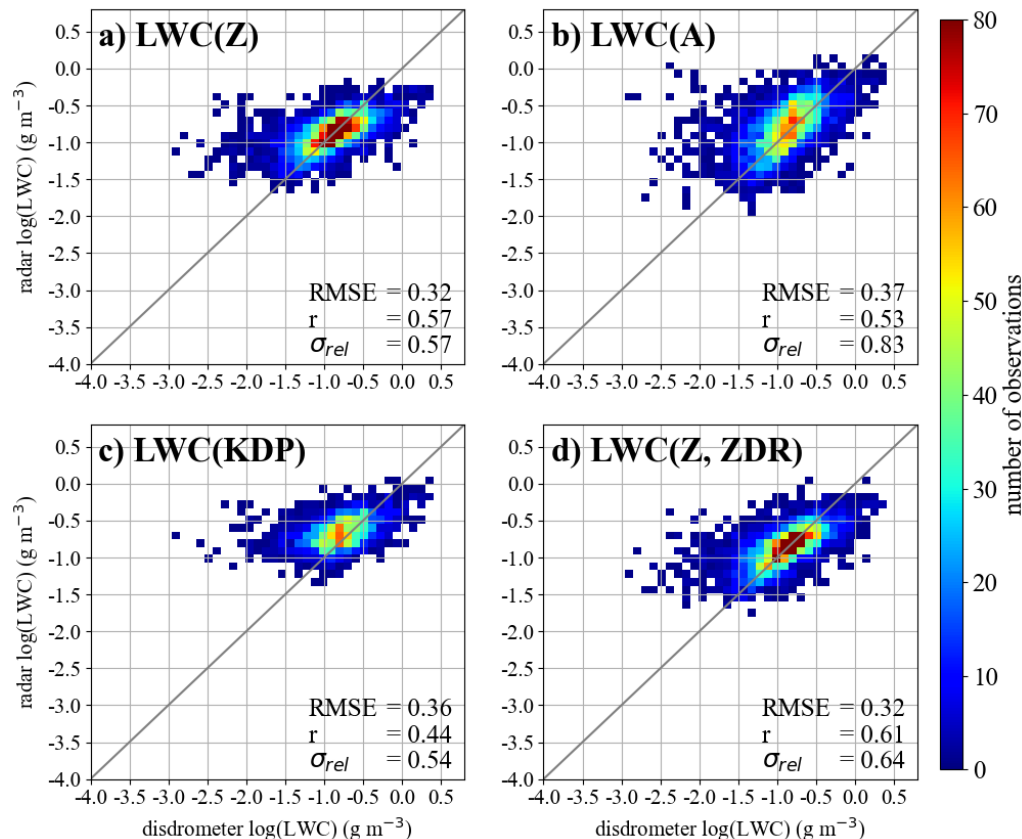
- Estimate LWC from dual-pol radar observations via new LWC-algorithms
- Compare radar-retrieved LWC averaged over **suitable area** with disdrometer-observed LWC at disdrometer locations
- Measure real-world skill of retrievals by RMSE, r & σ_{rel}



Evolutions of RMSE between **radar-retrieved** and **disdrometer-observed** $\log(LWC)$ for 4 new LWC-algorithms (colored curves) and of number of comparisons (black curves) as functions of the area over which the radar-retrieved LWC is averaged

Evaluation of New LWC-Algorithms

Elevation: 0.5 deg Area of averaging: 4.5 km²



Results

- Peaks of histograms on ideal diagonals
- **As expected:** LWC(Z,ZDR)-relation slightly better than LWC(Z)-relation
- **Against expectation:** LWC(A)- and LWC(KDP)-relations worse than Z-based relations → most likely reason: uncertainties in C-band differential phase
- Positive bias in KDP (need for investigation)

Fig.: Comparison of disdrometer-log(LWC) with log(LWC) retrieved via new retrieval-relations based on dual-pol DWD radar data

Evaluation of New LWC-Algorithms

Differences between rainfall types

Retrieval	Stratiform	Convective	Mixed
LWC(Z)	0.22	0.42	0.34
LWC(A)	0.25	0.48	0.38
LWC(KDP)	0.28	0.43	0.36
LWC(Z,ZDR)	0.21	0.41	0.33

Values of RMSE between disdrometer- and radar-log(LWC) in g m^{-3} for different rainfall types and retrievals

Main findings

- For all rainfall types the LWC(Z, ZDR)-relation is superior to the LWC(Z)-relation
- For all rainfall types the LWC(A)- & LWC(KDP)-relations are worse than the Z-based algorithms
- Stratiform rainfall leads to smaller RMSE than convective or mixed
- Convective rainfall shows largest values of RMSE

Evaluation of New LWC-Algorithms

Comparison of new with existing relations

Retrieval	Our new relations	Greene & Clark 1972	Bringi & Chandrasekar 2001	Doviak & Zrnicek 2006	Carlin et al. 2016
LWC(Z)	0.32	0.35			0.35
LWC(A)	0.37				0.42
LWC(KDP)	0.36		0.35	0.37	0.39
LWC(Z,ZDR)	0.32				0.34

Values of RMSE between disdrometer- and radar-log(LWC) in g m^{-3} for the different existing and newly developed LWC retrievals

Main findings

- Our new LWC(Z)-, LWC(A)- & LWC(Z,ZDR)-relations are superior to the existing ones when applied to radar data
- The LWC(KDP)-relation by Bringi & Chandrasekar (2001) shows slightly lower values of RMSE than our new relation **BUT:** should possibly not be overrated due to positive bias in KDP!

Conclusions

Based on a large DSD data set of DWD we found ...

- that the existing, mainly power-law (on linear scale) LWC-retrieval algorithms are inappropriate for C-band dual-polarimetric radar observations over Germany
- New, more suitable LWC-relations:
 - a. Rational functions for the LWC(Z)- & LWC(A)-relations
 - b. A quadratic function for the LWC(KDP)-relation
 - c. A bivariate linear function for the LWC(Z, ZDR)-relation

Based on DWD's dual-pol C-band radar data & the DSD data we identified ...

- that our new LWC(Z,ZDR)-relation outperforms our LWC(Z)-relation
- that our LWC(A)- & LWC(KDP)-relations show worse skills due to difficulties in A- and KDP-derivation (maybe a standard problem at C-band?)
- that our new relations outperform the existing relations except for the LWC(KDP)-relation by Bringi & Chandrasekar (2001) showing slightly better skills than our new LWC(KDP)-retrieval when applied to radar data (but should possibly not be overrated)

Questions?

Thanks for your attention!